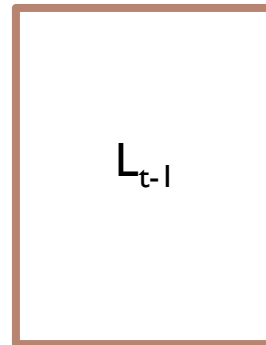
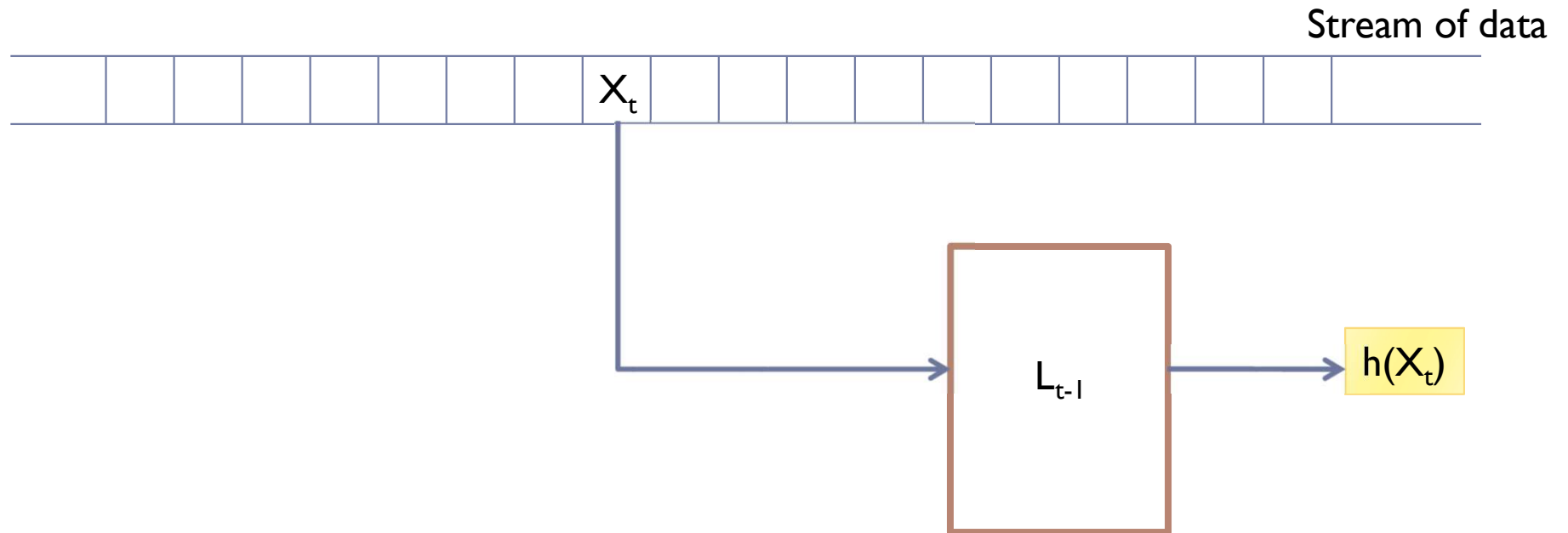


