




**Department of Electrical, Computer
& Biomedical Engineering**
Faculty of Engineering & Architectural Science

Course Number	ELE 532
Course Title	Signal and Systems 1
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Lab/Tutorial Report No.	1
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Report Title	Working with Matlab Functions, Visualization of Signals
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Anonymous functions and plotting continuous functions

Problem A.1: Generate and plot Figures 1.46 and 1.47 on page 127.

Figure 1.46

Code:

```
f = @(t) exp(-t).*cos(2*pi*t);  
t=(-2:2);
```

```
plot(t,f(t));  
title('Figure 1.46');  
xlabel('t');  
ylabel('f(t)');
```

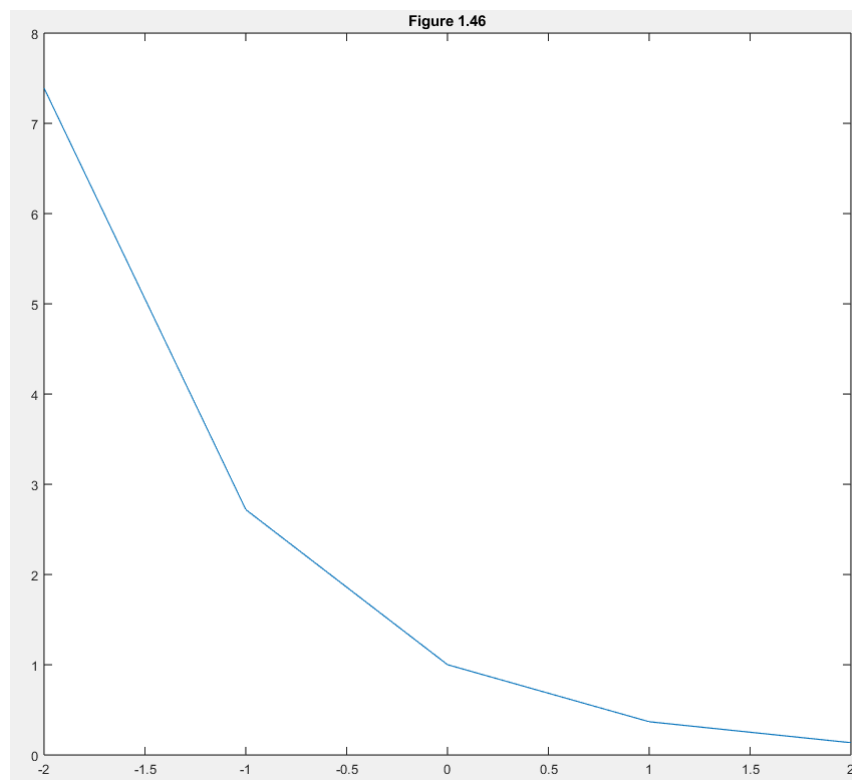


Figure 1.47

Code:

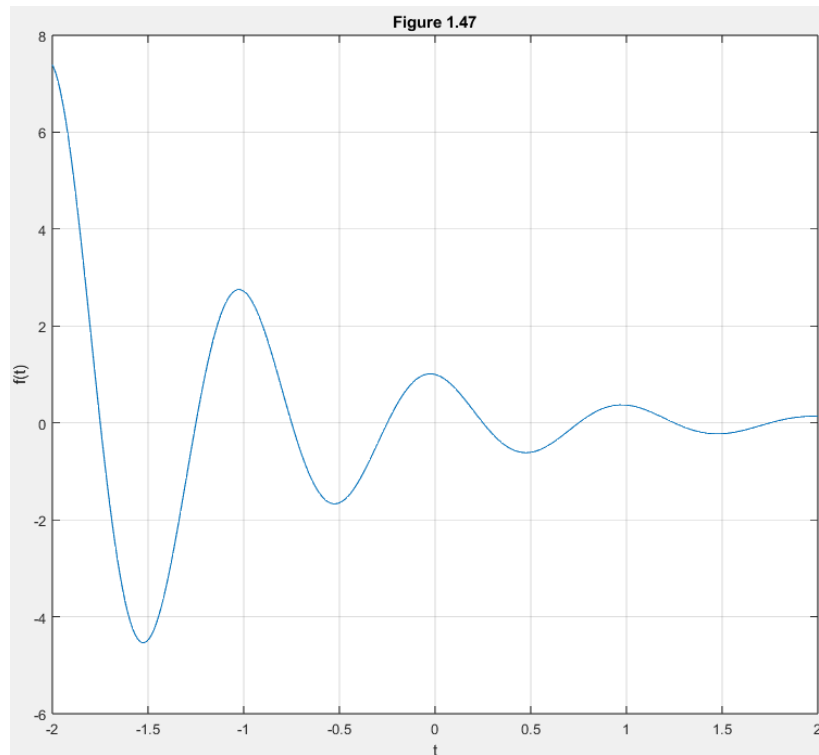
```
f = @(t) exp(-t).*cos(2*pi*t);  
t=(-2:0.01:2);
```

```
plot(t,f(t));
```

```

title('Figure 1.47');
xlabel('t');
ylabel('f(t)');

