

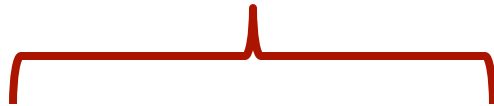
The Security of Address Space Layout Randomization (ASLR)

Address Space Layout Randomization (ASLR)

- Traditional exploits require attacker to know addresses
 - Stack-based buffer overflows: location of shell code
 - return-to-libc: Library addresses
- Problem: the attacker knows the program layout on vulnerable host
 - Stack addresses
 - Heap addresses
 - Addresses of libraries
 - etc
- Solution: randomize the addresses of these items

Memory

Base address a



Executable

- Code
- Uninitialized data
- Initialized Data

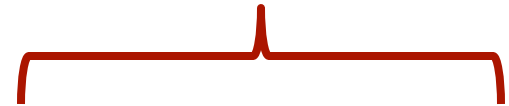
Base address b



Mapped

- Heap
- Dynamic libraries
- Thread stacks
- Shared memory

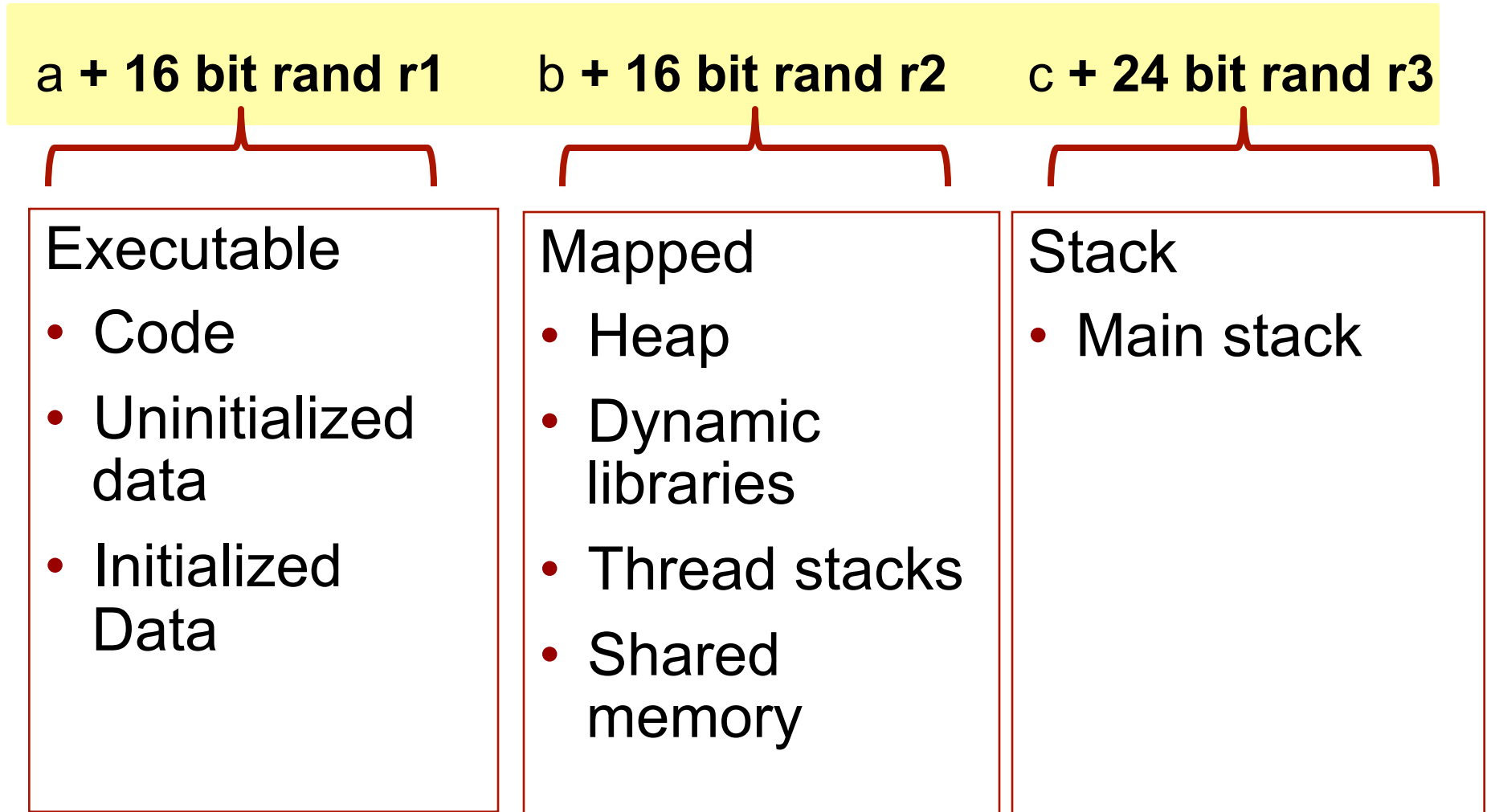
Base address c



Stack

- Main stack

ASLR Randomization



Benefits

