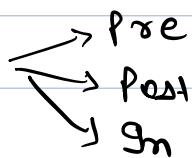


Today's Content :-

Trees → Basic Idea

Terminologies

Binary Tree

Traversal 

Size

Height.

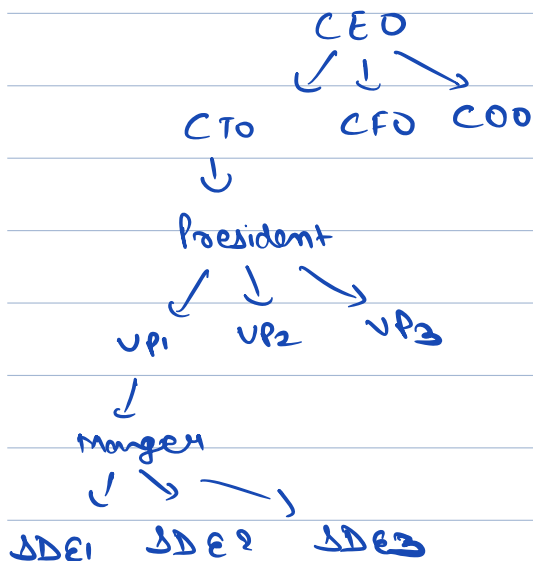
Today's Quote :-

If you can't be happy with a
coffee, you won't be happy
with a yacht.

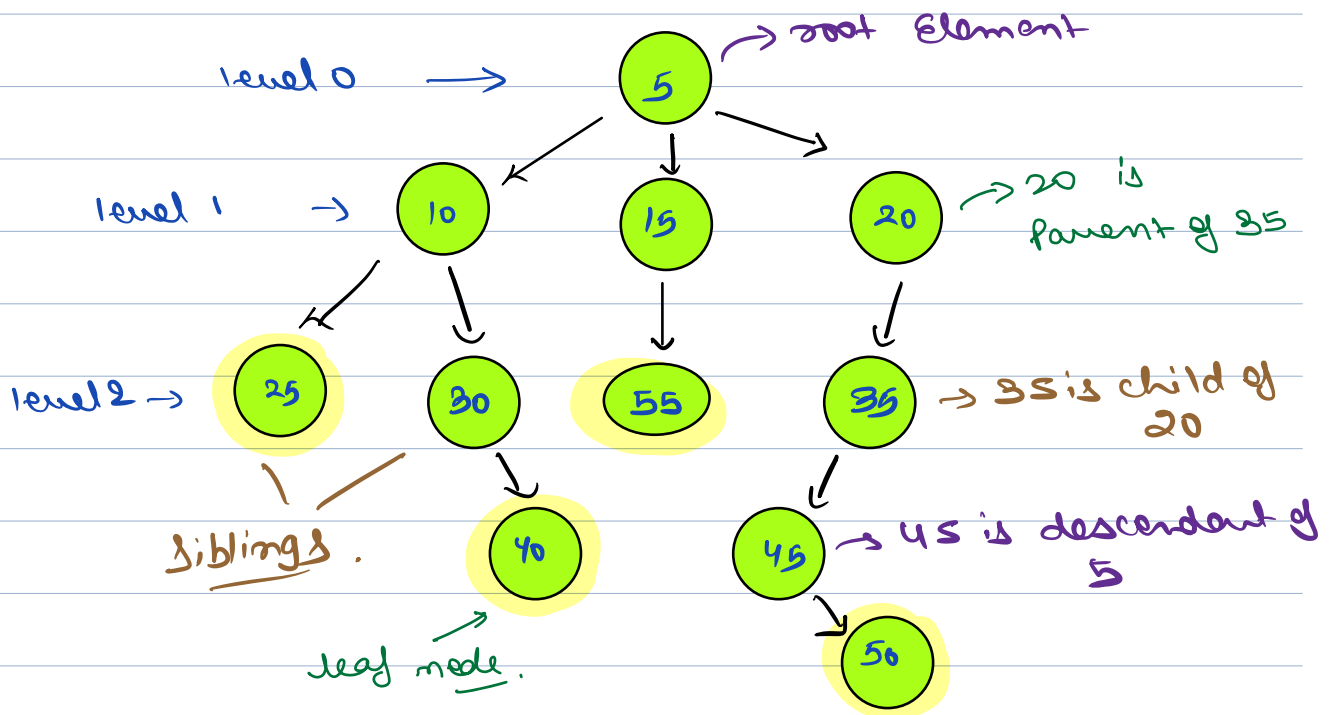
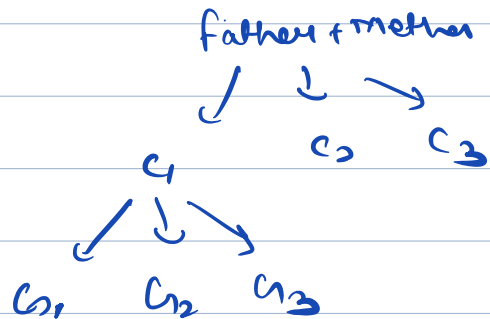
Linear

