

Expt.No. : 01

Date : 8/9/2021

Page No : 1

Expt.Name : Spectrum Analyser and observe spectrum

Aim:- To Study Spectrum Analyzer and observe the spectrum of Sinusoidal Signal and Square wave.

Apparatus:-

(i) Spectrum Analyser (9KHZ - 3GHZ)

(ii) Function

Theory :- A Spectrum Analyser is a laboratory instrument that displays signal amplitude (Strength) as it varies by signal frequency. The frequency appears on the horizontal axis, and the amplitude is displayed on the vertical axis. To the casual observer, a Spectrum analyzer looks like an oscilloscope and in fact, some labs instruments can function as oscilloscope / Spectrum analyzers.

A Spectrum analyzer can be used to determine whether (or) not a wireless transmitter is working according to federally defined standards for purity of emissions. Output signals at frequencies other than the intended communications frequency appear as vertical lines up (Pips) on display. A analyzer can also be used to determine, by direct observation, the bandwidth of digital/ analog signal.

A Spectrum analyzer interface is a device that can be connected to a wireless receiver or Personal Computer to allow virtual detection and analysis of frequencies.

Features of Lab Instrument GSP-830 (Gwinster)

* 5 markers with delta markers and Peak functions.

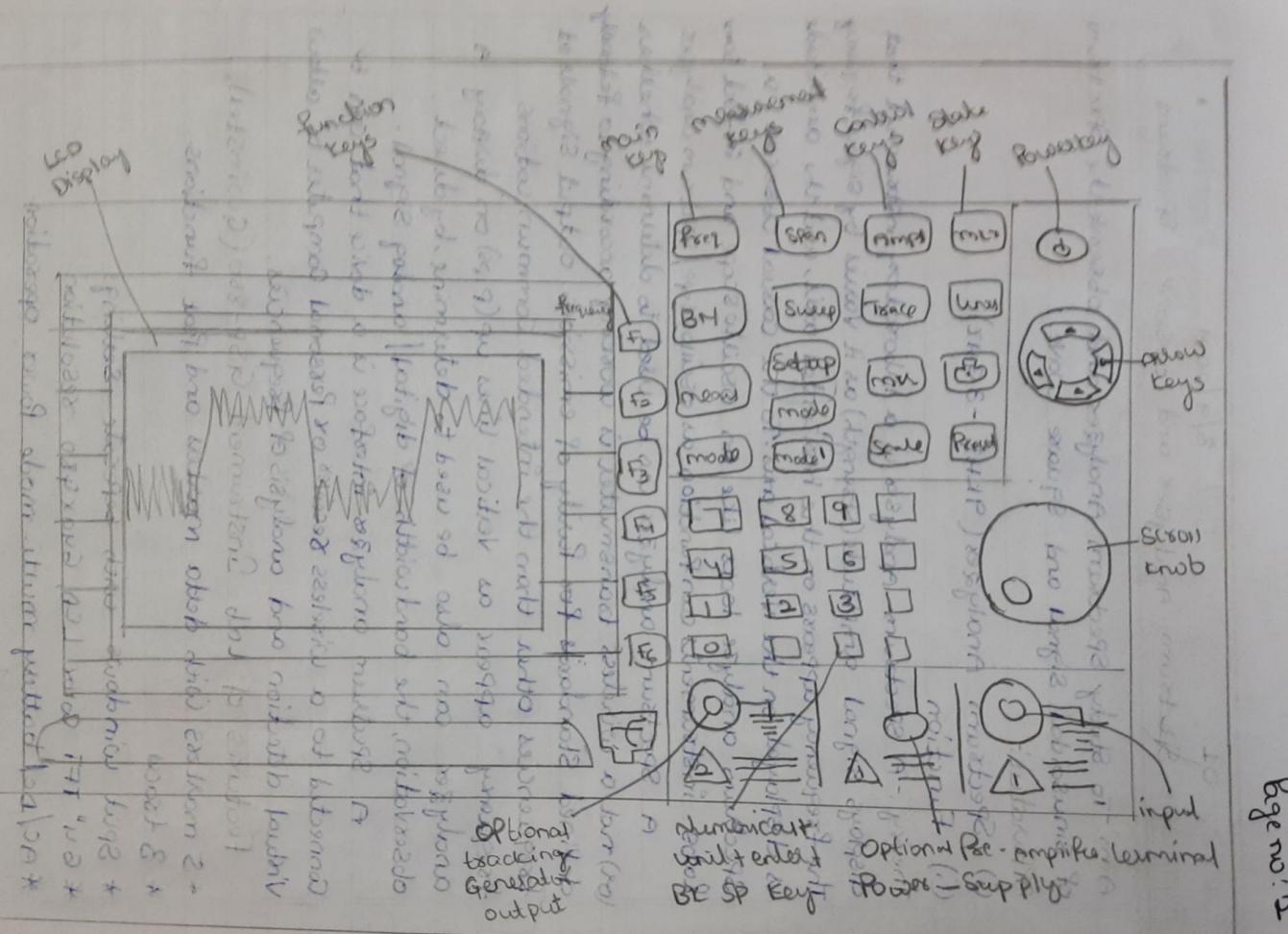
* 3 traces

* Split windows with separate settings

* 6.4" TFT Color LCD, 640x480 resolution.

* AC/DC/battery multi-mode power operation.

Signature



Expt.No. : 1

Date :

Page No : 3

* Auto Set

* 9KHZ - 3GHZ Frequency range

1) Frequency

* Frequency / Span :- Sets the frequency scale

* View Signal :- defines center frequency and left/right bandwidth

* Setting Frequency adjustment Step :- arrow keys resolution for center, start and stop frequency

Panel Operations:-

→ Press Frequency keys

→ Press F₄ (Step)

→ Enter Value using keys

2) Range: 9KHZ to 3GHZ

3) Set Center Frequency:-

Panel Operations:-

* Press Frequency key

* Press F₁ (center)

* Enter Value using keys

4) Set Frequency Span:-

Panel Operations:-

→ Press Span key

→ Press F₁ (Span)

→ Enter Value using keys.

5) View Signal (Start & Stop)

→ Start and Stop define beginning & end of frequency range

→ Arrow keys or scroll keys makes resolution: 1/10.

6) Set Start Frequency

Panel Operations:-

Signature

Panel operation:-

- * Press frequency key
 - * Press F₂(start)
 - * enter value using keys.
- 7) Set Stop Frequency:-

Panel operation:-

- * Press frequency key
- * Press F₂(Stop)
- * enter value using keys.

8) Full (or) Zero Span:-

- * Full (or) Zero Span Sets Span to extreme.

Values:- 3GHz (full) or 0kHz (Zero).

9) Display Full Frequency Span:-

Panel operation:-

- * Press SPAN key.

- * Press F₂ key

- * Range : 3GHz

* Center frequency : 1.5GHz ; Start frequency : 0kHz

Stop frequency : 3GHz

10) Zero Span display

- * Press F₃ key

* Start frequency = Stop frequency = Center frequency.

Amplitude Selection and Setting method.

i) Amplitude:- Amplitude key acts vertical attribute of display including upper limit, vertical range, vertical limit and to external gain or loss.

Signature

Expt.No. :

Date :

Page No : 9

Expt.Name :

7) Set Vertical Scale:-

* Vertical display scale is defined by reference amplitude range, measurement unit and external gain/loss

8) Set Vertical Reference Scale Amplitude:-

* Panel operation

* Press amplitude key

* Press F_1

* enter value using keys and arrows.

Range:-

\rightarrow dBm - 110 to 20dBm, 0.1dB resolution

\rightarrow dBmV - 63.1 to 66.99 dBmV, 0.01dB resolution

\rightarrow dBmV - 3.01 to 126.99 dBmV, 0.01dB resolution.

9) Select Amplitude Scale:-

Panel operation:-

* Press amplitude key

* Press F_2 (Scale dB/DIV)

* Repeatedly to Select Scale

Range: 10, 5, 2, 1 dB/DIV

* Press F_3 and select, Press until from F_1 (dBm), F_2 (dBmV), F_3 (dBmV)

* F_4 to go to Previous menu.

10) Background:-

* external offset compensates amplitude gain/loss caused by an external network or device Panel operation.

* Press amplitude key.

* Press F_4

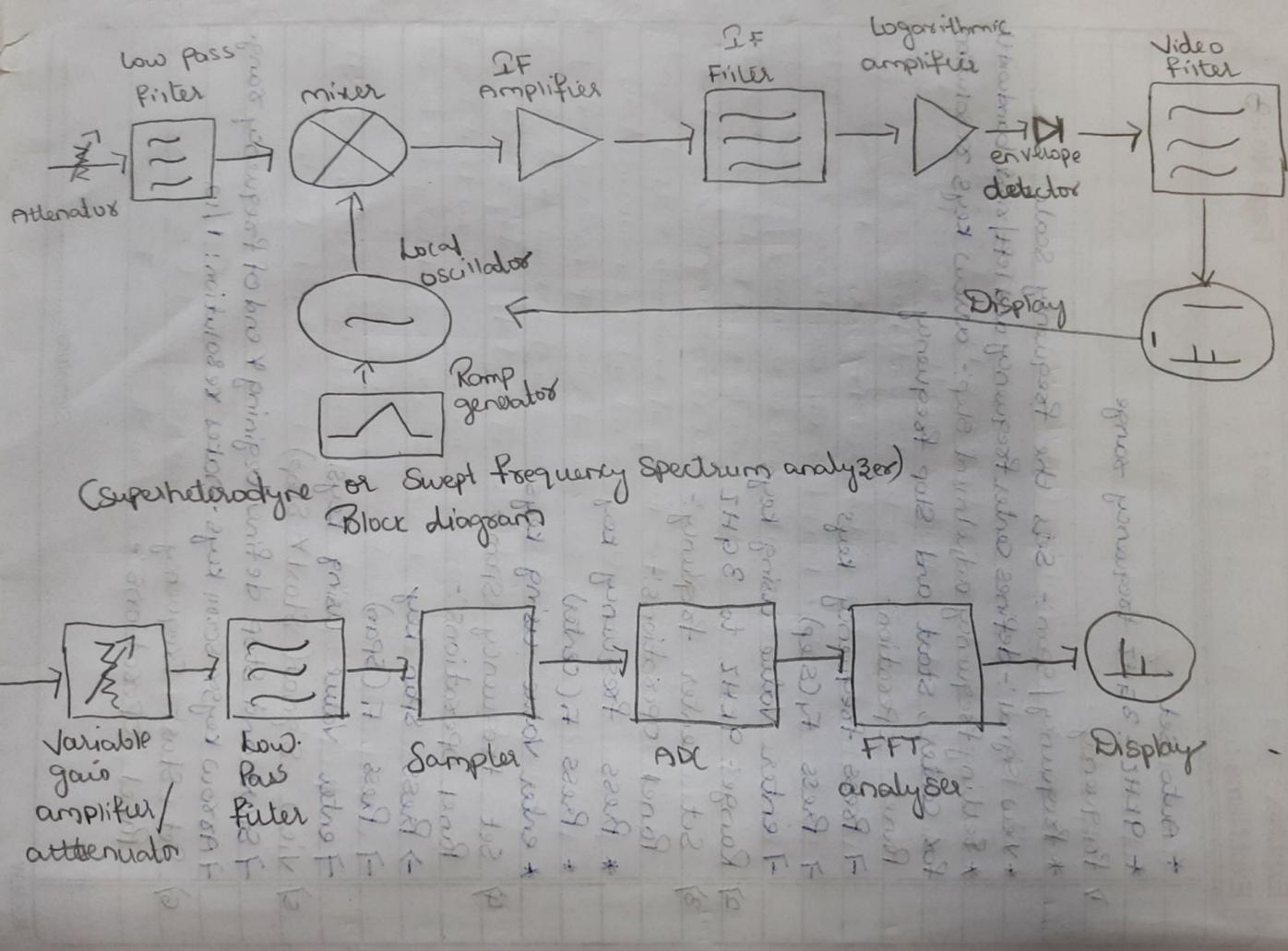
* enter value using keys ~~and~~ arrows and scrolls

Range:- -20dB to +20dB, 0.1dB resolution.

Signature

Block Diagram:-

(5)



Icon:-

- * The amplitude icon appears at bottom of display when the external offset changes. To check whether spectrum analyzer is working properly. Press System key, Press auxiliary signal, Select an option from side given menu following signal will generate 10MHz signal with 10dB amplitude.

Observation:-

Waveform:- Sine

S.no	Frequency(KHz)	Amplitude(mv)
1	2	1
2	2.5	1.1
3	3	1.5
4	4	2
5	5	2.4

Waveform:- Square

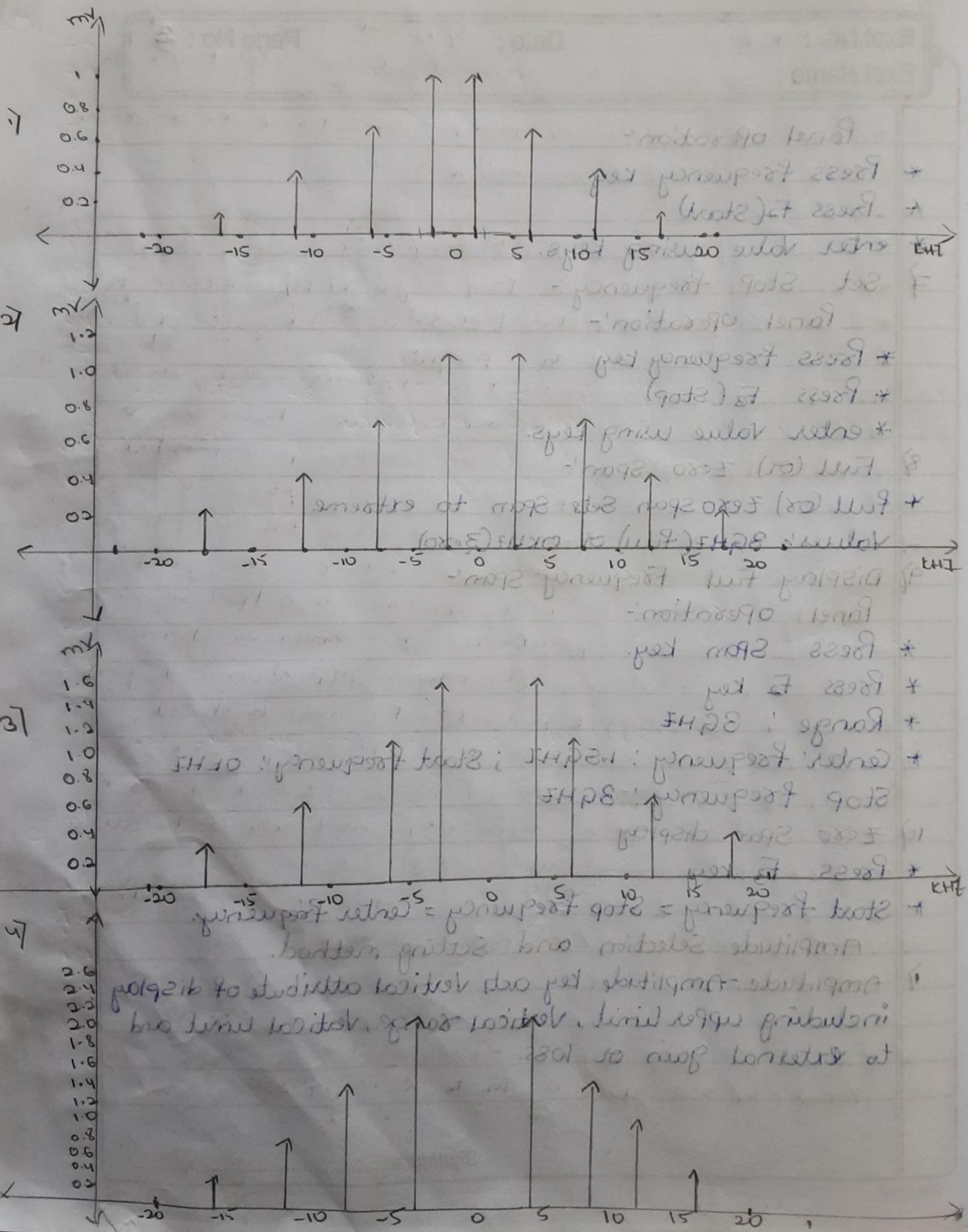
S.no	Frequency(KHz)	Amplitude(mv)
1	2	1
2	2.5	1.2
3	3	1.5
4	4	1.6
5	5	2

Conclusion:- Hence, successfully verified and analyzed the spectrum of Sine and Square wave-form for different frequency and amplitude.

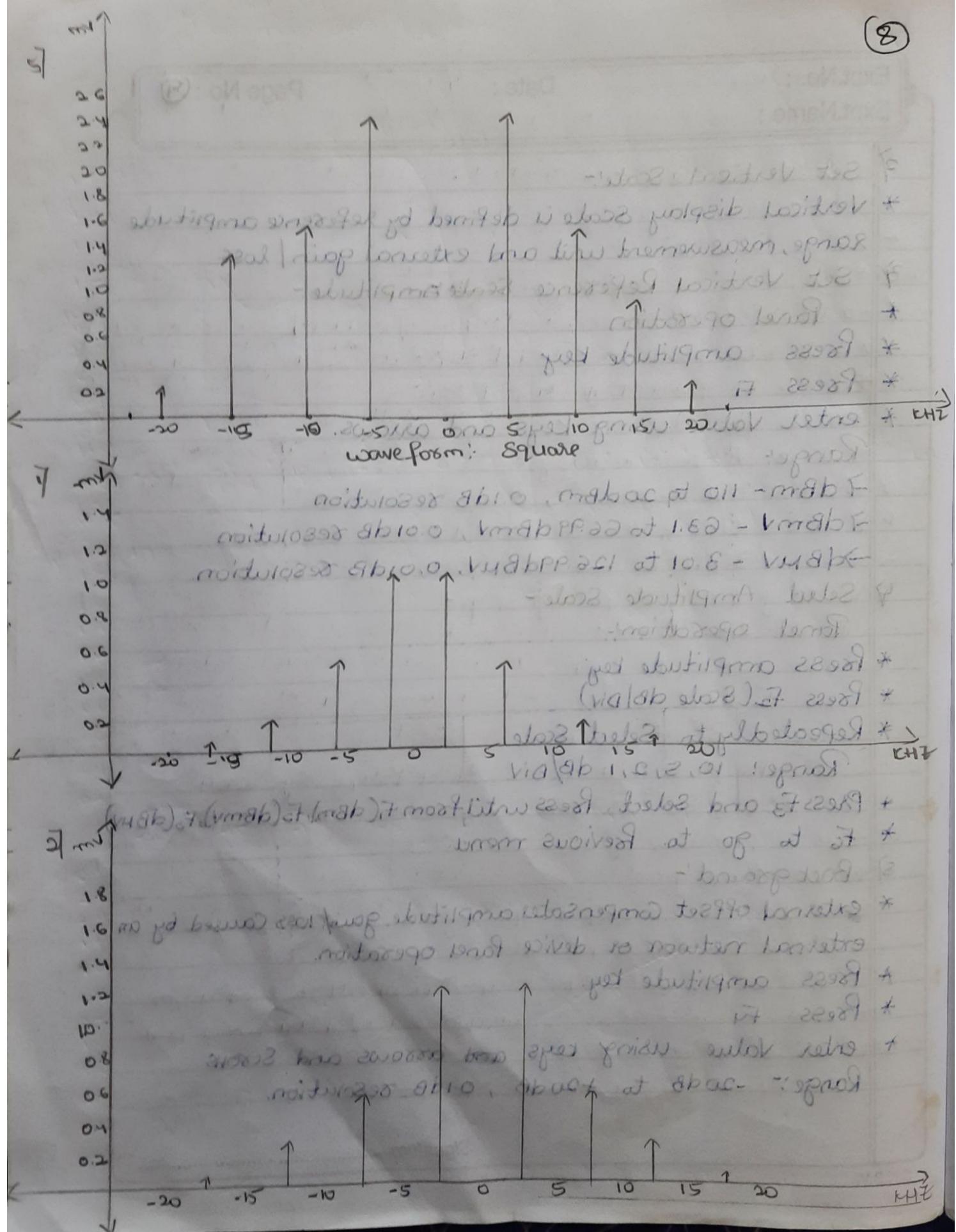
Signature

Waveform : Sine

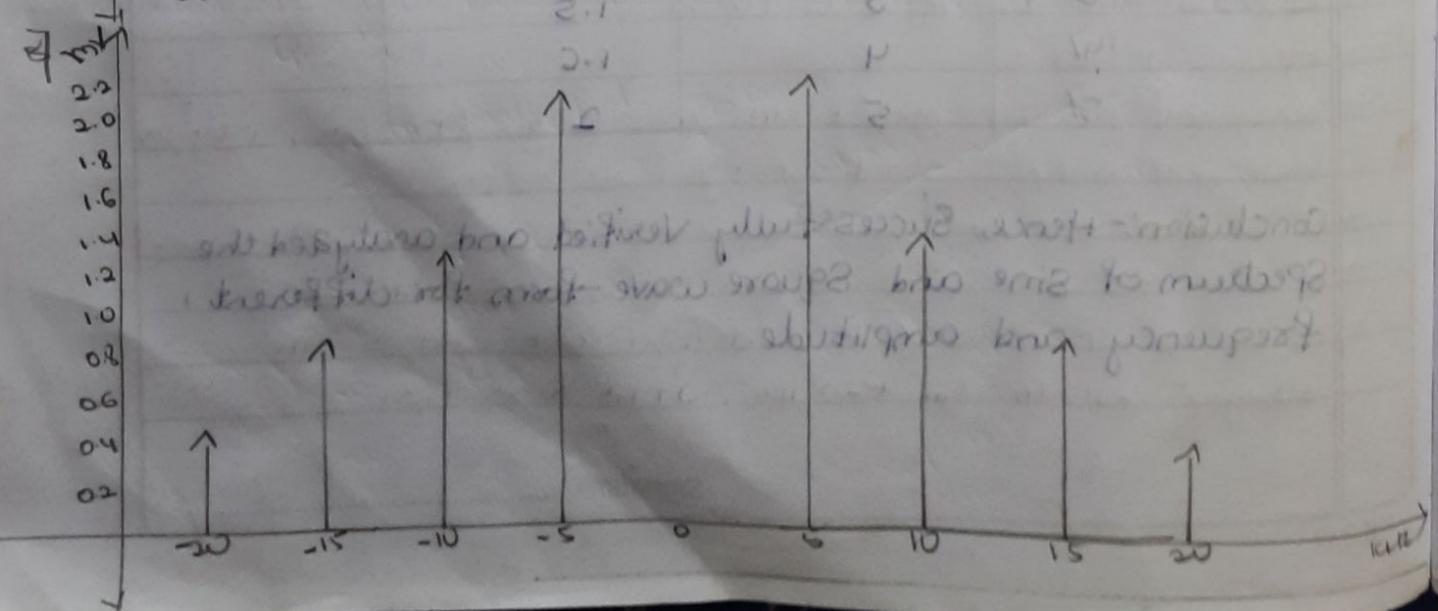
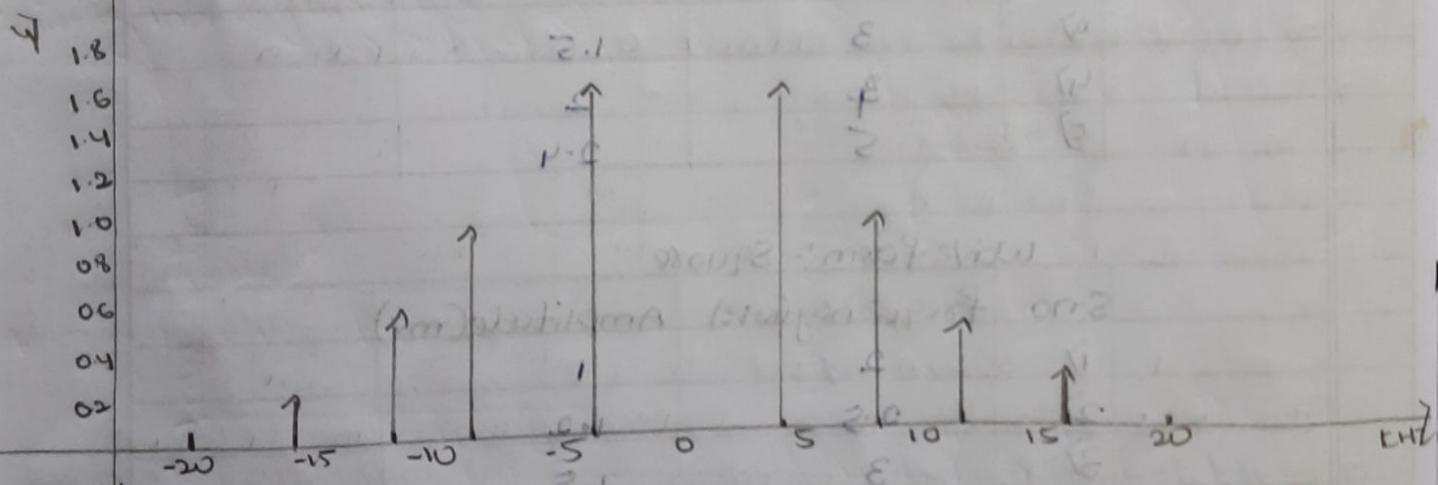
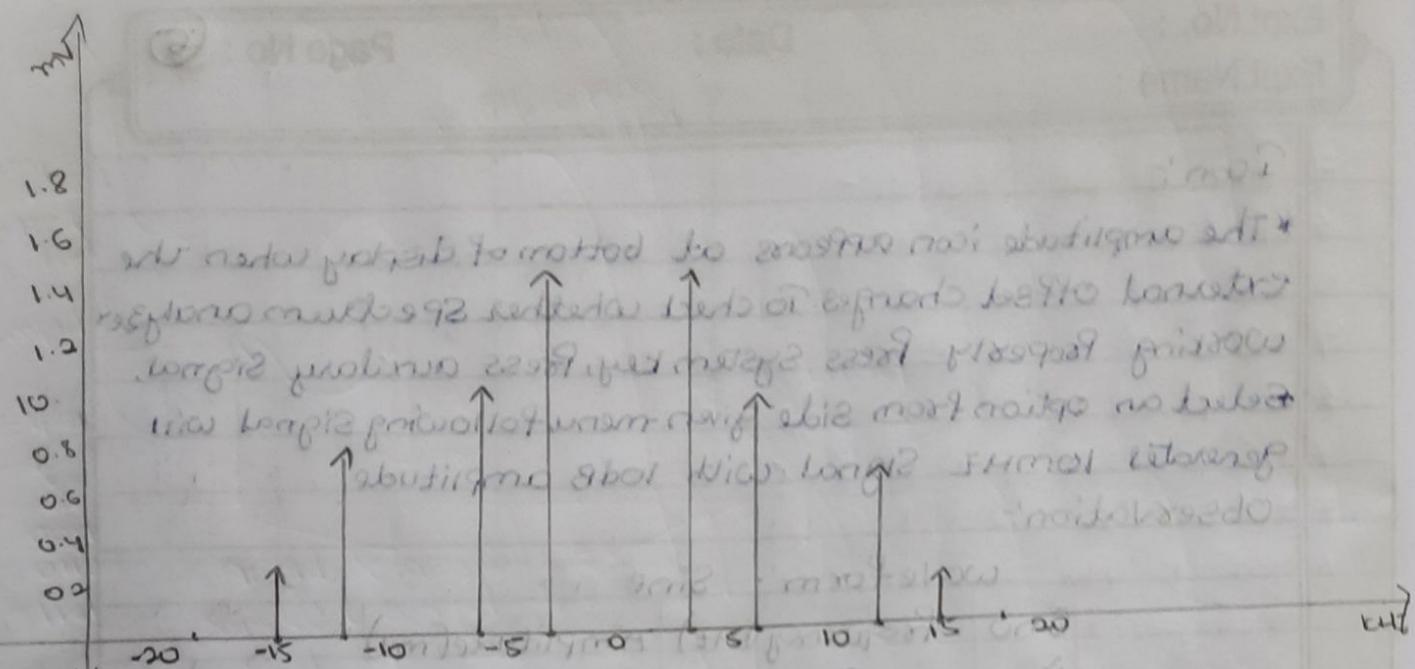
(2)



(8)



(9)



Expt.No. : 2

Date : 9/9/2021

Page No : 10

Expt.Name : To examine Sampling and reconstruction of Signal

Aim :- To examine Sampling and reconstruction of Signal, Verify the Nyquist criteria by varying Sampling Frequency. Draw Sampled version of waveforms. For conditions i) $f_s < 2f_m$ ii) $f_s > 2f_m$ iii) $f_s = 2f_m$ where f_s - Sampling frequency; f_m - max base band frequency and represent output responses for different order low Pass filter.