- ✓ Does not require recompiling programs
- ✓ Transparent to safe applications
- ✓ No/little overhead

When to randomize?

1. When a process starts
 - Constant randomization for all child processes
 2. Periodically
 - After every fork, re-randomize child process
- Think about a web server

Security of ASLR

- Call an attempted attack with randomization guess x a probe
 - x is correct = Success = Root
 - Failure = detectable crash or no root
 - Assume 32-bit architecture, which works out to about 16 bits of randomness available for ASLR
- Scenario 1: A process is not randomized after each probe.
- Scenario 2: The address space is randomized after each probe.

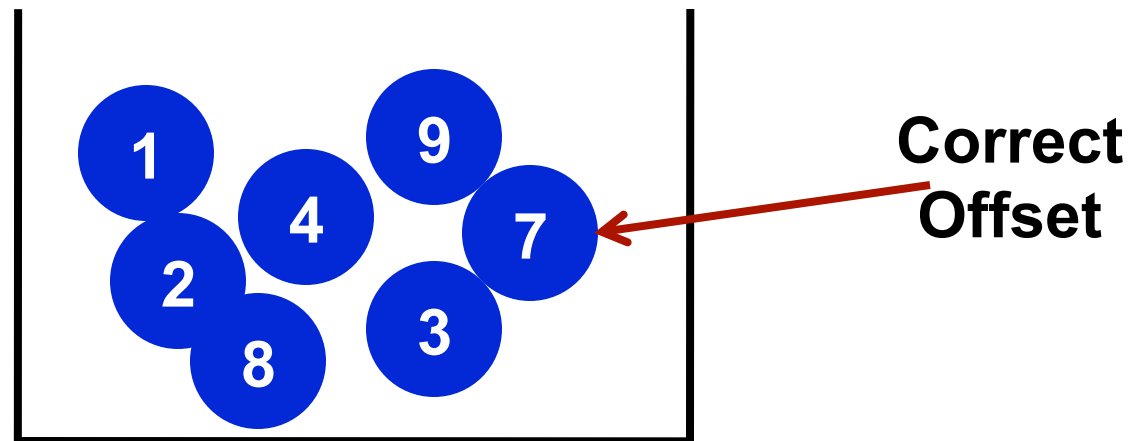
What is the expected number of probes to
hack the machine?

1. $\Pr[\text{Success on exactly trial } n]$?
2. $\Pr[\text{Success by trial } n]$?

