Machine Learning Nanodegree

Capstone Project

Importing Libraries

```
import pandas as pd
import numpy as np
%matplotlib inline
import matplotlib.pyplot as plt
import matplotlib
from sklearn.preprocessing import MinMaxScaler
from sklearn.ensemble import RandomForestRegressor
from matplotlib.pyplot import figure
import seaborn as sns
from sklearn.model selection import GridSearchCV
from sklearn.model selection import TimeSeriesSplit
from sklearn.metrics import mean squared error, r2 score
import matplotlib.dates as mdates
from sklearn import linear model
from sklearn.model selection import TimeSeriesSplit
from sklearn.svm import SVR
```

▼ About Data

Data for this study is collected from **November 18th 2011** to **January 1st 2019** from various sources. The data has **1718** rows in total and **80** columns in total. Data for attributes, such as Oil Price, Standard and Poor's (S&P) 500 index, Dow Jones Index US Bond rates (10 years), Euro USD exchange rates, prices of precious metals Silver and Platinum and other metals such as Palladium and Rhodium, prices of US Dollar Index, Eldorado Gold Corporation and Gold Miners ETF were gathered.

Attributes:

Features

- Gold ETF: Date, Open, High, Low, Close and Volume.
- S&P 500 Index: 'SP_open', 'SP_high', 'SP_low', 'SP_close', 'SP_Ajclose', 'SP_volume'
- Dow Jones Index :- 'DJ_open','DJ_high', 'DJ_low', 'DJ_close', 'DJ_Ajclose', 'DJ_volume'
- Eldorado Gold Corporation (EGO) :- 'EG_open', 'EG_high', 'EG_low', 'EG_close', 'EG_Ajclose', 'EG volume'

- EURO USD Exchange Rate :- 'EU_Price','EU_open', 'EU_high', 'EU_low', 'EU_Trend'
- Brent Crude Oil Futures :- 'OF_Price', 'OF_Open', 'OF_High', 'OF_Low', 'OF_Volume', 'OF_Trend'
- Crude Oil WTI USD: 'OS_Price', 'OS_Open', 'OS_High', 'OS_Low', 'OS_Trend'
- Silver Futures :- 'SF_Price', 'SF_Open', 'SF_High', 'SF_Low', 'SF_Volume', 'SF_Trend'
- US Bond Rate (10 years) :- 'USB_Price', 'USB_Open', 'USB_High','USB_Low', 'USB_Trend'
- Platinum Price :- 'PLT_Price', 'PLT_Open', 'PLT_High', 'PLT_Low','PLT_Trend'
- Palladium Price: 'PLD_Price', 'PLD_Open', 'PLD_High', 'PLD_Low','PLD_Trend'
- Rhodium Prices :- 'RHO PRICE'
- US Dollar Index: 'USDI_Price', 'USDI_Open', 'USDI_High','USDI_Low', 'USDI_Volume', 'USDI_Trend'
- Gold Miners ETF: 'GDX_Open', 'GDX_High', 'GDX_Low', 'GDX_Close', 'GDX_Adj Close', 'GDX Volume'
- Oil ETF USO :- 'USO_Open','USO_High', 'USO_Low', 'USO_Close', 'USO_Adj Close', 'USO Volume'

Target Variable

• Gold ETF: - Adjusted Close

```
from google.colab import drive
drive.mount('/content/drive')
```

Drive already mounted at /content/drive; to attempt to forcibly remount, call

```
df_final = pd.read_csv("FINAL_USO.csv",na_values=['null'],index_col='Date',parse_da
df final.head()
```

		Open	High	Low	Close	Adj Close	Volume	SP_open
	Date							
	2011- 12-15	154.740005	154.949997	151.710007	152.330002	152.330002	21521900	123.029999
df_final.shape								
	(1718,	80) 155.479996	155.860001	154.360001	154.869995	154.869995	12547200	122.059998

So, we have 1718 records in the dataset and 80 columns including Adjusted Close which is our target variable.

df_final.describe()

	Open	High	Low	Close	Adj Close	Volume
count	1718.000000	1718.000000	1718.000000	1718.000000	1718.000000	1.718000e+03 1
mean	127.323434	127.854237	126.777695	127.319482	127.319482	8.446327e+06
std	17.526993	17.631189	17.396513	17.536269	17.536269	4.920731e+06
min	100.919998	100.989998	100.230003	100.500000	100.500000	1.501600e+06
25%	116.220001	116.540001	115.739998	116.052502	116.052502	5.412925e+06
50%	121.915001	122.325001	121.369999	121.795002	121.795002	7.483900e+06
75%	128.427494	129.087497	127.840001	128.470001	128.470001	1.020795e+07
max	173.199997	174.070007	172.919998	173.610001	173.610001	9.380420e+07



Checking Missing Values

```
df_final.isnull().values.any()
    False
```

That's great! we dont have any missing values in our dataset

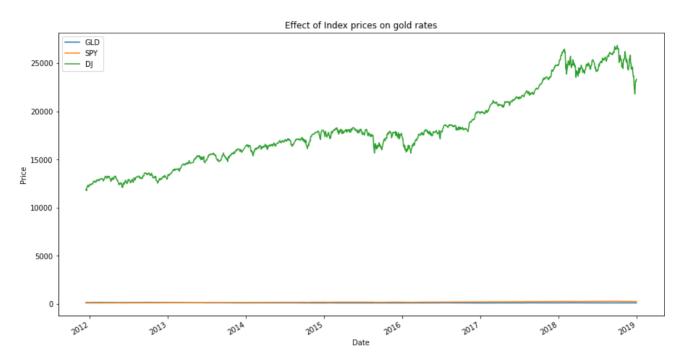
▼ Effect of Index prices on gold rates

```
GLD_adj_close = df_final['Adj Close']
SPY_adj_close = df_final['SP_Ajclose']
DJ_adj_close = df_final['DJ_Ajclose']

df_p = pd.DataFrame({'GLD':GLD_adj_close, 'SPY':SPY_adj_close, 'DJ':DJ_adj_close})

df_ax = df_p.plot(title='Effect of Index prices on gold rates',figsize=(15,8))

df_ax.set_ylabel('Price')
df_ax.legend(loc='upper left')
plt.show()
```



Computing Daily Returns of all Features

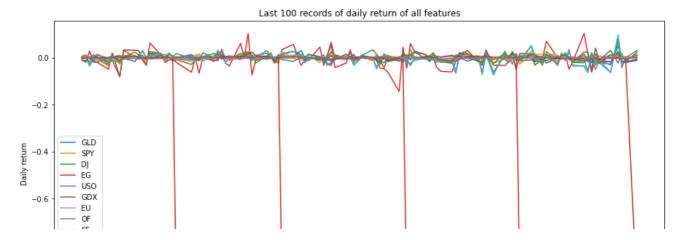
```
def compute_daily_returns(df):
    """Compute and return the daily return values."""
    # TODO: Your code here
    # Note: Returned DataFrame must have the same number of rows
    daily_return = (df / df.shift(1)) - 1
    daily_return[0] = 0
    return daily_return

GLD_adj_close = df_final['Adj Close']

SPY_adj_close = df_final['SP_Ajclose']

DJ_adj_close = df_final['DJ_Ajclose']
```

```
EG adj close = df final['EG Ajclose']
USO_Adj_close = df_final['USO Adj Close']
GDX Adj close = df final['GDX Adj Close']
EU price
              = df final['EU Price']
             = df final['OF Price']
OF price
             = df final['OS Price']
OS price
SF price
             = df final['SF Price']
USB price
             = df final['USB Price']
             = df final['PLT Price']
PLT price
PLD price
             = df final['PLD Price']
rho price
             = df final['RHO PRICE']
usdi price
               = df final['USDI Price']
GLD daily return = compute daily returns(GLD adj close)
SPY daily return = compute daily returns(SPY adj close)
DJ adj return
                = compute daily returns(DJ adj close)
EG adj return
                  = compute daily returns(EG adj close)
USO Adj return
                = compute daily returns(USO Adj close)
                 =compute daily returns(GDX Adj close)
GDX Adj return
EU_return
                 = compute daily returns(EU price)
OF price
                 =compute daily returns(OF price)
                 =compute daily returns(OS price)
OS price
SF price
                 =compute daily returns(SF price)
                  =compute daily returns(USB price)
USB price
                  =compute daily returns(PLT price)
PLT price
PLD price
                  =compute daily returns(PLD price)
rho price
                  =compute daily returns(rho price)
USDI price
                   =compute daily returns(usdi price)
df_d = pd.DataFrame({'GLD':GLD_daily_return, 'SPY':SPY_daily_return, 'DJ':DJ_adj_re
                  'GDX':GDX Adj return, 'EU':EU return, 'OF':OF price, 'SF':SF price,
                  'RHO':rho price, 'USDI':USDI price})
daily ax = df d[-100:].plot(title='Last 100 records of daily return of all features
daily ax.set ylabel('Daily return')
daily ax.legend(loc='lower left')
plt.show()
```



