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#### **Data Structure**

- Binary Indexed Tree
- BIT Min Max
- Segment Tree
- PBDS
- Trie
- Sparse table
- Maximum Sub-array Sum Online Query
- MO's
- Wavelet tree
- Sliding Window Maximum

# **Number Theory**

- Sieve/Spf
- Euler Phi Sieve
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- N! Variations
- NCR fixed/any M
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#### Graph

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- LCA
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- HLD
- Centroid Decomposition

• Cycles

#### String

- Hashing
- Z-Algorithm
- KMP
- Suffix Array
- Palindromic Query
- Trie
- K-th LexigrophaicallySmallestSubString

# **Dynamic Programming**

- LIS/LDS/LNDS/LNRS
- Kadane
- Bitmask dp
- MIM
- SOS Dp
- Digit Dp

#### Geometry

Basics

#### Miscellaneous

Headers

#### Data Structure

#### **Binary Indexed Tree**

```
ll bit[N];
ll get(int idx){
  11 \text{ res} = 0;
  while(idx){
     res += bit[idx];
     idx = (idx \& -idx);
  return res;
void update(int idx, ll val, int n){
  while(idx \le n){
     bit[idx] += val;
     idx += (idx \& -idx);
void range update(int l, int r, ll x, int n){
  update(1, x, n);
  update(r + 1, -x, n);
```

#### Min/Max version

```
void build() {
for(int i=1; i<=n; i++)
BIT[i+n]=arr[i];</pre>
```

```
for(int i = n; i >= 1; --i)
BIT[i] = min(BIT[i << 1], BIT[(i << 1) | 1]); }
```

# void update(int k, int x,int n) {

```
k += n;
BIT[k] = x;
for(k >>= 1; k >= 1; k >>= 1)
BIT[k] = min(BIT[k << 1], BIT[(k << 1) | 1]); }
```

# void update(ll l,ll r,ll val) {

```
for(l+=n,r+=n; l < r; l>>=1,r>>=1){
if(l&1) BIT[l] = min(BIT[l],val), l++;
if(r&1) r--,BIT[r] = min(BIT[r],val);} }
```

# ll query(ll idx) {

```
idx += n;
ll ans = inf;
while(idx) ans = min(ans,BIT[idx]), idx >>= 1;
return ans; }
```

#### int query(int a, int b) ${//a = \text{left b} = \text{right}}$

```
a += n;
b += n;
int res = INT_MAX;
while(a <= b){
if(a & 1)
res = min(res, BIT[a++]);
if(!(b & 1))
res = min(res, BIT[b--]);
a >>= 1;
```

```
b >>= 1;}
return res; }
```

return 1+r;}

# **Segment Tree**

```
int st[4*mx+10],lazy[4*mx+10];
void build tree(int a[], int i, int low, int high){
  if(low==high) {
     st[i]=a[low]; } else{}
    int mid=(low+high)/2;
     build tree(a, 2*i, low, mid);
     build tree(a, 2*i+1, mid+1, high);
    st[i] = st[2*i] + st[2*i+1]; 
int query(int i, int low, int high, int left, int right){
  if(lazy[i]!=0) {
     int d=lazy[i];
     lazy[i]=0;
     st[i]+=d*(high-low+1);
     if(low!=high) {
       lazy[2*i]+=d;
       lazv[2*i+1]+=d; \}
  if(left>high || right<low){
     return 0; }
  if(low>=left && high<=right){
     return st[i];}
  int mid=(low+high)/2;
  int l=query(2*i, low, mid, left, right);
  int r=query(2*i+1, mid+1, high, left, right);
```

```
void update(int i, int low, int high, int left, int right,
int qval){
  if(lazy[i]!=0) {
    int d=lazy[i];
    lazy[i]=0;
     st[i] += d*(high-low+1);
     if(low!=high){
       lazy[2*i]+=d;
       lazy[2*i+1]+=d; } }
 if(left>high || right<low){
     return;}
  if(low>=left && high<=right){
     int d=(high-low+1)*qval;
     st[i]+=d;
     if(low!=high) {
       lazy[2*i]+=qval;
       lazy[2*i+1]+=qval;
     return; }
  int mid=(low+high)/2;
  update(2*i, low, mid, left, right, qval);
  update(2*i+1, mid+1, high, left, right, qval);
  st[i]=st[2*i]+st[2*i+1];
int main(){
  int n,q;
  scanf("%d%d",&n,&q);
  int arr[n+10];
```

```
for(int i=1; i<=n; i++) {
    scanf("%d",&arr[i]);}
//cout<<"xx"<<endl;
build_tree(arr, 1, 1,n);
while(q--){
    int code;
    cin>>code;
    int l,r,qval;
    if(code==2) {
        scanf("%d%d%d",&l,&r,&qval);
        update(1,1,n,l,r,qval);
        continue; }

    scanf("%d%d",&l,&r);
    int ans= query(1,1,n,l,r);
    printf("%d\n",ans); }}
```

#### **PBDS**

# void example() {

```
ordered_set<int> p;
// value at 3rd index in sorted array.
cout << "The value at 3 index :: "
```

```
<< *p.find by order(3) << endl;
  // index of number 6
  cout << "The index of number 6:: " <<
p.order of key(6)
     << endl:
  // number 7 not in the set but it will show the
  // index number if it was there in sorted array.
  cout << "The index of number seven :: "
     << p.order of kev(7) << endl:
  ordered set<pair<int, int>> s;
  int value:
  cin >> value:
  s.insert({value, s.size()}); // for insertion
  s.erase(s.upper bound({value, -1})); //for deletion
  s.upper bound({value, -1}); //for search
// ekta problem er solution multiset erase pbds
ll n, m;
  cin >> n >> m;
  map<ll, pair<ll, ll>> mp;
  ordered set<array<11, 2>> st;
  for(int i = 1; i \le n; i++) st.insert(\{0, 0\});
  while(m--){
    ll t, p;
    cin >> t >> p;
```

```
void deleteFromTrie(string s){
st.erase(st.find by order(st.order of key({mp[t].first,
                                                          int now=0;
mp[t].second})));
                                                          trie[now].total--;
     mp[t].first += 1;
                                                          for(auto ch:s){
    mp[t].second = p;
                                                             int ind = ch-'0';
    st.insert({mp[t].first, mp[t].second});
                                                             int temp = trie[now].nxt[ind];;
    cout << st.order of key({mp[1].first,
                                                             if(trie[temp].total==1){
mp[1].second) + 1 << end];
                                                               trie[now].nxt[ind]=-1;}
                                                             now=temp;
                        TRIE
                                                             trie[now].total--;}}
                                                        string searchMxInTrie(string s){
struct Node{
  bool isEnd = false;
                                                          int now=0;
                                                          string ret = "";
  int nxt[2];
  int total =0;
                                                          for(auto ch:s){
  Node(){
                                                             int ind = ch-'0';
    isEnd = false;
                                                             ind^=1;
     memset(nxt,-1,sizeof(nxt));}};
                                                             if(trie[now].nxt[ind]==-1){
                                                               ret+='0':
Node trie[mx+7];
                                                               ind^=1;}else{
void insertIntoTrie(string s){
                                                               ret+='1':}
  int now=0;
                                                             now=trie[now].nxt[ind];}
  trie[now].total++;
                                                          return ret;}
  for(auto ch:s){
    int ind = ch-'0';
    if(trie[now].nxt[ind]==-1)
                                                                            Sparse Table
       trie[now].nxt[ind]=++sz; }
     now=trie[now].nxt[ind];
                                                        void buildSparseTable(int arr[], int n) {
                                                        const int N = 1e5 + 9:
     trie[now].total++;}}
```

int t[N][18], a[N];

```
void build(int n) {
 for(int i = 1; i \le n; ++i) t[i][0] = a[i];
 for(int k = 1; k < 18; ++k) {
  for(int i = 1; i + (1 << k) - 1 <= n; ++i) {
   t[i][k] = min(t[i][k-1], t[i+(1 << (k-1))][k-1]);
int query(int l, int r) {
 int k = 31 - builtin clz(r - 1 + 1);
 return min(t[1][k], t[r - (1 << k) + 1][k]);
      Maximum SubArraySum in Range Query
struct Tree {
ll sum, pref, suff, ans;
}tree[4*mx];
Tree Combine(Tree I, Tree r) {
Tree ret; ret.sum = 1.sum+r.sum;
ret.pref = max(1.pref, 1.sum+r.pref);
ret.suff = max(r.suff, r.sum+l.suff);
ret.ans = max(1.suff+r.pref, max(1.ans, r.ans));
return ret; }
void build(ll node, ll start, ll end) {
if(start==end){
tree[node].sum = tree[node].pref = tree[node].suff =
tree[node].ans = max(-inf, (ll)arr[start]);
```

return; }

```
11 \text{ mid} = (\text{start+end}) >> 1;
build(node<<1, start, mid);</pre>
build(node<<1|1, mid+1, end);
tree[node] = Combine(tree[node<<1],
tree[node<<1|1]);}
Tree query(ll node, ll start, ll end, ll i, ll j) {
if(i>end || i<start) return {-1<<31, -1<<31, -1<<31,
-1<<31};
if(start>=i && end<=j) return tree[node];
11 \text{ mid} = (\text{start+end}) >> 1;
Tree x = query(node << 1, start, mid, i, i);
Tree y = query(node << 1|1, mid+1, end, i, j);
return Combine(x, y); }
void update(ll node, ll start, ll end, ll i, ll newvalue)
if(i<start || i>end) return;
if(start \ge i \&\& end \le i)
tree[node].sum = tree[node].pref = tree[node].suff =
tree[node].ans = max(-inf, newvalue):
return; }
11 \text{ mid} = (\text{start+end}) >> 1;
update(node<<1, start, mid, i, newvalue);
update(node<<1|1, mid+1, end, i, newvalue);
tree[node] = Combine(tree[node<<1],
tree[node<<1|1]); }
// Query
```

