

# **MANAV RACHNA INTERNATIONAL INSTITUTE OF RESEARCH AND STUDIES**

## **MASTER OF TECHNOLOGY IN COMPUTER SCIENCE AND ENGINEERING & NETWORKING**



### **ADVANCED ALGORITHM LAB FILE**

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## INDEX

[illegible]

## **Practical-1a**

Program Implement BFS procedures to search a node in a graph.

### **Source Code**

```
# Initialising a graph
graph = {
    'A' : ['B','C'],
    'B' : ['D', 'E'],
    'C' : ['F'],
    'D' : [],
    'E' : ['F'],
    'F' : []
}

#creating 2 empty array for keeping track of visited nodes of graph and the queue for the sequence of access
visited = []
queue = []

def bfs(visited, graph, node, elementToSearch):
    visited.append(node) #when a node is visited , it is added to visited array
    queue.append(node) #node added to queue
    flag=0 #setting up flag variable to tell when the element is found

    while queue:
        s = queue.pop(0) #getting first element of queue
        print (s, end = " ")
        if s==elementToSearch:
            print ('element found')
            flag=1
            break
        else: #if neighbours of the element not visited then it is added to the queue

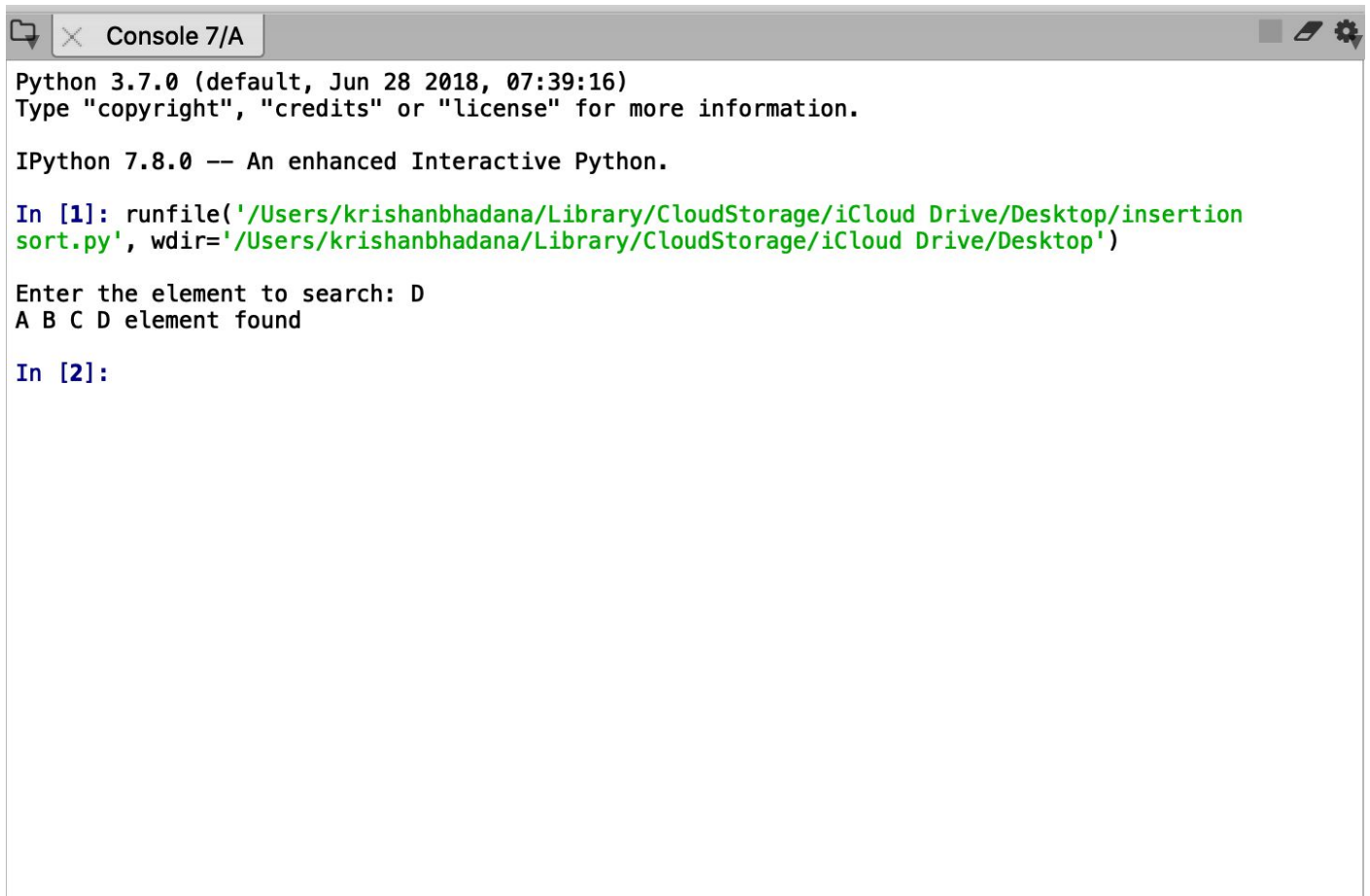
            for neighbour in graph[s]:
                if neighbour not in visited:
                    visited.append(neighbour)
                    queue.append(neighbour)
    if flag==0:
        print ('not found')

elementToSearch= input ("Enter the element to search: ")
bfs(visited, graph, 'A',elementToSearch)
```