Apparatus :- Nyquist Applet

Theory :- A continuous time signal can be stored in a digital computer in form of equidistant discrete points or sample. The higher the sampling rate (f_s), the more accurate would be stored information and signal reconstruction from its samples. However, high sampling rates produces a large volume of data to be stored.

Analog Signal :- Continuous time varying feature of signal.

Digital Signal :- data as a sequence of discrete values.

Technique used for Analog-to-digital converters \rightarrow Pulse code modulation. It has following

* \rightarrow Sampling :-

* Quantization \Rightarrow Digitalization

* Encoding

* Sampling is process of measuring instantaneous values of continuous-time signal in discrete form. Sample is a piece of data taken from whole data which is continuous in time domain.

* When a source generates an analog signal and if that has to be discretized in time. This discretization of analog signal is called Sampling.

It is obvious that a much higher sampling rate is needed for sampling a signal which is rich in high frequency component such as sound of music compared to sampling freq needed for

Signature

Expt.No. :

Date :

Page No. :

Expt.Name :

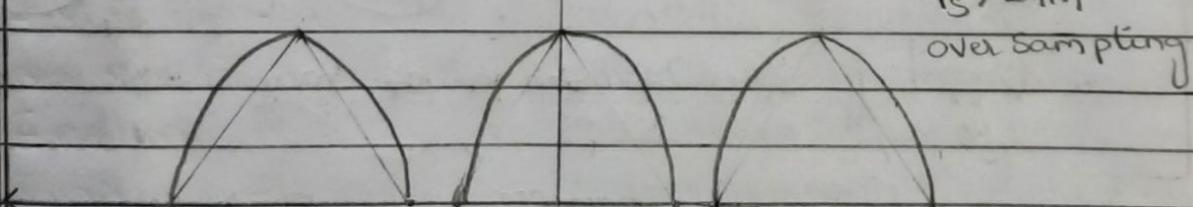
Sampling a slowly varying signal, such as the output of a gas-chromatograph detector or the Potential of a glass-electrode during acid-base titration.

The minimum Sampling Frequency of a signal that it will not distort its underlying information, should be double the frequency of its highest frequency component this is Nyquist sampling theorem.
Nyquist Rate:-

Suppose that a signal is band-limited and ω is highest Frequency. Therefore for effective reproduction of original signal the Sampling rate should be twice highest frequency i.e. $f_s = 2f_{\text{max}}$.

* This is Nyquist rate of Sampling
Condition 1 :-

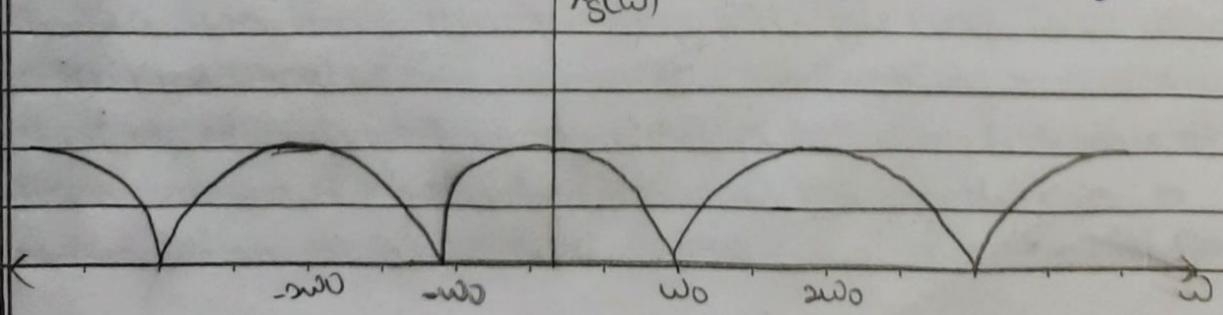
OverSampling - If Sampled at higher rate than 2ω in Frequency domain ($f_s > 2f_{\text{max}}(\omega)$)
$$x_s(\omega) = \frac{1}{T_s} \sum_{n=0}^{\infty} x(\omega - n\omega_d)$$



Here information is reproduced without any loss. There is no aliasing.

Condition 2 :-

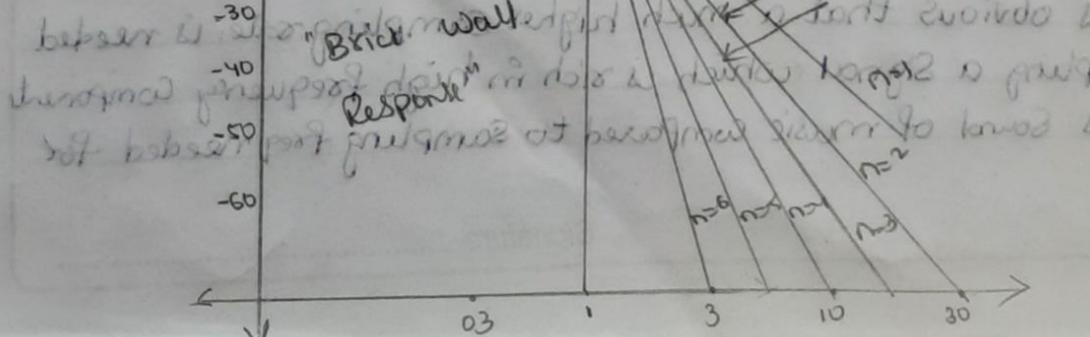
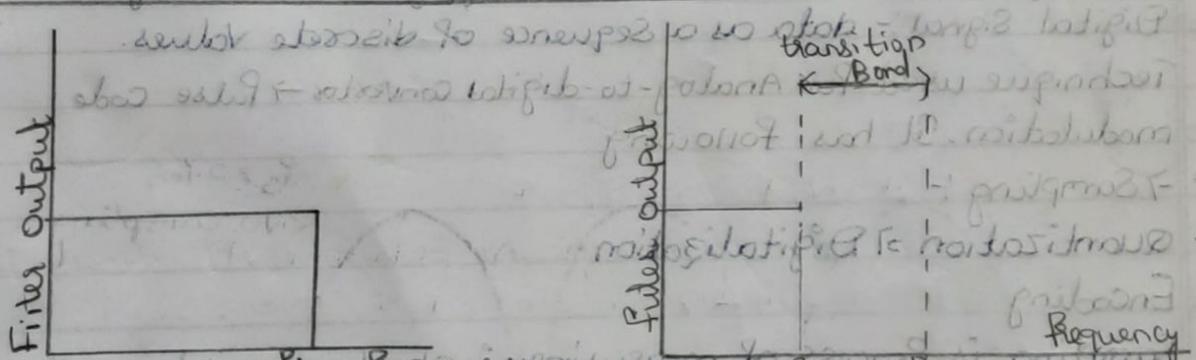
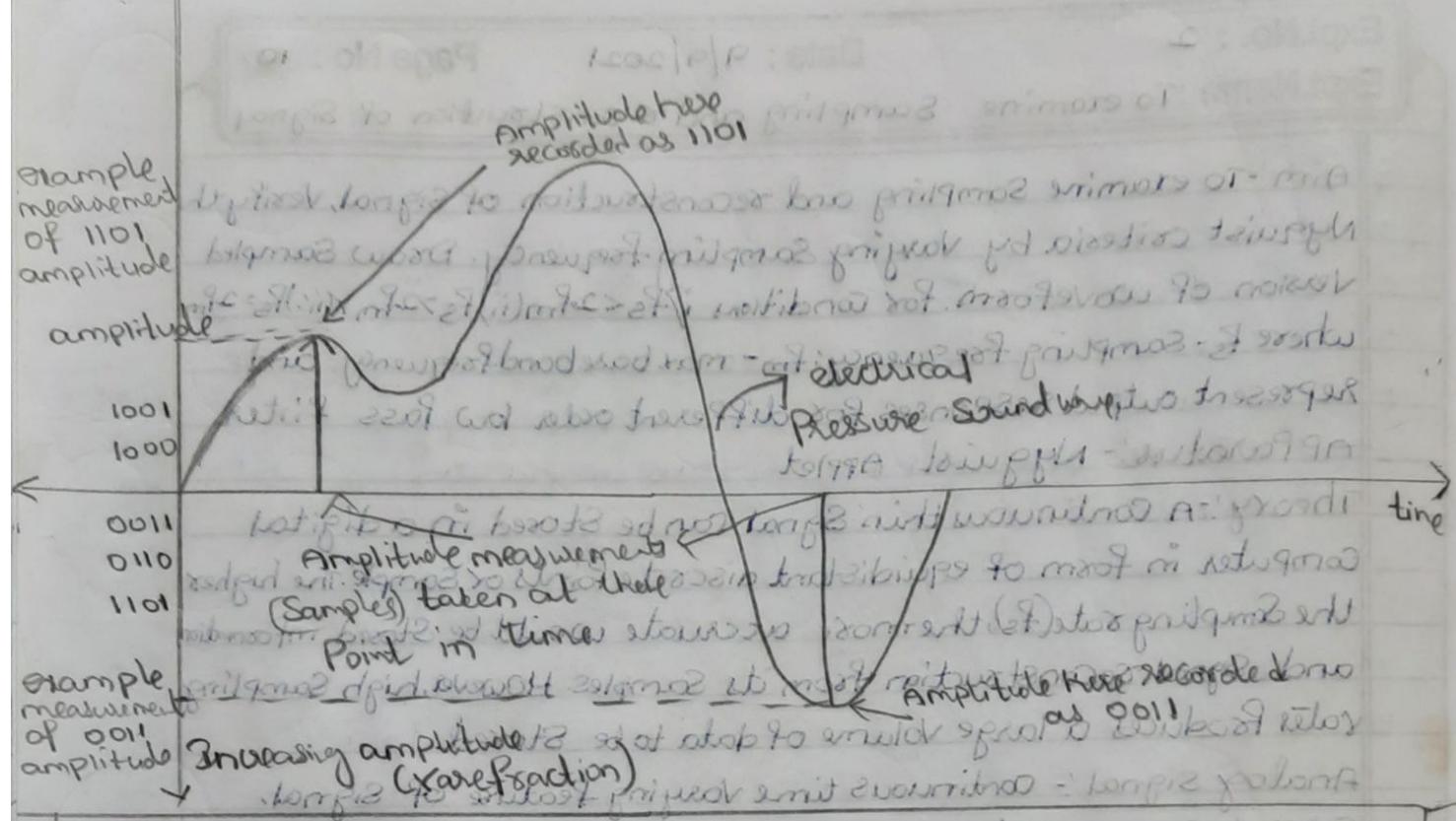
If Sampling rate is equal to twice highest Frequency ($f_s = 2\omega$)



Signature

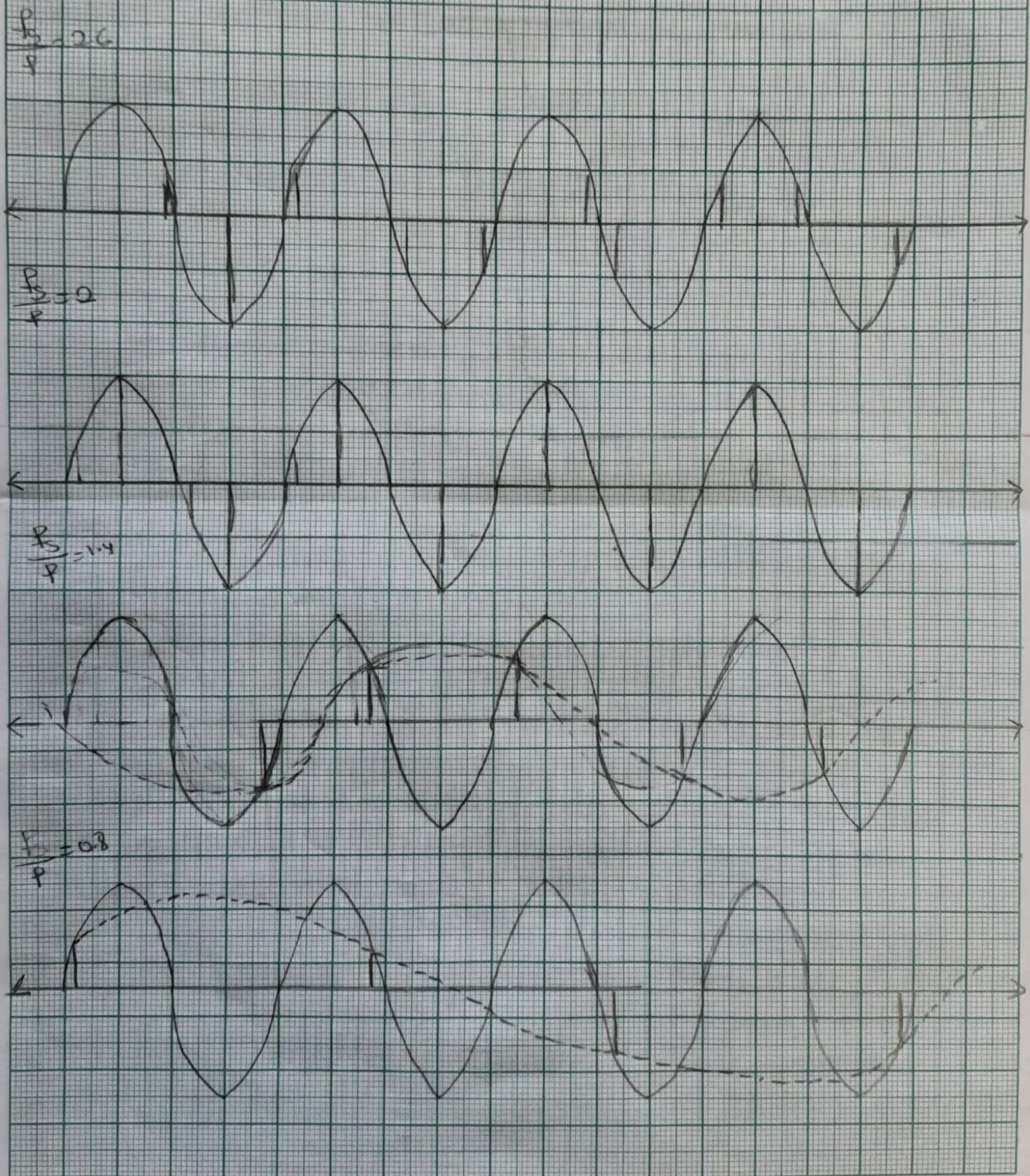
Increasing Amplitude (Compression)

12



(13)

Sampling of a Sinusoidal Signal of Frequency f at different Sampling Rates f_s with dashed lines are shown the alias frequency when $\frac{f_s}{f} < 2$



* Inform is received without any loss. Hence it is also good.

Quantizes:

- * method of sampling chooses a few points on the analog signal and then these points are joined to round off the value to a near stabilized value. Such a process is called quantization.
- * Quantization of a signal produces the closest representable value.

Encoding:

- * The digitalisation of analog signal is done by encoder
- * After each sample is quantized, the no. of bits per sample is decided
- * Each sample is changed to an n -bit code.
- * Encoding is also used to minimize bandwidth
- * Designing this filter is to determine bandwidth required.
- * max frequency of input should be less (or) equal to half of Sampling rate
- * This sets cut-off freq of low-pass filter
- * If f_s is Sampling Frequency, then Critical Frequency (f_n) = $f_s/2$
- * Any sinusoidal component of Signal of frequency f higher than f_n is not only lost, but it is reintroduced in sampled signal by folding at frequency f_n as alias frequency $F' = f_n - \Delta f$

This effect is known as aliasing. Aliasing is demonstrated. A sinusoidal signal of frequency f is sampled at four different sampling frequencies $f_s = 2.6f$, $2.0f$, $1.4f$ and $0.8f$.

In two first cases sampling rates are enough for reconstruction of original signal whereas in last two SubSampling occurs and the collected points may be considered as belonging to signals of lower frequencies. The alias frequencies due to subsampling can be calculated by following Alias frequency : $F' = |f - kf_s|$ $k=1,2$

Signature

Expt.No. :

Date :

Page No : (15)

Expt.Name :

when $\kappa=1.4$ then $F = |f - 1.4F_s| = 0.4F_s$

when $\kappa=0.8$ then $F = |f - 0.8F_s| = 0.2F_s$

Problems arising due to aliasing: The effect of the sampling frequency on spectrum of signal consisting of infinite number of components.

In Fig the Nyquist frequency is sufficiently higher from the max frequency (f_{max}) component of signal and stored signal is not distorted.

The opposite occurs in Fig where $f_{max} > f_s$ and all frequency components higher than f_s are not only lost, but are folded at f_s and they are added to other sinusoidal components and thus signal stored due to aliasing.

A typical application for digitilization of sound a Sampling rate of about 8kHz is sufficient for telephony since normal human voice does not contain an appreciable amount of freq components higher than 2.5kHz. However, a sampling rate of about 40kHz is needed for the digitalisation of music, since frequency components of about 15-20kHz are common & needed for achieving sound reconstruction.

Note:- (1) In practice the sampling rate of f_s is in range of $2.5 \times f_{max} - 3 \times f_{max}$. For digital recording of music $f_s = 44.1\text{kHz}$ used.

(2) Prior to Sampling, Signal must pass through a low-Pass filter which will remove all unnecessary components lighter than f_{max} . Preventing thus the "contamination" of stored signal by their biased frequencies.

Procedure:- Applet

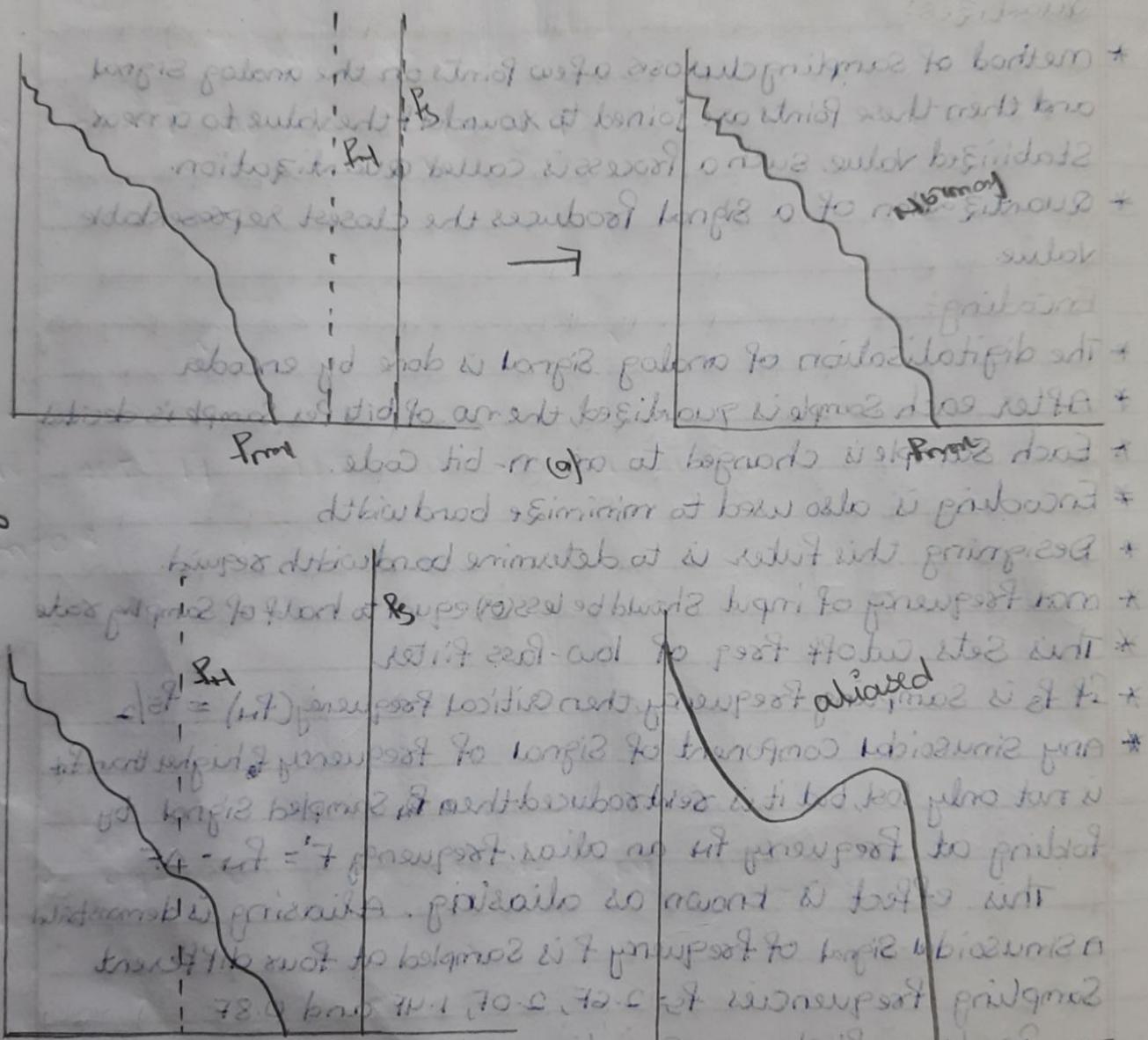
With this easy to use applet, we can observe effect of Sampling rate on a specified signal using two horizontal Sliders you can Select a) Freq of Signal & Sampling Freq (0-50Hz), independently of each other on the topmost graphing window, the Freq Spectrum is shown. The blue line indicates Freq of Sample Signal Freq by red line and indicates

Signature

A signal with frequency spectrum shown of maximum useful frequency f_m is sampled for digitalisation at frequency f_s

- The sampled frequency is sufficiently higher than f_m & no aliasing occurs
- Sampling frequency is insufficient, aliasing takes place and signal is distorted

koop oalso a si want wort pene hantie bewerkt si moet niet



redundant responses are better explained under Saito's model.

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~~and no frequency distribution was present in the report~~

Expt.No. :

Date :

Page No : 19

Expt.Name :

black colour appears the critical Frequency. the dashed green line indicates freq of signal resulting due to aliasing and it appear whenever critical freq less than signal frequency

Observation:-

1)

Signal frequency = 10Hz

Sampling Frequency Alias Frequency
(Hz) (Hz)

7

3

10

0

15

5

20

-

22

-

2)

Signal Frequency = 20Hz

Sampling Frequency Alias Frequency
(Hz) (Hz)

19

1

20.1

0.1

30

10

40

7

42

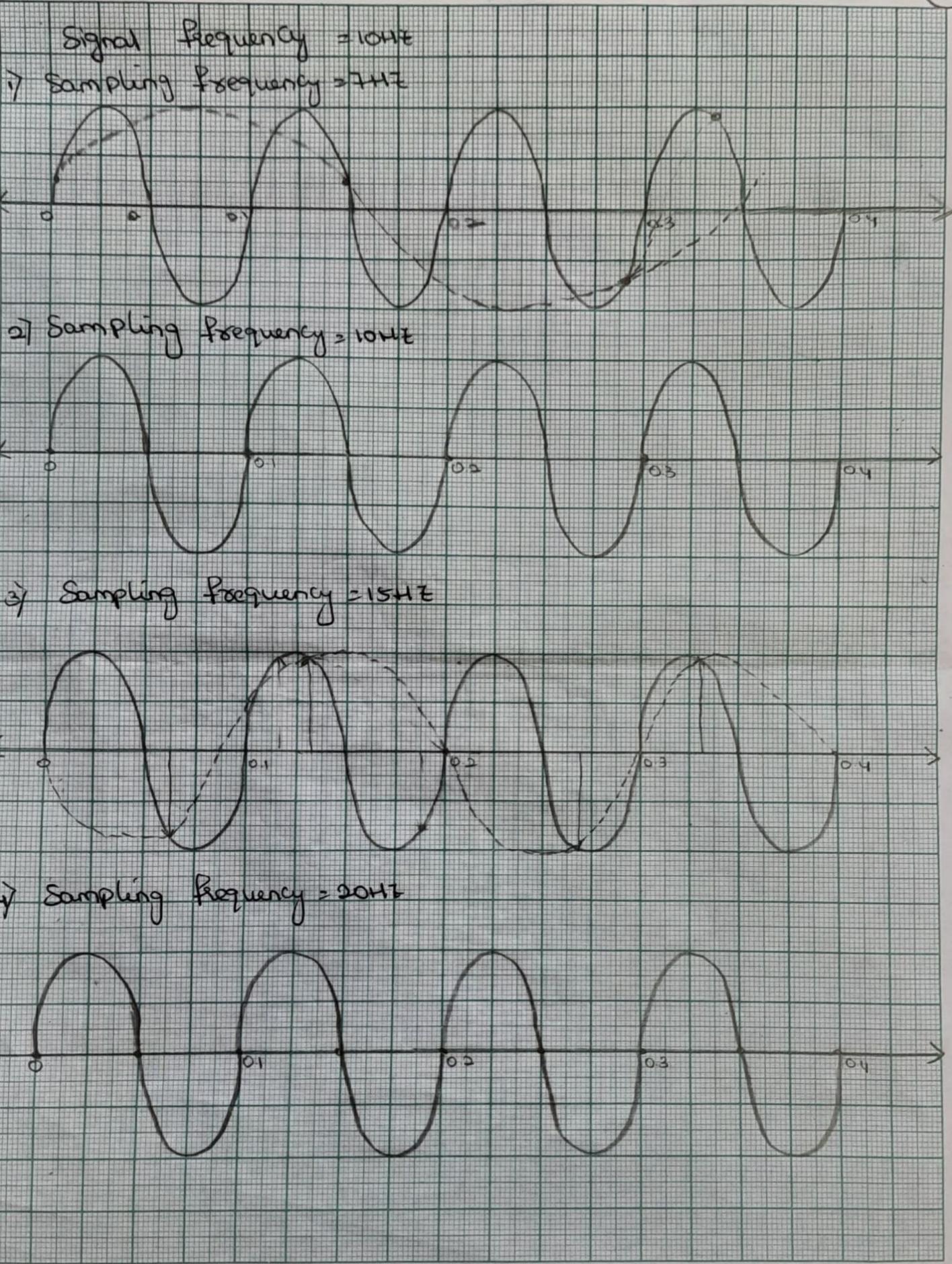
-

Conclusion:-

Successfully examined Sampling and reconstruction of a signal and verified the Nyquist criteria by varying the Sampling frequency.