```



Problem A.2: Plot the function e^{-t} for five points $[-2, -1, 0, 1, 2]$ using $t = [-2:2]$.

Code:

```

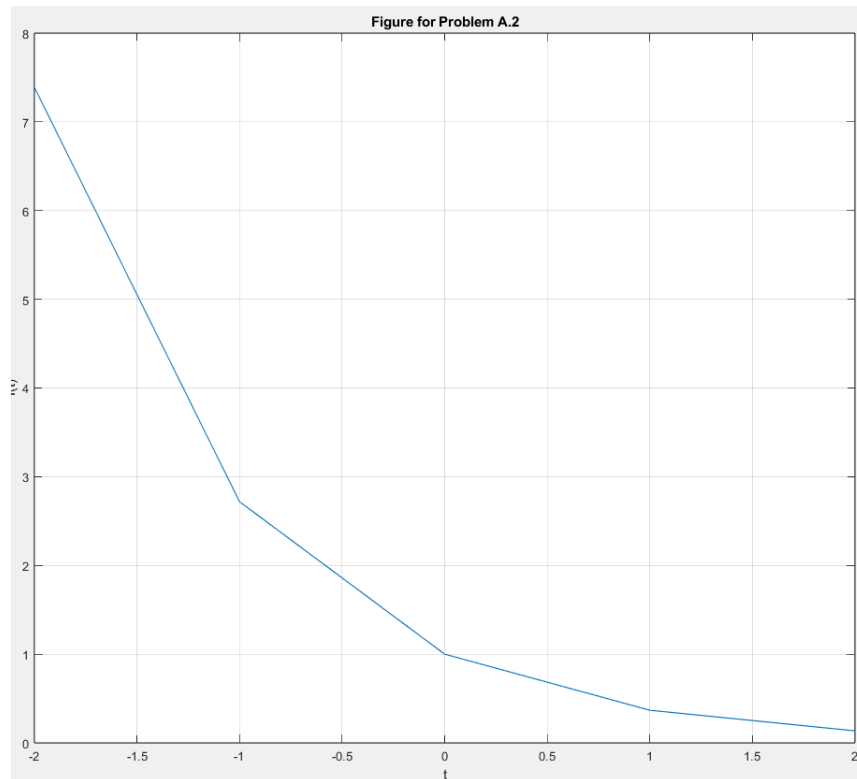
f = @(t) exp(-t);
t = (-2:2)

```

```

plot (t,f(t));
title('Figure for Problem A.2');
xlabel('t');
ylabel('f(t)');

```



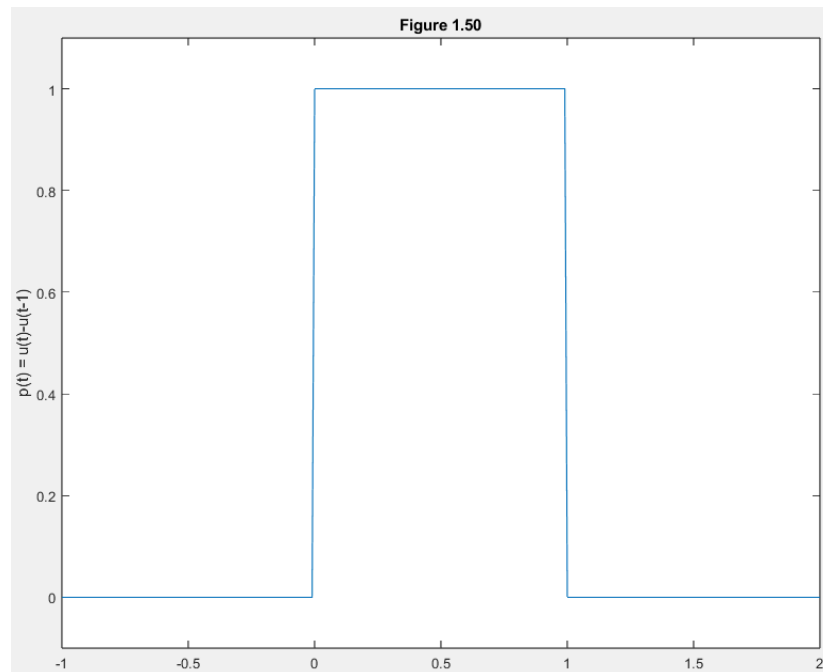
Problem A.3: Compare your result in Problem A.2 with Figure 1.46 in Problem A.1.