### **Complexity**

$O(V + E)$

## Output



```
Python 3.7.0 (default, Jun 28 2018, 07:39:16)
Type "copyright", "credits" or "license" for more information.

IPython 7.8.0 -- An enhanced Interactive Python.

In [1]: runfile('/Users/krishanbhadana/Library/CloudStorage/iCloud Drive/Desktop/insertion
sort.py', wdir='/Users/krishanbhadana/Library/CloudStorage/iCloud Drive/Desktop')

Enter the element to search: D
A B C D element found

In [2]:
```

## **Practical-1b**

Program Implement DFS procedures to search a node in a graph.

### **Source Code**

```
import sys
graph = {
    'A' : ['B','C'],
    'B' : ['D', 'E'],
    'C' : ['F'],
    'D' : [],
    'E' : ['F'],
    'F' : []
}

#creating 2 empty array for keeping track of visited nodes of graph and the queue for the sequence of access

visited = [] #when a node is visited , it is added to visited array
flag=0      #setting up flag variable to tell when the element is found

def dfs(visited, graph, node,elementToSearch):

    if node not in visited:
        print (node)
        if node==elementToSearch:
            print ('element found')
            h= input ("Enter 1 to exit")
            sys.exit()

        else:
            #if neighbours of the element not visited then it is added to the stack
            visited.append(node)
            for neighbour in graph[node]:
                dfs(visited, graph, neighbour,elementToSearch)
                dfs(visited, graph, 'A',elementToSearch)

    elementToSearch= input ("Enter the element to search: ")
    dfs(visited, graph, 'A',elementToSearch)
    print ('element not found')
```

### **Complexity**

$O(V + E)$

## Output

```
IPython 7.8.0 -- An enhanced Interactive Python.
```

```
In [1]: runfile('/Volumes/Krishan Data/Drive/My/Studies/M.tech/2nd  
SEM/AAL/LAB/1b dfs.py', wdir='/Volumes/Krishan Data/Drive/My/  
Studies/M.tech/2nd SEM/AAL/LAB')
```

```
Enter the element to search: E
```

```
A
```

```
B
```

```
D
```

```
E
```

```
element found
```

```
Enter 1 to exit|
```

## **Practical-2**

Program to Implement Insertion sort in Python. This program can sort a given list of integer elements

### **Source Code**

```
def insertionsort(mylist): #function definition

    for i in range(1,len(mylist)):

        a=mylist[i]

        b=i-1

        while b>0 and a<mylist[b]:

            mylist[b+1]=mylist[b]

            b -= 1

        mylist[b+1]=a

mylist = [1,2,3,4,8,5,6]

insertionsort(mylist)

for i in range (len(mylist)): #to print the final list

    print(mylist[i])
```