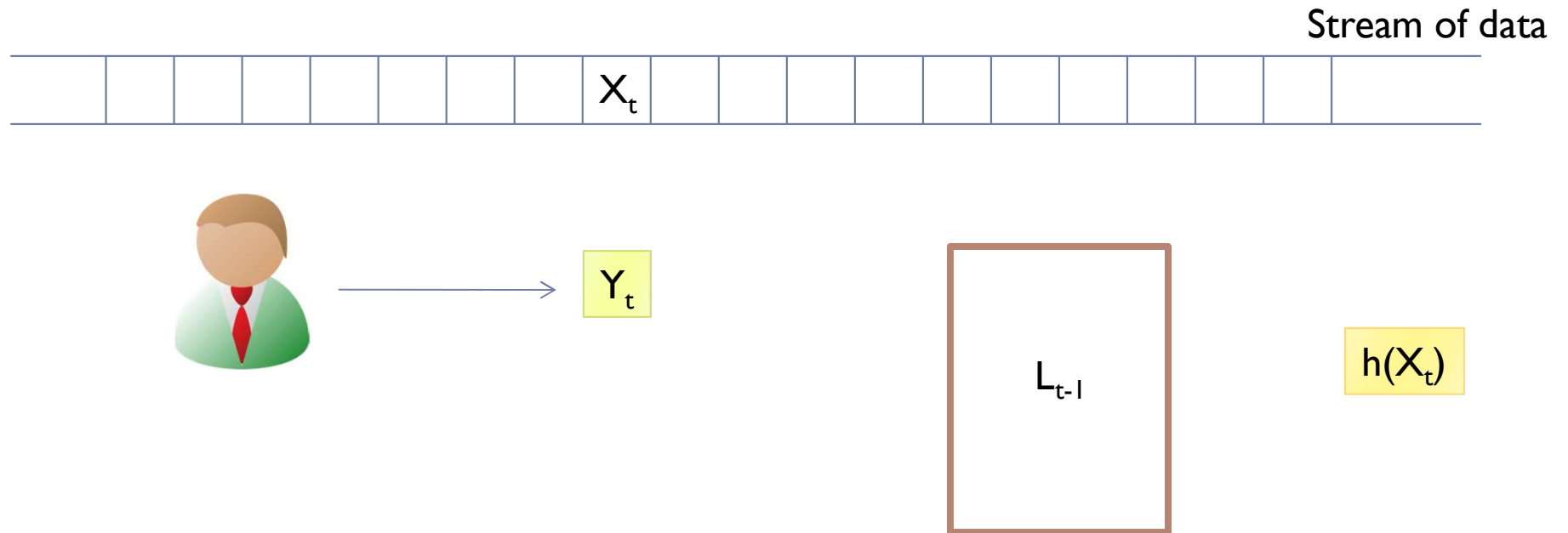
Data stream classification



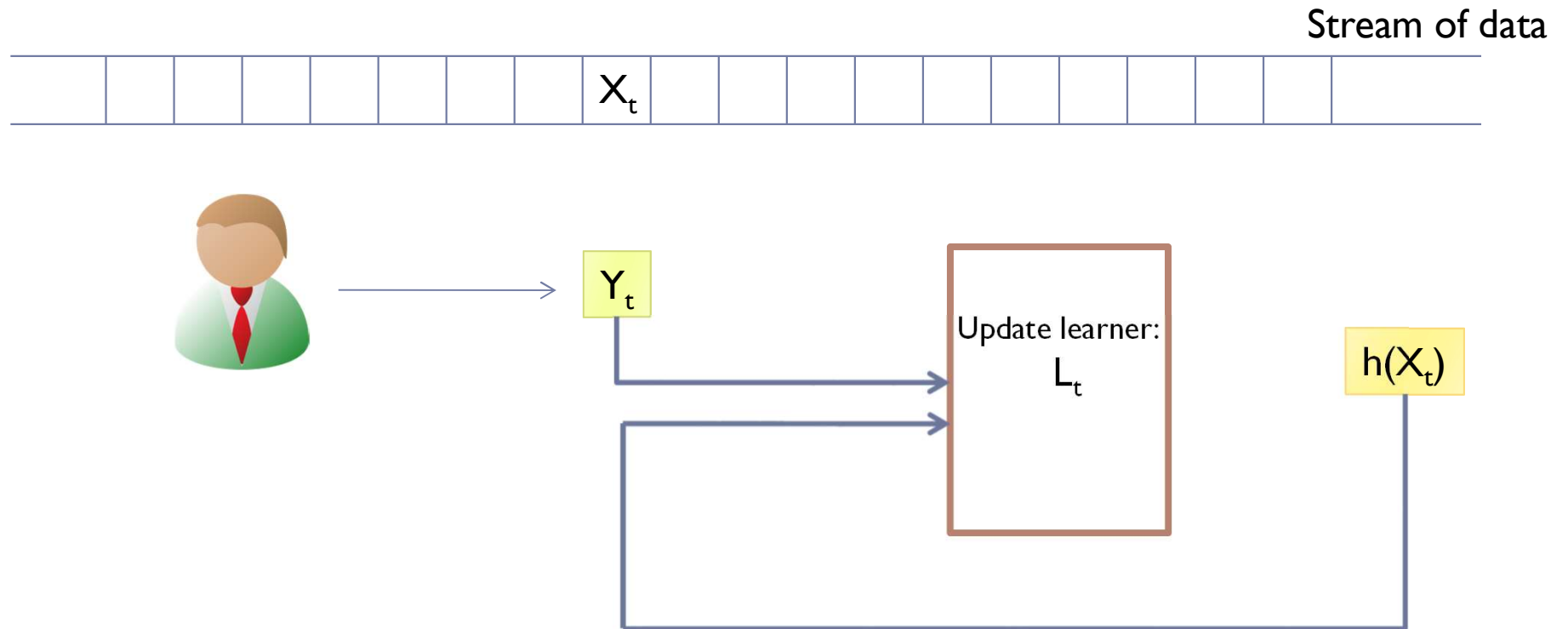
Data stream classification



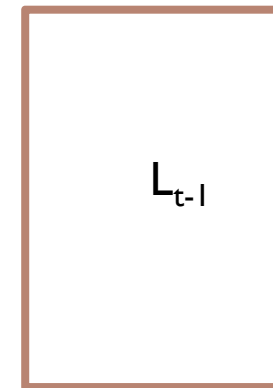
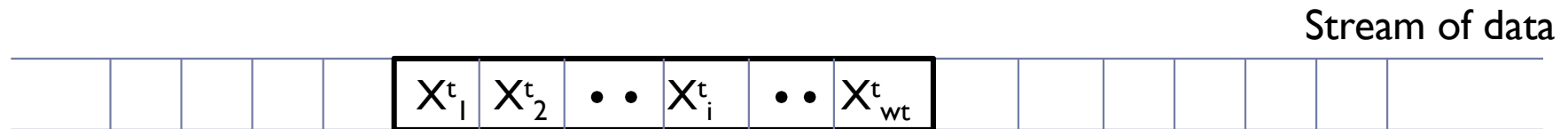
Data stream classification



