Extracting & Learning a Dependency-Enhanced Grammar for Dutch

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Goal & Themes

Goal

Design a Syntactic Framework for Semantic Compositionality Implement Computational Tools for Large-Scale Applicability

Core Themes

Formally Grounded (Typelogical Grammars, Parsing as Deduction, \dots) Pragmatic (Corpus-Driven, Probabilistic, \dots)

Overview

- Theory
 - Parsing as Deduction
- Practice
 - Grammar Extraction
 - Supertagging
 - Parsing

Parsing as Deduction

Intro: Categorial Grammars

- Lexicon \mathcal{L} : words o categories
- Categories defined by some inductive scheme
 - Atomic Categories: full phrases {NP, S, ...}
 - Complex Categories: fractionals {NP\S, NP\(S/NP), ...}
- Category Interactions: Combination Rules
- Parsing: Rule Application

Intro: Typelogical Grammars

- Lexicon \mathcal{L} : words \rightarrow types
- Types defined by some inductive scheme
 - Atomic Types: full phrases {NP, S, ...}
 - Complex Types: fractionals $\{NP \setminus S, NP \setminus (S/NP), \dots\}_{s}$
- Type Interactions: Logical Rules
- Parsing: Proof Search

Blast from the Past: Lambek Calculus

$$\mathcal{L} := \mathsf{ducks} : \mathsf{NP}, \qquad \frac{\Gamma \vdash B/A \quad \Delta \vdash A}{\Gamma, \Delta \vdash B} \qquad \frac{\Delta \vdash A \quad \Gamma \vdash A \backslash B}{\Delta, \Gamma \vdash B}$$
 fish :
$$\mathsf{NP}, \qquad (/E) \qquad (\backslash E)$$
 fly :
$$\mathsf{NP} \backslash S, \qquad \qquad \mathsf{eat} : \mathsf{NP} \backslash (S/\mathsf{NP}), \qquad \frac{\Gamma, A \vdash B}{\Gamma \vdash B/A} \qquad \frac{A, \Gamma \vdash B}{\Gamma \vdash A \backslash B}$$
 majestically :
$$(\mathsf{NP} \backslash S) \backslash (\mathsf{NP} \backslash S) \qquad (/I) \qquad (\backslash I)$$

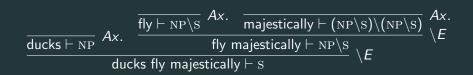
Flying Ducks

ducks fly majestically $\vdash s$

Flying Ducks

 $\frac{\overline{\mathsf{ducks}} \vdash \overline{\mathsf{NP}} \quad Ax.}{\mathsf{ducks} \; \mathsf{fly} \; \mathsf{majestically} \vdash \overline{\mathsf{NP}} \setminus \mathsf{E}} \setminus \mathsf{E}$

Flying Ducks



ducks eat fish $\vdash s$

$$\frac{\mathsf{ducks}\;\mathsf{eat} \vdash \mathsf{s/NP}}{\mathsf{ducks}\;\mathsf{eat}\;\mathsf{fish} \vdash \mathsf{s}} \stackrel{\mathsf{Ax.}}{\not E}$$

$$\frac{\mathsf{ducks}\;\mathsf{eat} \vdash \mathsf{s/NP}}{\mathsf{ducks}\;\mathsf{eat}\;\mathsf{fish} \vdash \mathsf{s}} \stackrel{\mathsf{Ax.}}{\not E}$$

$$\frac{\overline{\operatorname{ducks} \vdash \operatorname{NP}} \ Ax. \quad \overline{\operatorname{eat} \vdash \operatorname{NP} \backslash (\operatorname{S/NP})} \ Ax.}{\underline{\operatorname{ducks} \ eat} \vdash \operatorname{S/NP} \ \operatorname{ducks} \ eat} \ F \xrightarrow{fish} \ Ax.} Ax.$$