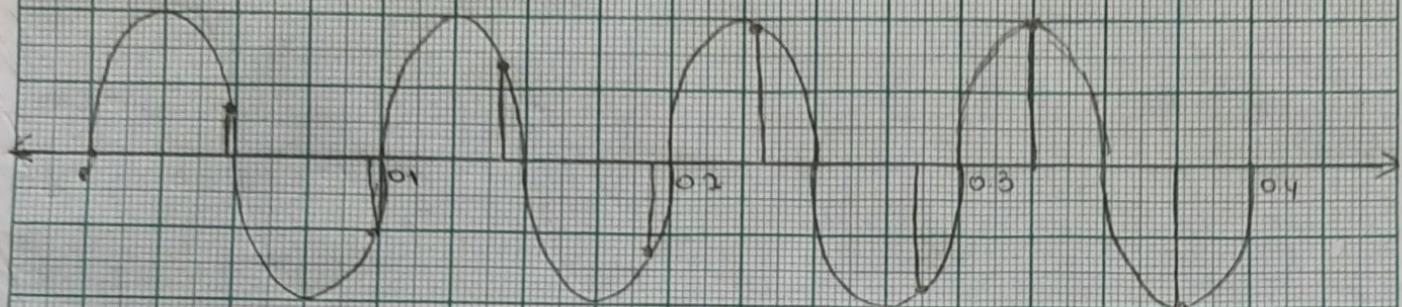
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S.K.B.W



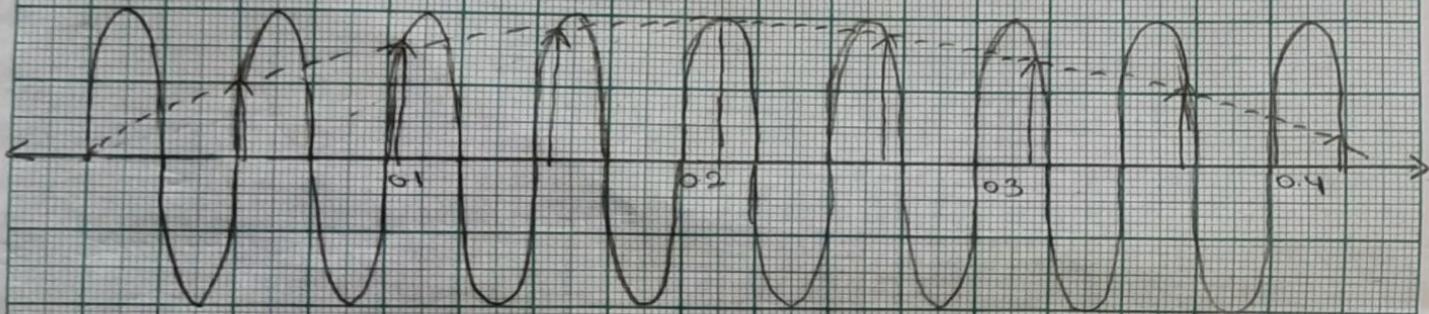
Q) Sampling frequency = 20Hz

(18)

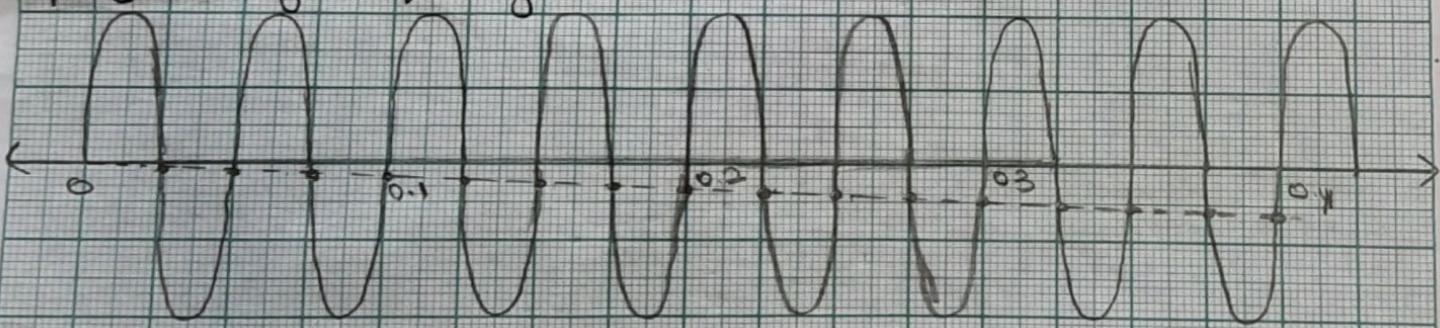


Signal frequency = 20Hz

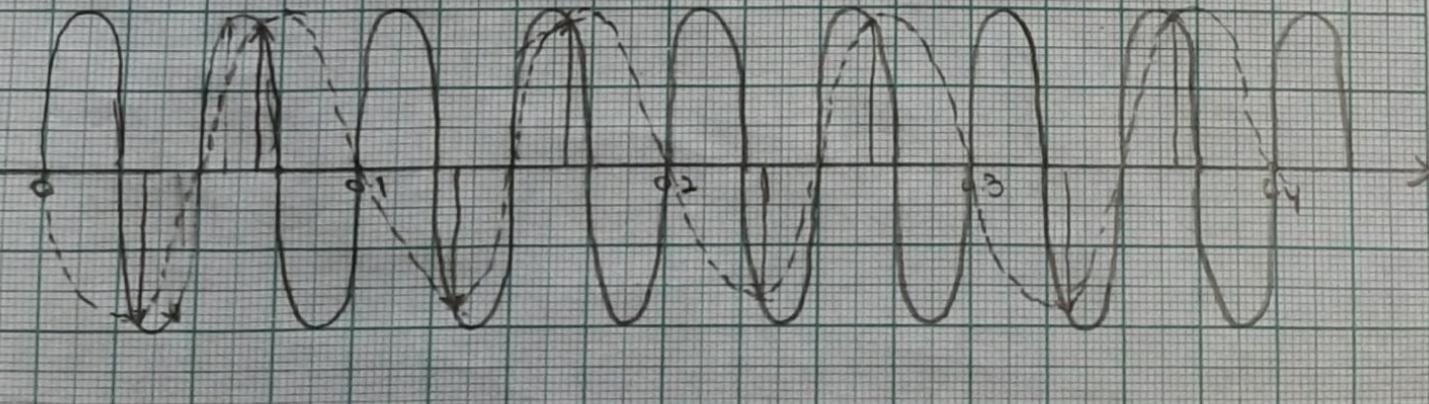
∴ Sampling frequency = 19.0Hz



∴ Sampling frequency = 20.1Hz

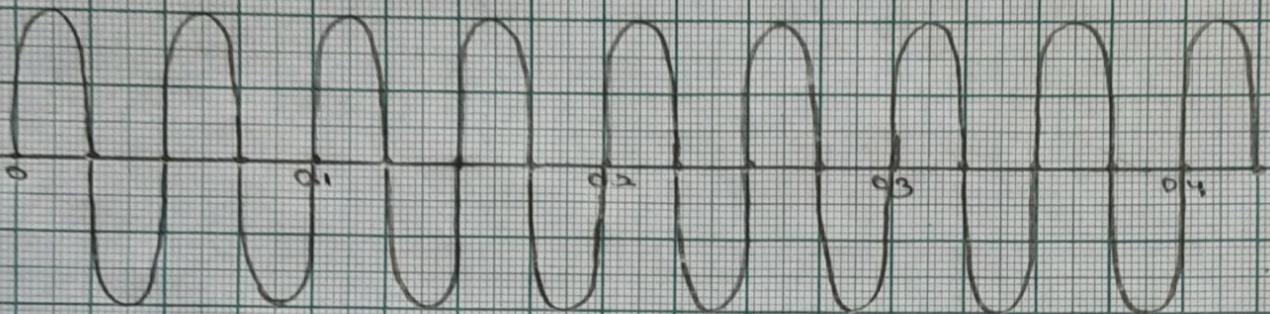


∴ Sampling frequency = 30Hz

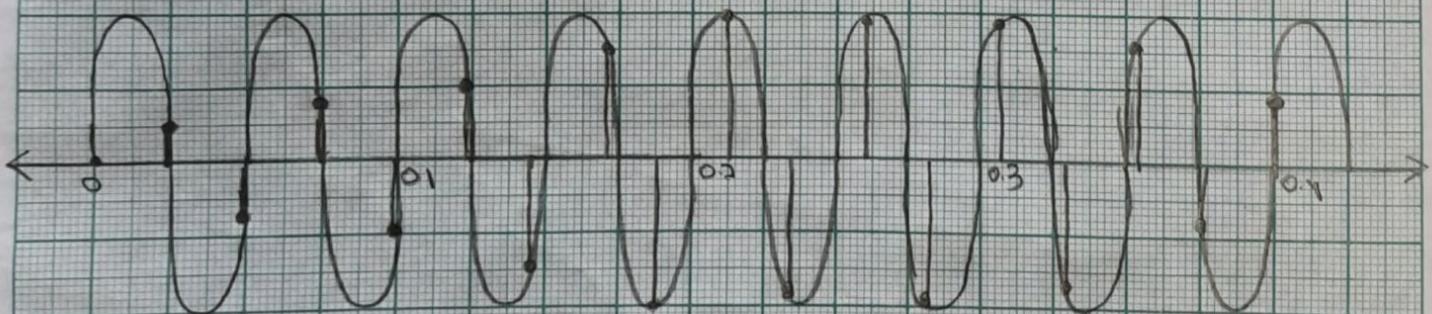


(19)

Q) Sampling Frequency = 40 Hz



Q) Sampling frequency :- 42 Hz



Expt.No. : 3

Date :

Page No : 20

Expt.Name : Amplitude modulation

Aim:- To study Amplitude modulation(AM) technique, modulation index(m), draw waveforms, Spectra and trapezoidal display.

Illustrate the observed AM signals for double Sideband with and without carrier by changing m as:- $m > 1$, $m < 1$ and $m = 1$ & draw use virtual mode with appropriate software.

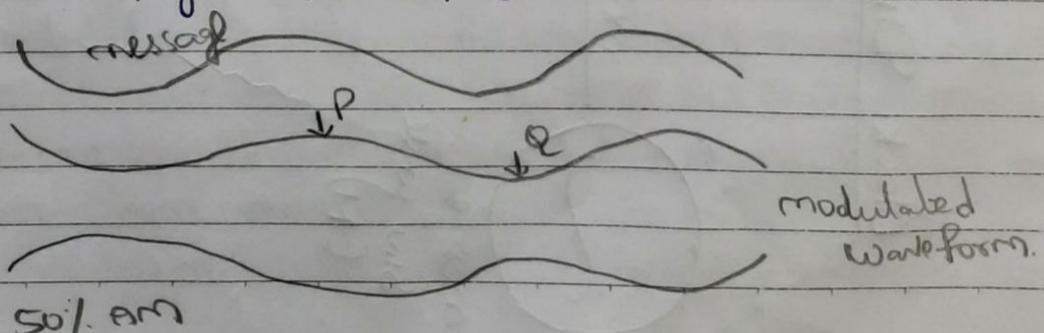
Apparatus/Software:- Labaline

Theory:- Amplitude modulation is a modulation technique used in electronic communication, most commonly for transmitting messages with a radio carrier wave. In this amplitude of carrier wave is varied in proportion to that of a message signal, as the audio signal. The amplitude modulated signal is defined as:

$$A_m = E(1 + m \cos \omega_m t) \cos \omega_c t - B - (\text{low freq term } a(t)) \times (\text{high freq } c(t)) \quad (A \cdot B = E)$$

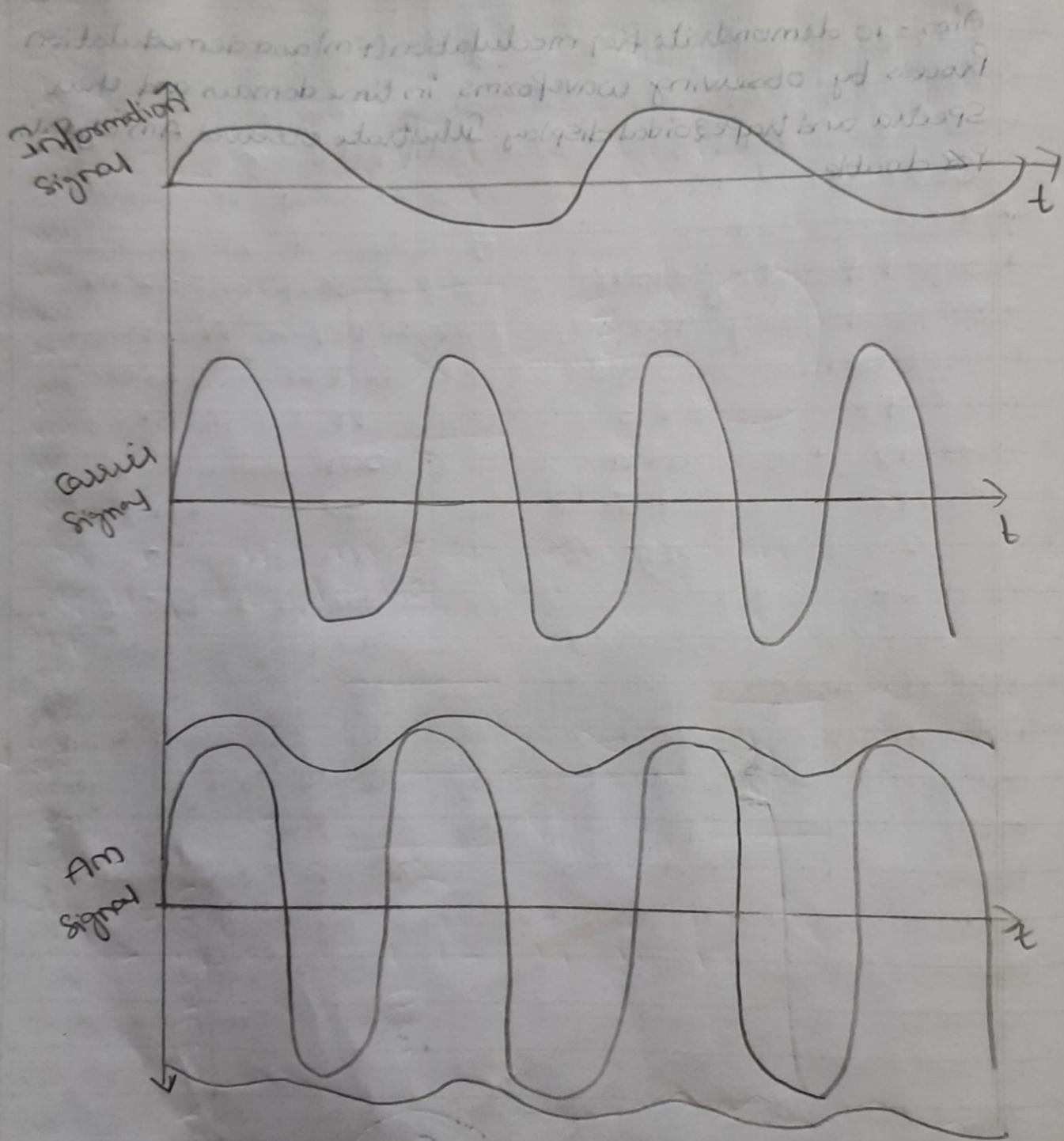
E is AM signal amplitude from D, m is constant defines depth of modulation. Typically $m < 1$ though there is no restriction upon ' m ' in eqn. ' ω ' and ' w ' are angular freq in radian/sec, $\omega_m/2\pi$ is low message freq in range of (800 to 3000) Hz and $\omega_c/2\pi$ high carrier freq. The term $a(t)$ contains for DC & AC components. AC term $m \cos \omega_m t$ is message and is sometimes written as $m(t)$ $a(t) = DC + m(t)$

Depth of modulation:- 100% modulation is defined when $m=1$. It requires the amplitude of DC(A). Part of $a(t)$ is equal to amplitude of a_0 (Am) measurement of M :- The magnitude of ' m ' can be measured directly from AM display itself $m = \frac{P}{P+Q}$

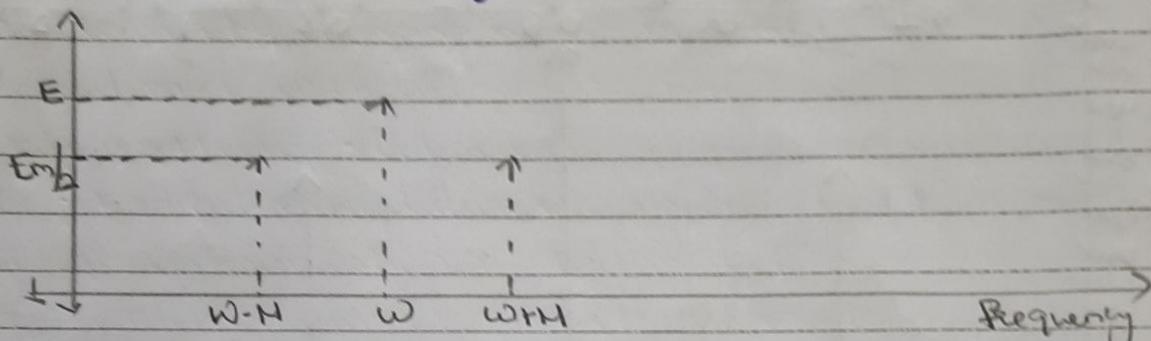


Signature

(2)



Spectrum: Analysis shows that Sidebands of AM, when derived from a message of frequency M rad/s are located either side of carrier frequency, spaced from it by M rad/s.



In the case of Periodic modulating signal, it is easy to identify more and more amplitude of modulated wave. With a non-Periodic Signal such as Speech waveform, these quantities will vary, hence modulation index also varies. The modulation index must be < 1 if exceeds 1, then negative peak of modulated waveform is clipped. This is bad enough in itself, but in addition, which is Potential source of interference. Significance of 'm': The shape of outline envelope of AM wave is exactly that of message of the waveform. Examining the varying of 'm'.

- For all values of $m < 1$, envelope of AM is same shape of the message
- For all values of $m \geq 1$, the envelope is not copy of message shape. It is important to note that For $m > 1$, it should be considered that there is envelop distortion, since resulting shape not that of message is shape that theory Predicts.

The modulation trapezium: For sinusoidal message, it is easy to set the depth of modulation to any value of 'm'. But it is not so convinient for other messages like speech. The trapezoidal display is useful alternative for more complec messages.

- We can calculate m in time domain using oscilloscope and trapezoid method.

Signature

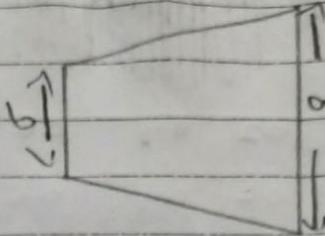
→ The scope is placed in XY mode

X: modulating signal

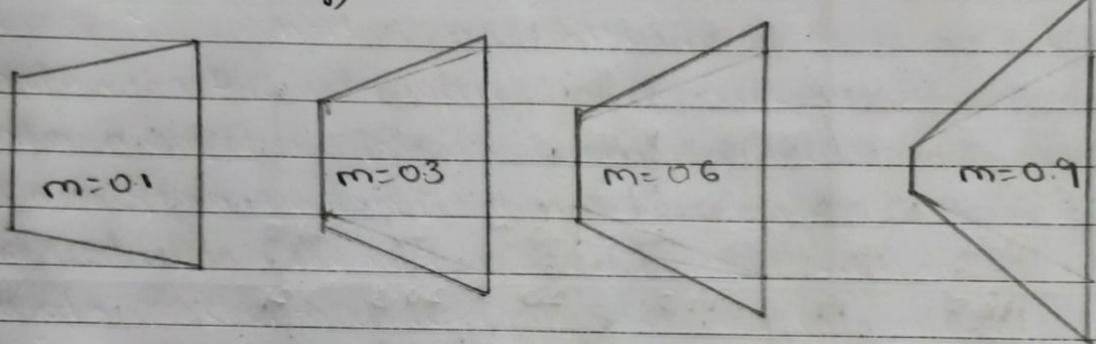
Y: modulated signal

modulation index calculated from vertical

$$\text{edge length by } m = \frac{a-b}{a+b}$$



→ As modulation index (m) increases the ratio between vertical to period edges increase. The trapezoid width unaffected by modulation depth.
(Trapezoid display)



Observation

→ Double side band with carrier (DC offset ~~on~~)

DC offset = ON

DC offset = OFF

m (modulation index)	
$m < 1$	0.5 0.8
$m = 1$	1
$m > 1$	1.2 1.5

m (modulation index)	
$m < 1$	0.5 0.8
$m = 1$	1
$m > 1$	1.2 1.5

Signature

Expt.No. :

Date :

Page No : (24)

Expt.Name :

Advantages of Am:

- * It is simple to implement
- * Am waves can travel long distances
- * Am waves have low-band width
- * Am transmitters are less complex. Am receivers are cheap as no specialised components are needed.

Disadvantages of Am:-

- * Am signal is not efficient in terms of its power usage
- * It is not efficient in terms of its use of bandwidth as it requires a bandwidth equal to twice that of highest audio frequency.
- * Am detectors are sensitive to noise hence an Am is prone to noise.
- * Reproduction is not high fidelity.

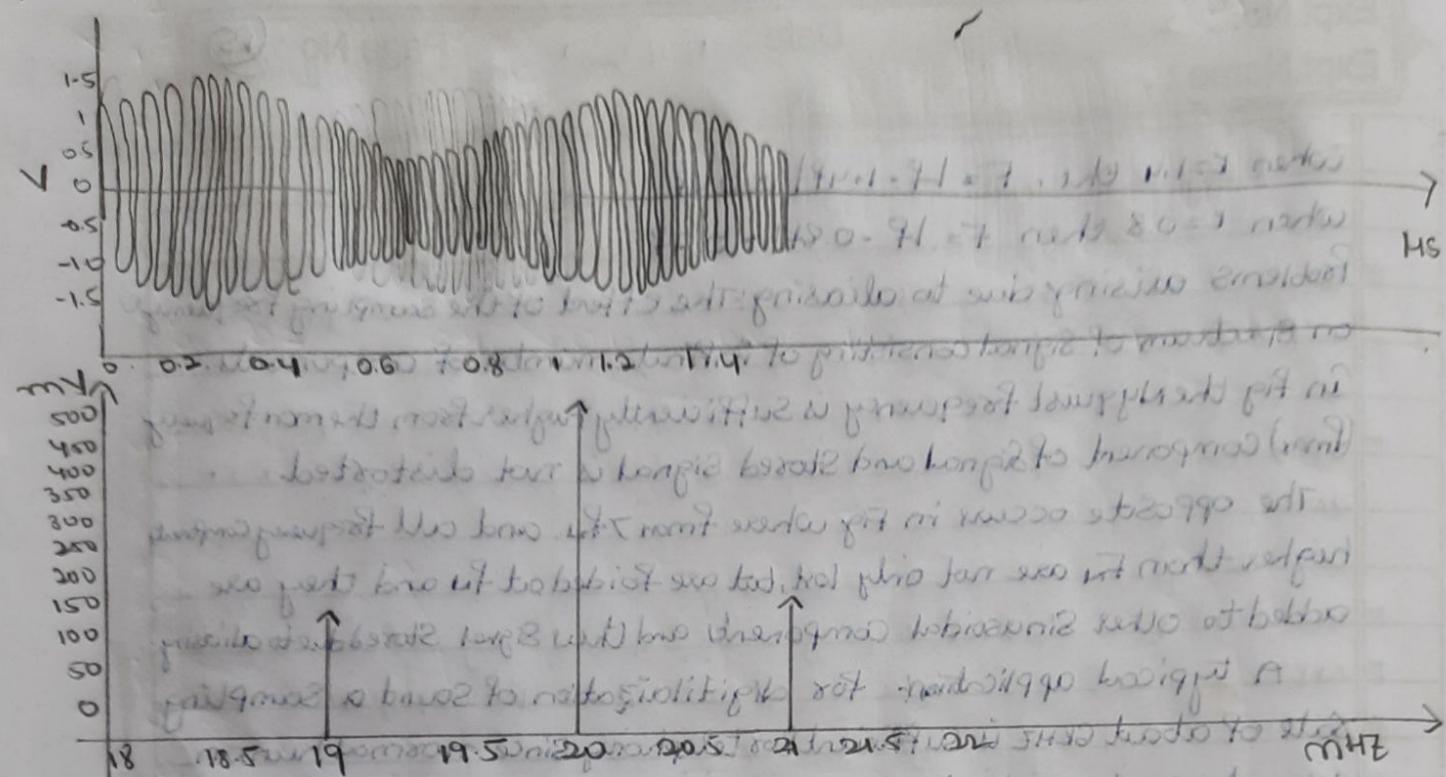
Conclusion:- Successfully observed and verified Am signals for double side band width with and without carrier by changing m as $m > 1$, $m = 1$, $m < 1$ using labview software.

