# Classification in Geography

# Order out of Chaos

Spatial Order / Regularity → The Spatial Pattern of Elements over the Earth Surface:

This can be defined, identified and analysed with a scientific understanding of geographical knowledge.

In space – time frame, it can be measured, monitored, mapped and modelled.

It is this that forms the philosophical foundation of the discipline of 'Geography'.

Naturally, it is the Geographer who discovers this Spatial Order. Spatial Order  $\rightarrow$  Order-forming Processes  $\rightarrow$  Order-forming Factors for scientific geographical explanation.

**Areal Differentiation** 

### Classification

- = fundamental technique for ordering and organizing huge volume of real world data.
- = grouping data into classes makes it more easy to comprehend and manipulate.

therefore, it is one of the basic tools of a geographer who deals with robust set of spatial data for identifying 'spaces' based on resemblance (i.e., certain affinities), homologous character (i.e., a common origin), common line of descent (i.e., similar evolutionary history).

# the procedure is such that —

no 'space' is left outside the classification (i.e., the property of exhaustiveness)

no 'space' is assigned simultaneously to more than one class (i.e., the property of mutual exclusiveness)

## Classification

Attribute Classification (i.e., grouping of attributes only)

Spatial Classification (i.e., grouping of spaces on earth,

commonly known as 'regionalisation')

```
regionalisation
to
identify
Backward Areas/Deficit Areas/Negative Areas
through
'Spatial Mapping'
for
'inputs' of 'development'
to eliminate 'regional disparity'
```

# Classification/ Regionalisation

```
Natural or 'general' Classification —
based on 'apparent'
similarity
common origin
common evolution
```

```
Artificial or 'statistical' Classification —
Univariate (1 variable case)
class interval = arbitrary, or statistical
Bivariate (2 variable case)
four classes (groupings using either mean or median)
Multivariate (more than 2 variables case)
using PC Scores, Factor Scores, Similarity
```

Coefficients, Discriminant Functions

# Data Acquisition

Physical Database

field data, lab data (using RS / GIS)

Socio-economic Database

GDM using attribute Data

# Mapping

Thematic Data Layers (physical)

Thematic Data Layers (social)

Thematic Data Layers (economic)

Data Integration: using RS/GIS adopting appropriate 'project design' and 'management' with proper 'process models'.

