# **Learning High-Order Word Representations**

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#### **Outline**

Motivation

Supervised Learning

Dataset

Intermediate Representations

Transferring Knowledge

Evaluation

Conclusion

Bag of Tricks

# Motivation

#### **DisCoCat**

Idea: structure-preserving map  ${\cal F}$ 

$$\mathcal{F}:\mathcal{G} \to \textbf{FdVect}$$

- Atomic types translated to vectors (order-one tensors)
- Complex types translated to (multi-)linear maps (higher order tensors)

- · Bridging of formal & distributional semantics
- Syntax-informed meaning derivations
- Modeling of functional words
- Formal treatment of ambiguous words
- Richer representations

:

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- ? How to obtain word representations?

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#### Possible options:

1. Co-occurrence statistics

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#### **Problem Statement**

Examine whether supervised learning can be used to find higher-order word representations (transitive verbs)

**Supervised Learning** 

#### Overview

- Search over set of functions  $A \rightarrow B$  parameterized over P
- Find optimal approximation  $\hat{f}_P$  to  $f: A \to B$
- Use samples  $(a, f(a)) \in A \times B$  to update P

# **Supervised Learning**

**Dataset** 

# **Finding Data**

#### Sample space must be:

- · Labeled
- · constrained
- · of large size
- of high quality

## **Paraphrase Database**

Raw text paraphrase pairs

#### **Example pair**

proposed by the president  $\sim$  suggested by the chairman

- Labeled ✓
- constrained X (different syntactic types)
- of large size √
- · of high quality?

# **Dataset: Preprocessing**

- 1. Parse and filter by type (transitive verb case)
  - Labeled ✓
  - constrained √
  - of large size ✗ (>95% loss)
  - of high quality X (parser-induced errors)

# Dataset: Preprocessing

#### 2. Back-translation

- Labeled ✓
- constrained √
- of large size √
- of high quality X (translation-induced errors)

# **Dataset: Preprocessing**

## 3. Filter by co-occurrence / mutual information

- Labeled ✓
- constrained √
- of large size √
- of high quality?

#### **Dataset: End Result**

Verb / object dictionaries:

$$V: \{v_1: 1, v_2: 2, ..., v_N: N\}$$
  
 $\mathcal{O}: \{o_1: 1, o_2: 2, ..., o_M: M\}$ 

Paraphrase relation:

$$\mathcal{P}: \mathbb{N} \times \mathbb{N} \times \mathbb{N} \times \mathbb{N} \to \{0,1\} \qquad \text{(binary classification)}$$

$$\mathcal{P}(i,j,k,l) = \mathcal{P}(k,l,i,j) = \begin{cases} 1 & v_i o_j \sim v_k o_l \\ 0 & \text{otherwise} \end{cases}$$

# Supervised Learning

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**Intermediate Representations** 

# **Objective Function**

Our semantic interpretations are:

- Actions:  $[a] = \mathbb{R}^A$
- Objects:  $\lceil np \rceil = \mathbb{R}^{NP}$
- Transitive Verbs:  $\lceil a/np \rceil = \mathbb{R}^{A \times NP}$

And our objective is to learn a verb embedding function  $\varepsilon_{verb}$ :

$$\varepsilon_{\mathit{verb}}: \mathbb{N} \to \mathbb{R}^{\mathsf{A} \times \mathit{NP}}$$

But instead we have samples from some  $f: \mathbb{N}^4 \to \{0,1\}$ 

# Formulating the network

#### **Solution**

Formulate  $f_P$  to incorporate  $\varepsilon_{verb}$ .

$$f_p = f_1 \circ f_2 \circ \cdots \circ \varepsilon_{verb} \circ \ldots$$

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#### Simplification (1)

Assume pre-trained object embedding function  $\varepsilon_{object}$ .

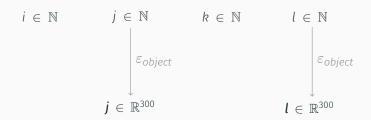
$$\varepsilon_{object}: \mathbb{N} \to \mathbb{R}^{300}$$

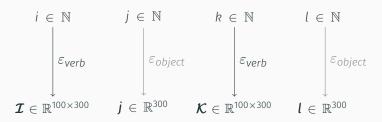
$$i \in \mathbb{N}$$

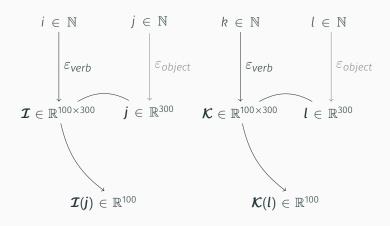
$$i \in \mathbb{N}$$
  $j \in \mathbb{N}$   $k \in \mathbb{N}$   $l \in \mathbb{N}$ 

$$k \in \mathbb{N}$$

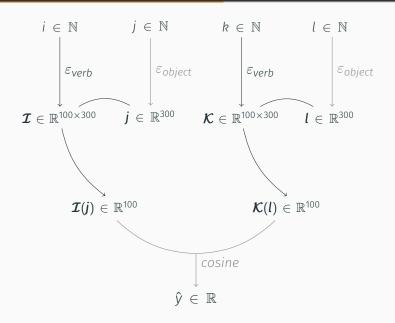
$$\in \mathbb{N}$$







$$\hat{y} \in \mathbb{R}$$



## **Error Signal**

$$cos(V_i(j), V_k(l)) \approx \mathcal{P}(i, j, k, l) \quad \forall (i, j, k, l) \in \mathcal{V} \times \mathcal{O} \times \mathcal{V} \times \mathcal{O}$$

