

Ans.

$$= \textcircled{1} \times \textcircled{2} + \textcircled{3}$$

$$\textcircled{2} (x+y)z + \bar{(x+y)} \cdot \bar{z}$$

\Rightarrow

$$\textcircled{3} [x+y] \left[(x+y)z + (\bar{x+y}) \cdot \bar{z} \right]$$

$$\Rightarrow (x+y)(x+y)z + (x+y)(\bar{x+y}) \cdot \bar{z}$$

$$[A \cdot \bar{A} = 0]$$

\Rightarrow

$$= 0$$

$$(x+y)(x+y)z \cdot [AAz = Az]$$

$$\Rightarrow \cancel{(x+y)} (x+y)z \cdot$$

$$= x'y'z + xy'z$$

Q. Min. no. of Nand Gates.

=

→ Try to convert into $(\bar{A}\bar{B})$ Nand form

① Make SOP form.

② minimise the expression.

③ Search for bubbled OR.

→ Make OR as ↓ bubbled OR

→ make AND as Nand.

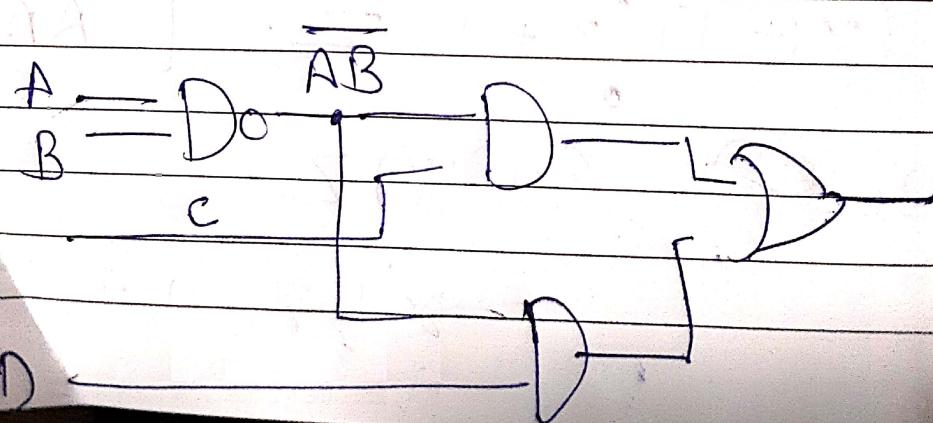
Ex. ~~$(\bar{A}+\bar{B})(C+D)$~~

① SOP form.

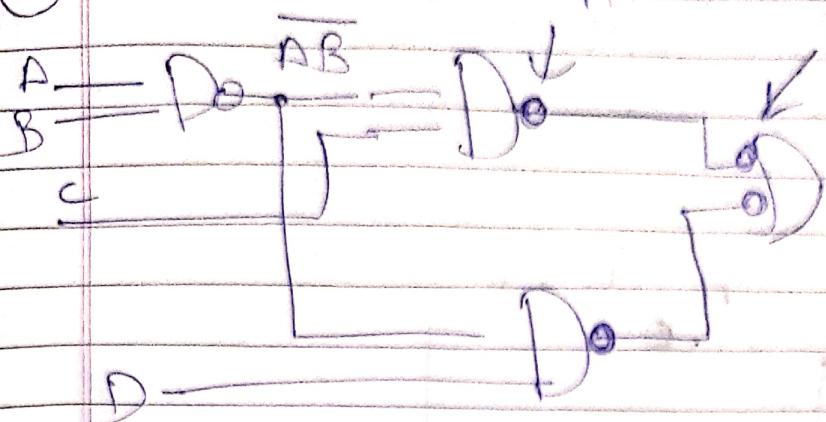
~~$(\bar{A}\bar{B})(C+D)$~~

$$\Rightarrow \bar{A}\bar{B}C + \bar{A}\bar{B}D$$

②



(3)



Ans. 4. ✓

(4)