build(1,1,n);

```
update(1,1,n,id,val);
query(1, 1, n, 1, n).ans)
                        MO's
struct data {
int l,r,idx,k;
bool operator < (const data &b) const {
int x = 1/BLOCK SIZE, y = b.1/BLOCK SIZE;
if(x != y)
return x < y;
return r < b.r; };
int BLOCK SIZE;
ll cnt, ans[MAX];
ll n, q, a[MAX], freq[MAX];
data Q[MAX];
void add(ll x) {
freq[x]++;
if(freq[x] == 1)
cnt++; }
void del(ll x) {
freq[x]--;
if(freq[x] == 0)
cnt--; }
void MO() {
BLOCK SIZE = sqrt(n);
sort(Q,Q+q,cmp);
int st = 1, en = 0;
```

for(int i=0; i < q; i++){

```
int l = Q[i].l , r = Q[i].r , idx = Q[i].idx;
while(en < r) { en++; add(a[en]); }
while(en > r) { del(a[en]); en--; }
while(st > l) { st--; add(a[st]); }
while(st < l) { del(a[st]); st++; }
ans[idx] = cnt; } }
```

#### **MO's Online**

```
const int magic = 2154; const int inf = 1000000000;
vector <int> ind, val, id;
struct query {
int l, r, id;
query () {}
query (int l, int r, int id) : l(l), r(r), id(id) {}
};
vector <query> g[100][100];
int cnt[300010], ans[100010], aux[300010], l, r,
a[100010], original[100010], n;
void add(int x) {
aux[cnt[a[x]]] = 1;
cnt[a[x]] += 1;
aux[cnt[a[x]]] += 1;
void del(int x) {
aux[cnt[a[x]]] = 1;
cnt[a[x]] = 1;
```

aux[cnt[a[x]]] += 1;

```
scanf("%d", &a[i]);
                                                                                                                      const int MAXN = (int)3e5 + 9;
int get ans() { // cout << 1 << " " << r << endl;
                                                           if(com.find(a[i]) == com.end()) {
                                                                                                                     const int MAXV = (int)1e9 + 9; //maximum value of
for(int i = 0; i++) {
                                                          com[a[i]] = ++idx; 
                                                                                                                      any element in array
if(aux[i] == 0) {
                                                          a[i] = com[a[i]];
return i; } } }
                                                          original[i] = a[i]; }
                                                                                                                      //array values can be negative too, use appropriate
                                                           memset(ans, -1, size of ans);
                                                                                                                      minimum and maximum value
                                                           for(int i = 1; i \le q; i++) {
                                                                                                                      struct wavelet tree {
void solve(int x, int y) {
for(int i = 1; i \le n; i++) {
                                                           scanf("%d %d %d", &c, &x, &y);
                                                                                                                       int lo, hi;
a[i] = original[i]; }
                                                          if(c == 1) g[x / magic][y / magic].push back(query(x, y))
                                                                                                                       wavelet tree *1, *r;
memset(cnt, 0, size of cnt);
                                                                                                                       int *b, *c, bsz, csz; // c holds the prefix sum of
                                                          y, i));
memset(aux, 0, sizeof aux);
                                                           else {
                                                                                                                      elements
1 = r = 1;
                                                          if(com.find(y) == com.end()) {
aux[0] = inf; aux[1] = 1; cnt[a[1]] += 1;
                                                          com[y] = ++idx;
                                                                                                                       wavelet tree() {
int cur = 0;
                                                          y = com[y];
                                                                                                                        10 = 1:
for(auto i : g[x][y]) {
                                                           ind.push back(x);
                                                                                                                        hi = 0;
while(cur < (int) id.size() && id[cur] < i.id) {
                                                           val.push back(y);
                                                                                                                        bsz = 0;
if(1 \le ind[cur] \&\& ind[cur] \le r) del(ind[cur]);
                                                           id.push back(i); } }
                                                                                                                        csz = 0, 1 = NULL;
a[ind[cur]] = val[cur];
                                                                                                                        r = NULL;
if(1 \le ind[cur] \&\& ind[cur] \le r) add(ind[cur]);
                                                           int last = n / magic;
                                                           for(int i = 0; i \le last; i++) {
++cur; }
while(i.1 \leq 1) add(--1);
                                                           for(int j = i; j \le last; j++) {
                                                                                                                       void init(int *from, int *to, int x, int y) {
while (r < i.r) add (++r);
                                                           solve(i, j); } }
                                                                                                                        lo = x, hi = y;
while (1 < i.1) del(1++);
                                                          for(int i = 1; i \le q; i++) {
                                                                                                                        if(from \ge to) return;
while(i.r \leq r) del(r--);
                                                                                                                        int mid = (lo + hi) >> 1;
                                                          if(ans[i] != -1) {
                                                                                                                        auto f = [mid](int x) {
ans[i.id] = get ans(); } }
                                                          printf("%d\n", ans[i]); \}
                                                          ///
                                                                                                                         return x \le mid:
/// Query
                                                                                Wavelet Tree
                                                           #include<bits/stdc++.h>
                                                                                                                        b = (int*)malloc((to - from + 2) * sizeof(int));
int main(int argc, char const *argv[]) {
map \leq int, int\geq com; int idx = 0, q;
                                                           using namespace std;
                                                                                                                        bsz = 0;
for(int i = 1; i \le n; i++) {
                                                                                                                        b[bsz++] = 0;
```

```
c = (int*)malloc((to - from + 2) * sizeof(int));
                                                                int lb = b[1 - 1], rb = b[r];
                                                                                                                            cin >> n:
  csz = 0;
                                                                return this->l->LTE(lb + 1, rb, k) + this->r->LTE(l -
  c[csz++] = 0;
                                                             lb, r - rb, k);
  for(auto it = from; it != to; it++) {
   b[bsz] = (b[bsz - 1] + f(*it));
                                                              //count of numbers in [l, r] equal to k
                                                                                                                           be same
   c[csz] = (c[csz - 1] + (*it));
                                                              int count(int l, int r, int k) {
                                                                                                                            cin >> q;
                                                                if(l > r \parallel k < lo \parallel k > hi) return 0;
   bsz++;
                                                                                                                            while(q--) {
   csz++;
                                                                if(lo == hi) return r - l + 1;
                                                                                                                             int x;
                                                                int lb = b[1 - 1], rb = b[r];
                                                                                                                             cin >> x;
  if(hi == lo) return;
                                                                int mid = (lo + hi) >> 1;
  auto pivot = stable partition(from, to, f);
                                                                if(k \le mid) return this->l->count(lb + 1, rb, k):
                                                                                                                             if(x == 0) {
  l = new wavelet tree();
                                                                return this->r->count(1 - lb, r - rb, k);
                                                                                                                               //kth smallest
  1->init(from, pivot, lo, mid);
  r = new wavelet tree();
                                                               //sum of numbers in [1,r] less than or equal to k
                                                                                                                             else if(x == 1)
  r->init(pivot, to, mid + 1, hi);
                                                              int sum(int 1, int r, int k) {
                                                                if(1 > r or k < 1o) return 0;
 //kth smallest element in [l, r]
                                                                if(hi \leq= k) return c[r] - c[l - 1];
                                                                                                                             else if(x == 2)
 //for array [1,2,1,3,5] 2nd smallest is 1 and 3rd
                                                                int lb = b[1 - 1], rb = b[r];
                                                                return this->l->sum(lb + 1, rb, k) + this->r->sum(l -
smallest is 2
 int kth(int l, int r, int k) {
                                                             lb, r - rb, k);
  if(l > r) return 0;
                                                                                                                             if(x == 3)  {
  if(lo == hi) return lo;
                                                               ~wavelet tree() {
  int inLeft = b[r] - b[1 - 1], 1b = b[1 - 1], rb = b[r];
                                                                delete 1;
  if(k \le inLeft) return this->l->kth(lb + 1, rb, k);
                                                                delete r;
  return this->r->kth(1 - lb, r - rb, k - inLeft);
                                                                                                                            return 0;
 //count of numbers in [1, r] Less than or equal to k
                                                             wavelet tree t;
 int LTE(int l, int r, int k) {
                                                             int a[MAXN];
                                                                                                                           vector<int> maxSlidingWindow(vector<int>& nums,
  if(l > r \parallel k < lo) return 0;
                                                             int main() {
  if(hi \le k) return r - 1 + 1;
                                                              int i, j, k, n, m, q, l, r;
                                                                                                                           int k) {
```

```
for(i = 1; i \le n; i++) cin >> a[i];
t.init(a + 1, a + n + 1, -MAXV, MAXV);
//beware! after the init() operation array a [] will not
 cin >> 1 >> r >> k;
  cout \ll t.kth(l, r, k) \ll endl;
  //less than or equal to K
  cout \ll t.LTE(1, r, k) \ll end1;
  //count occurence of K in [l, r]
  cout \ll t.count(l, r, k) \ll endl;
  //sum of elements less than or equal to K in [l, r]
  cout \ll t.sum(l, r, k) \ll endl:
            Sliding Window Maximum
```

```
int n = nums.size();
  deque<int> dq;
  vector<int> ans;
  for(int i = 0;i < n;i++){
      while(dq.size() > 0 && nums[dq.back()] <
  nums[i]) dq.pop_back();
      dq.push_back(i);
      if(i >= k - 1) {
            ans.push_back(dq.front());
            if(dq.front() < i - k + 2) dq.pop_front();
      }
    }
  for(int i = 0;i < ans.size();i++) {
      ans[i] = nums[ans[i]];
    }
    return ans;
}</pre>
```