Signature

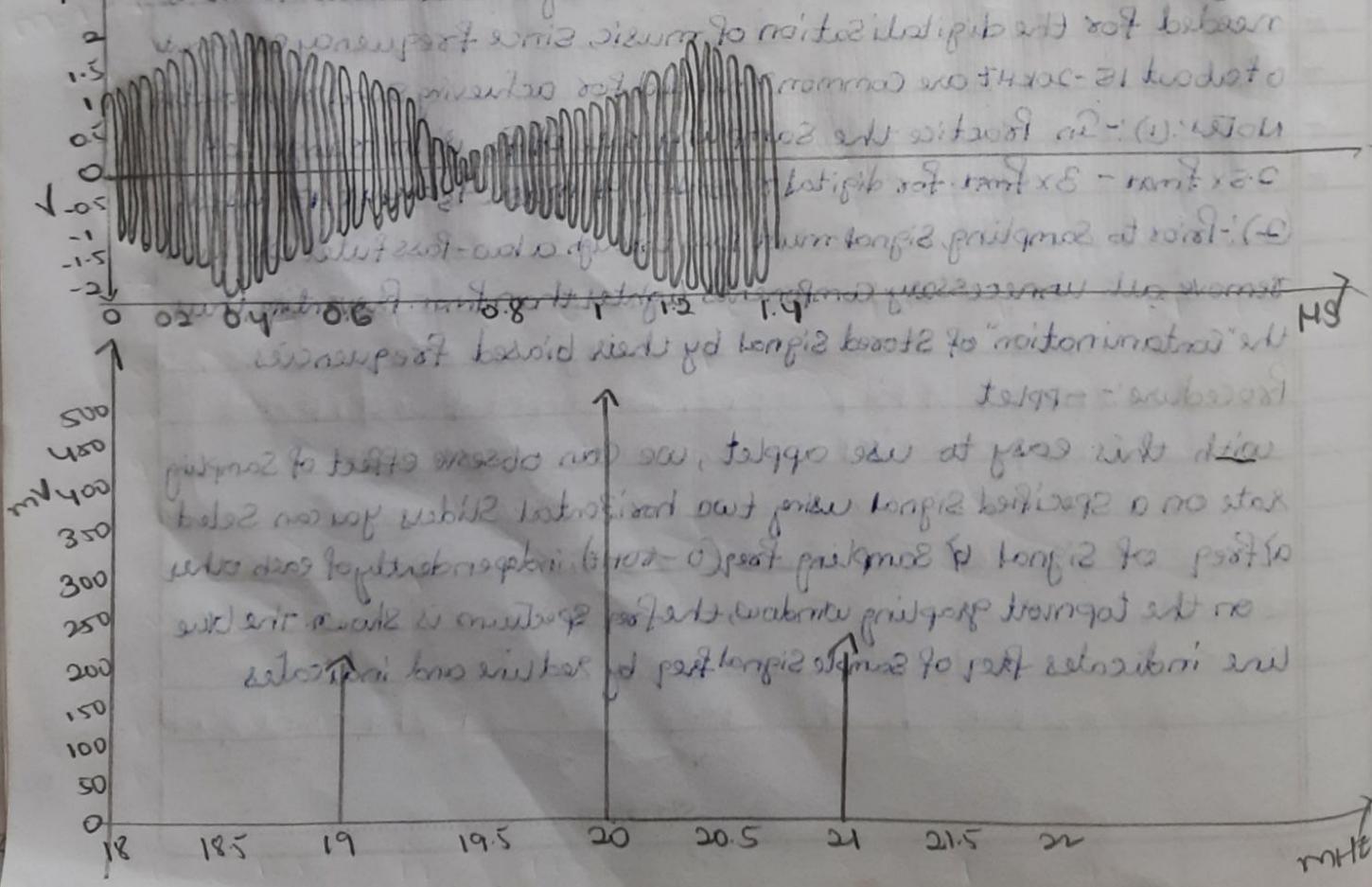
Double Sideband with carrier:

(25)

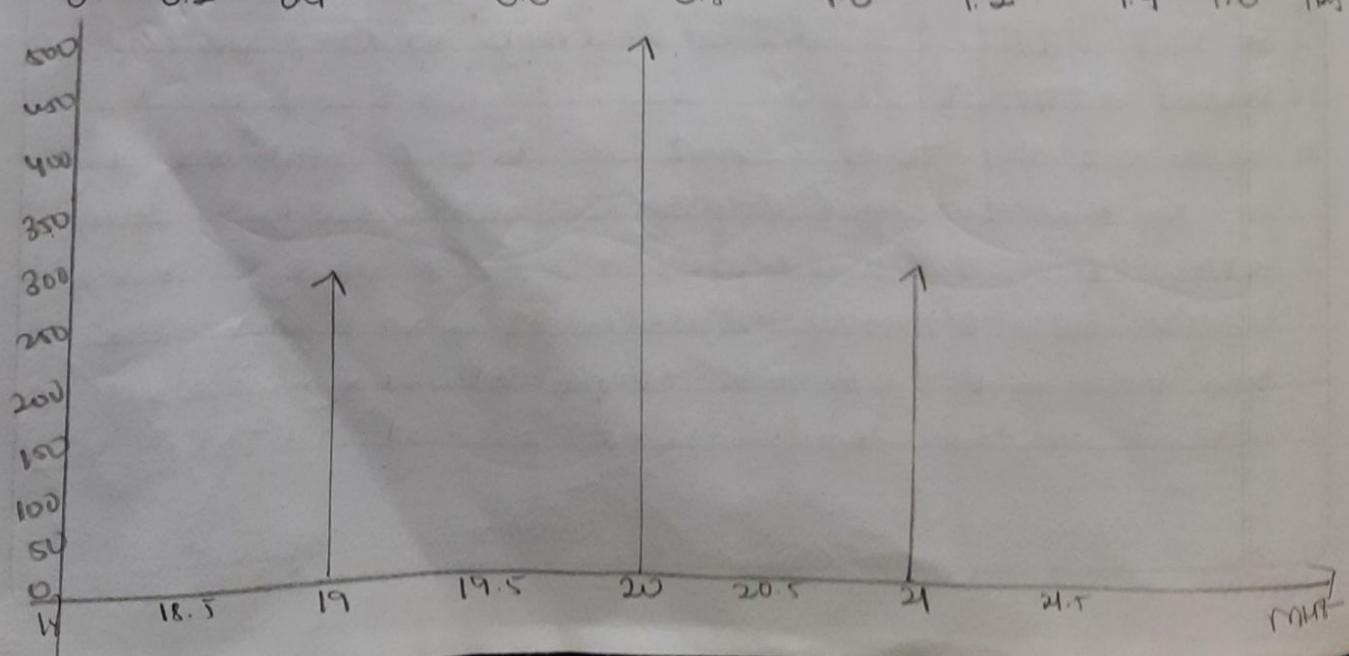
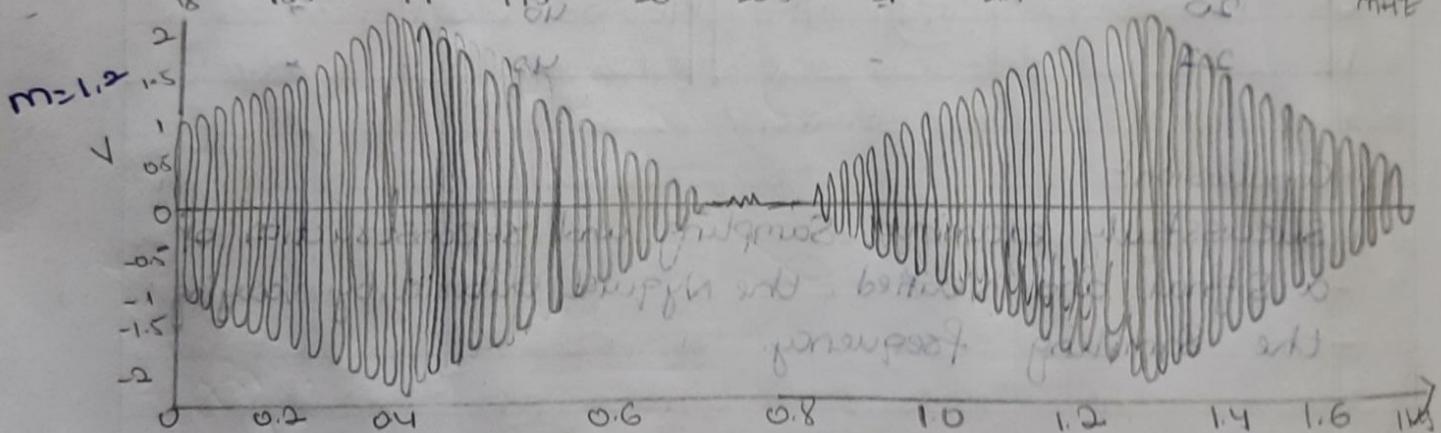
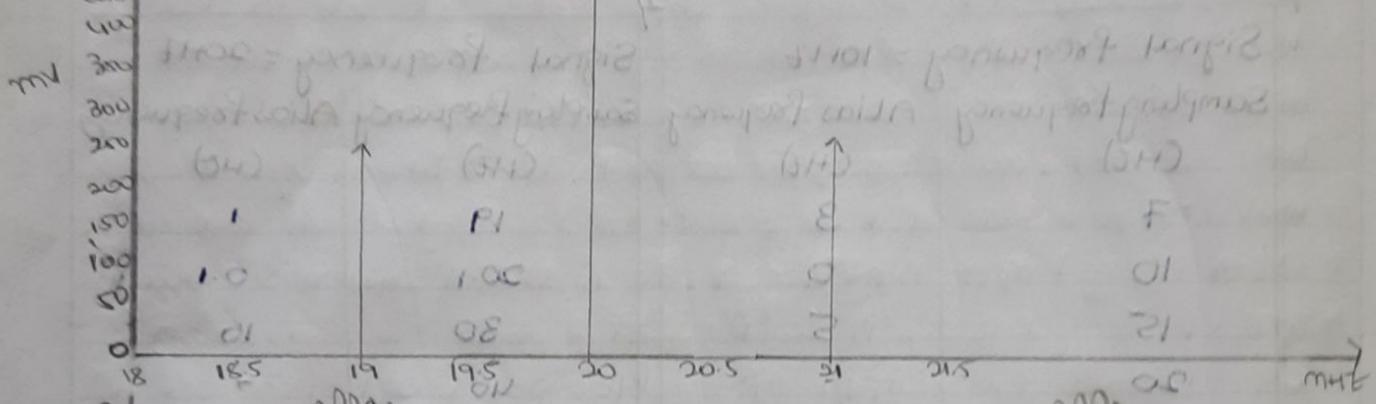
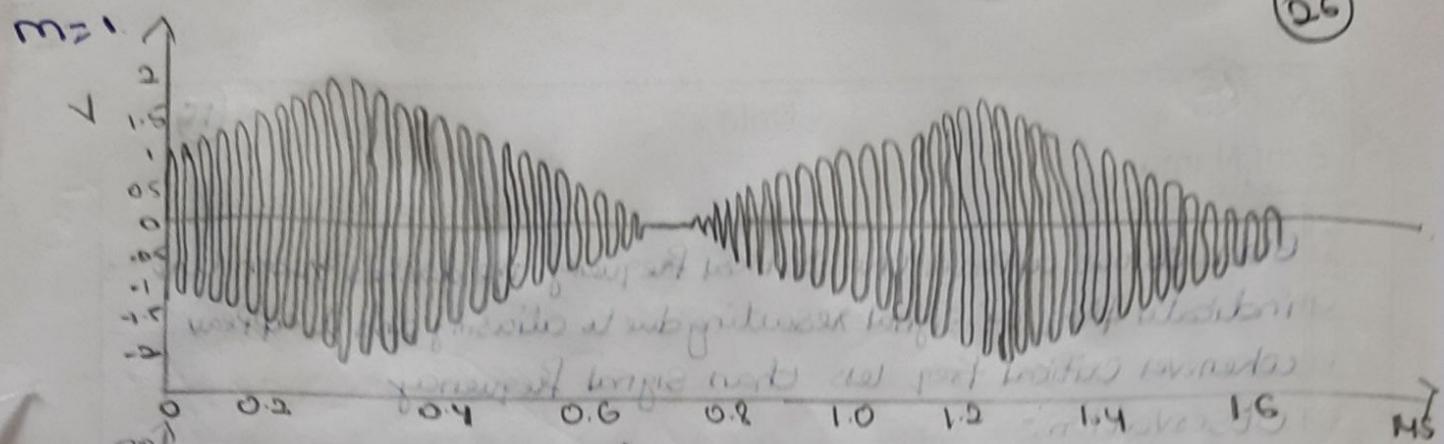
1) $m = 0.5$



2) $m = 0.8$

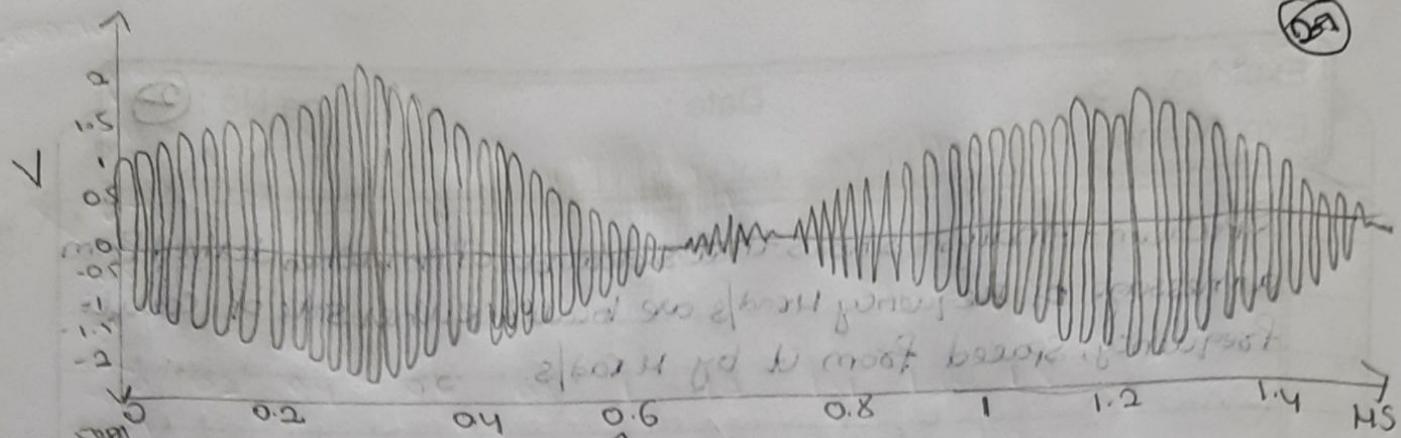


(26)

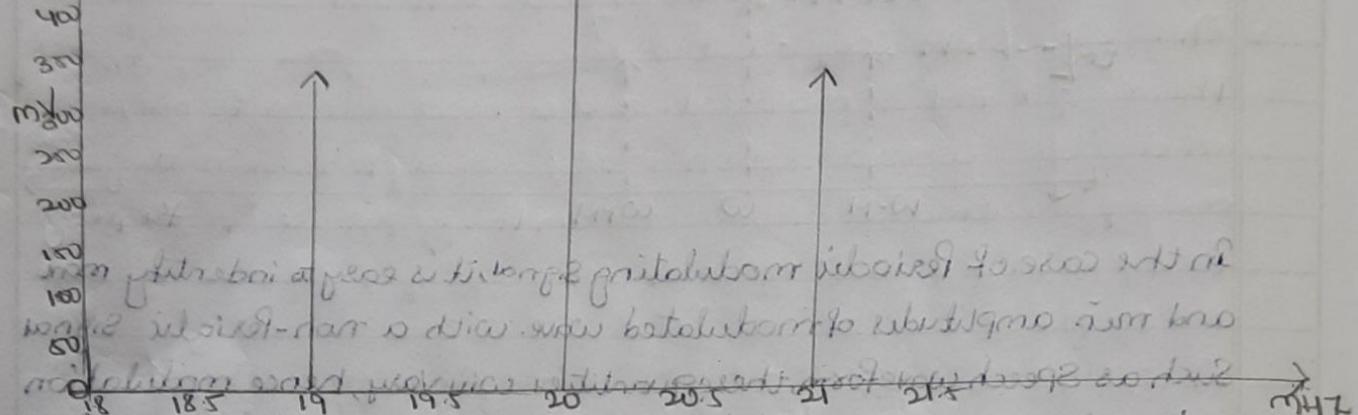


$m=1.5$

(2)

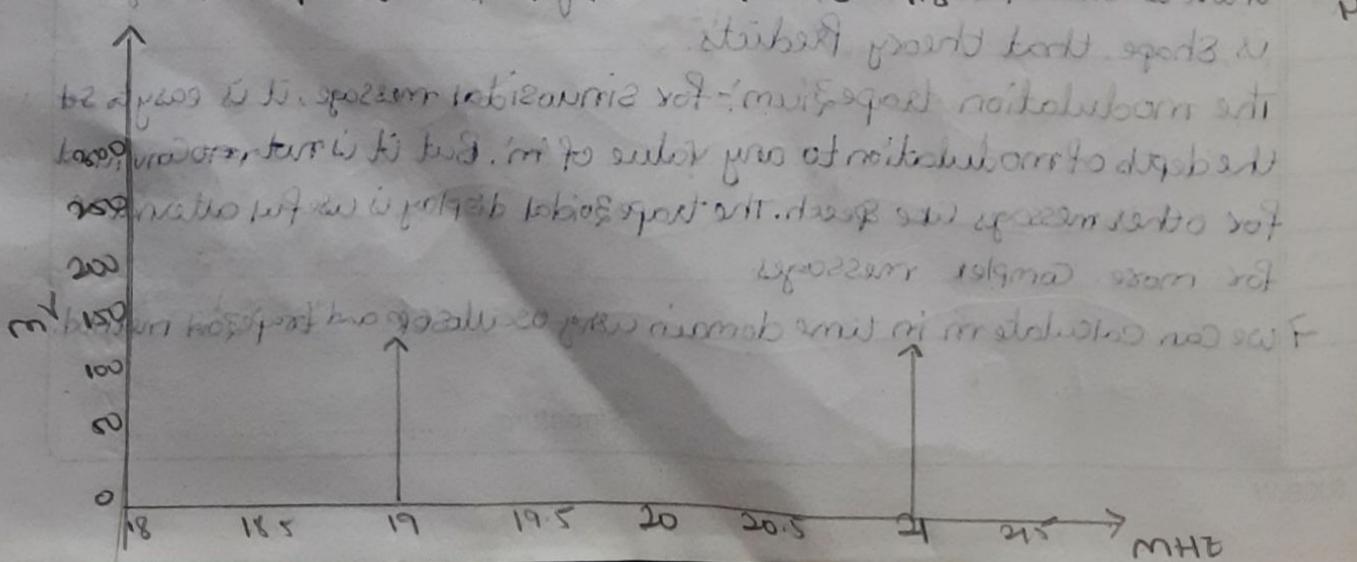
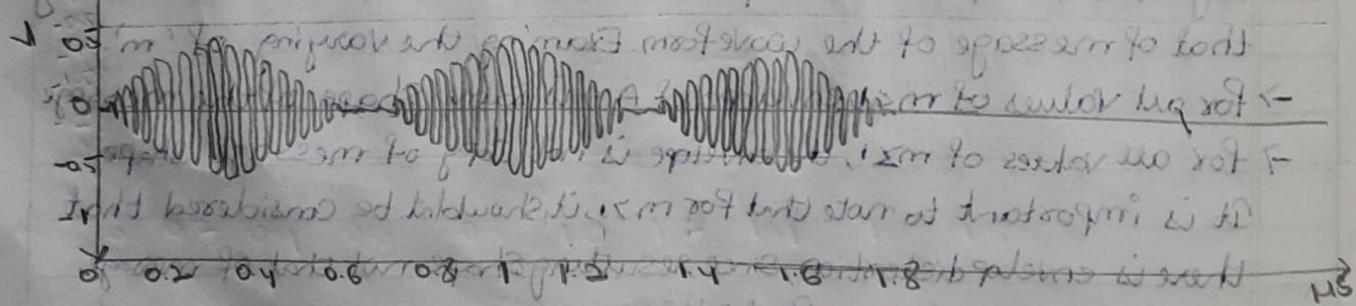


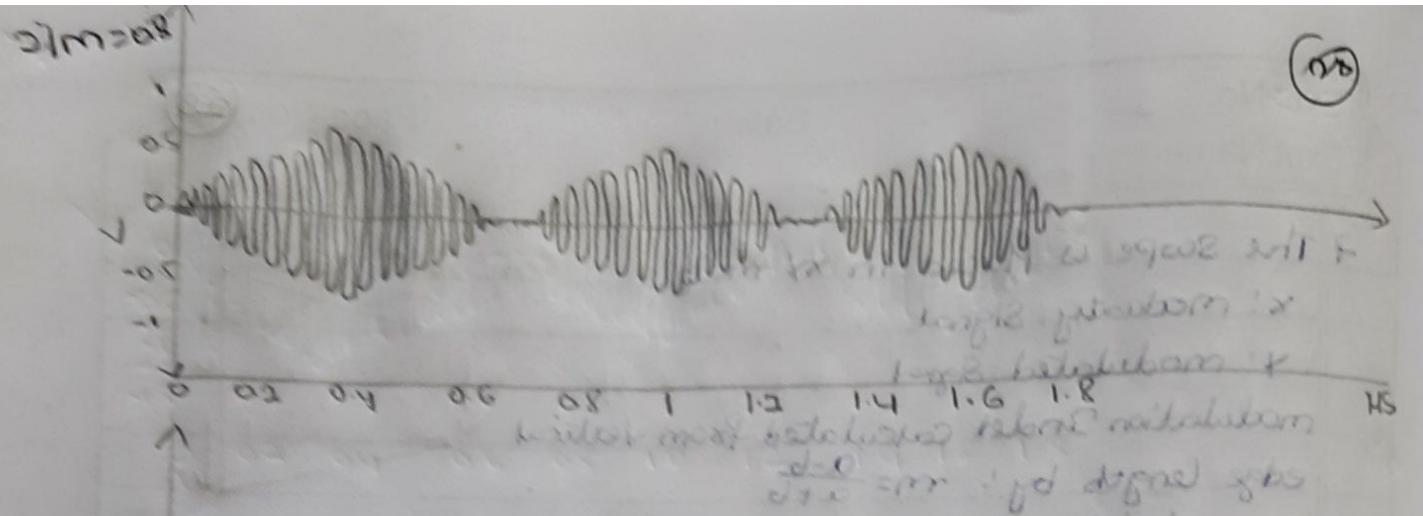
2/6/24 fd to most beeps in 1.5s



Double Sideband Suppressed carrier

$m=0.5$ has had a similar pattern to most new filters but less sharp
of new filters. It is also less likely to distort, making it more suitable for audio applications.





m^2 (left) $\omega/m = 0.8$ $\omega/m = 0.8$
 damped oscillation

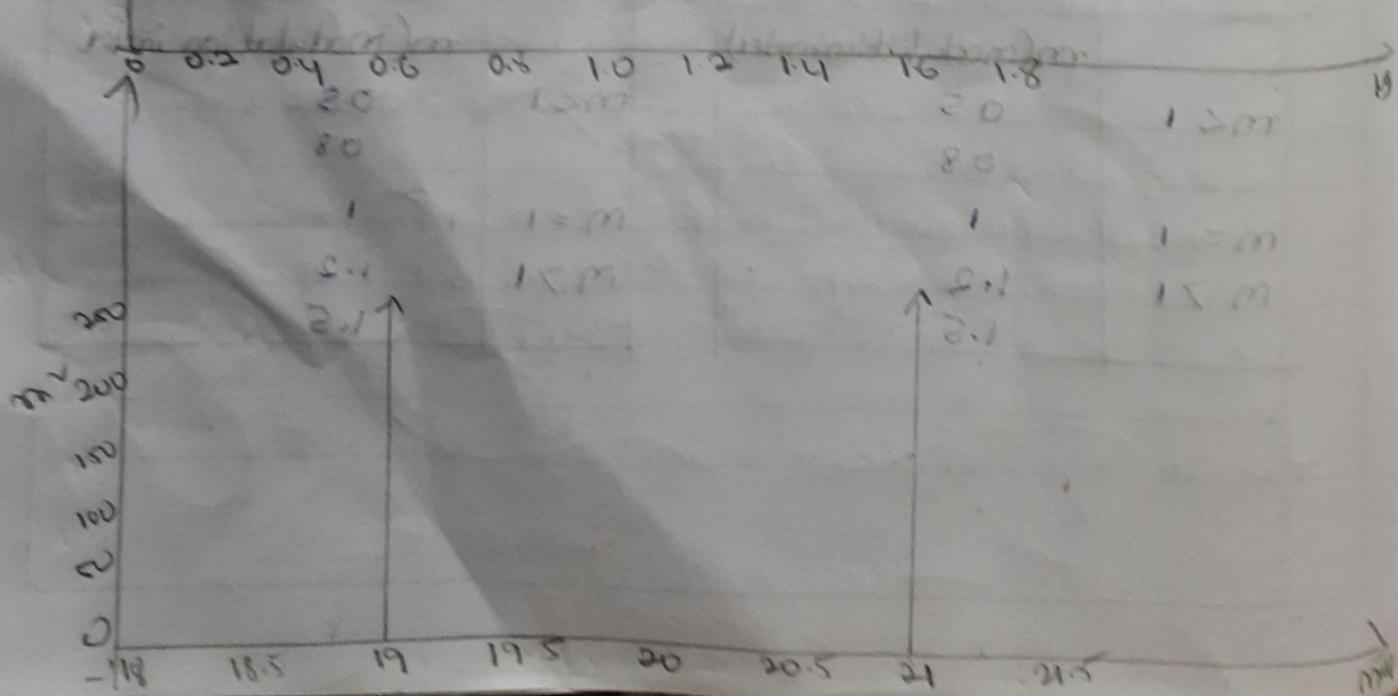
m^2 $\omega/m = 0.8$ $\omega/m = 0.8$ $\omega/m = 0.8$
 damped oscillation

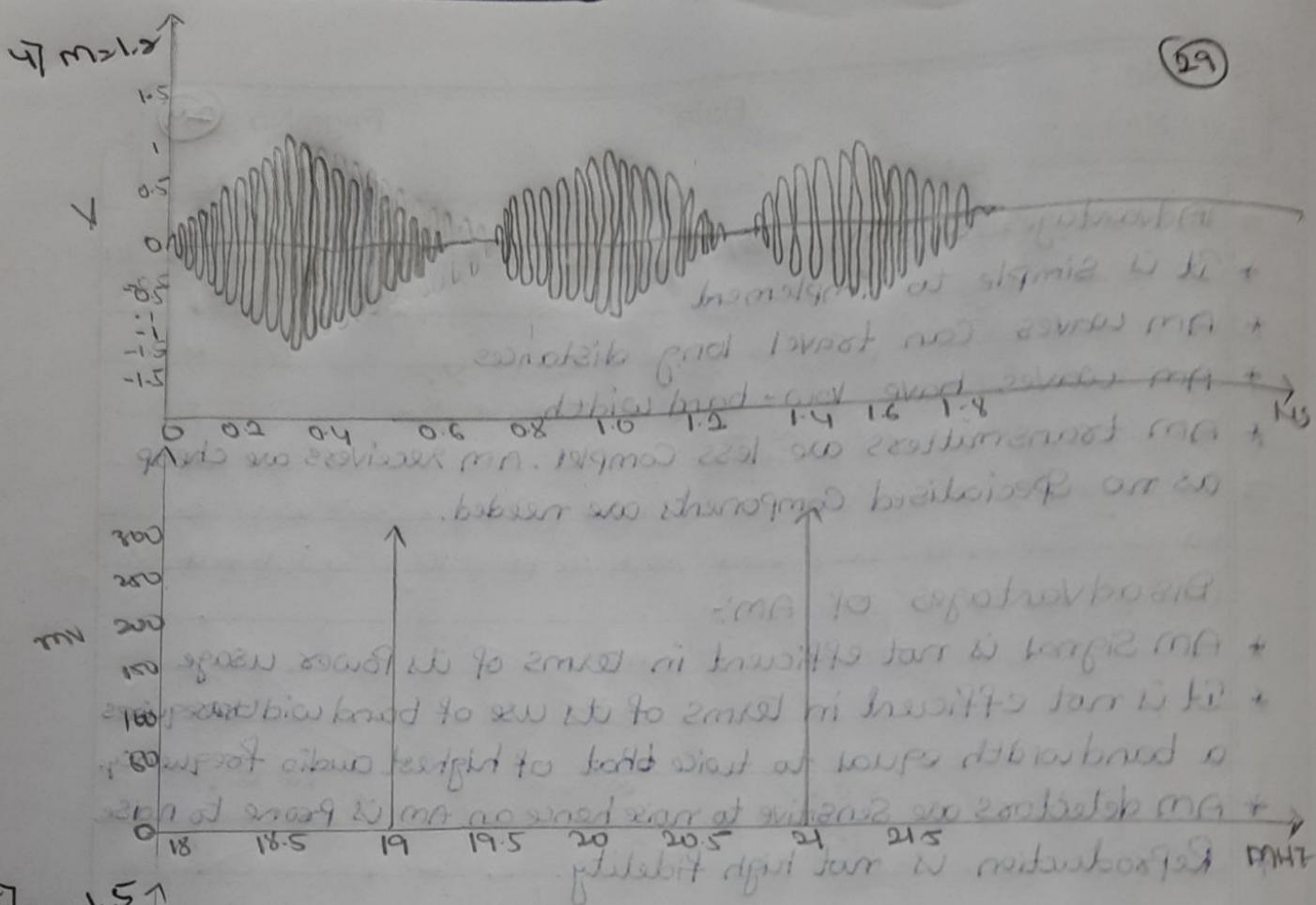


damped oscillation

sho values

1.3 to 2.6





Expt.Name : Frequency Modulation and Demodulation

Aim: To demonstrate Frequency modulation (FM) and demodulation process by observing waveforms, Spectra in time domain and spectra in frequency domain by varying the parameters of message signal. Draw waveform & spectra. Use virtual mode with appropriate software APPARATUS/Softwares:- MATLAB, Labalive.