↳ arrays, LL, stacks, Queues.

Hierarchical Data :-



Family Tree

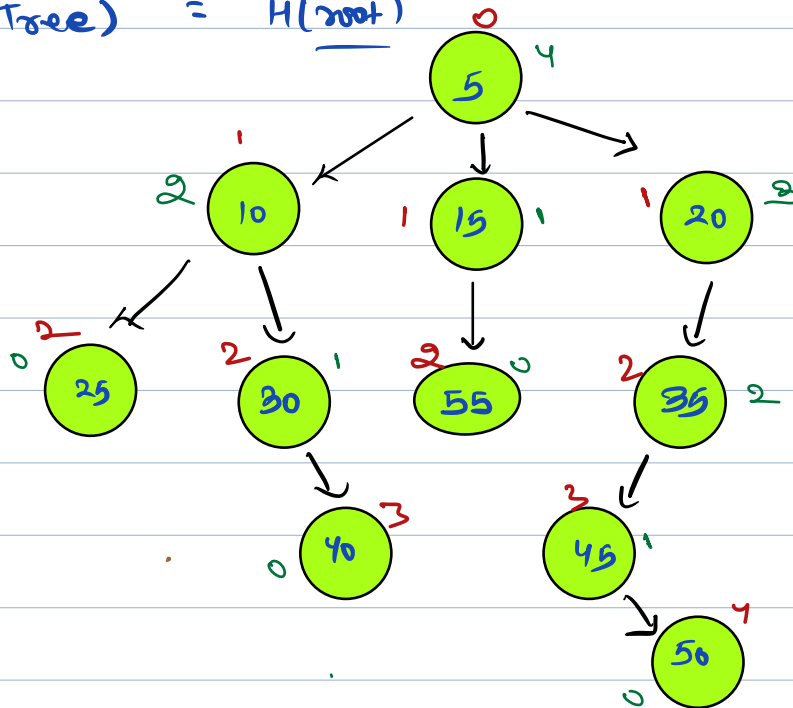


Leaf Node :- Node with no child.

Root Node :- Node without a parent.

