

Experiment report: Social Network Analysis

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Course: **Big Data Analysis Technology**

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Task 1

Question: What is Social Network Analysis? For a single node, what can we analyze in Social Network? For the structure of Social Network, what can we analyze for Social Network? Explain all the metrics with example.

Answer:

Social Network Analysis is a crucial method used to examine the structure and dynamics of social networks by analyzing the relationships and interactions among individuals, groups, or entities. It applies graph theory to model real-world networks, making it a powerful tool in different fields such as sociology, business, biology, and computer science.

For a single node, we can analyze:

1. Degree Centrality: the number of connections (edges) a node has in a network. Example: many people know superstars (high degree centrality);
2. Betweenness Centrality: the proportion of the number of paths passing through a node to the total number of shortest paths. Example: intersections in a traffic network that connect different areas (higher betweenness centrality);
3. Closeness Centrality: the average shortest paths from a node to all other nodes in the network. Example: shopping malls are usually located in areas where more residents can reach them quickly (high closeness centrality);
4. Eigenvector Centrality: a reflection of the sum of the centrality scores of its neighbors. Example: people who are associated with influential people are usually also influential (high eigenvector centrality).

For the structure of Social Network, we can analyze:

1. Average degree & Average weighted degree: the average of the degrees of all nodes in the network & the average of the weights of all nodes in the network;
2. Density: the ratio of the actual number of edges to the maximum possible number of edges. Example: a high density of social networks helps employees access more career opportunities and resources;

3. Clustering: the degree to which a node's neighbors are connected to each other. Example: recommend related products or services to users with common interests. These people have high clustering coefficient;
4. Diameter: the longest shortest path (distance) between any two nodes in a network. Example: in a small diameter social network, a piece of news or message may be quickly known by all nodes. In a larger diameter network, the speed of information transmission is hindered.
5. Average distance: the average shortest path length between any two nodes. Example: in a residential community, if the average distance is small, the community is relatively close, and the communication and interaction between residents are more frequent and convenient.

Task 2

Question: Compared Social Network with other Network, what special characteristics does the social Network have?

Answer:

Characteristics:

1. Small Worlds: information spreads quickly and neighbors of nodes are often connected to each other, forming a tight local group;
2. Scale-Free: each time a new node is added, the new node establishes a connection with the existing node. New nodes are more likely to connect to existing nodes with higher degrees. That is, "popular nodes" become more popular, forming Hub nodes;
3. Core-Periphery: core nodes are closely connected to form a group. They can interact frequently with other core nodes. Periphery nodes have some connections with the core, but have few or no connections between periphery nodes.

Experiment 1: Community Detection with NetworkX in Python

Objective: work with NetworkX, a Python library designed for the creation, manipulation, and study of complex networks. Run a community detection algorithm and observe how different communities emerge within a given graph.

Code:

```
1 import networkx as nx
2 import matplotlib.pyplot as plt
3 from networkx.algorithms import community
4
5 # Create graph G
6 G = nx.Graph() # Undirected graph without multiple edges
7 G.add_node(1)
8 G.add_nodes_from([2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15])
9 G.add_edges_from([(1, 2), (4, 5), (5, 6), (2, 4), (1, 3), (2, 3),
10                  (6, 7), (7, 8), (8, 9), (9, 10), (5, 10), (3, 7),
11                  (1, 11), (11, 12), (12, 4), (12, 13), (13, 6),
12                  (13, 14), (14, 7), (14, 15), (9, 15)])
13
14 # Use Girvan-Newman algorithm to divide communities
15 communities_generator = community.girvan_newman(G)
16 top_level_communities = next(communities_generator)
17 community_mapping = {node: i for i, community in enumerate(top_level_communities) for node in community
18                      }
19
20 # Sets the color of the node, based on the community division
21 node_colors = [community_mapping[node] for node in G.nodes]
22
23 # Visualize the network and mark communities with different colors
24 plt.figure(figsize=(8, 6))
25 pos = nx.spring_layout(G) # Plot using the spring layout
26 nx.draw(G, pos, with_labels=True, node_color=node_colors, cmap=plt.cm.tab10, node_size=500, font_size=10)
27 plt.title("Community Detection in Modified Graph")
28 plt.show()
29
30 # Print the community division results
31 print("The results of community segmentation: ")
32 for i, community in enumerate(top_level_communities):
33     print(f"Community {i+1}: {sorted(community)}")
```

Result:

During the experiment, undirected graph without multiple edges was created and Girvan-Newman algorithm was used to divide communities. As a result, I got a graph, which visualize the network and mark communities with different colors.

