

Figure 1: Plots show regret for (line shows average regret, shaded region is max and min regret, for 100 simulations, each with 10,000 time steps). Each simulation has 5 arms total, where the single best arm has reward drawn from $\mathcal{N}(\mu = 0.5, \sigma = 0.1)$ and the other arms have reward $\mathcal{N}(\mu = 0.45, \sigma = 0.1)$.

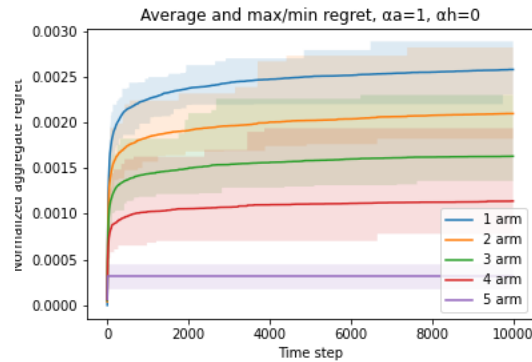


Figure 2: Simulation identical to Figure 5a.1 except that, while the best arm still has reward drawn from $\mathcal{N}(\mu = 0.5, \sigma = 0.1)$, the other arms now have reward drawn from $\mathcal{N}(\mu = 0.1, \sigma = 0.1)$. The larger gap in rewards means that $p_{i,\epsilon}$ is smaller, so the linear dependence on T does not dominate overall regret.

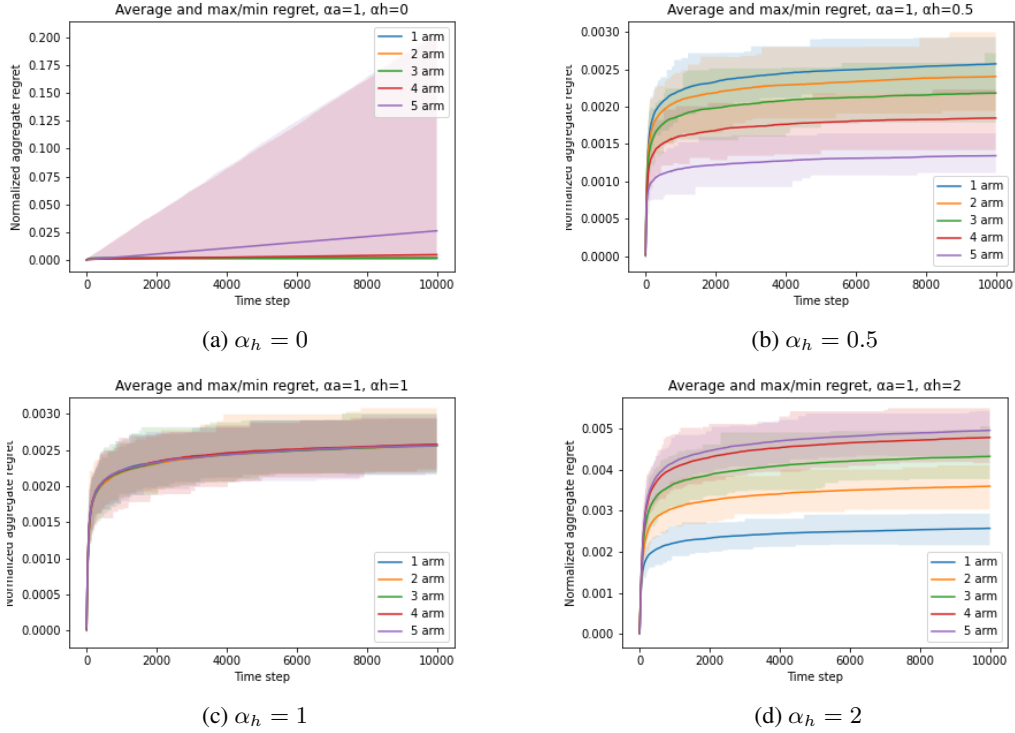


Figure 3: Plots show regret for (line shows average regret, shaded region is max and min regret, for 100 simulations, each with 10,000 time steps). Each simulation has 5 arms total, where arm i has reward drawn from $\mathcal{N}(\mu = \mu_i, \sigma = 0.1)$ for $\mu_i \in \{0.5, 0.4, 0.3, 0.2, 0.1\}$. As compared to Figure 1, the average regret curves seem similarly spaced apart, but the shaded region seems narrower.

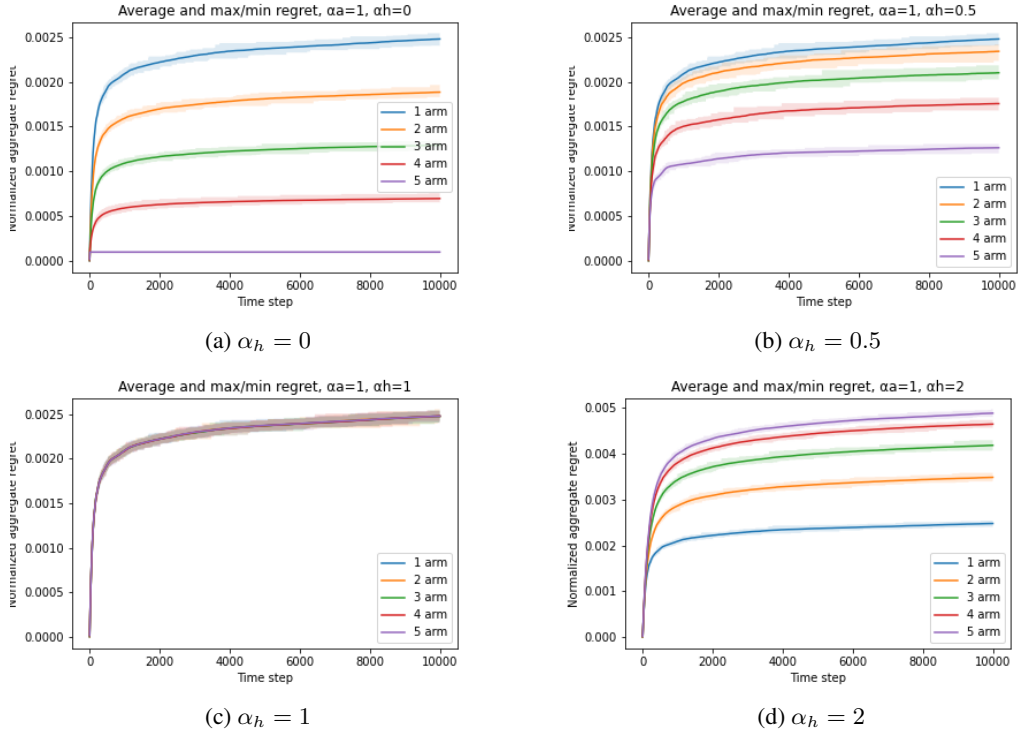


Figure 4: Plots show regret for (line shows average regret, shaded region is max and min regret, for 100 simulations, each with 10,000 time steps). Each simulation has 5 arms total, where arm i has reward drawn from $\mathcal{N}(\mu = \mu_i, \sigma = 0.01)$ for $\mu_i \in \{0.5, 0.4, 0.3, 0.2, 0.1\}$. As compared to Figure 3, the average regret curves again seem similarly spaced apart, but the shaded region seems much narrower - the maximum and minimum regret seems to have no overlap. Figure 4a shows sub-linear regret, likely because $p_{i,\epsilon}$ is smaller because of the smaller σ value.

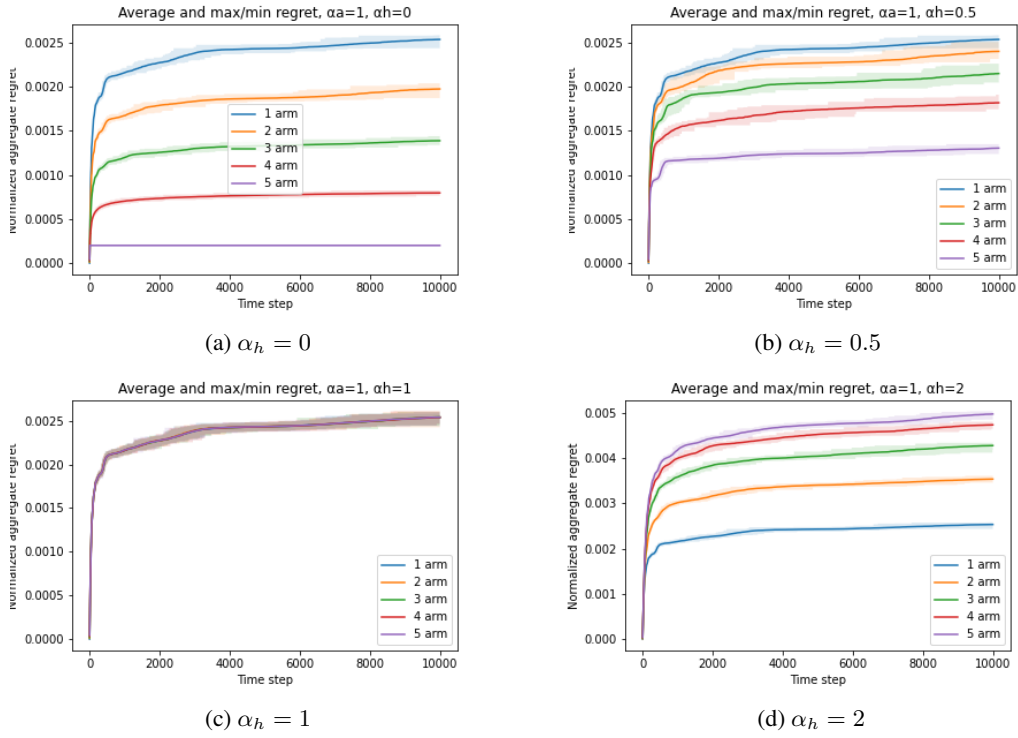


Figure 5: Plots show regret for (line shows average regret, shaded region is max and min regret, for 100 simulations, each with 10,000 time steps). Each simulation has 5 arms total, where arm i has reward drawn from $\mathcal{N}(\mu = \mu_i, \sigma = 0.01)$ for $\mu_i \in \{0.5, 0.45, 0.4, 0.35, 0.3\}$