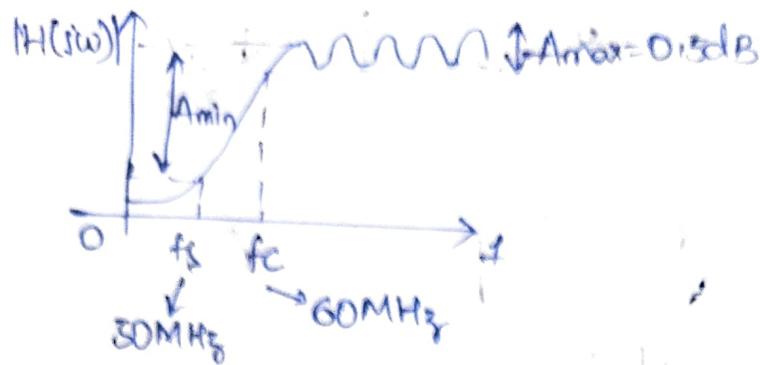


Q. A chebyshev HPF has,

$f_c = 60\text{MHz}$, $A_{\min} = 40\text{dB}$, $f_s = 30\text{MHz}$, $A_{\max} = 0.5\text{dB}$

find order of filter.



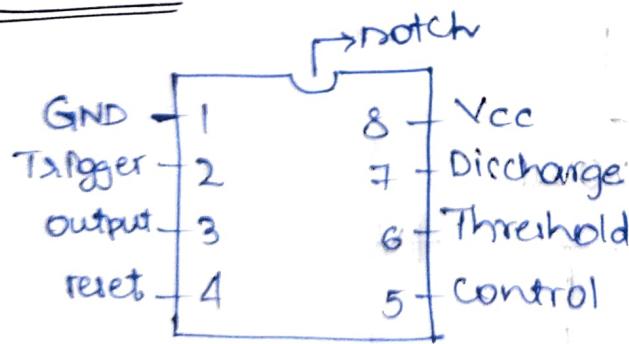
$$\text{norm HPF } n = \cosh^{-1} \left(\frac{(10^{\frac{A_{\min}}{10}} - 1)}{(10^{\frac{A_{\max}}{10}} - 1)} \right)^{\frac{1}{2}}$$
$$\cosh^{-1} \left(\frac{\omega_s}{\omega_c} \right)$$

$n \rightarrow ?$

poles $\rightarrow ?$

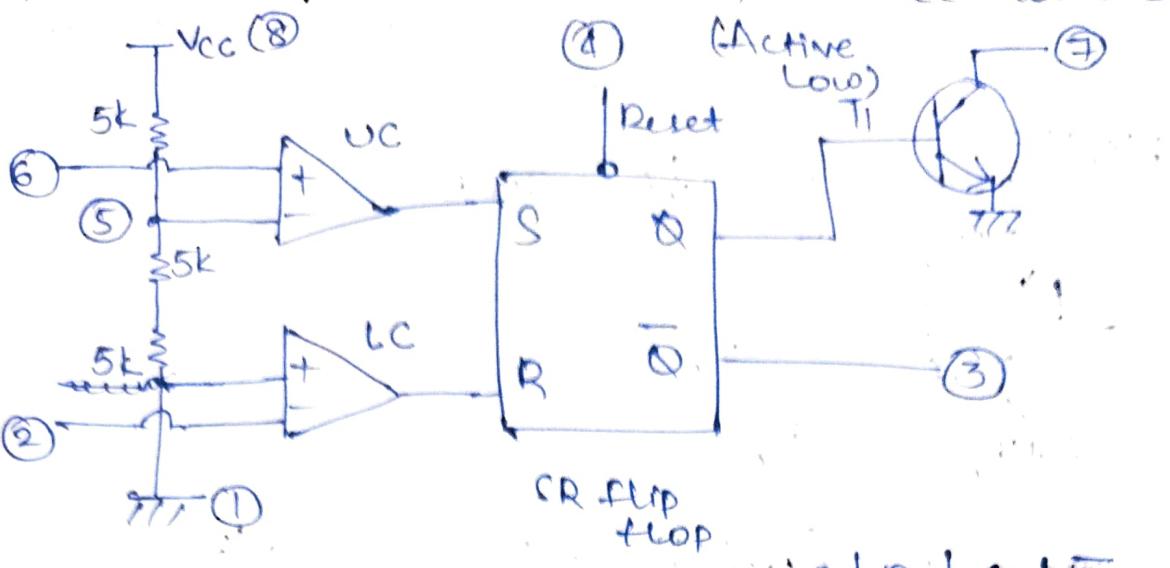
T.F $\rightarrow ?$

IC555:



pin diagram

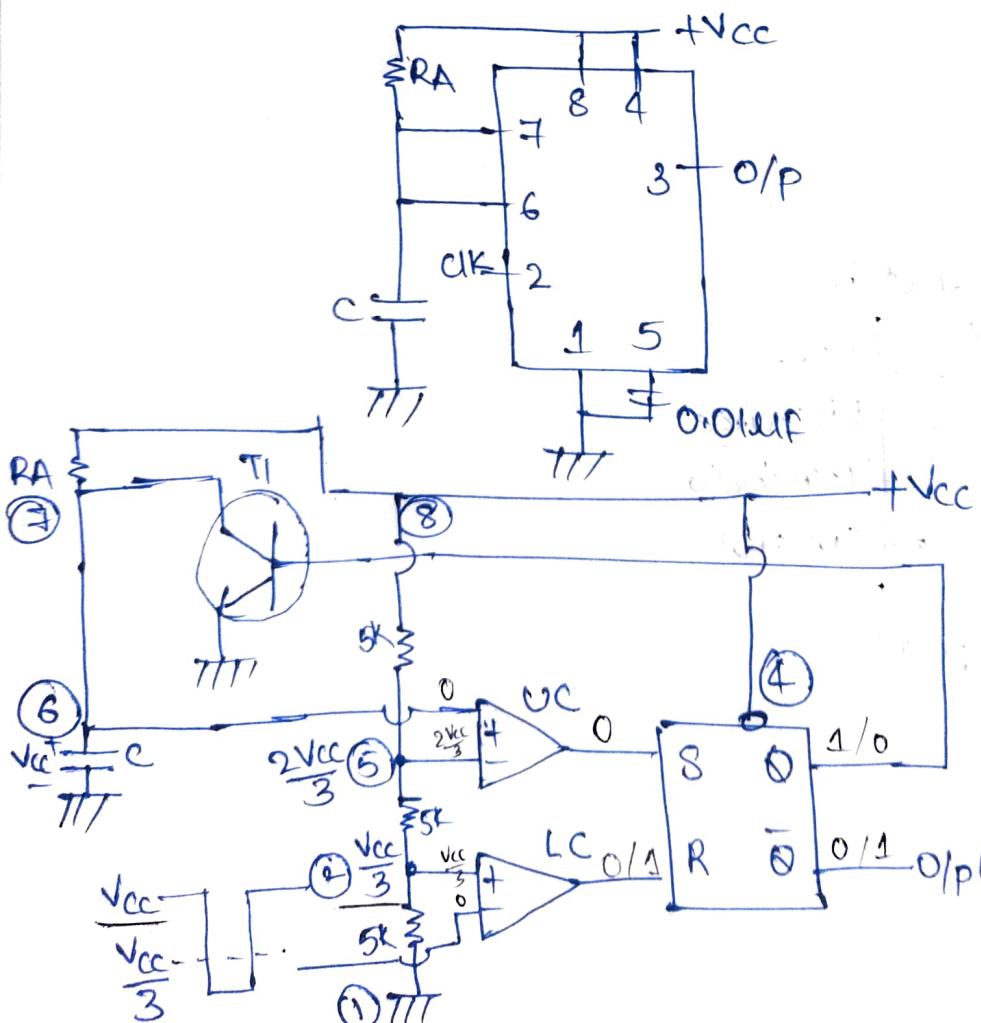
functional diagram

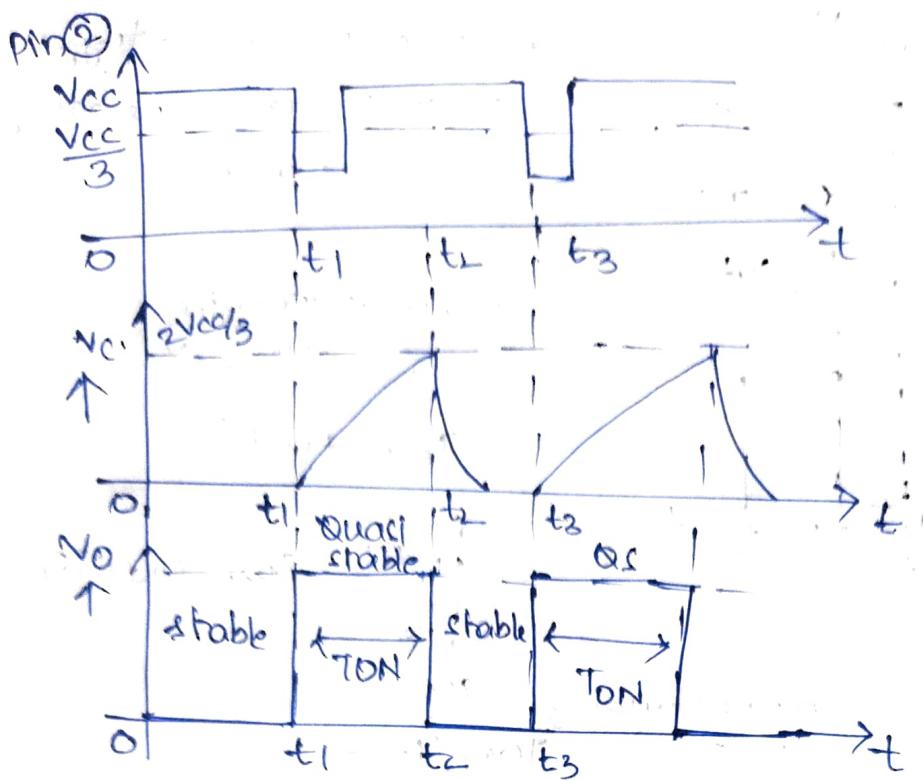


UC - Upper Comparator
LC - Lower Comparator

S	R	Q	\bar{Q}	
1	0	1	0	(set state)
0	0	1	0	(No change)
0	1	0	1	(reset)
0	0	0	1	
1	1	0	1	
		Invalid.		

IC555 as Monostable Multivibrator.





Time duration (Ton)

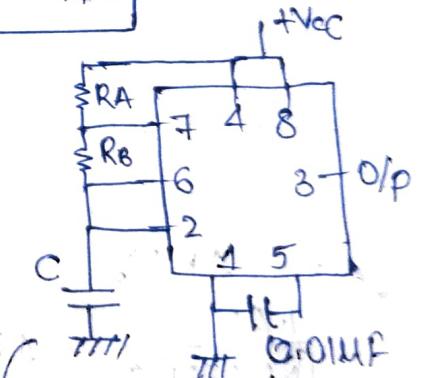
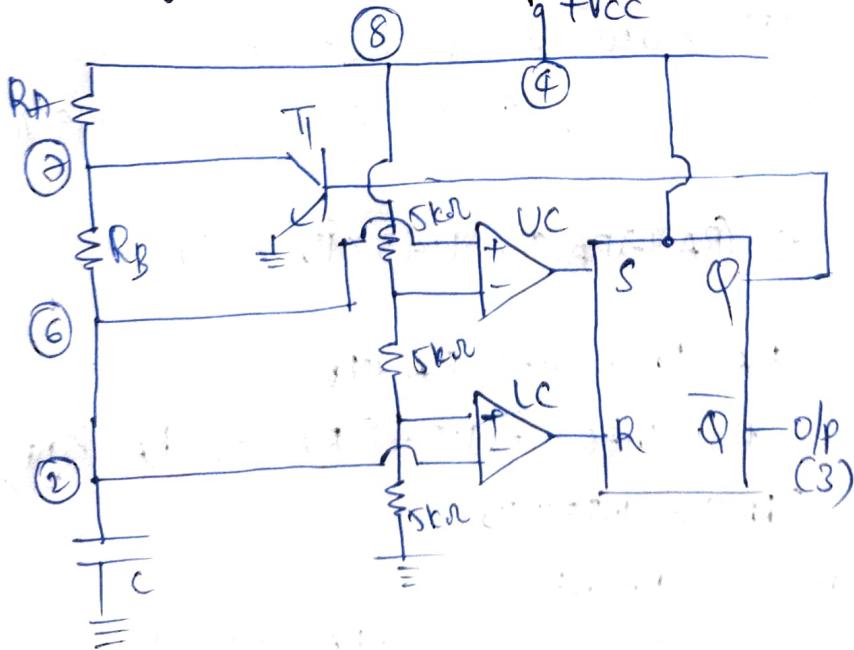
$$N_C = N_{CC} \left(1 - e^{-t/\tau_{RAC}} \right)$$

$$\text{At } t = T_{ON}, V_C = \frac{2V_{CC}}{3}$$

$$\frac{2V_{CC}}{3} = V_{CC} \left(1 - e^{-\frac{T_{ON/RAC}}{R_{AC}}} \right)$$

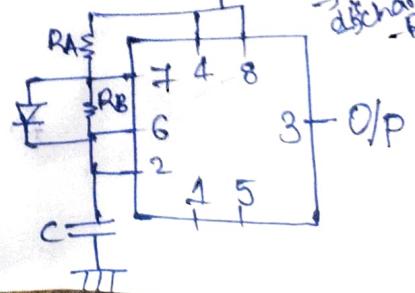
$$\Rightarrow T_{ON} = 1.1 R_{AC}$$

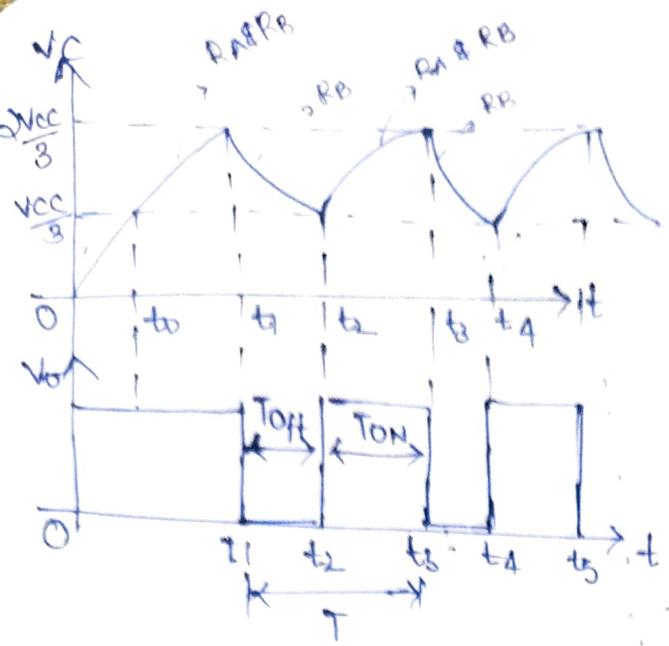
IC555 suitable operation using IC555 timer



D > 50%

If DLSO%, the change RA



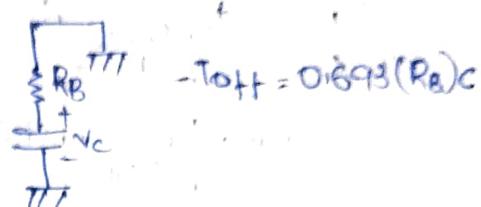


without getting a trigger pulse we are generating a square wave.

while discharging :

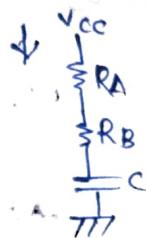
$$(2V_{CC}/3 \rightarrow V_{CC}/3)$$

$$T_{OFF} (t_1 - t_2)$$



while charging :

$$T_{ON} (t_2 - t_3)$$



$$T_{ON} = 0.693(R_A + R_B)C$$

Time period (T)

$$T = T_{OFF} + T_{ON}$$

$$= 0.693(R_A + 2R_B)C$$

$$f = \frac{1}{T} = \frac{1}{0.693(R_A + 2R_B)C} = \frac{1.45}{(R_A + 2R_B)C}$$

Duty cycle 'D' = $\frac{T_{ON}}{T}$

$$D = \frac{0.693(R_A + R_B)C}{0.693(R_A + 2R_B)C} \Rightarrow D = \frac{R_A + R_B}{R_A + 2R_B}$$

