## (LSTM) 1. Recurrent Neural Network recurrent neural network store the output activations from one or more of the layers of the network,

often called hidden layers The next time we feed an input to the network, we include the previously-stored outputs as additional inputs.

RNNs are quite powerful but, they suffer from Vanishing gradient

It hinders them from long term information, hence limiting RNN with poor results.

Instead, we use a better variation of RNNs: Long Short Term Networks(LSTM).

**Recurrent Neural Networks & Day Trading** 

- y(t-1) y(t+1) y(t)
- W W h(t+1) h(t-2) h(t-1) h(t)
- x(t-1) x(t) x(t+1) 2. Long Short Term Networks(LSTM)

 $\mathbf{i}_t \circ \tilde{\mathbf{c}}_t$ 

the problem of long-term dependencies.

an output gate, and a forget gate.

Candidate (memory) cell state  $\tilde{\mathbf{c}}_t = \tanh\left(\mathbf{W}_c[\mathbf{h}_{t-1}, \mathbf{x}_t] + \mathbf{b}_c\right)$ Cell & Hidden state sigmoid tanh sigmoid sigmoid  $\mathbf{c}_t = \mathbf{f}_t \circ \mathbf{c}_{t-1} + \mathbf{i}_t \circ \tilde{\mathbf{c}}_t$ 

• This is a popular RNN architecture is a solution to vanishing gradient problem. They work to address

• LSTMs have "cells" in the hidden layers of the neural network, which have three gates-an input gate,

These gates control the flow of information which is needed to predict the output in the network.

(tanh)

**LSTM** 

 $\mathbf{o}_t \circ \tanh(\mathbf{c}_t)$ 

 $\mathbf{c}_t$ 

 $\rightarrow \mathbf{h}_t$ 

Gating variables

 $\mathbf{h}_t = \mathbf{o}_t \circ \tanh(\mathbf{c}_t)$ 

 $\mathbf{f}_t = \sigma\left(\mathbf{W}_f[\mathbf{h}_{t-1}, \mathbf{x}_t] + \mathbf{b}_t\right)$ 

 $\mathbf{i}_t = \sigma\left(\mathbf{W}_i[\mathbf{h}_{t-1}, \mathbf{x}_t] + \mathbf{b}_i\right)$ 

 $\mathbf{o}_t = \sigma \left( \mathbf{W}_o[\mathbf{h}_{t-1}, \mathbf{x}_t] + \mathbf{b}_o \right)$ 

- $\mathbf{h}_t$
- 3. Code Execution | # Importing the libraries import numpy as np import matplotlib.pyplot as plt plt.style.use('fivethirtyeight') import pandas as pd from sklearn.preprocessing import MinMaxScaler from keras.models import Sequential from keras.layers import Dense, LSTM, Dropout, GRU, Bidirectional from keras.optimizers import SGD import math from sklearn.metrics import mean squared error
- # Some functions to help out with def plot predictions(test, predicted): plt.plot(test, color='red',label='Real IBM Stock Price') plt.plot(predicted, color='blue',label='Predicted IBM Stock Price')

**IBM** 

**IBM** 

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**IBM** 

IBM stock price

# Since LSTMs store long term memory state, we create a data structure with 60 timeste # So for each element of training set, we have 60 previous training set elements

We use reshape() funtion to change the shape of the array. Here we added 1 to convert 2D array to 3D

2014

def return rmse(test, predicted): rmse = math.sqrt(mean squared error(test, predicted)) print("The root mean squared error is {}.".format(rmse))

# First, we get the data

plt.xlabel('Time')

plt.legend() plt.show()

dataset = pd.read csv('https://github.com/koshtinikhilesh/NeuralNetwork Project/blob/r dataset.head() Open High Low Close Volume Name **Date** 

plt.title('IBM Stock Price Prediction')

plt.ylabel('IBM Stock Price')

**2006-01-03** 82.45 82.55 80.81 82.06 11715200 **2006-01-04** 82.20 82.50 81.33 81.95 9840600 **2006-01-05** 81.40 82.90 81.00 82.50 7213500 **2006-01-06** 83.95 85.03 83.41 84.95 8197400

**2006-01-09** 84.10 84.25 83.38 83.73

plt.title('IBM stock price')

Training set (Before 2017) Test set (2017 and beyond)

plt.show()

X train = []  $y_{train} = []$ 

for i in range(60,2769):

We have taken 60 as our time step value.

3. Stacked LSTM Model

sequential output to the next LSTM layer.

# Reshaping X train for efficient modelling

150

# Checking for missing values training set = dataset[:'2016'].iloc[:,1:2].values test\_set = dataset['2017':].iloc[:,1:2].values # We have chosen 'High' attribute for prices. Let's see what it looks like dataset["High"][:'2016'].plot(figsize=(16,4),legend=True)

dataset["High"]['2017':].plot(figsize=(16,4),legend=True)

plt.legend(['Training set (Before 2017)','Test set (2017 and beyond)'])

100 2006 2012 # Scaling the training set sc = MinMaxScaler(feature range=(0,1)) training set scaled = sc.fit transform(training set)

LSTM are sensitive to the scale of the data. so we apply MinMax scaler

X train.append(training set scaled[i-60:i,0]) y\_train.append(training\_set\_scaled[i,0])

X train, y train = np.array(X\_train), np.array(y\_train)

n no of time\_steps in LSTM = n no of previous training elements

X\_train = np.reshape(X\_train, (X\_train.shape[0], X\_train.shape[1],1))

2D array provide medium complexity but 3D array provide maximum complexity.

The Stacked LSTM is nothing but an LSTM Model with multiple LSTM layers. The LSTM layer gives a

**LSTM** 

**LSTM** 

- Input
- Output
- # The LSTM architecture regressor = Sequential() # First LSTM layer with Dropout regularisation regressor.add(LSTM(units=50, return sequences=True, input shape=(X train.shape[1],1))) regressor.add(Dropout(0.2)) # Second LSTM layer regressor.add(LSTM(units=50, return sequences=True)) regressor.add(Dropout(0.2)) # Third LSTM layer regressor.add(LSTM(units=50, return sequences=True)) regressor.add(Dropout(0.2)) # Fourth LSTM layer regressor.add(LSTM(units=50)) regressor.add(Dropout(0.2)) # The output layer regressor.add(Dense(units=1)) # Compiling the RNN regressor.compile(optimizer='rmsprop',loss='mean squared error') # Fitting to the training set regressor.fit(X\_train,y\_train,epochs=50,batch\_size=32) Epoch 1/50 85/85 [============ - - 22s 134ms/step - loss: 0.0236 Epoch 2/50 85/85 [============= ] - 11s 129ms/step - loss: 0.0108 Epoch 3/50