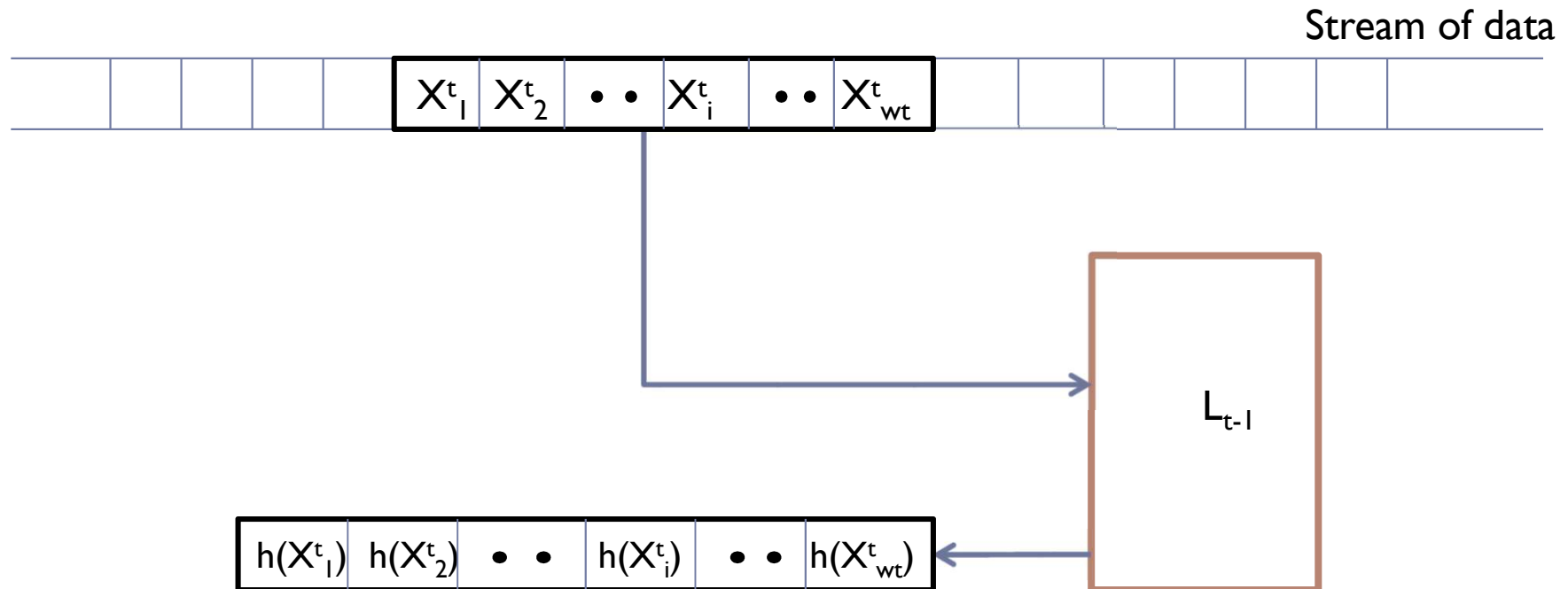
Data stream classification



Data stream classification

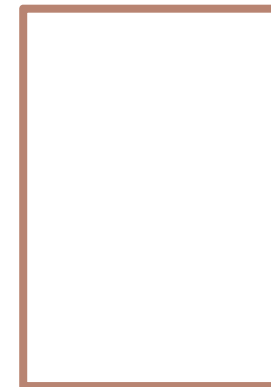
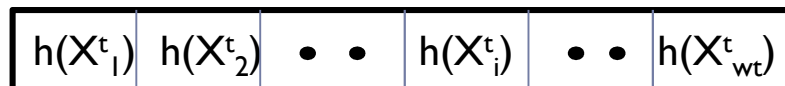
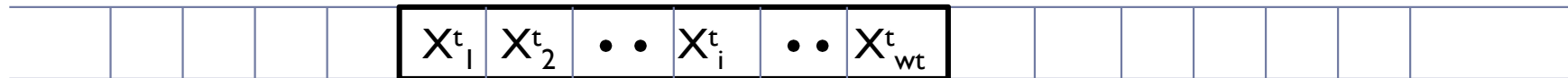


