

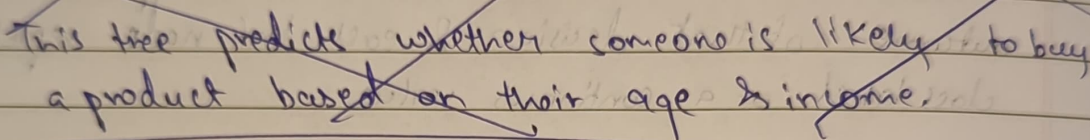
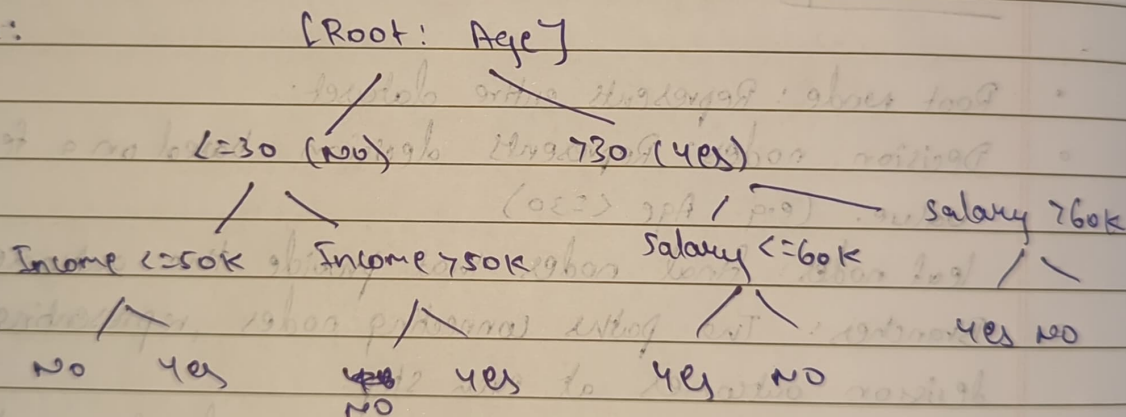
↳ Decision Tree!

- It is a supervised machine learning algorithm that is used for both classification & regression tasks. It models decisions and their consequences.
- The structure of decision tree is similar to flowchart where each internal node represents a 'decision' based on a feature or attribute, each branch represents the outcome of that decision & each leaf node represents a class label or a continuous value.

- Terminologies!

- Root node: Represents entire dataset.
- Decision nodes: Represents decision based on a feature's value. (e.g. Age ≤ 30)
- Leaf nodes: Final nodes that provide the outcome.
- Branches: The paths connecting nodes, representing the decision outcomes at each step.
- Features: Attributes used to make decisions at each node.
- Splitting criteria:
 - Information Gain
 - Gini Impurity
 - mean squared error (MSE)
 for classification
- Pruning: Process of removing branches to prevent overfitting.
- Depth: no. of levels in the tree.

- Diagram of Decision Trees

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- Root node asks a decision tree based on Age, & based on whether the condition holds ($\text{Age} \leq 30$ or > 30) the data is further split into diff. features like income & salary, eventually leading to the classification (yes/no) is made.

Classification tree:

- The goal is to predict a categorical outcome (like 'yes' or 'no', 'spam' or 'not spam')
- ex: Given a dataset of emails, predict whether an

email is spam or not spam based on features like the sender, subject & content

- splitting criteria \rightarrow uses Gini impurity & Information Gain to select best features for splitting.

Regression tree:

- Goal is to predict a continuous numerical outcome (value) like ~~no~~ house price, temp, etc.
- ex: Given a dataset of house prices, predict the price of a house based on features like square footage, no. of bedrooms, location, etc.
- splitting criteria \rightarrow uses Mean Squared Error (MSE)

Entropy:

- It is the measure of unpredictability or impurity in a dataset. It is used to quantify the uncertainty in the target variable.
- Entropy helps guide ~~the~~ quantifying the level of uncertainty in the data.

Formula :-
$$H(S) = - \sum_{i=1}^K p(C_i) \log_2 p(C_i)$$

Entropy of a Partition:

When building a Decision Tree, you split a dataset into subsets based on a feature. The entropy of a Partition refers to the entropy calculated for each subset resulting from the split.

↳ Creating a Decision Tree:

- i) Collect & Prepare Data
 - gather dataset that contains both input features & target variables.
- ii) Choose a splitting criterion:

It helps determine which feature to use for the split.