$H(\text{Node}) = 1 + \text{Max}(\text{Height of its children})$

$H(\text{Tree}) = H(\text{root})$

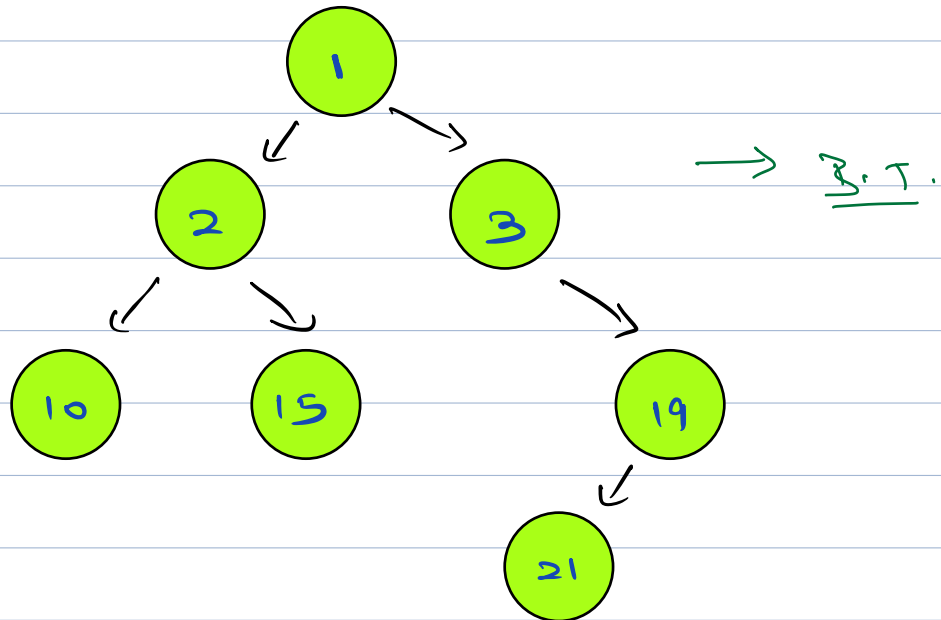


Height(Node) :- Length of longest path from that node to any leaf node below it.

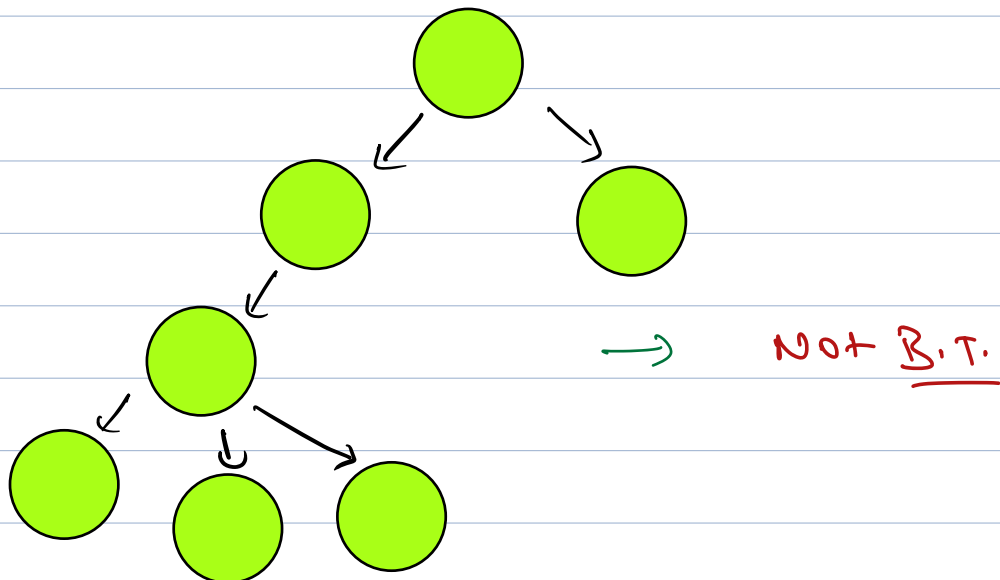
depth(Node) :- Length of path from root to that node.

$\text{depth}(\text{Node}) = 1 + \text{depth}(\text{its parent})$.

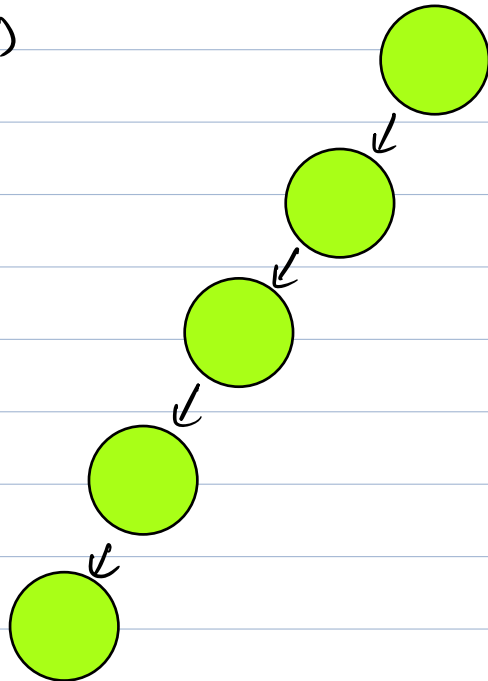
Binary Tree :- → Every node can at max have 2 children.



eg 2)



e.g 3)



→ B.T.