# Univariate Classification (1 variable situation)

# arbitrary classes

based on range and number of class

#### statistical

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mean/standard deviation (mean \pm n.\sigma) standard scores (0 \pm n.1z) etc.
```

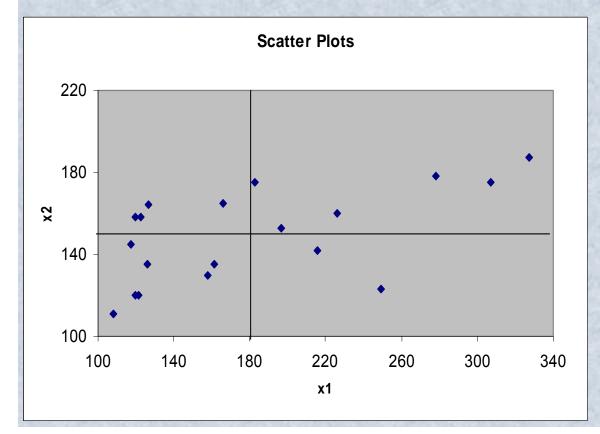
# spatial index

linkage (groupings based on CM or CGA)
location quotient (class interval = 1)
inequality (Gini coefficient with class interval = 0.20/ 0.25 /0.30)

# Bivariate Classification (2 variable situation)

## Identification of Groups from—

Scatter Plots of  $x_1 - x_2$  with lines of means of  $x_1$  and  $x_2$ Scatter Plots of  $x_1 - x_2$  with lines of medians of  $x_1$  and  $x_2$ 



Group - 1 :  $x_1$  high,  $x_2$  low

Group - 2 :  $x_1$  high,  $x_2$  high

Group -  $3: x_1 low, x_2 low$ 

Group -  $4: x_1 low, x_2 high$ 

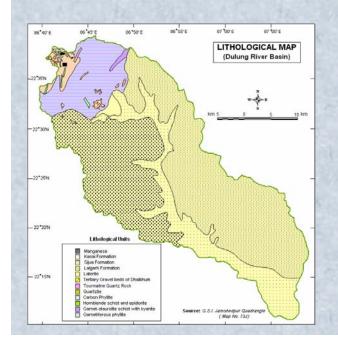
No. of Groups = 4 Colour Patch Mapping

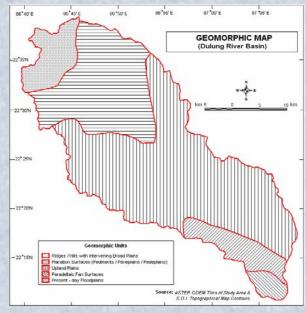
# Combinatorial Method: Map Algebra (Nominal Data)

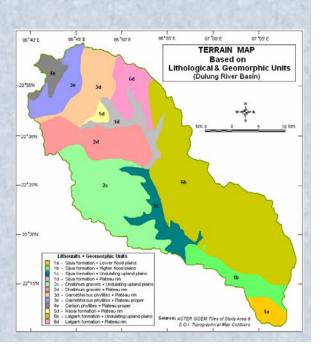