Scenario 1:

Not Randomized After Each Probe

- Pretend that each possible offset is written on a ball.
- There are 2^{16} balls
- This scenario is like selecting balls ***without replacement*** until we get the ball with the randomization offset written on it.



$$\Pr[\text{Success on Exactly } n\text{th try}]$$

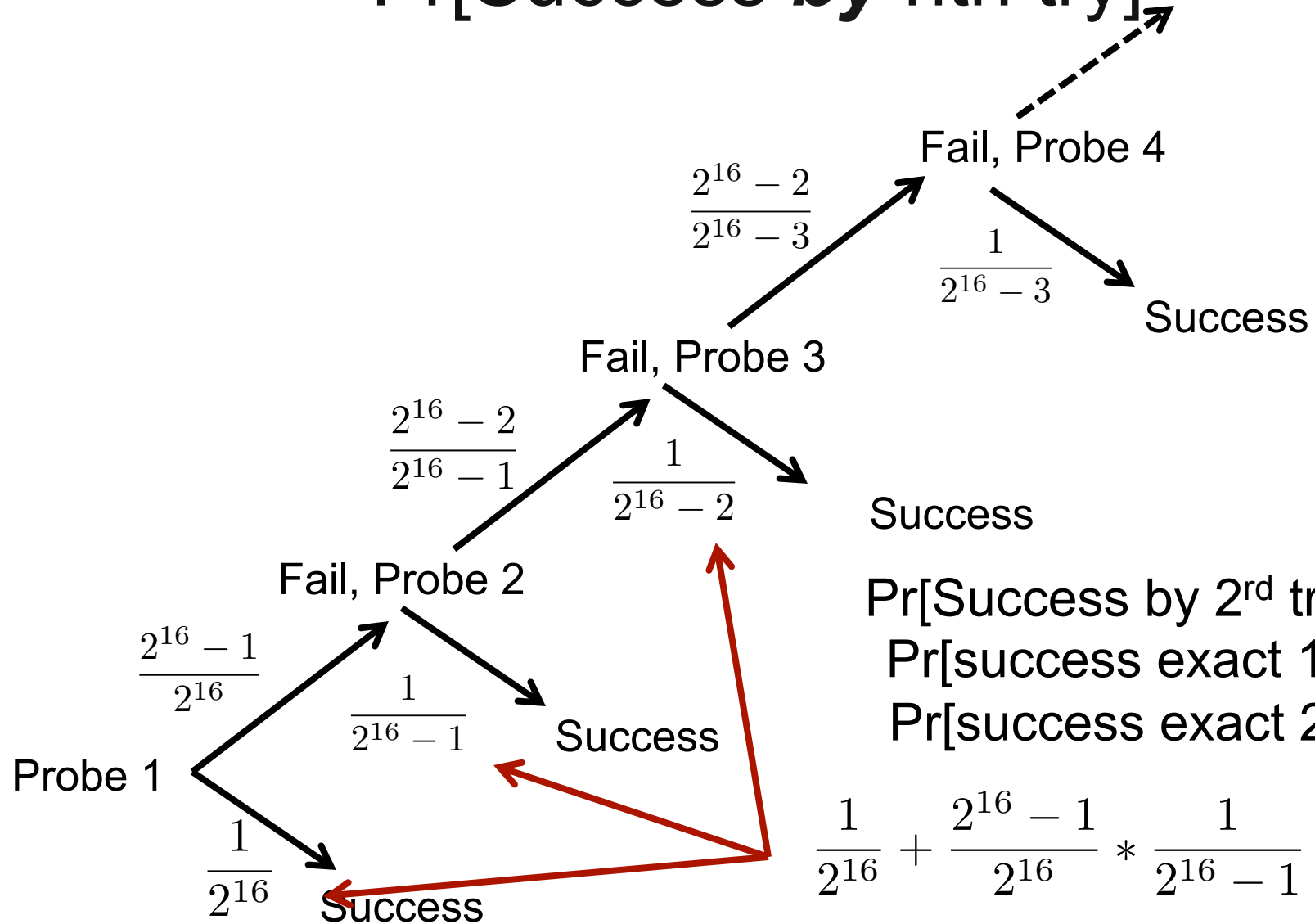

W/O Replacement:

Pr[Success on Exactly nth try]

$$\underbrace{\frac{2^{16} - 1}{2^{16}} * \frac{2^{16} - 2}{2^{16} - 1} * \dots * \frac{2^{16} - n - 1}{2^{16} - n}}_{\text{Fail the first } n-1 \text{ times}} * \frac{1}{2^{16} - n - 1} = \frac{1}{2^{16}}$$