### **Complexity**

$O(n^2)$

## Output

---

```
Python 3.7.0 (default, Jun 28 2018, 07:39:16)  
Type "copyright", "credits" or "license" for more information.
```

```
IPython 7.8.0 -- An enhanced Interactive Python.
```

```
In [1]: runfile('/Users/krishanbhadana/Library/CloudStorage/iCloud Drive/Desktop/insertion  
sort.py', wdir='/Users/krishanbhadana/Library/CloudStorage/iCloud Drive/Desktop')
```

```
1  
2  
3  
4  
5  
6  
8
```

```
In [2]:
```



## **Practical-3**

Program Implement heap sort in Python.

### **Source Code**

```
def heapify(arr, n, i):  
    largest = i # Initialize largest as root  
    l = 2 * i + 1    # left = 2*i + 1  
    r = 2 * i + 2    # right = 2*i + 2  
  
    # See if left child of root exists and is  
    # greater than root  
    if l < n and arr[i] < arr[l]:  
        largest = l  
  
    # See if right child of root exists and is  
    # greater than root  
    if r < n and arr[largest] < arr[r]:  
        largest = r  
  
    # Change root, if needed  
    if largest != i:  
        arr[i],arr[largest] = arr[largest],arr[i] # swap  
  
        # Heapify the root.  
        heapify(arr, n, largest)  
  
# The main function to sort an array of given size  
def heapSort(arr):
```

```

n = len(arr)

# Build a maxheap.
for i in range(n, -1, -1):
    heapify(arr, n, i)

# One by one extract elements
for i in range(n-1, 0, -1):
    arr[i], arr[0] = arr[0], arr[i] # swap
    heapify(arr, i, 0)

# Driver code to test above
arr = [ 12, 11, 13, 5, 6, 7]
heapSort(arr)
n = len(arr)
print ("Sorted array is")
for i in range(n):
    print ("%d" %arr[i]),

```

### **Complexity**

$O(n \log n)$

## Output

```
In [2]: runfile('/Users/krishanbhadana/.spyder-py3/temp.py', wdir='/Users/krishanbhadana/.spyder-py3')
```

```
Sorted array is
```

```
5
```

```
6
```

```
7
```

```
11
```

```
12
```

```
13
```

```
In [3]:
```

---

## **Practical-4a**

Program to Implement PRIM's minimum spanning tree algorithm in Python.

### **Source Code**

```
import sys # Library for INT_MAX
```

```
class Graph():
```

```
    def __init__(self, vertices):
```

```
        self.V = vertices
```

```
        self.graph = [[0 for column in range(vertices)]
```

```
                      for row in range(vertices)]
```

```
# A utility function to print the constructed MST stored in parent[]
```

```
def printMST(self, parent):
```

```
    print ("Edge \tWeight")
```

```
    for i in range(1, self.V):
```

```
        print (parent[i], "-", i, "\t", self.graph[i][ parent[i] ])
```

```
# A utility function to find the vertex with
```

```
# minimum distance value, from the set of vertices
```

```
# not yet included in shortest path tree
```

```
def minKey(self, key, mstSet):
```

```
    # Initilaize min value
```

```
    min = int(sys.maxsize)
```

```
    for v in range(self.V):
```

```
if key[v] < min and mstSet[v] == False:
```

```
    min = key[v]
```

```
    min_index = v
```

```
return min_index
```

```
# Function to construct and print MST for a graph
```

```
# represented using adjacency matrix representation
```

```
def primMST(self):
```

```
    # Key values used to pick minimum weight edge in cut
```

```
    key = [int(sys.maxsize)] * self.V
```

```
    parent = [None] * self.V # Array to store constructed MST
```

```
    # Make key 0 so that this vertex is picked as first vertex
```

```
    key[0] = 0
```

```
    mstSet = [False] * self.V
```

```
    parent[0] = -1 # First node is always the root of
```

```
    for cout in range(self.V):
```

```
        # Pick the minimum distance vertex from
```

```
        # the set of vertices not yet processed.
```

```
        # u is always equal to src in first iteration
```

```
        u = self.minKey(key, mstSet)
```

```
        # Put the minimum distance vertex in
```

```
        # the shortest path tree
```

```
        mstSet[u] = True
```

```

# Update dist value of the adjacent vertices
# of the picked vertex only if the current
# distance is greater than new distance and
# the vertex is not in the shortest path tree
for v in range(self.V):
    # graph[u][v] is non zero only for adjacent vertices of u
    # mstSet[v] is false for vertices not yet included in MST
    # Update the key only if graph[u][v] is smaller than key[v]
    if self.graph[u][v] > 0 and mstSet[v] == False and key[v] > self.graph[u][v]:
        key[v] = self.graph[u][v]
        parent[v] = u

self.printMST(parent)

