

Functional programming

- Building Abstractions with Functions

- Programming language provides for combining simple ideas to form more complex ideas.
 - **primitive expressions**, which represent the simplest entities the language is concerned with
 - **means of combination**, by which compound elements are built from simpler ones
 - **means of abstraction**, by which compound elements can be named and manipulated as units
- We have, in every language, at least two kind of elements for this:
 - primitive functions and primitive data (in the final analysis they are same)
 - methods of combining and abstracting functions and data

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- Expressions

- A number is an expression
- (expression) is an expression
- Combination is a expression -> expression operator expression -> $127 + 234$;
- Combinations can be nested -> $(124 + 234) * 123$
- interpreter evaluates expressions in **read-eval-print-loop(REPL)**
- Expression evaluation always results in a value
- programming language provides for using names to refer to computation objects. Expression evaluation values can be given names -> `let result = (124 + 234) * 123`
- Interpreter must maintain pairs of name and value. The memory which keep track name-value pairs is called an *environment*

- Evaluating Operator combinations

- Evaluate the operand expressions
- Apply the function that is denoted by the operators to the arguments that value of the operands
 - Notice evaluation is inherently recursive in nature
 - the values of the numerals are the numbers they name
 - the values of the names are the objects associated with those names in the environment

- **Functions**

- compound operation can be given name and then referred to as a unit later
- Similar to operator combinations (In fact, both are same)

- **The substitution model of function application**

- to evaluate an application combination of the form :
 - function-expression (argument-expressions)
- do the following:
 - Evaluate the function expression of the application combination, resulting in the function to be applied
 - Evaluate the argument expressions of the combination
 - Apply the function to the arguments:
 - If the function is primitive, we simply apply the corresponding mathematical function to the argument
 - If the function is compound, we evaluate the return expression of the function with each parameter replaced by corresponding argument
 - This is called applicative order evaluation model
- There is an equivalent evaluation model called normal order
 - fully expand and reduce (would not evaluate operands until they are absolutely needed)