

# Mediation Analysis of *KITLG* Methylation for the Relationship Between Childhood Trauma and Cortisol Stress Reactivity

UQÀM

Komi Ayi, Geneviève Lefebvre, Karim Oualkacha

Département de mathématiques, Université du Québec à Montréal

## **Motivation**

- Houtpen *et al.* [1] investigated the mediating role of DNA methylation in the association between childhood trauma and cortisol stress reactivity.
- First, they conducted association analysis between methylation loci and both childhood trauma and cortisol stress reactivity, and they identified three loci (*KITLG*: cg27512205, *C1QTNF2*: cg05608730, *JAZF1*: cg26179948) potentially involved in this relationship.
- Given the strongest association of locus cg27512205 with cortisol stress reactivity, replicated in two independent samples, the authors performed a mediation analysis targeting this locus (Figure 1, solid black arrows).

## Key

The other two loci correlate with the locus cg27512205 and are associated with both childhood trauma and stress reactivity (Figure 1), potentially biasing the standard analysis of *KITLG*.

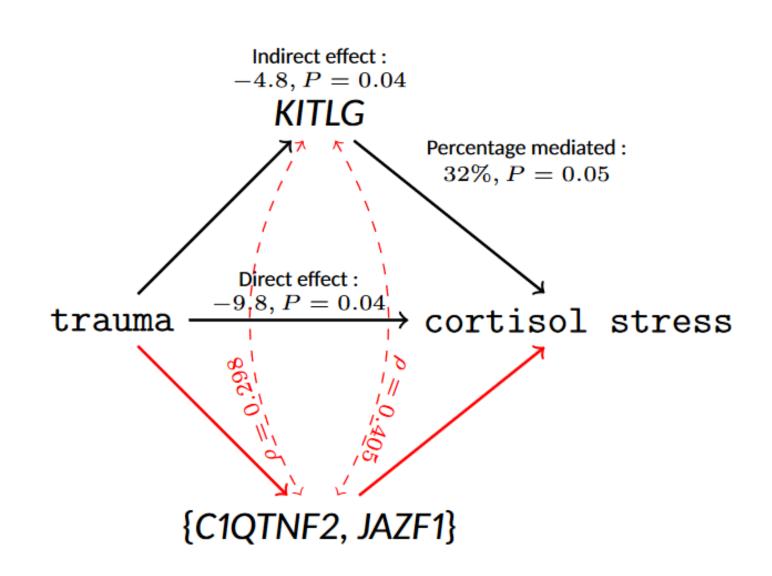


Figure 1. Causal diagram of the original study (black arrows) and its extension considering the other two loci (red arrows)

# Objective

To assess how expanding the analysis to consider the two additional mediators affects the estimation of the direct and indirect effects through the *KITLG* gene locus.

# Methods

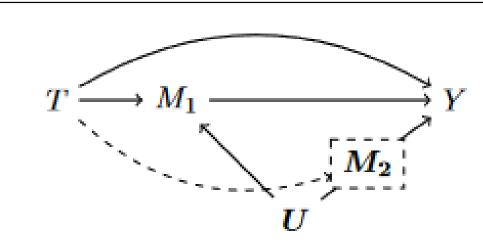


Figure 2. Multiple-mediator model. T is the exposure;  $M_1$  is the mediator of interest;  $M_2$  represents secondary mediators; Y is the outcome; U is a set of unobserved confounders for the relationships between mediators; the vector of pretreatment confounders X is not shown.

## 1. Simple effects

In the setting with only  $M_1$  as the mediator of interest, let  $Y(t, M_1(t'))$  be the value that Y would take if T were set to t and  $M_1$  to  $M_1(t')$ .

The corresponding natural direct effect ( $DE_1^s$ ) and natural indirect effect ( $IE_1^s$ ) for a binary exposure (level 1 vs 0) are:

Standard causal mediation analysis allows to estimate these effects under Sequential Ignorability Assumption (SIA) [2].

• Back to our study diagram, since U confounds the effect of  $M_1$  on Y through the mediators  $M_2$ , the assumption of no-unmeasured confounders in the mediator-outcome relationship, as part of the SIA, is violated (Figure 2).

• To account for the correlation between mediators due to the unmeasured common causes U, we consider  $M_1$  together with the other mediators  $M_2$ .

