### Assignment is at the bottom!

```
In [1]:
            from sklearn.linear_model import LogisticRegression
            import pandas as pd
            import matplotlib.pyplot as plt
            %matplotlib inline
            import numpy as np
            from pylab import rcParams
            rcParams['figure.figsize'] = 20, 10
            from sklearn.linear_model import LogisticRegression as Model
In [2]:

y = np.concatenate([np.zeros(10), np.ones(10)])

            x = np.linspace(0, 10, len(y))
        ▶ plt.scatter(x, y, c=y)
In [3]:
   Out[3]: <matplotlib.collections.PathCollection at 0x200a05bd660>
In [4]: | model = LogisticRegression()
```

```
In [5]: ▶ model.fit(x.reshape(-1, 1),y)
```

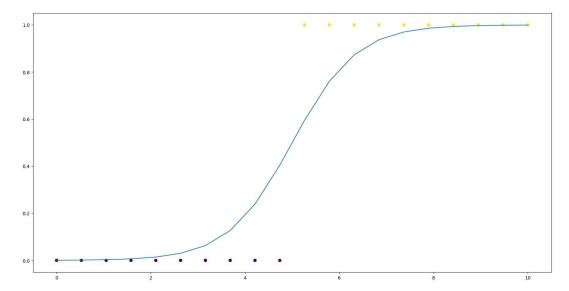
Out[5]: LogisticRegression()

In a Jupyter environment, please rerun this cell to show the HTML representation or trust the notebook.

On GitHub, the HTML representation is unable to render, please try loading this page with nbviewer.org.

```
In [6]:  plt.scatter(x,y, c=y)
  plt.plot(x, model.predict_proba(x.reshape(-1, 1))[:,1])
```

Out[6]: [<matplotlib.lines.Line2D at 0x200a153d450>]



```
In [7]:  b, b0 = model.coef_, model.intercept_
model.coef_, model.intercept_
```

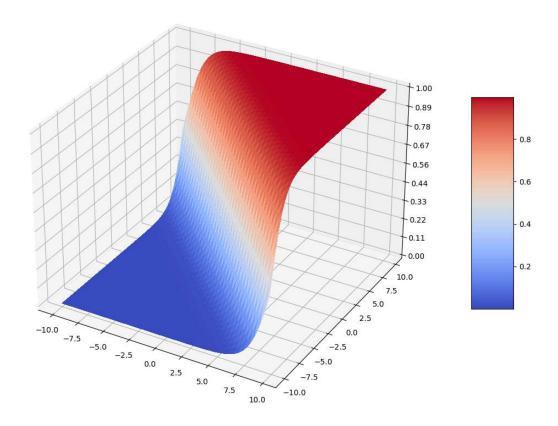
Out[7]: (array([[1.46709085]]), array([-7.33542562]))

```
▶ plt.plot(x, 1/(1+np.exp(-x)))
In [8]:
    Out[8]: [<matplotlib.lines.Line2D at 0x200a0661d20>]
In [9]:
    Out[9]: array([[1.46709085]])
In [10]:
          ▶ plt.plot(x, 1/(1+np.exp(-(b[0]*x +b0))))
   Out[10]: [<matplotlib.lines.Line2D at 0x200a06cb5b0>]
```

```
# OLD CODE - DOES NOT WORK.
In [14]:
             #from mpl_toolkits.mplot3d import Axes3D # noga: F401 unused import
             #import matplotlib.pyplot as plt
             #from matplotlib import cm
             #from matplotlib.ticker import LinearLocator, FormatStrFormatter
             #import numpy as np
             #fig = plt.figure()
             #ax = fig.gca(projection='3d')
             ## Make data.
             \#X = np.arange(-10, 10, 0.25)
             #Y = np.arange(-10, 10, 0.25)
             \#X, Y = np.meshgrid(X, Y)
             \#R = np.sqrt(X^{**2} + Y^{**2})
             \#Z = 1/(1+np.exp(-(b[0]*X +b[0]*Y +b0)))
             #surf = ax.plot_surface(X, Y, Z, cmap=cm.coolwarm,
                                      linewidth=0, antialiased=False)
```

```
    import matplotlib.pyplot as plt

In [16]:
             from mpl_toolkits.mplot3d import Axes3D # Importing 3D projection
             import numpy as np
             # Create a figure and specify 3D projection explicitly
             fig = plt.figure()
             ax = fig.add_subplot(111, projection='3d')
             # Make data.
             X = np.arange(-10, 10, 0.25)
             Y = np.arange(-10, 10, 0.25)
             X, Y = np.meshgrid(X, Y)
             # Assuming some example values for b and b0
             b = [1] # Example value for b
             b0 = 0 # Example value for b0
             Z = 1 / (1 + np.exp(-(b[0] * X + b[0] * Y + b0)))
             # Plot the surface
             surf = ax.plot_surface(X, Y, Z, cmap='coolwarm', linewidth=0, antialia
             # Customize the z axis.
             ax.set zlim(0, 1)
             ax.zaxis.set_major_locator(plt.LinearLocator(10))
             ax.zaxis.set_major_formatter(plt.FormatStrFormatter('%.02f'))
             # Add a color bar which maps values to colors.
             fig.colorbar(surf, shrink=0.5, aspect=5)
             plt.show()
```