Let there be two sets defining the attributes of two variables, e.g., lithology (L) and geomorphology (G) as :

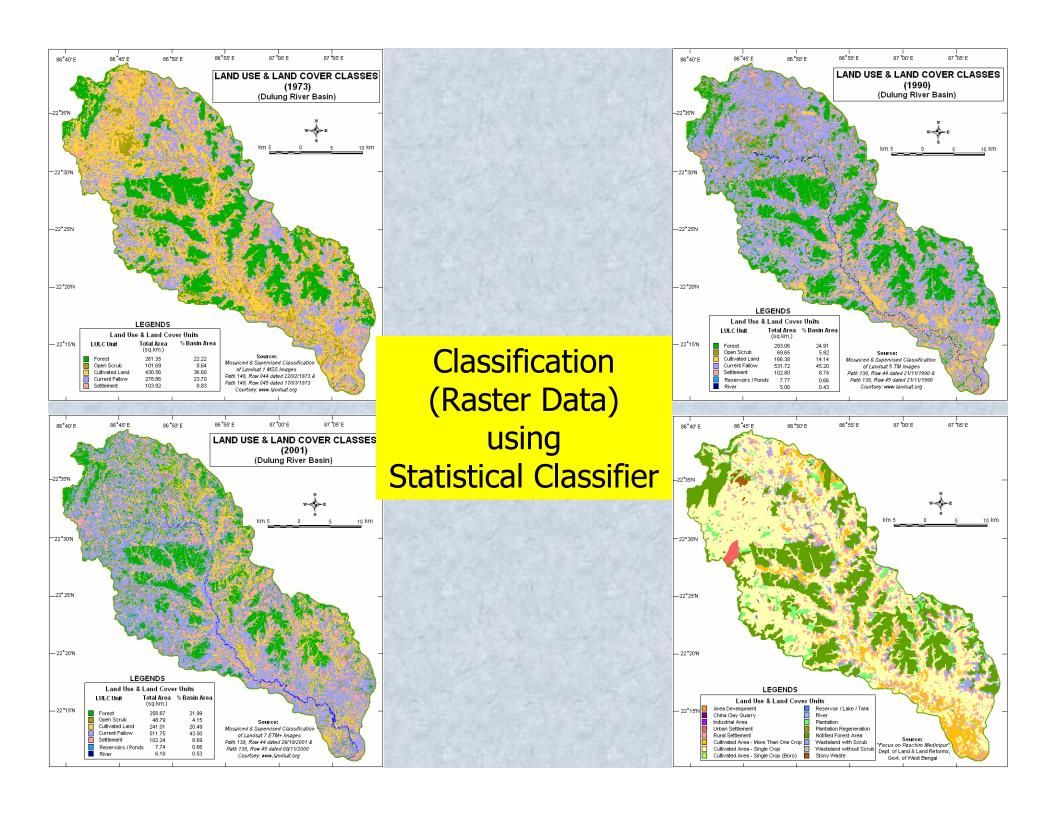
$$L_i = \{L_1, L_2, L_3, ... L_n\}, \text{ and } = \{G_1, G_2, G_3, ... G_k\}.$$

Hence, the terrain classes are defined by the elements derived from the union of  $L_i$  and  $G_j$  as —  $T_{i\,j} = \{L_i.G_j\}$  where i=1,2,3,..... n and j=1,2,3,..... k









# Multivariate Classification (Multi Variable Situation)

Virtually geographical events / objects are inherently multivariate, and hence suited to multivariate techniques. These allow the researcher to consider changes in several properties simultaneously in order to explore the properties of dependence, interdependence and classification. Softwares are now easily available: SPSS, Statistica, etc

#### **PC Scores / Factor Scores:**

to find the directions of maximum variance in the data, to use these to ordinate data in 1, 2, 3 or 4 dimensions and to interpret them as factors influencing the data.