Computing daily returns of stock indexes

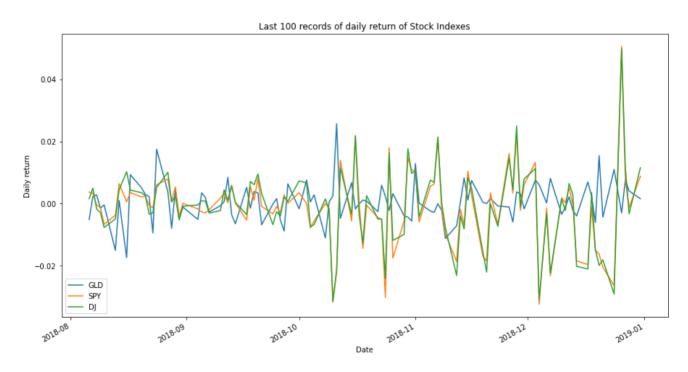
```
df_s = pd.DataFrame({'GLD':GLD_daily_return, 'SPY':SPY_daily_return, 'DJ':DJ_adj_re

daily_ax = df_s[-100:].plot(title='Last 100 records of daily return of Stock Indexe

daily_ax.set_ylabel('Daily return')

daily_ax.legend(loc='lower left')

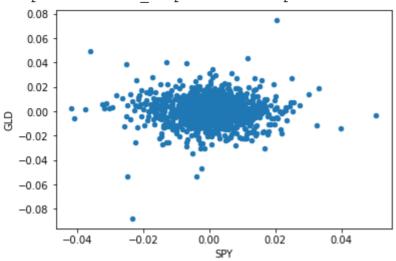
plt.show()
```



→ Scatterplot

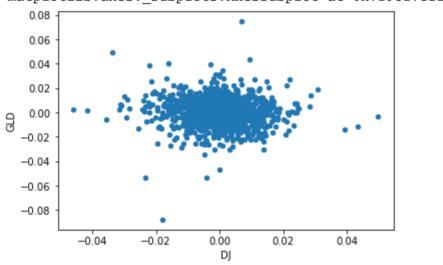
df_d.plot(kind='scatter', x='SPY', y='GLD')

<matplotlib.axes. subplots.AxesSubplot at 0x7f9cf7521fd0>



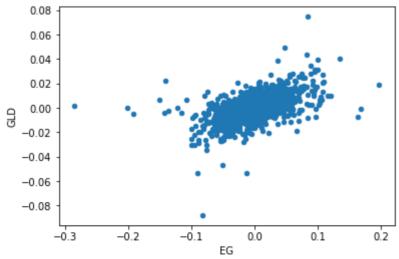
df d.plot(kind='scatter', x='DJ', y='GLD')

<matplotlib.axes._subplots.AxesSubplot at 0x7f9cf7eff2d0>



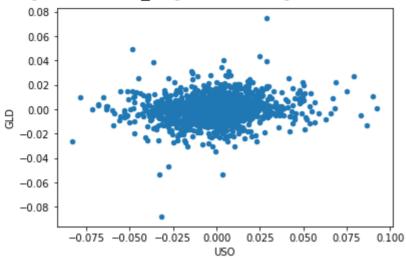
df_d.plot(kind='scatter', x='EG', y='GLD')

<matplotlib.axes._subplots.AxesSubplot at 0x7f9cf7181850>



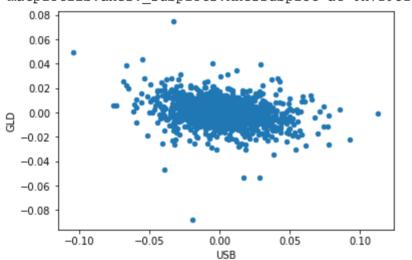
df d.plot(kind='scatter', x='USO', y='GLD')

<matplotlib.axes._subplots.AxesSubplot at 0x7f9cf793db50>



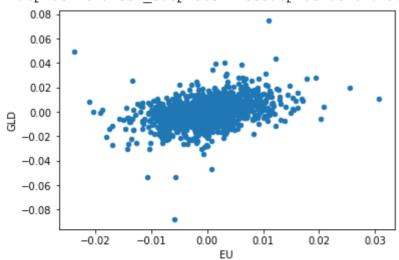
df_d.plot(kind='scatter', x='USB', y='GLD')

<matplotlib.axes. subplots.AxesSubplot at 0x7f9cf6e48ad0>

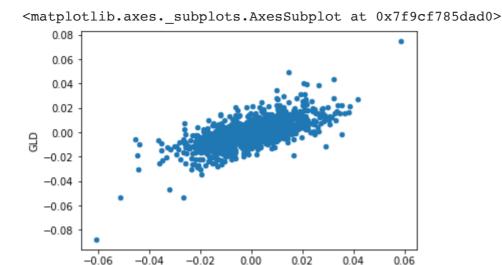


df d.plot(kind='scatter', x='EU', y='GLD')

<matplotlib.axes._subplots.AxesSubplot at 0x7f9cf4525250>

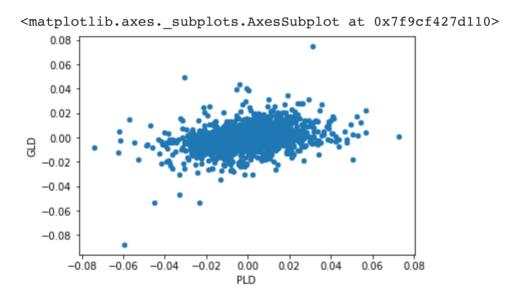


df_d.plot(kind='scatter', x='PLT', y='GLD')



PLT





Statistical Measures (Mean, Standard deviation, Kurtosis)

Kurtosis is a statistical measure that is used to describe the distribution. Whereas skewness differentiates extreme values in one versus the other tail, kurtosis measures extreme values in either tail. Distributions with large kurtosis exhibit tail data exceeding the tails of the normal distribution (e.g., five or more standard deviations from the mean). Distributions with low kurtosis exhibit tail data that is generally less extreme than the tails of the normal distribution.

For investors, high kurtosis of the return distribution implies that the investor will experience occasional extreme returns (either positive or negative), more extreme than the usual + or - three standard deviations from the mean that is predicted by the normal distribution of returns. This phenomenon is known as **kurtosis risk**.