Directionality & Lexical Ambiguity

```
\begin{split} \mathcal{L} := \mathsf{eten}_1 : \mathrm{NP} \backslash (\mathrm{S/NP}), & \mathsf{eenden} \; \mathsf{eten}_1 \; \mathsf{vis} \; (\mathsf{SVO}) \\ & \mathsf{eten}_2 : (\mathrm{S/NP}) / \mathrm{NP} & \mathsf{eten}_2 \; \mathsf{eenden} \; \mathsf{vis}? \; (\mathsf{VSO}) \\ & \mathsf{eten}_{3,4} : \mathrm{NP} \backslash (\mathrm{NP} \backslash \mathrm{S}), & \mathsf{eenden} \; \mathsf{die} \; \mathsf{vis} \; \mathsf{eten}_{3,4} \; (\mathsf{SOV} \; / \; \mathsf{OSV}) \end{split}
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Directionality & Lexical Ambiguity

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Can we abstract directionality away?

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Yes: Multiplicative Intuionistic Linear Logic (ACG, LP ...)

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Types:

$$T := A \mid T_1 \rightarrow T_2$$

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$$T := A \mid T_1 \rightarrow T_2$$

Logical Rules:

$$\frac{\Gamma \vdash A \to B \quad \Delta \vdash A}{\Gamma, \Delta \vdash B} \quad (\to E) \qquad \frac{\Gamma, A \vdash B}{\Gamma \vdash A \to B} \qquad (\to I)$$

MILL - The Good (1): Syntax-Semantics Interface

Curry-Howard Correspondence:

 $\mathsf{MILL} \equiv \mathsf{Simply}$ -typed Linear λ -calculus

MILL - The Good (1): Syntax-Semantics Interface

Curry-Howard Correspondence:

$$\mathsf{MILL} \equiv \mathsf{Simply}\text{-typed Linear } \lambda\text{-calculus}$$

$$\frac{\Gamma: f \vdash A \to B \quad \Delta: x \vdash A}{\Gamma, \Delta \vdash f(x): B} \qquad \frac{\Gamma, x: A \vdash u: B}{\Gamma \vdash \lambda x. u: A \to B}$$



MILL: The good (2): Lesser Lexical Ambiguity

$$\begin{split} \mathcal{L} := \mathsf{eten}_1 : \mathrm{NP} \backslash \big(\mathrm{S/NP} \big), \\ & \mathsf{eten}_2 : \big(\mathrm{S/NP} \big) / \mathrm{NP} \\ & \mathsf{eten}_{3,4} : \mathrm{NP} \backslash \big(\mathrm{NP} \backslash \mathrm{S} \big), \end{split}$$

MILL: The good (2): Lesser Lexical Ambiguity

$$\mathcal{L} := \mathsf{eten}_1 : \mathsf{NP} \setminus (\mathsf{S/NP}),$$

$$\mathsf{eten}_2 : (\mathsf{S/NP}) / \mathsf{NP}$$

$$\mathsf{eten}_{3,4} : \mathsf{NP} \setminus (\mathsf{NP} \setminus \mathsf{S}),$$

$$\mathcal{L}' := \mathsf{eten}_{1,2,3,4} : \mathtt{NP} \to \mathtt{NP} \to \mathtt{S}$$

MILL - The Bad: Structural Ambiguity

Dependency Decorations

Replace \rightarrow with dependency-decorated variants:

$$\left\{ \overset{\text{su}}{\longrightarrow}, \overset{\text{obj}}{\longrightarrow}, \overset{\text{predc mod}}{\longrightarrow}, \dots \right\}$$
 eten : NP $\overset{\text{su}}{\longrightarrow}$ NP $\overset{\text{obj}}{\longrightarrow}$ S

Dependency Decorations

Replace \rightarrow with dependency-decorated variants:

$$\begin{array}{l} \{ \overset{\text{su}}{\longrightarrow}, \overset{\text{obj}}{\longrightarrow}, \overset{\text{predc}}{\longrightarrow}, \overset{\text{mod}}{\longrightarrow}, \dots \} \\ \\ \text{eten} : \operatorname{NP} \overset{\text{su}}{\longrightarrow} \operatorname{NP} \overset{\text{obj}}{\longrightarrow} \operatorname{S} \end{array}$$

Lexical preferences + decorations \implies reduced ambiguity

Dependency Decorations

Replace \rightarrow with dependency-decorated variants:

$$\left\{ \overset{\text{su}}{\longrightarrow}, \overset{\text{obj}}{\longrightarrow}, \overset{\text{predc}}{\longrightarrow}, \overset{\text{mod}}{\longrightarrow}, \dots \right\}$$
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Lexical preferences + decorations ⇒ reduced ambiguity

Formally:

Unary modality \lozenge^d for $d \in \{$ su, obj, predc, mod, $\dots \}$

$$\frac{\Gamma \vdash A}{\langle \Gamma \rangle^d \vdash \diamondsuit^d A} \qquad (\diamondsuit^d I) \qquad \frac{\Delta \vdash \diamondsuit^d A \quad \Gamma[\langle A \rangle^d] \vdash B}{\Gamma[\Delta] \vdash B} \qquad (\diamondsuit^d E)$$

Extraction

Extraction: Intro

Goal

Syntactically-Annotated Corpus \rightarrow Type Lexicon

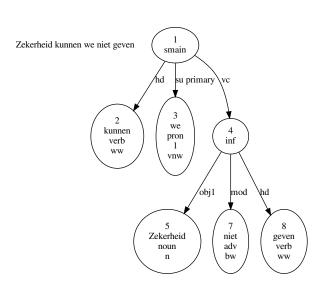
Extraction: Intro

Syntactically-Annotated Corpus \rightarrow Type Lexicon

Corpus