Data stream classification

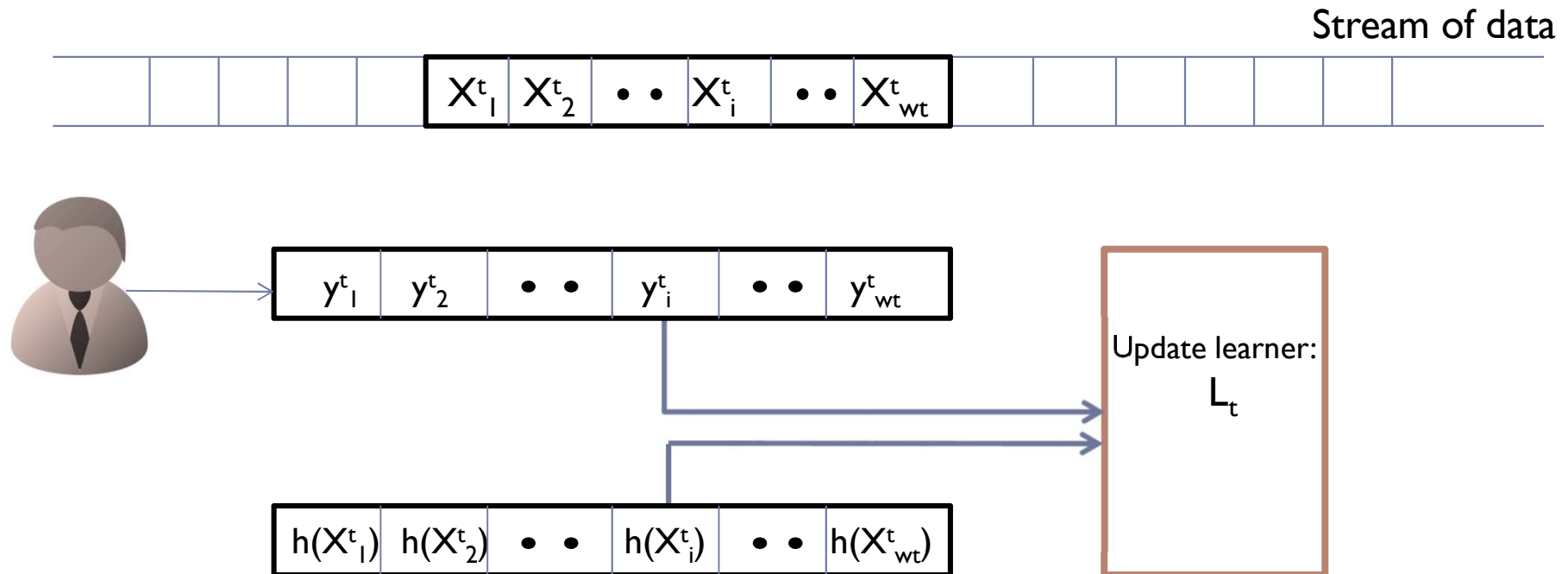


Data stream classification

Stream of data



Data stream classification



Data stream challenges

- ▶ Unlimited stream of data
 - storage limit
 - labeling all data

Data stream challenges

- ▶ Unlimited stream of data
 - storage limit
 - labeling all data
- ▶ Online process of data
 - algorithms with low time complexity

Data stream challenges

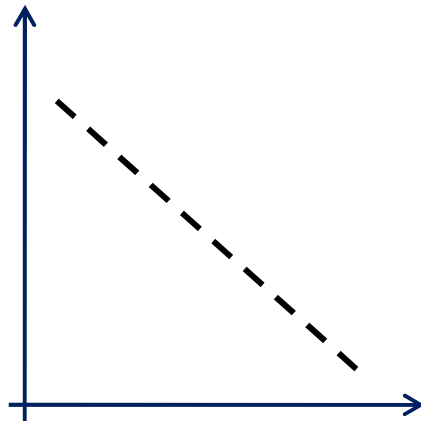
- ▶ Unlimited stream of data
 - storage limit
 - labeling all data
- ▶ Online process of data → algorithms with low time complexity
- ▶ Dynamic target functions (concept drift)

Concept drift

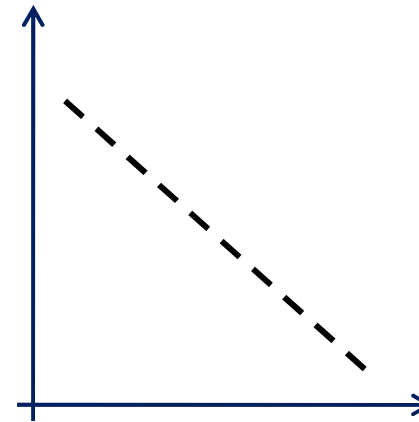
Instances which are near together in feature space, may belong to different target classes in different time passes

Example:

Binary classification of instances with two features



Online learning



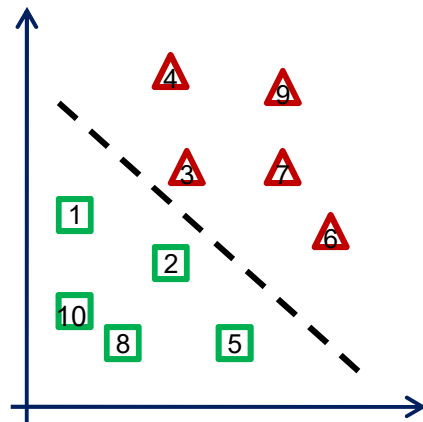
Online learning with concept drift

Concept drift

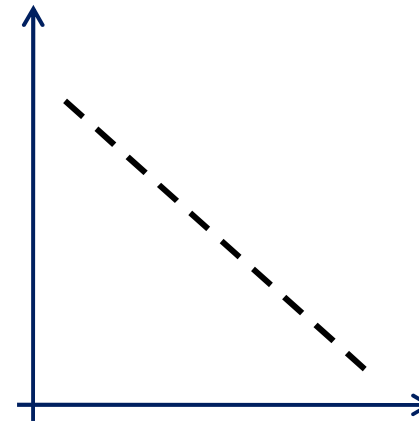
Instances which are near together in feature space, may belong to different target classes in different time passes

Example:

Binary classification of instances with two features



Online learning



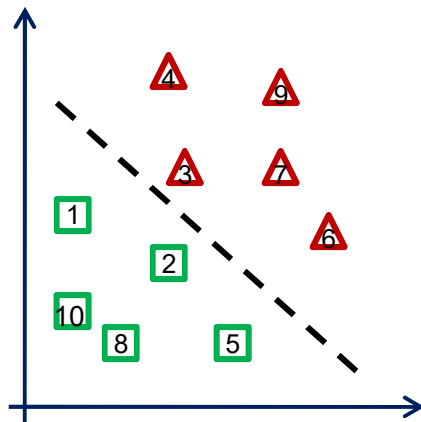
Online learning with concept drift

Concept drift

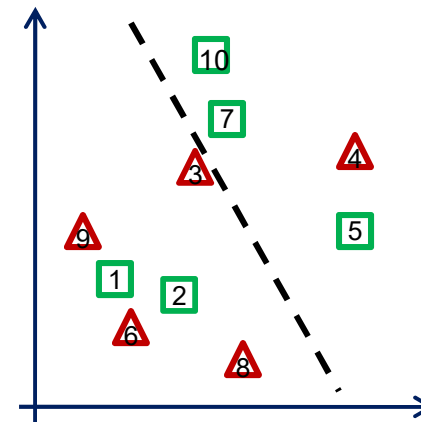
Instances which are near together in feature space, may belong to different target classes in different time passes

Example:

Binary classification of instances with two features



Online learning



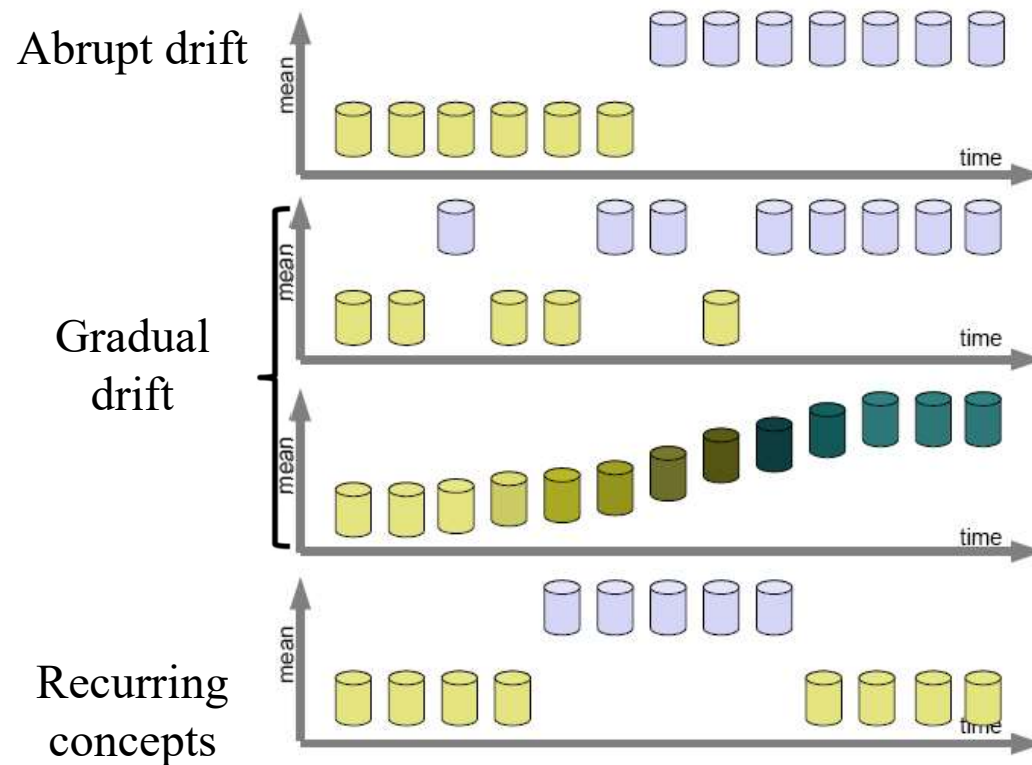
Online learning with concept drift

$$P(X, C) = P(C|X) \times P(X)$$

Concept drift

Instances which are near together in feature space, may belong to different target classes in different time passes

