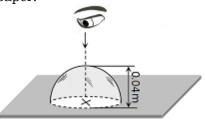
# Studentpad

## **K-CET PHYSICS PAPER 2022-23**

Time: 120 Min Phy: Full Portion Paper Marks: 60

## **Hints and Solutions**

**01)** Ans: **A)** (i) At the same position of the cross mark; (ii) 0.025 m below the flat face Sol: Case (i): When flat face is in contact with paper.



$$\frac{\mu_2}{v} - \frac{\mu_1}{u} = \frac{\mu_2 - \mu_1}{R} \,, \text{ where } \ \mu_2$$
 = R. I. of medium in

which light rays are going =1

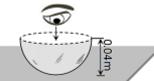
 $\mu_1$  = R. I. of medium from which light rays are coming = 1.6

u = distance of object from curved surface= -0.04m R = -0.04 m.

$$\therefore \frac{1}{v} - \frac{1.6}{(-0.04)} = \frac{1 - 1.6}{(-0.04)} \implies v = -0.04 \text{ m}$$

It means the image will be formed at the same position of cross.

Case (ii): When curved face is in contact with paper.



$$\begin{split} \mu = & \frac{Real \; depth \; (h)}{Apparent \; depth \; (h')} \Rightarrow 1.6 = \frac{0.04}{h'} \\ \Rightarrow h' = 0.025 \; m \quad (Below \; the \; flat \; face) \end{split}$$

# **02)** Ans: **A)** 19995 Ω

Sol: Here, using

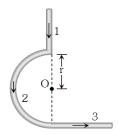
Sol. Here, using
$$R = \frac{V}{I_g} - G \Rightarrow R = \frac{100}{5 \times 10^{-3}} - 5 = 19,995 \Omega$$

**03)** Ans: **D)** 
$$\frac{\mu_0 I}{4 r} + \frac{\mu_0 I}{4 \pi r}$$

Sol: Magnetic field because of different parts are

$$B_1 = 0$$
,  $B_2 = \frac{\mu_0}{4\pi} \cdot \frac{\pi i}{r} \odot$  and  $B_3 = \frac{\mu_0}{4\pi} \cdot \frac{i}{r} \otimes$ 

$$\therefore B_{\text{net}} = B_2 + B_3 \implies B_{\text{net}} = \frac{\mu_0 i}{4r} + \frac{\mu_0 i}{4\pi r} \otimes$$



**04)** Ans: **D)** 
$$q \begin{pmatrix} \overrightarrow{v} \times \overrightarrow{B} \end{pmatrix}$$

Sol: Magnetic Lorentz force is given by

$$\overrightarrow{F} = q \left( \overrightarrow{v} \times \overrightarrow{B} \right)$$

## **05)** Ans: **D)** 4:1

Sol: For a Balmer series

$$\frac{1}{\lambda_B} = R \left[ \frac{1}{2^2} - \frac{1}{n^2} \right]$$
 ...(i) Where n=3, 4, ......

By putting  $n = \infty$  in equation (i), we obtain the series limit of the Balmer series. It is the shortest wavelength of the Balmer series.

Or 
$$\lambda_{\rm B} = \frac{4}{P}$$
 ...(ii)

For a Lyman series,

$$\frac{1}{\lambda_{I}} = R \left[ \frac{1}{1^{2}} - \frac{1}{n^{2}} \right]$$
 ...(iii) where n = 2, 3, 4, ...

By putting  $n=\infty$  in equation (iii), we obtain the series limit of the Lyman series. This is the shortest wavelength of the Lyman series.

Or 
$$\lambda_L = \frac{1}{R}$$
 ...(iv)

Dividing (ii) by (iv), we get,  $\frac{\lambda_B}{\lambda_L} = \frac{4}{1}$ 

**06)** Ans: **A)** 0.04 mA

Sol: Here,  $V = V_{CE} + I_{C}R_{L}$ 

$$\Rightarrow 15 = 7 + I_C \times 2 \times 10^3 \quad \Rightarrow i_C = 4 \text{ mA}$$

$$\therefore \beta = \frac{i_C}{i_B} \qquad \Rightarrow i_B = \frac{4}{100} = 0.04 \text{ m}$$

# **07)** Ans: **C)** 12000 N

Sol: The schematic diagram of distribution of charges on x-axis is shown in the following figure.