Positive Kurtosis More weights in the tail



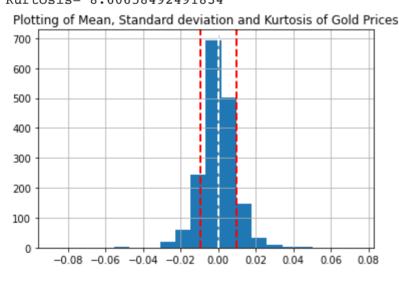
Negative Kurtosis It has as much data in each tail as it does in the peak.



```
# computing mean, standard deviation and kurtosis of Gold ETF daily return
mean=df_d['GLD'].mean()
# computing standard deviation of Gold stock
std=df_d['GLD'].std()
kurt=df_d['GLD'].kurtosis()
print('Mean=',mean)
print('Standard Deviation=',std)
print('Kurtosis=',kurt)
#Plotting Histogram
df_d['GLD'].hist(bins=20)

plt.axvline(mean, color='w',linestyle='dashed',linewidth=2)
plt.axvline(std, color='r',linestyle='dashed',linewidth=2)
plt.axvline(-std, color='r',linestyle='dashed',linewidth=2)
plt.title("Plotting of Mean, Standard deviation and Kurtosis of Gold Prices")
plt.show()
```

Mean= -8.656986121281953e-05 Standard Deviation= 0.009611536167006395 Kurtosis= 8.60658492491834

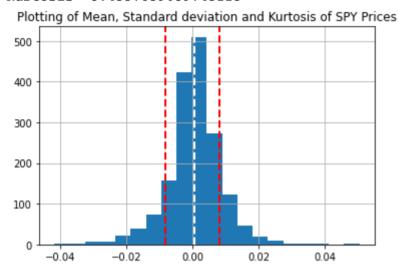


computing mean, standard deviation and kurtosis of S&P 500 Index daily return

```
mean=df_d['SPY'].mean()
# computing standard deviation of Gold stock
std=df_d['SPY'].std()
kurt=df_d['SPY'].kurtosis()
print('Mean=',mean)
print('Standard Deviation=',std)
print('Kurtosis=',kurt)
#Plotting Histogram
df d['SPY'].hist(bins=20)
```

```
plt.axvline(mean, color='w',linestyle='dashed',linewidth=2)
plt.axvline(std, color='r',linestyle='dashed',linewidth=2)
plt.axvline(-std, color='r',linestyle='dashed',linewidth=2)
plt.title("Plotting of Mean, Standard deviation and Kurtosis of SPY Prices")
plt.show()
```

Mean= 0.0005366024364688845 Standard Deviation= 0.008262309911393529 Kurtosis= 3.4557859039745225



```
# computing mean, standard deviation and kurtosis of Dow Jones Index daily return
mean=df_d['DJ'].mean()
# computing standard deviation of Gold stock
std=df_d['DJ'].std()
kurt=df_d['DJ'].kurtosis()
print('Mean=',mean)
print('Standard Deviation=',std)
print('Kurtosis=',kurt)
#Plotting Histogram
df_d['DJ'].hist(bins=20)

plt.axvline(mean, color='w',linestyle='dashed',linewidth=2)
plt.axvline(std, color='r',linestyle='dashed',linewidth=2)
plt.axvline(-std, color='r',linestyle='dashed',linewidth=2)
plt.title("Plotting of Mean, Standard deviation and Kurtosis of Dow jones Prices")
plt.show()
```

Mean= 0.00042663952187518026 Standard Deviation= 0.00815178011451231 Kurtosis= 3.832719336260693

Plotting of Mean, Standard deviation and Kurtosis of Dow jones Prices

▼ Correlation Analysis



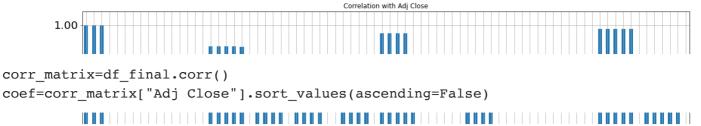
plt.figure(figsize=(24,18))
sns.heatmap(df_final.corr(), annot=True)

<matplotlib.axes. subplots.AxesSubplot at 0x7f9cf771dfd0>

```
X=df_final.drop(['Adj Close'],axis=1)
X=X.drop(['Close'],axis=1)
```

```
X.corrwith(df_final['Adj Close']).plot.bar(
figsize = (20, 10), title = "Correlation with Adj Close", fontsize = 20,
rot = 90, grid = True)
```

<matplotlib.axes._subplots.AxesSubplot at 0x7f9cf1493a90>



Positively Correlated Variables

pos_corr=coef[coef>0]
pos_corr

Adj Close	1.000000
Close	1.000000
High	0.999535
Low	0.999532
Open	0.998976
GDX Low	0.975561
GDX_Close	0.975459
GDX_High	0.975255
GDX_Adj Close	0.974980
GDX Open	0.974824
SF Low	0.947842
SF_Price	0.947420
SF_Open	0.945557
SF High	0.945203
EG low	0.863917
EG_open	0.862900
EG close	0.862770
_ EG_high	0.861479
EG Ajclose	0.859850
PLT Price	0.775861
- PLT_High	0.775481
PLT Low	0.773993
PLT_Open	0.773760
OF_High	0.711334
OF_Price	0.710693
OF Open	0.709096
OF Low	0.708266
SF_Volume	0.706505
USO Adj Close	0.635675
USO_Close	0.635675
USO_High	0.635311
USO_Open	0.635197
USO Low	0.634732
OS_High	0.632001
OS Price	0.630817
OS_Open	0.630046
OS Low	0.629083
EU high	0.582969
EU Price	0.581036
EU_open	0.579036
EU low	0.577000
Volume	0.246778
SP volume	0.241949
RHO PRICE	0.095782
	3.030,02

Negatively Correlated Variables

```
[ ] →1 cell hidden
```

Technical Indicators

```
[ ] → 2 cells hidden
```

Plotting Technical Indicators

```
[ ] → 6 cells hidden
```

Normalizing the data

In this step I would perform feature scaling/normalization of feature variables using sklearn's MinMaxScaler function.

```
from sklearn.preprocessing import MinMaxScaler
scaler = MinMaxScaler()
feature_minmax_transform_data = scaler.fit_transform(test[feature_columns])
feature_minmax_transform = pd.DataFrame(columns=feature_columns, data=feature_minma
feature_minmax_transform.head()
```

Open High Low Volume SP open SP high SP low SP Ajclose

Date

```
2012-
           0.013660 0.013661 0.013103 0.070161 0.037009 0.034037 0.040697
                                                                             0.000110
display(feature minmax transform.head())
print('Shape of features : ', feature minmax transform.shape)
print('Shape of target : ', target_adj close.shape)
# Shift target array because we want to predict the n + 1 day value
target adj close = target adj close.shift(-1)
validation_y = target_adj_close[-90:-1]
target adj close = target adj close[:-90]
# Taking last 90 rows of data to be validation set
validation X = feature minmax transform[-90:-1]
feature minmax transform = feature minmax transform[:-90]
display(validation X.tail())
display(validation y.tail())
print("\n -----After process----- \n")
print('Shape of features : ', feature minmax transform.shape)
print('Shape of target : ', target_adj_close.shape)
display(target_adj_close.tail())
```

	Open	High	Low	Volume	SP_open	SP_high	SP_low	SP_Ajclose
Date								
2012- 02-06	0.913669	0.912561	0.913193	0.079151	0.037098	0.034927	0.040627	0.028113
2012- 02-07	0.919480	0.945539	0.920622	0.109560	0.038247	0.038015	0.039473	0.029765
2012- 02-08	0.945490	0.943760	0.925437	0.099173	0.042423	0.039225	0.043542	0.031707
2012- 02-09	0.955866	0.949370	0.927775	0.157998	0.045752	0.041465	0.045060	0.032533
2012- 02-10	0.907167	0.912014	0.909341	0.095612	0.038187	0.034685	0.040687	0.027676

5 rows x 84 columns



```
Shape of features: (1685, 84)
Shape of target: (1685, 1)
```

	Open	High	Low	Volume	SP_open	SP_high	SP_low	SP_Ajclose
Date								
2018- 12-21	0.252767	0.249863	0.252304	0.131396	0.719499	0.732264	0.685249	0.721173
2018- 12-24	0.258024	0.262042	0.266061	0.089215	0.672900	0.678571	0.650574	0.685607
2018- 12-26	0.272551	0.273810	0.266061	0.138587	0.654321	0.710896	0.647477	0.751818
2018- 12-27	0.271859	0.272441	0.273903	0.112378	0.694263	0.723668	0.679055	0.762387
2018- 12-28	0.275042	0.274904	0.281882	0.058103	0.736686	0.742494	0.724540	0.760598