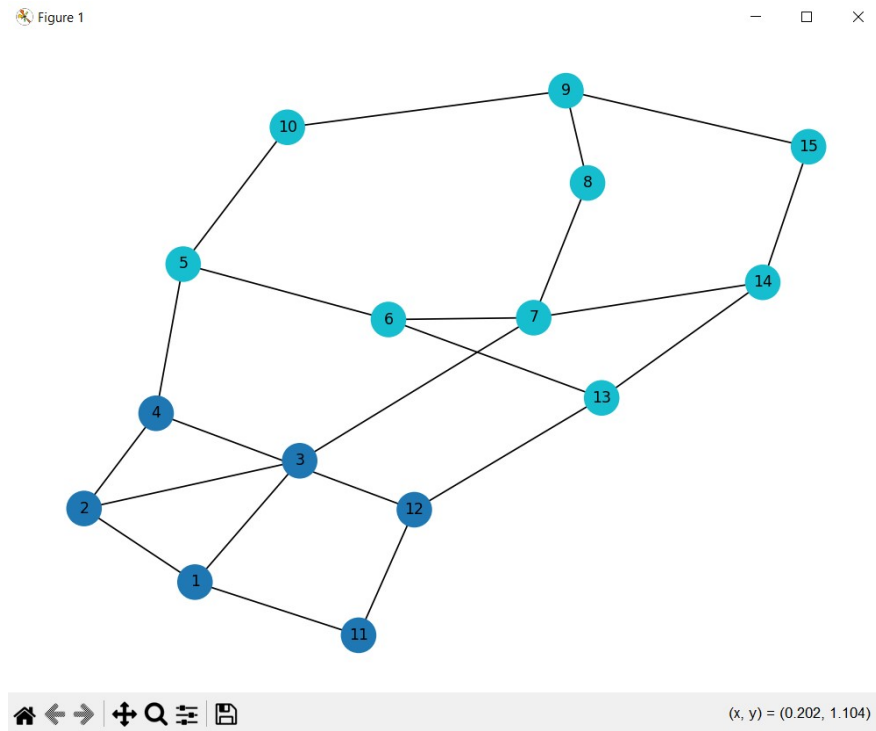


Figure 1: Sample result graph generated by the code

```

1 import networkx as nx
2 import matplotlib.pyplot as plt
3 from networkx.algorithms import community
4
5 # Create graph G
6 G = nx.Graph() # Undirected graph without multiple edges
7 G.add_node(1)
8 G.add_nodes_from([2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15])
9 G.add_edges_from([(1, 2), (4, 5), (5, 6), (2, 4), (5, 3), (2, 3),
10                  (6, 7), (7, 8), (8, 9), (9, 10), (5, 10), (3, 7),
11                  (1, 11), (11, 12), (12, 4), (12, 13), (13, 6),
12                  (13, 14), (14, 7), (14, 15), (9, 15)])
13
14 # Use Girvan-Newman algorithm to divide communities
15 communities_generator = community.girvan_newman(G)
16 top_level_communities = next(communities_generator)
17 community_mapping = {node: 1 for 1, community in enumerate(top_level_communities) for node in community}
18
19 # Sets the color of the node, based on the community division
20 node_colors = [community_mapping[node] for node in G.nodes]
21
22 # Visualize the network and mark communities with different colors

```

Run exp1

C:\Users\Admin\MINE\Python_Rep\KnowledgeGraph\.venv\Scripts\python.exe C:\Users\Admin\MINE\Python_Rep\SNA\exp1.py

The results of community segmentation.

Community 1: [1, 2, 3, 4, 11, 12]

Community 2: [5, 6, 7, 8, 9, 10, 13, 14, 15]

Process finished with exit code 0

Figure 2: Result of community segmentation

Experiment 2: SNA Graph Analysis Using Gephi

Objective: use Gephi, a visualization tool for graph analysis, to load and explore a dataset, compute key graph statistics (such as PageRank and modularity), and adjust the graph’s appearance for better readability.

