Image Processing SoSe 22 - Assignment - 02

Deadline is 05.05.2022 at 11:55am

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Please solve the assignments together with a partner. I will run every notebook. Make sure the code runs through. Select Kernel -> Restart & Run All to test it.

Exercise 1 - 4 Points

Implement the rgb_to_hsv and hsv_to_rgb functions. Don't use any color conversion functions from a library.

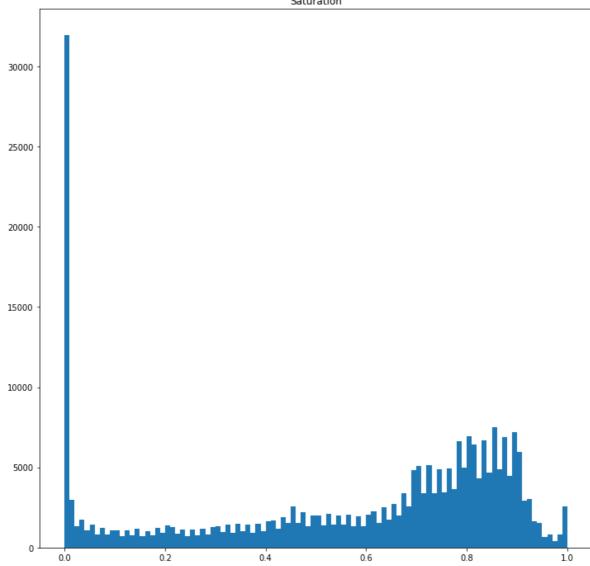
```
In [ ]: | import math
        def rgb_to_hsv(image):
            Converts the numpy array `x` from RGB to the HSV.
            return np.array([[rgb_to_hsv_pixel_1(y) for y in x] for x in image])
        #there are two ways to calculate this.
        def rgb_to_hsv_pixel_1(entry):
            r = entry[0]
            g = entry[1]
            b = entry[2]
            c max index = np.argmax([r,g,b])
            c min index = np.argmin([r,g,b])
            delta = max(r,g,b) - min(r,g,b)
            hue = -1
            if delta==0:
                hue = 0
            elif c max index==0:
                 hue = 60 * (((g-b)/delta)+0)
            elif c_max_index==1:
                hue = 60 * (((b-r)/delta)+2)
            else:
                hue = 60 * (((r-g)/delta)+4)
            if hue < 0 :
                hue += 360
            if max(r,g,b)==0:
                 saturation = 0
            else :
                 saturation = delta/max(r,g,b)
            value = max(r,g,b)
            return [hue, saturation, value]
```

```
0.00
    h = entry[0]
    s = entry[1]
    v = entry[2]
    # chroma
    c = v * s
    h1 = h/60
    rgb = [0,0,0]
    if h1 < 0 or h1 > 6:
        print("not valid value")
    x = c * (1 - abs(h1 % 2 - 1))
    if h1<1 and h1>=0:
        rgb = [c,x,0]
    elif h1<2 and h1>=1:
        rgb = [x,c,0]
    elif h1<3 and h1>=2:
        rgb = [0,c,x]
    elif h1<4 and h1>=3:
        rgb = [0,x,c]
    elif h1<5 and h1>=4:
        rgb = [x,0,c]
    else :
        rgb = [c,0,x]
    m = v - c
    r = rgb[0]
    g = rgb[1]
    b = rgb[2]
    rgb = [r + m, g+m, b+m]
    return rgb
def hsv_to_rgb(image):
    Converts the numpy array `x` from HSB to the RGB.
    return np.array([[hsv_to_rgb_pixel(y) for y in x] for x in image])
```

Plot the saturation of the astronaut image (see last assignment)

```
# display the plots inside the notebook
In [ ]:
        %matplotlib inline
        from skimage import io, data, color
        import numpy as np
        import matplotlib.pyplot as plt
        from skimage.data import astronaut
        import pylab
        pylab.rcParams['figure.figsize'] = (12, 12) # This makes the plot bigger
        img = astronaut() / 255.
        img_as_hsv = rgb_to_hsv(img)
        # your code, saturation is always the first value
        sat = img as hsv[:,:,-1].flatten()
        plt.hist(sat,bins=100)
        plt.title("Saturation")
        Text(0.5, 1.0, 'Saturation')
Out[ ]:
```