Theory:-

Theoretical Background: Amplitude modulation was first modulation type to be considered in analog communication system. Although it had obvious advantage of being simple and relatively band width efficient. It has some disadvantages as well.

- Since message is embedded in amplitude of carrier, the cost performance and the size of amplifiers are difficult to accomplish for obtaining fair performance in AM systems.
- When message goes through a quiet Period in Double sideband or Single Sideband Systems, very small Carrier Signals are transmitted. The absence of signal tends to accentuate the noise.
- The Pass band width is small compared to other modulation schemes i.e. with a major improvement in performance in transmission is achieved with angle modulation. In this modulation amplitude of carrier is kept constant. Angle modulation provides improvised noise performance. Frequency modulation technique is analysed under ^{angle} freq modulation.
- Frequency Modulation:-** It is the process of varying frequency of carrier signal linearly with message signal.
- * The FM-modulated Signal has its instantaneous frequency that varies linearly with amplitude of signal. Now we can get the FM-modulation by following:- $\phi(t) = \cos(2\pi f_c t + 2\pi k_f \int m(t) dt)$ where k_f is sensitivity factor and represents frequency deviation.

Signature

Expt.Name :

rate as a result of message amplitude change. The instantaneous frequency is $\omega_i = 2\pi f_c + 2\pi k_p m(t)$

modulation index - amount of change in carrier frequency produced by amplitude of input signal, is called frequency modulating Signal: $m(t) = E_m \cos(2\pi f_m t)$
carrier signal: $E_c \sin(2\pi f_c t)$

freq of FM signal: $f(t) = f_c + k_p m(t) \Rightarrow f(t) = f_c + k_p \cos(2\pi f_m t) E_m$

$$\Delta f = k_p \Delta F = k_p E_m$$

$f(t) = f_c + \Delta f \cos(2\pi f_m t) \Rightarrow \Delta f = \text{frequency deviation}$

max Frequency deviation $\Rightarrow f_c = \Delta f$

FM Signal:-

$$\begin{aligned} y_{fm}(t) &= E_c \sin(\omega_c t + k_p \int_0^t m(t) dt) \\ &= E_c \sin(\omega_c t + k_p \frac{1}{2\pi f_m} \int_0^t E_m \cos(2\pi f_m t) dt) \\ &= E_c \sin(\omega_c t + \frac{k_p E_m}{2\pi f_m} \sin(2\pi f_m t)) \\ &= E_c \sin(\omega_c t + \frac{\Delta f}{f_m} \sin(2\pi f_m t)) \end{aligned}$$

modulation Index of FM $= \frac{\Delta f}{f_m}$; $m_F = \frac{\Delta f}{f_m}$

Frequency modulation equation $\Rightarrow y_{fm}(t) = E_c \sin(\omega_c t + m_F \sin(2\pi f_m t))$

Band Width:-

FM signal spectrum is quite complex and will have infinite number of side bands as shown in figure. This figure gives idea, how spectrum expands as the modulation index increases. Side bands are separated from the carrier by $f_c + f_m$, $f_c \pm 2f_m$, $f_c \pm 3f_m$ and so on.

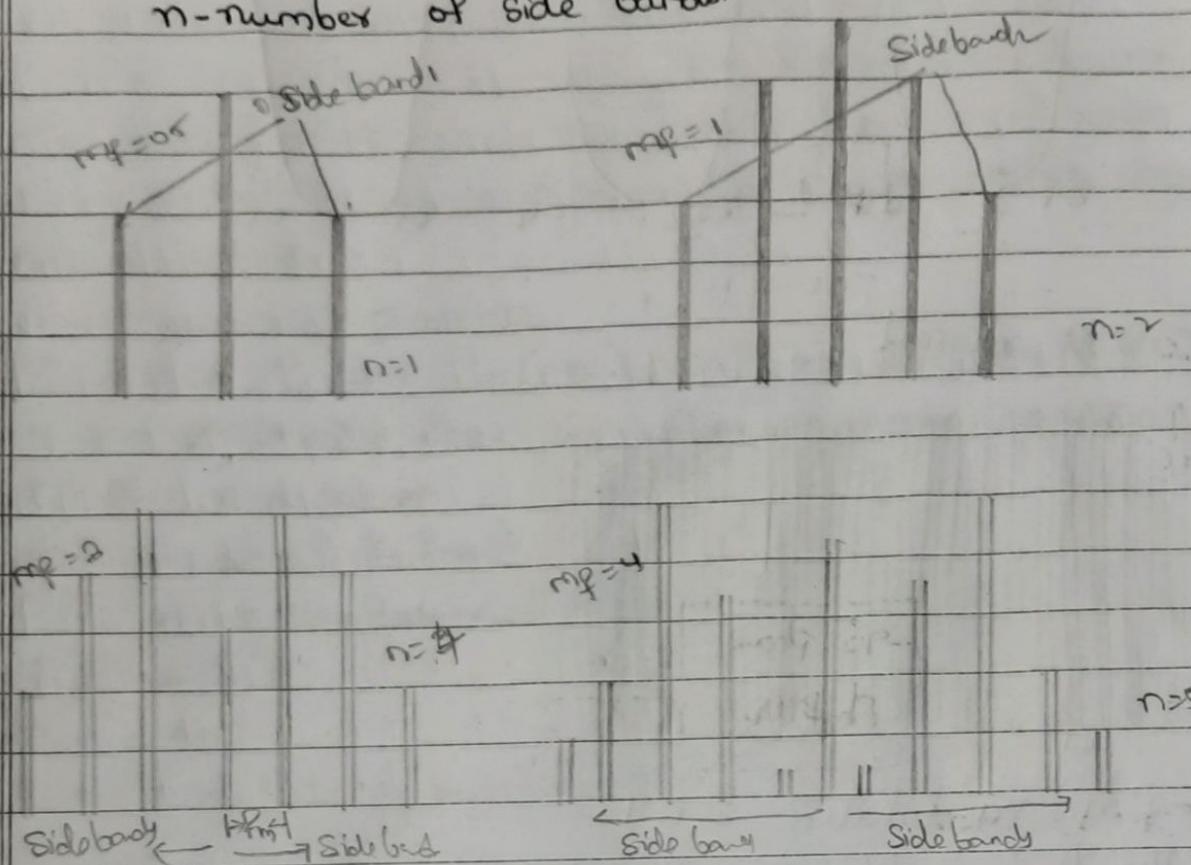
Signature

Expt.No. :

Date :

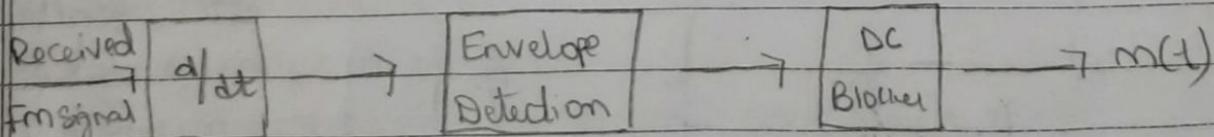
Page No : 82

Expt.Name :

 n -number of side bands.

FM Demodulation :- It is the key process in the reception of a frequency modulated signal. Once signal has been received, filtered and amplified, it is necessary to recover the original modulation from the carrier. It is this process called demodulation.

Demodulation using differentiation \rightarrow A frequency discrimination theoretically extracts message from received FM signal.



Difference between AM and FM :-

- \rightarrow In FM, carrier amplitude is constant, therefore transmitted power is constant.
- \rightarrow Transmitted power doesn't depend on the modulation index.

Signature

Expt.Name :

- The number of significant sidebands in FM is large.
- FM has better noise immunity. FM is rugged/rebut against noise. The quality of FM will be good even in presence of noise.
- Circuits for FM transmitters are very complex and very expensive.

Matlab Code:-

```
clc; clear all; close all;
```

```
 $f_s = 5000; f_c = 200; t = (0:1/f_s:0.4); m = \sin(2\pi \times 10^4 t);$ 
```

```
 $\cdot + \sin(2\pi \times 30 \times t); f_{dev} = 100; \cdot \cdot \cdot \text{Frequency Deviation value}$ 
```

•/. FM Modulation

```
y = fmmod(m, f_c, f_s, fDev);
```

•/. Plotting the Baseband Signal

```
Subplot(311);
```

```
Plot(t, m);
```

title('Modulating / Baseband Signal');

```
xlabel('Time -->');
```

```
ylabel('Amplitude-->');
```

•/. Plotting the FM Signal

```
Subplot(312);
```

```
Plot(t, y);
```

title('FM modulated Signal');

```
xlabel('Time -->');
```

```
ylabel('Amplitude-->');
```

•/. Frequency Demodulation

```
z = fmdemod(y, f_c, f_s, fDev); Subplot(313); Plot(t, z, 'x');
```

title('Received Signal (originally transmitted via FM)');

```
xlabel('Time -->');
```

```
ylabel('Amplitude-->');
```

Signature

multiple waves due to vibration frequency
 rotated about center of rotation, number of waves
 per second called frequency. Amplitude of wave
 is the distance between maximum displacement
 and minimum displacement from mean position.
 Velocity of wave is the rate of change of angular
 displacement.

Angular velocity is the rate of change of rotational
 angle. It is given by $\omega = \frac{\theta}{t}$. Frequency is the
 number of complete cycles per unit time.
 Base length is the length of one cycle.
 Period (T) is the time taken for one complete cycle.
 Frequency (f) is the number of cycles per unit time.

Frequency Period Angular velocity Time period

$f = \frac{1}{T}$ $\omega = 2\pi f$ $\omega = 2\pi/T$ $T = 2\pi/\omega$

Angular velocity is measured in radians per second.

Angular velocity is measured in radians per second.

$$\omega = \frac{\theta}{t} = \frac{\theta}{T} = \frac{2\pi f}{T} = 2\pi f$$

Angular velocity is measured in radians per second.

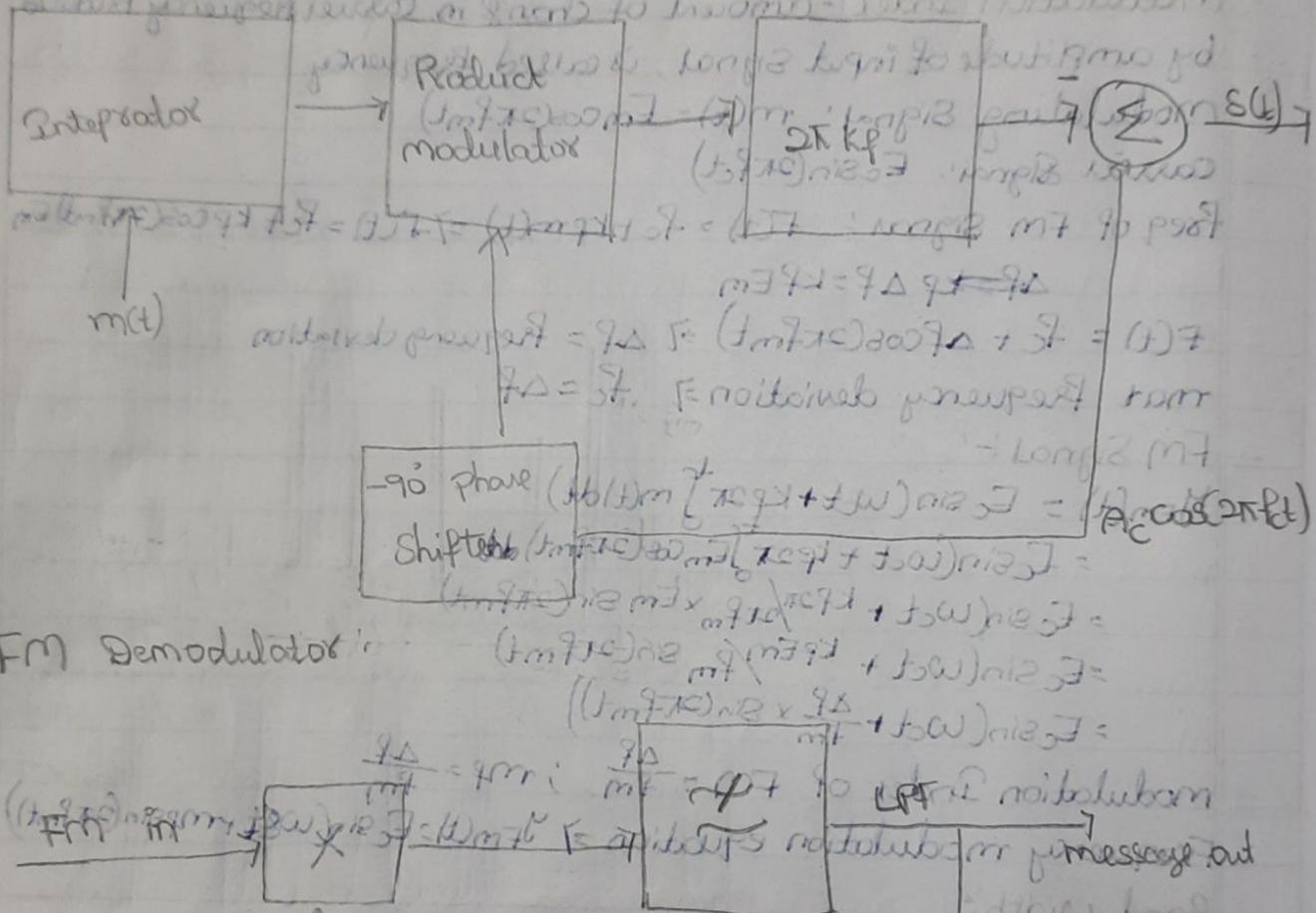
$$(2\pi f)(2\pi f + 2\pi f) = (2\pi f)^2$$

Instantaneous angular velocity (ω_i)

at constant angular velocity (ω_c)

Block Diagram

Fm modulators



FM Demodulator

$$\frac{(Im\mathcal{F}R)_{nR}}{(Im\mathcal{F}R)_{nR} + haw)_{nR}} = \frac{(Im\mathcal{F}R)_{nR} \times 98}{(Im\mathcal{F}R)_{nR} + haw)_{nR}}$$

$$\left(\frac{(T_m - T_{\infty}) \cdot R}{R + \frac{R}{T_m}} + b_w \right) \cdot 10^{-3} =$$

~~75~~ 507 Sept 2 1941

stirring over his bro' thoughts & drifts coming longish int
the swift art swift in words as slow as slow to answer

met. 2. *Leucosia* est toutefois bien placé entre 2 espèces d'espèces

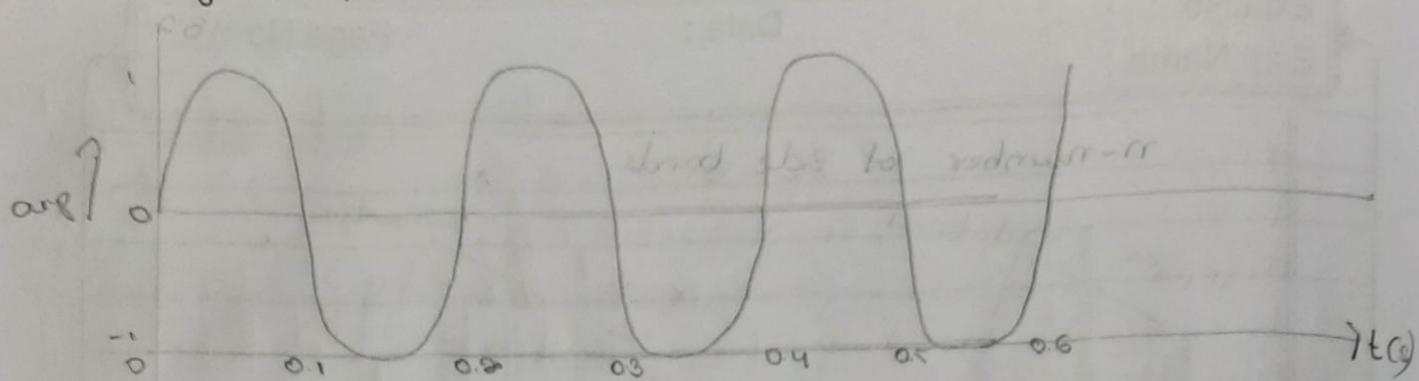
\sim \rightarrow $m_0 = m_1 + m_2 + \dots$

V_{CO}

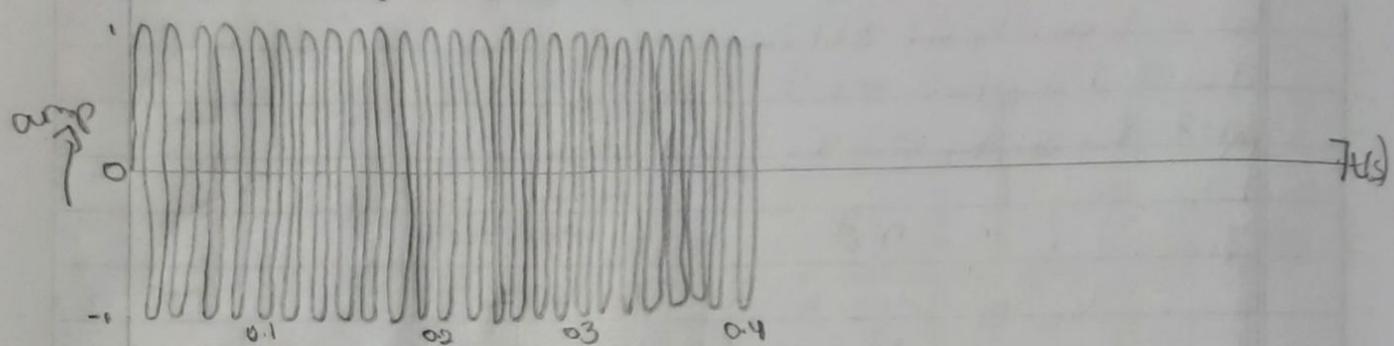
St. B. Kuhn

matlab observation
Input Signal \rightarrow

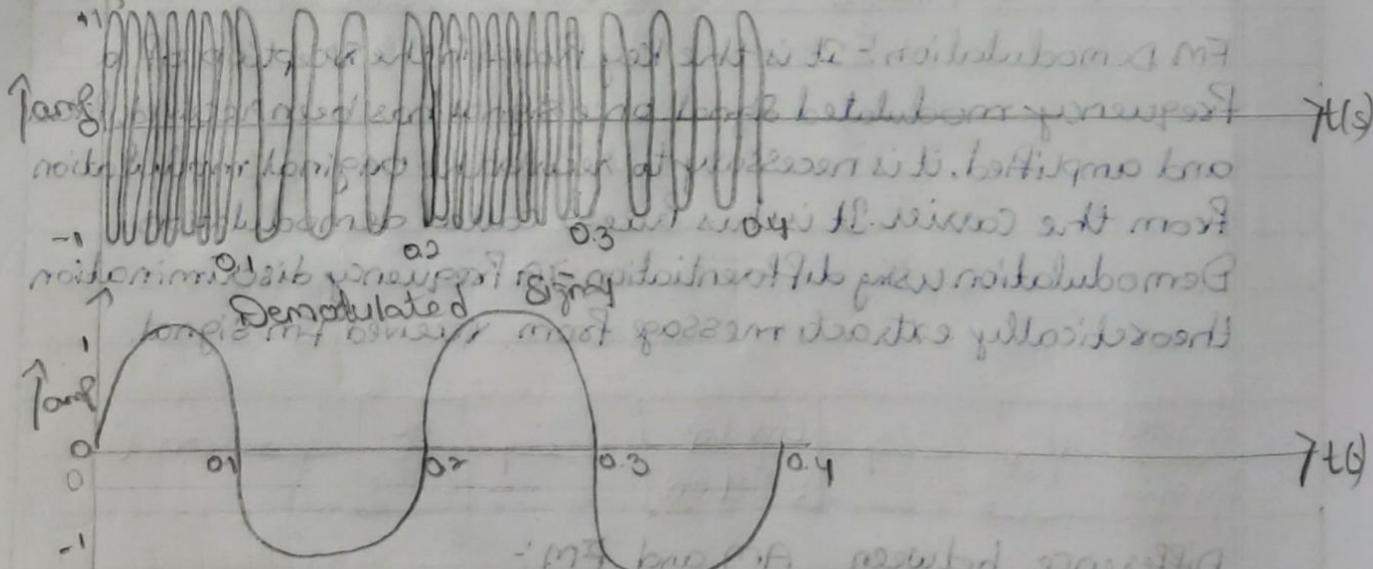
(86)



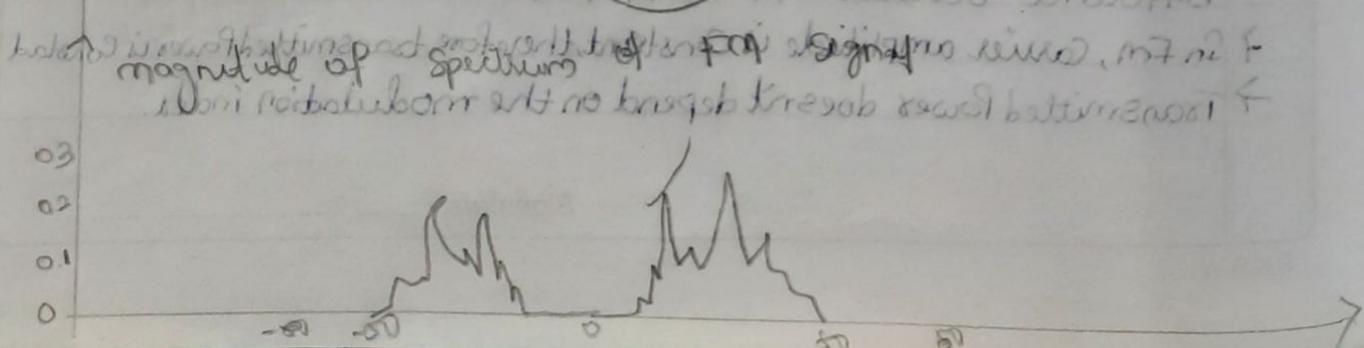
carrier signal



FM modulated signal



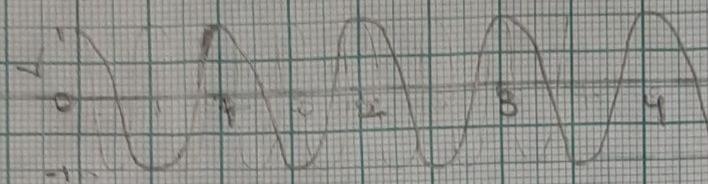
Demodulated Signal



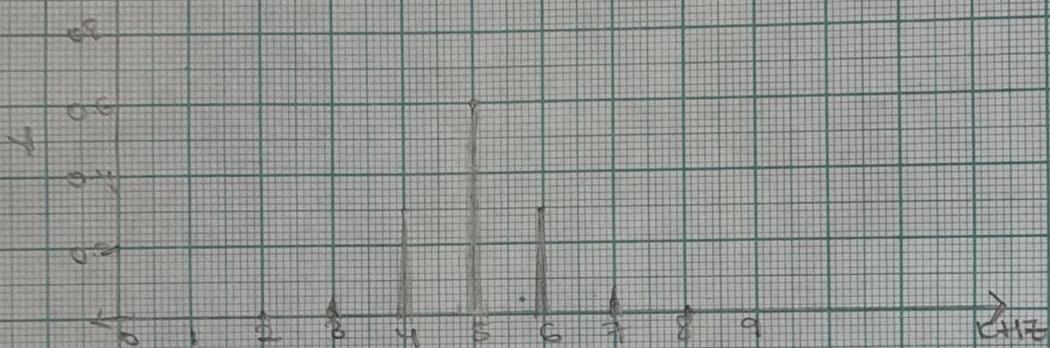
(32)

Labalive observing

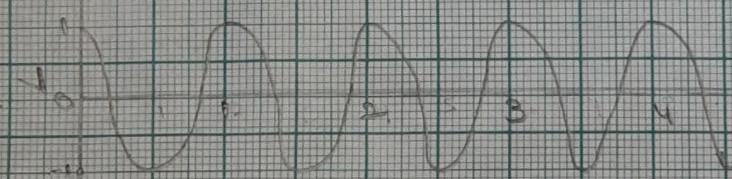
- Y Carrier $f_c = 5\text{kHz}$ AC=1V modulating Signal $f_m = 1\text{kHz}$ $A_m = 1\text{V}$
 modulation Constant = $5\text{kHz}/\sqrt{V}$
 modulating signal



Spectrum analyzer



- Q carrier frequency $f_c = 5\text{kHz}$ AC=1V $f_m = 1\text{kHz}$ $A_m = 1\text{V}$ modulation Constant = $7.5\text{kHz}/\sqrt{V}$
 modulating signal