```

```

g = Graph(5)
g.graph = [ [0, 2, 0, 6, 0],
            [2, 0, 3, 8, 5],
            [0, 3, 0, 0, 7],
            [6, 8, 0, 0, 9],
            [0, 5, 7, 9, 0]]

```

```

g.primMST();

```

### **Complexity**

$O((V + E) \log V)$

## Output

```
In [4]: runfile('/Volumes/Krishan Data/Drive/My/Studies/M.1  
Krishan Data/Drive/My/Studies/M.tech/2nd SEM/AAL/LAB')
```

Edge	Weight
------	--------

0 - 1	2
-------	---

1 - 2	3
-------	---

0 - 3	6
-------	---

1 - 4	5
-------	---

```
In [5]:
```

## Practical-4b

Program to Implement Kruskal's minimum spanning tree algorithm in Python.

### Source Code

```
class Graph:
    def __init__(self, vertices):
        self.V = vertices
        self.graph = []
    def addEdge(self, u, v, w):
        self.graph.append([u, v, w])
    def find(self, parent, i):
        if parent[i] == i:
            return i
        return self.find(parent, parent[i])
    def union(self, parent, rank, x, y):
        xroot = self.find(parent, x)
        yroot = self.find(parent, y)
        if rank[xroot] < rank[yroot]:
            parent[xroot] = yroot
        elif rank[xroot] > rank[yroot]:
            parent[yroot] = xroot
        else :
            parent[yroot] = xroot
            rank[xroot] += 1
    def KruskalMST(self):

        result = []
        i = 0
        e = 0
        self.graph = sorted(self.graph, key=lambda item: item[2])
        parent = [] ; rank = []
        for node in range(self.V):
            parent.append(node)
            rank.append(0)
        while e < self.V - 1 :
            u, v, w = self.graph[i]
            i = i + 1
            x = self.find(parent, u)
            y = self.find(parent, v)
            if x != y:
                e = e + 1
                result.append([u, v, w])
                self.union(parent, rank, x, y)
        print ("Following are the edges in the constructed MST")
        for u, v, weight in result:
            print ("%d -- %d == %d" % (u, v, weight))
```



```
g = Graph(4)
g.addEdge(0, 1, 10)
g.addEdge(0, 2, 6)
g.addEdge(0, 3, 5)
g.addEdge(1, 3, 15)
g.addEdge(2, 3, 4)
```

```
g.KruskalMST()
```

### **Complexity**

$O(E \log V)$

## Output

```
In [4]: runfile('C:/Users/Uttam Raj/.spyder-py3/spanni  
Raj/.spyder-py3')
```

Following are the edges in the constructed MST

2 -- 3 == 4

0 -- 3 == 5

0 -- 1 == 10

## Practical-5a

Program to Implement Edmond Karps algorithm in Python.

### Source Code

```
def max_flow(C, s, t):
    n = len(C) # C is the capacity matrix
    F = [[0] * n for i in range(n)]
    path = bfs(C, F, s, t)
    # print path
    while path != None:
        flow = min(C[u][v] - F[u][v] for u,v in path)
        for u,v in path:
            F[u][v] += flow
            F[v][u] -= flow
        path = bfs(C, F, s, t)
    return sum(F[s][i] for i in range(n))

#find path by using BFS
def bfs(C, F, s, t):
    queue = [s]
    paths = {s:[]}
    if s == t:
        return paths[s]
    while queue:
        u = queue.pop(0)
        for v in range(len(C)):
            if (C[u][v]-F[u][v]>0) and v not in paths:
                paths[v] = paths[u]+[(u,v)]
                print (paths)
                if v == t:
                    return paths[v]
                queue.append(v)
    return None

# make a capacity graph
# node s o p q r t
C = [[ 0, 3, 3, 0, 0, 0 ], # s
      [ 0, 0, 2, 3, 0, 0 ], # o
      [ 0, 0, 0, 0, 2, 0 ], # p
      [ 0, 0, 0, 0, 4, 2 ], # q
      [ 0, 0, 0, 0, 0, 2 ], # r
      [ 0, 0, 0, 0, 0, 3 ]] # t

source = 0 # A
sink = 5   # F
```

```
max_flow_value = max_flow(C, source, sink)
print ("Edmonds-Karp algorithm")
print ("max_flow_value is: ", max_flow_value)
```

### **Complexity**

$O(VE^2)$

## Output

```
2110 def/REL/END /
{0: [], 1: [(0, 1)]}
{0: [], 1: [(0, 1)], 2: [(0, 2)]}
{0: [], 1: [(0, 1)], 2: [(0, 2)], 3: [(0, 1), (1, 3)]}
{0: [], 1: [(0, 1)], 2: [(0, 2)], 3: [(0, 1), (1, 3)], 4: [(0, 2), (2, 4)]}
{0: [], 1: [(0, 1)], 2: [(0, 2)], 3: [(0, 1), (1, 3)], 4: [(0, 2), (2, 4)], 5:
[(0, 1), (1, 3), (3, 5)]}
{0: [], 1: [(0, 1)]}
{0: [], 1: [(0, 1)], 2: [(0, 2)]}
{0: [], 1: [(0, 1)], 2: [(0, 2)], 3: [(0, 1), (1, 3)]}
{0: [], 1: [(0, 1)], 2: [(0, 2)], 3: [(0, 1), (1, 3)], 4: [(0, 2), (2, 4)]}
{0: [], 1: [(0, 1)], 2: [(0, 2)], 3: [(0, 1), (1, 3)], 4: [(0, 2), (2, 4)], 5:
[(0, 2), (2, 4), (4, 5)]}
{0: [], 1: [(0, 1)]}
{0: [], 1: [(0, 1)], 2: [(0, 2)]}
{0: [], 1: [(0, 1)], 2: [(0, 2)], 3: [(0, 1), (1, 3)]}
{0: [], 1: [(0, 1)], 2: [(0, 2)], 3: [(0, 1), (1, 3)], 4: [(0, 1), (1, 3), (3,
4)]}
Edmonds-Karp algorithm
max_flow_value is: 4
```

In [11]:

## **Practical-5b**

Program to Implement **Ford-Fulkerson** algorithm in Python.

### **Source Code**

#Python program for implementation of Ford Fulkerson algorithm

from collections import defaultdict

#This class represents a directed graph using adjacency matrix representation

class Graph:

def \_\_init\_\_(self,graph):

self.graph = graph # residual graph

self. ROW = len(graph)

#self.COL = len(gr[0])

"""Returns true if there is a path from source 's' to sink 't' in  
residual graph. Also fills parent[] to store the path """

def BFS(self,s, t, parent):

# Mark all the vertices as not visited

visited =[False]\*(self.ROW)

# Create a queue for BFS

queue=[]

