

Binary Search Tree :-

$$\Rightarrow \max(\text{root.left}) < \text{root} \\ \Rightarrow \min(\text{root.right}) > \text{root}$$

data = 10

T.C = height of the tree.

Node add BST (root, data) {

 if (root == null) return new Node(data);

 if (root.val > data) {

 root.left = add BST (root.left, data);

 } else if (root.val < data) {

 root.right = add BST (root.right, data);

 }

 return root;

}

Node removal BST (n, data) {

 if (n.val > data) {

 n.left = removal BST (n.left, data);

 } else if (n.val < data) {

 n.right = removal BST (n.right, data);

 } else {

 if (is leaf (n)) {

 return null;

 } else if (n.left == null && n.right == null) {

 set n.left;

 } else if (n.right == null && n.left == null) {

 set n.right;

 } else {

 int max = get Max (n.left);

 n.val = max;

 n.left = removal

 }

 }

 return n;

}

Balanced Tree :-

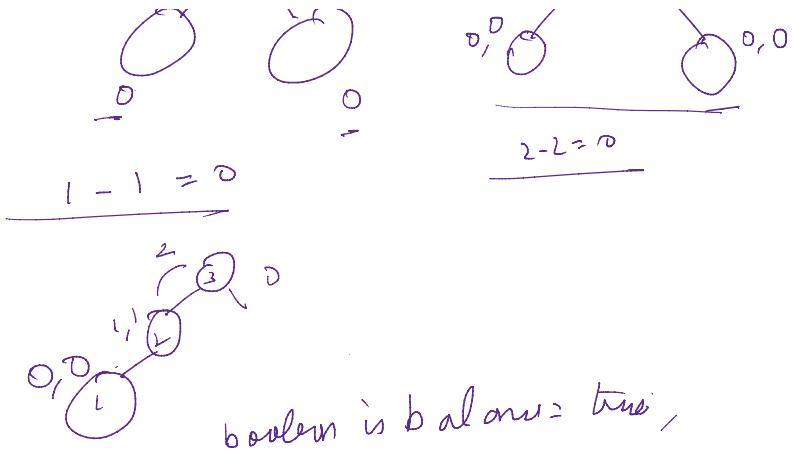
bal. factor = L.h - R.h

-1 ≤ bf ≤ 1

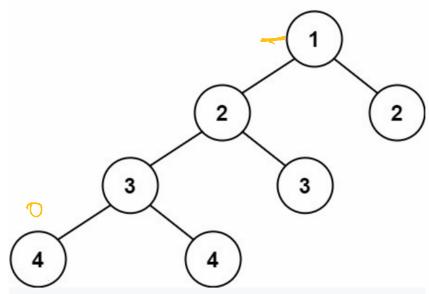
Diagram of a balanced binary search tree:

Diagram of an unbalanced binary search tree:

$$\begin{array}{c} \xrightarrow{\text{un}} \\ -1 \leq \text{bf} \leq 1 \\ \underline{-1, 0, 1} \end{array}$$

