

This expansion gives ultimately one complex number c_{nk} for every two elementary areas of size one-half. The real and imaginary parts can be interpreted as giving the amplitudes of the following two real elementary signals

$$\begin{aligned} s_c(t) &= \exp - \alpha^2(t - t_0)^2 \cos 2\pi f_0(t - t_0) \\ s_s(t) &= \exp - \alpha^2(t - t_0)^2 \sin 2\pi f_0(t - t_0) \end{aligned} \quad (1.30)$$

where $\alpha^2 = \frac{1}{2}\pi/(\Delta t)^2$. These can be called the "cosine-type" and "sine-type" elementary signals. They are illustrated in Fig. 1.9. We can use them to obtain a real expansion, allocating

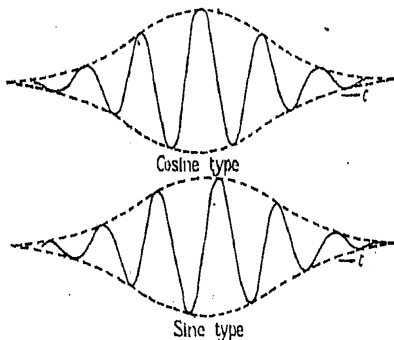


Fig. 1.9.—Real parts of elementary signal.