Total force acting on 1 C charge is given by

$$\begin{split} F &= \frac{1}{4\pi\epsilon_0} \big[ \frac{1\times1\times10^{-6}}{(1)^2} + \frac{1\times1\times10^{-6}}{(2)^2} \\ &\qquad \qquad + \frac{1\times1\times10^{-6}}{(4)^2} + \frac{1\times1\times10^{-6}}{(8)^2} + ....\infty \big] \\ \Rightarrow F &= \frac{10^{-6}}{4\pi\epsilon_0} \bigg( \frac{1}{1} + \frac{1}{4} + \frac{1}{16} + \frac{1}{64} + ...\infty \bigg) \\ &= 9\times10^9\times10^{-6} \bigg( \frac{1}{1-\frac{1}{4}} \bigg) \\ \Rightarrow F &= 9\times10^9\times10^{-6}\times\frac{4}{3} \Rightarrow F = 9\times10^3\times\frac{4}{3} = 12000 \ N \end{split}$$

**08)** Ans: **C)** It becomes maximum at a particular frequency

**09)** Ans: **C)** 
$$10\sqrt{2}$$
 A   
Sol: Power,  $P = \frac{1}{2}V_0i_0\cos\phi$    
 $\Rightarrow 1000 = \frac{1}{2} \times 200 \times i_0\cos 60^\circ \Rightarrow i_0 = 20$  A   
 $\therefore i_{rms} = \frac{i_0}{\sqrt{2}} = \frac{20}{\sqrt{2}} = 10\sqrt{2}$  A

**10)** Ans: **D)** Zero

Sol: Given that, 
$$V=5\cos\omega\,t=5\sin\!\left(\omega\,t+\frac{\pi}{2}\right)$$
 and  $i=2\sin\omega\,t$ 

Now, Power = 
$$V_{r.m.s.} \times i_{r.m.s.} \times \cos \phi = 0$$
  
(As  $\phi = \frac{\pi}{r}$ , thus  $\cos \phi = \cos \frac{\pi}{r} = 0$ )

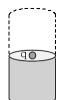
(As 
$$\phi = \frac{\pi}{2}$$
, thus  $\cos \phi = \cos \frac{\pi}{2} = 0$ )

**11)** Ans: **D)** 7 Sol: From 
$$n_{\alpha} = \frac{A - A'}{4} \Rightarrow n_{\alpha} = \frac{232 - 204}{4} = 7$$

12) Ans: A) Fourier.

14) Ans: B) 
$$\frac{q}{2\epsilon_0}$$

Sol: For applying Gauss's theorem it is essential that charge should be placed inside a closed surface. Thus, imagine another similar cylindrical vessel above it as shown in figure (dotted).



**15)** Ans: **B)** 8:1

Sol: We know, 
$$T \propto n^3$$
  $\Rightarrow \frac{T_2}{T_1} = \frac{2^3}{1^3} = \frac{8}{1}$ 

**16)** Ans: **D)**  $\sqrt{2gR_E}$ 

**18)** Ans: **C)** 11.25 N

Sol: The escape speed of a body from the earth's

$$\nu_e = \sqrt{\frac{2GM_E}{R_E}} = \sqrt{2gR_E} \quad \left(\because g = \frac{GM_E}{R_E^2}\right) \text{where} \quad M_E \text{ and}$$

 $R_{\text{E}}$  are the mass and radius of the earth respectively.