# Mark the source node as visited and enqueue it

```
queue.append(s)
```

```
visited[s] = True
```

```
# Standard BFS Loop
```

```
while queue:
```

```
    #Dequeue a vertex from queue and print it
```

```
    u = queue.pop(0)
```

```
    # Get all adjacent vertices of the dequeued vertex u
```

```
    # If a adjacent has not been visited, then mark it
```

```
    # visited and enqueue it
```

```
    for ind, val in enumerate(self.graph[u]):
```

```
        if visited[ind] == False and val > 0 :
```

```
            queue.append(ind)
```

```
            visited[ind] = True
```

```
            parent[ind] = u
```

```
# If we reached sink in BFS starting from source, then return
```

```
# true, else false
```

```
return True if visited[t] else False
```

```
# Returns the maximum flow from s to t in the given graph
```

```
def FordFulkerson(self, source, sink):
```

```
    # This array is filled by BFS and to store path
```

```
    parent = [-1]*(self.ROW)
```

```
    max_flow = 0 # There is no flow initially
```

```
# Augment the flow while there is path from source to sink
```

```
while self.BFS(source, sink, parent) :
```

```
    # Find minimum residual capacity of the edges along the
```

```
    # path filled by BFS. Or we can say find the maximum flow
```

```
    # through the path found.
```

```
    path_flow = float("Inf")
```

```
    s = sink
```

```
    while(s != source):
```

```
        path_flow = min (path_flow, self.graph[parent[s]][s])
```

```
        s = parent[s]
```

```
    # Add path flow to overall flow
```

```
    max_flow += path_flow
```

```
    # update residual capacities of the edges and reverse edges
```

```
    # along the path
```

```
    v = sink
```

```
    while(v != source):
```

```
        u = parent[v]
```

```
        self.graph[u][v] -= path_flow
```

```
        self.graph[v][u] += path_flow
```

```
        v = parent[v]
```

```
    return max_flow
```

```
# Create a graph given in the above diagram
```



```
graph = [[0, 16, 13, 0, 0, 0],  
         [0, 0, 10, 12, 0, 0],  
         [0, 4, 0, 0, 14, 0],  
         [0, 0, 9, 0, 0, 20],  
         [0, 0, 0, 7, 0, 4],  
         [0, 0, 0, 0, 0, 0]]
```

```
g = Graph(graph)
```

```
source = 0; sink = 5
```

```
print ("The maximum possible flow is %d " % g.FordFulkerson(source, sink))
```

### **Complexity**

$O(F \cdot E)$ ,  $F$  is the maximum flow

## Output

```
In [5]: runfile('/Volumes/Krishan Data/Drive/My/Studies/M.t  
Krishan Data/Drive/My/Studies/M.tech/2nd SEM/AAL/LAB')
```

```
The maximum possible flow is 23
```

```
In [6]:
```

## Practical-6

Program to Calculate inverse of a triangular matrix. Take input of 3X3 triangular matrix and calculate its inverse

```
#!/usr/bin/env python3
# -*- coding: utf-8 -*-
"""
```

Created on Tue Mar 31 21:28:37 2020

```
@author: krishanbhadana
"""
```

```
def entermatrix(size):
    T=[[0 for w in range(size)] for t in range(size)]
    for i in range(size):
        for j in range(size):
            T[i][j]=int(input("Enter "+str(i)+" row and "+str(j)+" column "))
    return T
```

```
def caluppertriangularmatrix(T):
    if (T[1][0]==0 & T[2][0]==0 & T[2][1]==0):
        return(1)
    else:
        return(0)
```

```
def callowertriangularmatrix(T):
    if (T[0][2]==0 & T[0][1]==0 & T[1][2]==0):
        return(1)
    else:
        return(0)
```

```
def inverse(X):
    I=X
    uppert=caluppertriangularmatrix(I)
    lowert=callowertriangularmatrix(I)
    if(uppert==1 & lowert==1):
        return(X)
    elif(uppert==0 & lowert==0):
        print("Inverse cannot be calculated using this method")
    elif(uppert==1 & lowert==0):
        I[0][1]=0-X[0][1]
        I[1][2]=0-X[1][2]
        I[0][2]=0-X[0][2]-(X[0][1]*I[1][2])
        I[0][0]=1/X[0][0]
        I[1][1]=1/X[1][1]
        I[2][2]=1/X[2][2]
        I[1][0]=0
        I[2][0]=0
```

```
    I[2][1]=0
elif(uppert==0 & lowert==1):
    I[1][0]=0-X[1][0]
    I[2][0]=0-X[2][0]-(X[2][1]*I[1][0])
    I[2][1]=0-X[2][1]
    I[0][0]=1/X[0][0]
    I[1][1]=1/X[1][1]
    I[2][2]=1/X[2][2]
    I[0][2]=0
    I[0][1]=0
    I[1][2]=0
return(I)
```

```
print("\nEnter a 3X3 matrix")
X=entermatrix(3)
Y=inverse(X)
print("Inverse of the matrix is",Y)
```