Number Theory

#### **Linear Sieve + SPF**

```
void linear_sieve() {
for(int i = 2; i < MAX; i++){
  if (spf[i] == 0)
  spf[i] = i, pr.push_back(i);
  int sz = pr.size();
  for (int j = 0; j < sz && i * pr[j] < MAX</pre>
```

```
&& pr[j] \le pr[i]; j++) { pr[i] = pr[i]; j \} }

Euler Phi Sieve

//P<sub>1</sub>k1-1(P<sub>1</sub>-1).P<sub>2</sub>k2-1(P<sub>2</sub>-1)....P<sub>r</sub>kr-1(P<sub>r-1</sub>)

void compute Totient(int n) {

for(int i=1; i<=n; i++) phi[i] = i;

for(int j=2; j<=n; j++) {

if(phi[j] == j) {

phi[j] = j-1;

for(int i = 2*j; i<=n; i+= j) {

phi[i] = (phi[i]/j) * (j-1); } }}
```

#### Extended GCD

```
Il extendedGCD(ll a,ll b,ll *x,ll *y) {
  if(a == 0) {
    *x = 0 , *y = 1;
  return b; }
  ll x1 , y1;
  ll gcd = extendedGCD(b%a, a, &x1, &y1);
  *x = y1 - (b/a)*x1;
  *y = x1;
  return gcd; }
```

# ll modInverse(ll a,ll M) {

```
if(\_gcd(a,M) > 1) return -1;
ll x , y;
ll gcd = extendedGCD(a,M,&x,&y);
return (x+M)%M; }
```

#### **N! Problems**

```
int trailingZeroes(int n) {    int c = 0 , f = 5;
while(f <= n) {       c += n/f;       f *= 5; }       return c; }
int factDigitCnt(int n) {    if(n <= 1)       return n;
double digits = 0;    for(int i=2;i <= n;i++) {
    digits += log10(i);}    return floor(digits)+1;    }
Il factDivisorsCnt(ll n) {       ll res = 1;
    for(int i=0;primes[i] <= n;i++) {       ll exp = 0;       ll p =
       primes[i];       while(p <= n) {       exp += (n/p); p *=
       primes[i]; }
    res *= (exp+1); }       return res; }
```

#### NCR & NPR

```
Il Bigmod(int a,int b) {
    if(b==0) return 1%MOD;
    Il x=Bigmod(a,b/2);
    x=(x*x)%MOD;
    if(b%2==1) x=(x*a)%MOD;
    return x; }
```

# Il nCr(int x, int y) { if(x<0 || y<0 || x<y) return 0; return fact[x]\*(inv[y]\*inv[x - y] % MOD) % MOD; }</pre>

```
ll nPr(int x, int y) {
```

```
if(x<0 \parallel y<0 \parallel x< y)return 0;
                                                            11 x, y;
return (fact[x] *inv[x - y]) % MOD; }
                                                            If g = \text{extended euclid}(a, m, x, y);
                                                                                                                        multiplicity(n - r, p);
                                                            if (g != 1) return -1;
                                                                                                                        if (t \ge k) return 0;
void pre cal() {
                                                            return (x \% m + m) \% m; }
fact[0]=1;
for(int i=1; i \le MAX; i++)
                                                            int factmod(ll n, int p, const int mod) {
fact[i]=fact[i-1]*1LL*i%MOD;
                                                            vector\leqint\geq f(mod + 1);
inv[MAX]=Bigmod(fact[MAX],MOD-2);
                                                            f[0] = 1 \% \text{ mod};
                                                                                                                        return ans; }
for(int i=MAX; i>0; i--){
                                                            for(int i = 1; i \le mod; i++) {
inv[i-1]=i* 1LL*inv[i] % MOD;} }
                                                            if (i \% p) f[i] = 1LL * f[i - 1] * i \% mod;
                                                            else f[i] = f[i - 1];
                                                            int ans = 1 \% mod;
                nCr Modulo Any Mod
                                                            while (n > 1) {
                                                                                                                        ll p, q;
                                                            ans = 1LL * ans * f[n % mod] % mod;
int power(long long n, long long k, const int mod) {
int ans = 1 % mod; n %= mod; if (n < 0) n += mod;
                                                            ans = 1LL * ans * power(f[mod], n / mod, mod) %
while (k) {
                                                            mod:
                                                                                                                        11 \text{ m} = \text{m} 1 / \text{g} * \text{m} 2;
if(k & 1) ans = (long long) ans * n % mod;
                                                            n \neq p; 
                                                                                                                        p = (p \% m + m) \% m;
n = (long long) n * n % mod;
                                                            return ans; }
                                                                                                                        q = (q \% m + m) \% m;
k >>= 1; 
                                                            ll multiplicity(ll n, int p) {
                                                                                                                        \% m * (m2 / g) \% m) \% m, m); }
return ans; }
                                                            11 \text{ ans} = 0;
Il extended euclid(ll a, ll b, ll &x, ll &y) {
                                                            while (n) {
if (b == 0) {
                                                            n = p;
                                                                                                                        int spf[N];
x = 1; y = 0;
                                                                                                                        vector<int> primes;
                                                            ans += n;
return a; }
                                                            return ans; }
                                                                                                                        void sieve() {
                                                                                                                        for(int i = 2; i < N; i++) {
ll x1, y1;
                                                            int ncr(ll n, ll r, int p, int k) {
If d = \text{extended euclid}(b, a \% b, x1, y1);
                                                            if (n < r \text{ or } r < 0) return 0;
                                                            int mod = 1;
                                                                                                                        int sz = primes.size();
x = y1;
                                                            for (int i = 0; i < k; i++) {
y = x1 - y1 * (a / b);
                                                            mod *= p; }
                                                                                                                        primes[j] <= spf[i]; j++) {
return d; }
                                                                                                                        spf[i * primes[i]] = primes[i]; } }
ll inverse(ll a, ll m) {
```

```
If t = \text{multiplicity}(n, p) - \text{multiplicity}(r, p) -
int ans = 1LL * factmod(n, p, mod) *
inverse(factmod(r, p, mod), mod) % mod *
inverse(factmod(n - r, p, mod), mod) % mod;
ans = 1LL * ans * power(p, t, mod) % mod;
pair<||, ||> CRT(|| a1, || m1, || a2, || m2) {
If g = \text{extended euclid}(m1, m2, p, q);
if (a1 % g != a2 % g) return make pair(0, -1);
return make pair((p * a2 \% m * (m1 / g) \% m + q * a1
if (spf[i] == 0) spf[i] = i, primes.push back(i);
for (int j = 0; j < sz && i * primes[j] < N &&
```

```
int ncr(ll n, ll r, int m) {
                                                            p \% = mod;
if (n < r \text{ or } r < 0) return 0;
                                                            11 b = (k * (a + 1)) \% phi;
pair<ll, ll> ans(\{0, 1\});
                                                            If res = (bigmod(p, b) - 1) \% mod;
                                                            if(res < 0) res += mod;
while (m > 1) {
int p = spf[m], k = 0, cur = 1;
                                                            If q = bigmod(p, k \% phi);
while (m \% p == 0)  {
                                                            q = (q - 1) \% \text{ mod};
m = p; cur *= p;
                                                            if (q < 0) q += mod;
                                                            11 inv = bigmod(q, mod-2);
++k;
                                                            res = (res * inv) \% mod;
ans = CRT(ans.first, ans.second, ncr(n, r, p, k), cur); }
return ans.first; }
                                                            return res; }
                      Pollard Rho
                                                            ll rho(ll n){
const 11 \mod = 1e9+7, phi = 1e9+6;
                                                            if(n\%2==0)return 2;
vector<ll> factor:
                                                            11 x = rand()\%n+1;
ll mult(ll a, ll b, ll mod) {
                                                            11 c = rand()\%n+1;
11 \text{ result} = 0:
                                                            11 y = x:
while (b) {
                                                            11 g = 1;
if (b & 1) result = (result + a) \% mod;
                                                            while(g==1){
a = (a + a) \% \text{ mod};
                                                            x = (mult(x, x, n) + c)\%n;
b >>= 1; }
                                                            y = (mult(y, y, n) + c)\%n;
return result; }
                                                            y = (mult(y, y, n) + c)\%n;
                                                            11 h = (x > y)? x-y : y-x;
ll bigmod(ll a, ll b) {
                                                            g = gcd(h, n); }
if(b == 0) return 1;
                                                            return g; }
ll x = bigmod(a, b/2);
x = mult(x, x, mod);
                                                            Il binpower(ll base, ll e, ll mod) {
if(b & 1) x = mult(x, a, mod);
                                                            11 \text{ result} = 1:
                                                            base %= mod;
return x; }
                                                            while (e) {
II f(II p, II a, II k) 
                                                            if (e & 1)
```

```
result = mult(result, base, mod);
base = mult(base, base, mod);
e >>= 1; }
return result; }
bool check composite(II n, II a, II d, II s) {
ll x = binpower(a, d, n);
if (x == 1 || x == n - 1)
return false:
for (11 r = 1; r < s; r++) {
x = mult(x, x, n);
if (x == n - 1)
return false; }
return true; }
bool MillerRabin(ll n) {
if (n < 2)
return false;
int r = 0;
11 d = n - 1;
while ((d \& 1) == 0) {
d >>= 1:
r++; }
for (ll a: {2, 3, 5, 7, 11, 13, 17, 19, 23, 29, 31, 37}) {
if (n == a) return true;
if (check composite(n, a, d, r))
return false; }
return true; }
void factorize(ll n) {
if(n == 1) return;
```

```
if(MillerRabin(n)) {
factor.pb(n);
return; }
ll d = rho(n);
factorize(d);
factorize(n/d); }
               Phi for a large number:
int phi(int n) {
double res = n;
for(int i=2;i*i <=n;i++) {
if(n\%i == 0) {
while(n\%i == 0)
n = i;
res *= (1.0 - (1.0/i)) }
if(n > 1)
res *= (1.0 - (1.0/n));
return (int)(res); }
                     SOD of n^m:
P_{r} - 1
ll primeFact(ll n,int m) {
11 \text{ sum} = 1;
for(int i=0; i<primes.size() && primes[i]<=n; i++) {
If cnt = 0, p = primes[i];
if(n\%p == 0)  {
```