Step 1: Load the Dataset

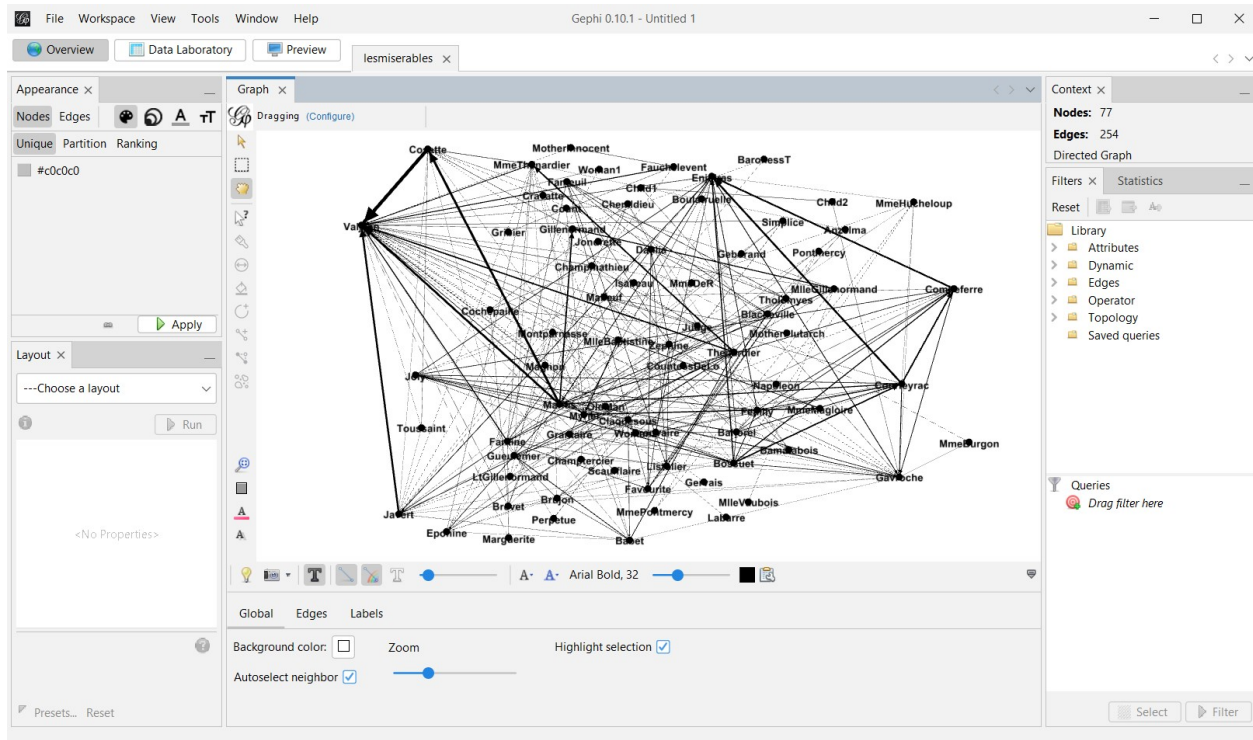


Figure 3: Graph in Gephi

Step 2: Analyze Statistics

PageRank Report

Parameters:

Epsilon = 0.001
Probability = 0.85

Results:

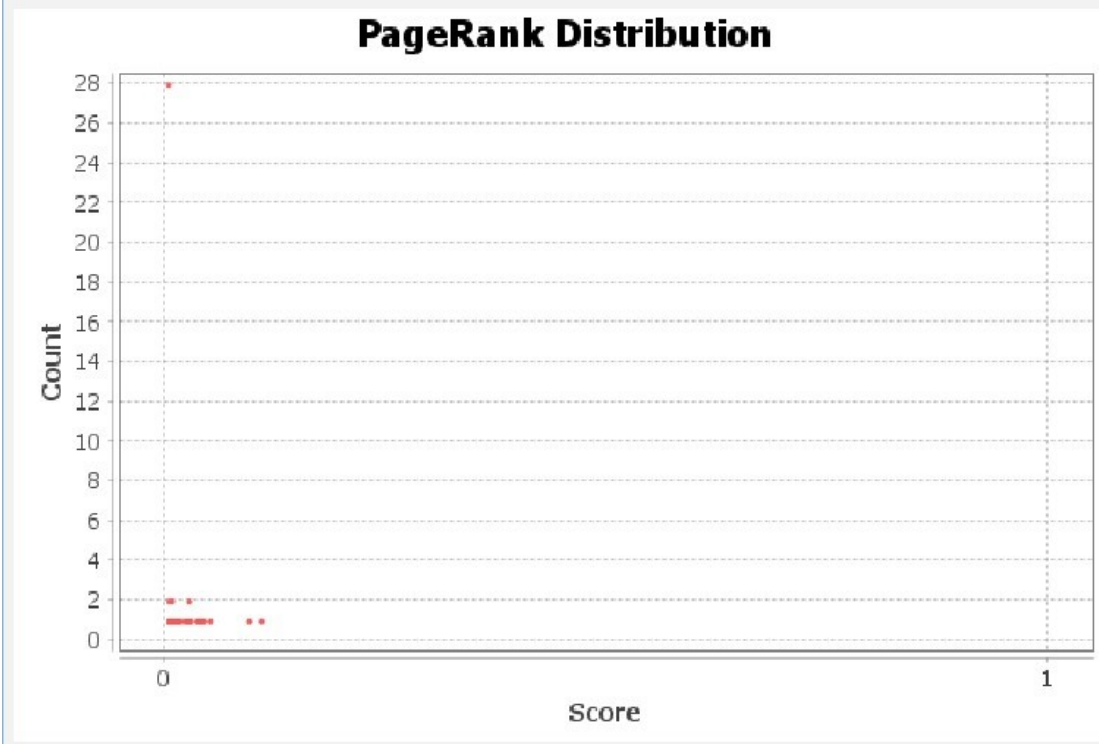


Figure 4: PageRank

Modularity Report

Parameters:

Randomize: On
Use edge weights: On
Resolution: 1.0

Results:

Modularity: 0,565
Modularity with resolution: 0,565
Number of Communities: 6

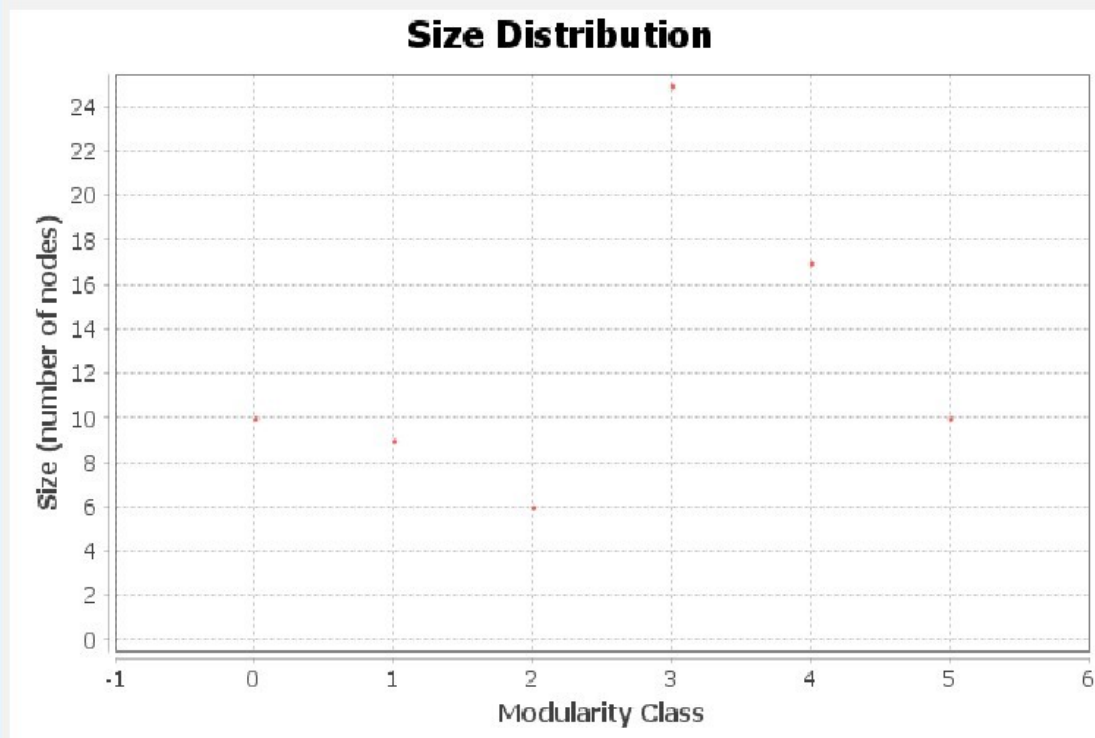


Figure 5: Modularity

Degree Report

Results:

Average Degree: 3,299

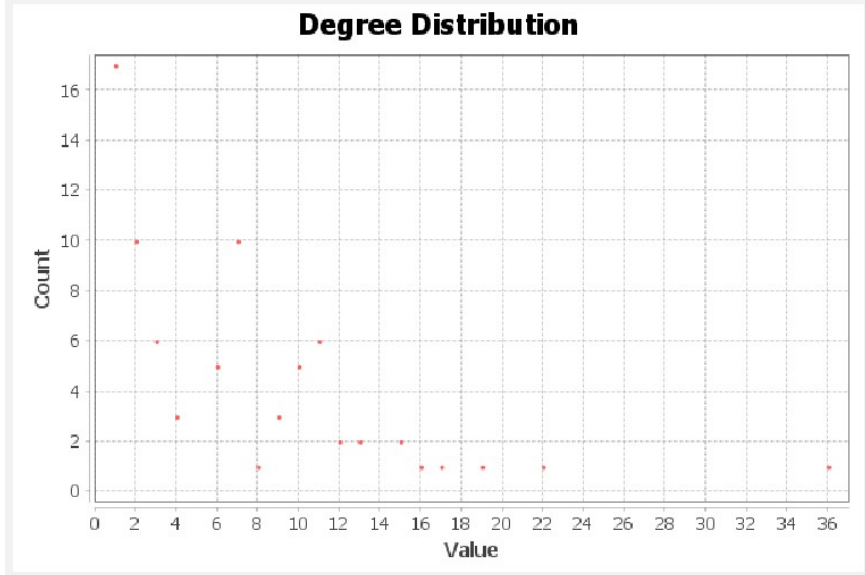


Figure 6: Average Degree: part 1

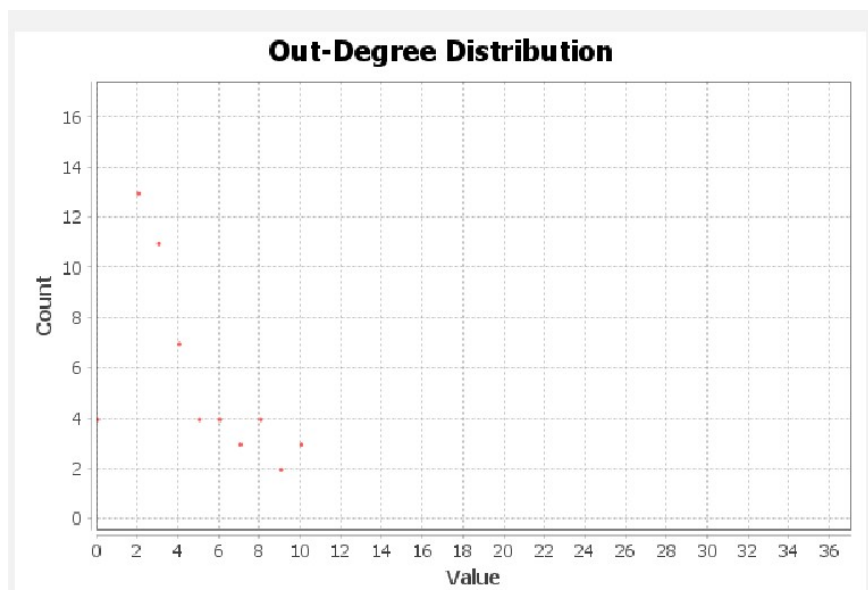


Figure 7: Average Degree: part 2

Weighted Degree Report

Results:

Average Weighted Degree: 10,649

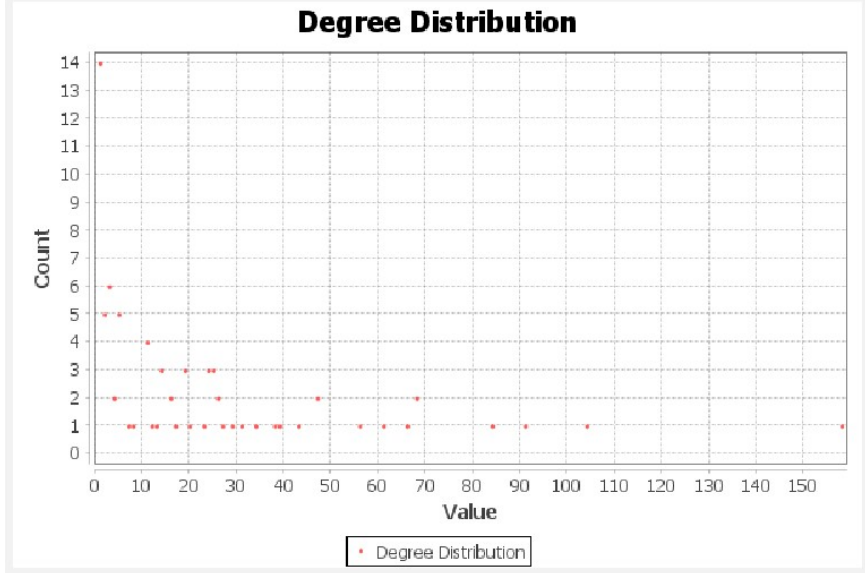


Figure 8: Average Weighted Degree: part 1

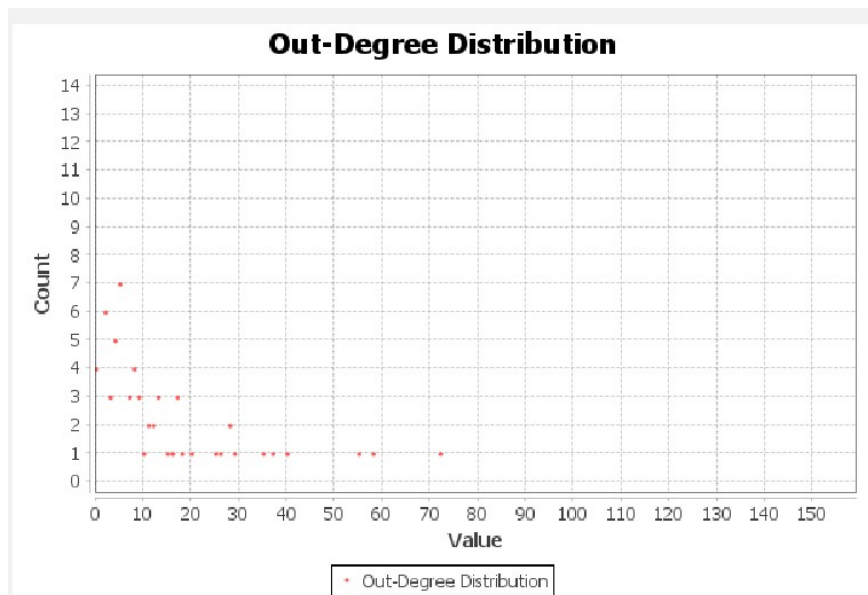


Figure 9: Average Weighted Degree: part 2

Graph Distance Report

Parameters:

Network Interpretation: directed

Results:

Diameter: 5

Radius: 0

Average Path length: 2.4

Betweenness Centrality Distribution

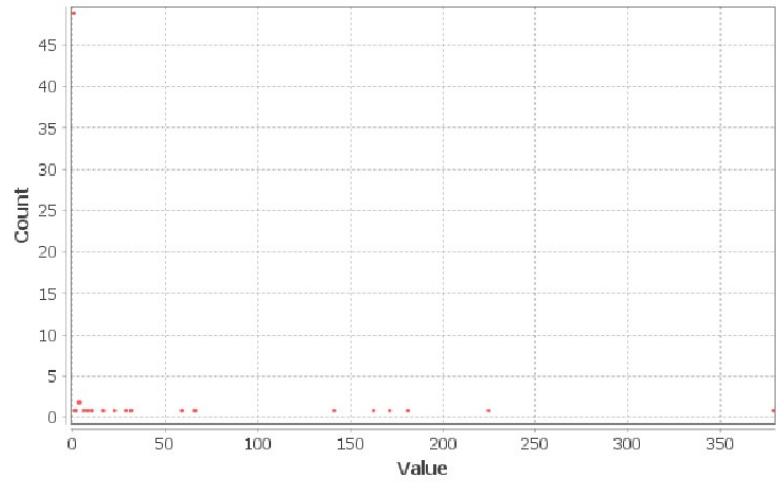


Figure 10: Network Diameter: part 1

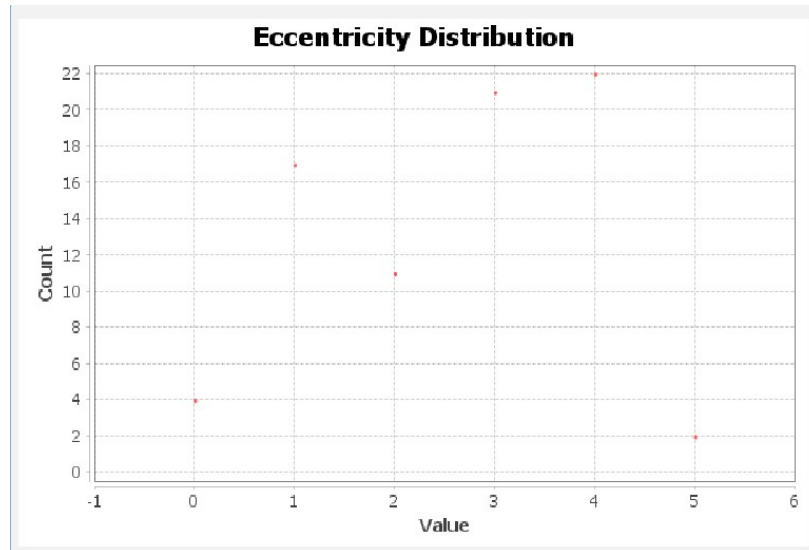


Figure 11: Network Diameter: part 2

Graph Density Report

Parameters:

Network Interpretation: directed

Results:

Density: 0,043

Figure 12: Graph Density

Eigenvector Centrality Report

Parameters:

Network Interpretation: directed

Number of iterations: 100

Sum change: 0.011672760828797354

Results:

Eigenvector Centrality Distribution

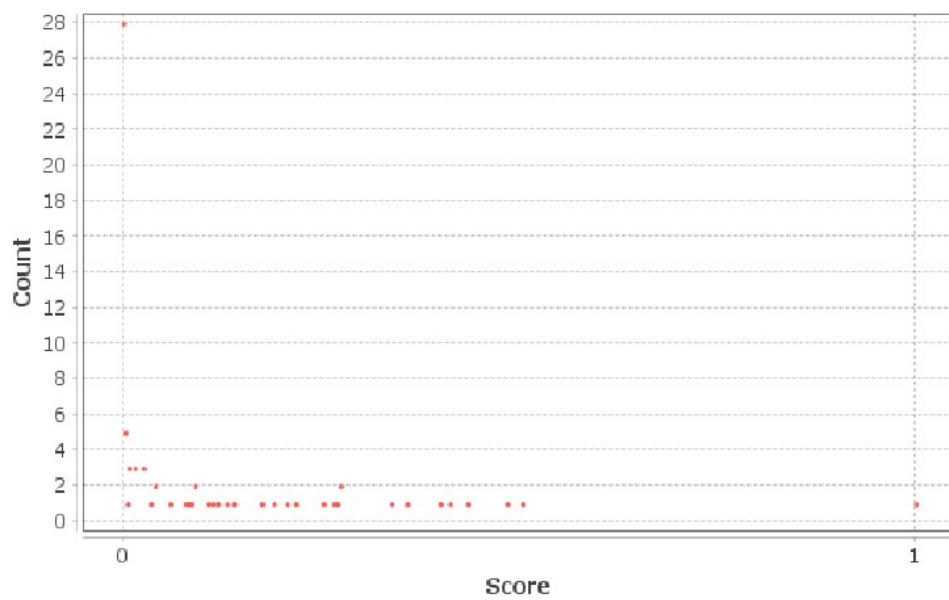


Figure 13: Eigenvector Centrality

Step 3: Preview Appearance Adjustment

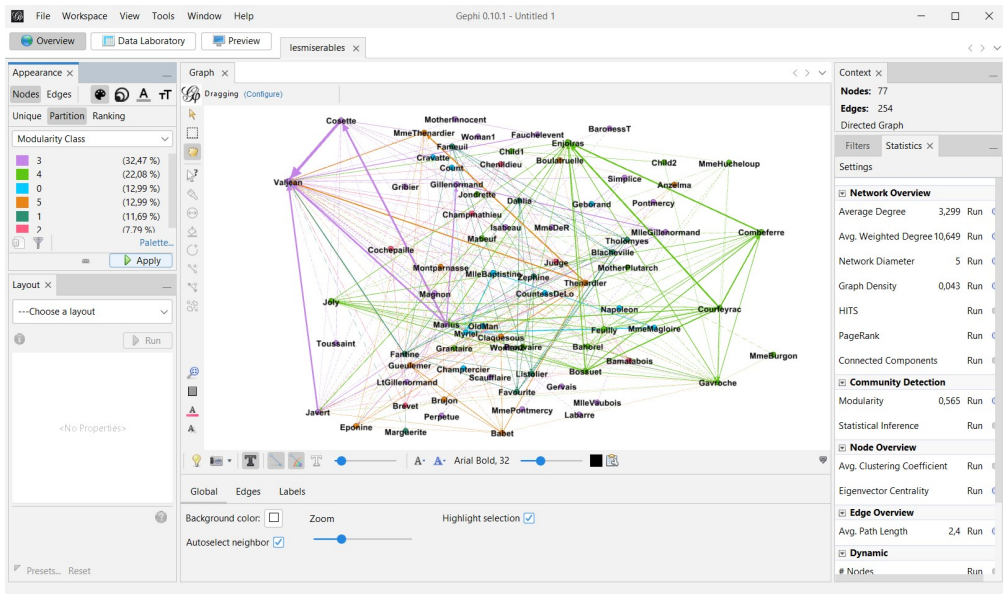


Figure 14: Nodes adjustments

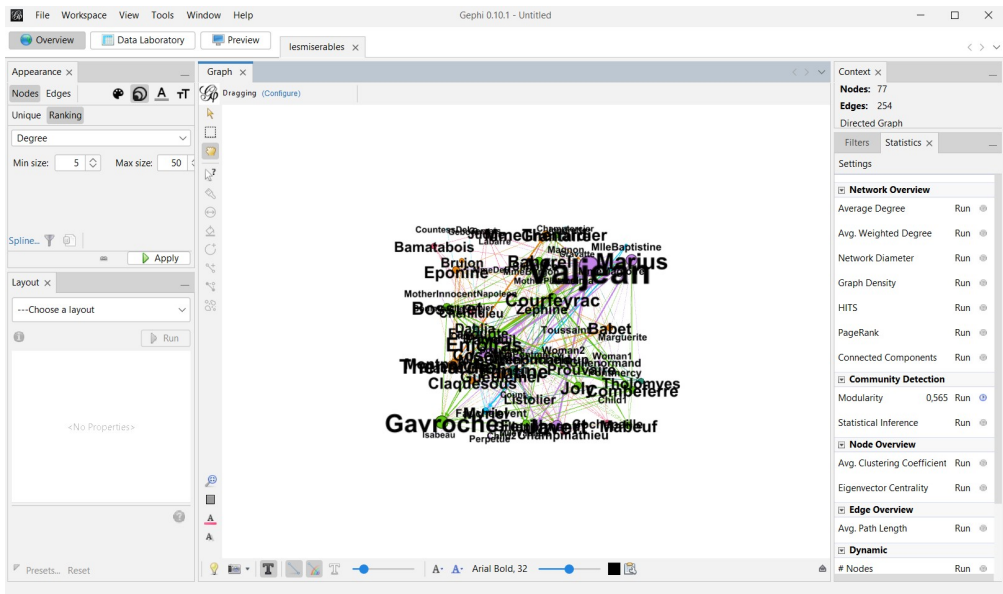


Figure 15: Labels adjustments

Step 4: Select Layout

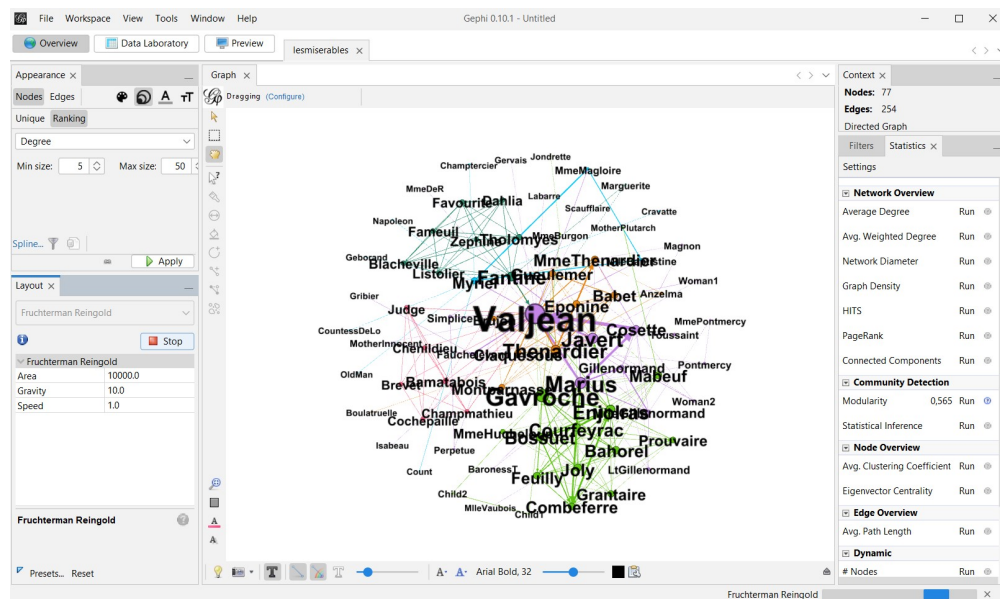


Figure 16: Fruchterman Reingold layout

