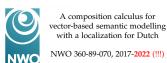
Geometry-Aware Supertagging with Heterogeneous Dynamic Convolutions

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CLIN 32, June 2022, Tilburg





what are they?

A family of syntactic formalisms; each instance consists of:

- a lexicon
 a map assigning categories to words: (quasi-)logical formulas (or ADTs)
- a small set of inference rules
 ways to combine and reduce expressions based on their categories

Many variations: TLG, ACG, CCG, ... (*CG)

common points

- ► Lexicalized words come packed with their combinatorics
- ► Formal proximal to logics, type theory & functional programming
- Transparent neat syntax-semantics interface

Many variations: TLG, ACG, CCG, ... (*CG)

divergences

different background logics ⇒

- different linguistic aspects captured
 e.g. surface order, non-local syntax, dependency relations
- ► different parsing complexity
- different computational semantics
- ▶ ...

but! the parsing pipeline is always the same given an input sentence:

- 1. Assign a category to each word
- 2. Build the syntactic derivation bottom-up
- 3. ???
- 4. Profit



Supertagging: the task

For some input sentence $w_1, \dots w_n$ find the category assignment $c_1, \dots c_n$ s.t.

$$argmax_{(c_1,...c_n)} p(c_1,...c_n | w_1,...w_n)^*$$

Supertagging: the task

For some input sentence $w_1, \dots w_n$ find the category assignment $c_1, \dots c_n$ s.t.

$$argmax_{(c_1,\ldots,c_n)} p(c_1,\ldots c_n \mid w_1,\ldots w_n)^*$$

 $build\ the\ best\ statistical\ model\ possible\ given\ current\ technology\ and\ available\ data$

^{*}In practice:

$$p(c_1,\ldots c_n\mid w_1,\ldots w_n)\approx$$

- $\prod_{i}^{n} (c_i \mid w_i)$ co-occurrence-based statistical models (90s)
- $\prod_{i}^{n} (c_{i} \mid w_{i-\kappa} \dots w_{i+\kappa})$ window-based n-gram models (00s), feed-forward networks (early 10s)
- $\prod_{i=1}^{n} (c_i \mid w_1, \dots w_n)$ sequence encoders (mid 10s)
- $\prod_{i=1}^{n} (c_i \mid c_1, \dots c_{i-1}, w_1, \dots w_n)$ seq2seq (late 10s)



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in sum

- domain generalization
- wider receptive field
- what about the co-domain?

Intermezzo: the curse(?) of sparsity

The majority of unique categories in common datasets are rare

the "fix": ignore rare categories

- ► small penalty in accuracy
- less so for coverage..
- ► meta: sparse grammars = bad

the fix: decompose categories & build them up during decoding

- 4 unlimited power generalization
- ▶ meta: sparse grammars = ok

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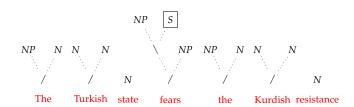
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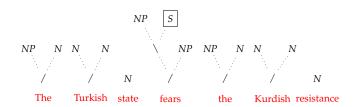
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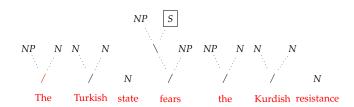
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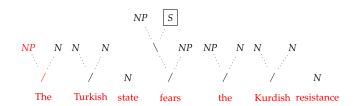
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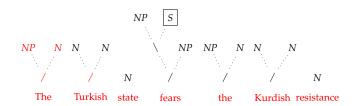
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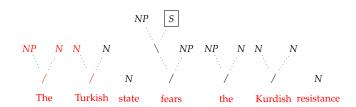
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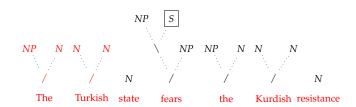
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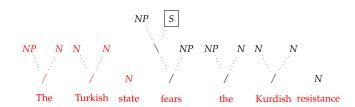
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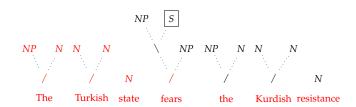
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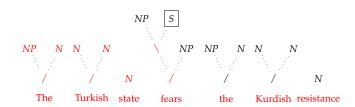
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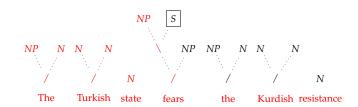
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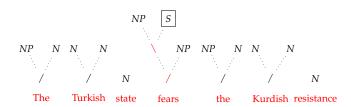
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in sum

output structure	sequence-like	tree-like		
context	© global	⊚ local		
complexity	quadratic	© constant		
treeness	② implicit, learned	© explicit, captured		
sequenceness	misaligned	ignored		

neither sequence nor tree but sequence of trees

$$p(\sigma_1, \dots \sigma_m \mid w_1, \dots w_n) \approx \prod_i^m (\sigma_i \mid \sigma_i : \text{depth}(\sigma_i) < \text{depth}(\sigma_i), w_1, \dots w_n)$$



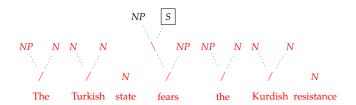
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Implementation: dynamic graph convolutions

1 decoding step per tree depth; 3 message-passing rounds per step

- ► contextualize: states → states universal transformer encoder w/ relative weights (many-to-many, update states with neighborhood context)
- ▶ predict: state → nodes token classification w/ dynamic tree embeddings (one-to-many, predict fringe nodes from current state)
- feedback: nodes → state
 heterogeneous graph attention
 (many-to-one, update state with last predicted nodes)

Table with numbers

accuracy (%)

model	overall	frequent	uncommon	rare	unseen	
CCGbank (Combinatory Categorial Grammar, en)						
Sequential RNN	95.10	95.48	65.76	26.02	0.00	
Tree Recursive	96.09	96.44	68.10	37.40	3.03	
Attentive Convolutions	96.25	96.64	71.04	-	-	
this work	96.29	96.61	72.06	34.45	4.55	
CCGrebank (ditto, improved version)						
Sequential RNN	94.44	94.93	66.90	27.41	1.23	
Tree Recursive	94.70	95.11	68.86	36.76	4.94	
this work	95.07	95.45	71.40	37.19	3.70	
TLGBank (Lambek calculus & control modalities, fr)						
ELMo LSTM	93.20	95.10	75.19	25.85	-	
this work	95.93	96.40	81.48	55.37	7.26	
Æthel (van Benthem calculus & dependency modalities, nl)						
Sequential Transformer	83.67	84.55	64.70	50.58	24.55	
this work	93.67	94.72	73.45	53.83	15.78	

What of it

model

- © global context
- © constant decoding
- © input/output alignment
- © explicit tree structures

sparsity.. a friend?

- ightharpoonup more rare cats \Longrightarrow better acquisition of rare cats
- cascading effect on performance

todo

- beam search: open problem
- parser integration

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thanks!

arXiv (includes: mathy equations, more and bigger tables!) abs/2203.12235

github (includes: mostly working code! be the first to star!) konstantinosKokos/dynamic-graph-supertagging

Boycott EMNLP'22