Saturation



```
In [ ]: def mult_2(y):
    if y*2>1:
        return 1
    else :
        return y*2
```

Increase the saturation by a factor of 2, convert it back to RGB and plot the result.

```
In [ ]: img_as_hsv_sat_inc = np.array([[[y[0],mult_2(y[1]),y[2]] for y in x] for x
In [ ]: img_rgb_back_converted = hsv_to_rgb(img_as_hsv_sat_inc)
    io.imshow(img_rgb_back_converted)
Out[ ]: <matplotlib.image.AxesImage at 0x7f4ff7dd60d0>
```



Exercise 2 - 6 Points

Implement affine transformation with [linear interpolation]. Implement the functions affine_transformation and bilinear_interpolation . Apply some affine transformation of your choice and smooth the output using your bilinear interpolation.

The skimage library comes with multiple useful test images. Let's start with an image of an astronaut.

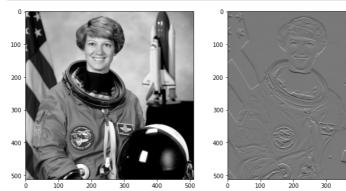
```
In []: from skimage.data import astronaut
from skimage.color import rgb2gray
In []: # We use a gray image. All the algorithms should work with color images too
img = rgb2gray(astronaut() / 255.)
plt.imshow(img, cmap='gray')
plt.show()
```

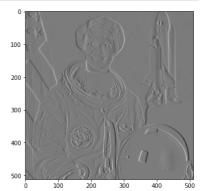


```
In [ ]: def derive y(image):
             """Computes the derivative of the image w.r.t the y coordinate"""
             derived_image = np.zeros_like(image)
             for x in range(image.shape[0]):
                 for y in range(image.shape[1]):
                     if y + 1 < image.shape[1] and y - 1 > 0:
                         derived image[x,y] = (image[x, y + 1] - image[x, y - 1]) /
             return derived_image
        def derive x(image):
             """Computes the derivative of the image w.r.t the x coordinate"""
             derived_image = np.zeros_like(image)
             for x in range(image.shape[0]):
                 for y in range(image.shape[1]):
                     if x + 1 < \text{image.shape}[1] and x - 1 > 0:
                         derived image[x,y] = (image[x + 1, y] - image[x - 1, y]) /
             return derived_image
        dx img = derive x(img)
In [ ]:
        dy img = derive y(img)
In [ ]: | plt.figure(figsize=(18, 12))
        plt.subplot(131)
        plt.imshow(img, cmap='gray')
        plt.subplot(132)
```

plt.imshow(dx img, cmap='gray')

```
plt.subplot(133)
plt.imshow(dy_img, cmap='gray')
plt.show()
```