85/85 [============= - - 11s 130ms/step - loss: 0.0081

85/85 [============= ] - 12s 143ms/step - loss: 0.0057

85/85 [============= - - 11s 131ms/step - loss: 0.0038

85/85 [============ ] - 11s 134ms/step - loss: 0.0037

85/85 [============ ] - 11s 132ms/step - loss: 0.0030

85/85 [============ ] - 11s 133ms/step - loss: 0.0030

85/85 [============ - - 11s 131ms/step - loss: 0.0029

85/85 [============= - - 11s 132ms/step - loss: 0.0028

85/85 [=======] - 11s 131ms/step - loss: 0.0026

85/85 [============= ] - 11s 133ms/step - loss: 0.0025

85/85 [============== ] - 11s 132ms/step - loss: 0.0025

85/85 [============= ] - 13s 148ms/step - loss: 0.0023

85/85 [============ ] - 11s 131ms/step - loss: 0.0024

85/85 [============ - - 11s 132ms/step - loss: 0.0023

85/85 [============= ] - 11s 132ms/step - loss: 0.0022

85/85 [============= - - 11s 129ms/step - loss: 0.0022

85/85 [============ ] - 11s 133ms/step - loss: 0.0015

Epoch 4/50

Epoch 5/50

Epoch 6/50

Epoch 7/50

Epoch 8/50

Epoch 9/50

Epoch 10/50

Epoch 11/50

Epoch 12/50

Epoch 13/50

Epoch 14/50

Epoch 15/50

Epoch 16/50

Epoch 17/50

Epoch 18/50

Epoch 19/50

Epoch 20/50

Epoch 21/50

Epoch 22/50

Epoch 23/50

Epoch 24/50

Epoch 25/50

Epoch 26/50

Epoch 27/50

Epoch 28/50

Epoch 29/50

Epoch 30/50

Epoch 36/50

Epoch 37/50

Epoch 43/50

- 85/85 [========== ] 11s 130ms/step loss: 0.0020 Epoch 31/50 Epoch 32/50 85/85 [============ ] - 11s 131ms/step - loss: 0.0019 Epoch 33/50 Epoch 34/50 85/85 [============= - - 11s 133ms/step - loss: 0.0017 Epoch 35/50 85/85 [============ ] - 11s 132ms/step - loss: 0.0018
- Epoch 38/50 85/85 [============= ] - 12s 146ms/step - loss: 0.0018 Epoch 39/50 85/85 [============ ] - 11s 132ms/step - loss: 0.0017 Epoch 40/50 Epoch 41/50 Epoch 42/50 85/85 [============ ] - 11s 132ms/step - loss: 0.0016
- Epoch 44/50 Epoch 45/50 Epoch 46/50 85/85 [============= ] - 11s 134ms/step - loss: 0.0015 Epoch 47/50 Epoch 48/50 Epoch 49/50 85/85 [============= - - 11s 133ms/step - loss: 0.0015 Epoch 50/50 85/85 [=========== - - 11s 131ms/step - loss: 0.0014 Out[]: <keras.callbacks.History at 0x7ff94bad1f70> Used 4 LSTM layers for the model and the optimizer is Rmsprop
  - # Preparing X test and predicting the prices X test.append(inputs[i-60:i,0])
  - # Now to get the test set ready in a similar way as the training set. # The following has been done so forst 60 entires of test set have 60 previous values # 'High' attribute data for processing dataset total = pd.concat((dataset["High"][:'2016'], dataset["High"]['2017':]), axis=0) inputs = dataset\_total[len(dataset\_total)-len(test\_set) - 60:].values inputs = inputs.reshape(-1,1) inputs = sc.transform(inputs)
  - 8/8 [======== ] 2s 34ms/step
  - for i in range(60,311): X\_test = np.array(X\_test) X test = np.reshape(X test, (X test.shape[0], X test.shape[1], 1)) predicted stock price = regressor.predict(X test) predicted stock price = sc.inverse transform(predicted stock price)
  - IBM Stock Price Prediction Real IBM Stock Price 180 Predicted IBM Stock Price 170 160
  - # Visualizing the results for LSTM plot predictions (test set, predicted stock price)
  - 150
  - - 140 100 0 50 150 200 250
  - - Time
- - - # Evaluating our model
  - - return rmse(test set,predicted stock price)
  - The root mean squared error is 2.5942884190823072.
  - 4. Conclusion 1. Implemented LSTM using Keras Library. 2. The data implemented in this model is time series data. Therefore, the data is divided with respwect to
  - 3. Model predicts the high value of the dataset.

  - 4. Since LSTM is sensitive to scale, we have implemented MinMaxScaler in order to convert all high values in our dataset to range of 0 to 1. 5. Our Training Data is the entire array of data before year = 2016.

9. 2D array provide medium complexity but 3D array provide maximum complexity.

10. Used 4 LSTM layers for the model and the optimizer is Rmsprop instead of Adam because of better

6. Our Testing Data contains all the values after year = 2017. 7. In our LSTM Model we are using 60 time\_steps. 8. We use reshape() funtion to change the shape of the array. Here we added 1 to convert 2D array to 3D array.

11. RMSPROP\_RMSE value = 2.5 ADAM\_RMSE value = 5.2

RMSE value close to 0 -> 0.5