5 rows × 84 columns

Adj Close

Date

▼ Train Test Split

In this step we would perform Train test split using sklearn's Timeseries split

```
y train, y test = target adj close[:len(train index)].values.ravel(), targe
X train.shape
    (1450, 84)
X test.shape
    (145, 84)
     ______
y train.shape
    (1450,)
y test.shape
    (145,)
def validate_result(model, model_name):
    predicted = model.predict(validation X)
    RSME score = np.sqrt(mean squared error(validation y, predicted))
    print('RMSE: ', RSME score)
    R2 score = r2 score(validation y, predicted)
    print('R2 score: ', R2 score)
    plt.plot(validation y.index, predicted, 'r', label='Predict')
    plt.plot(validation y.index, validation y,'b', label='Actual')
    plt.ylabel('Price')
    plt.gca().xaxis.set_major_formatter(mdates.DateFormatter('%Y-%m-%d'))
    plt.gca().xaxis.set_major_locator(mdates.MonthLocator())
    plt.title(model name + ' Predict vs Actual')
    plt.legend(loc='upper right')
    plt.show()
```

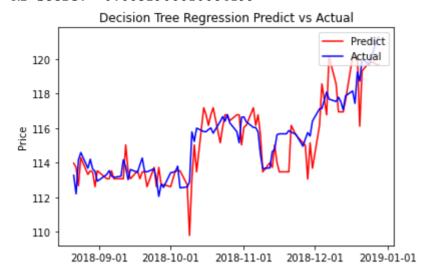
Model Building

1 Benchmark Model:

I will use Decision Tree Regressor with default parameter as my Benchmark model for the

```
from sklearn.tree import DecisionTreeRegressor
dt = DecisionTreeRegressor(random_state=0)
benchmark_dt=dt.fit(X_train, y_train)
```

RMSE: 1.209072477734157 R2 score: 0.6632906610684199

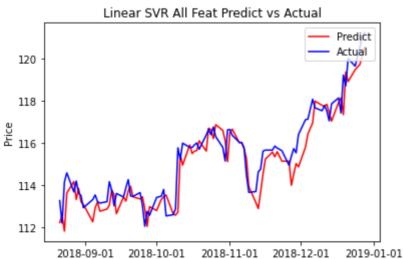


Solution Model

Support Vector Regressor (SVR)

```
# Save all soultion models
solution_models = {}
# SVR with linear Kernel
svr_lin = SVR(kernel='linear')
linear_svr_clf_feat = svr_lin.fit(X_train,y_train)
validate_result(linear_svr_clf_feat,'Linear SVR All Feat')
```

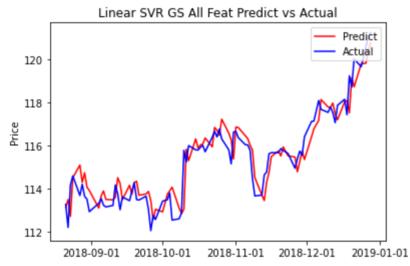
RMSE: 0.8136995579159704 R2 score: 0.8474969071831893



Hyperparameter Tuning

In this step I will tune two parameters of SVR C and epsilon to see if the model shows any

RMSE: 0.7416902627051684 R2 score: 0.8732944477453806



As we have seen using gridsearch on SVR we get significant improvement in R2 score and RMSE also came down so we will save this as our first solution model

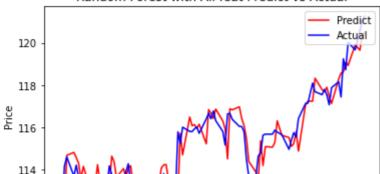
```
solution models['SVR All Feat'] = lsvr grid search feat
```

▼ Solution Model: Random Forest

```
rf_cl = RandomForestRegressor(n_estimators=50, random_state=0)
random_forest_clf_feat = rf_cl.fit(X_train,y_train)
validate_result(random_forest_clf_feat,'Random Forest with All feat')
```

RMSE: 0.8148324354418975 R2 score: 0.8470719650951224

Random Forest with All feat Predict vs Actual



Hyper parameter Tuning

In this I will tune 3 parameters of Random forest which are n_estimators,max_features,max_depth

```
print(grid_search_RF_feat.best_params_)
validate_result(grid_search_RF_feat,'RandomForest GS')
```

```
{'max_depth': 7, 'max_features': 'auto', 'n_estimators': 20}

RMSE: 0.8219610022630158

R2 score: 0.8443844767381965

RandomForest GS Predict vs Actual

Predict
Actual
```

As we have seen, Random forest with default parameters performed better than tuned Random forest model. So, we will include random forest with default parameters as our second solution model.

```
solution_models['Random_Forest with Feat'] = random_forest_clf_feat
```

▼ Solution Model: Lasso and Ridge

```
from sklearn.linear_model import LassoCV
from sklearn.linear_model import RidgeCV

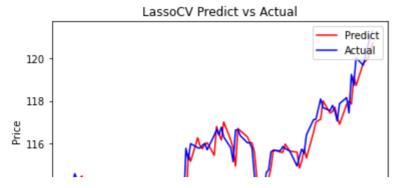
lasso_clf = LassoCV(n_alphas=1000, max_iter=3000, random_state=0)
ridge_clf = RidgeCV(gcv_mode='auto')

lasso_clf_feat = lasso_clf.fit(X_train,y_train)
validate_result(lasso_clf_feat,'LassoCV')
solution_models['LassoCV All feat'] = lasso_clf_feat
ridge_clf_feat = ridge_clf.fit(X_train,y_train)
validate_result(ridge_clf_feat,'RidgeCV')
solution_models['RidgeCV All Feat'] = ridge_clf_feat
```

RMSE: 0.7117047240324225 R2 score: 0.8833324203076907

/usr/local/lib/python3.7/dist-packages/sklearn/linear_model/_coordinate_descer

coef_, l1_reg, l2_reg, X, y, max_iter, tol, rng, random, positive

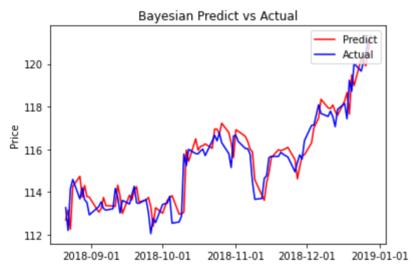


▼ Solution Model: Bayesian Ridge

from sklearn import linear_model
bay = linear_model.BayesianRidge()
bay_feat = bay.fit(X_train,y_train)
validate result(bay feat,'Bayesian')

RMSE: 0.7195639601746158
R2 score: 0.8807415122691951

solution_models['Bay All Feat'] = bay_feat

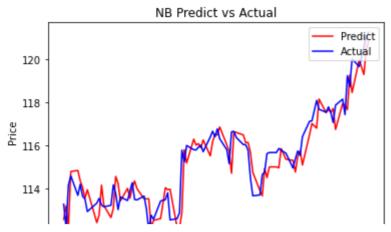


▼ Solution Model : Gradient Boosting Regressor

from sklearn.ensemble import GradientBoostingRegressor
regr =GradientBoostingRegressor(n_estimators=70, learning_rate=0.1,max_depth=4, ran
GB_feat = regr.fit(X_train,y_train)
validate_result(GB_feat,'NB')
solution_models['GB All Feat'] = GB_feat

/usr/local/lib/python3.7/dist-packages/sklearn/ensemble/_gb.py:290: FutureWarn FutureWarning,

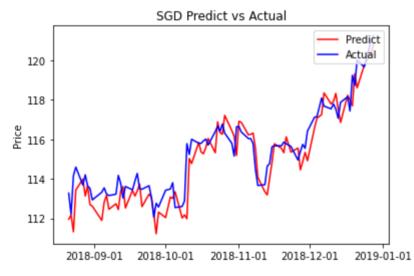
RMSE: 0.8094931831292773 R2 score: 0.8490695443986888