Here are some sample affine transformations to be used later on

```
In [ ]:
        T scale = np.array([
             [0.75, 0, 0],
             [0, 0.75, 0],
             [0, 0, 1],
        ])
        T_shear = np.array([
In [ ]:
             [1, 0.3, 0],
             [0, 1, 0],
             [0, 0, 1],
        ])
        # you can use this function to invert the matricies
In [ ]:
        np.linalg.inv(T scale)
        array([[1.33333333, 0.
                                                    ],
                                       , 0.
Out[]:
                           , 1.33333333, 0.
                                                   ],
                           , 0.
                [0.
                                       , 1.
                                                   ]])
In [ ]: def affine transformation(img, matrix):
             output = np.zeros(img.shape)
             #do it here, to make the loop run faster
             inverted_matrix = np.linalg.inv(matrix)
             for x in range(output.shape[0]):
                 for y in range(output.shape[1]):
                     helper = np.zeros(3)
                     helper = inverted_matrix.dot([x,y,1])
                     output[x,y] = bilinear interpolation(img,helper)
             return output
```

```
In []: import bisect

def bilinear_interpolation(img, indicies):
    x = np.asarray(indicies[0])
    y = np.asarray(indicies[1])

    x_0 = np.floor(x).astype(int)
    y_0 = np.floor(y).astype(int)

    x_1 = x_0 + 1
    y_1 = y_0 + 1

    #make sure the intervals do not exceed the image boundaries
    x_0 = np.clip(x_0, 0, img.shape[1]-1)
```

```
x_1 = np.clip(x_1, 0, img.shape[1]-1)
y_0 = np.clip(y_0, 0, img.shape[0]-1)
y_1 = np.clip(y_1, 0, img.shape[0]-1)
#take the four points as described in the lecture
Q11 = img[x 1, y 0]
Q12 = img[x 0, y 0]
Q21 = img[x 1, y 1]
Q22 = img[x_0, y_1]
#calculate helper values
w_1 = (x_1 - x)/(x_1 - x_0)
w 2 = (x-x 0)/(x 1-x 0)
w 3 = (y 1 - y)/(y 1-y 0)
w 4 = (y - y 0)/(y 1-y 0)
#calculate the value of the new pixels in both directions
f_R1 = (w_1*Q11 + w_2*Q21)
f R2 = (w 1 *Q12 + w 2*Q22)
f P = w 3*f R1 + w 4*f R2
return f P
```

```
In [ ]: #input [[x1,x2],[y1,y2]]
        img scale = affine transformation(img, T shear)
        plt.imshow(img scale, cmap='gray')
        plt.show()
        /tmp/ipykernel 16/173973473.py:26: RuntimeWarning: divide by zero encounter
        ed in double scalars
          w_1 = (x_1 - x)/(x_1 - x_0)
        /tmp/ipykernel 16/173973473.py:27: RuntimeWarning: divide by zero encounter
        ed in double scalars
          w 2 = (x-x 0)/(x 1-x 0)
        /tmp/ipykernel_16/173973473.py:32: RuntimeWarning: invalid value encountere
        d in double scalars
          f R1 = (w 1*Q11 + w 2*Q21)
        /tmp/ipykernel 16/173973473.py:33: RuntimeWarning: invalid value encountere
        d in double scalars
          f R2 = (w 1 *Q12 + w 2*Q22)
        /tmp/ipykernel 16/173973473.py:28: RuntimeWarning: invalid value encountere
        d in double scalars
          w_3 = (y_1 - y)/(y_1-y_0)
        /tmp/ipykernel_16/173973473.py:29: RuntimeWarning: invalid value encountere
        d in double scalars
          w_4 = (y - y_0)/(y_1-y_0)
        /tmp/ipykernel 16/173973473.py:26: RuntimeWarning: invalid value encountere
        d in double_scalars
          w_1 = (x_1 - x)/(x_1 - x_0)
        /tmp/ipykernel 16/173973473.py:27: RuntimeWarning: invalid value encountere
        d in double scalars
```

 $w_2 = (x-x_0)/(x_1-x_0)$



```
In [ ]: img_scale = affine_transformation(img, T_scale)
    plt.imshow(img_scale, cmap='gray')
    plt.show()
```

```
/tmp/ipykernel 16/173973473.py:28: RuntimeWarning: divide by zero encounter
ed in double scalars
w_3 = (y_1 - y)/(y_1-y_0)
/tmp/ipykernel_16/173973473.py:29: RuntimeWarning: divide by zero encounter
ed in double_scalars
  w_4 = (y - y_0)/(y_1-y_0)
/tmp/ipykernel_16/173973473.py:34: RuntimeWarning: invalid value encountere
d in double_scalars
  f_P = w_3 * f_R1 + w_4 * f_R2
/tmp/ipykernel 16/173973473.py:26: RuntimeWarning: divide by zero encounter
ed in double scalars
  w 1 = (x 1 - x)/(x 1 - x 0)
/tmp/ipykernel_16/173973473.py:27: RuntimeWarning: divide by zero encounter
ed in double_scalars
  w_2 = (x-x_0)/(x_1-x_0)
/tmp/ipykernel_16/173973473.py:32: RuntimeWarning: invalid value encountere
d in double_scalars
  f_R1 = (w_1*Q11 + w_2*Q21)
/tmp/ipykernel 16/173973473.py:33: RuntimeWarning: invalid value encountere
d in double scalars
  f_R2 = (w_1 *Q12 + w_2*Q22)
```



In []: In []: