

Max Profit Problem

Introduction:

The Max Profit Problem is a scenario where Mr. X owns a large strip of land in Mars Land and wants to maximise his earnings by developing different types of properties. Each property type has a specific construction time and earns a certain amount of money when operational. The goal is to find the optimal mix of properties based on a given time unit.

Problem Description:

Mr. X has the option to build Theatres, Pubs, and Commercial Parks on his land. Each property type has its own construction time and occupies a specific parcel of land. The earning potential for each property type is as follow

- Theatre: \$1500
- Pub: \$1000
- Commercial Park: \$3000

Constraints:

- Mr. X cannot develop two properties simultaneously in the same time unit.
- The available time unit is provided as an input.

Approach:

The problem can be solved recursively by considering different time units and calculating the maximum earnings for each time unit. The approach includes the following steps:

- Define a recursive function named `find(n)` that takes a time unit `n` as input and returns the maximum earnings for that time unit.
- Initialise a list `prof` to store the profits for each property type (Theatre, Pub, Commercial Park). Initialise it with zeros.
- Check if the time unit `n` is less than 4. If so, return 0, as there are no properties that can be developed.
- If the time unit is 4 or greater, calculate the profits for each property type based on the remaining time (`temp`) after developing the property.
- Determine the index of the property type with the maximum profit using the `getMax(prof)` function.

- Add the maximum profit to the total earnings `pr` and increment the count of completed properties for the corresponding property type in the `arr` list.
- Recursively call the `find()` function with the reduced time unit by subtracting the time required for the developed property.
- Repeat the above steps until the base case is reached (`time unit < 4`).
- Implement the `getMax(prof)` function to determine the index of the property type with the highest profit.
- Implement the `solString()` function to generate a formatted string representing the number of properties developed for each property type.
- Initialise the array list to keep track of the number of properties completed for each property type.
- Define the `time_unit` list that stores the time required for each property type.
- Prompt the user to input the time unit.
- Print the maximum earnings by calling the `find()` function with the user input.
- Print the solution string using the `solString()` function.

Conclusion:

The Max Profit Problem provides an opportunity for Mr. X to maximise his earnings by choosing the right mix of properties to develop based on a given time unit. By implementing a recursive solution, the code