▼ Solution Model: Stochastic Gradient Descent (SGD)

```
from sklearn.linear_model import SGDRegressor
sgd =SGDRegressor(max_iter=1000, tol=1e-3,loss='squared_epsilon_insensitive',penalt
sgd_feat = sgd.fit(X_train,y_train)
validate_result(sgd_feat,'SGD')
solution_models['SGD All Feat'] = sgd_feat
```

RMSE: 0.9020743795306159 R2 score: 0.8125716905896547



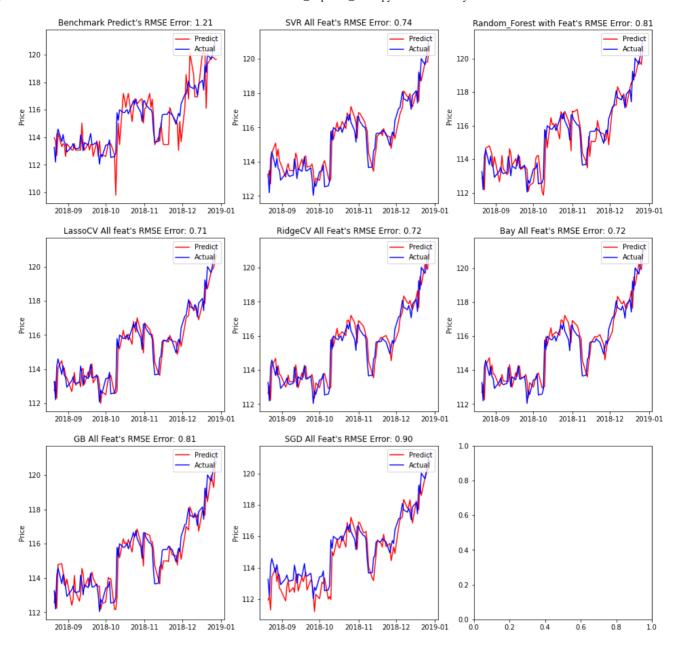
Model Review

In this step, we will review benchmark model and all the solution model based on evaluation metrics i.e, RMSE and R2 score

```
RMSE_scores = {}
def model_review(models):
    fig, axes = plt.subplots(nrows=3, ncols=3, figsize=(16, 16))
```

```
#plot benchmark model
benchmark predicted = benchmark dt.predict(validation X)
benchmark RSME score = np.sqrt(mean squared error(validation y, benchmark predi
RMSE scores['Benchmark'] = benchmark RSME score
axes[0,0].plot(validation y.index, benchmark predicted, 'r', label='Predict')
axes[0,0].plot(validation y.index, validation y,'b', label='Actual')
axes[0,0].xaxis.set_major_formatter(mdates.DateFormatter('%Y-%m'))
axes[0,0].xaxis.set major locator(mdates.MonthLocator())
axes[0,0].set ylabel('Price')
axes[0,0].set title("Benchmark Predict's RMSE Error: " +"{0:.2f}".format(benchm
axes[0,0].legend(loc='upper right')
#plot block
ax x = 0
ax y = 1
#plot solution model
for name, model in models.items():
    predicted = model.predict(validation X)
    RSME score = np.sqrt(mean squared error(validation y, predicted))
    axes[ax x][ax y].plot(validation y.index, predicted, 'r', label='Predict')
    axes[ax x][ax y].plot(validation y.index, validation y,'b', label='Actual')
    axes[ax x][ax y].xaxis.set major formatter(mdates.DateFormatter('%Y-%m'))
    axes[ax x][ax y].xaxis.set major locator(mdates.MonthLocator())
    axes[ax x][ax y].set ylabel('Price')
    axes[ax x][ax y].set title(name + "'s RMSE Error: " +"{0:.2f}".format(RSME
    axes[ax x][ax y].legend(loc='upper right')
   RMSE scores[name] = RSME score
    if ax x <=2:
        if ax_y < 2:
            ax y += 1
        else:
           ax x += 1
            ax y = 0
plt.show()
```

model review(solution models)



Comparison of RMSE of Benchmark and all Solution Models

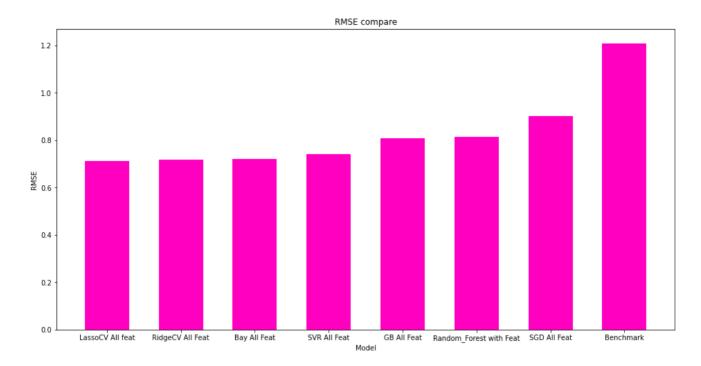
```
model_names = []
model_values = []
for name, value in RMSE_scores.items():
    model_names.append(name)
    model_values.append(value)

model_values = np.array(model_values)
model_names = np.array(model_names)

indices = np.argsort(model_values)
columns = model_names[indices[:8]]
values = model_values[indices][:8]

fig = plt.figure(figsize = (16,8))
plt.bar(np.arange(8), values ,width = 0.6, align="center", color = '#ff00c1')
```

```
plt.xticks(np.arange(8), columns)
plt.xlabel('Model')
plt.ylabel('RMSE')
plt.title('RMSE compare')
plt.show()
```



▼ Feature Selection

In this step we will select supporting features using sklearn's **SelectFromModel** library using Lasso regressor as it has lowest RMSE.

```
from sklearn.feature_selection import SelectFromModel

sfm = SelectFromModel(lasso_clf_feat)
sfm.fit(feature_minmax_transform, target_adj_close.values.ravel())
display(feature_minmax_transform.head())
sup = sfm.get_support()
zipped = zip(feature_minmax_transform,sup)
print(*zipped)
```

	Open	High	Low	Volume	SP_open	SP_high	SP_low	SP_Ajclose
Date								
2012- 02-06	0.913669	0.912561	0.913193	0.079151	0.037098	0.034927	0.040627	0.028113
2012- 02-07	0.919480	0.945539	0.920622	0.109560	0.038247	0.038015	0.039473	0.029765
2012- 02-08	0.945490	0.943760	0.925437	0.099173	0.042423	0.039225	0.043542	0.031707
2012- 02-09	0.955866	0.949370	0.927775	0.157998	0.045752	0.041465	0.045060	0.032533
2012- 02-10	0.907167	0.912014	0.909341	0.095612	0.038187	0.034685	0.040687	0.027676

5 rows × 84 columns

Selecting Features which supports Model building process

feature_selected = feature_minmax_transform[['Open','High','Low','OF_Trend','USB_Tr
feature_selected_validation_X = validation_X[['Open','High','Low','OF_Trend','USB_T
display(feature_selected.head())

display(feature selected validation X.head())

	Open	High	Low	OF_Trend	USB_Trend	PLT_Trend	USDI_Price	GD
Date								
2012- 02-06	0.913669	0.912561	0.913193	1.0	0.0	0.0	0.035457	
2012- 02-07	0.919480	0.945539	0.920622	1.0	1.0	1.0	0.015007	
2012- 02-08	0.945490	0.943760	0.925437	1.0	1.0	1.0	0.017368	
2012- 02-09	0.955866	0.949370	0.927775	1.0	1.0	0.0	0.014087	
2012- 02-10	0.907167	0.912014	0.909341	0.0	0.0	1.0	0.037058	
7								
	Open	High	Low	OF_Trend	USB_Trend	PLT_Trend	USDI_Price	GD
Date								
2018- 08-21	0.163946	0.165709	0.167974	1.0	1.0	0.0	0.674324	

▼ Train Test Split

```
for train_index, test_index in ts_split.split(feature_selected):
    X_train, X_test = feature_selected[:len(train_index)], feature_selected[len
    y_train, y_test = target_adj_close[:len(train_index)].values.ravel(), targe
```

validation Feature Selected Benchmark & Solution Model

```
[ ] →1 cell hidden
```