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#### Considerations:

- 1. Network Size
  - · 1.000 verbs
  - $300 \times 100 = 30.000$  parameters per verb
  - $\Rightarrow$  30.000.000 parameters for  $\varepsilon_{verb}$  to learn

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- 2. Quantifying over two spaces ...
- 3. ... both of which are non-convex



... A "beast" to train 😊

# Supervised Learning

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**Transferring Knowledge** 

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Dataception: use our labeled dataset to create a new dataset

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#### Simplification (2)

Assume another pre-trained verb embedding function  $\varepsilon'_{verb}$ .

$$\varepsilon'_{\mathit{verb}}: \mathbb{N} \to \mathbb{R}^{300}$$

# **Finding an Oracle**

Dataception: use our labeled dataset to create a new dataset

### Simplification (2)

Assume another pre-trained verb embedding function  $\varepsilon'_{verb}$ .

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#### **Oracle**

We can now use a paraphrase embedding function  $\varepsilon_{par}$ .

$$\varepsilon_{par}: \mathbb{R}^{300} \times \mathbb{R}^{300} \to \mathbb{R}^{100}$$

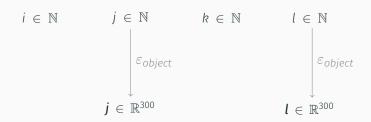
$$i \in \mathbb{N}$$
  $j \in \mathbb{N}$   $k \in \mathbb{N}$   $l \in \mathbb{N}$ 

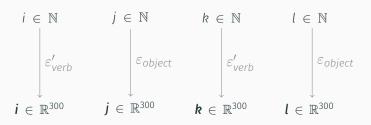
$$j \in \mathbb{N}$$

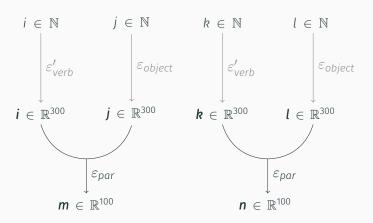
$$k \in \mathbb{N}$$

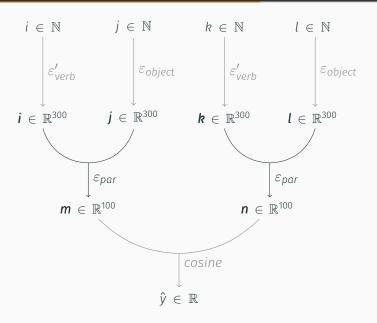
$$\in \mathbb{N}$$

$$\in \mathbb{F}$$

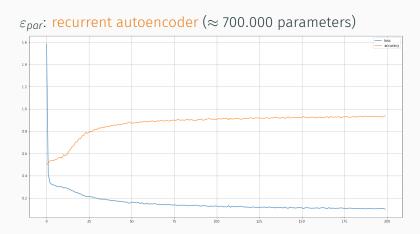








# **Training the Oracle**



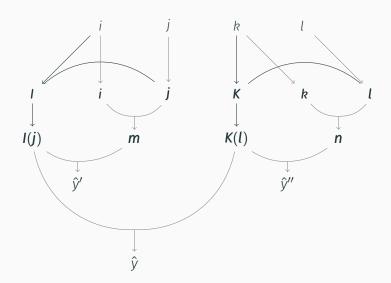
# **Utilizing the Oracle**

#### **New Error Signal**

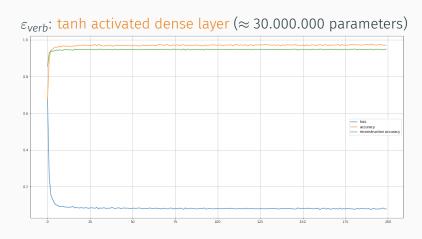
$$cos(V_i(j), \varepsilon_{par}(\mathbf{v}, j)) \approx 1 \quad \forall (i, j) \in \mathcal{V} \times \mathcal{O}$$

- $\cdot$   $\varepsilon_{par}$  gives us paraphrase embeddings 'for free'
- · We can use them to facilitate training
- Much smaller problem space

# **Composing Networks**



# **Training the Original**





The beast has been tamed! ©



**Evaluation** 

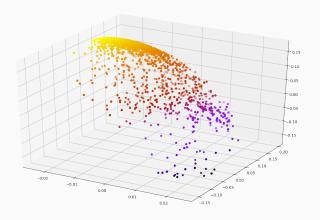
#### **Microstructure**

Task-specific performance relates to the small-scale structure of the learned space:

	Prediction	Oracle		Final	
Ground Truth		Т	$\perp$	Т	$\perp$
Т		0.92	0.08	0.88	0.02
$\perp$		0.08	0.92	0.12	0.98

#### Macrostructure

# 3D PCA on paraphrase embeddings



# Conclusion

## Critique

- 1. Uninformative error signal?
- 2. Over-parameterization
  - a) Encoder / decoder architectures?
  - b) Linearity constraint X
  - c) Chasing after an oracle?
  - d) Bad scaling 🗶

#### **Next Steps**

- 1. Directly evaluate verb matrices
- 2. More structural constraints (activity regularization)
- 3. Iterative learning
- 4. Other data formats:
  - · Different syntactic types
  - · Different labels / samples altogether
- 5. Different oracle architectures

**Bag of Tricks** 

- 1. Negative Sampling
- 2. Curriculum Learning / Domain Adaptation
- 3. Loss Mixing