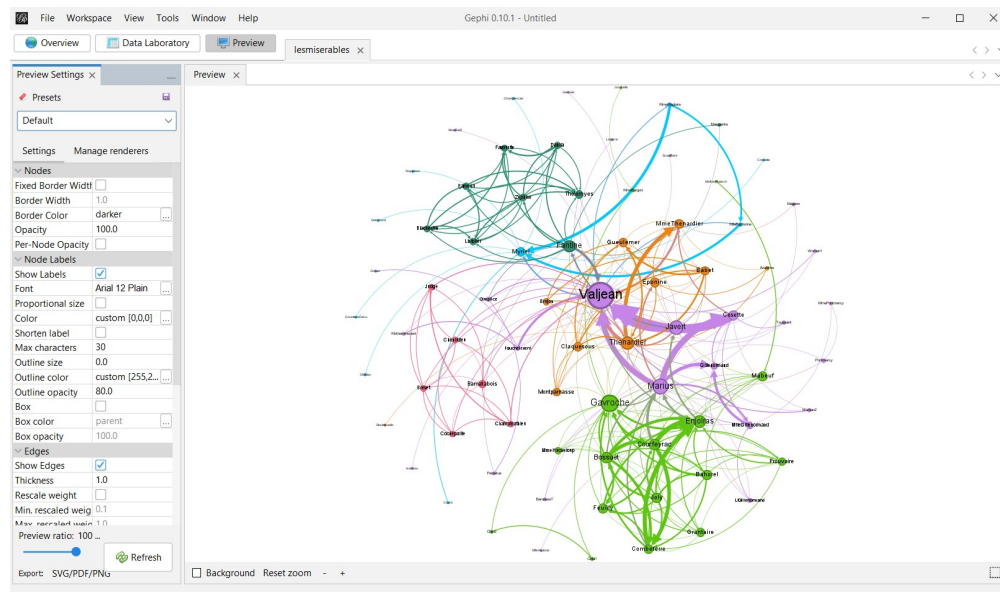


Figure 17: Adjusting preview settings

Result:

During this experiment, I loaded the dataset into Gephi, used analyzing tools to get statistics of the graph and customized the graph's appearance. I also understood how to select graph layouts and saved the final visualization of the graph.

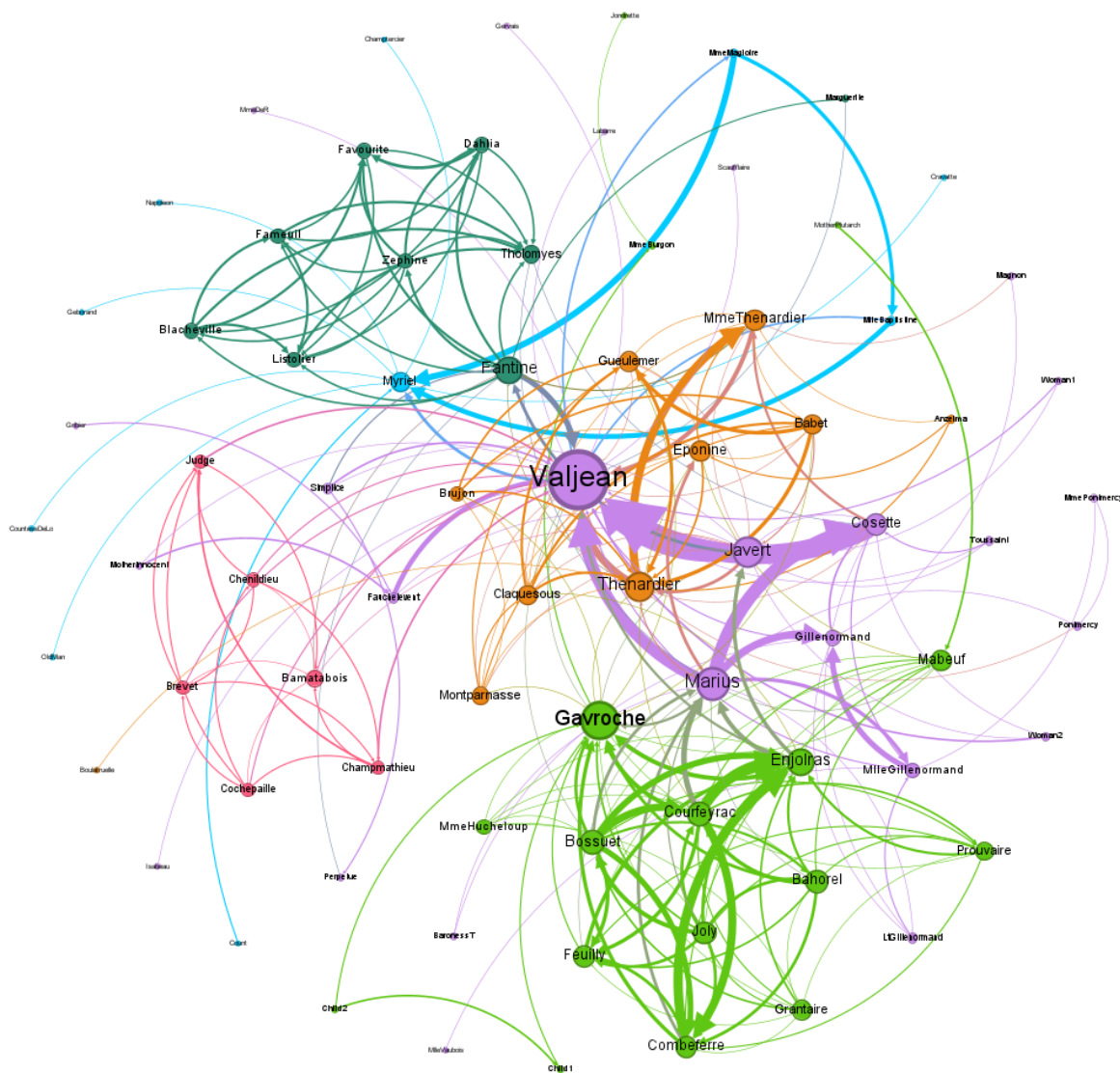


Figure 18: Final graph saved in PNG