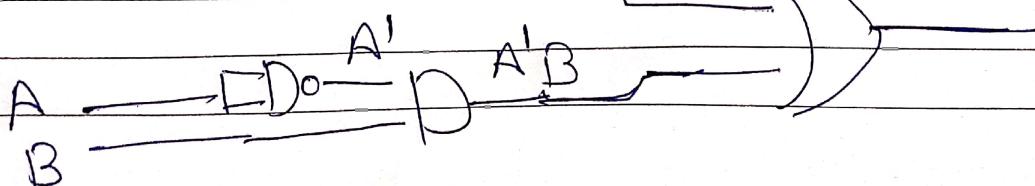
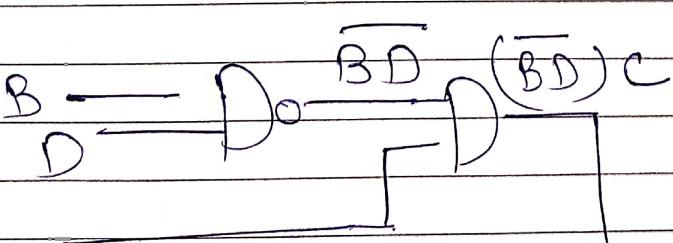
$$A'B + B'C + CD'$$

$$\Rightarrow ① A'B + C(B' + D')$$

$$\Rightarrow A'B + C(\overline{BD})$$

↳ L minal.

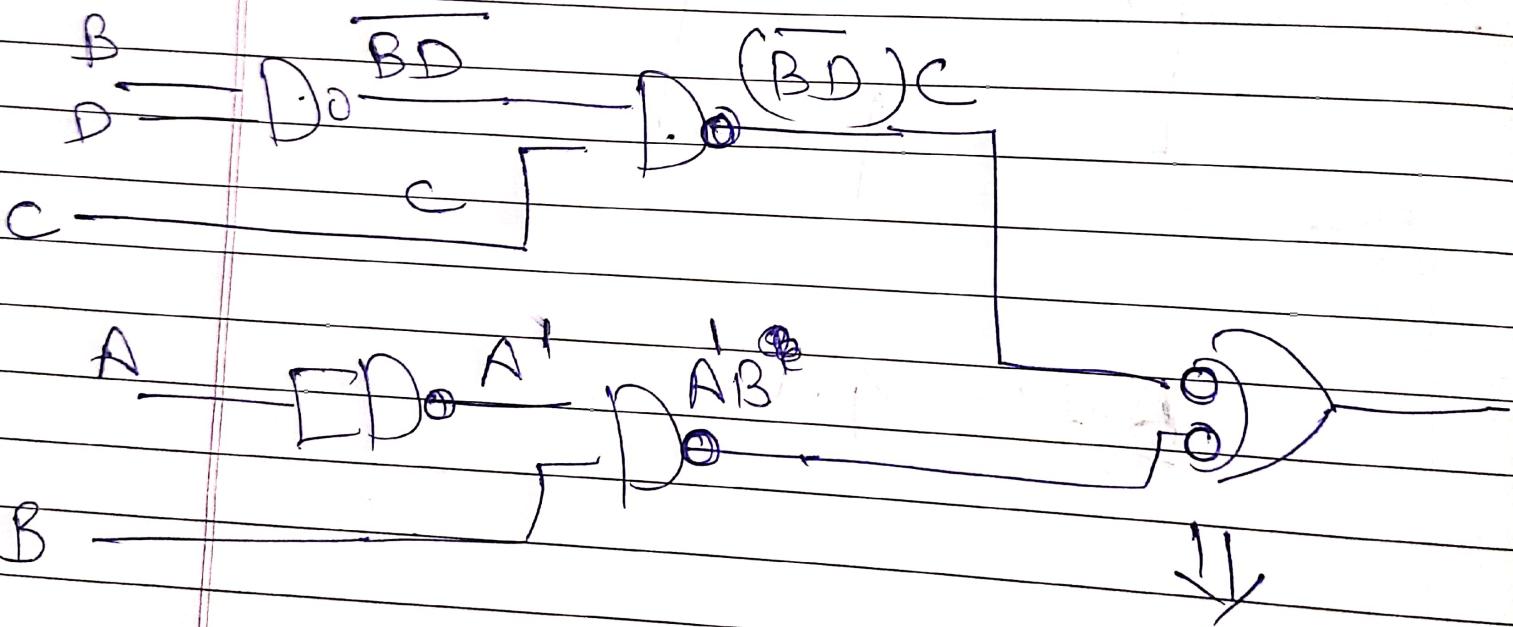
(2)



(3)

make And into Nand.

or into bubbled or.



This is Nand..

Total no.

$\Rightarrow 5 \checkmark$

for Nor gates.

Q.

→ Same AS Nand.

→ Convert Into Pos form.

