

Techniques of White-Box Testing

- (1) Statement Coverage: Every line of code should run at least once.
- (2) Branch Coverage: Each if and else branch must be tested.
- (3) Path Coverage: Every possible execution path is tested.
- (4) Condition Coverage: Each condition in a decision must be tested for both true and false.

```
eg. int findmax(int a, int b) {
    if (a > b)
        return a
    else
        return b
}
```

Test case 1: If $a > b$
 Test case 2: If $a \leq b$

True branch: $a > b$

False branch: $a \leq b$

Path 1: If $(a > b)$ return a

Path 2: else return b

Testing Logic and Functions

Testing Logic: It checks the logical correctness of algorithm

Testing Functionality: Each functions or methods perform its intended operations.

Advantages of white-box testing

- (a) helps in understanding internal implementation
- (b) programs follow correct path or not is checked
- (c) enhances performance of a product
- (d) easier to find hidden defects
- (e) easy to detect security checks

Challenges

- (a) implementation is complex
- (b) time consuming
- (c) expensive
- (d) detailed knowledge of the code
- (e) high dependencies

9) write a program to find the largest of three nos.

code

```
def largestNum (a, b, c):
```

```
    if a > b and a > c:
```

```
        return a
```

```
    elif b > a and b > c:
```

```
        return b
```

```
    elif c > a and c > b:
```

```
        return c
```

```
    else:
```

```
        print("All the nos. are equal")
```

```
        return a
```

(d) condition coverage

$a > b$, $a > c$, $b > a$, $b > c$,

$c > a$, $c > b$

(a) statement coverage: To cover all statements, we need test cases that execute each branch. eg. (5, 3, 2) → executes return a

(b) Branch coverage: (1) $a > b$ and $a > c$ → true; (2) $a > b$ and $a > c$ → false but $b > a$ and $b > c$ → true; (3) First two false but $c > a$ and $c > b$ → true;

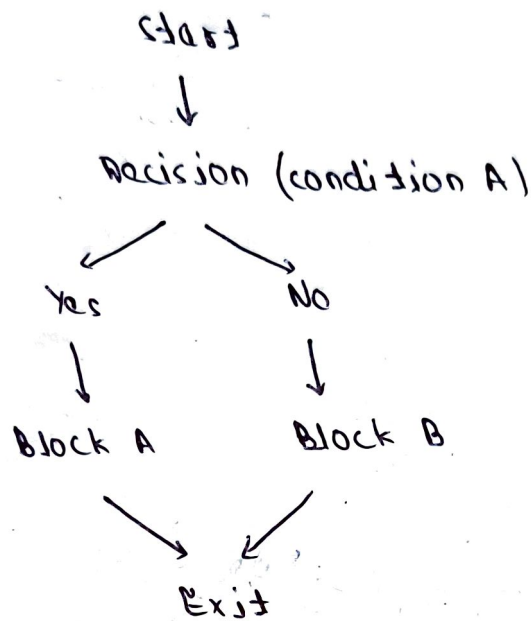
(4) All are False (equal nos.)

(c) Path coverage: (1) if (a largest); (2) elif (b largest); (3) elif (c largest);

(4) else (all equal)

Visualize control flow

Control flow Graph (CFG)



Goals for code coverage

(a) Jacoco

(b) cobertura

(c) gcov

Techniques for testing code logic

(a) control flow testing

(b) data flow testing

(c) Decision table testing

(d) loop testing

```
void function (num) {
```

```
    if (num > 0)
```

```
        cout << "Positive"
```

```
    else if (num < 0)
```

```
        cout << "Negative"
```

```
    else
```

```
        cout << "zero"
```

```
}
```

num > 0 → print positive

num < 0 → print negative

neither → print zero

Test Case
~~~~~

Test 1/P  
~~~~~

5

-3

0

Expected O/P
~~~~~

Positive

Negative

zero

Path Count  
~~~~~

Path 1

Path 2

Path 3

Data Flow Diagram
~~~~~

```
void function () {
```

```
    int total,
```

```
    int a = 20;
```

```
    int b = 10;
```

```
    total = a + b;
```

```
    cout << total >>
```

```
}
```

1010

a and b is declared

a and b is assigned

total is defined and assigned



Testing techniques for code logic(a) Control Flow Testing

It checks how the program flow from one statement to another. It uses CFG to visualize all possible execution cycle.

(b) Data Flow Testing

It focuses on how variables are used throughout the program like where they are declared or assigned or where they are used.

(c) Decision Table Testing

It is useful when there are multiple conditions that control the output (especially in business logic).

It lists all possible combinations of input and their expected output in table form.

(d) Loop Testing

It ensures that loop in the program works correctly under all conditions.

## Code Complexity

Cyclomatic Complexity - a metrics that measures no. of independent paths in a program.

$$CC = E - N + 2P$$

$E$  = no. of edges

$N$  = no. of nodes

$P$  = no. of connected components

↳ for single program  $P=1$

→  $1 + \{\text{No. of decision points}\}$