The results from both graphs appear to be identical. This is because in figure 1.46 there is a multiplication factor of $\cos(2\pi t)$ which results in 1 in all time intervals specified. All these values equal to 1 so basically the function plotted is e^{-1t} which is the same as the function in Problem A2.

Time shifting and time scaling

Problem B.1: Generate and plot $p(t)$ as shown in Figure 1.50 on page 129.

```
t = (-1:0.01:2);  
p = @(t) 1.0.*((t>=0)&(t<1));  
  
plot(t,p(t));  
xlabel('t');  
ylabel('p(t) = u(t)-u(t-1)');  
axis([-1 2 -.1 1.1]);  
title('Figure 1.50');
```



Problem B.2: Use $p(t)$ to generate and plot functions $r(t) = tp(t)$ and $n(t) = r(t) + r(-t + 2)$.

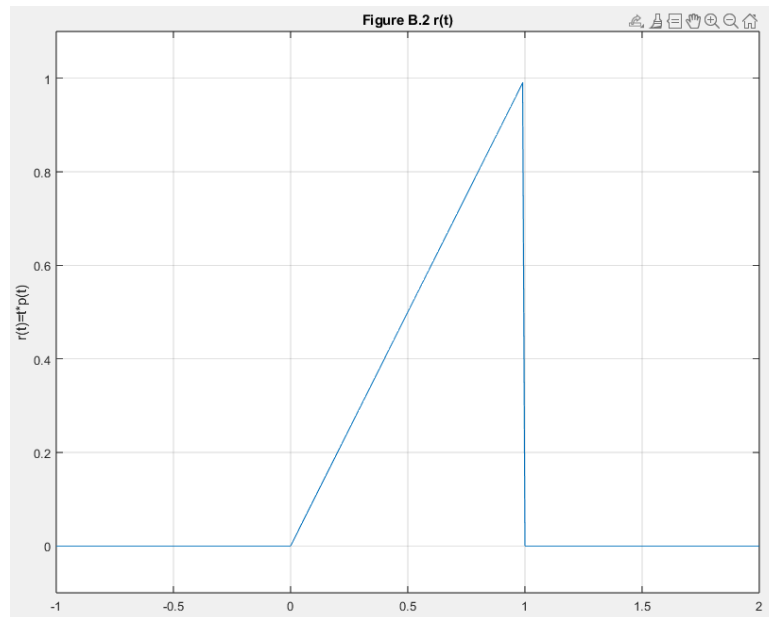
Code:

```
t=(-2:0.01:2);  
u=@(t) 1.0.*(t>=0);  
p=@(t) u(t)-u(t-1);  
r=@(t) t.*p(t);  
n=@(t) r(t)+r(-t+2);  
  
plot(t,r(t));
```

```

xlabel('t');
ylabel('r(t)=t*p(t)');
title('Figure B.2 r(t)');
axis([-1 2 -0.1 1.1]);

```



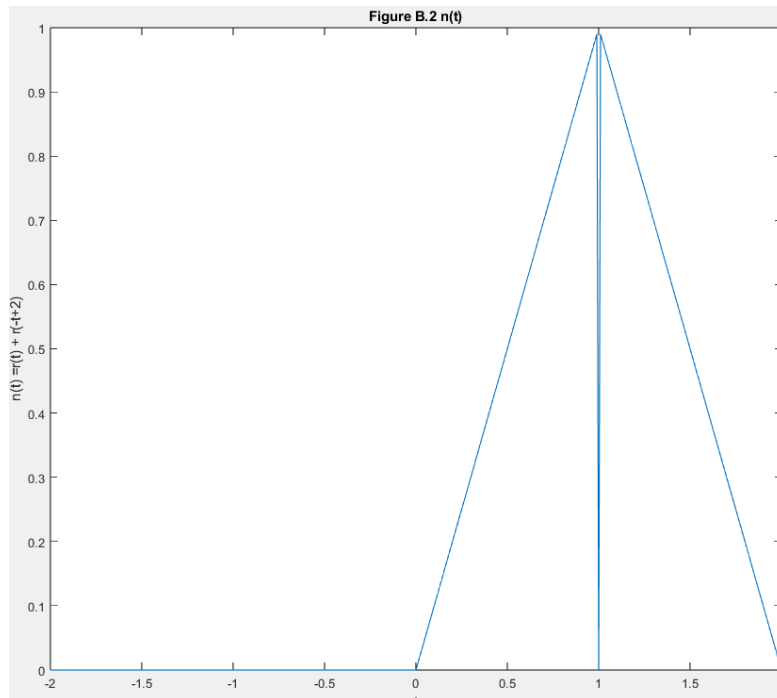
Code:

```

t=(-2:0.01:2);
u=@(t) 1.0.*(t>=0);
p=@(t) u(t)-u(t-1);
r=@(t) t.*p(t);
n=@(t) r(t)+r(-t+2);

plot(t, n(t));
xlabel("t");
ylabel("n(t) =r(t) + r(-t+2)");
title('Figure B.2 n(t)');