→ OR → NOR

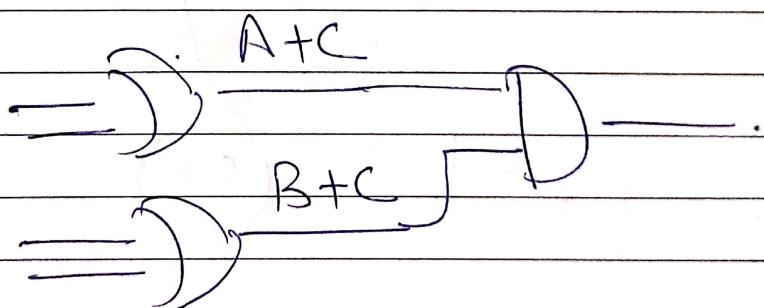
And → bubbled AND] ✓

① $AB + C$.

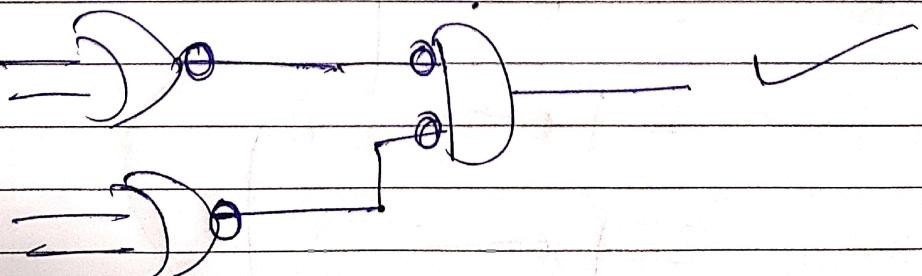
→ Distribution law.

$$(A+C)(B+C) \quad \checkmark$$

②



③



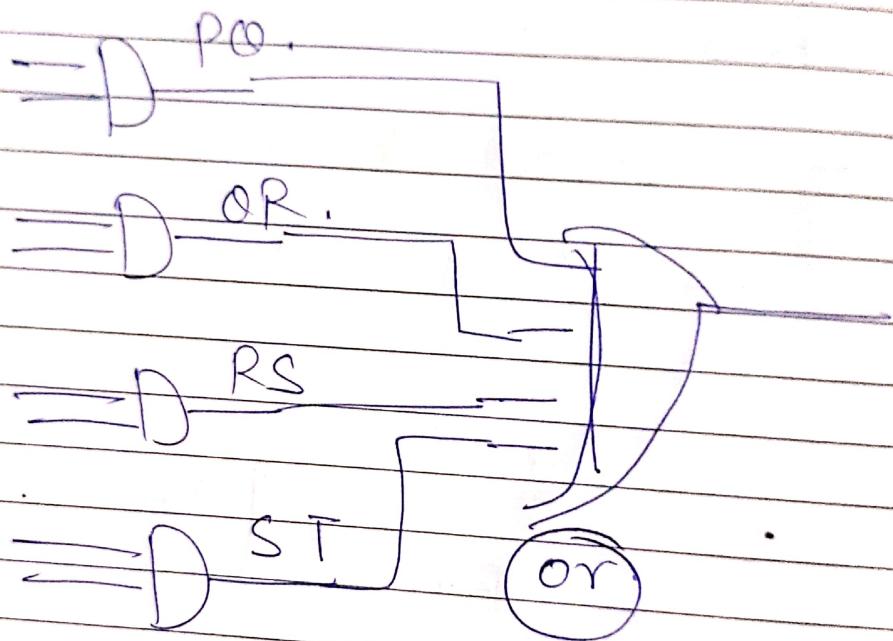
Q. $PQ + QR + RS + ST$:

① Min. Nand Gates ?

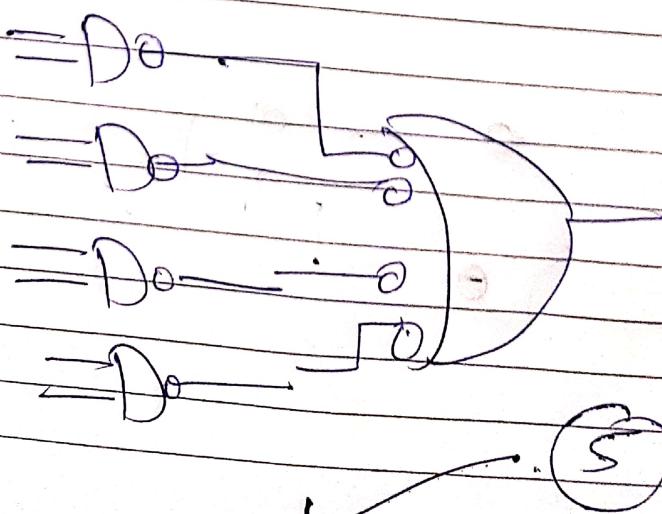
② Min. Nor gates ?