## OUTPUT

Enter a 3X3 matrix

Enter 0 row and 0 column 1

Enter 0 row and 1 column 3

Enter 0 row and 2 column 5

Enter 1 row and 0 column 0

Enter 1 row and 1 column 1

Enter 1 row and 2 column 6

Enter 2 row and 0 column 0

Enter 2 row and 1 column 0

Enter 2 row and 2 column 1

Inverse of the matrix is  $\begin{bmatrix} 1 & 3 & 5 \\ 0 & 1 & 6 \\ 0 & 0 & 1 \end{bmatrix}$

## **Practical-7**

Program to Calculate GCD(greatest common divisor) in Python.

```
#!/usr/bin/env python3
# -*- coding: utf-8 -*-
"""
```

Created on Thu May 28 16:20:30 2020

```
@author: krishanbhadana
"""
```

```
def GCD(x,y):
    if(y==0):
        return (x)
    else:
        return (GCD(y,x%y))
x=int(input("Program to calculate GCD\nEnter 1st number"))
y=int(input("Enter 2nd number"))
result=GCD(x,y)
print("GCD is ",result)
```

## OUTPUT

```
In [9]: runfile('/Volumes/Krishan Data/Drive/My/Studies/M.tech/2nd SEM/AAL/LAB/7) GCD.py',  
wdir='/Volumes/Krishan Data/Drive/My/Studies/M.tech/2nd SEM/AAL/LAB')
```

```
Program to calculate GCD
```

```
Enter 1st number493
```

```
Enter 2nd number899
```

```
GCD is 29
```

```
In [10]:
```

---

## Practical-8

Program to implement floyd-warshall algorithm in Python.

```
#!/usr/bin/env python3
# -*- coding: utf-8 -*-
"""
```

Created on Thu May 28 16:56:20 2020

```
@author: krishanbhadana
"""
```

```
class Graph:
    def __init__(self):
        # dictionary containing keys that map to the corresponding vertex object
        self.vertices = {}

    def add_vertex(self, key):
        """Add a vertex with the given key to the graph."""
        vertex = Vertex(key)
        self.vertices[key] = vertex

    def get_vertex(self, key):
        """Return vertex object with the corresponding key."""
        return self.vertices[key]

    def __contains__(self, key):
        return key in self.vertices

    def add_edge(self, src_key, dest_key, weight=1):
        """Add edge from src_key to dest_key with given weight."""
        self.vertices[src_key].add_neighbour(self.vertices[dest_key], weight)

    def does_edge_exist(self, src_key, dest_key):
        """Return True if there is an edge from src_key to dest_key."""
        return self.vertices[src_key].does_it_point_to(self.vertices[dest_key])

    def __len__(self):
        return len(self.vertices)

    def __iter__(self):
        return iter(self.vertices.values())
```

```
class Vertex:
    def __init__(self, key):
        self.key = key
        self.points_to = {}
```



```

def get_key(self):
    """Return key corresponding to this vertex object."""
    return self.key

def add_neighbour(self, dest, weight):
    """Make this vertex point to dest with given edge weight."""
    self.points_to[dest] = weight

def get_neighbours(self):
    """Return all vertices pointed to by this vertex."""
    return self.points_to.keys()

def get_weight(self, dest):
    """Get weight of edge from this vertex to dest."""
    return self.points_to[dest]

def does_it_point_to(self, dest):
    """Return True if this vertex points to dest."""
    return dest in self.points_to

def floyd_warshall(g):
    """Return dictionaries distance and next_v.

    distance[u][v] is the shortest distance from vertex u to v.
    next_v[u][v] is the next vertex after vertex v in the shortest path from u
    to v. It is None if there is no path between them. next_v[u][u] should be
    None for all u.

    g is a Graph object which can have negative edge weights.
    """
    distance = {v:dict.fromkeys(g, float('inf')) for v in g}
    next_v = {v:dict.fromkeys(g, None) for v in g}

    for v in g:
        for n in v.get_neighbours():
            distance[v][n] = v.get_weight(n)
            next_v[v][n] = n

    for v in g:
        distance[v][v] = 0
        next_v[v][v] = None

    for p in g:
        for v in g:
            for w in g:
                if distance[v][w] > distance[v][p] + distance[p][w]:
                    distance[v][w] = distance[v][p] + distance[p][w]
                    next_v[v][w] = next_v[v][p]

    return distance, next_v