```



Problem B.3: Plot the following two signals: $n_1(t) = n(1/2 t)$, $n_2(t) = n(t + 1/2)$.

Code:

```
t = (-4:0.01:4);
```

```
n1=@(t) n(0.5*t);
```

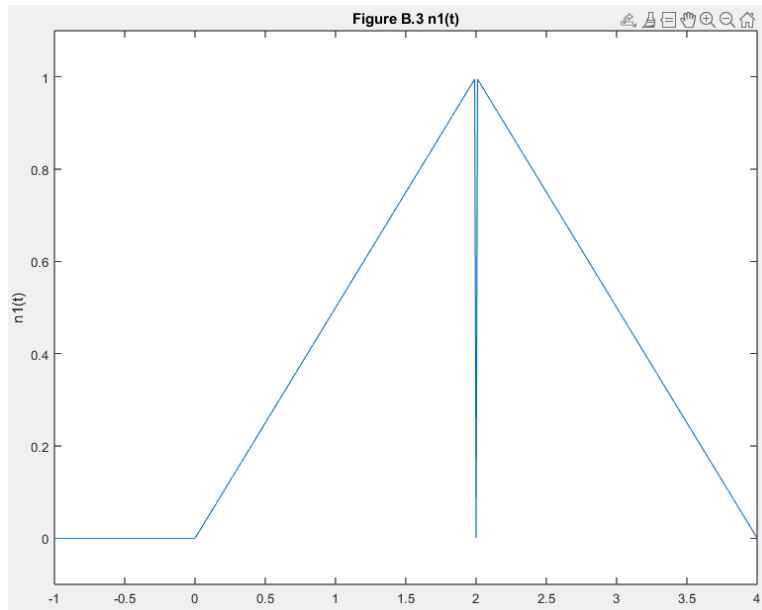
```
plot(t,n1(t));
```

```
xlabel('t');
```

```
ylabel('n1(t)');
```

```
title('Figure B.3 n1(t)');
```

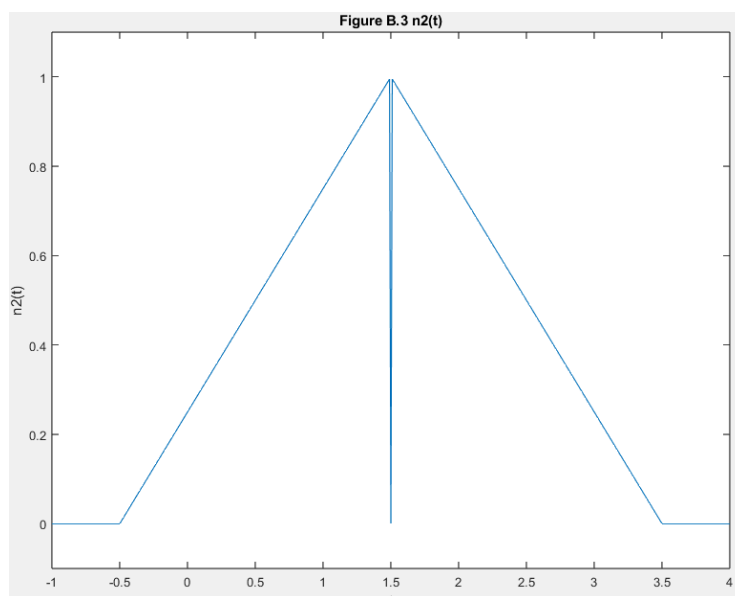
```
axis([-1 4 -0.1 1.1]);
```

Code:

```
t = (-4:0.01:4);
n1=@(t) n(0.5*t);
n2=@(t) n1(t+0.5);

plot(t,n2(t));
xlabel('t');
ylabel('n2(t)');
title('Figure B.3 n2(t)');
axis([-1 4 -0.1 1.1]);
```