```
 \text{Lassy-Small:} \begin{cases} 65\,000 \; \text{Sentences (in DAG form)} \\ 1\,000\,000 \; \text{Words} \\ \sim 30 \; \text{Dependency Labels} \\ \sim 30 \; \text{POS \& Phrasal Category Tags} \end{cases}
```

Extraction: Example (1)



Extraction: Parameters

Parameters

- Translation Tables
 - Atomic Types: POS & Phrasal Category Tags
 {np: NP, vnw: VNW, ...}
 - Implications: Dependency Labels $\{su: \stackrel{\text{su}}{\longrightarrow}, obj: \stackrel{\text{obj}}{\longrightarrow}, \dots \}$
- Head Dependencies {hd, rhd, whd, crd, cmp}
- Modifier Dependencies {mod, app, predm}

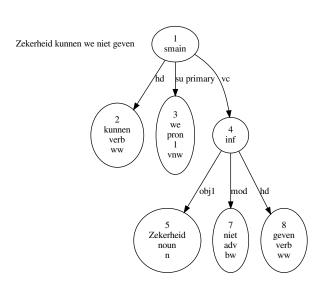
Extraction: Algorithm

General Idea

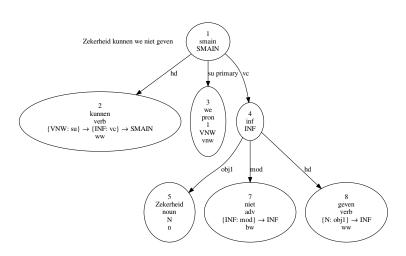
For each branch

- Find phrasal head, dependants, modifiers
- Collect & arrange dependant types
- Type head as a functor from argument types to parent type
- Type modifiers as morphisms from parent type to itself

Extraction: Example (1)



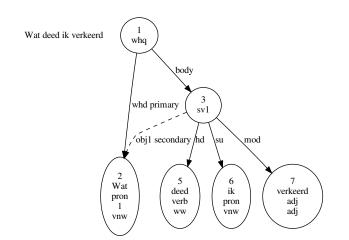
Extraction: Example (1)



Extraction: Example (2)

Hypothetical Reasoning

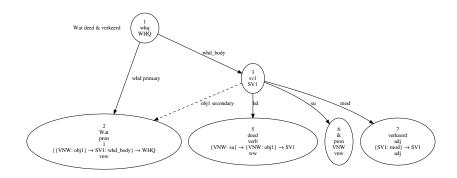
When type assigning arguments, consider internal "gaps"



Extraction: Example (2)

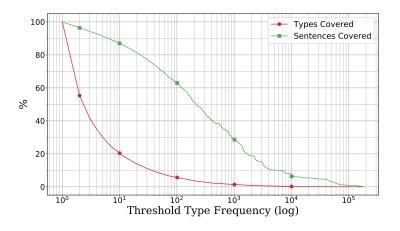
Hypothetical Reasoning

When type assigning arguments, consider internal "gaps"

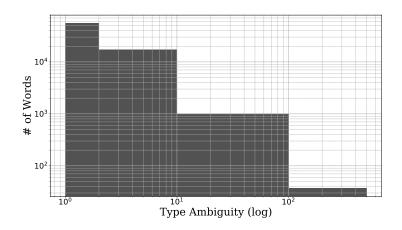


Extraction: Results (1)

 \sim 5 700 unique types



Extraction: Results (2)



Supertagging

Sequence Classification

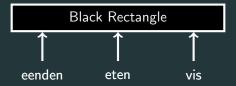
Sequence Classification

Given input data sequence (word vectors) predict a class for each sequence item (types)

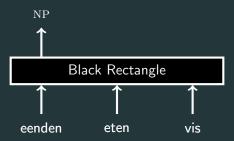
Black Rectangle

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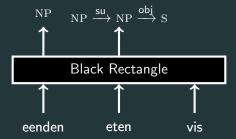
Sequence Classification



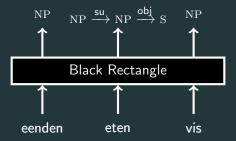
Sequence Classification



Sequence Classification



Sequence Classification



The Problem

Can't predict unseen types

Bad at predicting rare types

Supertagging: An Alternative