**17)** Ans: **D)** 10<sup>15</sup> cycles/s Sol: Here, frequency  $v = \frac{c}{\lambda} = \frac{3 \times 10^8}{3000 \times 10^{-10}}$  $\Rightarrow$  v =  $10^{15}$  cycles / s

Sol: We know,

$$F \propto \frac{1}{r^2} \Rightarrow \frac{F_1}{F_2} = \left(\frac{r_2}{r_1}\right)^2 \Rightarrow \frac{5}{F_2} = \left(\frac{0.04}{0.06}\right)^2 \Rightarrow F_2 = 11.25 \text{ N}$$

increases Sol: In a hydrogen atom, the energy of electron in  $n^{th} \text{ orbit is } E_n = -\frac{13.6}{r^2} eV$ 

19) Ans: A) Electron energy increase as n

**20)** Ans: **C)**  $7.4 \times 10^{-12}$  N

Sol: Here, F = qvB and  $K = \frac{1}{2}mv^2$ 

$$F = q B \sqrt{\frac{2 k}{m}}$$

$$\Rightarrow F = 1.6 \times 10^{-19} \times 1.5 \sqrt{\frac{2 \times 5 \times 10^{6} \times 1.6 \times 10^{-19}}{1.7 \times 10^{-27}}}$$

⇒ 
$$F = 7.344 \times 10^{-12} \text{ N}$$
  
21) Ans: **D)** 4 only

Sol:  $\alpha$ -particles may not be attracted by the

22) Ans: C) they are deflected by electric and magnetic fields.

**23)** Ans: **B)** 40  
Sol: Here, 
$$n_1 \lambda_1 = n_2 \lambda_2$$
  
 $\Rightarrow 60 \times 4000 = n_2 \times 6000 \Rightarrow n_2 = 40$ 

**24)** Ans: **D)**  $2.08 \times 10^{-5}$  Weber / m<sup>2</sup>

Sol: Horizontal component,  $B_H = B\cos\phi$ 

Total intensity of earth's magnetic field,  $B = \frac{B_H}{\cos \phi}$ 

$$\Rightarrow B = \frac{1.8 \times 10^5}{\cos 30^\circ} = \frac{1.8 \times 10^{-5}}{\sqrt{3}/2} = 2.08 \times 10^{-5} \text{Wb/m}^2$$

**25)** Ans: **B)** 6.28 and 8.88 mm/s Sol: The relation between linear and angular velocity is given as,

$$v = r\omega = \frac{r \times 2\pi}{T} = \frac{0.06 \times 2\pi}{60} = 6.28 \text{ mm/s}$$

 $\therefore$  Magnitude of change in velocity =  $\mid \overrightarrow{v_2} - \overrightarrow{v_1} \mid$ 

$$= \sqrt{v_1^2 + v_2^2} = 8.88 \text{ mm/s} \text{ (As } v_1 = v_2 = 6.28 \text{ mm/s)}$$

**26)** Ans: **A)**  $12.42 \times 10^{21}$  J, 684 m/s

Sol: We know, average translational K.E. of a

molecules = 
$$\frac{3}{2}kT$$
.

At 300 K, average K.E. =  $6.21 \times 10^{-21}$  J

Thus, at 600 K, average

$$K.E. = 2 \times (6.21 \times 10^{-21}) = 12.42 \times 10^{-21} J$$
 and

as 
$$v_{rms} = \sqrt{\frac{3kT}{m}}$$
, ... At 300K,  $v_{rms} = 484 \text{ m}$ /

and At 
$$600 \,\mathrm{K}$$
,  $v'_{rms} = \sqrt{2} \times 484 = 684 \,\mathrm{m/s}$ 

**27)** Ans: **D)** 
$$\frac{3}{2}MR^2\omega$$

Sol: Here, angular momentum about origin

$$= L_{translation} + L_{rotation}$$

$$= MvR + I_c\omega = M(R\omega)R + \frac{1}{2}MR^2\omega = \frac{3}{2}MR^2\omega$$

**28)** Ans: **D)**  $1 \times 10^{-6} \Omega \text{ m}$ 

Sol: Given,

 $1 = 50 \text{ cm} = 50 \times 10^{-2} \text{ m}$ ,  $A = 1 \text{ mm}^2 = 1 \times 10^{-6} \text{ m}^2$ ,

$$V = 2V, I = 4A$$

According to Ohm's law, 
$$V = IR$$
  
or  $R = \frac{V}{I} = \frac{2}{4} = \frac{1}{2}\Omega$  ...(i)

Resistance of a wire is  $R = \rho \frac{1}{A}$ (Using (i))

$$\therefore \rho = \frac{A}{2l} = \frac{10^{-6}}{2 \times 50 \times 10^{-2}} = 10^{-6} \Omega \text{ m}$$

**29)** Ans: **D)** 20 Ω

Sol: Here, 
$$V_{AB} = 4 = \frac{5X + 2 \times 10}{X + 10} \Rightarrow X = 20 \Omega$$

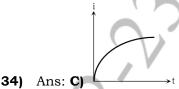
**30)** Ans: **C)** 0.6 V

**31)** Ans: **D)** Sound waves

Sol: Light waves are EM waves. Water waves are

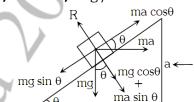
transverse as well as longitudinal. Wave on a plucked string is stationary wave.