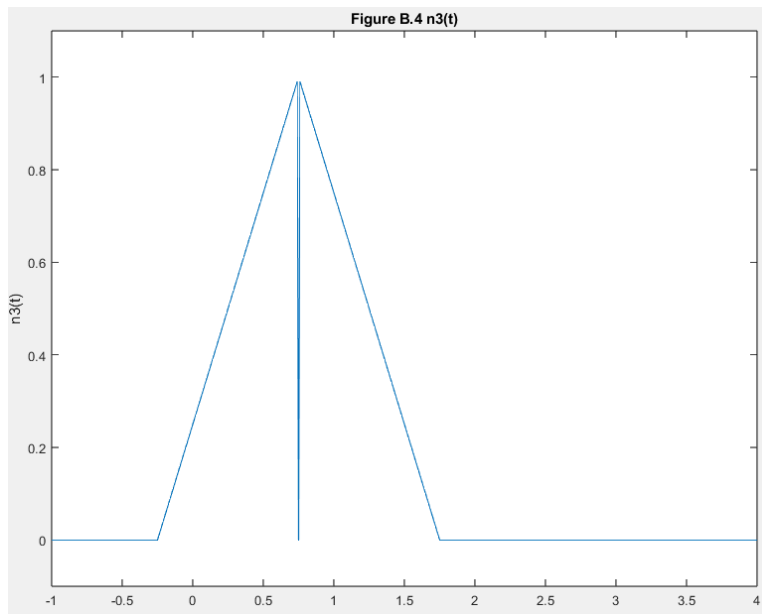


Problem B.4: Plot the following two signals: $n_3(t) = n(t + 1/4)$, $n_4(t) = n_3(1/2t)$.

Code:

```
t = (-4:0.01:4);  
n1=@(t) n(0.5*t);
```

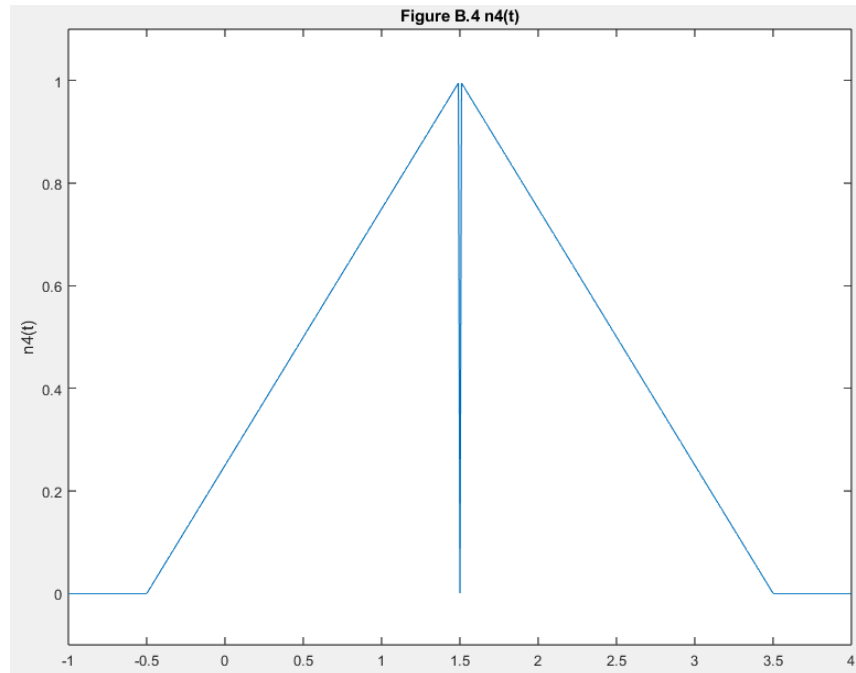
```
plot(t,n1(t));  
xlabel('t');  
ylabel('n1(t)');  
title('Figure B.3 n1(t)');  
axis([-1 4 -0.1 1.1]);
```



Code:

```
t = (-4:0.01:4);  
n1=@(t) n(0.5*t);  
n2=@(t) n1(t+0.5);
```

```
plot(t,n2(t));  
xlabel('t');  
ylabel('n2(t)');  
title('Figure B.3 n2(t)');  
axis([-1 4 -0.1 1.1]);
```



Problem B.5: Compare $n_4(t)$ and $n_2(t)$ and explain their differences and/or similarities.