 - a) Info. gain (IG): It measures how well a feature separates the data based on entropy.
 - b) Gini Index: It measures the impurity of the dataset, with 0 being pure.
- iii) Calculate the best split:
 - Info. gain (IG): The feature with highest information gain is chosen for the split.
 - Gini Index: The feature with lowest Gini index is selected for the split.
- iv) Split the data into subsets.
- v) Stopping criteria:

Two recursion stops here.

↳ Random Forests:

- It is an ensemble learning technique that combines multiple decision trees to improve the performance of the model.

Commonly used for both classification & regression tasks.

- steps for Training data
 - Bootstrapping (create several subsets)
 - Building trees
 - voting
 - majority vote

- Adv:
 - Reduces overfitting
 - Handles missing data
 - Robust to noise
 - versatility.

- Disadv:
 - ~~expensive~~ computationally expensive
 - slower predictions

↳ Neural Networks

- Neural networks are class of machine learning models inspired by the way the human brain processes information.
- Neural networks are used for a variety of tasks such as classification, regression, & even deep learning for more complex applications.

i) Perceptrons

- It forms the foundation for more complex neural networks
- single layer neural network designed to classify data into two classes.

- Components?

- a) Input layer: consists of input features
- b) weights: each input is associated with a weight that signifies its importance.

c) Bias: A bias term is added to the weighted sum to allow the model to make predictions even when all inputs are zero.

d) Activation function: Determines the output (0 or 1)

- Algorithm - initialize weights

- compute output

- update weights

- Repeat

ii) Feed forward neural networks!

• more complex neural networks that consists of multiple layers of neurons (nodes). Unlike perceptron, FNN can learn non-linear relationships in data.

- Components:

a) Input layer: This layer receives the input features for the model.

b) Hidden layers: These layers perform transformations of the inputs, enabling the network to learn complex patterns.

c) output layer: Produces final output of the model, which can be used for classification & regression.

d) weights & biases: each connection betw. neurons has an associated weight & each neuron has a bias term.

- Forward Propagation: Data flows in one direction (from input layer to output layer)

steps:- Input

- weighted sum

- Activation

- Repeat

- output.

- Activation function:

- This function introduces non linearity, allowing neural networks to model more complex patterns.
- commonly used activation functions - sigmoid, Tanh, ReLU.

- Pros Adv:

- can handle both classification & regression problems.
- can model ~~non linear~~ complex relationships betw inputs & outputs.
- layered architecture.
- customizable.

- Disadv:

- overfitting (especially with small dataset)
- computationally expensive
- Require more data

iii) Backpropagation:

- Algorithm used to train neural networks by updating the weights & Biases based on the error betw predicted & actual output.

- Steps:

- i) Forward propagation: calculate the output using

current weights & biases

ii) calculate error: compute the error between predicted output & actual output

for classification \rightarrow cross entropy loss

for regression \rightarrow MSE

iii) Backward pass (compute gradients): use the chain rule of calculus to calculate the gradients of the error with respect to each weight in the network

iv) update weights & Biases: update the weights & Biases using algorithm like Gradient descent.

v) Repeat: Repeat the process for multiple epochs until the error converges to an acceptable level.

Adv:

- Efficient training
- Adaptability (works with a wide range of tasks)
- Scalable.

Disadv:

- vanishing gradients (gradients can become too small or too large, making training unstable)
- slow convergence: Takes a lot of time for training deep networks.
- overfitting risks.

\rightarrow why mapreduce:

The core idea is to use a divide & conquer strategy to achieve parallelization & distribution of work across a cluster of machines making it highly scalable & ~~tolerant~~ fault tolerant

Reasons - scalability

- parallel processing
- fault tolerance
- simplicity
- High throughput

→ word count example:

Given a large collection of documents, the goal is to count the frequency of each word in the entire dataset.

- Steps:

- i) Input: Collection of documents.
- ii) Map phase: - each mapper processes a portion of the input data.
 - for each word in the document the mapper emits a key-value pair.
- iii) Shuffle & Sort: The system sorts the key value pairs by key & groups them together.
- iv) Reduce phase: Reducer aggregates the values for each key.
- output: The final output is the count of each word in the entire collection of documents.

→ Matrix multiplication example:

Here, map reduce ~~is~~ can be very useful, especially for large matrices that can't fit into the memory of a single machine.

- Steps:

- i) Input: Two matrices A & B
A is divided into rows & B into columns.

- ii) Map phase: Each mapper processes a row from matrix A & a column from matrix B.
 For each pair of row from matrix A & column from B, the mapper computes the dot product for one element of the resulting matrix C.
- iii) Shuffle & sort: The system groups the key-value pairs by the position in the result matrix.
- iv) Reduce: reducers sum the values for each key to compute final value of each element in C.
- v) output: The final result is the matrix C.