#### **Discriminant Functions:**

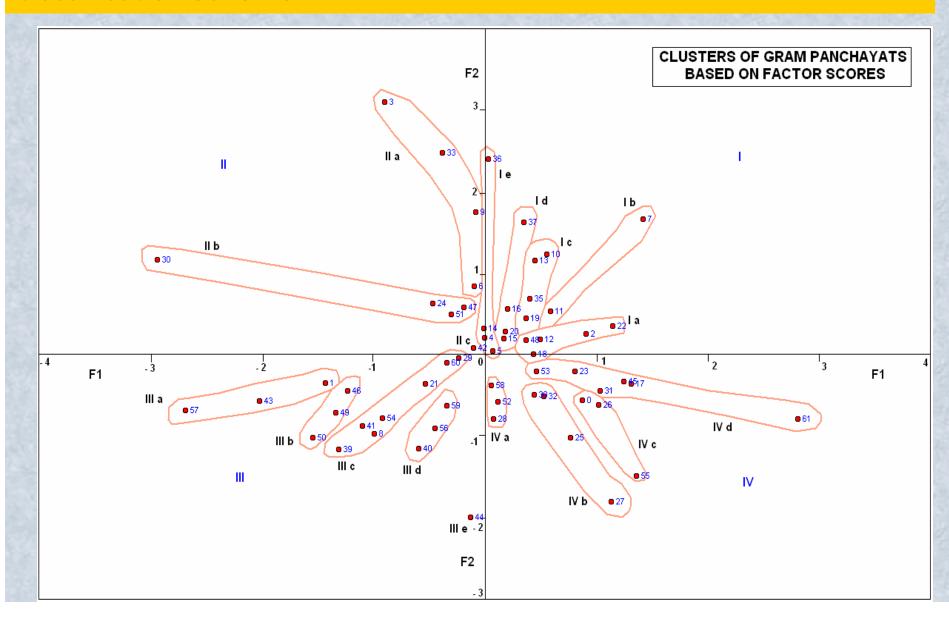
to find the equation of a line that best separates two or more user-defined (a priori) sub-groups within the dataset and to allocate new data to one or other of the a priori groups on this basis.

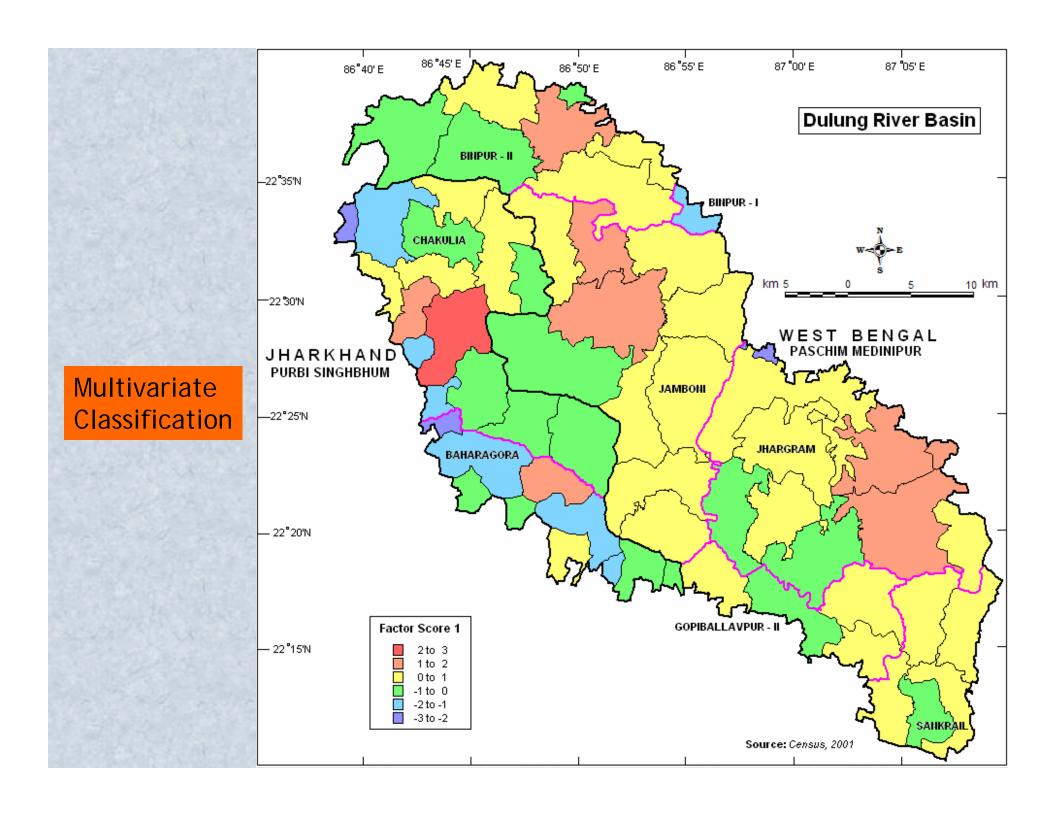
#### **Similarity Coefficients (CA):**

to find the magnitude of similarity between pairs of objects or observations and to use this to produce an empirical classification.

#### Scatter Plots of Factor Score - 1 and 2

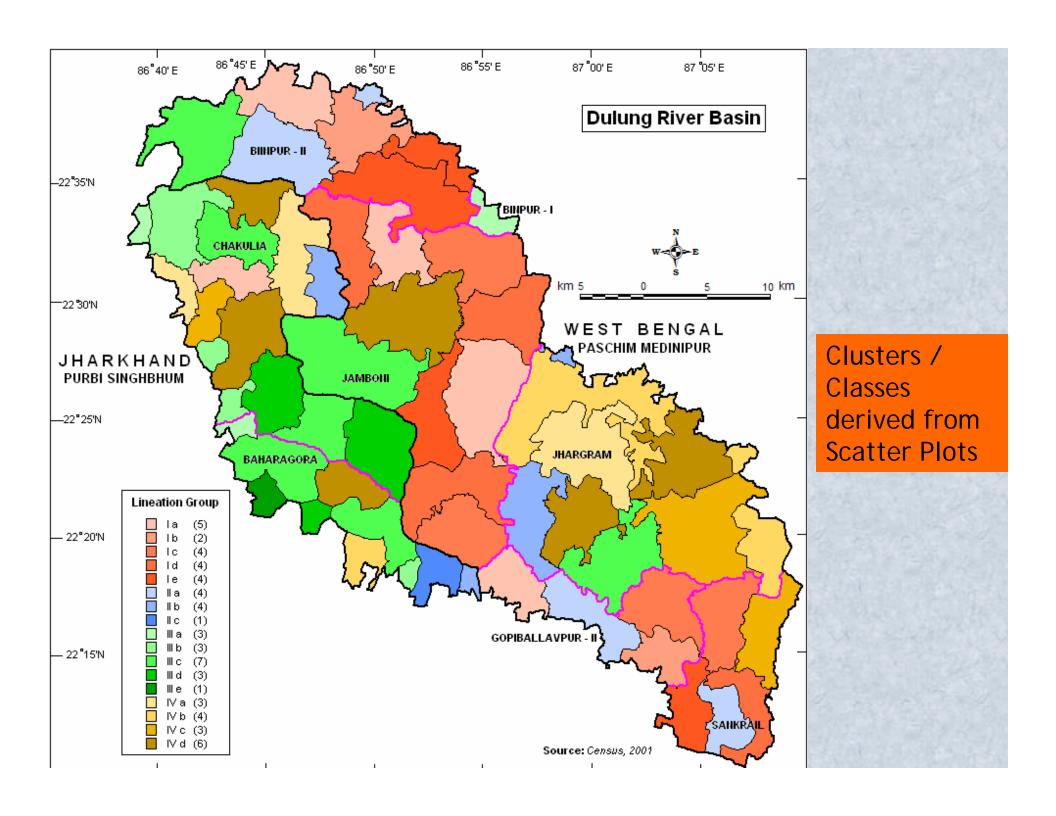
Linear Clusters can be identified, which are regarded as Groups in the Classification Scheme.





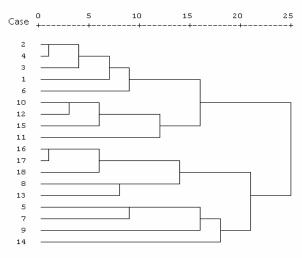
# Factor Score - 1 may also form the basis of Numerical Classification of the GPs in terms of the selected 21 variables.

Range of Factor Score – 1	No. of Gram Panchayats	Gram Panchayat ID	Remarks	
>2	1	61	Highly Developed	
1 to 2	8	7, 55, 17, 45, 22, 27, 31, 26	Fairly Developed	
0 to 1	26	2, 34, 23, 25, 11, 10, 32, 12, 13, 53, 38, 18, 35, 48, 19, 37, 16, 20, 15, 52, 28, 5, 58, 36, 4, 14	Developed	
