

Typed Supertags and Semantic Parses for Dutch

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Overview

- λ Type-Logical Grammars *why types?*
- λ Type System *how types?*
- λ Type Lexicon
- λ Semantic Parses
- λ Usecases

Type-Logical Grammars

Idea

Words assigned *formulas*, parsing a process of *deduction*.

Syntax

Structural Well-Formedness \equiv Formal Derivability

Curry-Howard Isomorphism

Propositions \equiv Types

Proofs \equiv Functional Programs

Syntax-Semantics Interface

Parse \equiv Proof \equiv Computational Terms

Type System (1/2)

IILL

$$\mathcal{T} := A \mid T_1 \multimap T_2$$

$A \in \mathcal{A} \quad :: \quad$ Atoms denoting complete phrases

N, NP, S, \dots

$T_1 \multimap T_2 \quad :: \quad$ Linear functor from T_1 to T_2

$NP \multimap S, NP \multimap NP, NP \multimap NP \multimap S, (NP \multimap NP) \multimap (NP \multimap NP)$

$$\frac{\Gamma \vdash M : A \multimap B \quad \Delta \vdash N : A}{\Gamma, \Delta \vdash (M \ N) : B} E$$

$$\frac{\Gamma, x : A \vdash M : B}{\Gamma \vdash \lambda x. M : A \multimap B} I$$

Modal Decoration Refinement

$$\mathcal{T} := A \mid T_1 \multimap T_2 \mid \diamond^d T_1 \multimap T_2 \mid \square^d T_1 \multimap T_2$$

$d \in \mathcal{D} \quad :: \quad$ Dependency relations

subj, dobj, mod, body ...

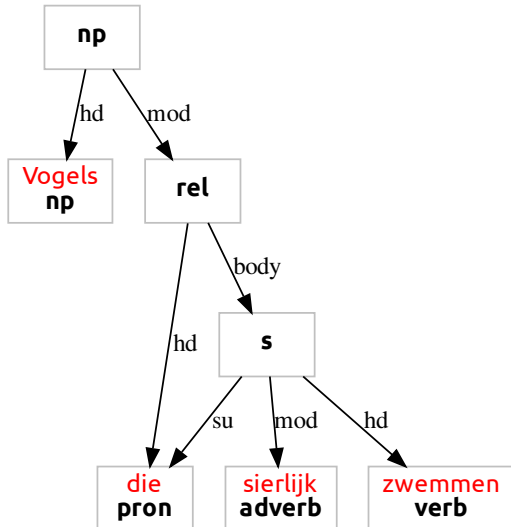
$\diamond^d T_1 \multimap T_2 \quad :: \quad$.. selecting complement T_1 under dependency domain d

$\diamond^{subj} NP \multimap S, \diamond^{dobj} NP \multimap \diamond^{subj} NP \multimap S, \dots$

$\square^d T_1 \multimap T_2 \quad :: \quad$.. transforming T_1 by projecting dependency d

$\square^{det} N \multimap NP, \square^{mod} (\square^{mod} NP \multimap NP) \multimap \square^{mod} NP \multimap NP$

Ducks, in Alpino



Ducks, Proven

$$\begin{array}{c}
\frac{\frac{\frac{\frac{}{\diamond^{subj} NP \vdash \diamond^{subj} NP} Ax}{\diamond^{subj} NP \vdash \diamond^{subj} NP} Ax}{\diamond^{subj} NP \vdash \diamond^{subj} NP} Ax \quad \frac{\frac{\frac{}{\diamond^{subj} NP \multimap S} Ax}{\diamond^{subj} NP \multimap S} Ax}{\diamond^{subj} NP, zwemmen \vdash S} E \quad \frac{sierlijk}{\Box^{mod} S \multimap S} Ax}{\diamond^{subj} NP, sierlijk zwemmen \vdash S} E \\
\frac{\frac{\frac{}{\diamond^{body} (\diamond^{subj} NP \multimap S) \multimap \Box^{mod} NP \multimap NP} Ax}{\diamond^{body} (\diamond^{subj} NP \multimap S) \multimap \Box^{mod} NP \multimap NP} Ax}{\diamond^{body} (\diamond^{subj} NP \multimap S) \multimap \Box^{mod} NP \multimap NP} Ax \quad \frac{\frac{\diamond^{subj} NP, sierlijk zwemmen \vdash S}{sierlijk zwemmen \vdash \diamond^{subj} NP \multimap S} I}{sierlijk zwemmen \vdash \diamond^{subj} NP \multimap S} E \\
\frac{\frac{vogels}{NP} Ax \quad \frac{die \quad sierlijk zwemmen \vdash \Box^{mod} NP \multimap NP}{die \quad sierlijk zwemmen \vdash \Box^{mod} NP \multimap NP} E}{vogels \langle die \langle \langle sierlijk \rangle^{mod} zwemmen \rangle^{body} \rangle^{mod} \vdash S} E
\end{array}$$

die($\lambda x. (\text{sierlijk } (\text{zwemmen } x))$) vogels

Extraction

From Lassy Parses to ILL Types & Theorems

arxiv: abs/1912.12635

Resources

1 Type Lexicon: Word \rightarrow Type Distribution

2 Proofs: Lassy DAG \rightarrow ILL Proof

$\sim 97\%$ coverage

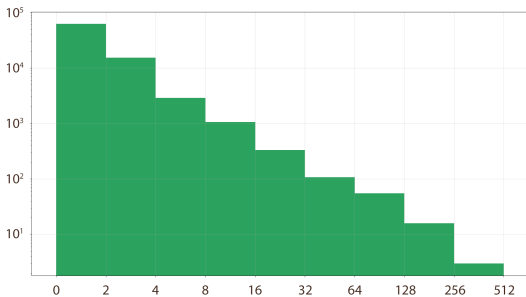
Wikipedia subset publicly available at

github.com/konstantinosKokos/aethel-public

ÆTHEL: Lexicon

Stats

- ~900 000 word & type pairs
- 81 730 unique words
- 5 771 unique semantic types



Lexical Type Ambiguity
Histogram
(\log_{10} - \log_2)

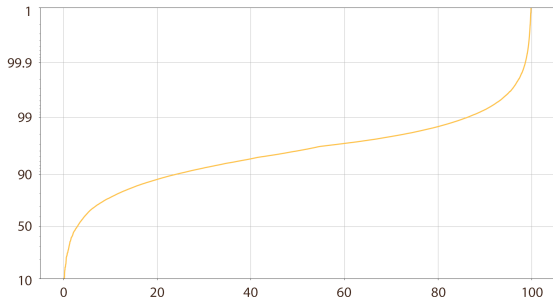
ÆTHEL: Proofs

Formats

- N.D. Proofs
- S.S. Proofs
- Linear Proofnets
- λ -terms

Stats

- 65 020 Lassy DAGs
- 72 263 IILL Proofs



Proof coverage w.r.t.
most frequent types
(*logit-linear*)

Usecases & Applications

- Supertagging with no type lexicon

arxiv: [abs/1905.13418](https://arxiv.org/abs/1905.13418)

- Parsing with type hints
- Type-aware language modeling
- Text to λ -term translation
- Semantic Compositionality
- ...?