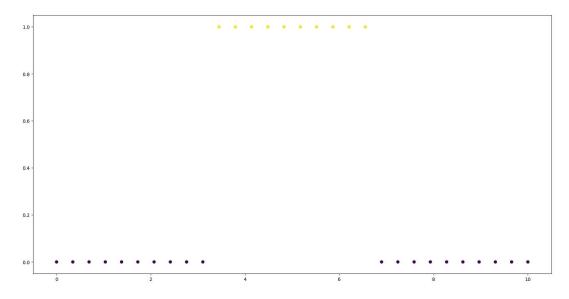


```
Out[17]: array([[-10. , -9.75, -9.5 , ..., 9.25,
                                               9.5, 9.75],
                [-10., -9.75, -9.5, ..., 9.25,
                                               9.5, 9.75],
                [-10., -9.75, -9.5, \ldots]
                                         9.25,
                                               9.5, 9.75],
                . . . ,
                [-10., -9.75, -9.5, ..., 9.25,
                                               9.5, 9.75],
                [-10., -9.75, -9.5, ..., 9.25,
                                               9.5, 9.75],
                [-10., -9.75, -9.5, ...,
                                         9.25,
                                               9.5, 9.75]])
Out[18]: array([[-10. , -10. , -10. , -10. , -10. , -10. ],
                [ -9.75, -9.75, -9.75, ..., -9.75, -9.75],
                [-9.5, -9.5, -9.5, ..., -9.5, -9.5]
                [9.25, 9.25, 9.25, \ldots, 9.25, 9.25, 9.25],
                [ 9.5 , 9.5 , 9.5 , ..., 9.5 , 9.5 , 9.5 ],
                             9.75, \ldots, 9.75, 9.75, 9.75]
                [ 9.75, 9.75,
```

What if the data doesn't really fit this pattern?

```
In [20]: ▶ plt.scatter(x,y, c=y)
```

Out[20]: <matplotlib.collections.PathCollection at 0x200a6bf51e0>

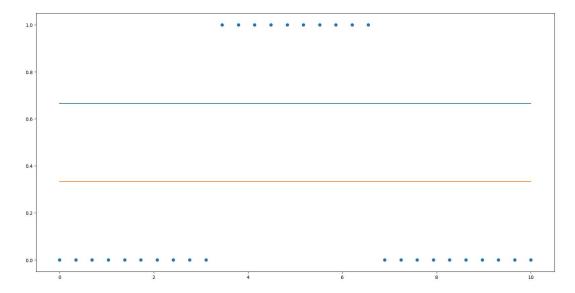


```
In [21]: M model.fit(x.reshape(-1, 1),y)
```

### Out[21]: LogisticRegression()

In a Jupyter environment, please rerun this cell to show the HTML representation or trust the notebook.

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```
In [23]:  M model1 = LogisticRegression()
model1.fit(x[:15].reshape(-1, 1),y[:15])
```

Out[23]: LogisticRegression()

In a Jupyter environment, please rerun this cell to show the HTML representation or trust the notebook.

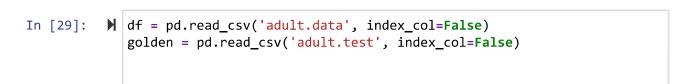
On GitHub, the HTML representation is unable to render, please try loading this page with nbviewer.org.