-1 to 0	17	6, 42, 44, 47, 29, 51, 59, 60, 33, 56, 24, 21, 40, 3, 54, 8	Backward	
-2 to -1	6	41, 46, 39, 49, 1, 50	Fairly Backward	
<-2	3	43, 57, 30	Very Backward	



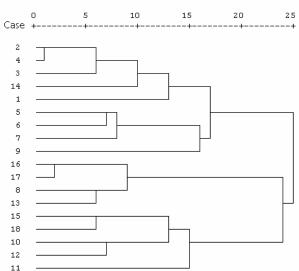
#### DENDROGRAM USING AVERAGE LINKAGE (BETWEEN GROUPS) [Cosine Distance]

#### Rescaled Distance Cluster Combine



#### DENDROGRAM USING AVERAGE DISTANCE (BETWEEN GROUPS) Pearson's Correlation Coefficient

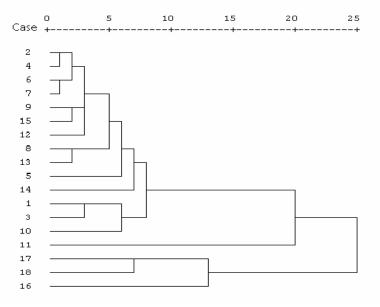
#### Rescaled Distance Cluster Combine



# Dendrogram Data from Cluster Analysis may be used to prepare Thematic Maps showing Spatial Classes / Regions

#### DENDROGRAM USING AVERAGE LINKAGE (BETWEEN GROUPS) [Squared Euclidean Distance]

#### Rescaled Distance Cluster Combine



# Classification (Spatial Data)

Trend Surface Analysis: z = f(x, y)

(Polynomial Surface of order 2 – 6 can be fitted)

Residual Maps of  $(z - z_c)$  are used to identify the 'regions'

Backward Regions :: negative residuals

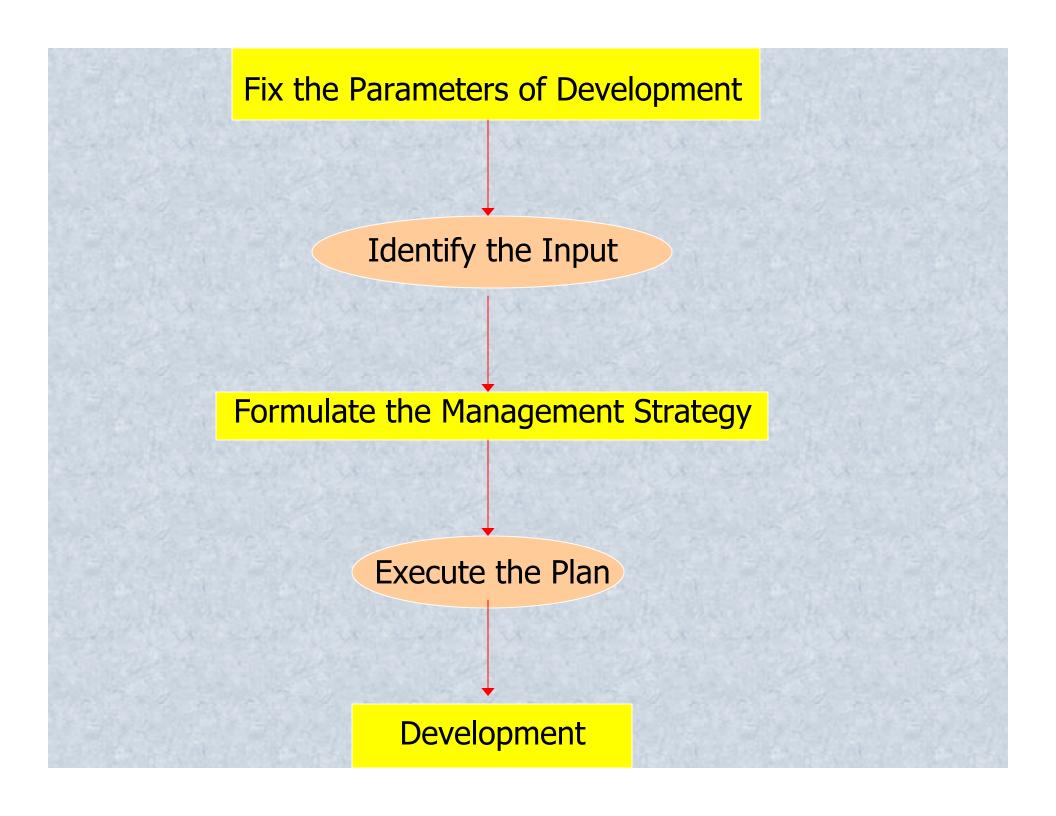
Developed Regions :: positive residuals