```
int main() {
```

```
int n;
```

```
cin >> n;
```

```
if (n > 0) {
```

```
    cout << "positive" >>;
```

```
else (n < 0) {
```

```
    cout << "negative" >>;
```

```
    } else {
```

```
        cout << "zero" >>;
```

```
    }
```

```
    return 0;
```

```
}
```

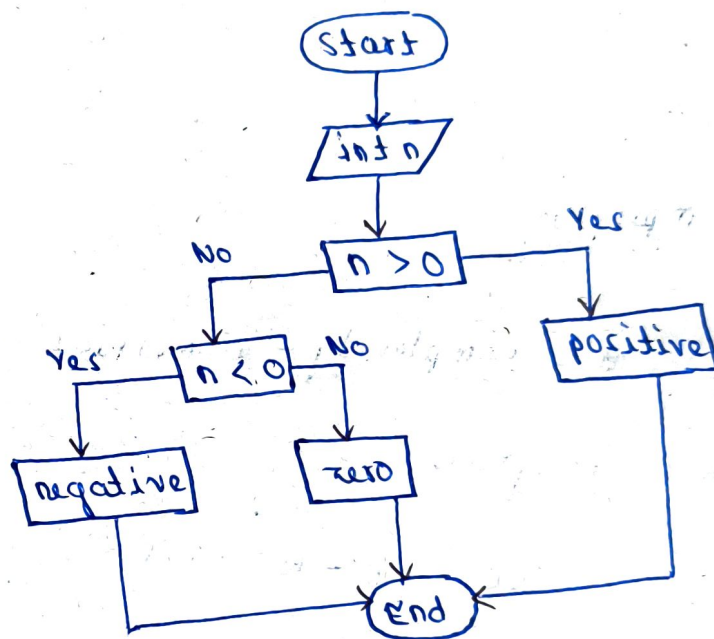
cyclomatic complexity

$1 + \{\text{Decision paths}\}$

$= 1 + 2$

$= 3$

control flow diagram



edge = 9

node = 8

Interpretation

$cc \leq 10 \rightarrow$  simple and maintainable code

$10 \leq cc \leq 20 \rightarrow$  Moderately complex code

$cc > 20 \rightarrow$  High complexity code

## Reducing Cyclomatic Complexity

(a) reduce nested cond-ns or loops

(b) use polymorphism

(c) break large function into smaller ones.

```
void menu(int choice)
```

```
switch (choice) {
```

```
    case 1: cout << "start", break;
```

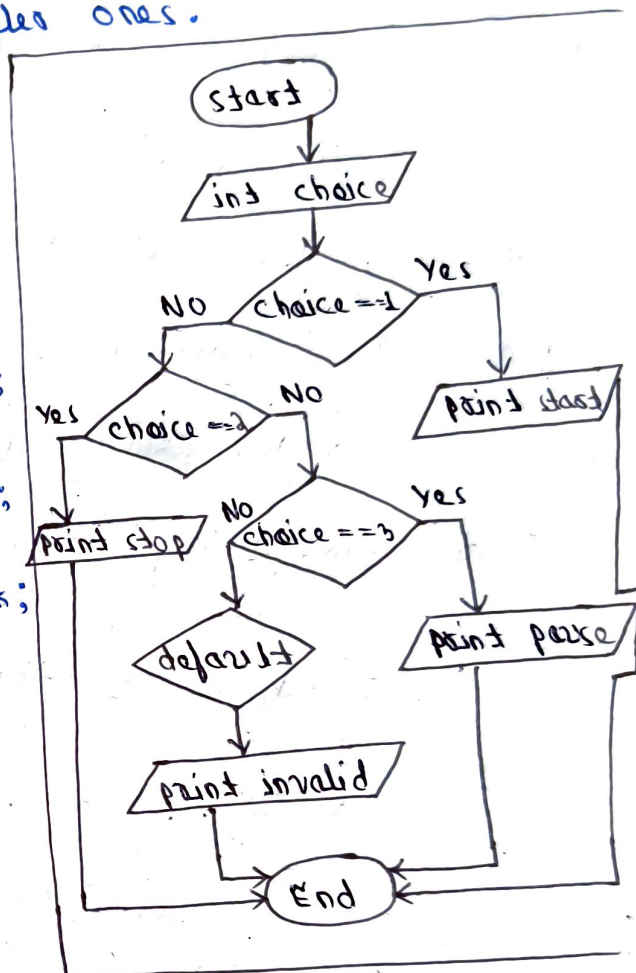
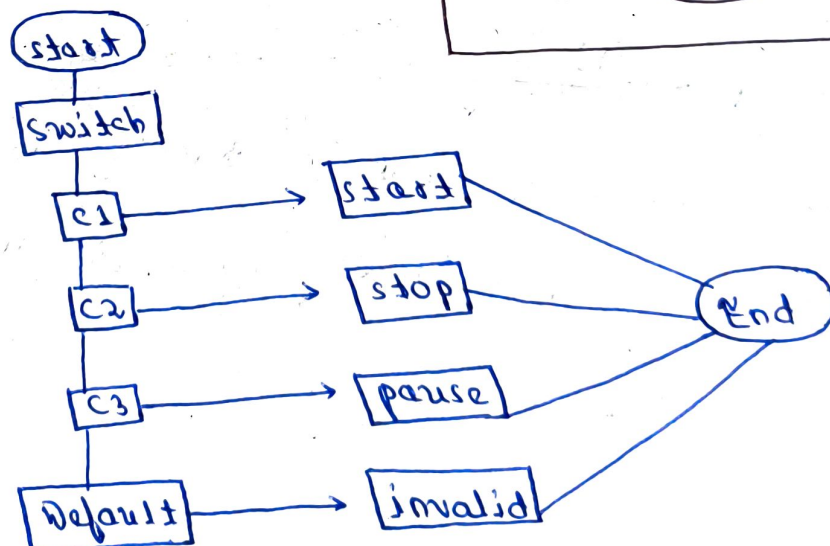
```
    case 2: cout << "stop", break;
```