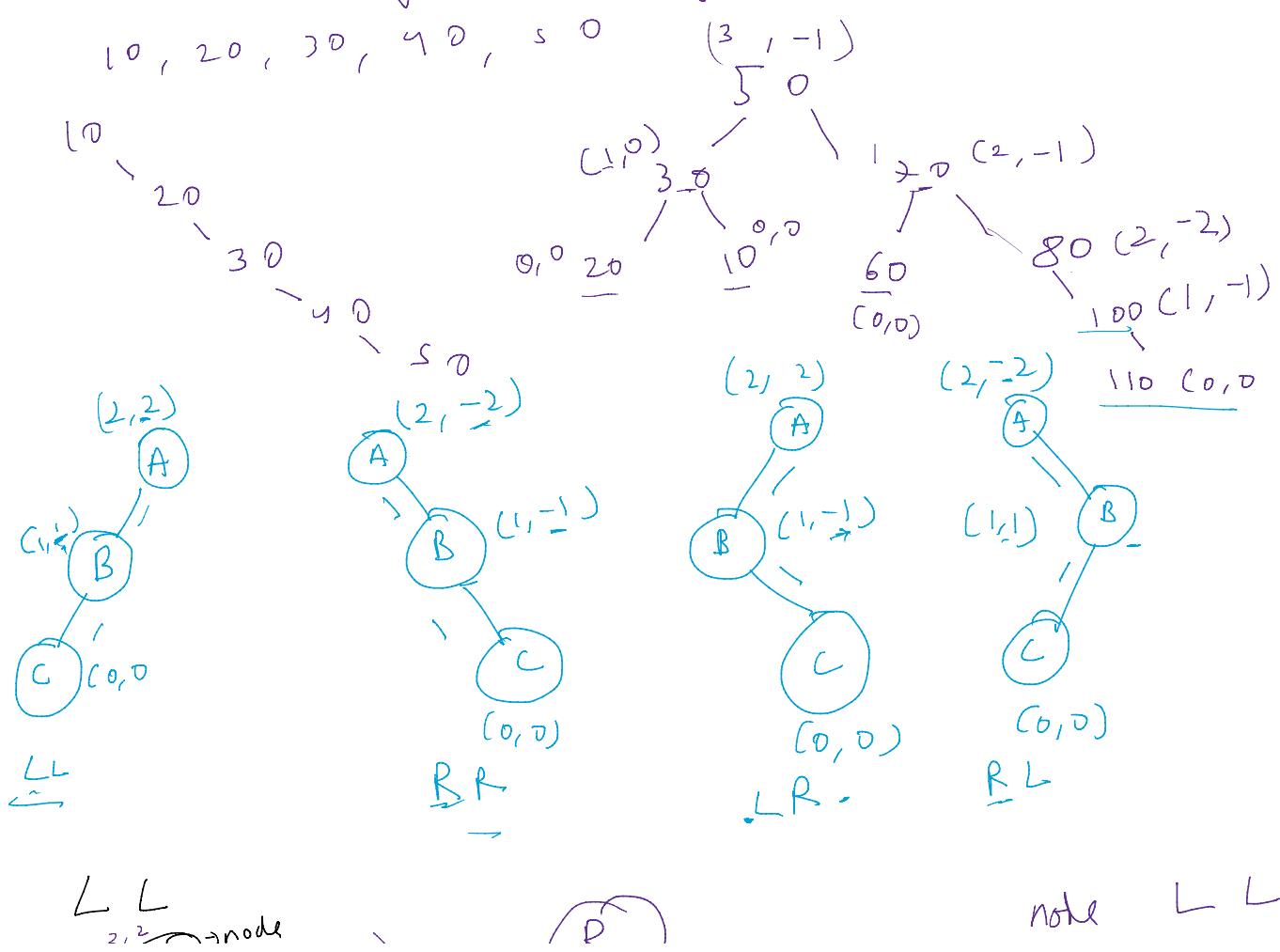


boolean isBalanced = true;

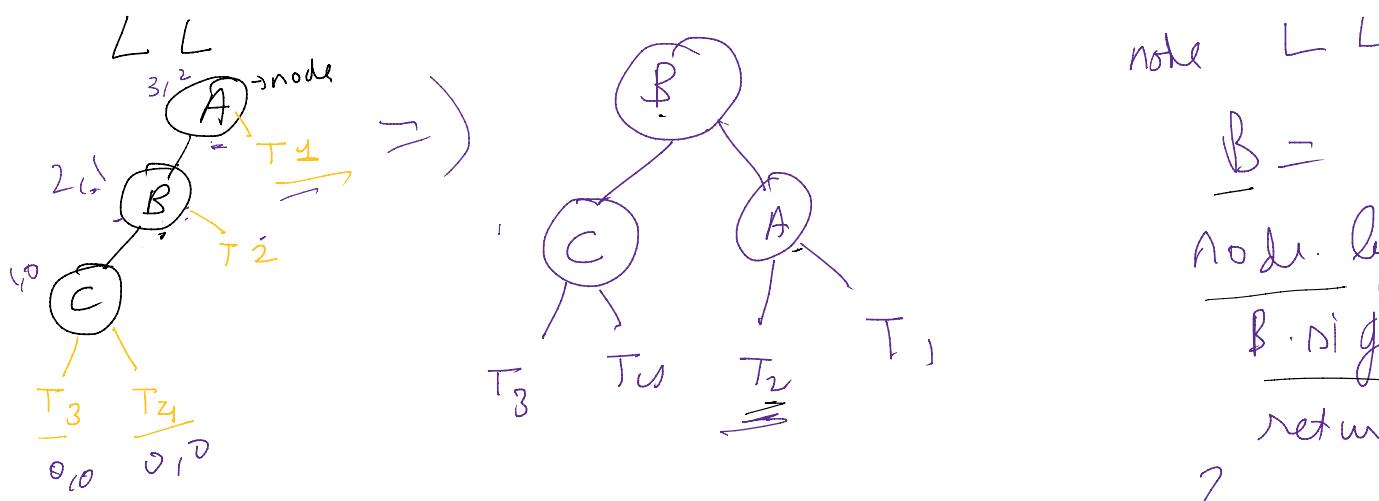


```
int bal (root) {
    if (root == null) return -1;
    l = bal (root.left);
    r = bal (root.right);
    bf = Math.abs (l-r);
    if (bf > 1) isBalanced = false;
    return max (l, r) + 1;
}
```