```
FOURTH-ORDER TREND SURFACE
                        3 2 11 11 2
                        32 11111 23
                       3 2 11111 2 3
   3333333333 222 111
   222222 222222 1111
  $$$ 111111111111111
 AAA $$$ 111111111
  AA $$$
BBB AA
         SSS
  BBB AAA
BBBBB AAA
BRRRR
     AAA
     AAA $$$$
    AAAA $$$$
AAAAAAA
        $$$$
                11111111
                            $$$$
    $$$$$
1 $$$$$$$$
             1111111111111
                            SSS
                           $$$
             111111111111111
           1111111 111111
3 2 1111111111111
3 2 111111111
 3 22 11111
                        111
                          111 $$ AA
                 222222222 111 $$
                 22222222222 11 $$
                 2222222 222222 11
     REFERENCE CONTOUR ($) = 0 CONTOUR INTERVAL =0.50
           .....B > A > $ > 1 > 2 > 3......
```

# Trend surface of 4th Order: Equation $Z_i = -48.524 \quad + 50.936 \, u \quad + 38.736 \, v \quad - 6.715 \, u^2 \\ - 52.567 \, uv \quad - 3.168 \, v^2 \quad - 6.031 \, u^3 \quad + 17.739 \, u^2 \, v \\ + 8.987 \, u \, v^2 \quad - 1.587 \, v^3 \quad + 1.377 \, u^4 \quad - 0.852 \, u^3 \, v \\ - 3.104 \, u^2 \, v^2 \, + 0.346 \, u \, v^3 \quad + 0.103 \, v^4$

#### Table - 11 : General ANOVA for TSA : Fourth Degree Surface

Sources of Variation	Sum of Squares	df	Mean Squares	F - Test	Goodness of Fit	r
Polynomial Regression	20.60	14	1.47	e		
Deviation from Polynomial	0.40	7	0.06	24.500	0.98	0.99
Total Variation	21.00	21				





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