Q Design a Astable multivibrator using IC555 timer which generates a signal with frequency 1KHz & Duty cycle 75%.

$$f = 1\text{ KHz}$$

$$\frac{1.45}{(R_A + 2R_B)C} = 1\text{ K} \Rightarrow (R_A + 2R_B)C = 1.45 \times 10^{-3} \quad \text{--- (1)}$$

$$D = \frac{R_A + R_B}{R_A + 2R_B} = 0.75 \Rightarrow R_A + R_B = 0.75(R_A + 2R_B)$$

$$R(1 - 0.75) = (1.5 - 1)R_B \Rightarrow R_A = 2R_B \quad \text{--- (2)}$$

$$\Rightarrow 4R_B C = 1.45 \times 10^{-3}$$

$$\text{Assume } C = 0.1\text{ uF}$$

$$\Rightarrow R_B = 3625\Omega, R_A = 7250\Omega$$

Note: when Duty cycle (D) < 50%.

$$T_{ON} = 0.693(RA)C$$

$$T_{OFF} = 0.693(RB)C$$

$$T = 0.693(RA+RB)C \Rightarrow f = \frac{1}{0.693(RA+RB)C}$$

$$f = \frac{1.45}{(RA+RB)C}$$

$$D = \frac{T_{ON}}{T} = \frac{RA}{RA+RB}$$

Q. Design a astable multivibrator using IC555 timer which generates a signal with frequency 1K Hz & duty cycle 25%.

$$\frac{RA}{RA+RB} = \frac{25}{100} \Rightarrow 3RA = RB \quad \text{--- (1)}$$

$$\frac{1.45}{(RA+RB)C} = 1 \times 10^3 \quad \text{--- (2)}$$

Assume $C = 0.1 \mu F$.

$$(1) \& (2) \Rightarrow RA = 3.6 k\Omega$$

$$RB = 10.8 k\Omega$$

PHASE LOCKED LOOP (PLL)

V_e - error voltage
 V_c - low dc vol.
 f_0 - default freq.

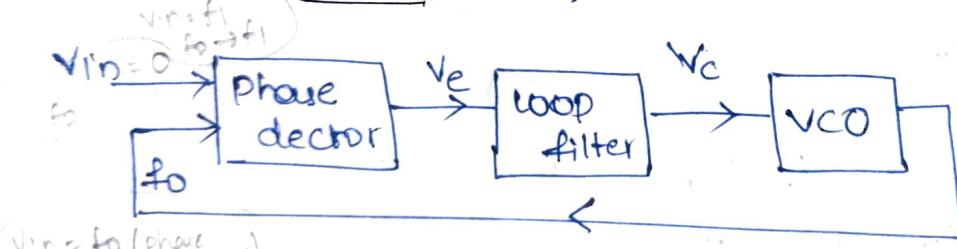


fig: Block diagram

$VCO \rightarrow$ Voltage controlled Oscillator.

Modes of operation:

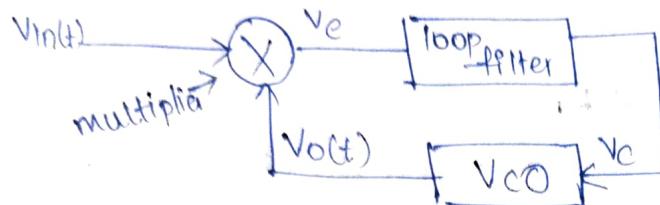
1. free running state ($V_{in}=0$) (f_0)

2. Capture state (when V_{in} is non zero)

3. Lock state (V_{CO} -frequency has change to f_1 from f_0)

1. capture range - range of frequencies to attain lock

2. lock range - range of frequencies over which PLL can maintain the lock stage
 (after attaining the lock, when again freq. of Vin is changed.)



$$e(t) \rightarrow [VCO] \rightarrow B \cos(\omega_c t + \theta_0(t))$$

$$VCO \text{ o/p} \rightarrow V_o = B \cos(\omega_c t + \theta_0(t))$$

Instantaneous angular freq. of VCO o/p = $\omega_c + \dot{\theta}_0(t)$

$$\text{where, } \dot{\theta}_0(t) = C e(t)$$

$$\text{when } e(t) = 0 \rightarrow \dot{\theta}_0(t) = 0$$

so, Instantaneous angular freq. of VCO o/p is $\omega_c = 2\pi f_c$

where $f_c \rightarrow$ free running frequency of VCO

$$\text{let } V_{in}(t) = A \sin(\omega_i t + \psi_0) = A \sin(\omega_c t + \theta_i(t))$$

$$V_{in}(t) = A \sin(\omega_i t + (\omega_i - \omega_c)t + \psi_0)$$

$$\theta_i(t) = (\omega_i - \omega_c)t + \psi_0$$

$$\theta_i(s) = \frac{(\omega_i - \omega_c)}{s} + \psi_0$$

$$V_o(t) = B \cos(\omega_c t + \theta_0(t))$$

$$V_e(t) = AB \sin(\omega_c t + \theta_i(t)) \cos(\omega_c t + \theta_0(t))$$

$$V_e(t) = \frac{1}{2} AB [\sin(\theta_i(t) - \theta_0(t)) + \sin(2\omega_c t + \theta_i(t) + \theta_0(t))]$$

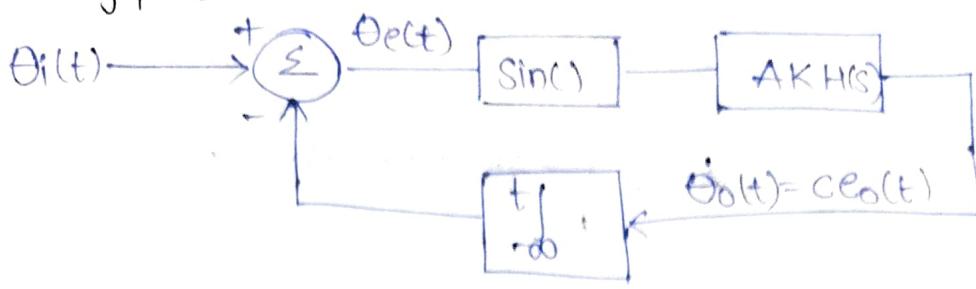
Since loop filter is LPF

$$V_c = \frac{1}{g} AB [\sin(\theta_i(t) - \theta_0(t))] = \frac{1}{2} AB \sin(\theta_e(t))$$

$$[\theta_e(t) = \theta_i(t) - \theta_0(t)]$$

Let $H(s)$ be transfer function of loop filter

Terms of phase



$$\dot{\theta}_o(t) = c\theta_e(t)$$

$$\theta_e(t) = h(t) * \frac{1}{2} \text{ABSIN}(\theta_i(t) - \theta_o(t))$$

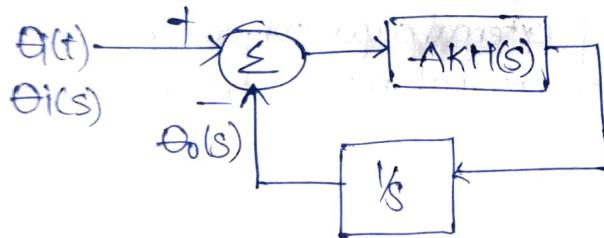
$$c\theta_e(t) = ch(t) * \frac{1}{2} \text{ABSIN}(\theta_i(t) - \theta_o(t))$$

$$\theta_o(t) = c\theta_e(t) = \frac{cAB}{2} \int_{-\infty}^t h(t-x) \sin(\theta_i(x) - \theta_o(x)) dx$$

$$\dot{\theta}_o(t) = AK \int_{-\infty}^t h(t-x) \sin(\theta_e(t)) dx$$

If $\sin(\theta_e(t)) \approx \theta_e(t)$, then entire circuit becomes linear

we can apply convolution. Assume $\theta_e(t) \ll \pi/2$, then $[\sin(\theta_e) \approx \theta_e]$