4)



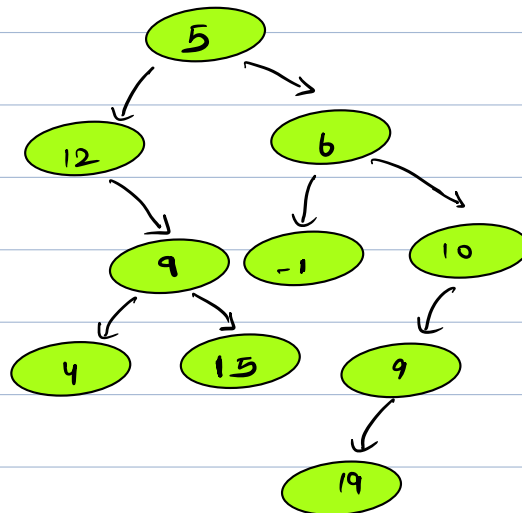
→ B.T.

```
class Node {  
    int data;  
    Node left;  
    Node right;  
    Node (int x) {  
        data = x;  
        left = null;  
        right = null;  
    }  
}
```

Tree Construction
↓
Advance.

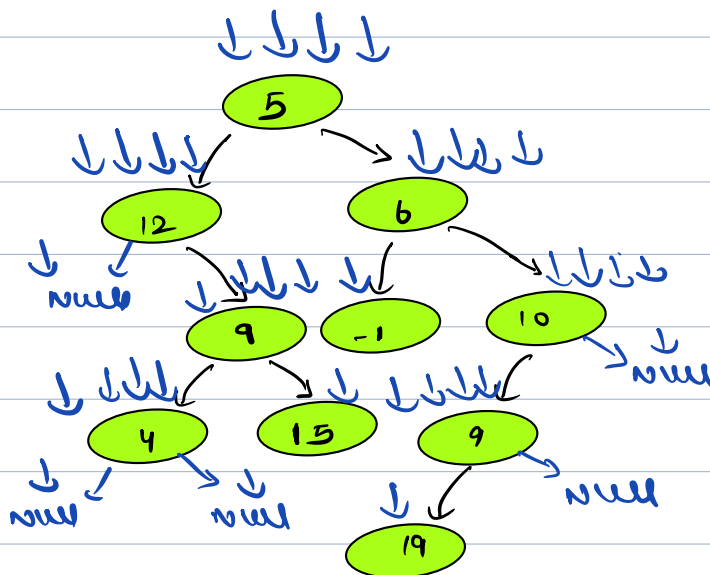
Tree Traversals :-

- 1) Inorder
- 2) Preorder
- 3) Postorder



1) InOrder :-

Left Data Right



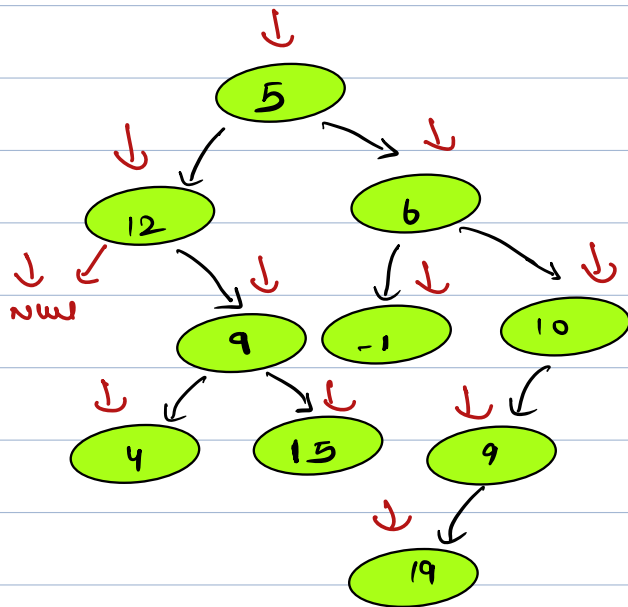
12 4 9 15 5 -1 6 19 9 10

L R

```

void InOrder (Node root) {
1   if (root == null) { return; }
2   inorder (root.left);