Model Review

```
FS RMSE scores = {}
def fs model review(models):
    fig, axes = plt.subplots(nrows=3, ncols=3, figsize=(16, 16))
   #plot benchmark model
   benchmark dt predicted = benchmark dt fs.predict(feature selected validation X)
   benchmark RSME score = np.sqrt(mean squared error(validation y, benchmark dt pr
   FS_RMSE_scores['Benchmark'] = benchmark_RSME_score
   axes[0,0].plot(validation_y.index, benchmark_dt_predicted,'y', label='Predict')
   axes[0,0].plot(validation_y.index, validation_y,'b', label='Actual')
   axes[0,0].xaxis.set major formatter(mdates.DateFormatter('%Y-%m'))
   axes[0,0].xaxis.set major locator(mdates.MonthLocator())
   axes[0,0].set ylabel('Price')
   axes[0,0].set title("Benchmark Predict's RMSE Error: " +"{0:.2f}".format(benchm
   axes[0,0].legend(loc='upper right')
   #plot block
   ax x = 0
   ax y = 1
   #plot solution model
   for name, model in models.items():
        predicted = model.predict(feature_selected_validation_X)
       RSME_score = np.sqrt(mean_squared_error(validation_y, predicted))
       R2_score = r2_score(validation_y, predicted)
        axes[ax x][ax y].plot(validation y.index, predicted, 'y', label='Predict')
        axes[ax x][ax y].plot(validation y.index, validation y,'b', label='Actual')
        axes[ax x][ax y].xaxis.set major formatter(mdates.DateFormatter('%Y-%m'))
        axes[ax x][ax y].xaxis.set major locator(mdates.MonthLocator())
        axes[ax_x][ax_y].set_ylabel('Price')
        axes[ax_x][ax_y].set_title(name + "'s RMSE Error: " +"{0:.2f}".format(RSME_
        axes[ax x][ax y].legend(loc='upper right')
       FS_RMSE_scores[name] = RSME_score
       if ax_x <=2:
            if ax y < 2:
                ax y += 1
```

plt.show()

fs_model_review(feature_selected_solution_models)

FS_RandomForest's RMSE Error: 0.81

FS_LSVR's RMSE Error: 0.73

Comparison of RMSE of Feature selected models and Original Features model

```
W/17 | [ E 116 ]
                                                    E ,116
    E 116
                                         fs model names = []
fs model values = []
for name, value in FS_RMSE_scores.items():
   fs model names.append(name)
   fs model values.append(value)
fs model values = np.array(fs model values)
fs model names = np.array(fs model names)
fs indices = np.argsort(fs model values)
fs columns = fs model names[fs indices[:8]]
fs values = fs model values[fs indices][:8]
origin values = model values[fs indices][:8]
fig = plt.figure(figsize = (16,8))
plt.bar(np.arange(8) - 0.2, origin values, width = 0.4, align="center", color = '#
plt.bar(np.arange(8), fs values ,width = 0.4, align="center", color = '#3232ff', la
plt.xticks(np.arange(8), fs columns)
plt.xlabel('Model')
plt.ylabel('RMSE')
plt.title('RMSE compare after feature selection')
plt.legend(loc = 'upper center')
plt.show()
```

RMSE compare after feature selection



As we have seen from the above plot 3 Feature selected models performs better in RMSE error reduction and Feature selected Linear SVR is the best as it has RMSE of 0.716 in feature selected model and 0.741 with all features model. Also Lasso cv and Bayesian Ridge performs slightly better from original features model where as Ridge cv shows no improvement from features model. Where as four model performance degrades after feature selection in which benchmark model has highest RMSE error and SGD model degrades most in comparison to others.

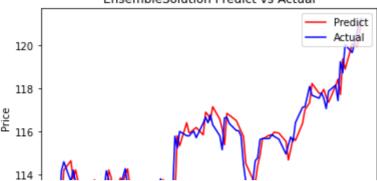
▼ Ensemble Solution

So now we will ensemble top three performing models i.e, in case of all the features model Lasso, Bayesian ridge and Ridge are the best performing models so we will ensemble these three models while in case of feature selected models we will combine Lasso, Bayesian Ridge and Linear SVR and will compare all the feature ensemble models with feature selected ensemble models.

```
# Choosing the top three performing models to ensemble them
ensemble solution models = [lasso clf feat, bay feat, ridge clf feat]
class EnsembleSolution:
   models = []
    def init__(self, models):
        self.models = models
    def fit(self, X, y):
        for i in self.models:
            i.fit(X, y)
    def predict(self, X):
        result = 0
        for i in self.models:
            result = result + i.predict(X)
        result = result / len(self.models)
        return result
print("Ensemble Solution Model with Original features")
EnsembleModel = EnsembleSolution(ensemble_solution_models)
validate result(EnsembleModel, 'EnsembleSolution')
```

Ensemble Solution Model with Original features RMSE: 0.7007271848704582
R2 score: 0.8869036929492634

EnsembleSolution Predict vs Actual



Ensemble solution with all features shows best result (with RMSE 0.699 and R2 score of 0.887) in comparison with other solution models.

```
ensemble_solution_model_fs = [lasso_clf_fs,bay_feat_fs,linear_svr_clf_fs]

print("Ensemble Solution Model with Selected features")
EnsembleModel_fs = EnsembleSolution(ensemble_solution_model_fs)
feature_selected_validate_result(EnsembleModel_fs,'EnsembleSolution with FS')

Ensemble Solution Model with Selected features
EnsembleSolution with FS

RMSE: 0.7106997685499894
R2 score: 0.883661666249319
```

Ensemble solution with feature selection has better solution (RMSE 0.711 and R2score 0.884) but Lasso has best performance (RMSE - 0.709 and R2 score 0.884)

▼ Train Model Multiple Times

By the train_reg_multipletimes function. This function would train the model several times (I choosed 7 times), and use different parameters on TimeSeriesSplit in each time, average the R2 and RMSE. I will apply this function on Benchmark model and on top performing solution models with all features which are Linear SVR, Lasso, Ridge and Bayesian ridge and compare the same.

```
reg.fit(X train, y train)
       predicted = reg.predict(validation X)
       rmse, r2 = print result(validation y, predicted, [0,len(validation y)])
       total rmse += rmse
       total r2 += r2
   return total_rmse / times, total r2 / times
def print result(actual, predict, index):
   RMSE score = np.sqrt(mean squared error(actual, predict))
   print('From {} to {}'.format(index[0],index[-1]))
   print('RMSE: ', RMSE score)
   R2 score = r2 score(actual, predict)
   print('R2 score: ', R2_score)
   print('----')
   return RMSE score, R2 score
print('Benchmark')
t multiple benchmark RMSE, t multiple benchmark R2 = train req multipletimes (benchma
print('RMSE: {} // R2: {}\n'.format(t multiple benchmark RMSE, t multiple benchmar
    Benchmark
    From 0 to 89
    RMSE: 2.5169023928812693
    R2 score: -0.45909388930653794
    ______
    From 0 to 89
    RMSE: 1.9398836843424083
    R2 score: 0.13323399036382322
    _____
    From 0 to 89
    RMSE: 1.3807422861211505
    R2 score: 0.5608875582297289
    _____
    From 0 to 89
    RMSE: 3.168571954563515
    R2 score: -1.312478156510708
    ______
    From 0 to 89
    RMSE: 3.156524043590225
    R2 score: -1.2949260452829572
    _____
    From 0 to 89
    RMSE: 1.2151075466375603
    R2 score: 0.6599209117630461
    _____
    From 0 to 89
    RMSE: 1.2041319111018567
    R2 score: 0.6660367927511187
    _____
    RMSE: 2.0831234027482837 // R2: -0.14948840542749808
print('LSVR')
t_multiple_LSVR_RMSE,t_multiple_LSVR_R2 = train_reg_multipletimes(linear_svr_clf_fe
print(' RMSE: {} // R2: {}'.format(t_multiple_LSVR_RMSE, t_multiple_LSVR_R2))
```

```
LSVR
```