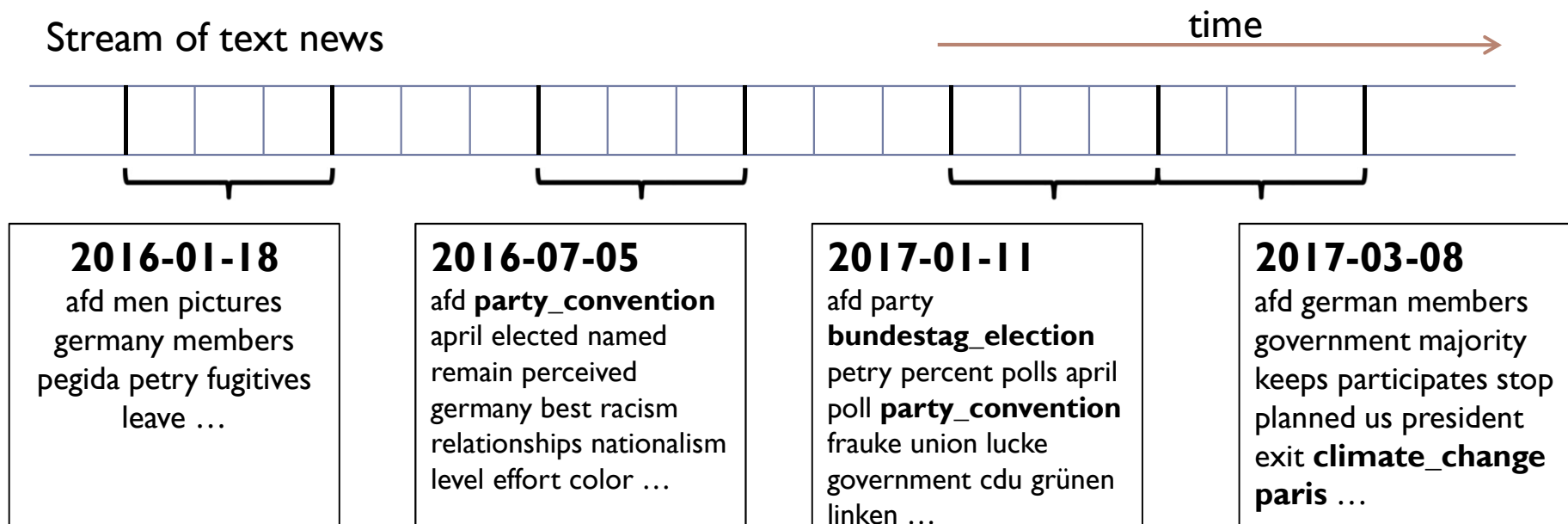
$$P(X, C) = P(C|X) \times P(X)$$

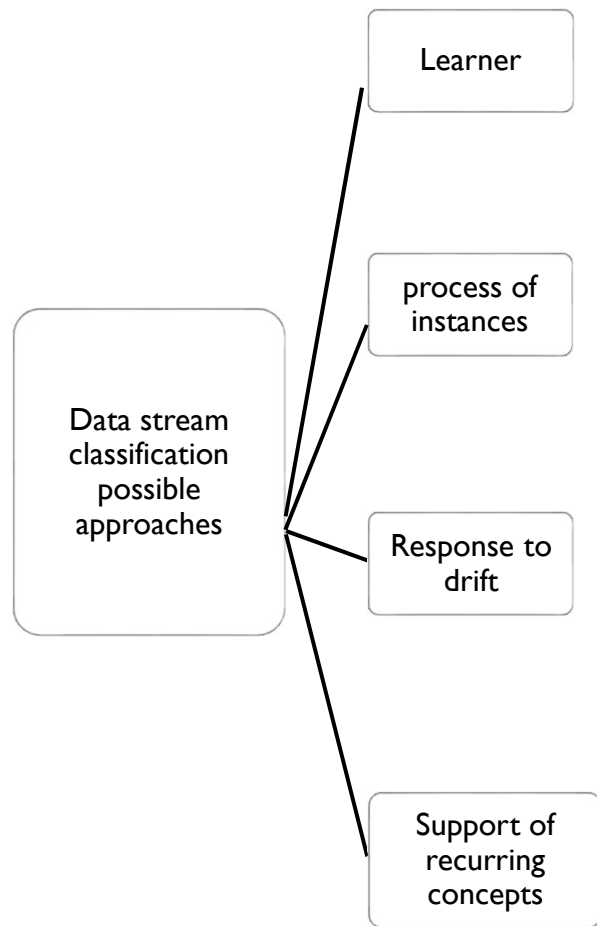


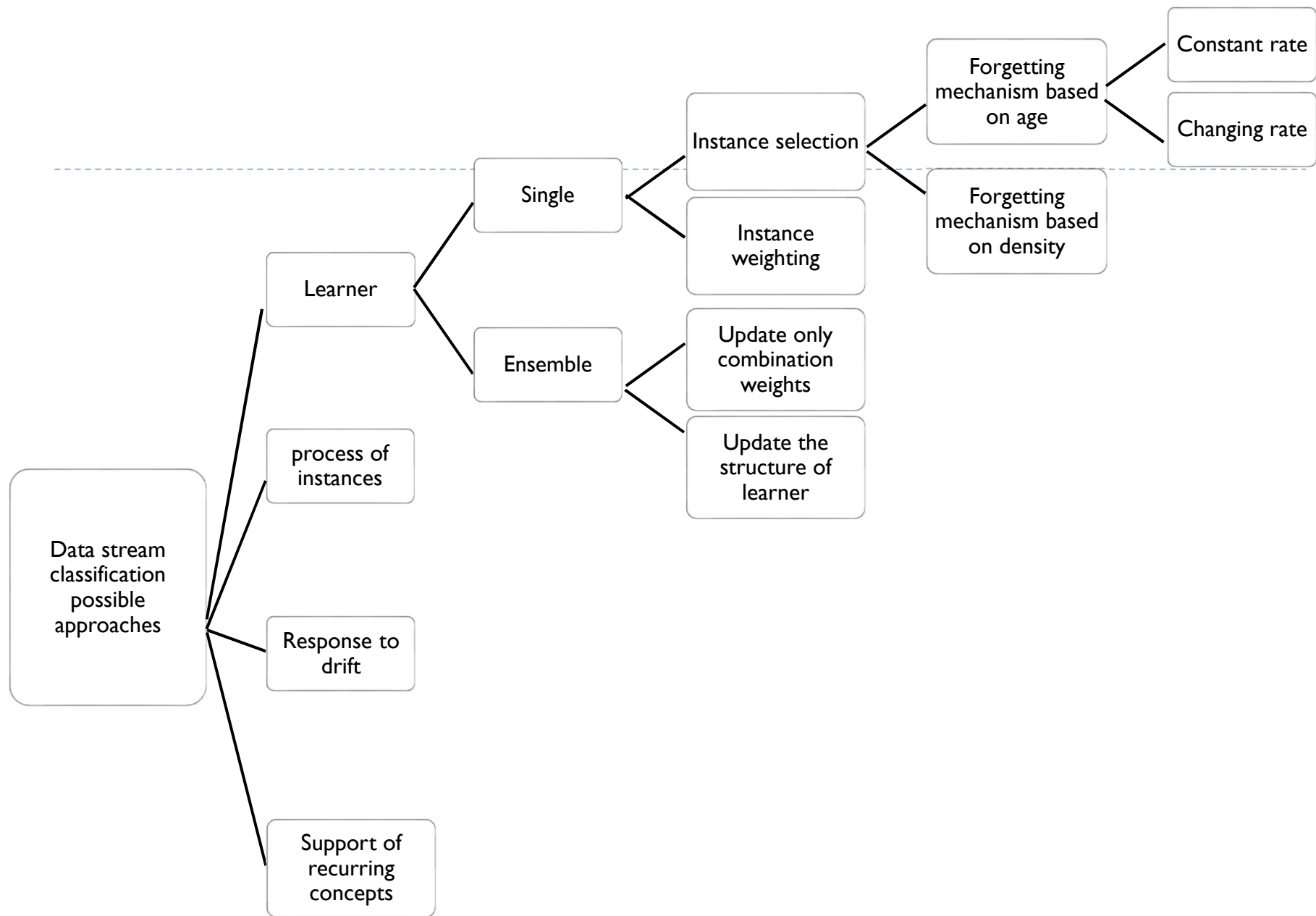
[Zliobaite, 2010]