3   print (root.data);
4   inorder (root.right);
}

```

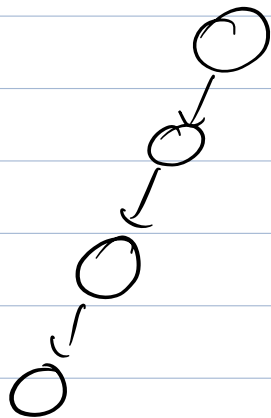


12 4 9 15 5 -1 6
19 9 10

S.C \rightarrow O(N).

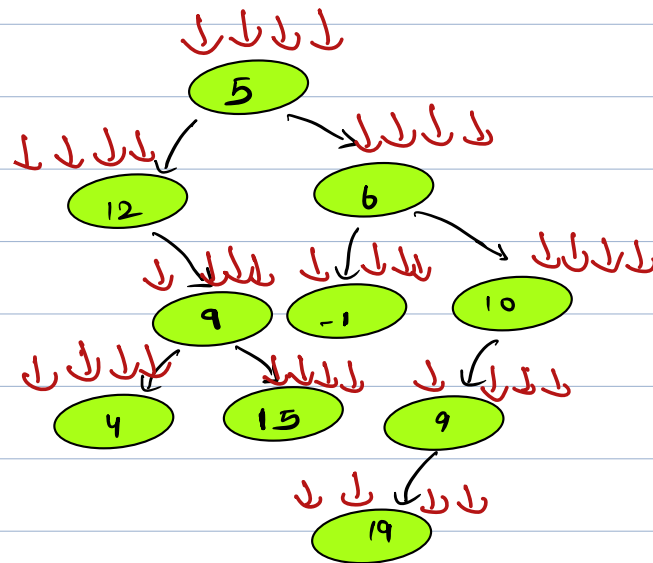
T.C \rightarrow O(N)

* In a skewed Tree



→ Height = 3

2) Preorder:- Data Left Right



5 12 9 4 15 6 -1 10 9 19


```

void PreOrder (Node root) {
1   if (root == null) & return;
2   print (root.data);
3   PreOrder (root.left);
4   PreOrder (root.right);
}

```

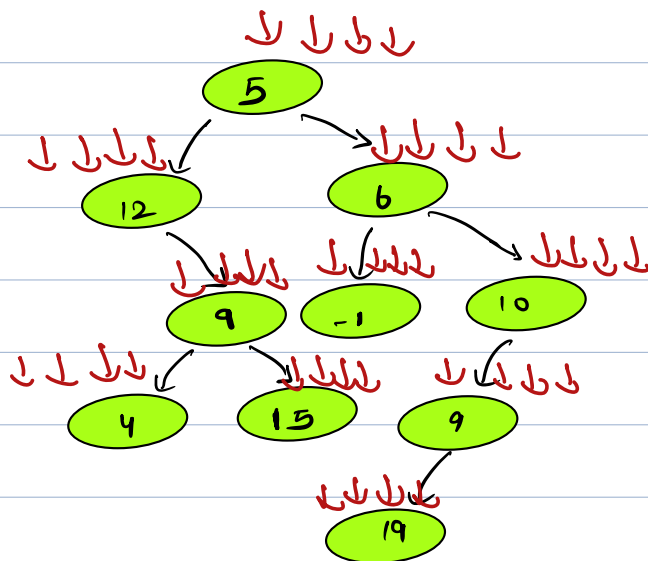
3

T.C $\rightarrow O(N)$, S.C $\rightarrow O(H)$.