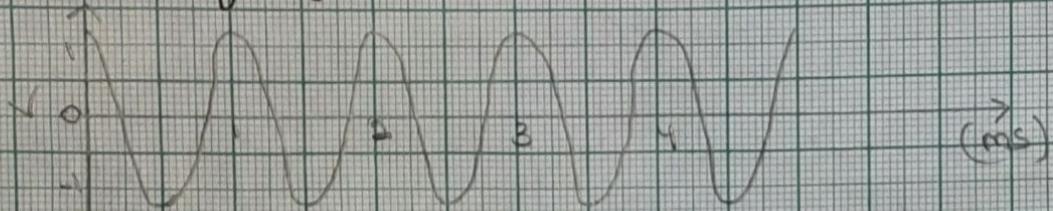


Spectrum analyzer

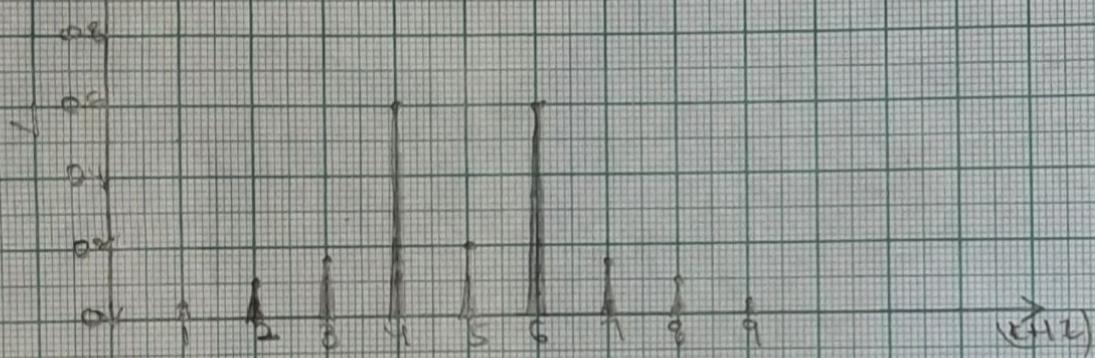


Q) $f_c = 5\text{kHz}$ $A_c = 1V$ $f_m = 1\text{kHz}$ $A_m = 1.2V$ modulation constant = 8.8kHz/V

modulating signal

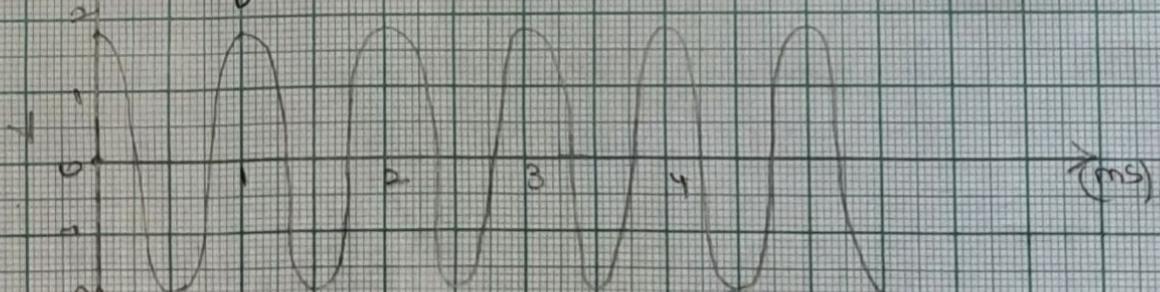


Spectrum analyzer

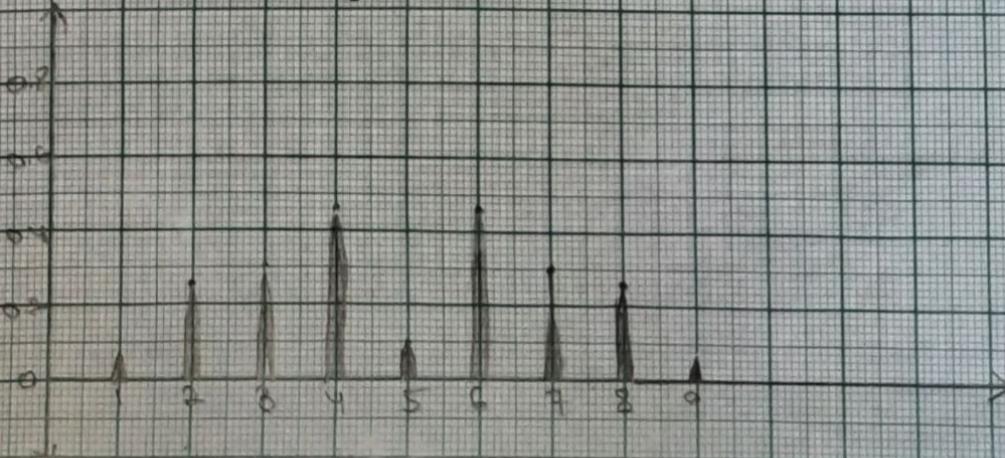


Q) $f_c = 5\text{kHz}$ $A_c = 1V$ $f_m = 1\text{kHz}$ $A_m = 1.8V$ modulation constant = 9kHz/V

modulating signal



Spectrum analyzer

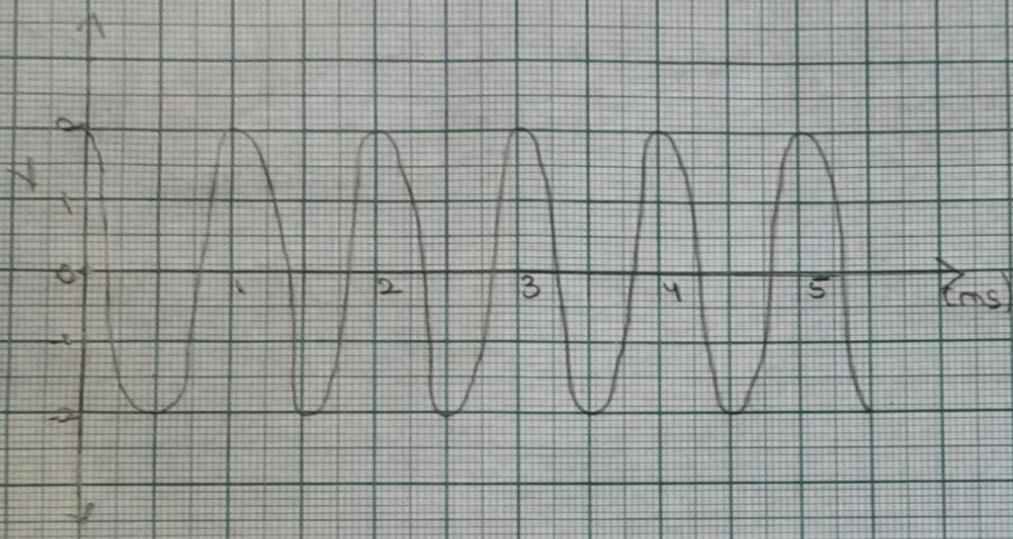


(39)

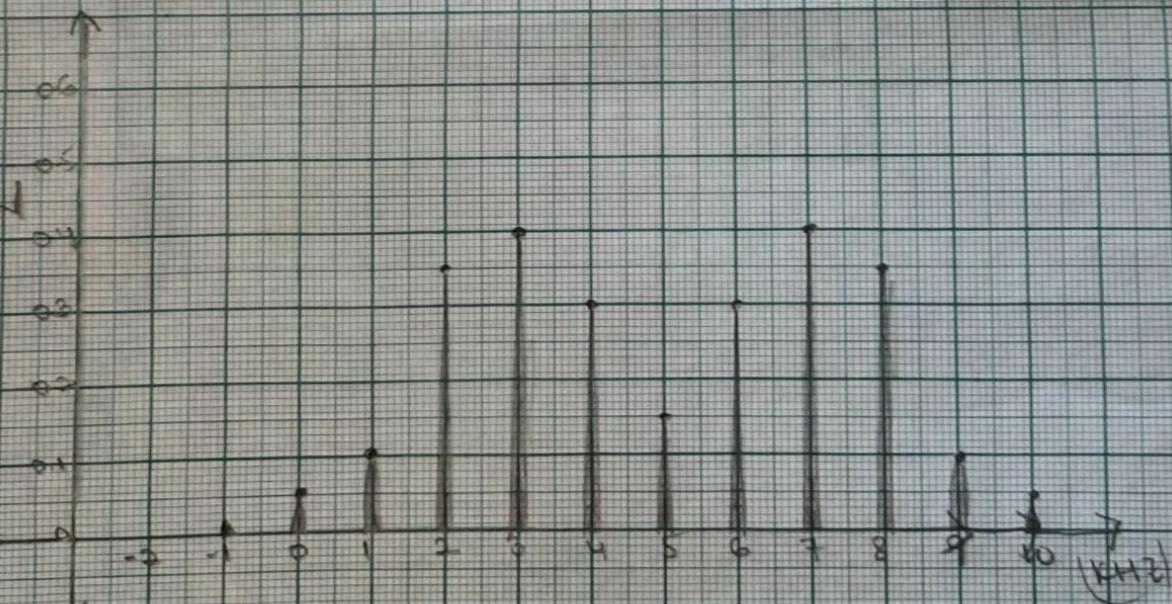
$$\Rightarrow f_c = 5\text{kHz} \quad A_c = 1V \quad f_m = 1\text{kHz} \quad A_m = 2V$$

$$\text{modulation constant} = 9.34\text{Hz/V}$$

modulating signal



Spectrum analysis



Expt.No. :

Date :

Page No : 40

Expt.Name :

Applications and advantages of Fm:-

- 1) Fm is resilient to noise and interference. Therefore it's used for high quality broadcast transmission.
- 2) Fm is ideal for mobile radio communication applications including more general two way radio communication or portable applications where signal levels are likely to vary considerably.
- 3) It is used in magnetic tape system record synthesis.
- 4) Radar, telemtry, observing infants for respiration through E.C.G, music.

Conclusion:- Successfully demonstrated frequency modulation and demodulation process by observing waveforms in time domain and their spectra in frequency domain by varying parameters of message signal.

Signature

S.K.B.W

Expt.No. : 5

Date :

Page No : 41

Expt.Name : Pulse modulation

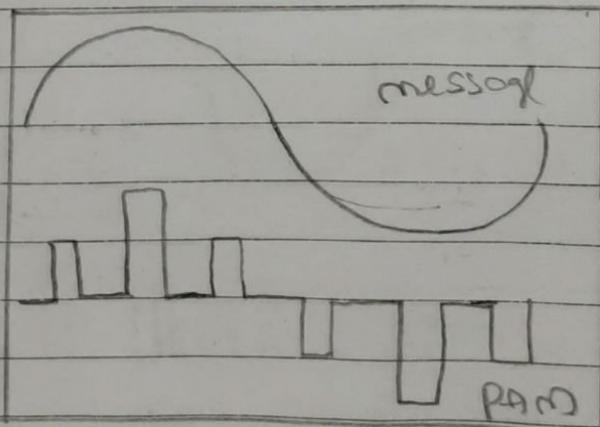
Aim:- To examine of Pulse amplitude modulation(PAM), Pulse Position modulation(PPM), Pulse width modulation(PWM) and verify and draw resultant waveforms. Illustrate circuit diagrams for PAM and PWM. Show & draw outputs using matlab/Simulink using virtual mode.

Software / Apparatus :- matlab

Theory:- To examine Pulse modulation is a type of modulation in which Signal is transmitted in form of pulses. In Pulse modulation continuous Signals are Sampled at regular intervals.

Pulse-modulation is further divided in to Analog and digital modulation and further analog in to PAM, PWM, PPM and Digital into PCM, PDM.

PAM:- In PAM a pulse signal is used to sample an analog signal. The result is a train of constant-width pulses. The amplitude of each pulse is proportional to amplitude of message signal at the time of Sampling. The PAM signal follows the amplitude of original signal, as signal traces out the path of whole wave.



Properties:

- * Amplitude of Pulse is Proportional to amplitude of modulating Signal.
- * Bandwidth of transmission channel depends on the pulse width.

Signature

Expt.No. :

Date :

Page No : 42

Expt.Name :

- * Instantaneous Power of transmitter varies
- * Noise interference is high.
- * Similar to Amplitude modulation
- * System is complex to implement

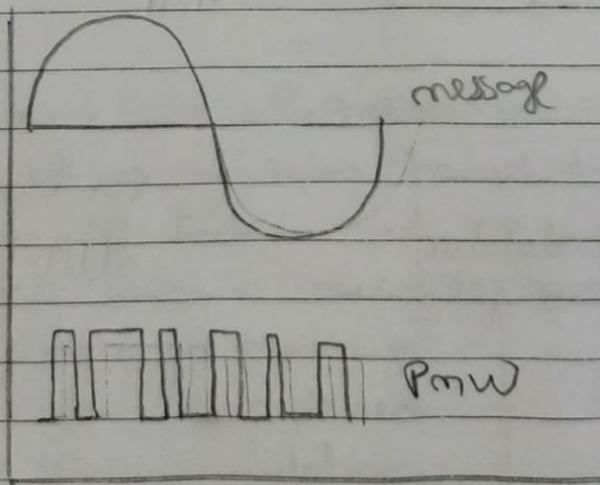
PAM Signal Generation:- we can generate PAM by two types:-

- a) Natural Sampling b) Flat-top Sampling

Natural Sampling:- For a PAM signal produced in the natural sampling the sampled signal follows waveform of input signal during the time that each sample is taken.

Flat-top Sampling:- In this sampled signal can be represented in pulses for which amplitude of signal cannot be changed with respect to analog signal to be sampled.

PWM:- In this type, amplitude is maintained constant but duration or length or width of each pulse is varied in accordance with instantaneous values of analog signal.

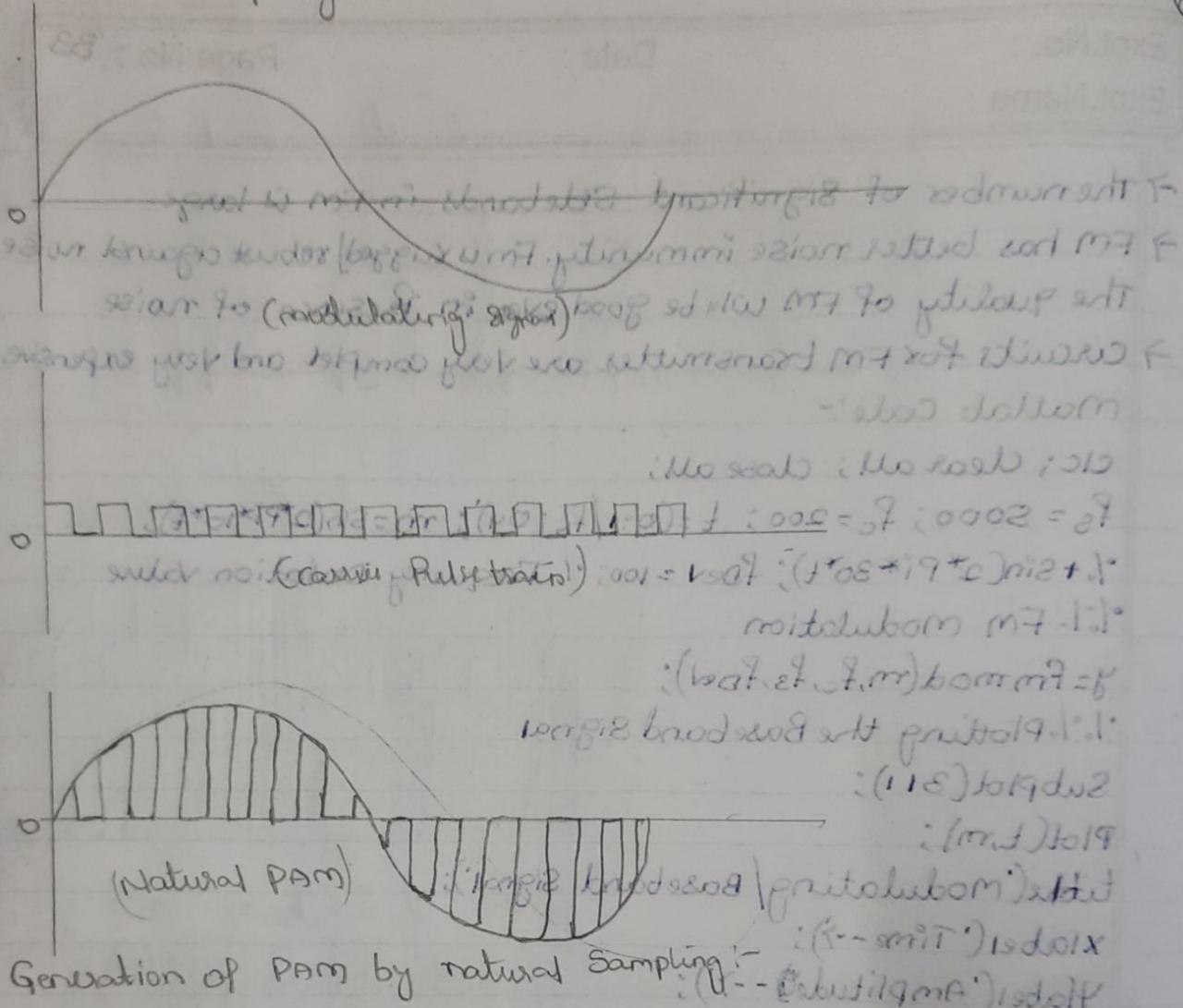


Properties:-

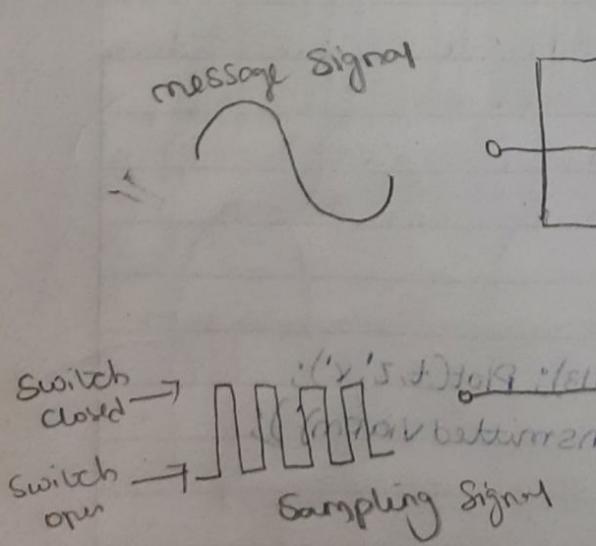
- * width of Pulse is proportional to amplitude of modulated signal
- * Bandwidth of transmission channel depends on rise time of Pulse.

Signature

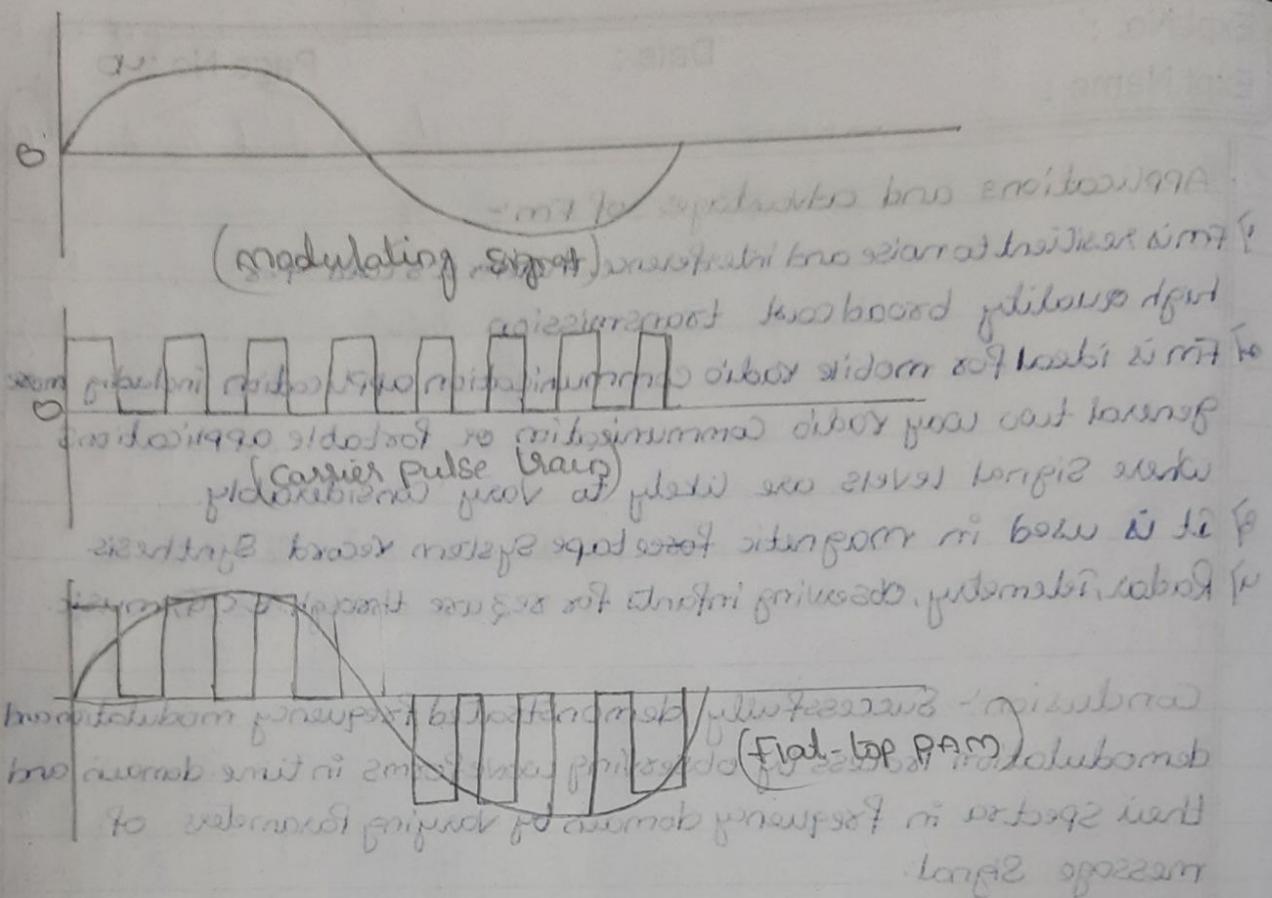
Natural Sampling :-



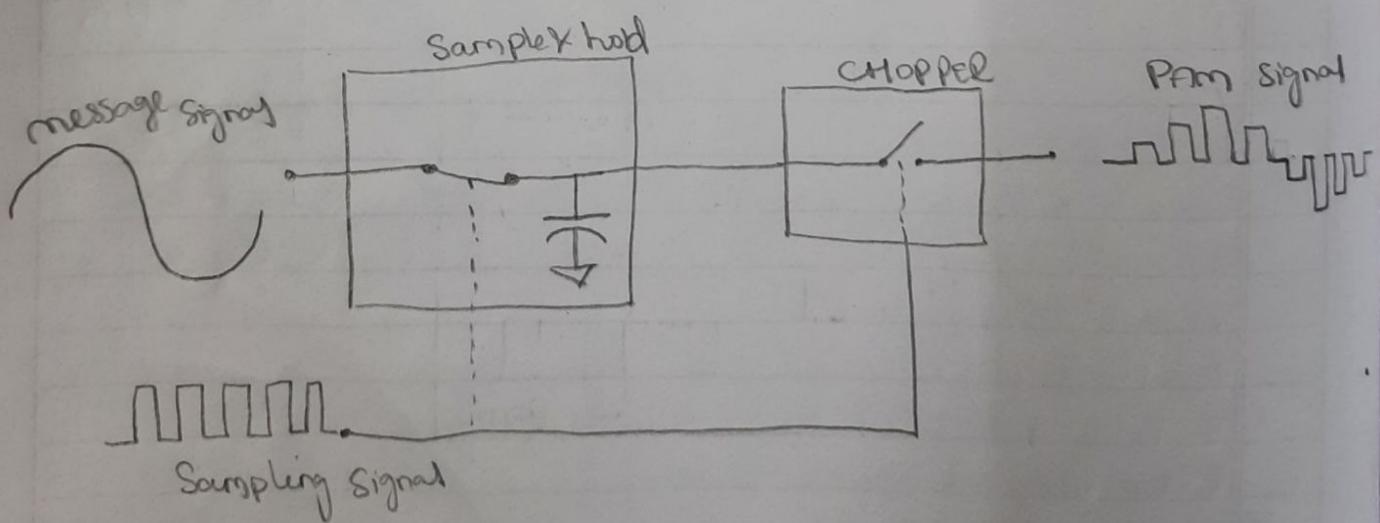
Generation of PAM by natural Sampling:-



flat top Sampling :-



Generation of PAM by flat-top Sampling :-



Expt.No. :

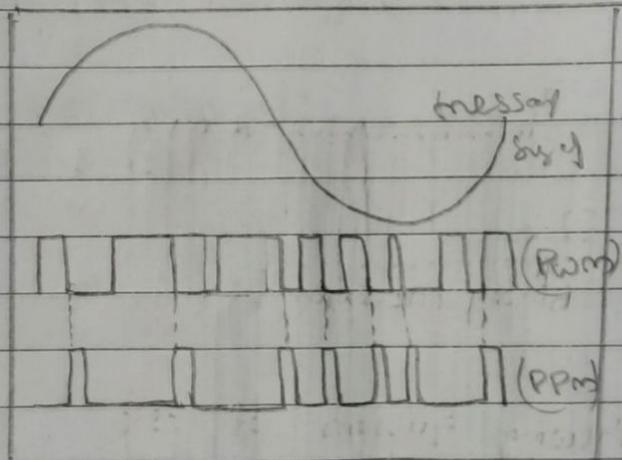
Date :

Page No : 15

Expt.Name :

- * Instantaneous Power of transmitter varies
- * Noise interference is minimum
- * System is Simple to implement
- * Similar to frequency modulation.

PPM:- In this type of modulation both amplitude and width of Pulse are kept constant. we vary the Position of each Pulse according to instantaneous sampled values of message signal. PPM modification of PWM



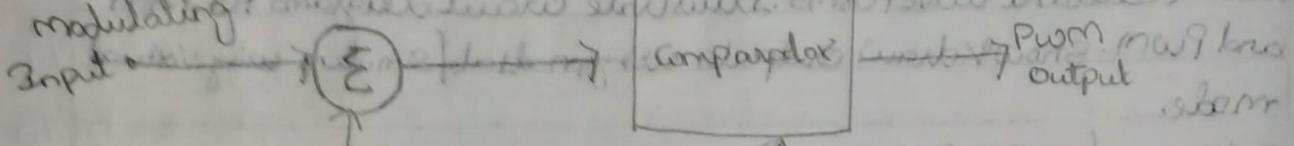
Properties:-

- * Relative Position of Pulse is Proportional to amplitude of modulating Signal
- * Band width of transmission channel depends on the rising time of Pulse.
- * Instantaneous Power of transmitter remains Constant
- * Noise interference is minimum.
- * System is Simple to implement
- * Similar to phase modulation.