Succeed on nth trial

W/O Replacement: Pr[Success *by* nth try]_↑



$$\begin{aligned} \Pr[\text{Success by 2}^{\text{rd}} \text{ try}] &= \\ &\Pr[\text{success exact 1}^{\text{st}}] + \\ &\Pr[\text{success exact 2}^{\text{nd}}] \\ \frac{1}{2^{16}} + \frac{2^{16} - 1}{2^{16}} * \frac{1}{2^{16} - 1} &= \frac{2}{2^{16}} \end{aligned}$$

W/O Replacement:

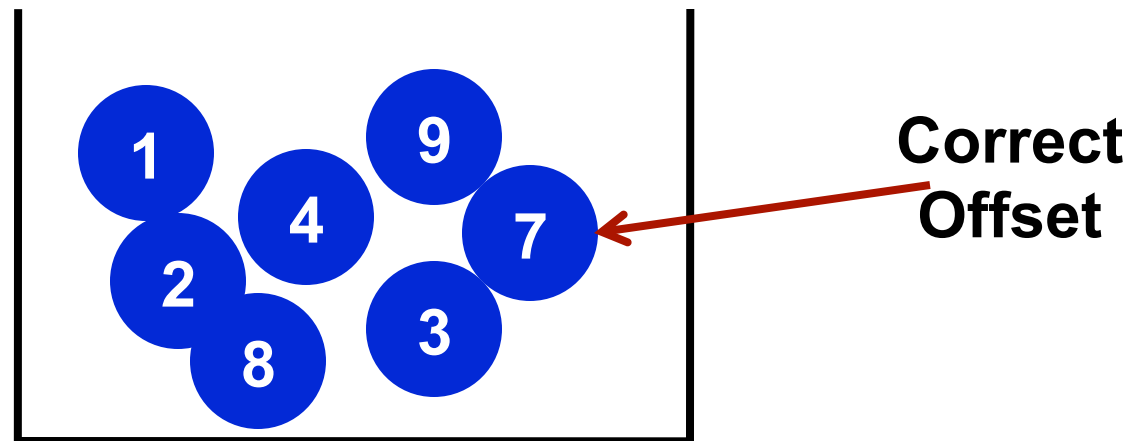
$$\Pr[\text{Success *by* nth try}] = \frac{n}{2^{16}}$$

What is the expected number of tries?

$$\begin{aligned}\text{Expectation : } \sum_{n=1}^{2^{16}} n * \frac{1}{2^{16}} &= \frac{1}{2^{16}} * \sum_{n=1}^{2^{16}} n \\ &= \frac{2^{16} + 1}{2} \approx 2^{n-1}\end{aligned}$$