Type Syntax

A CFG of two meta-rules

$$\{(S \implies A) \ \forall \ A \in \mathcal{A}\}$$
$$\{(S \implies S \stackrel{\mathsf{d}}{\longrightarrow} S) \ \forall \ d \in \mathcal{D}\}$$

Supertagging: An Alternative

Type Syntax

A CFG of two meta-rules

$$\{(S \implies A) \ \forall \ A \in \mathcal{A}\}$$
$$\{(S \implies S \xrightarrow{d} S) \ \forall \ d \in \mathcal{D}\}$$

CFGs: learnable

Supertagging: learnable

Supertagging: An Alternative

Type Syntax

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$$\{(S \implies A) \ \forall \ A \in \mathcal{A}\}$$
$$\{(S \implies S \xrightarrow{d} S) \ \forall \ d \in \mathcal{D}\}$$

CFGs: learnable

Supertagging: learnable

CFG embedded within supertagging: learnable..?

..if so, unbounded co-domain supertagging

Reformulation

Reformulation

Given input data sequence (word vectors) generate an output sequence (atomic types & binary connectives)

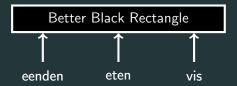
Better Black Rectangle

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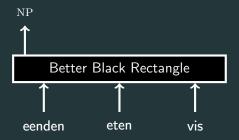
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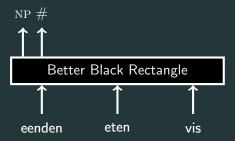
Reformulation



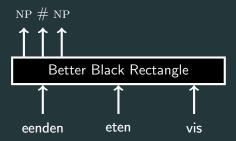
Reformulation



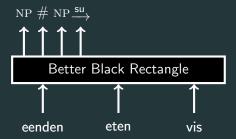
Reformulation



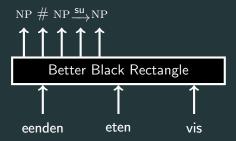
Reformulation



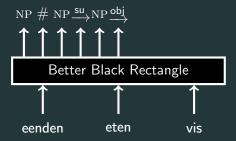
Reformulation



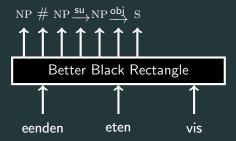
Reformulation



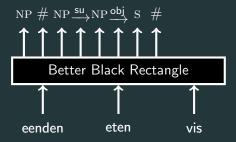
Reformulation



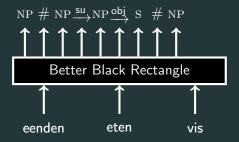
Reformulation



Reformulation



Reformulation



Requirements

- Global Receptive Field (long-distance dependencies)
- Auto-Regressive (output conditional on prior output)

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Options

• RNN encoder-decoder

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Options

- RNN encoder-decoder Fixed-length compression
- RNN encoder-separable decoder

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Options