```
    case 3: cout << "Pause", break;
```

```
    default: cout << "Invalid"
```

```
}
```

control flow graph (CFG)



## Haltstad Metrics

## SOFTWARE TESTING

$n_1$ : no. of distinct operators

$n_2$ : no. of distinct operands

$N_1$ : total occurrences of operators

$N_2$ : total occurrences of operands

## Key Metrics

(a) Program vocabulary -  $n = n_1 + n_2$

(b) Program length -  $N = N_1 + N_2$

(c) Difficulty (D) -  $D = (n_1/2) \times (N_2/n_2)$

(d) volume -  $N \times \log_2(n)$

(e) Effort (E) =  $D \times v$

Eg.

```
int max (int a, int b) {  
    int m;  
    if (a > b)  
        m = a;  
    else  
        m = b;  
    return m;  
}
```

Operators

Count

|     |   |
|-----|---|
| ,   | 1 |
| ;   | 4 |
| >   | 1 |
| =   | 2 |
| ( ) | 2 |
| { } | 1 |

$$\therefore n_1 = 6$$

$$N_1 = 1 + 4 + 1 + 2 + 2 + 1$$
$$= 11$$

and,

| <u>Operands</u> | <u>count</u> |
|-----------------|--------------|
| max             | 1            |
| m               | 4            |
| a               | 3            |
| b               | 3            |

$$\therefore n_2 = 4$$

$$N_2 = 1 + 4 + 3 + 3$$
$$= 11$$

(a) Program vocabulary

$$n = n_1 + n_2$$
$$\Rightarrow n = 6 + 4$$
$$= 10$$

(b) Program length

$$N = N_1 + N_2$$
$$\Rightarrow N = 11 + 11$$
$$= 22$$

(c) Difficulty (D)

$$D = \left( \frac{n_1}{2} \right) \times \left( \frac{n_2}{n_1} \right)$$
$$= \left( \frac{6}{2} \right) \times \left( \frac{11}{4} \right)$$
$$= 3 \times \frac{11}{4}$$
$$= 8.25$$

(d) volume

$$V = N \times \log_2(n)$$
$$= N \times \log_2(10)$$
$$= 22 \times \log_2(10)$$
$$= 22 \times 3.322$$
$$= 73.04$$

(e) Effort

$$E = D \times V$$
$$= 8.25 \times 73.04$$
$$= 602.58$$

## Maintainability Index (MI)

$$MI = 171 - 5.2 \ln(\text{Halstead Volume}) - 0.23 \times (\text{cyclomatic complexity}) - 16.2 \ln(\text{LOC})$$

$$= 171 - 5.2 \ln(73.04) - 0.23 \times 2 - 16.2 \ln(7)$$

## Range of MI

- (a)  $MI > 85 \rightarrow$  Highly Maintainable Code
- (b)  $65 \leq MI \leq 85 \rightarrow$  Moderately Maintainable Code
- (c)  $MI < 65 \rightarrow$  Difficult to Maintain

## Assessing Effectiveness of Test Adequacy Metrics

### (a) code coverage Metrics

(1) statement

(2) branch

(3) path

(4) condition

### (b) Defect Detection Efficiency (DDE)

$$DDE = \frac{\text{Total Defects Detected by Testing}}{\text{Total Defects}} \times 100$$

Total Defects

Detected + undetected defects

eg.

→ Detected by testers

Defects = 40

Defects = 10

Found after release

Total Defect = 50

$$\therefore DDE = \frac{40}{50} \times 100$$

= 80%

(c) Fault Injection - intentionally adding errors to check how software behaves.

compile-time

Run-time

developer modifies source code to introduce faults

errors injected during program execution