

Resolution Theorem Prover

A resolution theorem prover, sounds easy in theory but in practice was a lot harder. I was able to prove some simple things with my RTP, but it does not handle variables correctly, or really at all. It can prove things from a slightly more complex axiom list, as long as it contains literals. In order to process variables I would have to write my own comparison function for clauses. It would only need to compare the “function” of the clause, for example `dead`, `human`, `Pompeian`, if these are equivalent then it can bind the variables with constant and use the unify function to make sure that the binding is valid. Unfortunately I haven't gotten to this point completely, so the code that I have turned in will prove rather simple things as describe above. The knowledge basis are included in the file `axioms.lisp`, this is loaded at the top my main lisp file. The main control strategy I used was to maintain a list of things we need to prove, then attempt to resolve them one at a time until we are left with `nil`, which would indicate that the process was successful. However when `rtp` cannot prove something most of the time crashes, I was more focused on getting it to prove something that I didn't make it handle failure gracefully. All of the function within my code file are comment, hopefully well enough for you to understand. I have included a text file with the output of 3 sample runs of my `rtp`, it is fairly straight forward to understand the output, it prints what you are trying to prove, what it is trying to resolve, and then what it successfully resolves with.