```
In [24]:  Model2 = LogisticRegression()
model2.fit(x[15:].reshape(-1, 1),y[15:])
```

Out[24]: LogisticRegression()

In a Jupyter environment, please rerun this cell to show the HTML representation or trust the notebook.

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```
In [32]: N x = df.copy()
    x[transform_columns] = enc.fit_transform(df[transform_columns])
    golden['salary'] = golden.salary.replace(' <=50K.', ' <=50K').replace(
    xt = golden.copy()
    xt[transform_columns] = enc.transform(golden[transform_columns])</pre>
```

```
    df.salary.unique()

In [33]:
    Out[33]: array([' <=50K', ' >50K'], dtype=object)

■ golden.salary.replace(' <=50K.', ' <=50K').replace(' >50K.', ' >50K').
In [34]:
   Out[34]: array([' <=50K', ' >50K'], dtype=object)
In [35]:
              model.fit(preprocessing.scale(x.drop('salary', axis=1)), x.salary)
    Out[35]: LogisticRegression()
              In a Jupyter environment, please rerun this cell to show the HTML
              representation or trust the notebook.
              On GitHub, the HTML representation is unable to render, please try loading this
              page with nbviewer.org.
              pred = model.predict(preprocessing.scale(x.drop('salary', axis=1)))
In [36]:
              pred test = model.predict(preprocessing.scale(xt.drop('salary', axis=1
In [37]:

    x.head()

    Out[37]:
                                                  education-
                                                            marital-
                  age workclass
                                 fnlwgt education
                                                                     occupation relationship ra
                                                       num
                                                              status
                   39
                             7.0
                                 77516
                                                                4.0
               0
                                              9.0
                                                         13
                                                                           1.0
                                                                                       1.0
               1
                   50
                            6.0
                                 83311
                                              9.0
                                                         13
                                                                2.0
                                                                           4.0
                                                                                       0.0
               2
                   38
                            4.0 215646
                                             11.0
                                                          9
                                                                0.0
                                                                           6.0
                                                                                       1.0
               3
                   53
                            4.0 234721
                                              1.0
                                                          7
                                                                2.0
                                                                           6.0
                                                                                       0.0
                            4.0 338409
                                              9.0
                                                         13
                                                                2.0
                                                                           10.0
                                                                                       5.0
                   28
```

```
In [38]:
          accuracy_score,
                classification_report,
                confusion_matrix, auc, roc_curve
             )
In [39]:

▶ | accuracy_score(x.salary, pred)
   Out[39]: 0.8250360861152913
In [40]:
          confusion matrix(x.salary, pred)
   Out[40]: array([[23300,
                            1420],
                    [ 4277, 3564]], dtype=int64)
In [41]:
             print(classification_report(x.salary, pred))
                          precision
                                       recall f1-score
                                                          support
                                         0.94
                     0.0
                               0.84
                                                   0.89
                                                            24720
                     1.0
                               0.72
                                         0.45
                                                             7841
                                                   0.56
                                                   0.83
                                                            32561
                 accuracy
                macro avg
                               0.78
                                         0.70
                                                   0.72
                                                            32561
             weighted avg
                               0.81
                                         0.83
                                                   0.81
                                                            32561
In [42]:
             print(classification_report(xt.salary, pred_test))
                          precision
                                       recall f1-score
                                                          support
                     0.0
                               0.85
                                         0.94
                                                   0.89
                                                            12435
                     1.0
                               0.70
                                         0.45
                                                             3846
                                                   0.55
                                                   0.82
                                                            16281
                 accuracy
                macro avg
                               0.77
                                         0.69
                                                   0.72
                                                            16281
             weighted avg
                               0.81
                                         0.82
                                                   0.81
                                                            16281
```

## **Assignment**

# 1. Use your own dataset (Heart.csv is acceptable), create a train and a test set, and build 2 models: Logistic Regression and Decision Tree (shallow). Compare the test results using

classification manant and confusion matrix

```
import pandas as pd
from sklearn.model_selection import train_test_split
from sklearn.preprocessing import LabelEncoder
from sklearn.linear_model import LogisticRegression
from sklearn.tree import DecisionTreeClassifier
from sklearn.metrics import classification_report, confusion_matrix
from sklearn.preprocessing import StandardScaler
```

```
In [64]:
         # PRE-PROCESSING
             # Reading in dataset
             heart = pd.read_csv('heart.csv', index_col=False)
             # Dropping rows with missing values
             heart = heart.dropna()
             # Previewing dataset
             heart.head()
             # Creating binary variable for AHD - Adult Heart Disease
             heart['AHD_yn'] = np.where(heart['AHD'] == 'Yes', 1, 0)
             # Checking for missing values
             heart['AHD_yn'].isna().sum()
             # Getting value counts
             heart['AHD_yn'].value_counts()
             # Drop non-numeric columns (assuming 'AHD' and 'AHD_binary' are alread
             numeric_columns = heart.select_dtypes(include=['number']).columns
             heart_numeric = heart[numeric_columns]
```

```
In [69]:  # SPLITTING INTO TRAINING & TESTING DATASETS

# Define features (X) and target (y)
X = heart_numeric.drop(['AHD_yn'], axis=1) # Features
y = heart_numeric['AHD_yn'] # Target variable

# Split data into train and test sets (80% train, 20% test)
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.)

# Scaling data
scaler = StandardScaler()
X_train_scaled = scaler.fit_transform(X_train)
X_test_scaled = scaler.transform(X_test)
```