Observing both $n_4(t)$ and $n_2(t)$ we can see that they produce the exact same graph.

Visualizing operations on the independent variable and algorithm vectorization

Problem C.1: Follow the steps in this exercise, but to instead generate $g(t) = f(t)u(t)$ where $f(t) = e^{-2t} \cos(4\pi t)$.

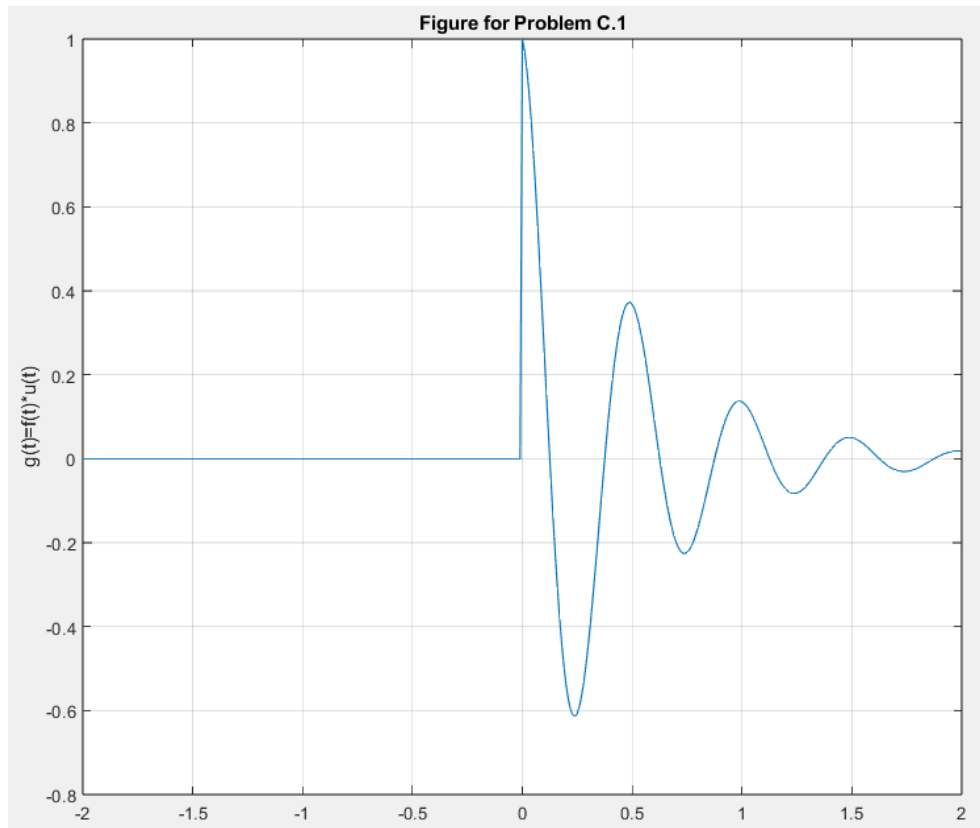
Code:

```
t=(-2:0.01:2);
f=@(t) exp(-2*t).*cos(4*pi*t);
```

```
u=@(t) 1.0.*(t>=0);
axis([-2 2 -0.1 1.1]);
```

```
g=@(t) f(t).*u(t);
```

```
plot(t,g(t));
xlabel('t');
ylabel('g(t)=f(t)*u(t)');
title('Figure for Problem C.1');
```



Problem C.2: Using $g(t)$ in C.1, generate and plot $s(t) = g(t+1) = e^{-2} e^{-2t} \cos(4\pi t) u(t+1)$ for $t = [-2:0.01:4]$.

Code:

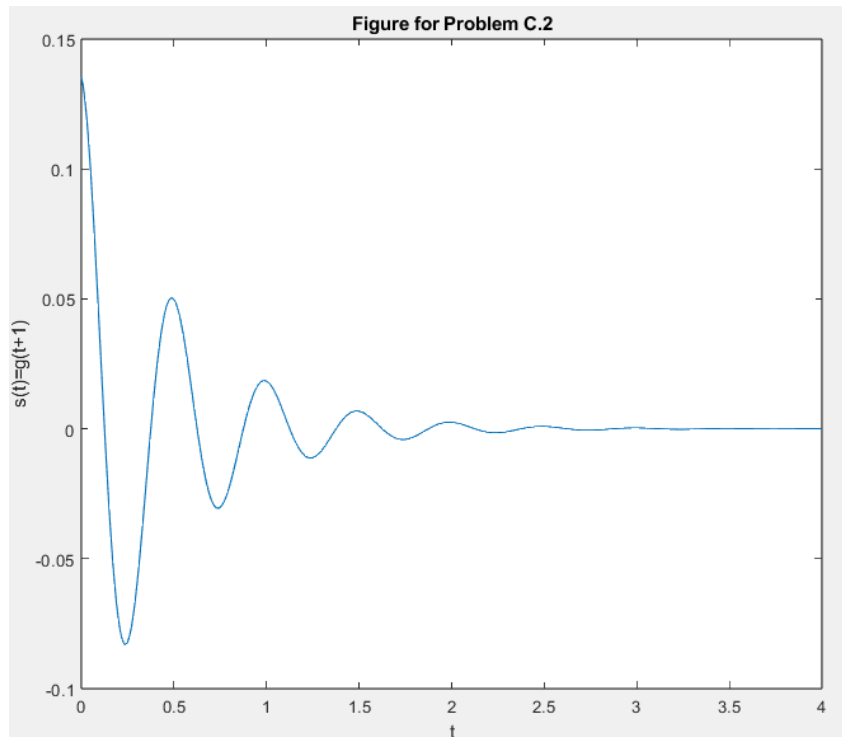
```
f=@(t) exp(-2*t). *cos(4*pi*t);
t=(-2:0.01:2);
```

```
u=@(t) 1.0*(t>=0);
axis([-2 2 -0.1 1.1])
```

```
g=@(t) f(t). *u(t);
t=(-2:0.01:2);
```

```
s=@(t) g(t+1);
t=(0:0.01:4);
```

```
plot(t,s(t));
xlabel("t");
ylabel("s(t)=g(t+1)");
title('Figure for Problem C.2');
```



Problem C.3: Plot $sa(t) = e^{-2} e^{-\alpha t} \cos(4\pi t)u(t)$ for $\alpha = [1, 3, 5, 7]$ in one figure for $t=[0:0.01:4]$.

Code:

```
u=@(t) 1.0.*(t>=0);
```

```
t=(1:0.01:4);
```

```
for alpha = 1:2:7
```

```
    s=@(t) exp(-2).*exp(-alpha*t).*cos(4*pi*t).*u(t);
```

```
    plot(t,s(t));
```

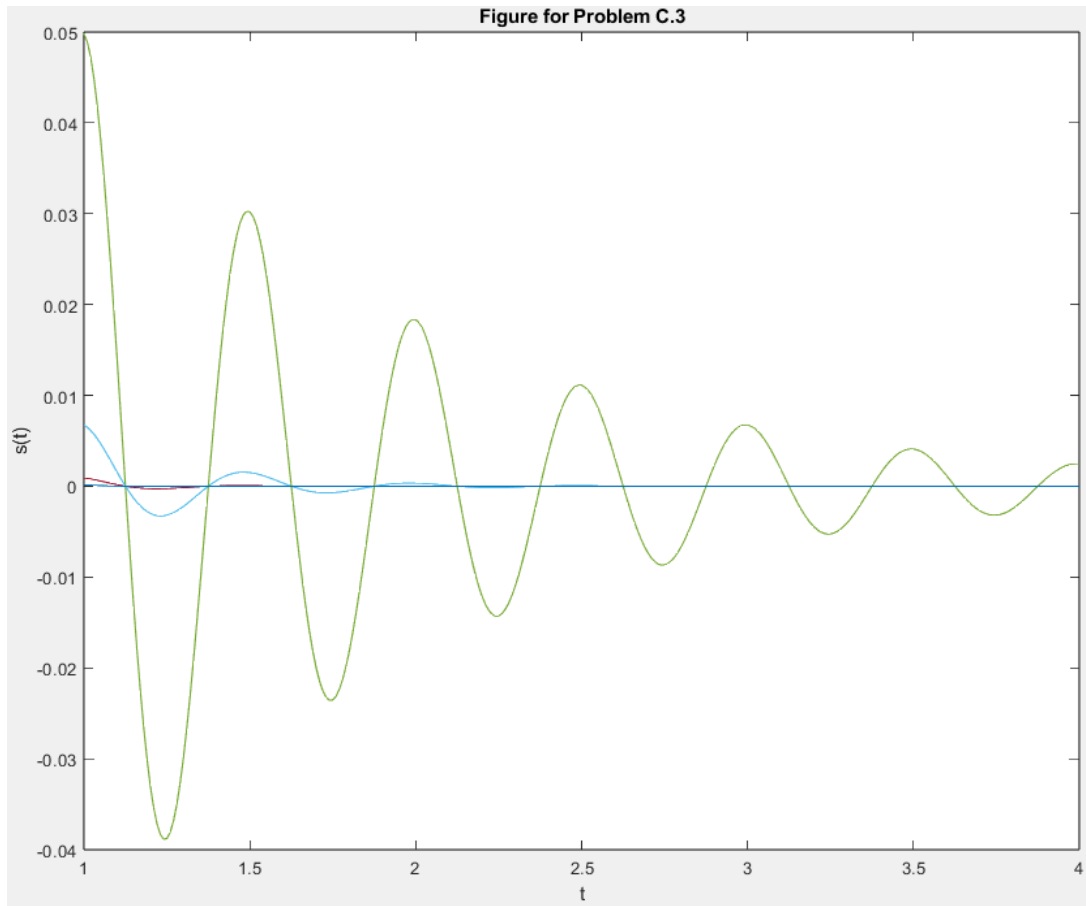
```
    xlabel('t');
```

```
    ylabel('s(t)');
```

```
    title('Figure for Problem C.3');
```

```
    hold on;
```

```
end
```