Signature

PMW Signal Generation:

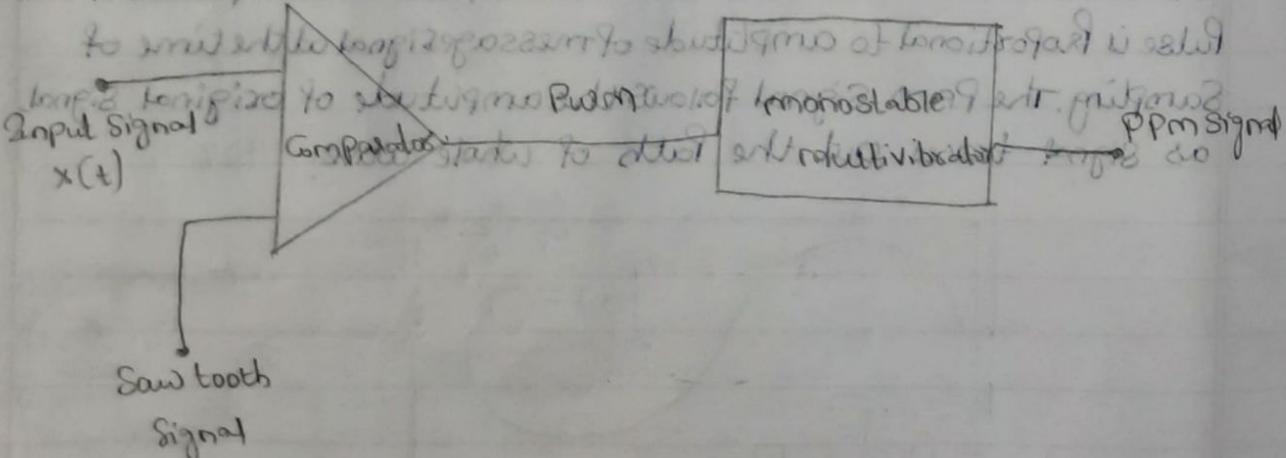
modulating the switchable voltage used to drive the switch
by either one (or two) switchable resistors with
modulating signals from the saw tooth or pulse width
modulator.



possible to generate switchable Reference voltage or - current
modulation waveform to maintain better aspect ratio for better
generator.

Switching voltage to be used as switching waveforms
modulation techniques can be used in this circuit to switch between

PPM Signal Generation
using pulses as signals of how is longer pulse means more
duty cycle, more time available to invert & switch out



longer pulse to be longer at longer period as seen to switch &
duty cycle with no sharp corners required for this kind of

Expt.No. :

Date :

Page No : (47)

Expt.Name :

matlab code :-

% PAM

clc;

clear all;

close all;

$f_c = 100$; $P_m = P_c/100$; $f_s = 100 * f_c$;

$t = 0:1/f_s : 4/P_m$; $msg_sg1 = \cos(2\pi f_m t)$

$carri_sg1 = msg_sg1 * carri_sg1$;

$tt = []$

for i=1:length(mod_sg1);

if mod_sg1(i) == 0;

$tt = [tt, mod_sg1(i)]$;

else

$tt = [tt, mod_sg1(i)*2]$;

end

end

figure(1)

subplot(4,1,1); plot(t, msg_sg1, 'm'); title('Message signal');

xlabel('Time Period'); ylabel('Amplitude');

subplot(4,1,2); plot(t, carri_sg1); title('Message Sig Carri Signal');

xlabel('Time Period'); ylabel('Amplitude');

subplot(4,1,3);

plot(t, mod_sg1, 'r');

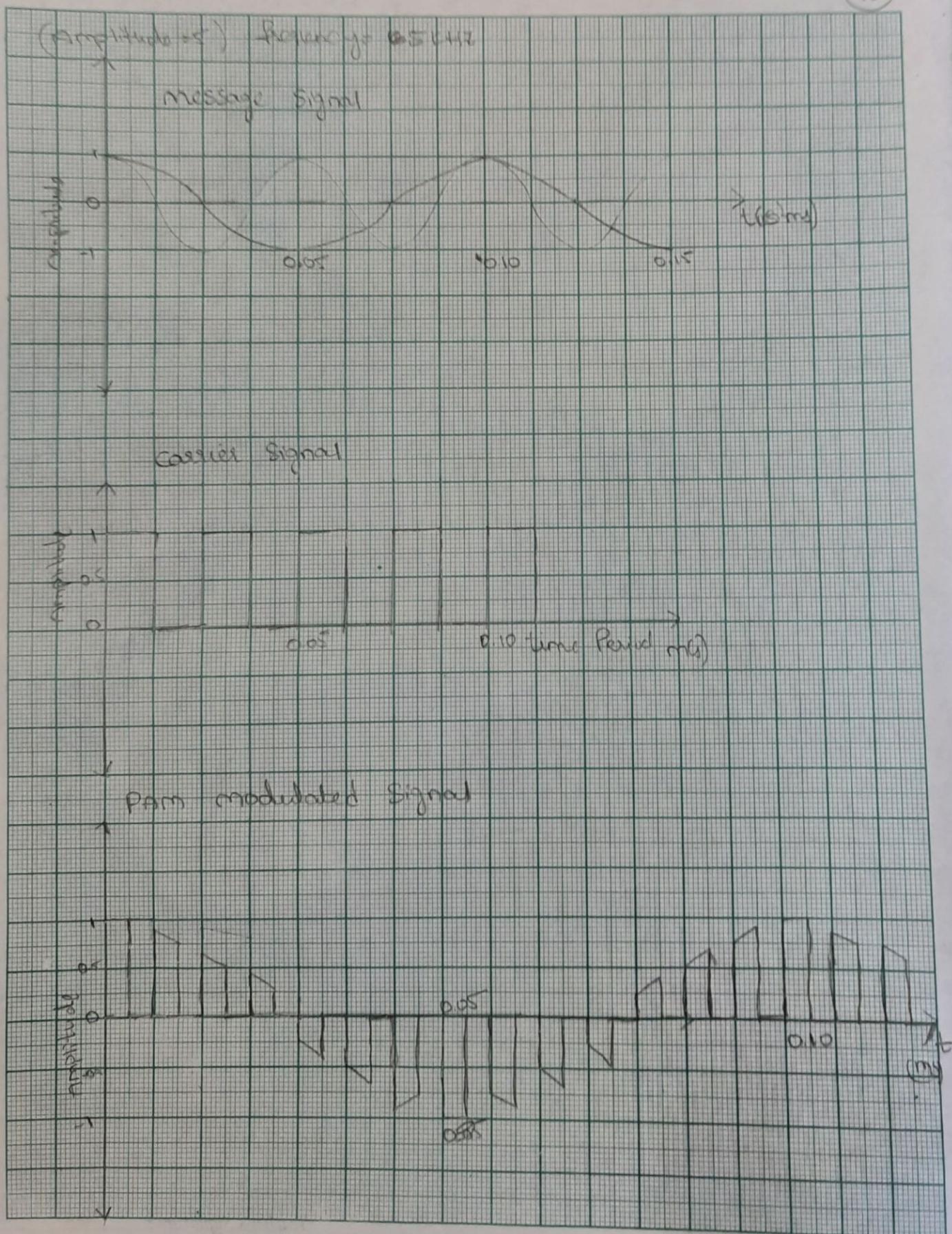
title('PAM modulated Signal');

xlabel('Time Period');

ylabel('Amplitude');

Signature

48



Expt.No. :

Date :

Page No : 49

Expt.Name :

% PWM

clc;

close all; clear all;

t = 0:0.0001:1;

S=Sawtooth(2*pi*10*t+pi); m=0.75*sin(2*pi*1*t);

n = length(S);

for i=1:n

if (m(i) >= S(i))

Pwm(i)=1;

else if (m(i) <= S(i))

Pwm(i)=0

end

end

Plot(t,Pwm,'o',t,m,'r',t,S,'b');

ylabel('Amplitude'); axis([0 1 -1.5 1.5]);

xlabel('Time index'); title('Pwm wave');

grid on;

% PPM

clc; clear all; close all;

fc=1000; fs=10000; fm=200;

t = 0:1/fs:(2/fm)-(1/fs));

x = 0.5*cos(2*pi*fm*t)+0.5; Y=modulate(x,fc,fs,'PPM');

Subplot(2,1,1); plot(x);

title('msg Signal');

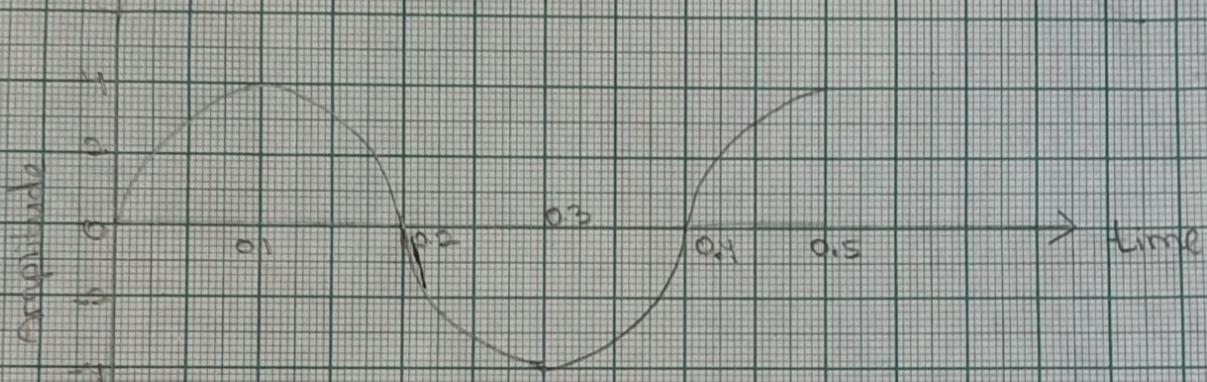
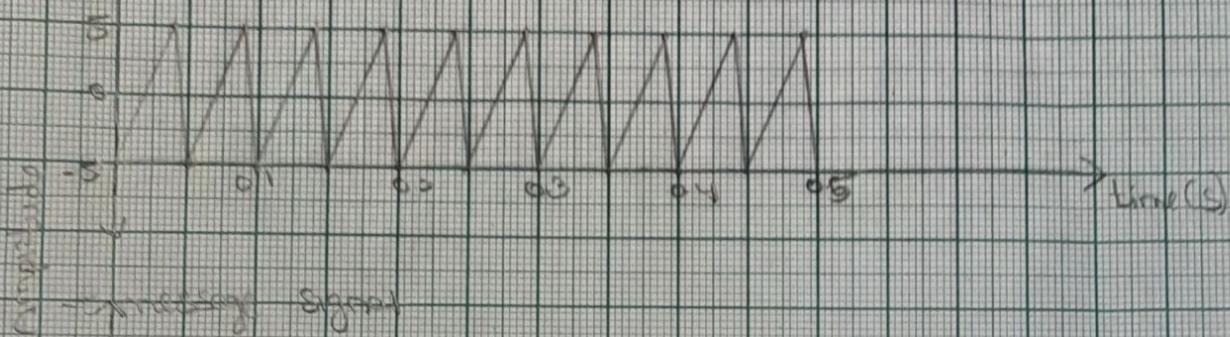
Subplot(2,1,2); plot(Y);

axis([-0.5 0 500 -0.5 1.5]);

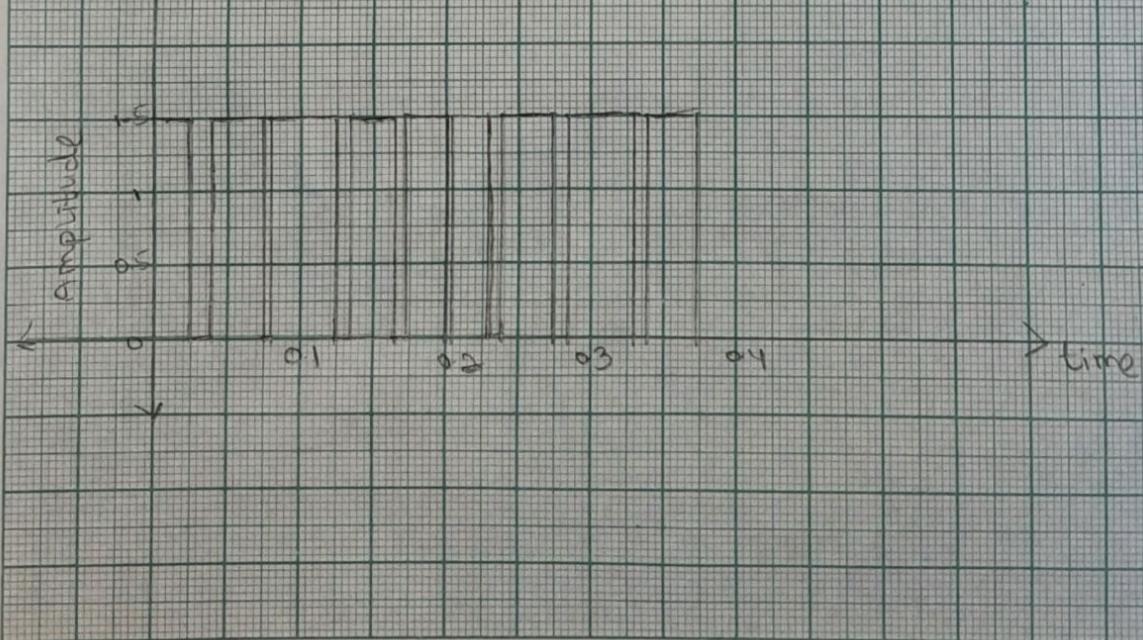
title('PPM');

Signature

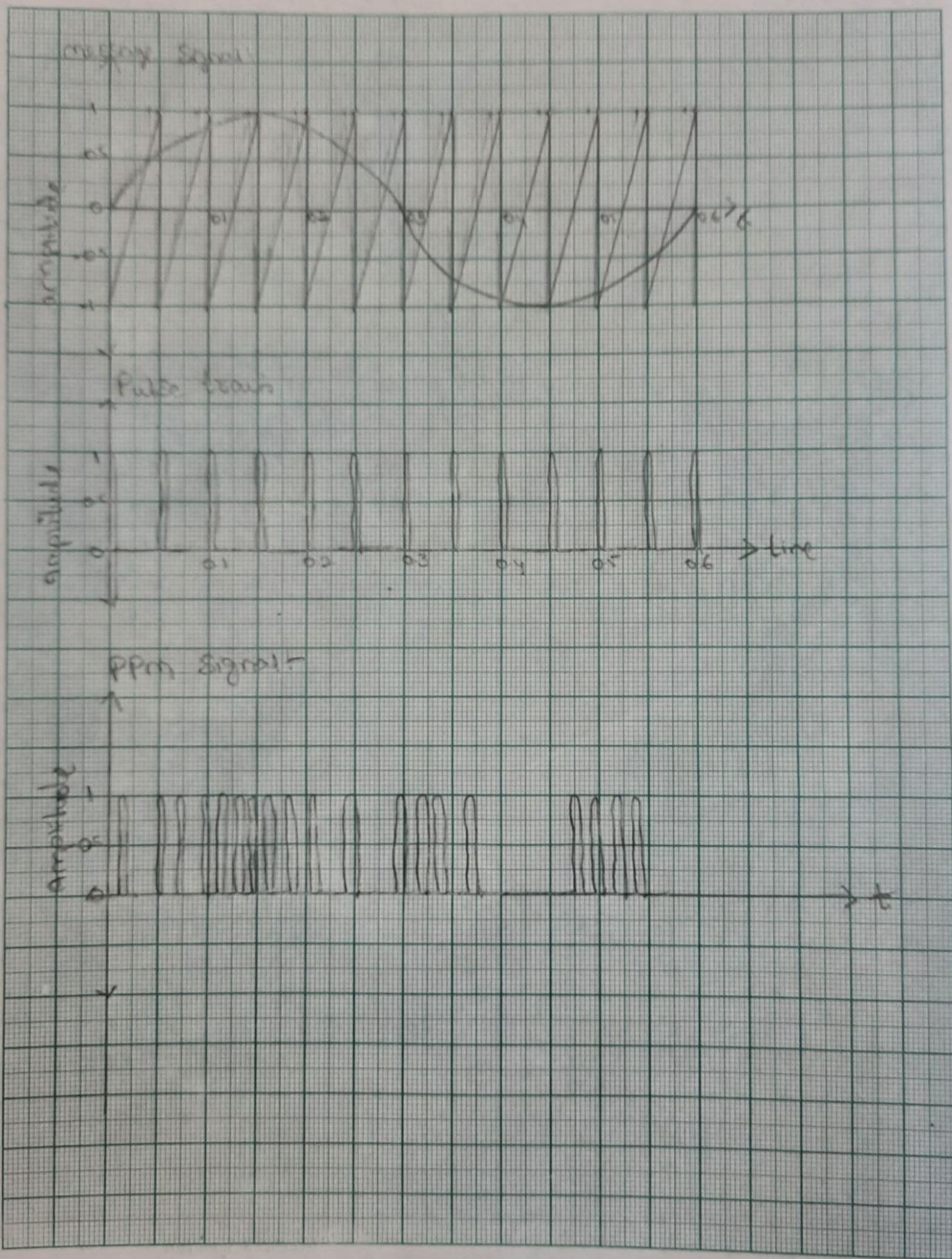
Copied from Samarth Kumar -



Plot of PWM -



(51)



Expt.No. :

Date :

Page No : 52

Expt.Name :

Advantages of Pulse modulation:-

- * Pulses are quite short as compared to time in between, so a pulse modulated wave remains off most of the time.
- * Time interval between pulses may be filled with sample values from other messages, so we can send many messages at a time on Pulse Communication System.
- * One of chief advantages of PM is that if we combine Pulse modulation with continuous modulation(AM, FM), we can obtain 'multichannel' communication system, a desirable feature for data transmission.

Conclusion:- Successfully Performed PAM, PWM, PPM and analysed and verified its input and output waveforms using matlab software.

Signature

S.K.B.W

Expt.No. : 6

Date :

Page No : 53

Expt.Name : ASK, PSK and FSK Generation

Aim:- To study of amplitude shift keying(ASK), Frequency shift keying (FSK), Phase Shift keying (PSK) modulation technique and verify waveforms

Illustrate Schematic diagrams for ASK, FSK and PSK. Show & draw the input/output waveforms using mat lab code using virtual mode.

Software/Apparatus:- matlab

Theory:-

ASK :- In case of amplitude Shifting Keying the amplitude of the resultant output(modulated) depend upon the input data. This is also a type of Amplitude modulation which represent the binary data in form of variation in amplitude of signal.

ASK is a digital modulation technique defined as process of shifting the amplitude of carrier signal between two levels, depending on whether 1 or 0 is to be transmitted.

Let the message signal be binary sequence of 1's and 0's. It can be represented as function of time as follow

$$V_m = \begin{cases} V_m, & \text{when Symbol is 1} \\ 0, & \text{when Symbol is 0} \end{cases}$$

let the carrier be defined as $V_c = V_c \cos \omega t$

then corresponding ASK Signal is given by Product of V_m & V_c as

$$V_{ASK} = V_m V_c \cos \omega t \rightarrow \text{Symbol is 1}$$

$$= 0 \rightarrow \text{Symbol is 0}$$

FSK:- In case of Frequency Shifting Keying, output signal will be either high or low, depending upon the input data applied.

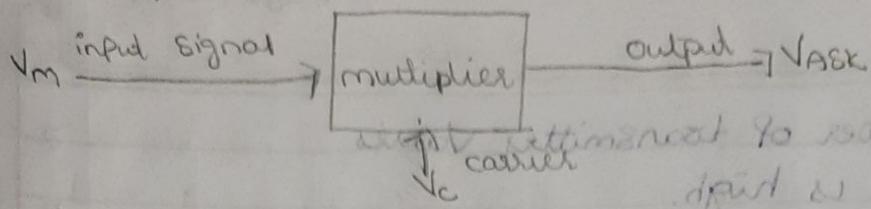
FSK is digital modulation technique in which frequency of carrier signal varies accordingly to discrete digital changes. FSK is a scheme of frequency modulation.

Let V_m be the message signal. $V_m(t) = V_m$

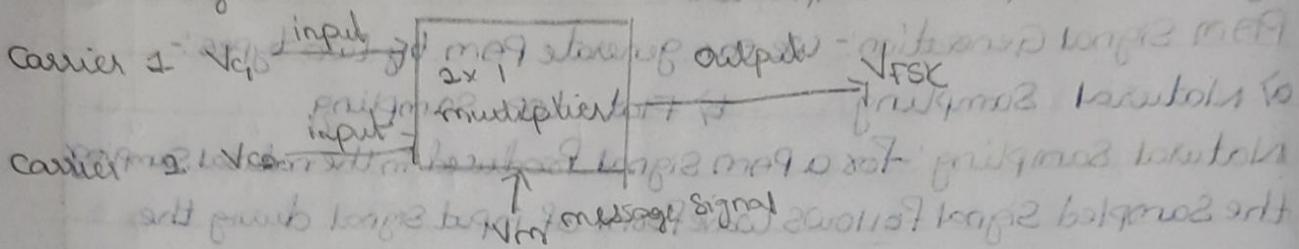
Signature

Block Diagram:

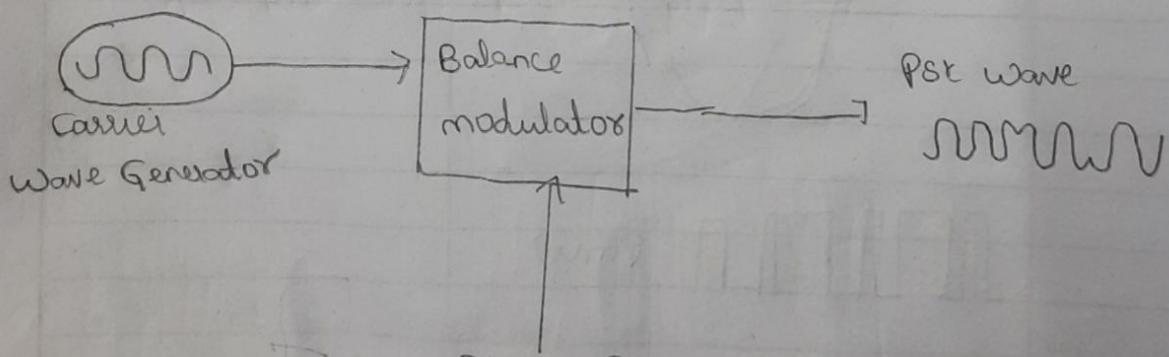
1) Block diagram of generation of ASK signal →



2) Block diagram of FSK Generator



3) Block diagram showing question of PSK



Long & short duration of long & short pulses to obtain + result to send each no through words minimum length +

Let two carriers be defined as, $V_{C1} = V_c \cos \omega_1 t$; $V_{C2} = V_c \cos \omega_2 t$
 then FSK Corresponding signal is defined as

$$\sqrt{V_{FSK}} = \sqrt{V_m} V_c \cos \omega_1 t, \text{ Symbol is } 1$$

$$= \sqrt{V_m} V_c \cos \omega_2 t, \text{ Symbol is } 0$$

PSK :- Phase shift keying (PSK) is digital modulation technique in which Phase of carrier signal is changed by varying the sine and cosine input at a time. The phase of output signal gets shifted depending on input.

MATLAB CODE :-

% ASK

clc; close all; clear all;

f_c = input('Enter the freq of Sine wave carrier:');

f_p = input('Enter the freq of Periodic Binary Pulse (message):');

amp = input('Enter the amplitude (for correct Binary Pulse message):');

t = 0:0.001:1; c = amp.*sin(2*pi*f_c*t);

Subplot(3,1,1); xlabel('Time'); ylabel('Amplitude');

title('carrier wave');

m = amp/2.*square(2*pi*f_p*t)+amp/2;

Subplot(3,1,2);

Plot(t,m);

xlabel('Time'); ylabel('Amplitude');

title('Binary message Pulses');

w = c.*m;

Subplot(3,1,3);

Plot(t,w);

xlabel('Time'); ylabel('Amplitude');

title('Amplitude shift keyed signal');

Signature

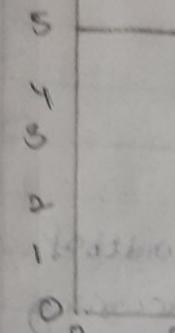
7

ASK
 $f_c = 20\text{Hz}$ $f_p = 5\text{Hz}$
 $\text{amp} = 5$

(56)

message signal

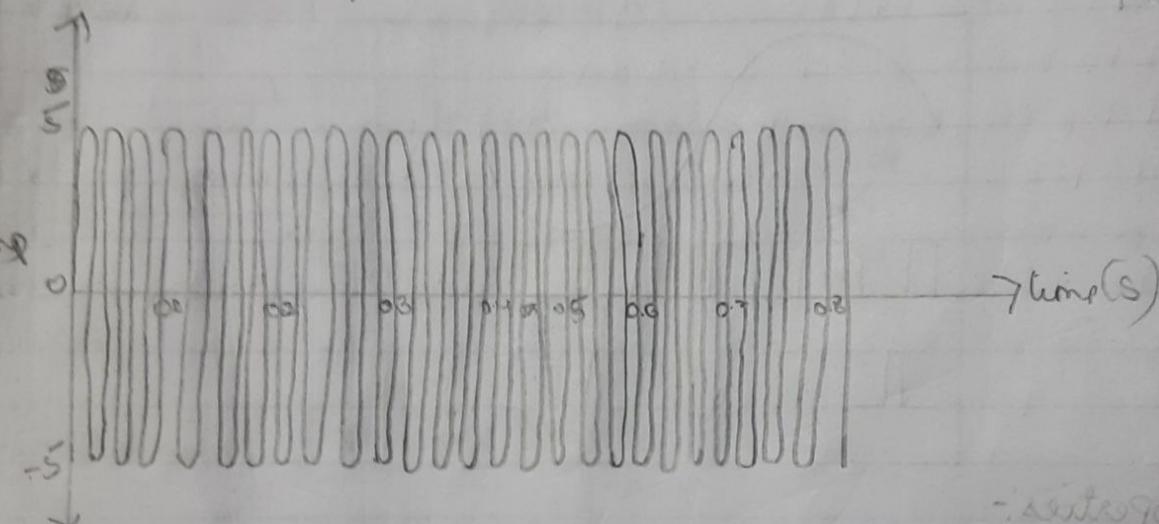
amp



Since it is required to convert message signal to carrier signal we need to
maximum 2) waveforms which +
translating at sign 2 is step 2 +
modulation process at sign 2 +
1) adding two waveforms which is 10 f_p into f_c + m f_p
to convert message signal to carrier signal both are waveforms of
now