while(n%p == 0)

cnt++,  $n \neq p$ ;

```
cnt = cnt*m+1;
ll calc = (bigMod(p,cnt,MOD)+MOD-1)%MOD;
calc *= bigMod(p-1,MOD-2,MOD);
calc %= MOD;
sum = (sum*calc)%MOD; } }
if(n > 1) {
ll calc = (bigMod(n,1+m,MOD)+MOD-1)%MOD;
calc *= bigMod( n-1, MOD-2, MOD);
calc %= MOD;
sum = (sum*calc)%MOD; }
return sum; }
```

#### **Bits Related**

```
int SET(int cur, int pos) { return cur | (1LL \le pos); } bool check(ll n,ll pos) { return n & (1ll \le pos); } int CLEAR(int n,int pos) { return n & \sim(1\lepos); }
```

# **Check if a subset sum exits:**

bitset<MAX>bs;

```
SOD of n^m: bool check(int sum) { bs.reset(); bs[0]=1; //(P_1^{e_1+1}-1/P_1-1). (P_2^{e_2+1}-1/P_2-1)..... (P_r^{e_r+1}-1/P_1-1) for(int i=1;i<=n;i++) bs |= bs << arr[i]; return bs[sum]; (P_r^{e_1+1}-1/P_1-1) }
```

# Xor in a range:

```
void compute(int n) {
for(int i=1;i<=n;i++) xor[i]=xor[i-1]^arr[i]; }
int query(int l,int r) { return xor[r]^xor[l-1]; }</pre>
```

#### Graphs

```
Floyed Warshall

for(int k=1; k<=nodes; k++){

for(int i=1; i<=nodes; i++) {

for(int j=1; j<=nodes; j++){

graph[i][j]=min(graph[i][j], graph[i][k]+graph[k][j]);

}}}

graph[p][q] = distance p \rightarrow q
```

#### Krushkal's algorithm:

```
bool cmp(edge a, edge b){
  return a.w < b.w;}

int _find(ll src) {
  if(parent[src]==src)
    return src;
  return parent[src]=_find(parent[src]);}

void initPar(ll src) {
  for(ll i=0 ; i < src ; i++) {
    parent[i]=i; } }

void kruskals_Algorithm(ll n) {
  srt(graph,cmp);
  initPar(n);</pre>
```

```
for(ll i=0; i<graph.size(); i++){
    ll up=_find(graph[i].u);
    ll vp=_find(graph[i].v);

    if(up!=vp) {
        if(cnt==n-1)
            break;
        output.push_back(graph[i]);
        mstValue+=graph[i].w;
        parent[up]=vp;
        cnt++;} }}</pre>
```

#### **Lowest Common Ancestor**

```
const int N = 1e5 + 10;
int tin[N], tout[N];
int up[N][32];
vector<int> adj[N];
int n, lg, timer;
void dfs(int src, int par){
   tin[src] = ++timer;
   up[src][0] = par;
   for(int i = 1;i <= lg;i++){
      up[src][i] = up[up[src][i - 1]][i - 1];
   }
   for(auto child : adj[src]){
      if(child != par)
            dfs(child, src);
   }
   tout[src] = ++timer;</pre>
```

# **Euler Tour**

```
void dfs_euler(int src,int par){
euler_path.push_back(src);
int f=0;
for(auto i:graph[src]){
if(i==par)
continue;
f=1;
dfs euler(i,src);}
```

// call pre process(1)

```
if(f)
euler_path.push_back(src);}

void init_euler_path(){
    dfs_euler(1,0);
    int idx=1;
    for(auto i:euler_path){
    if(st[i]==0)
    st[i]=idx;
    en[i]=idx;
    idx++; } }
BPM
```

```
vector<int>graph[1000005];
bool visit[1000005];
int connection[1000005];
bool BPM(int node) {
int sz=graph[node].size();
for(int i=0; i < sz; i++){
int child=graph[node][i];
if(visit[child]==0) { visit[child]=1;
if(connection[child]<0 || BPM(connection[child])) {
connection[child]=node; return true; } } }
return false;}
int maxBPM(int n)
{memset(connection,-1,sizeof(connection));
int res=0;
for(int i=0; i< n; i++) {
memset(visit,0,sizeof(visit));
if(BPM(i))
```

```
res++; }
                                                         void dfs(int v, int p = -1) {
                                                                                                                  vis[src] = 1;
                                                         visited[v] = true;
                                                                                                                  for(auto i : graph[src]) {
return res; }
                  Articulation point
                                                         tin[v] = low[v] = timer++;
                                                                                                                  if(!vis[i])
                                                         for (int to : adj[v]) {
                                                                                                                  DFS(i); }
void dfs(int v, int p = -1) {
                                                         if (to == p) continue;
                                                                                                                  nodes.push(src); }
visited[v] = true;
                                                         if (visited[to]) {
                                                                                                                  void DFS2(int src) {
tin[v] = low[v] = timer++;
                                                         low[v] = min(low[v], tin[to]); 
                                                                                                                  vis[src] = 1;
int children=0;
                                                         else {
                                                                                                                  for(auto i : reverseGraph[src]) {
for (int to : adj[v]) {
                                                         dfs(to, v);
                                                                                                                  if(!vis[i])
if (to == p) continue;
                                                         low[v] = min(low[v], low[to]);
                                                                                                                  DFS2(i); }
if (visited[to]) {
                                                         if (low[to] > tin[v])
                                                                                                                  components[compCount].push back(src); }
low[v] = min(low[v], tin[to]); 
                                                         IS BRIDGE(v, to);//u v is the edge } } }
                                                                                                                  void init() {
else { dfs(to, v);
                                                                                                                  compCount = 1;
low[v] = min(low[v], low[to]);
                                                         void find bridges() {
                                                                                                                  for(int i=1;i < MAX;i++)
if(low[to] >= tin[v] && p!=-1)
                                                         timer = 0;
                                                                                                                  graph[i].clear() , reverseGraph[i].clear() ,
                                                         visited.assign(n, false);
IS CUTPOINT(v);
                                                                                                                  components[i].clear(); }
++children; } }
                                                         tin.assign(n, -1);
                                                                                                                  void addEdge(int u,int v) {
if(p == -1 \&\& children > 1)
                                                         low.assign(n, -1);
                                                                                                                  graph[u].push back(v);
IS CUTPOINT(v);//v is the point print it }
                                                         for (int i = 0; i < n; ++i) {
                                                                                                                  reverseGraph[v].push back(u); }
                                                         if (!visited[i])
                                                                                                                  void kosaraju SCC(int n) {
void find cutpoints() {
                                                         dfs(i); } }
                                                                                                                  memset(vis,0,sizeof vis);
timer = 0;
                                                                                                                  for(int i=1;i \le n;i++) {
visited.assign(n, false);
                                                                                  SCC
                                                                                                                  if(!vis[i])
tin.assign(n, -1);
                                                                                                                  DFS(i); }
                                                         vector < int > graph[MAX], reverseGraph[MAX],
low.assign(n, -1);
                                                                                                                  memset(vis,0,sizeof vis);
                                                                                                                  while(nodes.size()) {
for (int i = 0; i < n; ++i) {
                                                         components[MAX];
if (!visited[i])
                                                         bool vis[MAX];
                                                                                                                  int top = nodes.top();
                                                         int compCount;
                                                                                                                  nodes.pop();
dfs (i); } }
                        Bridge
                                                         stack<int>nodes:
                                                                                                                  if(!vis[top]) {
                                                         void DFS(int src) {
                                                                                                                  DFS2(top);
```