$$\theta_o(s) = [\theta_i(s) - \theta_o(s)] \frac{AKH(s)}{s}$$

$$\theta_o(s) \left[1 + \frac{AKH(s)}{s} \right] = \frac{\theta_i(s) AKH(s)}{s}$$

$$\theta_e(s) = \frac{s}{s+AKH(s)} \left[\frac{w_i - w_c}{s} + \frac{\psi_0}{s} \right]$$

let $H(s) = 1$ (1st order LPF)

$$\frac{\theta_o(s)}{\theta_i(s)} = \frac{-AKH(s)}{s + AKH(s)}$$

$$\theta_e(s) = \frac{s}{s+AK} \left[\frac{w_i - w_c}{s} + \frac{\psi_0}{s} \right]$$

$$\theta_e(s) = \theta_i(s) - \theta_o(s)$$

$$\theta_e(s) = \frac{w_i - w_c}{s(s+AK)} + \frac{\psi_0}{(s+AK)}$$

$$\theta_i(t) = (w_i - w_c)t + \psi_0$$

$$\theta_e(s) = \frac{(w_i - w_c)/AK}{s} - \frac{(w_i - w_c)/AK}{s+AK} + \frac{\psi_0}{s+AK}$$

$$\theta_i(s) = \frac{w_0 - w_c}{s} + \frac{\psi_0}{s}$$

$$\theta_e(t) = \frac{w_i - w_o}{AK} - \frac{(w_i - w_o)}{AK} e^{-AKt} + \psi_0 e^{-AKt}$$

let, $\left[\begin{array}{l} \text{Lt. } \theta_e(t) = \left(\frac{w_i - w_o}{AK} \right) \\ t \rightarrow \infty \end{array} \right] \rightarrow \text{steady state response}$

$$H(s) = \frac{s+q}{s}$$

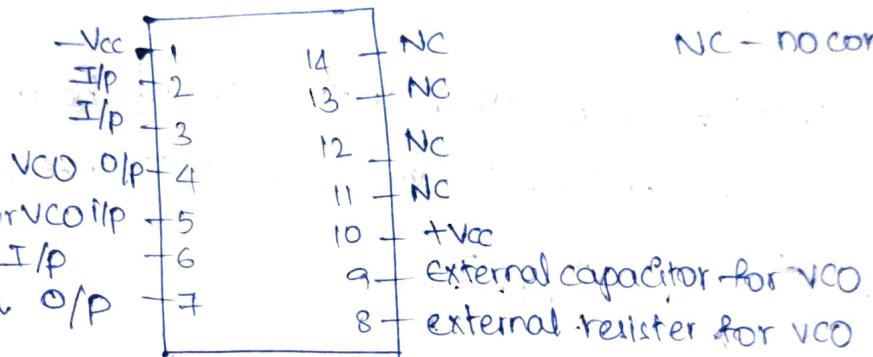
$$\theta_e(s) = \frac{s}{s+AK(s+q)} \left[\frac{w_i - w_o}{s^2} + \frac{\psi_0}{s} \right]$$

From final value theorem,

$$\theta_e(t=0) = \lim_{s \rightarrow 0} s \theta_e(s) \rightarrow \theta_e(t=0) = 0$$

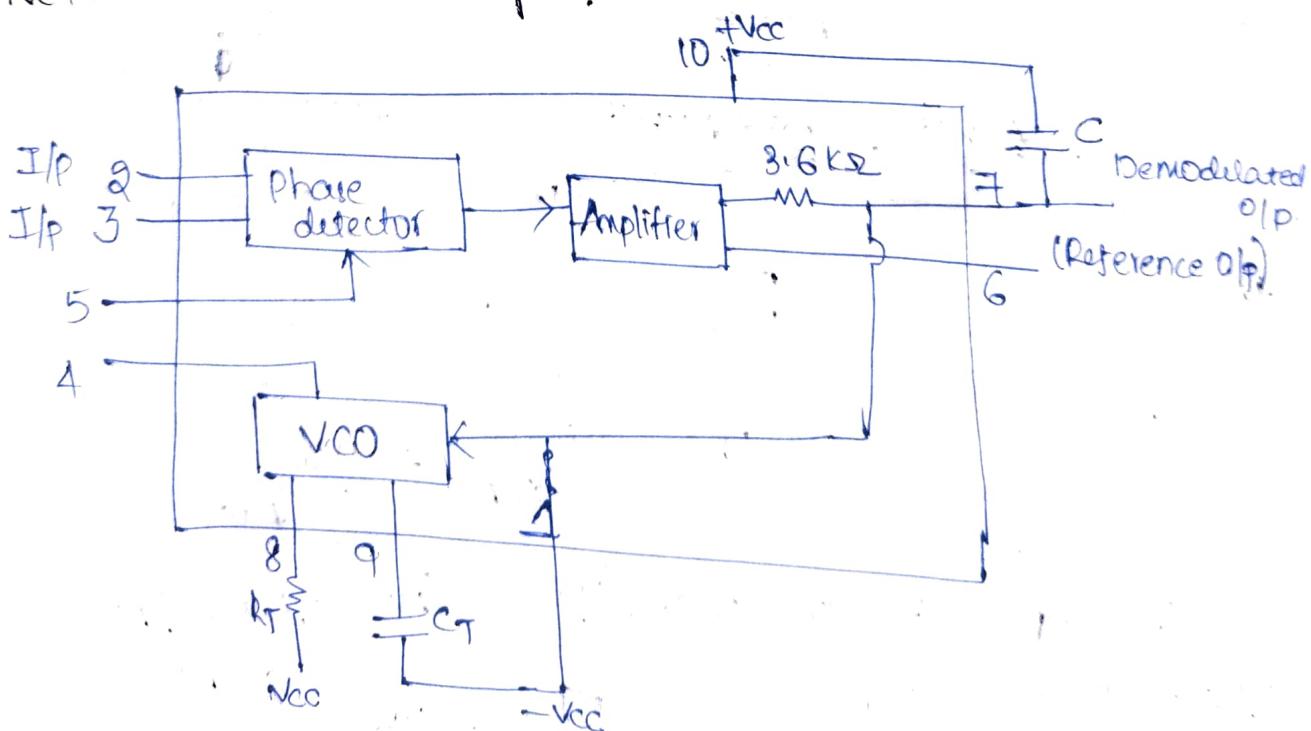
There is an exact phase difference of $\pi/2$ between I/p & O/p

IC PLL 565



Pin diagram

NELSE 565 PLL Block diagram.



Important electrical parameters of 565 PLL

operating frequency range = 0.001 Hz to 500 kHz

operating voltage range = $\pm 16V$ to $\pm 12V$

Input level: 10mV rms (min) to 3V(p-p) max

O/p sink current = 1mA (typical)

I/p impedance = 10k Ω

Lockin range (JC565 PLL)

$$\Delta f_L = \pm 7.8f_0 \quad ; \quad V = +V_{cc} - (-V_{cc})$$

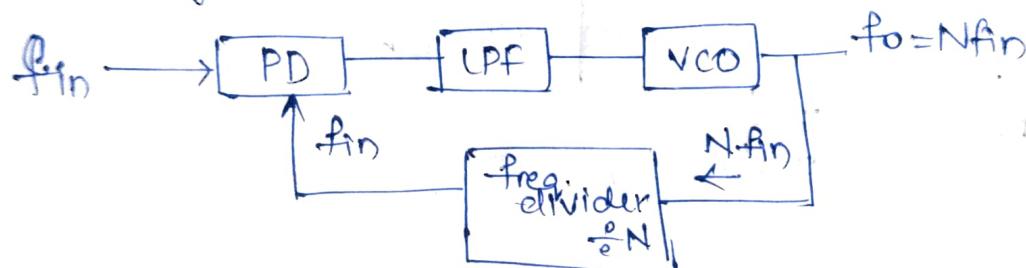
Capture range:

$$\Delta f_c = \pm \left[\frac{\Delta f_L}{(2\pi)(3.6)10^3 C} \right] k_2 \Rightarrow f_0 = \frac{0.25}{R \cdot C} \text{ Hz}$$