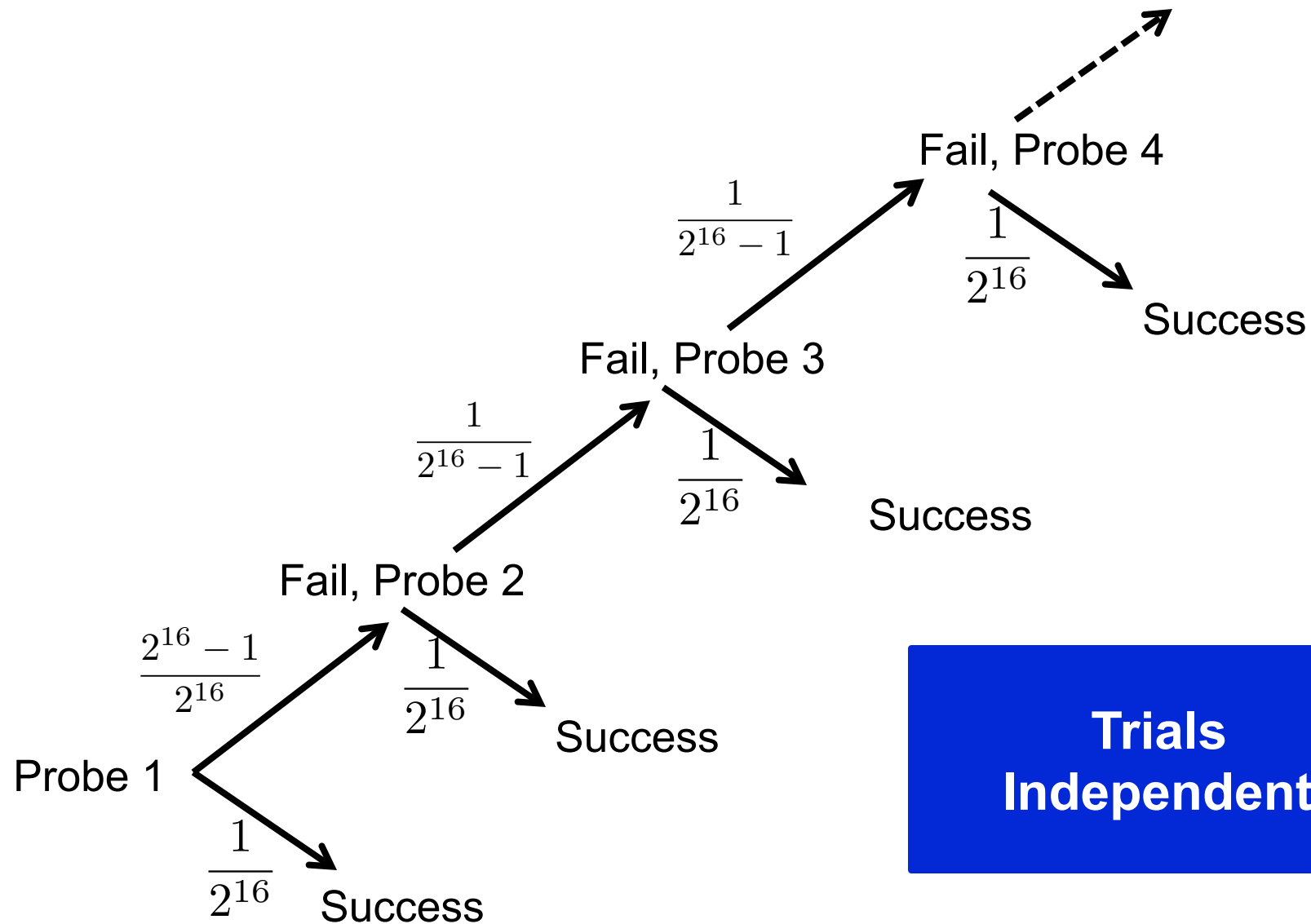
Scenario 2: Randomized After Each Probe

- Pretend that each possible offset is written on a ball.
- There are 2^{16} balls
- Re-randomizing is like selecting balls ***with replacement*** until we get the ball with the randomization offset written on it.



With Replacement

$\Pr[\text{Success on exactly } n\text{th try}]$



With Replacement:

$$\Pr[\text{Success } \textit{by} \text{ nth try}] = \frac{1}{2^{16}}$$

$$\text{Expected number of probes} = 2^{16}$$

Comparison

With Re-Randomization

Expected success in 2^{16}
probes

For n bits of randomness:
 2^n

Without Re-Randomization

Expected success in 2^{15}
probes

For n bits of randomness:
 2^{n-1}

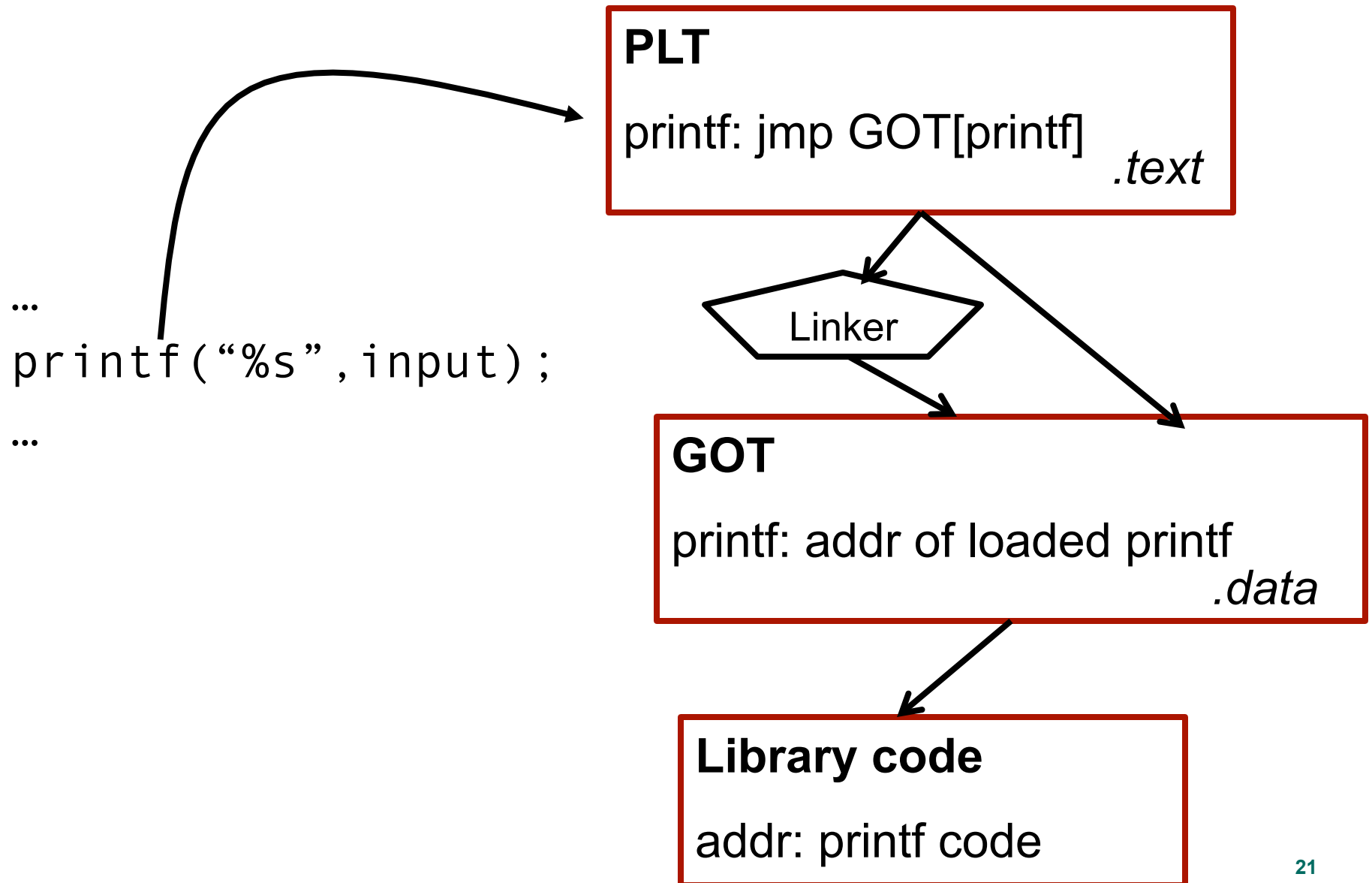
Re-Randomization gives 1 bit of security