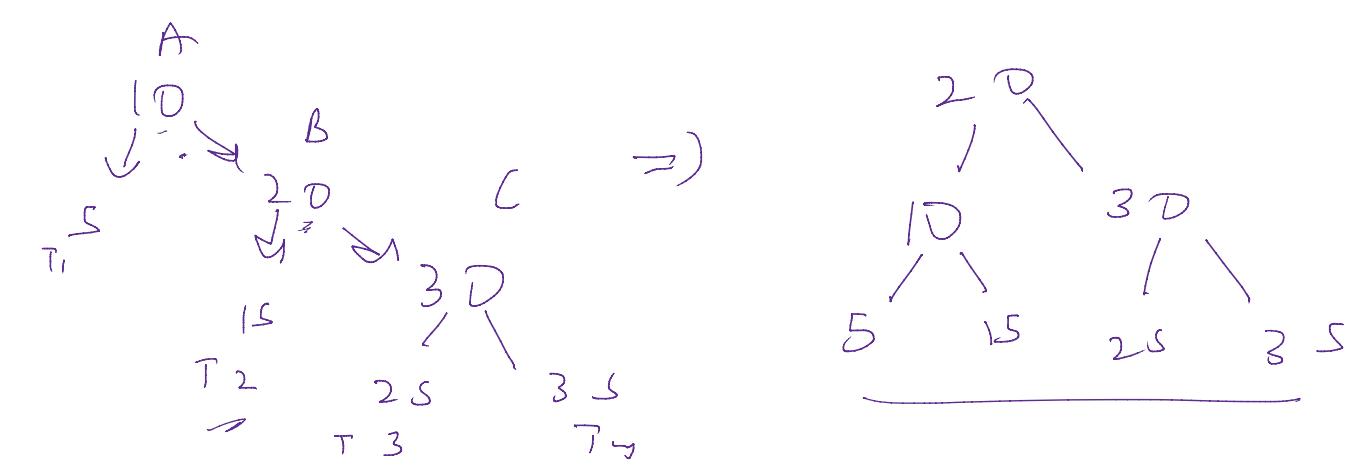
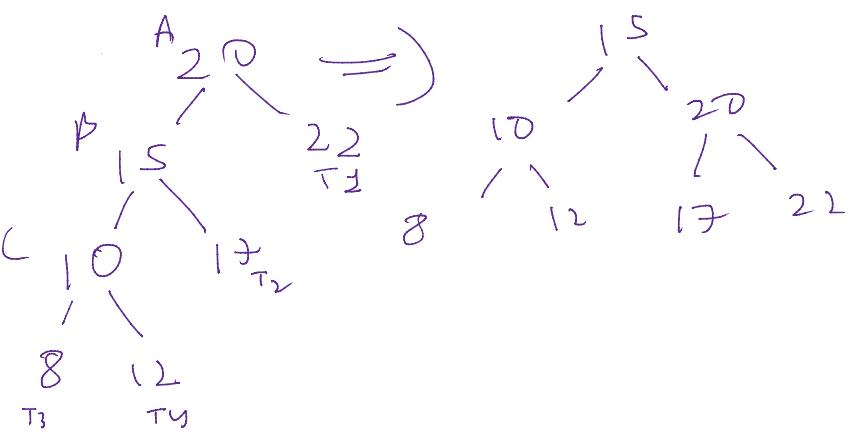
AVL Tree (Self-Balancing tree):



λ) {
~.~}



$\underline{B} = \text{node}$
 $\underline{\text{node}. \text{left}} = \underline{B}$
 $\underline{B. \text{right}} = \underline{r}$
 $\text{return } B;$
 \Rightarrow



$x \rightarrow$

left

right

node

```
node RF(node) {
```

```
    B = node.right;
```

```
    node.right = B.left;
```

```
    B.left = node;
```

```
    return B;
```

```
}
```