From 0 to 89

RMSE: 7.448867721242006

R2 score: -11.780004755021666

From 0 to 89

RMSE: 6.193294220830053

R2 score: -7.8347429042944565

From 0 to 89

RMSE: 3.51963019211457

R2 score: -1.8532811045906588

From 0 to 89

RMSE: 1.31631673621737

R2 score: 0.6009095848161232

From 0 to 89

RMSE: 1.1821451622443897

R2 score: 0.6781213954199379

From 0 to 89

RMSE: 1.097280488203965

R2 score: 0.7226770542570906

From 0 to 89

RMSE: 0.958971832231373

R2 score: 0.7881823267768645

RMSE: 3.102358050440532 // R2: -2.668305486090966

print('Lasso')

t_multiple_lasso_RMSE,t_multiple_lasso_R2 = train_reg_multipletimes(lasso_clf_feat,
print(' RMSE: {} // R2: {}'.format(t_multiple_lasso_RMSE, t_multiple_lasso_R2))

Lasso

From 0 to 89

RMSE: 1.141446143219328

R2 score: 0.699903215958863

From 0 to 89

RMSE: 1.6184903121926937

R2 score: 0.3966480791468283

From 0 to 89

RMSE: 1.2272053345149017

R2 score: 0.6531154475171917

From 0 to 89

RMSE: 0.9458767879471476

R2 score: 0.7939276958254233

From 0 to 89

RMSE: 0.8279814045285367

R2 score: 0.8420965359183785

From 0 to 89

RMSE: 0.7928926592226434

R2 score: 0.8551964245471746

```
From 0 to 89
    RMSE: 0.7724600996807726
   R2 score: 0.8625633366388292
    _____
     RMSE: 1.046621820186575 // R2: 0.7290643907932414
print('Ridge')
t multiple ridge RMSE, t multiple ridge R2 = train reg multipletimes (ridge clf feat,
print(' RMSE: {} // R2: {}'.format(t multiple ridge RMSE, t multiple ridge R2))
   Ridge
   From 0 to 89
   RMSE: 3.0358192307485194
   R2 score: -1.122766898394148
    _____
   From 0 to 89
    RMSE: 3.361570100216821
   R2 score: -1.6027642671000146
    ______
    From 0 to 89
    RMSE: 1.6567313507046708
   R2 score: 0.3677997365458099
    From 0 to 89
   RMSE: 0.8283219433964485
   R2 score: 0.8419666215880584
    _____
   From 0 to 89
    RMSE: 0.7493347104805284
   R2 score: 0.8706691320990159
    ______
    From 0 to 89
   RMSE: 0.717599661491697
   R2 score: 0.8813917381210988
    ______
    From 0 to 89
   RMSE: 0.7123183568826676
   R2 score: 0.8831311516635544
    _____
     RMSE: 1.580242193417336 // R2: 0.15991817350333926
print('BayRidge')
t multiple bayridge RMSE, t multiple bayridge R2 = train reg multipletimes(bay feat,
print(' RMSE: {} // R2: {}'.format(t multiple bayridge RMSE, t multiple bayridge R
   BayRidge
   From 0 to 89
   RMSE: 3.0049452619300716
   R2 score: -1.0798098080641862
    _____
   From 0 to 89
   RMSE: 3.317186778085761
   R2 score: -1.5344886031368254
    _____
    From 0 to 89
   RMSE: 1.597251002758483
```

R2 score: 0.4123796463141326

```
______
   From 0 to 89
    RMSE: 0.7995748378668925
   R2 score: 0.85274544802953
    _____
    From 0 to 89
   RMSE: 0.7307474880240321
   R2 score: 0.8770056522932022
    ______
    From 0 to 89
   RMSE: 0.7098918230074388
   R2 score: 0.8839260299485945
   From 0 to 89
   RMSE: 0.7070366584924018
   R2 score: 0.8848578446515624
    _____
    RMSE: 1.5523762643092973 // R2: 0.18523088714800137
print('Ensemble')
t_multiple_ensemble_RMSE,t_multiple_ensemble_R2 = train_reg_multipletimes(EnsembleS
print(' RMSE: {} // R2: {}\n'.format(t multiple ensemble RMSE, t multiple ensemble
   Ensemble
   From 0 to 89
   RMSE: 2.3651010857514856
   R2 score: -0.28839759733247106
    _____
   From 0 to 89
   RMSE: 2.7533763819291512
   R2 score: -0.7461504366394291
    ______
    From 0 to 89
   RMSE: 1.4876420936359722
   R2 score: 0.49026153330365463
    ______
   From 0 to 89
   RMSE: 0.8472355619942524
   R2 score: 0.8346672670920421
    _____
   From 0 to 89
   RMSE: 0.7555732429228262
   R2 score: 0.8685066980716548
    _____
   From 0 to 89
   RMSE: 0.7204376102992527
   R2 score: 0.8804517438842036
    _____
   From 0 to 89
   RMSE: 0.7109945317122859
   R2 score: 0.883565143447322
    -----
    RMSE: 1.3771943583207467 // R2: 0.41755776454671095
def cross validate(model, ts split):
   clf = model
   total rmse = 0
```

```
total_r2 = 0
count = 0
for train_index, test_index in ts_split.split(validation_X):
    X_test1, X_test2 = validation_X[:len(train_index)], validation_X[len(train_y_test1, y_test2 = validation_y[:len(train_index)].values.ravel(), validati    predicted_test1 = clf.predict(X_test1)
    temp1_RMSE, temp1_R2 = print_result(y_test1, predicted_test1, train_index)
    predicted_test2 = clf.predict(X_test2)
    temp2_RMSE, temp2_R2 = print_result(y_test2, predicted_test2, test_index)

    total_rmse += temp1_RMSE + temp2_RMSE
    total_r2 += temp1_R2 + temp2_R2
    count += 2
return total rmse / count, total r2 / count
```

Cross Validation

```
timeseries cv = TimeSeriesSplit(n splits=10)
test_bench__RMSE, test_bench_R2 = cross_validate(benchmark_dt,timeseries_cv)
   R2 score: -6.294727575190087
    _____
   From 0 to 32
   RMSE: 1.1994671233542904
   R2 score: -3.2519324920753565
    _____
   From 33 to 40
   RMSE: 1.2697238154428052
   R2 score: -0.6466118868276143
   From 0 to 40
   RMSE: 1.213495194602714
   R2 score: -0.3166198016301527
    ______
   From 41 to 48
   RMSE: 1.1078805204129623
   R2 score: -3.6618598597356753
    _____
   From 0 to 48
   RMSE: 1.1968887222615123
   R2 score: 0.17847775264847932
    _____
   From 49 to 56
   RMSE: 1.3922409839914143
   R2 score: -0.9151193114538847
    _____
   From 0 to 56
   RMSE: 1.2261855539186157
   R2 score: 0.21927655942198443
   From 57 to 64
```

RMSE: 1.480/100619321951

R2 score: -3.2511366949410334

From 0 to 64

RMSE: 1.2602886483809603

R2 score: 0.13029582869961542

From 65 to 72

RMSE: 0.9279775778599146

R2 score: -0.4921185653311613

From 0 to 72

RMSE: 1.2282654274551195

R2 score: 0.210149106063655

From 73 to 80

RMSE: 1.0351315387505744

R2 score: -9.030516178504952

From 0 to 80

RMSE: 1.2105625848588892

R2 score: 0.42907949257186806

From 81 to 88

RMSE: 1.1369747226758138

R2 score: 0.0946272844513888

test_lsvr_RMSE, test_lsvr_R2 = cross_validate(lsvr_grid_search_feat,timeseries_cv)