## 2. Joint effects

Let  $Y(t, M_1(t'), \mathbf{M_2}(t''))$  be the value that Y would take when T is set to t,  $M_1$  to  $M_1(t')$  and  $\mathbf{M_2}$  to  $\mathbf{M_2}(t'')$ . We define the joint natural effects as:

$$DE = \mathbb{E} \left\{ Y(1, M_1(0), \mathbf{M_2}(0)) - Y(0, M_1(0), \mathbf{M_2}(0)) \right\},$$

$$IE = \mathbb{E} \left\{ Y(1, M_1(1), \mathbf{M_2}(1)) - Y(1, M_1(0), \mathbf{M_2}(0)) \right\}.$$

## 3. Compostion assumption

• To link the simple and joint effects, we use the composition assumption:

$$Y(t, M_1(t')) = Y(t, M_1(t'), \mathbf{M_2}(t)), \ \forall \ t, t'.$$

• Under this assumption, we relate the natural direct and indirect effects of  $M_1$  to the joint effects as follows:

$$DE_{1,2}^{s} = DE + \mathbb{E}\{Y(1, M_{1}(0), \mathbf{M_{2}}(1)) - Y(1, M_{1}(0), \mathbf{M_{2}}(0))\}$$
$$IE_{1,2}^{s} = \mathbb{E}\{Y(1, M_{1}(1), \mathbf{M_{2}}(1)) - Y(1, M_{1}(0), \mathbf{M_{2}}(1))\}.$$

#### 4. Identification

• The joint natural effects as well as the natural effects for  $M_1$  can be identified using the Sequential Ignorability for Multiple Mediators Assumption (SIMMA) [3]:

$$\{Y(t, m_1, \boldsymbol{m_2}), M_1(t'), \boldsymbol{M_2}(t'')\} \perp \perp T | \boldsymbol{X} = \boldsymbol{x},$$

$$Y(t', m_1, \boldsymbol{m_2}) \perp \perp \{M_1(t), \boldsymbol{M_2}(t)\} | T = t, \boldsymbol{X} = \boldsymbol{x},$$

$$Y(t, m_1, \boldsymbol{m_2}) \perp \perp \{M_1(t'), \boldsymbol{M_2}(t)\} | T = t, \boldsymbol{X} = \boldsymbol{x},$$

for all  $t, t', t'', m_1, m_2$ .

• With these assumptions, U does not confound the relationship between  $(M_1, M_2)$  and Y because its influence on Y is entirely mediated through  $(M_1, M_2)$ .

## 5. Regression-based estimation

The natural effects  $DE_{1,2}^s$  and  $IE_{1,2}^s$  can be estimated using a regression-based approach.

For a continuous outcome with continuous mediators and no interactions, we fit the following regression models:

$$\mathbb{E}[Y|t, m_1, \boldsymbol{m_2}, \boldsymbol{x}] = \beta_0 + \beta_1 t + \beta_2 m_1 + \boldsymbol{\beta_3}^{\mathsf{T}} \boldsymbol{m_2} + \boldsymbol{\beta_4}^{\mathsf{T}} \boldsymbol{x},$$

$$\mathbb{E}[M_j|t, \boldsymbol{x}] = \alpha_{0j} + \alpha_{1j} t + \boldsymbol{\alpha_{2j}}^{\mathsf{T}} \boldsymbol{x}, \text{ for } j = 1, \dots, K.$$

• Assuming SIMMA and the correlation matrix  $Cor(M_1(t_1),\ldots,M_K(t_K)|T,\boldsymbol{X})=\boldsymbol{\rho}, \, \forall \, t_1,\ldots,t_K\in\{0,1\}^K,$  the natural direct and indirect effects for  $M_1$  are then given by

$$DE_{1,2}^s = \beta_1 + \sum_{j \neq 1} \beta_{3j} \alpha_{1j} , \quad IE_{1,2}^s = \beta_2 \alpha_{11}. \tag{2}$$

• The coefficients and the dependance structures ho are estimated via maximum likelihood estimation (MLE).

## Data application

## 1. Dataset

The dataset consists of 85 healthy individuals recruited from the general population at the University Medical Center, Utrecht, the Netherlands [1].