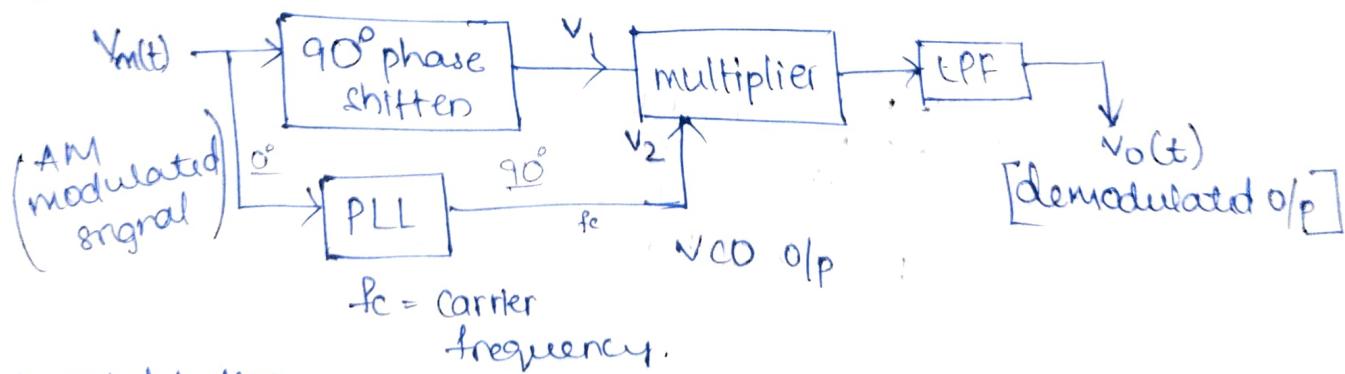
Free running freq.

Applications of PLL:

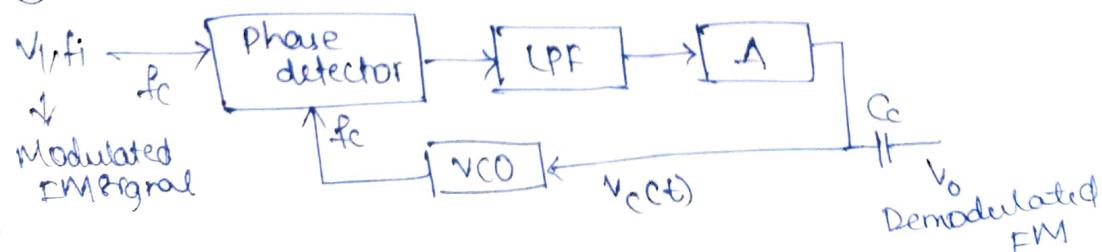
① Frequency multiplier



② AM detection



③ FM detection



Important electrical parameters of 565 PLL

operating frequency range = 0.001 Hz to 500 kHz

operating voltage range = $\pm 6V$ to $\pm 12V$

Input level: 10mV rms (min) to 3V (p-p) max

O/p sink current = 1mA (typical)

I/p impedance = 10k Ω

Lockin range (3C565 PLL)

$$\Delta f_L = \pm 7.8f_0 \quad ; \quad V = +V_{cc} - (-V_{cc})$$

Capture range:

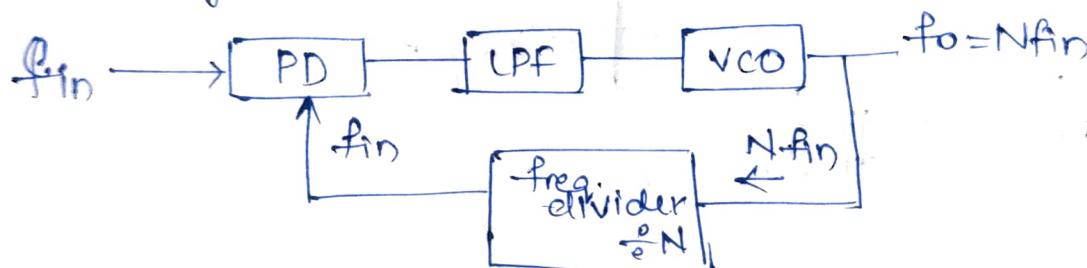
$$\Delta f_c = \pm \left[\frac{\Delta f_L}{(2\pi)(3.6)10^3 C} \right] k_2$$

$$\Rightarrow f_0 = \frac{0.25}{R T C T} \text{ Hz}$$

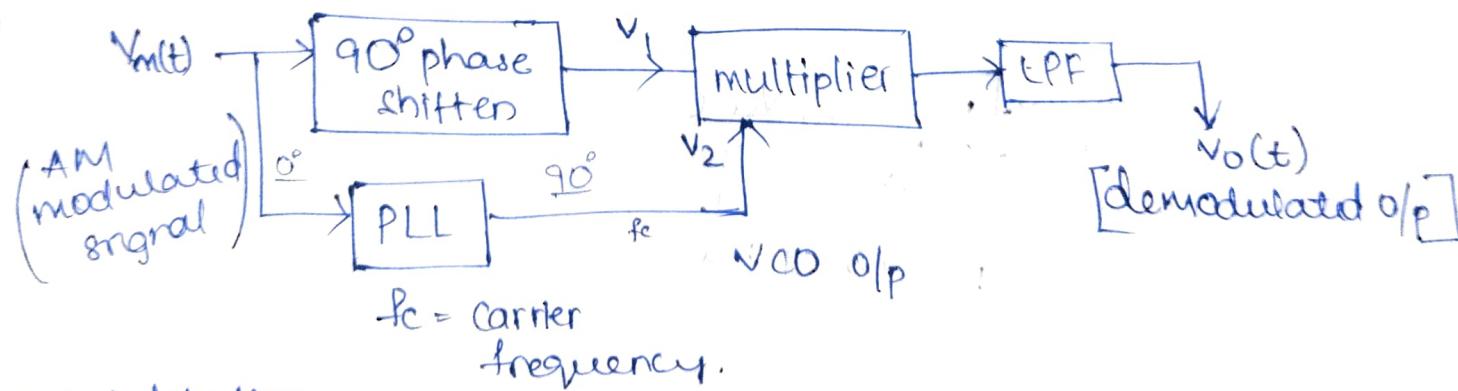
Free running freq.

Applications of PLL:

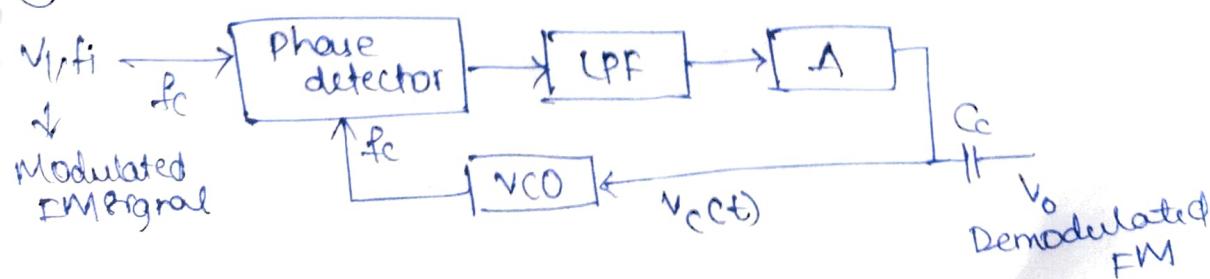
① Frequency multiplier



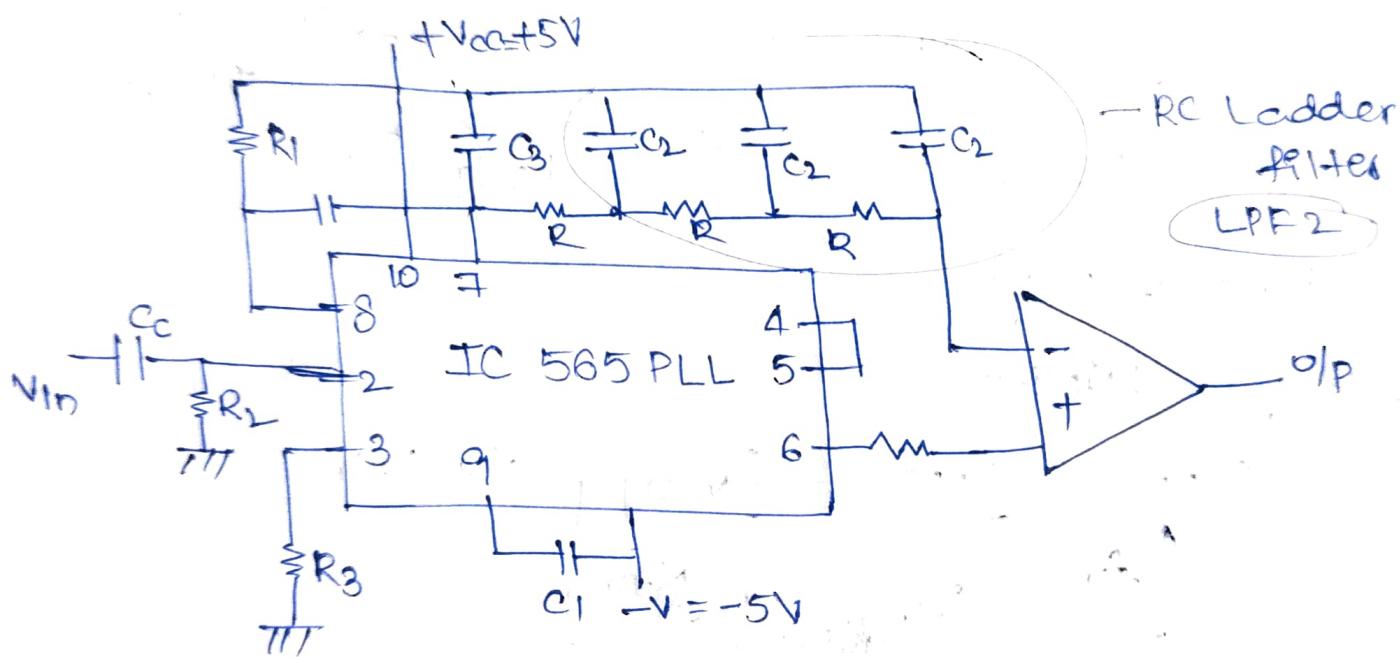
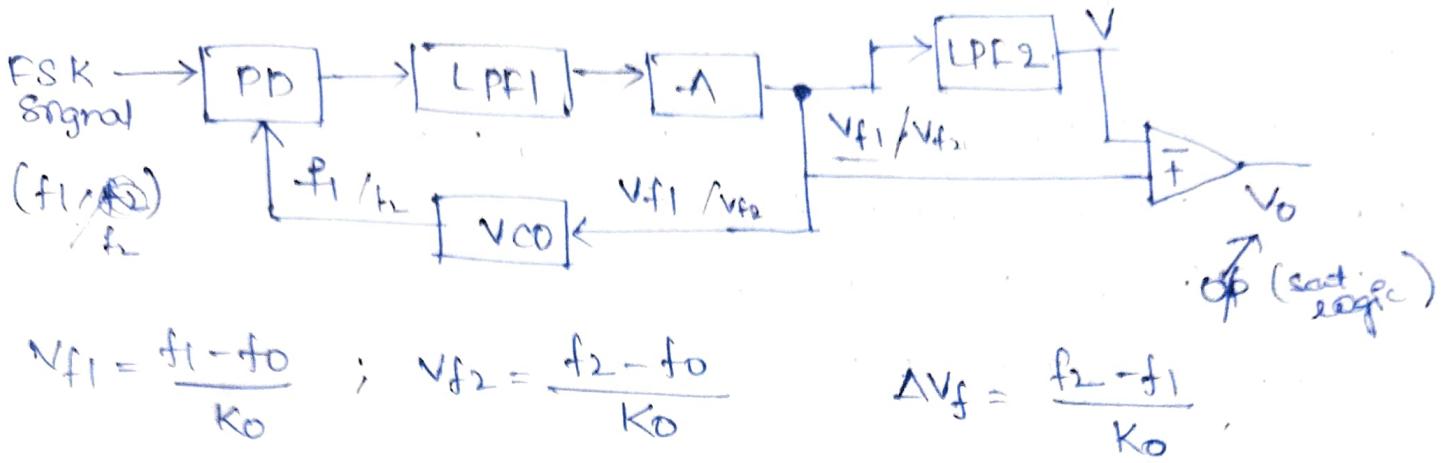
② AM detection



③ FM detection.

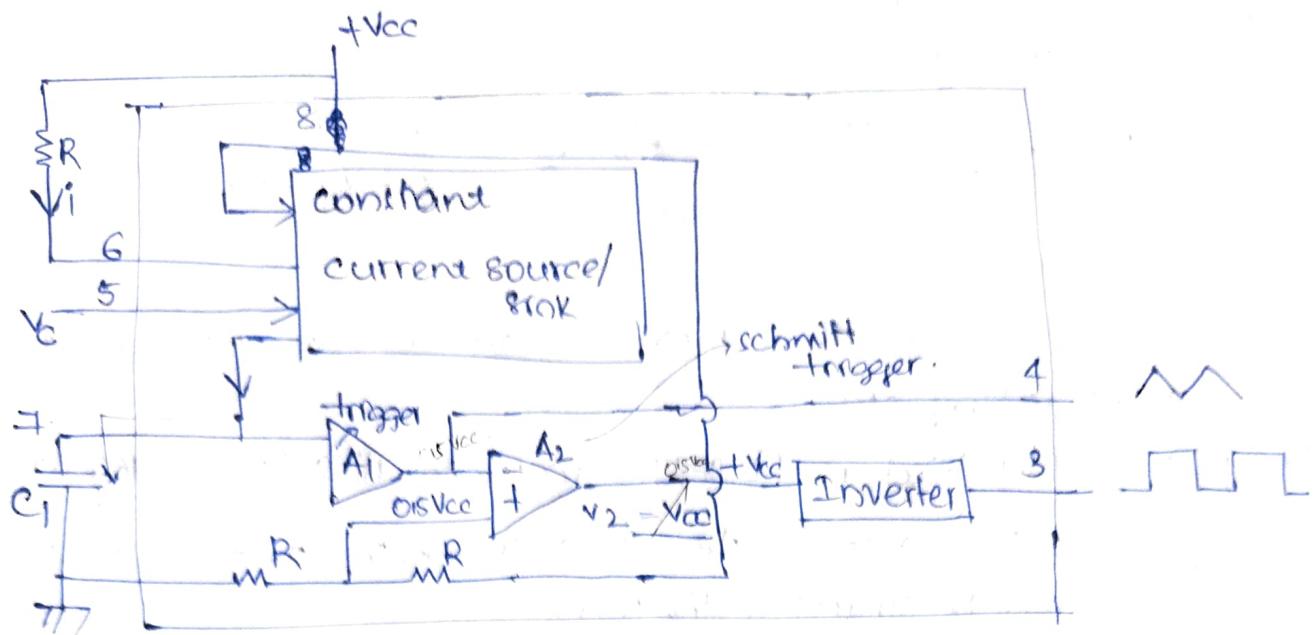


FSK Demodulation



IC VOLTAGE CONTROLLED OSCILLATOR NE/SE 566 (VCO)

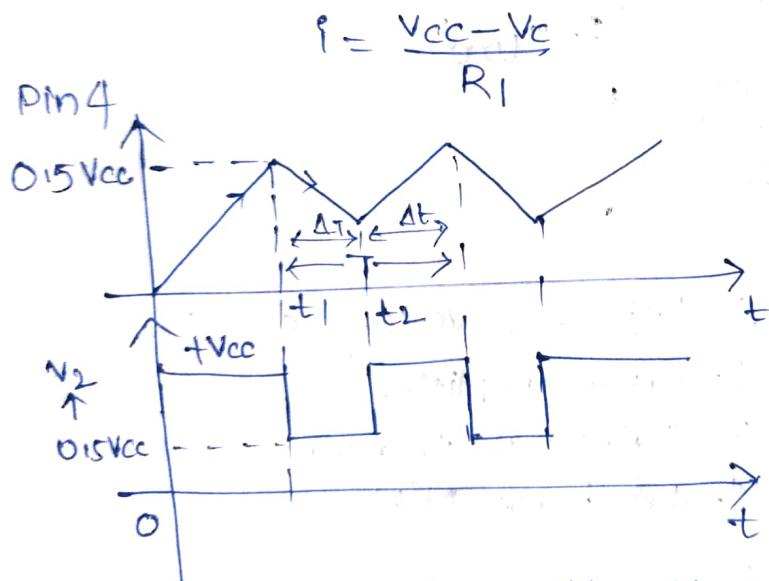
Ground	1	8	Vcc (+)
NC	2	7	C1
Square wave O/p	3	6	R1
Triangular wave O/p.	4	5	Modulation i/p
	NE SE 566		



V_c - modulating input voltage

$$V_2 = \text{O/p of OPAMP } A_2 = +V_{cat} = +V_{cc} \\ - V_{sat} = 0.5 V_{cc}$$

when $V_2 = +V_{cc}$, Block behaves as constant current source.