\hookrightarrow Dry Run \rightarrow Todo .

3) Post Order :-

Left Right Data .



4 15 9 12 -1 19 9 10 6 5

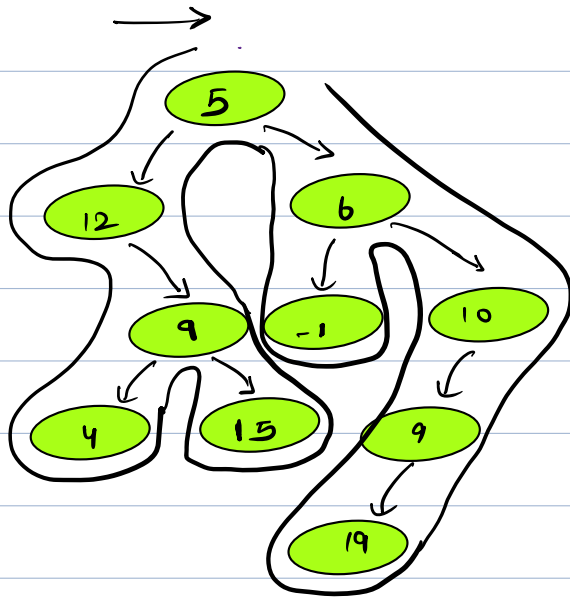
```

1 void postOrder (Node root) {
2     if (root == null) { return; }
3     postOrder (root.left);
4     postOrder (root.right);
5     print (root.data);
6 }