compCount++; } } }

```
void print SCCs() {
for(int i=1;i<compCount;i++) {
cout << "Component " << i << ":\n";
for(auto j : components[i])
cout << j << " -> "; cout << endl; } }
-> addEdge(u,v); -> print SCCs();
-> kosaraju SCC(n);
                     HLD
const int D = 19; const int S = (1 << D);
vector<int> adj[N];
int sz[N], p[N][D], dep[N], seg t[S], v[N], id[N],
tp[N], cnt = 1, n, q;
void update(int idx, int val, int pos=1, int l=1, int
r=n){
if(1 == r)
seg t[pos] = val;return;}
int m = (1+r)/2;
if(idx <= m) update(idx, val, pos*2, l, m);
else update(idx, val, pos*2+1, m+1, r);
seg t[pos] = max(seg t[pos*2], seg t[pos*2+1]); }
int query(int lo, int hi, int pos=1, int l=1, int r=n){
if(lo > r \parallel hi < l) return 0;
if(lo \le 1 \&\& r \le hi) return seg t[pos];
int m = (1+r)/2;
```

```
return max(query(lo, hi, pos*2, l, m), query(lo, hi,
                                                           dfs hld(chi, cur, chi); } }
pos*2+1, m+1, r)); }
                                                           int lca query(int a, int b) {
int dfs sz(int src, int par){
                                                           if(dep[a] < dep[b]) swap(a, b);
sz[src] = 1;
                                                           for(int d=D-1; d>=0; d--) {
for(int child : adj[src]){
                                                           if(dep[a] - (1 << d) >= dep[b]) {
if(child == par) continue;
                                                           a = p[a][d]; \}
dep[child] = dep[src] + 1;
                                                           for(int d=D-1; d>=0; d--) {
p[child][0] = src;
                                                           if(p[a][d] != p[b][d])
sz[src] += dfs sz(child, src); }
                                                           a = p[a][d]; b = p[b][d]; \}
return sz[src]; }
                                                           if(a != b) {
                                                           a = p[a][0]; b = p[b][0]; 
void init lca(){
                                                           return a; }
for(int d=1; d<18; d++)
                                                           int path(int chi, int par) {
for(int i=1; i<=n; i++)
                                                           int ret = 0;
p[i][d] = p[p[i][d-1]][d-1];
                                                           while(chi != par) {
                                                           if(tp[chi] == chi) {
void dfs hld(int cur, int par, int top){
                                                           ret = max(ret, v[chi]); chi = p[chi][0]; 
id[cur] = cnt++; tp[cur] = top;
                                                           else if(dep[tp[chi]] > dep[par]) {
                                                           ret = max(ret, query(id[tp[chi]], id[chi]));
update(id[cur], v[cur]);
int h chi = -1, h sz = -1;
                                                           chi = p[tp[chi]][0]; 
for(int chi : adj[cur]) {
                                                           else {
if(chi == par) continue;
                                                           ret = max(ret, query(id[par]+1, id[chi]));
if(sz[chi] > h sz) {
                                                           break; } }
h sz = sz[chi];
                                                           return ret; }
h chi = chi; \} 
if(h chi == -1) return;
                                                           int main() {
dfs hld(h chi, cur, top);
                                                           dfs sz(1, 1); init lca();
for(int chi : adj[cur]) {
                                                           memset(seg t, 0, size of seg t);
if(chi == par || chi == h chi) continue;
                                                           dfs hld(1, 1, 1);
```

```
while(q--) {
                                                         return get centroid(desired, i, node);
scanf("%d", &t);
                                                         return node; }
if(t == 1) {
scanf("%d%d", &s, &x);
                                                         void update(int pos, ll val,int n){
                                                         for(pos++; pos <= n; pos += pos & -pos) bit[pos] +=
v[s] = x;
update(id[s], v[s]); }
                                                         val; }
else {
scanf("%d%d", &a, &b);
                                                         ll query(int l, int r) {
                                                         11 \text{ ans} = 0;
int c = lca query(a, b);
int res = max(max(path(a,c), path(b,c)), v[c]);
                                                         for (r++; r; r -= r \& -r) ans += bit[r];
printf("%d ", res); } }
                                                         for (; 1; 1 -= 1 & -1) ans -= bit[1];
              Centroid Decomposition
                                                         return ans; }
vector<int> graph[200001];
                                                         void get cnt(int a,int b,int n,int node, int parent,
int subtree [200001], mx depth; ll ans = 0,
                                                         bool filling, int depth = 1) {
bit[200001];
                                                         if (depth > b) return;
bool processed[200001];
                                                         mx depth = max(mx depth, depth);
                                                         if (filling) update(depth, 1,n);
                                                         else ans += query(max(0, a - depth), b - depth);
int get subtree sizes(int node, int parent = 0) {
subtree[node] = 1;
                                                         for (int i : graph[node]) if (!processed[i] && i !=
for(int i : graph[node])
                                                         parent)
if(!processed[i] && i != parent)
                                                         get cnt(a,b,n,i, node, filling, depth + 1); 
subtree[node] += get subtree sizes(i, node);
return subtree[node]; }
                                                         void centroid decomp(int a,int b,int n,int node =
                                                         1){
int get centroid(int desired, int node, int parent =
                                                         int centroid = get centroid(get subtree sizes(node)
0) {
                                                         >> 1, node);
for(int i : graph[node])
                                                         processed[centroid] = true;
if(!processed[i] && i != parent && subtree[i] >=
                                                         mx depth = 0;
desired)
                                                         for (int i : graph[centroid]) if (!processed[i]) {
```

```
get_cnt(a,b,n,i, centroid, false);
get_cnt(a,b,n,i, centroid, true); }
for (int i = 1; i <= mx_depth; i++) update(i, -query(i, i),n);
for (int i : graph[centroid]) if (!processed[i])
centroid_decomp(a,b,n,i); }
int main() {
  int n,a,b;
  cin >> n >> a; b=a;
  update(0, 1,n);
  centroid_decomp(a,b,n);
  cout << ans;
  return 0; }</pre>
```

#### **Cvcle**

```
bool dfs(int v) {
  color[v] = 1;
  for (int u : adj[v]) {
    if (color[u] == 0) {
      parent[u] = v;
    if (dfs(u))
    return true; }
    else if (color[u] == 1) {
      cycle_end = v;
      cycle_start = u;
    return true; } }
    color[v] = 2;
    return false;}
```

```
void find cycle() {
color.assign(n, 0);
parent.assign(n, -1);
cycle start = -1;
for (int v = 0; v < n; v++) {
if(color[v] == 0 \&\& dfs(v))
break; }
if (cycle start == -1) {
cout << "Acyclic" << endl; }</pre>
else { vector<int> cycle;
cycle.push back(cycle start);
for (int v = cycle end; v != cycle start; v = parent[v])
cycle.push back(v);
cycle.push back(cycle start);
reverse(cycle.begin(), cycle.end());
cout << "Cycle found: ";
for (int v : cycle)
cout << v << " "; cout << endl; }}
```

# Dijkstra K shortest

```
const ll mx =1e6;
ll n,m,k;
map<pair<ll,ll>,ll>mp;
void dijkstra(ll src, vector<pair<ll,ll>>adj[]){
  vector<vector<ll>> dist(n+10,
  vector<ll>(k,LONG_LONG_MAX));
  priority_queue< pair<ll,ll>, vector<pair<ll,ll>>,
  greater<pair<ll,ll>> pq;
  pq.push({0,src});
```

```
while(pq.size()>0){
  pair<ll, ll> cur=pq.top();
  pq.pop();
  ll u=cur.second;
  ll d=cur.first;
  if(d>dist[u][k-1])
     continue; }
  for(ll i=0; i < adj[u].size(); i++){
     11 \text{ v} = \text{adj}[u][i].\text{first};
     ll d1=adj[u][i].second;
     if(d+d1 < dist[v][k-1])
        dist[v][k-1]=d+d1;
        pq.push(\{dist[v][k-1],v\});
        srt(dist[v]); } }}
for(ll i=0; i<k; i++) {
  cout<<dist[n][i]<<" ";}
cout << endl;}
```

#### **Topological Sort**

```
vector<int> adj[N];
vector<int> longestDistance(N, INF);
void topo_Sort(int node, vector<bool>& visited,
stack<int>& st) {
  visited[node] = true;
  for (int child : adj[node]) {
    if (!visited[child]) {
      dfs(child, visited, st);
    }
}
```

```
st.push(node);
void longestPathDAG(int src, int n) {
  vector<br/>bool> visited(n, false);
  stack<int> st;
  for (int i = 1; i < n; ++i) {
     if (!visited[i]) {
       topo Sort(i, visited, st);
  longestDistance[src] = 0;
  while (!st.empty()) {
     int node = st.top();
     st.pop();
     if (longestDistance[node] != INF) {
       for (int child : adj[node]) {
   longestDistance[child] =
max(longestDistance[child], longestDistance[node] +
1);}}}}
```

#### String

#### Hashing

```
pw[0] = 1;
for(int i = 1; i < 300015; i++)
pw[i] = (pw[i - 1] * base) % MOD; }

ll get_hashval(string str){
int len=str.length();
ll hash_val=0;
for(int i = 0; i < len; i++){
hash_val=((hash_val*base)+str[i])%MOD;
HASH[i+1]=hash_val; }
return hash_val; }

ll SubstringHash(int l, int r){
return (HASH[r]-(HASH[l-1]*pw[r-l+1]) %</pre>
```

MOD + MOD) % MOD;

# **Z-Algorithm:**

```
string S; int z[MAX];  
void zFunction() { 
   int left , right; 
   left = right = z[0] = 0; 
   for(int i=1;i<S.size();i++) { 
      if(i <= right) 
      z[i] = min(z[i-left],right-i+1); 
      while(i+z[i] < S.size() && S[i+z[i]] == S[z[i]]) z[i]++; 
      if(i+z[i]-1 > right) 
   left = i , right = i+z[i]-1; } }
```

# bool isSubstr(string t,string p) { S = p + "#" + t;

zFunction(); for(int i=p.size()+1;i<S.size();i++) { if(z[i] == p.size()) return true; } return false; }