More Information

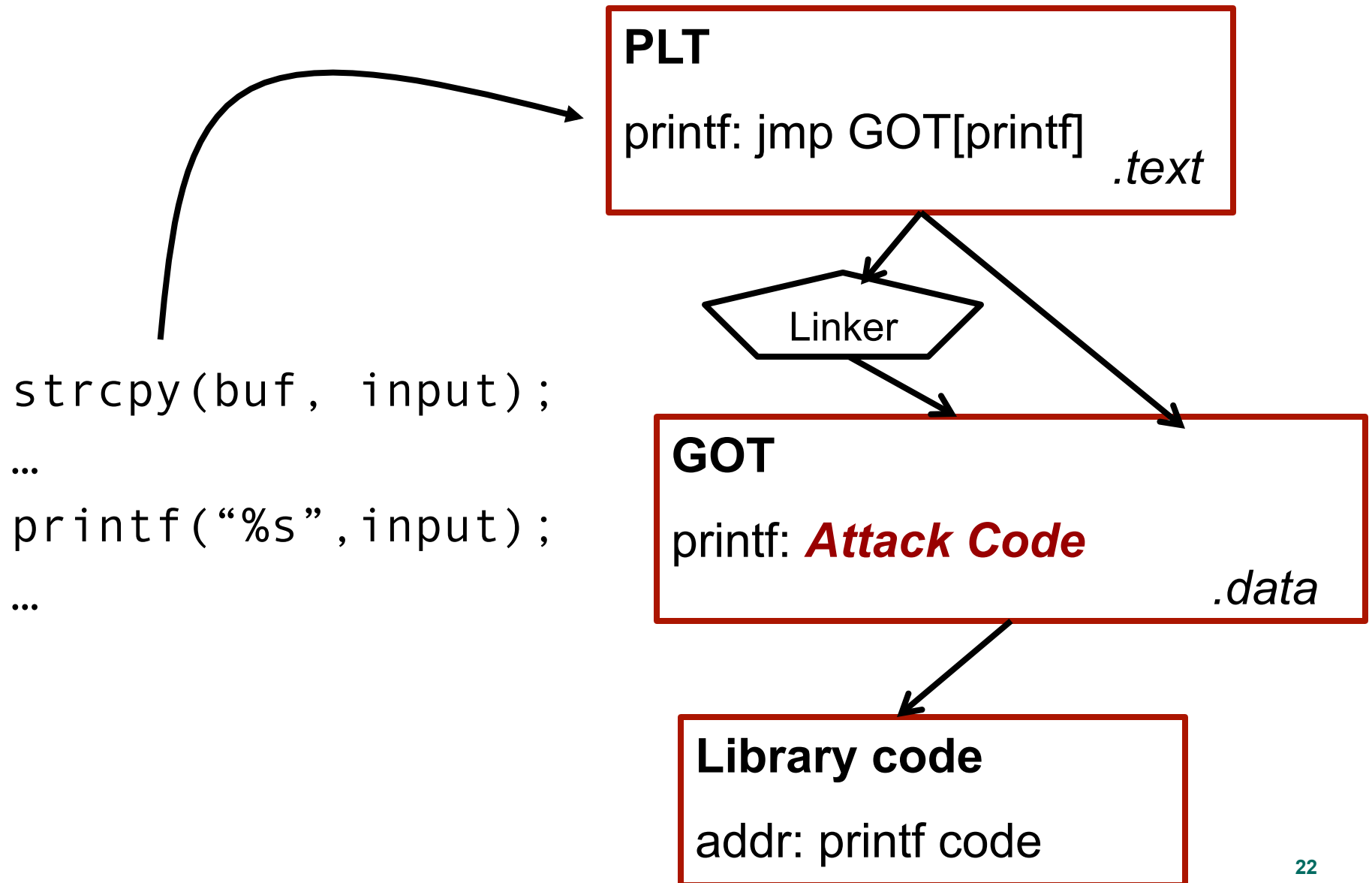
- “On the Effectiveness of Address-Space Randomization”
 - Shacham et al, at ACM CCS 2004
- “An Analysis of Address Space Layout Randomization on Windows Vista”
 - Ollie Whithouse, Symatec Research Whitepaper

Exploiting Non-Randomized Things

- Dynamically linked libraries are loaded at runtime. This is called *lazy binding*
- Two important data structures
 - Global Offset Table (GOT)
 - Procedure Linkage Table (PLT)



Exploiting Non-Randomized Things



Take Care