• charging and discharging
with same current we get
triangular wave.

when $V_2 = 0.5 V_{cc}$, block behaves as constant current source

$$Q = CV \\ i = C \cdot \frac{dV}{dt}$$

$$i = C_1 \cdot \frac{\Delta V}{\Delta t} = \frac{C_1 (0.125 V_{cc})}{\Delta t}$$

$$\Delta t = \frac{C_1 (0.125 V_{cc})}{i}$$

$$i = \frac{V_{cc} - V_c}{R_1}$$

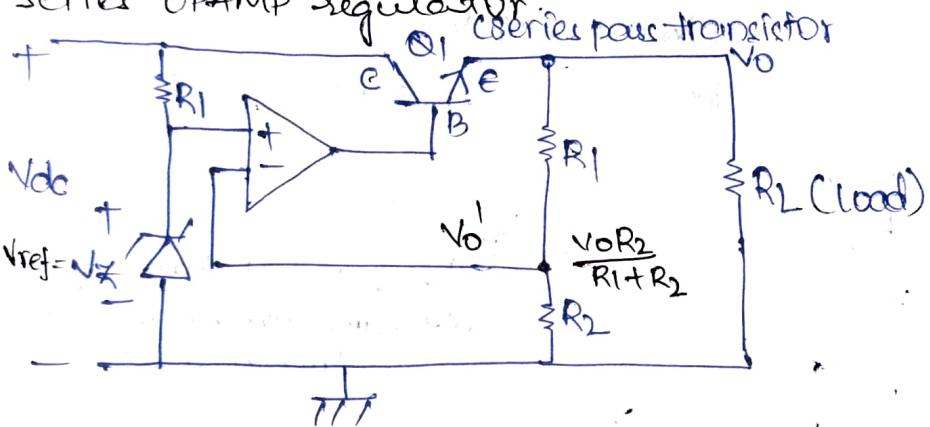
$$\Delta t = \frac{C_1(0.125V_{cc})R_1}{V_{cc} - V_c}$$

$$T = 2\Delta t = \frac{0.125V_{cc}C_1R_1}{V_{cc} - V_c} \quad ; \quad f_o = \frac{1}{T} = \frac{V_{cc} - V_c}{0.125V_{cc}R_1C_1}$$

VOLTAGE REGULATOR!

- It is a electronic circuit that provides a Voltage independent of load current, temp etc.
- They can be classified as (i) series regulator (ii) switching regulator
Series regulators use a power transistor connected in series b/w the unregulated DC input & the load.
Switching regulators operate the power transistor as a high frequency analog switch so that power transistor does not conduct current continuously.

Series OPAMP regulator



Circuit consists of 4 parts:

1. Reference voltage circuit
2. Error amplifier
3. Series pass transistor
4. feedback N/W

$$V_O' = A(V_Z - \beta V_O) \quad ; \quad \beta = \frac{R_2}{R_1 + R_2}$$

$$V_O' = V_O = A[V_Z - \beta V_O] \Rightarrow V_O = \frac{A V_Z}{1 + AB}$$

IC Voltage Regulators

fixed voltage series regulator

78XX series are 3 terminal, positive voltage fixed regulators

In 78XX, the last 2 numbers (XX) indicate the o/p voltage. There are seven O/P voltage options available such as 5, 6, 8, 12, 15, 18 & 24V.

→ 79XX series → generates -ve DC voltage.

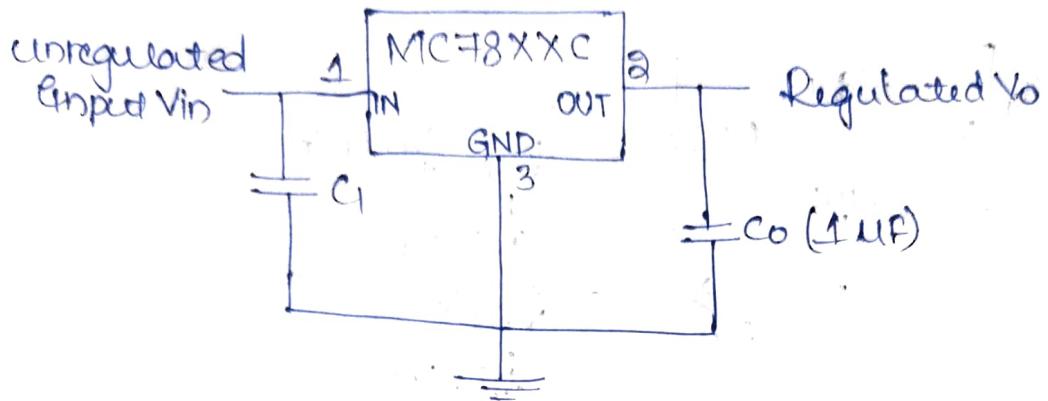


fig. standard representation of a three terminal positive regulator characteristics:

- ① V_o : The regulated o/p voltage is fixed value specified by manufacturer.
- ② $|V_{in}| \geq |V_o| + 2\text{Volts}$.

The unregulated input voltage must be atleast 2V more than regulated o/p voltage

- ③ $I_o(\text{max})$: The load current may vary from '0' to sated maximum output current.
- ④ Thermal shutdown: The IC has temperature sensor, which turns off the IC when it becomes hot (125°C - 150°C)

Fine / Input regulation:

It is defined as percentage change in o/p voltage for a change in input voltage.

Load regulation:

It is defined as the change in o/p voltage for change in load current.

Ripple regulation:

The IC regulator not only keeps the O/p voltage constant but also reduces the amount of ripple.

current source

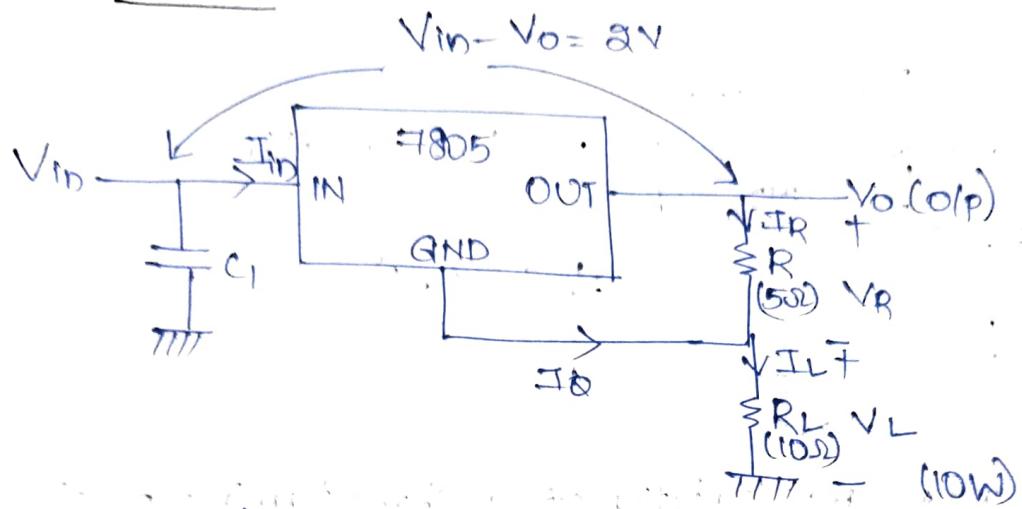


fig: IC 7805 as a current source.