Ans

① Nand Gates.



②



Nor

→ Pos form.

$PO + OR + RS + ST$.

$$Q. (P+R) + S(R+T)$$

* AB + DC, Distributive

$$= (AB + D) (AB + C).$$

$$\Rightarrow [(P+R) Q + S] \cdot (P+R) Q + (R+T)]$$

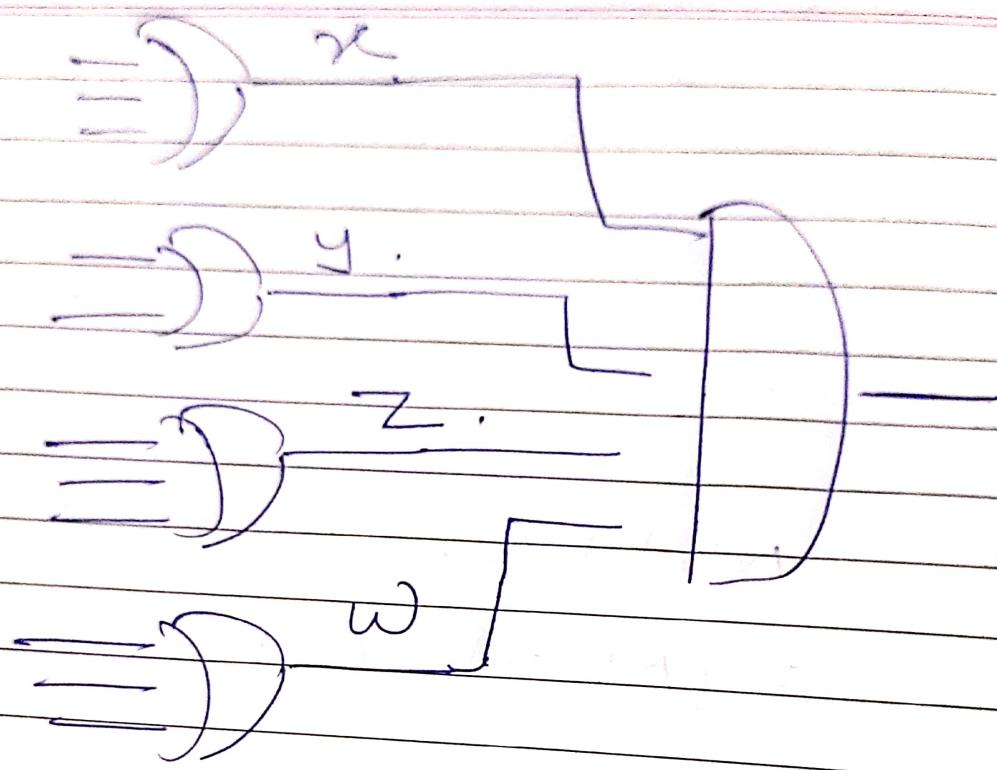
Again Distributive law.

$$AB + C = (A+C) (B+C)$$

$$\Rightarrow [S + P + R] [S + Q] [(R+T+O) (R+T) + (P+R)]$$

$$= 0 \quad \begin{matrix} [S + P + R] [S + Q] & [(R+T+O) (R+T+P)] \\ \underbrace{\qquad\qquad\qquad}_{x} \quad \underbrace{\qquad\qquad\qquad}_{y} & \underbrace{\qquad\qquad\qquad}_{z} \quad \underbrace{\qquad\qquad\qquad}_{w} \end{matrix}$$

Pos form.



→ convert or to Nor
And to bubb. And.

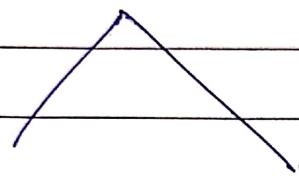
No. of Nor gates.

$$= 5 \checkmark$$

full Adder

① Sum = $A \oplus B \oplus C$.

② Carry.



AB + (A \oplus B)C. (B) AB + BC + CA.

3 And (Parallel)
1 Or.

⇒ Take Prop. delay of sum & carry
separately.