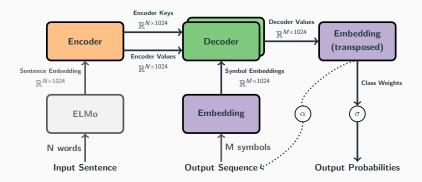
- RNN encoder-decoder Fixed-length compression
- RNN encoder-separable decoder Only locally auto-regressive
- Self-Attentive encoder-decoder

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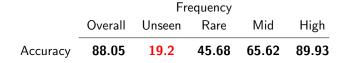
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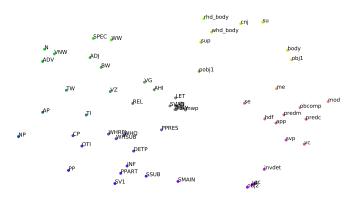
Options

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- Self-Attentive encoder-decoder √



Supertagging: Evaluation





Parsing

Parsing: Intro

Goal

From abstract syntax to surface syntax $% \left(x\right) =\left(x\right) +\left(x\right) +\left($

Parsing: Intro

Goal

From abstract syntax to surface syntax

$Parse \equiv Proof$

How can we efficiently navigate the proof space?

Parsing: General Framework

Parse State

A logical judgement

Word associations for (some) premises

A lookahead containing last rule applied

Algorithm

Given a parse state

- 1 Decide between introduction and elimination
- 2 Perform either
- 3 Update state(s)
- 4 Repeat

Parsing: Elimination

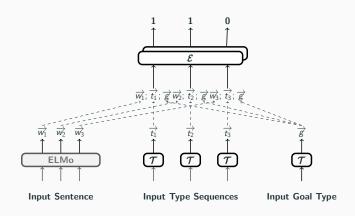
Given a sequence of word & type pairs Split into two disjoint sequences..

Parsing: Elimination

Given a sequence of word & type pairs

Split into two disjoint sequences..

..by assigning each item one of two labels



Model	Full	Full-g	Full-g-t	Full-g-w
Accuracy (%)	97.15	95.3	87.77	94.2

Conclusion

Present & Future

Summary

Fine-tuning between lexical & structural ambiguitiy

Corpus-driven lexicon

Constructive supertagging

Preliminary parsing experiments

Next Steps

Parsing higher-order types & coordination

Supertagging & Parsing Integration

Semantic Interpretations . . .

El Fin

$$\frac{\frac{}{\mathsf{thank} \vdash \lozenge^{obj} \mathsf{VNW} \to \mathsf{S}} \mathsf{Ax.} \quad \frac{\frac{}{\mathsf{you} \vdash \mathsf{VNW}} \mathsf{Ax.}}{\langle \mathsf{you} \rangle^{obj} \vdash \lozenge^{obj} \mathsf{VNW}} \stackrel{\diamondsuit^{obj} \mathsf{I}}{\to} \mathsf{E}}{\mathsf{thank}, \langle \mathsf{you} \rangle^{obj} \vdash \mathsf{S}}$$