From 0 to 8

RMSE: 0.9598378957440337

R2 score: -0.9825809486429402

From 9 to 16

RMSE: 0.6200304864546613

R2 score: -2.041480944184528

From 0 to 16

RMSE: 0.8177120702812725

R2 score: -1.1496752713542273

From 17 to 24

RMSE: 0.5010644286610816

R2 score: -1.26557493785922

From 0 to 24

RMSE: 0.7314540587454086

R2 score: -1.1465603699564988

From 25 to 32

RMSE: 0.8002035888164287

R2 score: -1.0594620839132252

From 0 to 32

RMSE: 0.7487005362791734

R2 score: -0.6566316395414316

From 33 to 40

RMSE: 1.0378437880607319

R2 score: -0.10011147764143447

From 0 to 40

RMSE: 0.8132318857068911

R2 score: 0.40869294932636857

From 41 to 48

RMSE: 0.6622335530793207

R2 score: -0.6656959266124016

From 0 to 48

RMSE: 0.7905515554285993 R2 score: 0.641596556048452

From 49 to 56

RMSE: 0.7595948611423622

R2 score: 0.4299262505172794

From 0 to 56

RMSE: 0.7862802851928642

R2 score: 0.6789744480044105

From 57 to 64

RMSE: 0.5678453654326652

R2 score: 0.3747910507718425

From 0 to 64

RMSE: 0.762779109316979

test_ridge__RMSE, test_ridge_R2 = cross_validate(ridge_clf_feat,timeseries_cv)

R2 score: -0.3709746968153498

From 0 to 32

RMSE: 0.6659479329527943

R2 score: -0.3106605077299107

From 33 to 40

RMSE: 1.0970483764653298

R2 score: -0.22920487336330164

From 0 to 40

RMSE: 0.7692755628064281

R2 score: 0.47088736308971824

From 41 to 48

RMSE: 0.6186638995251043

R2 score: -0.45372718091052544

From 0 to 48

RMSE: 0.7467636393182207

R2 score: 0.6802002599967387

From 49 to 56

RMSE: 0.6859491739872478

R2 score: 0.5351092743894954

From 0 to 56

RMSE: 0.738530438286739

R2 score: 0.7167814943286248

From 57 to 64

RMSE: 0.5711062737255702

R2 score: 0.36758978426149236

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From 0 to 64

RMSE: 0.7200283101148157 R2 score: 0.7161227112086664

From 65 to 72

RMSE: 0.6373339148930902 R2 score: 0.2961786649986501

From 0 to 72

RMSE: 0.7114350347358946 R2 score: 0.7350089810638543

From 73 to 80

RMSE: 0.4601503690763369

R2 score: -0.9821282445412123

From 0 to 80

RMSE: 0.6906975623069174 R2 score: 0.8141438246655778

From 81 to 88

RMSE: 0.9025144991505628 R2 score: 0.429528229112353

test lasso RMSE, test lasso R2 = cross validate(lasso clf feat, timeseries cv)

R2 score: -0.6312186649885143

From 0 to 32

RMSE: 0.716006116193007

R2 score: -0.5151063813903662

From 33 to 40

RMSE: 1.233009682994396

R2 score: -0.5527648440223527

From 0 to 40

RMSE: 0.842187049134352

R2 score: 0.36583630136625966

From 41 to 48

RMSE: 0.5275986038528947

R2 score: -0.057257164000477756

From 0 to 48

RMSE: 0.7993278087883251 R2 score: 0.6335948037366042

From 49 to 56

RMSE: 0.748542753626658

R2 score: 0.4463947139707469

From 0 to 56

RMSE: 0.7923964582453901

RZ SCOre: U.6/396U/54Z3Z4391

From 57 to 64

RMSE: 0.6231312902373042 R2 score: 0.2471228192761571

From 0 to 64

RMSE: 0.7735651056112085 R2 score: 0.6723386273524847

From 65 to 72

RMSE: 0.685652594221525

R2 score: 0.18541461181541263

From 0 to 72

RMSE: 0.7644242981948015 R2 score: 0.6940646757059235

From 73 to 80

RMSE: 0.6137785876100886

R2 score: -2.5265956514889374

From 0 to 80

RMSE: 0.7508919987507857

R2 score: 0.7803374087005639

From 81 to 88

RMSE: 0.9640330389483439

R2 score: 0.34910697208409225

test_bay_RMSE, test_bay_R2 = cross_validate(bay_feat,timeseries_cv)

R2 score: -0.4028224673902141

From 0 to 32

RMSE: 0.6641758480635003

R2 score: -0.30369446324235905

From 33 to 40

RMSE: 1.0784663935690209

R2 score: -0.1879165918243475

From 0 to 40

RMSE: 0.7628891407243539

R2 score: 0.4796361397893819

From 41 to 48

RMSE: 0.6374211888624806

R2 score: -0.5432147063460999

From 0 to 48

RMSE: 0.7438515275725354

R2 score: 0.6826896064935606

From 49 to 56

RMSE: 0.7037555336934553

R2 score: 0.5106600729724657

---- 0 to EC

From U to 56

RMSE: 0.7383553852177266

R2 score: 0.7169157403672641

From 57 to 64

RMSE: 0.536208764107043

R2 score: 0.4425154565138968

From 0 to 64

RMSE: 0.7165598711128549
R2 score: 0.718851047213944

From 65 to 72

RMSE: 0.6088460602782845 R2 score: 0.3576919444427197

From 0 to 72

RMSE: 0.7055583757751654 R2 score: 0.7393687048722419

From 73 to 80

RMSE: 0.45022162211623046

R2 score: -0.8975136006739859

From 0 to 80

RMSE: 0.6845915917844695

R2 score: 0.8174153468574218

From 81 to 88

RMSE: 0.9034141487529068

R2 score: 0.4283903404688256

test ensemble RMSE, test ensemble R2 = cross validate(EnsembleSolution(ensemble sol

From 0 to 8

RMSE: 0.8958126872467559

R2 score: -0.7269094321656082

From 9 to 16

RMSE: 0.5502091570144318

R2 score: -1.395050306063352

From 0 to 16

RMSE: 0.7531957119067643

R2 score: -0.8238441368589391

From 17 to 24

RMSE: 0.4676036274188001

R2 score: -0.9730906095253504

From 0 to 24

RMSE: 0.6750819057386244

R2 score: -0.8284451395731807

From 25 to 32

RMSE: 0.6485775205687428

R2 score: -0.3529339513208274

From 0 to 32

RMSE: 0.6687530659887596 R2 score: -0.3217253980038164 _____ From 33 to 40 RMSE: 1.1249803273944534 R2 score: -0.29259529646694116 From 0 to 40 RMSE: 0.7790434689034405 R2 score: 0.45736519940503906 _____ From 41 to 48 RMSE: 0.5435743377581986 R2 score: -0.12225423305509064 _____ From 0 to 48 RMSE: 0.7456957067942777 R2 score: 0.6811142850553823 From 49 to 56 RMSE: 0.6943942605604283 R2 score: 0.5235917731604346 _____ From 0 to 56 RMSE: 0.7387104622629416 R2 score: 0.7166434029702649 From 57 to 64 RMSE: 0.5666415405151063 R2 score: 0.37743911083079784 ______ From 0 to 64

print('Benchmark RMSE: {} // Benchmark R2: {}'.format(test_bench__RMSE, test_bench_ print('LSVR RMSE: {} // LSVR R2: {}'.format(test_lsvr__RMSE, test_lsvr_R2)) print('Lasso RMSE: {} // Lasso R2: {}'.format(test_lasso__RMSE, test_lasso_R2)) print('bayesian ridge RMSE: {} // Bayesian ridge R2: {}'.format(test_bay_RMSE, test_lasso_RMSE)

Benchmark RMSE: 1.1902274242440065 // Benchmark R2: -2.4165154102540303 LSVR RMSE: 0.7401323204333284 // LSVR R2: -0.23920364780548428 Lasso RMSE: 0.7566217129287226 // Lasso R2: -0.29827496844569257 bayesian ridge RMSE: 0.693527343546132 // Bayesian ridge R2: -0.03217079926182 Ensemble RMSE: 0.6978649336370706 // Ensemble R2: -0.048808435483526556

print('Ensemble RMSE: {} // Ensemble R2: {}'.format(test ensemble RMSE, test ensemb

✓ 0s completed at 9:25 PM