# int countSubstr(string t,string p) {

S = p + "#" + t;
memset(z,0,sizeof z);
zFunction();
int cnt = 0;
for(int i=p.size()+1;i<S.size();i++) {
 if(z[i] == p.size())
 cnt++; }
return cnt; }</pre>

#### KMP:

```
vector<int> prefix_function(string s) {
  int n = (int)s.length();
  vector<int> pi(n);
  for (int i = 1; i < n; i++) {
    int j = pi[i-1];
    while (j > 0 && s[i] != s[j])
        j = pi[j-1];
    if (s[i] == s[j])
        j++;
```

```
pi[i] = j;
  return pi;}
void solve(int cs){
  string s,s1;
  cin>>s;
  s1=s;
  reverse(s1.begin(),s1.end());
  s = s + "#" + s1;
  vector < int > v = prefix function(s);
  int mx=0;
  //cout<<s<endl:
  for(int i=(s.length()/2); i< v.size(); i++){
    mx=max(mx,v[i]);
    //cout<<i<" "<<v[i]<<endl; }
  for(int i=mx-1; i>=0; i--){
    cout << s[i]; 
  cout << endl;}
```

#### **Suffix Array**

```
const int mxN = 1e+5,K = 20;
int sa[mxN], pos[mxN],
tmp[mxN],st[mxN][K+1],lcp[mxN],pre[mxN], gap,
N;
bool comp(int x, int y) {
if(pos[x] != pos[y])return pos[x] < pos[y];
x += gap;
```

```
st[i][j] = min(st[i][j-1], st[i+(1<<j-1)][j-1]); \} \}
y += gap;
                                                          return ans; }
return (x < N \&\& y < N) ? pos[x] < pos[y] : x > y; 
void suffix(string &s) {
                                                          int patternExistsRB(int l,int r, string &s, string &x) int findFirstIdx(int l,int r, string s,string &x) {
                                                                                                                     int L=patternExistsLB(l,r,s,x);
for (int i = 0; i < N; i++) sa[i] = i, pos[i] = s[i];
for (gap = 1); gap <<= 1)
                                                          int ans=-1;
                                                                                                                     if(L==-1)return -1;
sort(sa, sa+N, comp);
                                                          while (1 \le r)
                                                                                                                     int R=patternExistsRB(L,r,s,x);
for (int i = 0; i < N-1; i++)
                                                          int m = 1 + (r-1)/2;
                                                                                                                     return query(L,R); }
tmp[i+1] = tmp[i] + comp(sa[i], sa[i+1]);
                                                          int v = check(m,s,x);
for (int i = 0; i < N; i++)
                                                          if (v == 0) {
                                                                                                                     void build lcp(string &s){
pos[sa[i]] = tmp[i];
                                                          ans = m; 1 = m + 1;
                                                                                                                     for (int i = 0, k = 0; i < N; i++) if (pos[i]!= N-1) {
if (tmp[N-1] == N-1) break; } }
                                                          else if (v == -1) 1 = m + 1;
                                                                                                                     int j = sa[pos[i] + 1];
                                                          else r = m - 1; 
                                                                                                                     while (s[i+k] == s[j+k]) k++;
int check(int m, string &s, string &x) {
                                                          return ans; }
                                                                                                                     lcp[pos[i]] = k;
int f = -1, k = x.size(), j = sa[m];
                                                                                                                     if (k) k--; } }
if (N - j >= k)f = 0;
                                                          int patternCount(int l,int r, string s,string &x) {
for (int i = 0; i < min(N - j, k); i++) {
                                                          int L=patternExistsLB(l,r,s,x);
                                                                                                                     long long int getUniqueSubCnt() {
if (s[j+i] < x[i]) return -1;
                                                          if(L==-1)return 0;
                                                                                                                     long long int sm = accumulate(lcp, lcp+N, 0LL);
                                                                                                                     long long int tot = ((long long)1*(N)*(N+1))/2;
if (s[j+i] > x[i]) return 1; }
                                                          int R=patternExistsRB(L,r,s,x);
return f; }
                                                          return (R-L)+1; }
                                                                                                                     tot-=sm;
                                                                                                                     return tot; }
int patternExistsLB(int l,int r, string &s, string &x) int query(int l, int r) {
                                                                                                                     void printEveryUngiueSubStirngCnt() {
                                                          int i = log2(r-l+1);
                                                                                                                     int prev = 0;
                                                          return min(st[1][j], st[r-(1 << j)+1][j]) + 1; }
                                                                                                                     for (int i = 0; i < N; i++) {
int ans=-1:
while (1 \le r) {
                                                                                                                     pre[prev + 1]++;
int m = 1 + (r-1)/2;
                                                          void buildIdx() {
                                                                                                                     pre[N - sa[i] + 1]--;
                                                          for (int i = 0; i < N; i++)
int v = check(m, s, x);
                                                                                                                     prev = lcp[i]; 
if (v == 0)
                                                          st[i][0] = sa[i];
                                                                                                                     for (int i = 1; i \le N; i++) {
ans = m; r = m - 1; }
                                                                                                                     cout << pre[i] << ' ';
else if (v == 1) r = m - 1;
                                                                                                                     pre[i+1] += pre[i];} }
                                                          for (int j = 1; j \le K; j++) {
else 1 = m + 1; }
                                                          for (int i = 0; i + (1 << i) <= N; i++) {
```

string kthDistinctSubstring(string s,long long k){

```
long long prev = 0;
long long cur = 0;
for (int i = 0; i < N; i++)
if (cur + (N-sa[i]) - prev \ge k) {
long long i = prev;
string ans = s.substr(sa[i], j);
while (cur < k)
ans += s[sa[i]+j];
cur++; j++; }
return ans; }
cur += (N-sa[i]) - prev;
prev = lcp[i]; 
return ""; }
       Palindromic Ouerv
char s[MAX+500], ori[MAX+50];
vector<int>adj[MAX];
ull pw[MAX];
int n.g. cnt=0;
struct BIT{
ull t[MAX];
#define lowb (i&-i)
void modify(int i,ull k) {
while(i \le n)t[i]+=k,i+=lowb; }
ull Qsum(int i) {
ull res=0;
```

```
while(i)res+=t[i],i-=lowb;
return res; }
} t1,t2;
void build(){
for(int i=0; i< n; i++)ori[i]=s[i];
pw[0]=1;
for(int i=1; i \le n; ++i)pw[i]=pw[i-1]*131;
for(int i=1; i \le n; ++i) {
t1.modify(i,(s[i-1]-'a'+1)*pw[n-i+1]);
t2.modify(i,(s[i-1]-'a'+1)*pw[i]); } }
void update(char c, int pos) {
t1.modify(pos,(c-s[pos-1])*pw[n-pos+1]);
t2.modify(pos,(c-s[pos-1])*pw[pos]); }
bool isPalindrome(int l,int r) {
ull f1=t1.Qsum(r)-t1.Qsum(l-1);
ull f2=t2.Qsum(r)-t2.Qsum(1-1);
if(n-r-l+1)=0) return (f1==f2*pw[n-r-l+1]);
else return (f1*pw[r+l-1-n]==f2); }
void reset() {
cnt=0:
for(int i=1; i \le n; i++)
adi[i].clear();
for(int i=0; i<=n; i++)
t1.t[i]=0,t2.t[i]=0;
// Query
```

```
isPlaindome(l,r)
update(c,idx);
str[idx-1]=c;
///
```

#### K-th LexigrophaicallySmallestSubString

```
const int N = 1e5 + 5;
struct state {
int len, link, next[26];
11 \text{ cnt} = 0, \text{ cnt} 2 = -1;
};
string s; state st[2 * N];
int n, k, sz, last;
vector<pair<int, int>> order;
void st init() {
st[0].len = 0;
st[0].link = -1;
sz++; last = 0; }
void dfs(int u) {
if (st[u].cnt2 != -1) return;
st[u].cnt2 = st[u].cnt;
for (int i = 0; i < 26; ++i) {
if(st[u].next[i]) {
dfs(st[u].next[i]);
st[u].cnt += st[st[u].next[i]].cnt; } }
void st extend(int c) {
int cur = sz++;
```

```
st[cur].len = st[last].len + 1;
st[cur].cnt = 1;
order.emplace back(st[cur].len, cur);
int p = last;
while (p != -1 \&\& !st[p].next[c]) {
st[p].next[c] = cur;
p = st[p].link; 
if (p == -1) st[cur].link = 0;
else {
int q = st[p].next[c];
if(st[p].len + 1 == st[q].len)
st[cur].link = q;
else {
int clone = sz++;
st[clone].len = st[p].len + 1;
st[clone].link = st[q].link;
memcpy(st[clone].next, st[q].next, sizeof(st[q].next));
order.emplace back(st[clone].len, clone);
while (p != -1 \&\& st[p].next[c] == q) {
st[p].next[c] = clone;
p = st[p].link; 
st[cur].link = st[q].link = clone; } }
last = cur; 
int main() {
cin >> s >> k;
n = s.length(); k += n;
st init();
for (int i = 0; i < n; ++i) st extend(s[i] - 'a');
sort(order.begin(), order.end());
```

```
reverse(order.begin(), order.end());
for (auto &p: order) {
st[st[p.second].link].cnt += st[p.second].cnt; }
dfs(0);
if (st[0].cnt < k) {
cout << "No such line.";
return 0; }
int cur = 0;
while (k > st[cur].cnt2) {
k = st[cur].cnt2;
for (int i = 0; i < 26; ++i) {
if (st[cur].next[i]) {
int j = st[cur].next[i];
if (st[i].cnt < k) k = st[i].cnt:
else {
cout \ll (char)(i + 'a');
cur = j;
break; } } } }
```