Accuracy Score:

0.8

Classification Report:

	precision	recall	f1-score	support
0	0.80	0.89	0.84	36
Ð	0.00	0.09	0.04	30
1	0.80	0.67	0.73	24
accuracy			0.80	60
macro avg	0.80	0.78	0.78	60
weighted avg	0.80	0.80	0.80	60

Confusion Matrix:

```
[[32 4]
[ 8 16]]
```

```
₩ # DECISION TREE - SHALLOW
In [84]:
             # Creating shallow decision tree (2 nodes max)
             dt_model = DecisionTreeClassifier(max_depth=2, random_state=42)
             # Training model
             dt_model.fit(X_train_scaled, y_train)
             # Predicting test data
             y_pred_dt = dt_model.predict(X_test_scaled)
             # Calculating accuracy score
             accuracy dt = accuracy score(y test, y pred dt)
             print(f"Decision Tree Accuracy Score: {accuracy dt}")
             # Printing classification report and confusion matrix for Decision Tre
             print("\nDecision Tree:")
             print(classification_report(y_test, y_pred_dt))
             print("\nConfusion Matrix:")
             print(confusion matrix(y test, y pred dt))
```

#### Decision Tree:

	precision	recall	f1-score	support
0	0.86	0.67	0.75	36
1	0.62	0.83	0.71	24
accuracy			0.73	60
macro avg	0.74	0.75	0.73	60
weighted avg	0.76	0.73	0.74	60

```
Confusion Matrix:
[[24 12]
[ 4 20]]
```

Interpretation: In comparing the logistic regression model and the shallow decision tree, the logistic regression model performed better. Specifically, the logistic regression model achieved an accuracy score of 80%, while the shallow decision tree only reach 73.33%. Specifically, the decision tree model suffered in identifying positive cases of heart disease, as noted by its precision score of 0.62 for positive cases compared to 0.80 for negative cases. Conversely, the logistic regression model achieved a precision score of .80 for both positive and negative cases, suggesting that the model is equally effective at predicting both outcomes. Additionally, both models achieved similar F1 scores for patients without heart disease, however the logistic regression model performed slightly better in predicting positive cases of heart disease. In conclusion, the logistic regression model tends to perform better than the shallow decision tree due to its balance of precision and F1 scores across classes.

# 2. Repeat 1. but let the Decision Tree be much deeper to allow over-fitting. Compare the two models' test results again, and explain which is optimal

```
In [85]:
         # DECISION TREE - DEEP
             # Initialize Decision Tree model (DEEP)
             dt model deep = DecisionTreeClassifier(max depth=15, random state=42)
             # Fit the model on training data
             dt_model_deep.fit(X_train_scaled, y_train)
             # Predict on test data
             y_pred_dt_deep = dt_model_deep.predict(X_test_scaled)
             # Calculate accuracy score
             accuracy dt = accuracy score(y test, y pred dt deep)
             print(f"Decision Tree Accuracy Score: {accuracy_dt}")
             # Print classification report and confusion matrix for Decision Tree
             print("\nDecision Tree:")
             print(classification_report(y_test, y_pred_dt_deep))
             print("\nConfusion Matrix:")
             print(confusion_matrix(y_test, y_pred_dt_deep))
```

Decision Tree Accuracy Score: 0.8

Decision Tree:

	precision	recall	f1-score	support
0	0.83 0.75	0.83 0.75	0.83 0.75	36 24
_	0.75	0.73		
macro avg weighted avg	0.79 0.80	0.79 0.80	0.80 0.79 0.80	60 60 60
weighted avg	0.00	0.00	0.00	00

```
Confusion Matrix:
[[30 6]
  [ 6 18]]
```

**Interpretation:** Both the logistic regression model and the deep decision tree model have an accuracy score of 80% on the test data. In terms of precision, the logistic regression model achieved slightly higher scores for both classes compared to the decision tree, suggesting that the logistic regression is slightly more accurate in its positive predictions. However, the decision tree had higher recall for positive cases of heart disease (75%) than the logistic regression model (67%). This suggests that the deeper decision tree model is better at identifying patients with heart disease. Finally, in terms of F1 score, the logistic regression model achieved slightly higher scores for both classes (.01-.02 points higher).

Overall, both models performed well, however the decision tree may be best suited for this use case in that it performed slightly better at identifying patients with heart disease. Although the decision tree had slightly more false positives than the logistic regression model, it did succeed in identifying more true positive cases. Since identification of a positive case is essential to early intervention, and a false positive is arguably less risky than a false negative, I would suggest using the deep decision tree model in this specific