Problem C.4: Determine the size of the matrix you generated in C.3.

When using the command `size(s)` the result that MATLAB provides is that it is a [1,1] matrix.

Array Indexing

Problem D.1: Let A be a 5×4 matrix array with real-valued elements: For the matrix A in Equation (1) implement the following operations:

a. $A(:)$

This operation lists all the elements in the matrix in one column.

0.5377
1.8339
-2.2588
0.8622

0.3188
-1.3077
-0.4336
0.3426
3.5784
2.7694
-1.3499
3.0349
0.7254
-0.0631
0.7147
-0.2050
-0.1241
1.4897
1.4090
1.4172

b. `A([2 4 7])`

Lists the second, fourth, and seventh elements of the array.

1.8339 0.8622 -0.4336

c. `[A >= 0.2]`

Creates a logical matrix by checking if each element in the array is larger or equal to 0.2, and providing a 1 or a 0 accordingly.

5×4 logical array

1 0 0 0
1 0 1 0
0 1 1 1
1 1 0 1
1 1 1 1

d. `A([A >= 0.2])`

Lists all of the elements in the array that are greater or equal to 0.2.

0.5377
1.8339
0.8622
0.3188

0.3426
 3.5784
 2.7694
 3.0349
 0.7254
 0.7147
 1.4897
 1.4090
 1.4172

e. $A([A \geq 0.2]) = 0$

Finds all the elements in matrix A that are greater or equal to 0.2 and replaces them with 0. The operation then displays the new matrix.

A =

```

    0 -1.3077 -1.3499 -0.2050
    0 -0.4336     0   -0.124
-2.2588     0     0     0
    0     0 -0.0631     0
    0     0     0     0

```

Problem D.2: Let B be a 1024×100 data matrix representing 100 blocks of non-overlapping 1024-element input samples from a particular data source.

- a. Write a simple Matlab program using two nested for loops that will set all elements of the data matrix B with magnitude values below 0.01 to zero: $B(i, j) = 0$, if $|B(i, j)| < 0.01$, (2) where $B(i, j)$ is an element of the data matrix B in i-th row and j-th column.

```

tic;
for i = 1:1024
    for j = 1:100
        if B(i,j) < 0.01
            B(i,j) = 0;
        end
    end
end
D2_a=B;
toc

```


- b. Repeat part (a) using Matlab's indexing features as described in Problem D.1.

```
tic;  
B([ B >= 0.01 ]) = 0;  
D2_b=B;  
toc;
```

- c. Use the Matlab commands tic and toc to compare the execution time of the code you wrote in parts (a) and (b).

Execution time for code in part a:

Elapsed time is 0.009291 seconds.

Execution time for code in part b:

Elapsed time is 0.007445 seconds.

Problem D.3: Let `x_audio` be a 20,000 sample-long row vector representing 2.5 sec of an audio signal sampled at 8 kHz. A simple data compression algorithm can be implemented by setting all elements of the data array `x_audio` with magnitude values below a threshold to zero. Write such a data compression algorithm and listen to the processed audio file.

```
x_audio_copy = x_audio;  
  
count=0;  
threshold=0.01;  
  
for i = 1:20000  
    if x_audio_copy(i,1) < threshold  
        x_audio_copy(i,1) = 0;  
        count=count+1;  
    end  
end  
disp(count);  
sound(x_audio_copy);
```

Message in processed audio file:

Members of a public service alliance of Canada