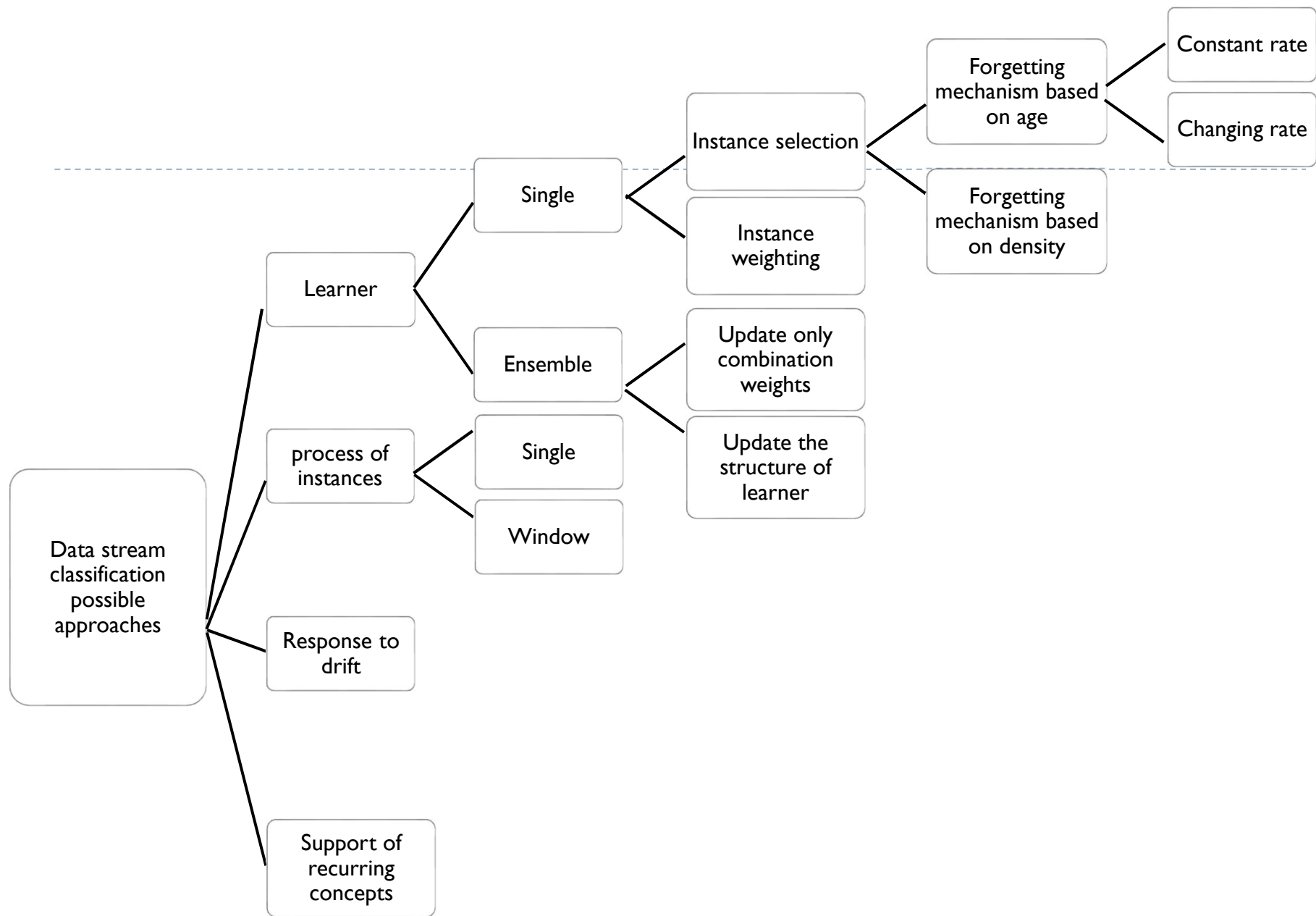
Example for concept drift

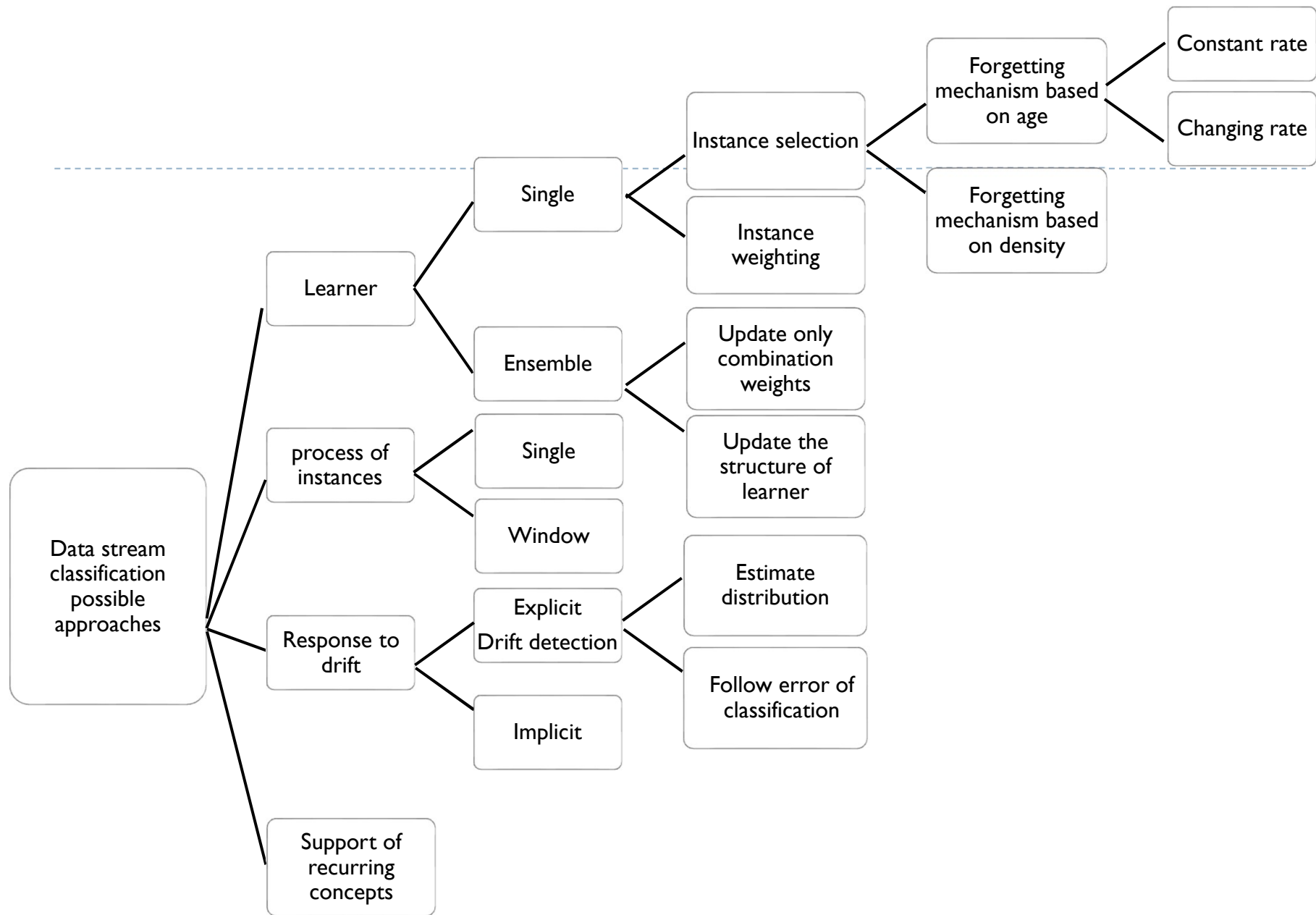
- Purpose: detect hot news topics for a party











ADWIN: ADaptive WINdowing

- ▶ Keep a sliding window with the most recent observations
- ▶ A drift is reported whenever two “large enough” subwindows of W exhibit “distinct enough” averages
 - ▶ The older portion of the window is dropped

ADWIN: ADAPTIVE WINDOWING ALGORITHM

```
1  Initialize Window  $W$ 
2  for each  $t > 0$ 
3      do  $W \leftarrow W \cup \{x_t\}$  (i.e., add  $x_t$  to the head of  $W$ )
4      repeat Drop elements from the tail of  $W$ 
5          until  $|\hat{\mu}_{W_0} - \hat{\mu}_{W_1}| \geq \epsilon_{cut}$  holds
6          for every split of  $W$  into  $W = W_0 \cdot W_1$ 
7      output  $\hat{\mu}_W$ 
```

ADWIN: ADaptive WINdowing

ADWIN: ADAPTIVE WINDOWING ALGORITHM

```
1  Initialize Window  $W$ 
2  for each  $t > 0$ 
3      do  $W \leftarrow W \cup \{x_t\}$  (i.e., add  $x_t$  to the head of  $W$ )
4      repeat Drop elements from the tail of  $W$ 
5          until  $|\hat{\mu}_{W_0} - \hat{\mu}_{W_1}| \geq \epsilon_{cut}$  holds
6          for every split of  $W$  into  $W = W_0 \cdot W_1$ 
7      output  $\hat{\mu}_W$ 
```

$$m = \frac{1}{1/n_0 + 1/n_1} \text{ (harmonic mean of } n_0 \text{ and } n_1)$$