# LIS

**Dynamic Programming** 

```
int lis(vector<int> const& a) {
  int n = a.size();
```

```
const int INF = 1e9;
  vector<int> d(n+1, INF);
  d[0] = -INF;
  for (int i = 0; i < n; i++) {
     int l = upper_bound(d.begin(), d.end(), a[i]) -
     d.begin();
     if (d[l-1] < a[i] && a[i] < d[l])
        d[l] = a[i];
  }
  int ans = 0;
  for (int l = 0; l <= n; l++) {
     if (d[l] < INF)
        ans = l;
  }
  return ans;}</pre>
```

#### **LNDS**

```
int lnds[MAX];
int LNDS(int n) {
lnds[1]=arr[1]; //1 base index
int len = 1;
for(int i = 2; i<=n;i++) {
  if(arr[i]>=lnds[len])
lnds [++ len] = arr [i];
  else {
  int j=upper_bound(lnds+1,lnds+len+ 1,arr[i])-lnds;
  lnds [j] = arr [i]; }
  return len; }
```

#### SOS DP

```
\begin{split} & \text{for}(\text{int } i=0; i < (1 << N); ++i) \; \{ \\ & F[i] = A[i]; \; \} \\ & \text{for}(\text{int } i=0; i < N; ++i) \; \{ \\ & \text{for}(\text{int mask=0;mask<(1<< N); ++mask)} \; \{ \\ & \text{if}(\text{mask & (1 << i))} \; \{ \\ & F[\text{mask}] += F[\text{mask} \; ^ \land \; (1 << i)]; \; \} \; \} \} \end{split}
```

#### Meet in the middle

# void calcsubarray(ll a[], ll x[], int n int c) {

```
int n, int c) {
for (int i=0; i<(1<<n); i++) {
ll s = 0;
for (int j=0; j<n; j++)
if (i & (1<<j))
s += a[j+c];
x[i] = s; }
ll SSsum(ll a[],int n,ll S) {
calcsubarray(a, X, n/2, 0);
calcsubarray(a, Y, n-n/2, n/2)</pre>
```

```
Il SSsum(Il a[],int n,ll S) {
calcsubarray(a, X, n/2, 0);
calcsubarray(a, Y, n-n/2, n/2);
int size_X = 1 << (n/2);
int size_Y = 1 << (n-n/2);
sort(Y, Y+size_Y);
Il mx = 0;
for (int i=0; i<size_X; i++) {
if (X[i] <= S) {
int p =lower bound(Y,Y+size Y,
```

S-X[i])-Y;

```
if(p==size_Y || Y[p]!=(S-X[i])) \\ p--; \\ if((Y[p]+X[i]) > mx) \\ mx = Y[p]+X[i]; \} \\ return mx; \}
```

#### Digit Dp

```
vector<int>num;
int sz,k,n,m;
int dp[10][2][100][100];
int digitdp(int pos,int issmall,int sum,int val) {
if(pos==sz) {
if(!sum && !val)
return 1;
return 0; }
if(dp[pos][issmall][sum][val]!=-1)
return dp[pos][issmall][sum][val];
int lim;
if(issmall==0)
lim=num[pos];
else
lim=9;
int ans=0;
for(int digit=0; digit<=lim; digit++) {
int cur issmall=issmall;
if(issmall==0 && digit<lim)
cur issmall=1;
int cur sum=(sum+digit)%k;
int cur val=((val*10)+digit)%k;
```

```
ans+=digitdp(pos+1,cur_issmall,cur_sum,cur_val); }
return dp[pos][issmall][sum][val]=ans;}
```

```
int solve(int n) {
  num.clear();
  while(n>0) {
  num.push_back(n%10);
  n/=10; }
  sz=num.size();
  reverse(num.begin(),num.end());
  memset(dp,-1,sizeof(dp));
  return digitdp(0,0,0,0); }
```

#### Kadane

```
int kadane(int sz) {
  int max_so_far=arr[0];
  int max_ending_here=0;
  int st=0,en=0,point=0;
  for(int i=0; i<sz; i++) {
    max_ending_here=max_ending_here+arr[i];
    if(max_so_far<max_ending_here) {
      max_so_far=max_ending_here;
      st=point,en=i; }
    if(max_ending_here<0) {
      max_ending_here=0;
      point=i+1; } }
    return max_so_far; }
      Bit Mask Dp</pre>
```

```
11 arr[20][20];
11 n;
```

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Il dp[20][(1<<16)+10];

Il bitmaskdp(ll i, ll mask){
 if(mask==((1<<n)-1))return 0;
 if(~dp[i][mask]) return dp[i][mask];

Il ans=0;

for(int j=0; j<n; j++){
 if((mask&(1<<j))==0){

ans=max(ans,arr[i][j]+bitmaskdp(i+1,mask|(1<<j)));
 } }

return dp[i][mask]=ans;}</pre>

#### **GEOMETRY**

# **Triangle:**

- To form: a+b>c, b+c>a, c+a>b
- Check if 3 points form triangle: |(x2-x1)(y3-y1)-(y2-y1)(x3-x1)| > 0

**Perimeter:** p = a+b+c

**Area: 1)** (a\*b)/2

- 2) (abSinC)/2
- 3) sqrt(s(s-a)(s-b)(s-c)); ///s=(p/2)
- **4)** (sqrt(3)/4)\*a\*a; ///equi triangle
- **5)** (b\*sqrt(4\*a\*a-b\*b))/4; ///isosceles

**Pythagoras:** a\*a+b\*b=c\*c

**SineRule:** a/SinA=b/SinB=c/SinC

CosineRule: CosA = (b\*b+c\*c-a\*a)/2bc

Centre: x=(x1+x2+x3)/3, y=(y1+y2+y3)/3

**Median:** AD=sqrt((2\*b\*b+2\*c\*c-a\*a)/4)

Centroid: AG=sqrt(2\*b\*b-2\*c\*c-a\*a)/3

**Inradius:** A/s

Circumradius: a/(2\*sinA)

r = abc/sq((a+b+c)(a+b-c)(a+c-b)(b+c-a))

#### **Circle:**

**Distance**:  $sqrt((x2-x1)^2 + (y2-y1)^2)$ 

Check if 3 points are in same line:

x1\*(y2-y3)-x2(y1-y3)+x3(y1-y2) = 0

Find a circle that covers 2 given:

x3 = (x1+x2)/2, y3 = (y1+y2)/2

r = dist(x1,y1,x2,y2)

**Lattice Points:**  $1+\gcd(|x_1-x_2|,|y_1-y_2|)$ 

Slope formed by 2 points:(y2-y1)/(x2-x1)

Area of sector of circle: ½ r^2\*θ

Arc Length: r\*θ

# Parallelogram:

Given 3 points find 4th point:

Dx = Ax + (Cx-Bx)

Dy = Ay + (Cy-By)

Area:  $\frac{1}{2}((Ax*By+Bx*Cy+Cx*Dy+Dx*Ay)$ 

-(Ay\*Bx + By\*Cx + Cx\*Dx + Dy\*Ax))|

# **Trapezium:**

**Area:**(a+b)/(a-b) \* sqrt((s-a)(s-b) (s-b-c)(s-b-d))

-> s = (a+b+c+d)/2

-> a = long parallel side

-> b = short parallel side

-> c,d = non-parallel side

Area:h\*((b1+b2)/2)

 $H:sq(b^2-(b^2-d^2+(a-c)^2)/2(a-c)^2)$ 

# **Right Circular Cone:**

**Volume**:(pie\*h/3)\*(R^2+R\*r+r^2)

**Lateral surface Area**:pie(r+R)\*S

Area of the base:pie\*r^2

Lateral area:pie\*r\*L

**Total Surface A:**pie\*r^2+pie\*r\*s

Volume: 1/3 \* pie \* r^2 \* h

 $s=sq(r^2+h^2)$ 

# **Polygon:**

The sum of the interior angles:  $(2n-4) \times 90^{\circ}$ 

\*Area of the largest square inside

a pentagon->

 $s*(\sin(108)/(\sin(18)+\sin(36)))$ 

Area: $(s^2*n)/4*tan(180/4)$ 

**Area**: $(r^2*n*\sin(360/n))/2$ 

Area:Apo $^2*n*tan(180/n)$ 

Area:  $\frac{1}{4}$  sq(5\*(5+2sq(5)))\*s^2

Area:(Apo\*s)/2

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Area:pr/2

Area:  $\frac{1}{2}$ \*n\*sin(360/n)\*s^2

**Area**:n\*apo^2\*tan(180/n)

Area:(n\*r\*sin(2\*(180/n)))/2

**Area**:  $(\frac{1}{4} * n * s^2)/\tan(180/n)$ 

Perimeter:5\*s

**Diagonal**: (s\*(1+sq(5)))/2

**Height**: (s\*sq(5+2sq(5)))/2

an:2\*R\*sin(180/n) ..here:an=side of

regular inscribed polygon,R=radius

of circumscribed circle.