**33)** Ans: **D)** change in the focal length of eye lens Sol: The eye lens is surrounded by a different medium than air. This will change the focal length of the eye lens. The eye cannot accommodate all images as it would do in air.



Sol: As we know,  $i = i_0 \left( 1 - e^{-\frac{R}{L}t} \right)$ .

**35)** Ans: **D)** mg /  $\cos \theta$ 



Sol:

Pseudo force (ma) works on a block towards right, when the whole system is accelerated towards left. For the condition of equilibrium,

$$mg \sin \theta = ma \cos \theta \Rightarrow a = \frac{g \sin \theta}{\cos \theta}$$

:. Force exerted by the wedge on the block,  $R = mg \cos \theta + ma \sin \theta$  i.e.

$$R = mg \cos \theta + m \left( \frac{g \sin \theta}{\cos \theta} \right) \sin \theta$$

$$\Rightarrow = \frac{\text{mg} (\cos^2 \theta + \sin^2 \theta)}{\cos \theta} \Rightarrow R = \frac{\text{mg}}{\cos \theta}$$

**36)** Ans: **D)**  $1.02 \times 10^7 \,\text{N/C}$  upwards Sol: Given, side of square  $a = 5 \times 10^{-2} \text{ m}$ 

Half of the diagonal of the square,  $r = \frac{a}{\sqrt{2}}$ 

Electric field at center because of charge q is

$$\begin{array}{c|ccccc}
\hline
a \\
\hline
\sqrt{2}
\end{array}$$

$$\begin{array}{c}
-2q \\
\hline
2E \\
\hline
P \\
\end{array}$$

$$\begin{array}{c}
-2q \\
\hline
E \\
\end{array}$$

$$\begin{array}{c}
-2q \\
\hline
E \\
\end{array}$$

$$\begin{array}{c}
-2q \\
\end{array}$$

$$\begin{array}{c}
-2q \\
\end{array}$$

$$\begin{array}{c}
+2q \\
\end{array}$$

$$\begin{array}{c}
-q \\
\end{array}$$

$$\begin{array}{c}
+2q \\
\end{array}$$

Now field at 
$$O = \sqrt{E^2 + E^2} = E\sqrt{2} = \frac{kq}{\left(\frac{a}{\sqrt{2}}\right)^2}.\sqrt{2}$$

$$= \frac{9 \times 10^9 \times 10^{-6} \times \sqrt{2} \times 2}{(5 \times 10^{-2})^2} = 1.02 \times 10^7 \text{ N/C (upward)}$$

**37)** Ans: **B)** 
$$\vec{E} = ai$$
;  $\vec{B} = c\hat{k} + a\hat{i}$ 

Sol: The electric field may deviate the path of the particle in the shown direction only when it is along negative y-direction. In the given options  $\vec{E}$  is either zero or along x-direction. Therefore it is the magnetic field which is really responsible for its curved path. Options (1) and (3) can't be accepted as the path will be helix in that case (when the velocity vector makes an angle other than  $0^{\circ}$ ,  $180^{\circ}$  or  $90^{\circ}$  with the magnetic field, path is a helix) option (4) is wrong because in that case component of net force on the particle also comes in k direction which is not acceptable as the particle is moving in x-y plane. Only in option (2) the particle can move in x-y plane.