```

```
def print_path(next_v, u, v):
    """Print shortest path from vertex u to v.
```

next\_v is a dictionary where next\_v[u][v] is the next vertex after vertex u in the shortest path from u to v. It is None if there is no path between them. next\_v[u][u] should be None for all u.

u and v are Vertex objects.  
 """

```
p = u
while (next_v[p][v]):
    print('{} -> '.format(p.get_key()), end="")
    p = next_v[p][v]
print('{} '.format(v.get_key()), end="")
```

```
g = Graph()
print('Menu')
print('add vertex <key>')
print('add edge <src> <dest> <weight>')
print('floyd-warshall')
print('display')
print('quit')
```

```
while True:
    do = input("What would you like to do? ").split()

    operation = do[0]
    if operation == 'add':
        suboperation = do[1]
        if suboperation == 'vertex':
            key = int(do[2])
            if key not in g:
                g.add_vertex(key)
            else:
                print('Vertex already exists.')
        elif suboperation == 'edge':
            src = int(do[2])
            dest = int(do[3])
            weight = int(do[4])
            if src not in g:
                print('Vertex {} does not exist.'.format(src))
            elif dest not in g:
                print('Vertex {} does not exist.'.format(dest))
            else:
                if not g.does_edge_exist(src, dest):
                    g.add_edge(src, dest, weight)
                else:
                    print('Edge already exists.')
```

```

elif operation == 'floyd-warshall':
    distance, next_v = floyd_warshall(g)
    print('Shortest distances:')
    for start in g:
        for end in g:
            if next_v[start][end]:
                print('From {} to {}: '.format(start.get_key(),
                                                  end.get_key()),
                      end = ")
                print_path(next_v, start, end)
                print('(distance {})'.format(distance[start][end]))

elif operation == 'display':
    print('Vertices: ', end="")
    for v in g:
        print(v.get_key(), end=' ')
    print()

    print('Edges: ')
    for v in g:
        for dest in v.get_neighbours():
            w = v.get_weight(dest)
            print('(src={}, dest={}, weight={}) '.format(v.get_key(),
                                                          dest.get_key(), w))

    print()

elif operation == 'quit':
    break

```

**COMPLEXITY**  
 $O(n^3)$

## Output

```
In [12]: runfile('/Volumes/Krishan Data/Drive/My/Studies/M.tech/2nd SEM/AAL/LAB/8) Floyd  
warshal.py', wdir='/Volumes/Krishan Data/Drive/My/Studies/M.tech/2nd SEM/AAL/LAB')
```

Menu

add vertex <key>

add edge <src> <dest> <weight>

floyd-warshall

display

quit

What would you like to do? add vertex 5

What would you like to do? add vertex 1

What would you like to do? add edge 5 1 15

What would you like to do? floyd-warshall

Shortest distances:

From 5 to 1: 5 -> 1 (distance 15)

What would you like to do?

s: **RW**    End-of-lines: **LF**    Encoding: **UTF-8**    Line: **143**    Column: **18**    Memory: **73 %**