The circuit is wired to supply a current of 1 Ampere to a 10Ω , $10W$ load

$$I_L = I_R + I_Q$$

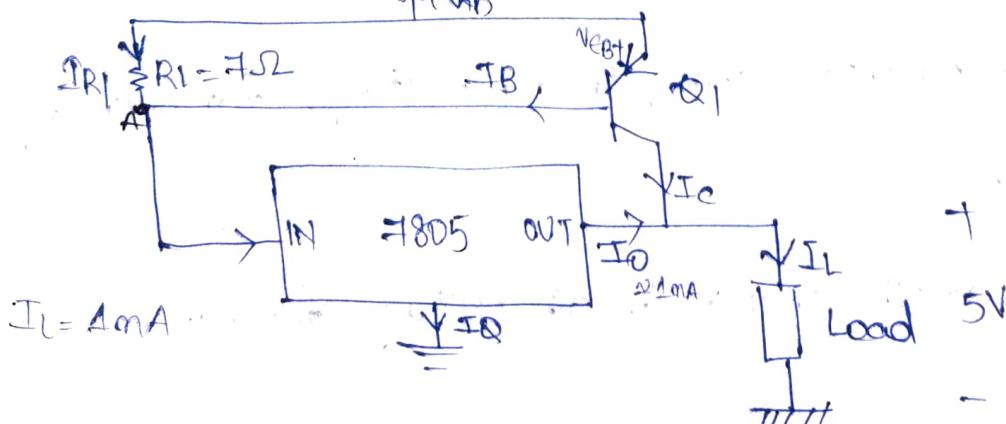
where I_Q is quiescent current & is about $4.2mA$ for 7805.

$$I_L = \frac{V_R}{R} + I_Q$$

Since, $I_L = 1A$, $\frac{V_R}{R} \approx 1A$ (neglecting I_Q)

Boosting IC Regulator O/p current.

It is possible to boost the O/p current of 3 terminal regulator simply by connecting an external pass transistor Q_1 parallel with regulator.



$$I_O = \frac{I_Q + I_N}{\text{Very small}}$$

$$\Rightarrow I_O = I_{in}$$

Fig(6) Boosting a 3 terminal regulator

For low load currents, the voltage drop across (R_1) is insufficient ($<0.7V$) to turn on transistor Q_1 & regulator itself is able to supply the load current. If I_L increases, V_{R1} increases when $V_{R1} = 0.7V$, transistor is turned 'on'

If $I_L = 100mA$, $V_{EB} = V_{R1} = 0.7V$

If $I_I \geq 100mA$, the transistor Q_1 is turned 'ON' & it supplies extra current.

When Q_1 is ON, $V_{EB(ON)}$ remains fairly constant, & excess current comes from Q_1 .

$$I_L = I_C + I_O \quad \& \quad I_C = \beta I_B$$

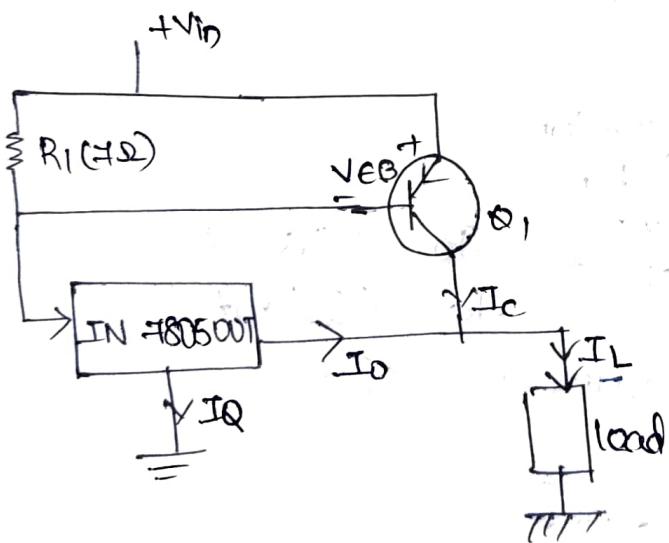
for regulator $\rightarrow I_O = I_I - I_Q$, $I_O \approx I_I$

$$(KCL at A) \rightarrow I_B = I_I - I_{R1} = I_O - I_{R1}$$

$$I_B \approx I_O - \frac{V_{EB(ON)}}{R_1}$$

$$I_L = (B+D)I_O - \frac{\beta V_{EB(ON)}}{R_1}$$

Q1



Let $V_{EB} = 1V$ & $\beta = 15$. calculate the op current (I_Q)

coming from 7805 & I_C coming from transistor Q_1 for loads $100\Omega, 5\Omega, 1\Omega$.

Ans' for load 100Ω: for 7805, the o/p voltage across load will be 5V.

$$I_L = \frac{5V}{100} = 50mA$$

let Q₁ be off, then, V_{EB} = 50mA × 7Ω \Rightarrow V_{EB} = 350mV

so, Q₁ is OFF,

$$I_C = 0; I_L = I_O = 50mA \quad \begin{matrix} I_C + I_B = I_O \\ I_C = I_O \end{matrix}$$

for load 5Ω: for 7805, the o/p voltage across load will be 5V

$$I_L = \frac{5}{5} = 1A \Rightarrow Q_1 \text{ is ON.}$$

$$I_L = (\beta + 1)I_O - \frac{\beta V_{EB(\text{ON})}}{R_1}$$

$$1 = (16)I_O - \frac{15 \times 1}{7} \Rightarrow I_O = 196mA$$

$$I_O + I_C = I_L$$

$$196mA + I_C = 1A$$

$$\Rightarrow I_C = 804mA$$

for load 1Ω:

$$\text{Assume } Q_1 \text{ is OFF } (I_C = 0) \rightarrow I_L = \frac{5}{1} = 5A$$

$$V_{EB} = 5 \times 7 = 35V$$

so, Q₁ is ON)

$$I_L = (\beta + 1)I_O - \frac{\beta V_{EB(\text{ON})}}{R_1}$$

$$35 = 16I_O - \frac{15 \times 1}{7} \Rightarrow I_O = 446mA$$

$$I_C = 454mA$$

Fixed Regulator used as Adjustable Regulator:

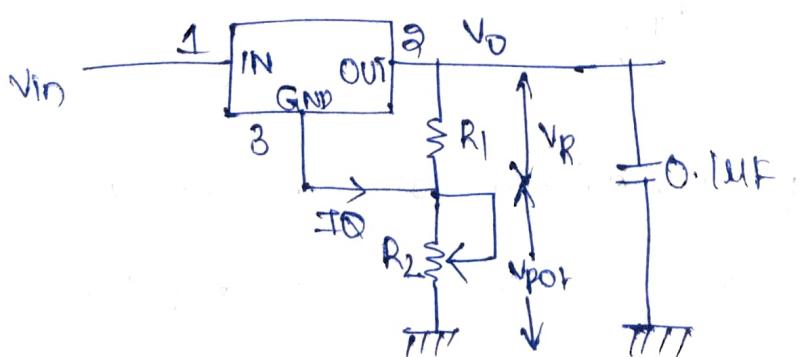


fig 1.

$$V_o = V_R + V_{pot} = V_R + (I_Q + I_{R1}) R_2 \Rightarrow V_o = V_R + I_Q R_2 + \frac{V_R}{R_1} R_2$$

I_Q is neglected

$$V_o \approx V_R (1 + \frac{R_2}{R_1})$$

choose a small value
 R_2 , so the effect of
 $I_Q R_2$ is not affected

Ex: Specify suitable component value to get $V_o = 7.5V$ in the circuit of fig. 1 using a 7805 using a 7805 regulator.

Sol: From the datasheet of 7805,

$$I_Q = 4.2mA$$

$$\text{we choose } I_{R1} = 25mA,$$

$$\text{As } V_R = 5V \text{ for 7805, } R_1 = \frac{5V}{25mA} = 200\Omega; V_{R2} = 2.5V$$

$$R_2 = \frac{V_{R2}}{I_{R1} + I_Q} \Rightarrow R_2 = 856\Omega$$