Table 1. Sample description (N = 85)

Characteristic	mean (range
sex (% female)	50.59
age (in years)	33.8 (18; 69)
trauma	
(mean total score)	31.9(24;63)
KITLG (cg27512205)	0.159  (0.125; 0.188)
C1QTNF2 (cg05608730)	0.380(0.293;0.469)
JAZF1 (cg26179948)	0.123(0.0925;0.159)
cortisol stress	
(mean AUCi)	243.46(-1029.85; 1876.28)

## 2. Analysis

- We applied our method on the dataset with cg27512205 as the primary mediator, while treating cg05608730 and cg26179948 as secondary mediators (Figure 1):
- models for the outcome and mediators, adjusted for **age** and **sex**, were fitted using MLE.
- $DE_{1,2}^s$  and  $IE_{1,2}^s$  were estimated via (1), and quasi-Bayesian approximation was used for confidence intervals.
- The results from the initial study were obtained using the R package mediation.

## 3. Results

The mediation analysis results for the KITLG gene, comparing both methods, are shown in Figure 3.

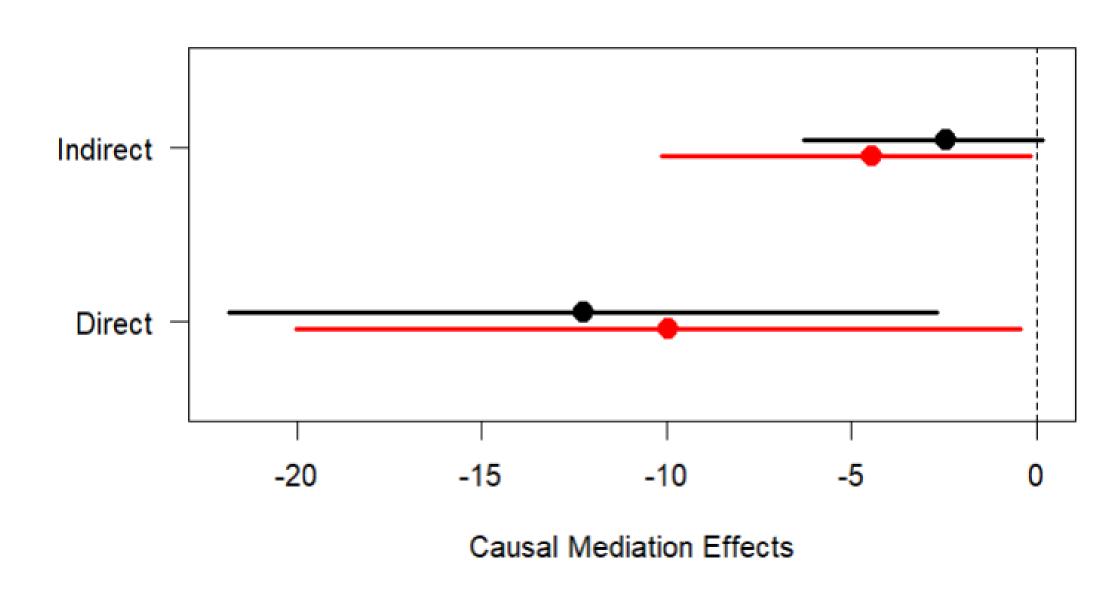


Figure 3. Causal mediation effects: comparison between our method (black) and initial study method (red)

• We found a proportion mediated by the KITLG gene of 16%, substantially lower than the 32% proportion mediated reported in the initial study.

## Conclusion

- Standard mediation analyses involving the *KITLG* gene are likely problematic due to potential violations of the no-unmeasured confounders of the mediator-outcome relationship in the SIA.
- Simple mediation analysis of the *KITLG* gene, including the two additional mediators is thought to have reduced the confounding effects.

# References

- [1] L. C. Houtepen, C. H. Vinkers, T. Carrillo-Roa, M. Hiemstra, P. A. Van Lier, W. Meeus, S. Branje, C. M. Heim, C. B. Nemeroff, J. Mill, et al. Genome-wide dna methylation levels and altered cortisol stress reactivity following childhood trauma in humans. *Nature communications*, 7(1):10967, 2016.
- [2] K. Imai, L. Keele, and T. Yamamoto. Identification, inference and sensitivity analysis for causal mediation effects. *Statistical Science*, 25(1):51 71, 2010.
- [3] A. Jérolon, L. Baglietto, E. Birmelé, F. Alarcon, and V. Perduca. Causal mediation analysis in presence of multiple mediators uncausally related. *The International Journal of Biostatistics*, 17(2):191–221, 2021.