$$\delta' = \frac{\delta}{n}, \text{ and } \epsilon_{cut} = \sqrt{\frac{1}{2m} \cdot \ln \frac{4}{\delta'}}.$$

ADWIN: ADaptive WINdowing

ADWIN: ADAPTIVE WINDOWING ALGORITHM

```
1  Initialize Window  $W$ 
2  for each  $t > 0$ 
3      do  $W \leftarrow W \cup \{x_t\}$  (i.e., add  $x_t$  to the head of  $W$ )
4      repeat Drop elements from the tail of  $W$ 
5          until  $|\hat{\mu}_{W_0} - \hat{\mu}_{W_1}| \geq \epsilon_{cut}$  holds
6          for every split of  $W$  into  $W = W_0 \cdot W_1$ 
7      output  $\hat{\mu}_W$ 
```

$$m = \frac{1}{1/n_0 + 1/n_1} \quad (\text{length of } W_0, \text{ length of } W_1, \text{ harmonic mean of } n_0 \text{ and } n_1)$$
$$\delta' = \frac{\delta}{n}, \text{ and } \epsilon_{cut} = \sqrt{\frac{1}{2m} \cdot \ln \frac{4}{\delta'}}.$$
$$n = n_0 + n_1$$

ADWIN for LDA

- ▶ The likelihood measures the generative quality of the model with respect to the observed data:

$$\mathcal{L}(\mathbf{w}) = \frac{\Gamma(\sum_i \alpha_i)}{\prod_i \Gamma(\alpha_i)} \int \left(\prod_{i=1}^k \theta_i^{\alpha_i - 1} \right) \left(\prod_{n=1}^N \sum_{i=1}^k \prod_{j=1}^V (\theta_i \beta_{ij})^{w_n^j} \right) d\theta$$

Given parameters of LDA

count of w_j in document n

Modeling recurring concepts