In option (4): 
$$\vec{F}_{net} = q\vec{E} + q(\vec{v} \times \vec{B})$$

Initial velocity is along x-direction. Thus, let  $\vec{v} = v\hat{i}$  $\therefore \vec{F}_{net} = qa\hat{i} + q[(v\hat{i}) \times (c\hat{k} + b\hat{j}] = qa\hat{i} - qvc\hat{j} + qvb\hat{k}$ In option (2),

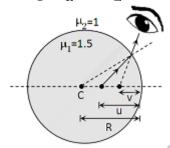
$$\vec{F}_{net} = q(a\hat{i}) + q[(v\hat{i}) \times (c\hat{k} + a\hat{i}) = qa\hat{i} - qvc\hat{j}$$

## **38)** Ans: **A)** 1.2 cm

Sol: Given, v = 1 cm, R = 2 cm

By using, 
$$\frac{\mu_2}{v} - \frac{\mu_1}{u} = \frac{\mu_2 - \mu_1}{R}$$

$$\Rightarrow \frac{1}{-1} - \frac{1.5}{11} = \frac{1 - 1.5}{-2} \Rightarrow u = -1.2 \text{ cm}$$



**39)** Ans: **D)** transverse.

Sol: Transverse waves can be polarized only.

**40)** Ans: **A)** It repels a known magnet.

Sol: The repulsion is the sure test of magnetism.

## **41)** Ans: **B)** A

Sol: We know,  $R_{Parallel} < R_{Series}$ . From graph it is clear that slope of the line A is lower than the slope of the line B. Also slope = resistance, therefore line A represents the graph for parallel combination.

**42)** Ans: **B)** a
Sol: As 
$$P = \frac{\sqrt{abc^2}}{d^3} \Rightarrow \frac{\Delta P}{P} \times 100$$

$$= \left[ \frac{1}{2} \frac{\Delta a}{a} + \frac{1}{2} \frac{\Delta b}{b} + \frac{\Delta c}{c} + 3 \frac{\Delta d}{d} \times 100 \right]$$

$$= \left[ \frac{1}{2} \times 2\% + \frac{1}{2} \times 3\% + 2\% + 3 \times 1\% \right]$$

$$= \left[ 1\% + \frac{3}{2}\% + 2\% + 3\% \right]$$

Hence, the minimum amount of error is contributed by the measurement of a.

## **43)** Ans: **C)** 24 C

Sol: We know, dQ = Idt

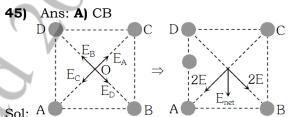
$$\Rightarrow Q = \int_{t=2}^{t=3} I dt \left[ 2 \int_{2}^{3} t dt + 3 \int_{2}^{3} t^{2} dt \right]$$
$$= \left[ t^{2} \right]_{2}^{3} + \left[ t^{3} \right]_{2}^{3} = (9 - 4) + (27 - 8) \Rightarrow Q = 5 + 19 = 24C$$

# 44) Ans: B) straight line.

Sol: Let  $y_1 = a_1 \sin \omega t$  and  $y_2 = a_2 \sin(\omega t + \pi)$ 

$$\Rightarrow \frac{y_1}{a_1} + \frac{y_2}{a_2} = 0 \Rightarrow y_2 = -\frac{a_2}{a_1}y_1$$

This equation represents the straight line.



From the figures above,

$$E_A = E, E_B = 2E, E_C = 3E, E_D = 4E$$

# **46)** Ans: **C)** 39.2 °F

Sol: As we know, max. density of water is at 4° C,

$$\therefore \frac{C}{5} = \frac{F - 32}{9} \Rightarrow \frac{4}{5} = \frac{F - 32}{9} \Rightarrow F = 39.2^{\circ}F$$

#### **47)** Ans: **A)** 1200 m

Sol: As an aeroplane flies 400 m north and 300 m south, the net displacement is 100 m towards north.

And then it flies 1200 m upward

$$r = \sqrt{(100)^2 + (1200)^2} \implies = 1204 \text{ m} \approx 1200 \text{ m}$$

The option should be 1204 m, as this value mislead one into thinking that net displacement is in upward direction only.

### **48)** Ans: **A)** 0.125

Sol: By using conservation of momentum,

$$P_{daughter} = P_{\alpha}$$

$$\Rightarrow \frac{E_d}{E_\alpha} = \frac{m_\alpha}{m_d} \Rightarrow E_d = \frac{E_\alpha \times m_\alpha}{m_d}$$

$$\Rightarrow$$
 E<sub>d</sub> =  $\frac{6.7 \times 4}{2.14}$  = 0.125 MeV

**49)** Ans: **B)** RT 
$$\log_e \frac{V_2}{V_1}$$

Sol: For isothermal process, we have

$$PV = RT \Rightarrow P = \frac{RT}{V}$$

$$\therefore W = PdV = \int_{V_1}^{V_2} \frac{RT}{V} dV = RT \log_e \frac{V_2}{V_1}$$

**50)** Ans: **B)** 7 cm

Sol: We know, electric force  $qE = ma \Rightarrow a = \frac{QE}{m}$ 

$$\therefore a = \frac{1.6 \times 10^{-19} \times 1 \times 10^3}{9 \times 10^{-31}} = \frac{1.6}{9} \times 10^{15}$$

$$u = 5 \times 10^6$$
 and  $v = 0$ 

∴ From the equation, 
$$v^2 = u^2 - 2as \Rightarrow s = \frac{u^2}{2a}$$

:. Distance, 
$$s = \frac{(5 \times 10^6)^2 \times 9}{2 \times 1.6 \times 10^{15}} = 7 \text{ cm. (approx.)}$$

**51)** Ans: **B)** 10 A

Sol: Here, current

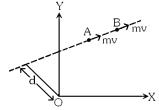
$$i = \frac{ne}{t} \Rightarrow i = \frac{62.5 \times 10^{18} \times 1.6 \times 10^{-19}}{1} = 10 \text{ ampere}$$

**52)** Ans: **A)**  $L_A = L_B$ 

Sol: In this case,

Angular momentum = Linear momentum x Perpendicular distance of line of action of linear momentum about the origin i.e.  $L_A$  =  $P_A$  x d And  $L_B$  =  $P_B$  x d

As linear momentum are equal i.e.,  $P_A = P_B = mV$  therefore,  $L_A = L_B$ .



53) Ans: A) pressure.

Sol: We know that, Isothermal elasticity  $K_i = P$ .

**54)** Ans: **D)** Both (2) and (3).

Sol: Here, Density of metal= $\rho$ , Density of liquid= $\sigma$  If V is the volume of sample, then according to problem,  $210 = V\rho g$  ...(i)

$$180 = V(\rho - 1)g$$
 ...(ii)  $120 = V(\rho - \sigma)g$  ...(iii)

On solving (i), (ii) and (iii), we get  $\rho = 7$  and  $\sigma = 3$ .

**55)** Ans: **A)** NIA

Sol: The magnetic dipole moment of coil is N I A.

**56)** Ans: **D)** Towards + X direction

Sol: The direction of  $\vec{E} \times \vec{B}$  represents the direction of EM wave.

**57)** Ans: **D)** all the charges.

Sol: The electric field is because of all charges

present whether inside or outside the given surface.

**58)** Ans: **C)** 
$$e = -\frac{d}{dt}(A.B)$$

Sol: 
$$e = -\frac{d}{dt}(A.B)$$

**59)** Ans: **C)** 36

Sol: As, the bomb of mass 12 kg divides into two masses  $m_1$  and  $m_2$ , then  $m_1 + m_2 = 12$  ...(i)

and 
$$\frac{m_1}{m_2} = \frac{1}{3}$$
 ...(ii)

Solving equations (i) and (ii), we get,  $m_1 = 3kg$  and  $m_2 = 9kg$ .

 $\therefore$  Kinetic energy of smaller part =  $\frac{1}{2}$  m<sub>1</sub>v<sub>1</sub><sup>2</sup> = 216J

$$\therefore \ v_1^2 = \frac{216 \times 2}{3} \Rightarrow v_1 = 12 \text{ m/s}$$

Therefore its momentum =  $m_2v_1$ 

 $= 3 \times 12 = 36 \text{ kg-m/s}$ 

Because both parts possess same momentum,

: momentum of each part is 36 kg-m/s

**60)** Ans: **B)** fusion of light nuclei.

Sol: Energy of stars is because of the fusion of light hydrogen nuclei into He. In this process, much energy is released.