Sum of interior angles of a

Convex polygon: 180(n-2)

Exterior taken one at each

vertex:360

measurement of Exterior Ang:360/n

Measure Interior An:((n-2)\*180)/n

**No. Of Dia**:(n\*(n-3))/2

No. Of Tri:N-2

**Side**:2\*R\*sin(180/n)

Apo: $R*\cos(180/n)$ 

**Side**:2\*apo\*tan(180/n)

Area of smallest tri: ½\*apo\*(s/2)

 $= \frac{1}{2}$ \*Apo^2\*tan(180/n)

Intersection points of diagonals of n(odd) sided

**regular polygon** = nC4

# **Truncated Cone:**

 $z=(H*r2^2)(r1^2-r2^2)$ 

 $R = (\frac{1}{2} r1^2(z+h))/(H+z)$ 

**Volume**: $\frac{1}{3}$ \*pie\*h\*(R^2+(R\*r2)+r2^2)

Volume of a cylinder: pi\*r\*r\*h

Volume of a triangular prism: .5\*b\*h\*H

#### **Combinatorics:**

# **Summation of squares of n natural numbers:**

(n\*(n+1)\*(2n+1))/6

C(**n,r**): n! / (r! \* (n-r)!)

C(n,r): (n\*(n-1)\*..\*(n-r+1)) / r!

**P(n,k):** n! / (n-k)!

 $\rightarrow$  nCk = nCn-k

-> Ways to go from (0,0) to (r,c):

(r+c)Cr or (r+c)Cc

-> Ways to go from (0,0,0) to (x,y,z): (x+y+z)Cx \*

(y+z)Cy

-> a1+a2+.+an = k, ai>=0: C(k+n-1,n-1)

-> Catalan Numbers:

C(n) = (2n)! / ((n+1)! \* r!)

#### Others:

Decider for a point located left or right of a line:

d=(x3-x2)\*(y2-y1)-(y3-y2)\*(x2-x1)

**Number of digits:** log10(n)+1

**Depth of road water:** (s^2-h^2)/2h

//sum of series n/1+n/2+n/3+....n/n

1l root=sqrt(n);

for(int i=1; i<=root; i++)

sum+=n/i;

sum=(2\*sum)-(root\*root);

count the numbers that are divisible by given number in a

certain range:a=2,b=3,c=7;

low=(a+b-1)/a;

high=c/a;

total=high-low+1;

**Euler Constant**: γ≈0.5772156649

#Number of squares in a n\*n grid:

S=(n\*(n+1)\*(2\*n+1))/6;

#Number of rectangle in a n\*n grid:

R=(n+1)\*n/2\*(n+1)\*n/2 - S;

#Total number of rectangle and square in a n\*n

grid:

ans= $[(n^2 + n)^2]/4$ 

#Number of squares in a n\*m grid

exp:6\*4

S=6\*4+5\*3+4\*2+3\*1=50

**#Number of rectangles in n\*m grid** 

R=m(m+1)n(n+1)/4

#Number of cubes in a n\*n\*n grid

formula: $n^k-(n-2)^k$ 

C=n\*(n+1)/2\*n\*(n+1)/2;

**#Number of boxes in a n\*n\*n grid:** 

B=(n+1)\*n/2\*(n+1)\*n/2\*(n+1)\*n/2-C;

**#Number of hypercube in a n^4grid:** 

start a loop from 1 to <=n;

HC=0;

 $for(i=1;i \le n;i++)$ 

```
HC+=i*i*i*i;
                                                                 r1++,c1++,r2++,c2++;
#Number of hyper box in a n^4 grid:
                                                                 int res =0;
HB=(n+1)*n/2*(n+1)*n/2*(n+1)*n/2*(n+1)*n/2 - HC;
                                                                 res+=Sum(r2, c2);
                                                                 res-=Sum(r1 - 1, c2);
                                                                 res-=Sum(r2, c1 - 1);
   rectangle sum in ranges:
    #define ms0(s) memset(s,0,sizeof s)
                                                                 res = Sum(r1 - 1, c1 - 1);
    ll bit[SZ][SZ],data[SZ][SZ],R, C;
                                                                 printf("%d\n",res);}
   void Update(ll r, ll c, ll val)
    \{for(11 i=r; i \le R; i+=i\&-i)\}
                                                            Physics Formuas
   for(11 j=c; j<=C; j+=j\&-j)
                                                            motion
      bit[i][i] += val;
                                                           v = u + at
   ll Sum(ll r,ll c)
                                                           s = ut + (1/2) at*t
    \{ 11 i, j, s = 0; 
                                                           v*v - u*u = 2*a*s
    for (i = r; i > 0; i \&= i - 1)
   for (j = c; j > 0; j \&= j - 1)
                                                            Projectile motion
       s += bit[i][i];
                                                           x = utcos\theta
      return s; }
                                                           y = utsin\theta - (1/2) gt*t
                                                           y = x \tan\theta - g^*x^*x/(2u^*u^*\cos\theta^*\cos\theta)
    int main()
    \{ R = C = n;
                                                           T = 2u \sin\theta/g
                                                           R = u * u * \sin 2\theta / g
      ms0(bit);
      ms0(data);
                                                           H = u u \sin\theta \sin\theta/2g
    if(!strcmp(s,"SET"))
    { int r,c,val;
                                                            others:
    scanf("%d %d %d",&r,&c,&val);
                                                            p=mv
                                                           v*v/r*g = tan\theta(Banking angle)
         r++,c++;
                                                           W = F S \cos \theta
   Update(r, c, -data[r][c] + val);
         data[r][c] = val; }
                                                            K = (\frac{1}{2})mv^*v = p^*p/2m
   else if(!strcmp(s,"SUM"))
                                                            T = 2*\pi*sqrt(1/g)
    { int r1,c1,r2,c2;
                                                            Trigonometry
      TAKEINPUT
```

```
\sin 2\theta = 2\sin\theta\cos\theta
\cos 2\theta = \cos \theta * \cos \theta - \sin \theta * \sin \theta
\sin 3\theta = 3\sin \theta - 4 \sin \theta \sin \theta \sin \theta \sin \theta
\cos 3\theta = 4 \cos \theta \cos \theta \cos \theta - 3 \cos \theta
For triangle:
a=bcosC+ccosB
b=acosC+ccosA
c=bcosA+acosB
sin(A+-B)=sinAcosB +- cosAsinB
cos(A+-B)=cosAcosB -+ sinAsinB
Circle Line intersection
double r, a, b, c; // given as input
//ax+by+c=0//EPS=1e-9
double x0 = -a*c/(a*a+b*b), y0 = -b*c/(a*a+b*b);
if (c*c > r*r*(a*a+b*b)+EPS)
  puts ("no points");
else if (abs (c*c - r*r*(a*a+b*b)) \le EPS){
puts ("1 point");
cout << x0 << '' << y0 << '\n'; 
else {
double d = r*r - c*c/(a*a+b*b):
double mult = sqrt (d / (a*a+b*b));
double ax, ay, bx, by;
```

ax = x0 + b \* mult;

bx = x0 - b \* mult;

ay = y0 - a \* mult;

by = y0 + a \* mult;

puts ("2 points");

```
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```

./gen.exe i > int

```
cout << ax << ' ' << ay << '\n' << bx << ' ' << by << '\n';}
```

#### Miscellaneous

# Fast I/O:

```
#define pc putchar
#define fastread() (ios base::
    sync with stdio(false),cin.tie(NULL));
void Cin(ll &num) {
  num = 0;
  char ch = gc();
  11 flag = 0;
  while(!((ch \geq= '0' & ch \leq= '9') || ch == '-')) {
     ch = gc();
  if(ch == '-')  {
     flag = 1;
     ch = gc();
  while(ch >= '0' && ch <= '9') {
     num = (num << 1) + (num << 3) + ch - '0';
     ch = gc();
  if(flag == 1) {
     num = 0 - num; \} \}
void Cout(ll n)
{ ll num=n,rev=n,cnt=0;
  char ch;
  if(n==0)
  { pc('0');
     return;}
```

```
while(rev%10==0)
                                                       diff -w <(./bad sol.exe < int) <(./good sol.exe < int) |
      { cnt++;rev/=10;
                                                       break
                                                       done
      rev=0:
                                                       //good sol.cpp for bruteforce
                                                       //bad sol.cpp for original solution
      while(num>0)
      \{ rev = (rev << 3) + (rev << 1) + num %10; \}
                                                                       Sublime-build(linux)
        num/=10;
      while(rev>0)
                                                       "cmd": ["g++ -std=c++14 $file name -o
      \{ch=(rev\%10)+'0';
                                                       $file base name && timeout 4s
        pc(ch);
        rev = 10;
                                                       ./\file base name<inputf.in>outputf.in"],
                                                       "selector": "source.c",
      while(cnt--)pc('0');}
Miscellaneous
                                                       "shell": true,
#include<br/>bits/stdc++ h>
                                                       "working dir": "$file path"
using namespace std;
#define bug(var) cout<<#var<<" "<<var<<endl:</pre>
                                                                     Sublime-build(Windows)
#define FastRead ios::sync with stdio(0); cin.tie(0);
                                                       "cmd": ["g++.exe","-std=c++14", "${file}", "-o",
cout.tie(0);
#define pi acos(-1)
                                                       "${file base name}.exe", "&&",
                                                       "${file base name}.exe<inputf.in>outputf.in"],
Generate Random
mt19937 64//
                                                       "selector": "source.cpp",
rng(chrono::steady clock::now().time since epoch().c
                                                       "shell":true,
                                                        "working dir": "$file path"
ount());
inline ll gen random(ll l, ll r) {
  return uniform int distribution<11>(1, r)(rng);
                                                                              i/o Text
                                                       #ifndef ONLINE JUDGE
Stress Test
                                                       freopen("input.txt", "r", stdin);
                                                       freopen("output.txt", "w", stdout);
for((i = 1; ; ++i)); do
echo $i
                                                       #endif
```