```

T.C $\rightarrow O(N)$

S.C $\rightarrow O(H)$



Inorder :- LDR

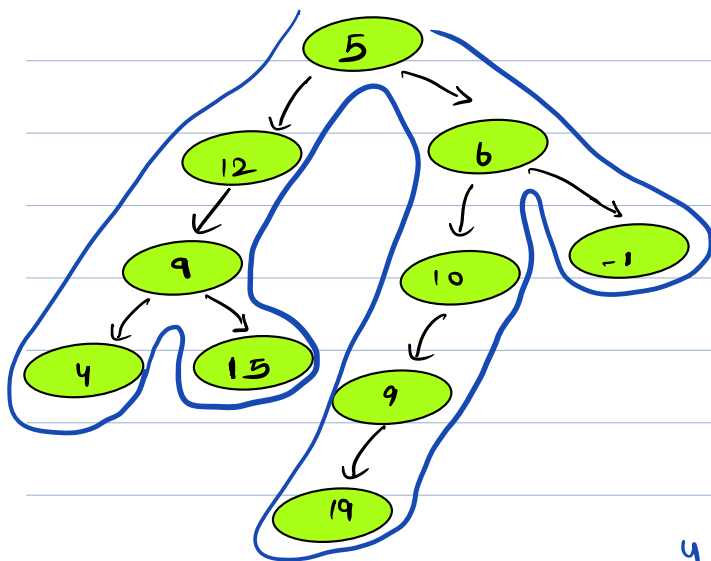
12 4 9 15 5 -1 6 19 9 10

Preorder :- DLR

5 12 9 4 15 6 -1 10 9 19

Postorder :- LRD

4 15 9 12 -1 19 9 10 6 5



Inorder:-

4 9 15 12 5 19 9

10 6 -1

Preorder:-

5 12 9 4 15 6 10 9 19

-1

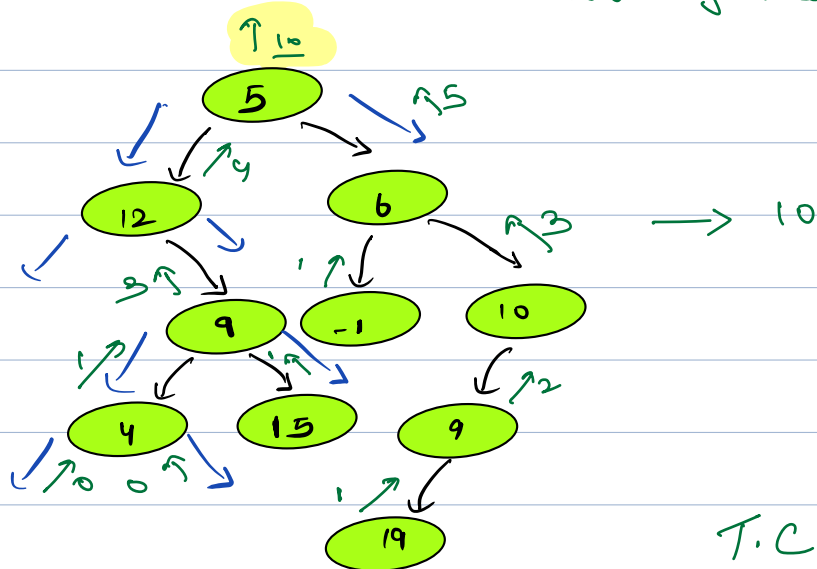
Postorder:-

4 15 9 12 19 9 10 -1 6

5

* Calculate size of tree,

↳ no. of nodes in Tree,



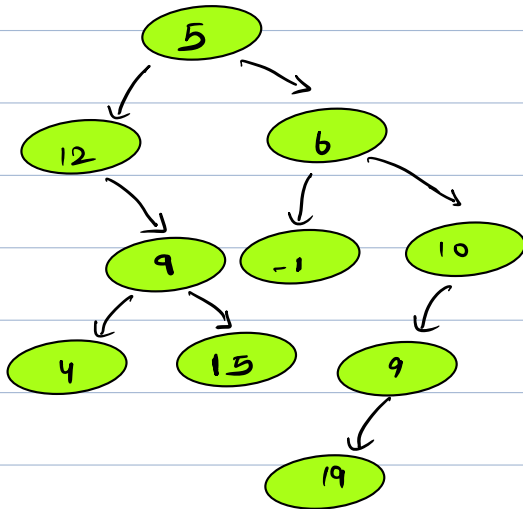
T.C $\rightarrow O(N)$
S.C $\rightarrow O(1)$,

```
int size (node root) {
    if (root == null) { return 0 }

    int l = size (root.left);
    int r = size (root.right);
    return l + r + 1;
}
```

3

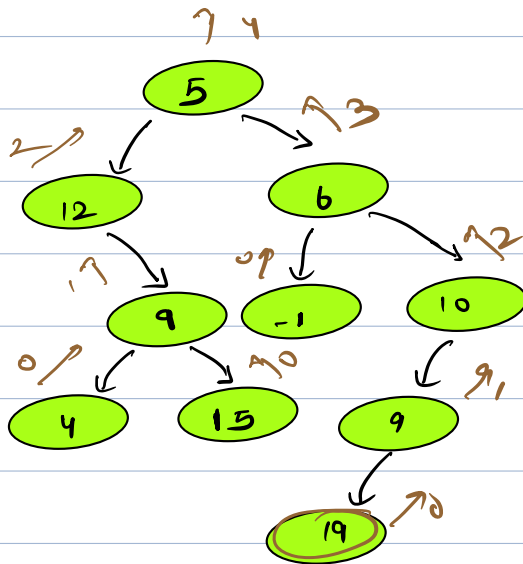
Ques) Sum of nodes:-



```
int sum (node root) {  
    if (root == null) { return 0; }  
    int l = sum (root->left);  
    int r = sum (root->right);  
    return l + r + root->data;
```

}

Ques) Calculate height of tree:-



```
int height(node root) {  
    if (root == null) { return -1;  
    int l = height(root->left);  
    int r = height(root->right);  
    return Max(l, r) + 1;  
}
```

Uses of Trees:-

Folder Structure

B-tree, B+tree \rightarrow indexing in dbs.

Syntax Tree:-

Red black tree, AVL tree.

we'll have 1 P.S.

Wednesday.

(P.S) \rightarrow Sunday \rightarrow 9pm

6pm or 5pm.