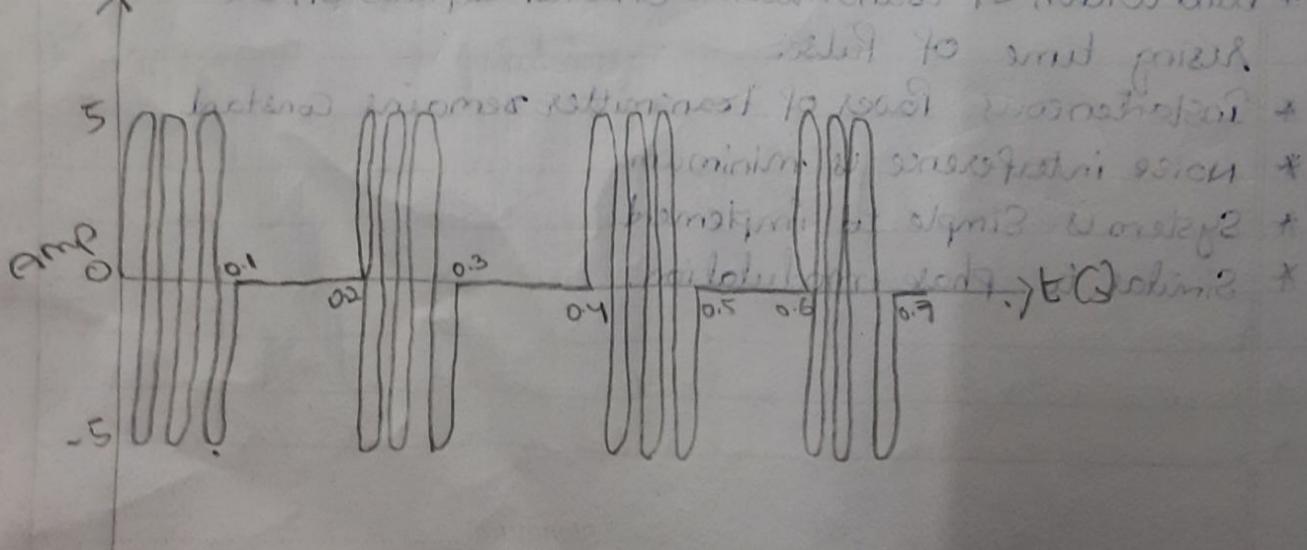
carrier signal

amp



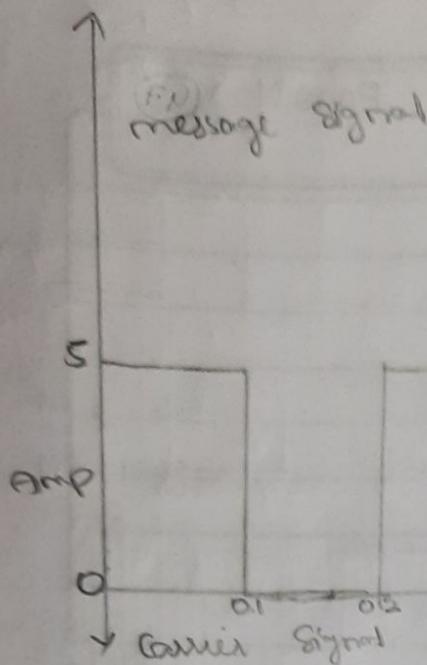
large amplitude shift in message signal + 2) To modulate signal +
it is no change elements conversion to digital form +
related to send power.

amp



27

ASK



$$f_c = 100 \text{ Hz}, f_m = 5 \text{ Hz}$$

$$\text{amp} = 5$$

(5)

- asked question

(part 1)

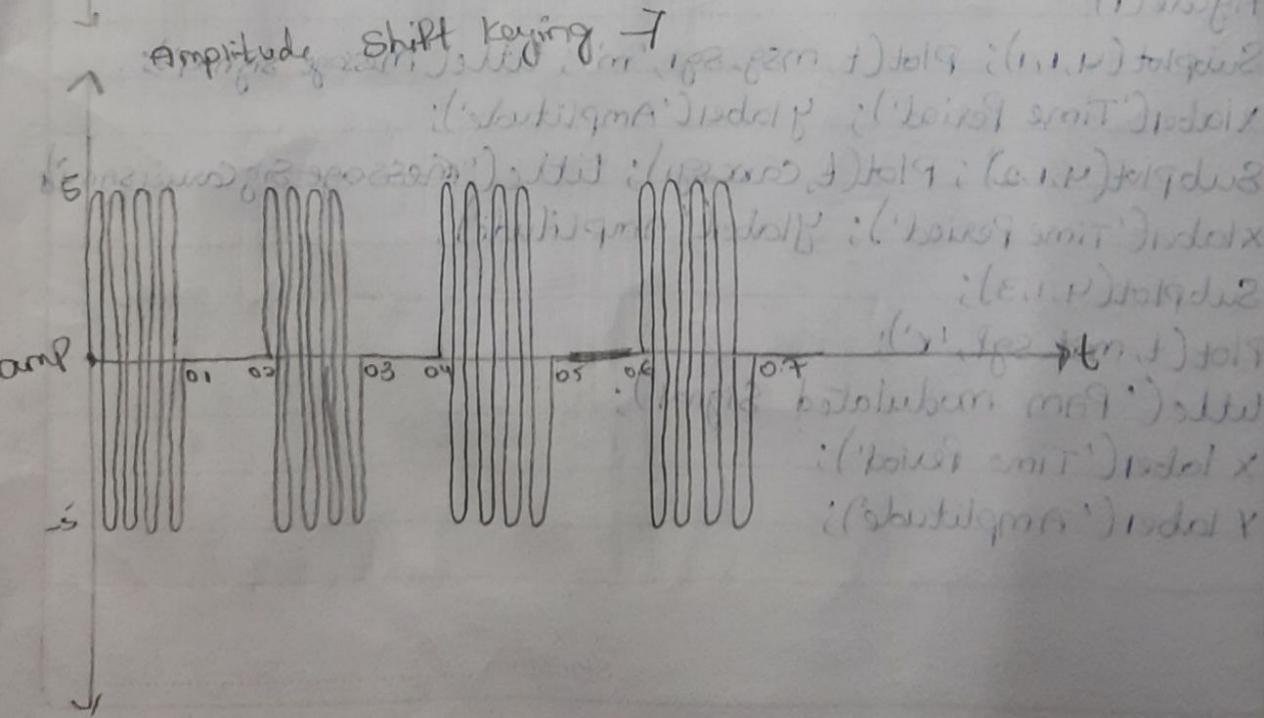
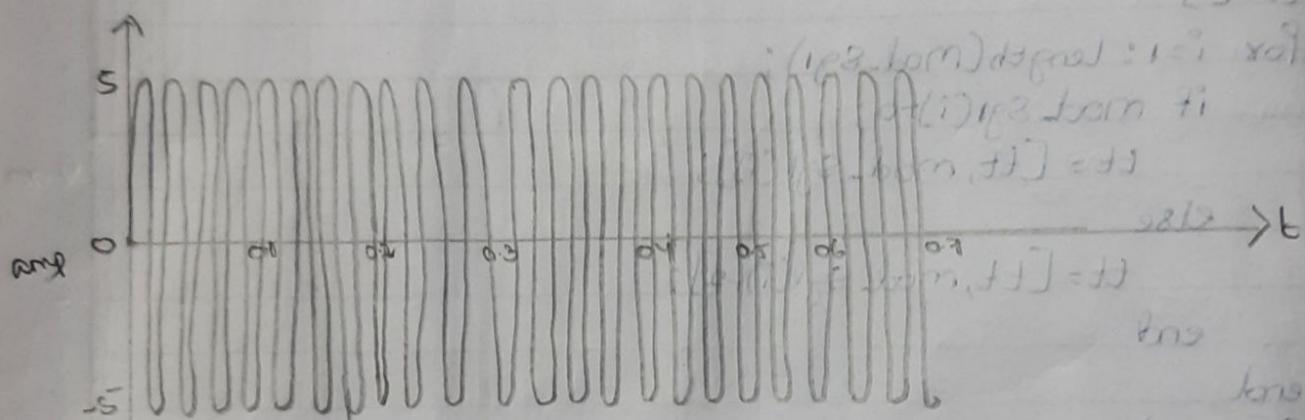
212

carrying

100 mV

carrier

100 mV

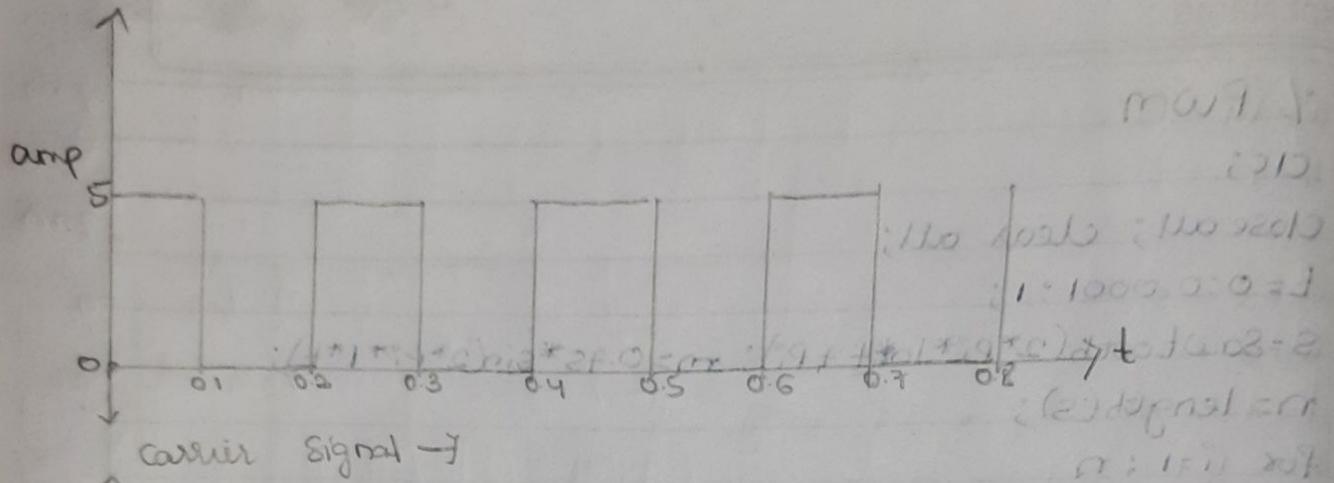
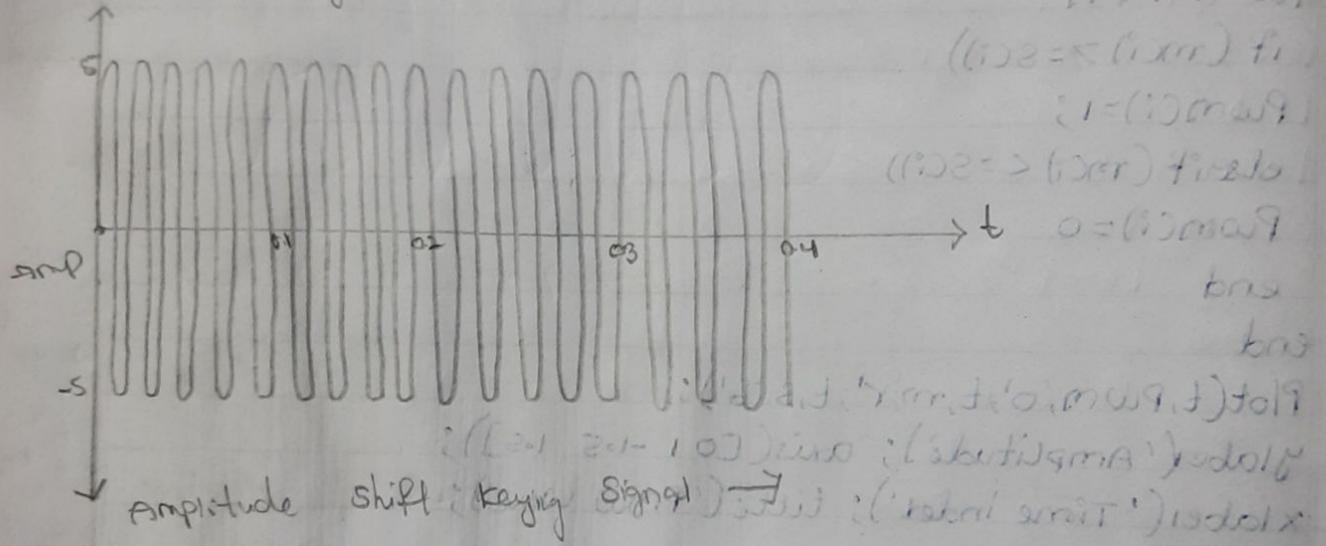
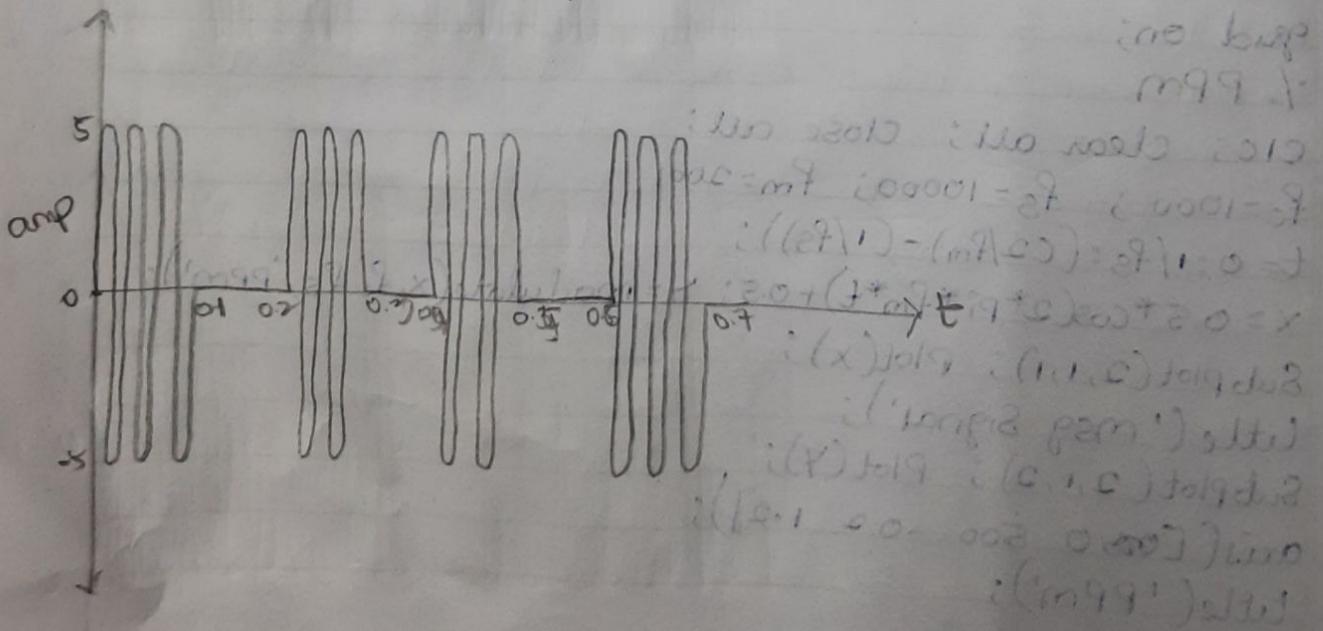


5)

ASK

$f_c = 50\text{Hz}$ $f_p = 10\text{Hz}$ $\text{amp} = 5$

(5b)

message signal \rightarrow carrier signal \rightarrow Amplitude shift (keying Signal) \rightarrow 

Expt.Name :

%// FSK

```

clc; close all; clear all;
fci = input('Enter the freq of 1st sine wave carrier');
fc2 = input('Enter the freq of 2nd sine wave carrier');
fp = input('Enter the freq of Period Binary Pulse(message):');
amp = input('Enter the amplitude(For Both Carrier & message)?');
amp = amp/2; t = 0:0.001:1;
c1 = amp.*sin(2*pi*fci*t); c2 = amp.*sin(2*pi*fc2*t);
Subplot(4,1,1); Plot(t,c1);
xlabel('Time'); ylabel('Amplitude'); title('Carrier 1 wave');
Subplot(4,1,2); Plot(t,c2);
xlabel('Time'); ylabel('Amplitude'); title('Carrier 2 wave');
m=amp.*square(2*pi*fp*t)+amp; Subplot(4,1,3); Plot(t,m);
xlabel('Time'); ylabel('Amplitude'); title('Binary message Pulses');
for i=0:1000
    if m(i+1)==0
        mm(i+1)=c2(i+1);
    else
        mm(i+1)=c1(i+1);
    end
end
Subplot(4,1,4);
Plot(t,mm);
xlabel('Time');
ylabel('Amplitude');
title('modulated wave');

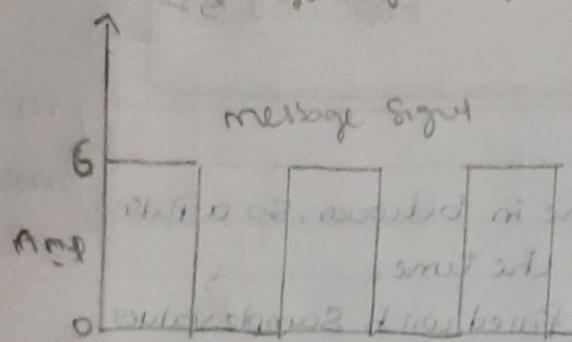
```

Signature

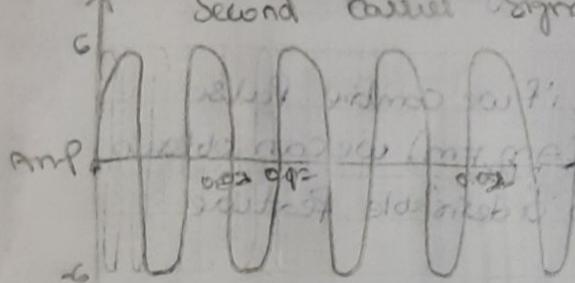
▷ FK

$$f_q = 50\text{Hz} \quad f_{C_2} = 20\text{Hz} \quad f_p = 10\text{Hz} \quad \text{amps: } 60$$

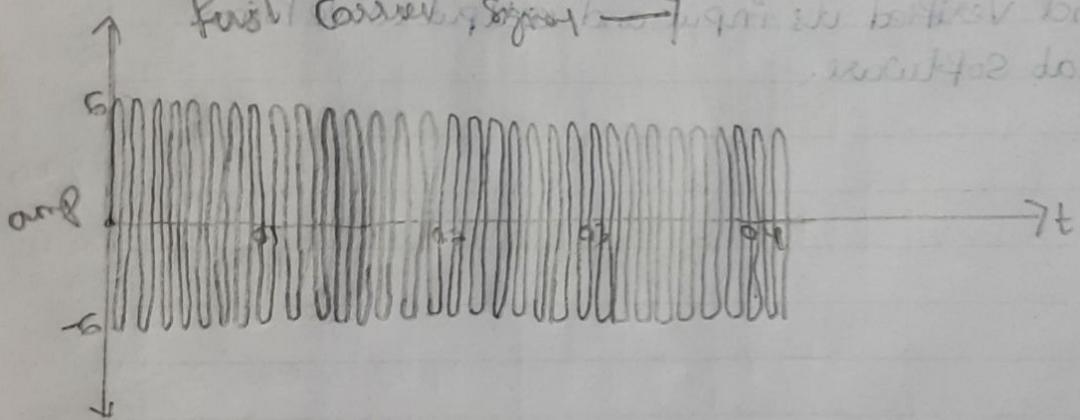
message signs →



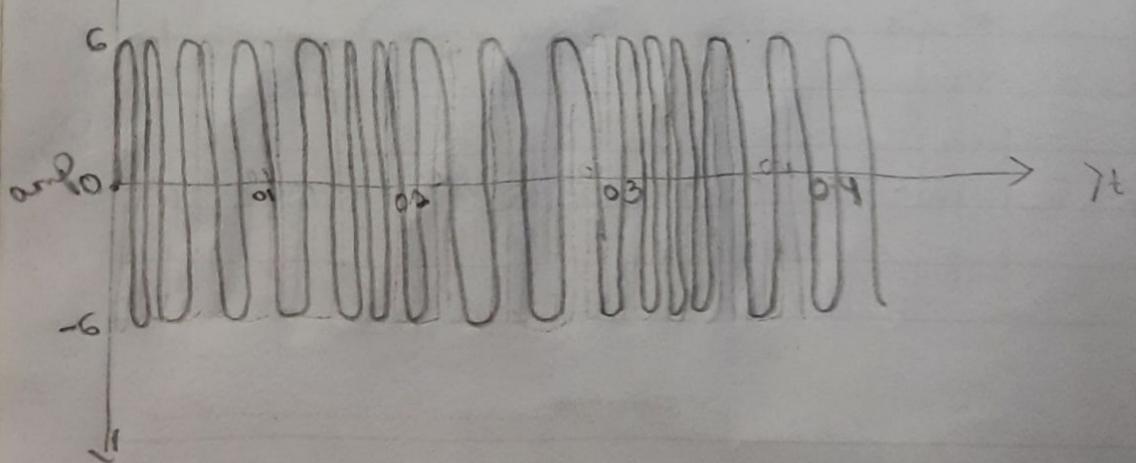
Second carrier signal



Final Correlation → with its better bus system
and for better prices



Frequency Shift Keying Signal →



27

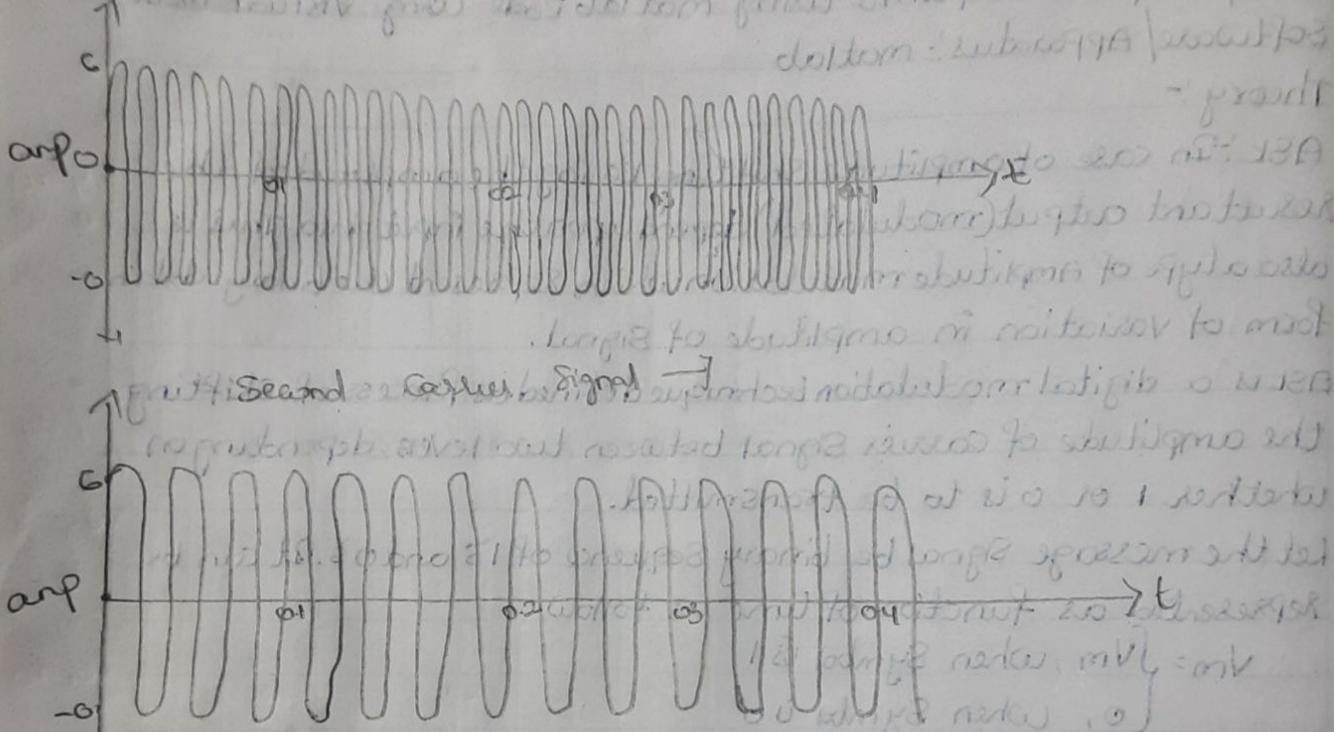
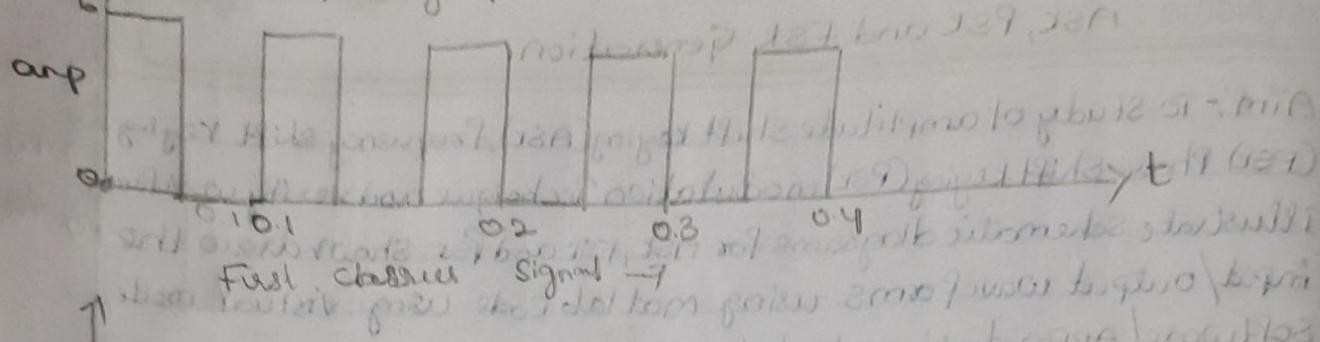
FSK

$$P_{C_1} = 50 \text{ mW} \quad P_C = 20 \text{ mW}$$

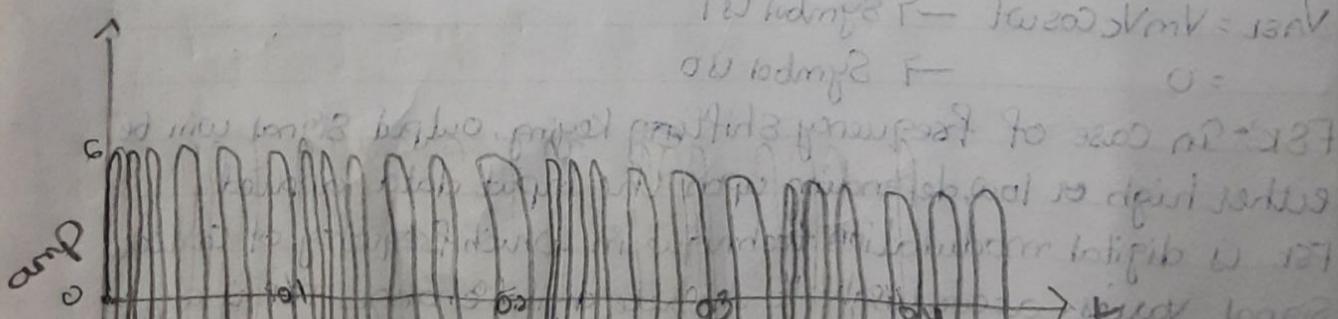
$$f_P = 10 \text{ Hz} \quad \text{amp} = 6$$

ca

message signal \rightarrow

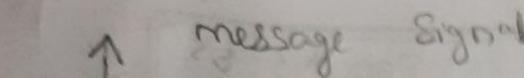


frequency shift keying signal \rightarrow carrier signal with frequency change
so V & mV to subcarrier frequency is long 1200 kHz to 1200 mV



3

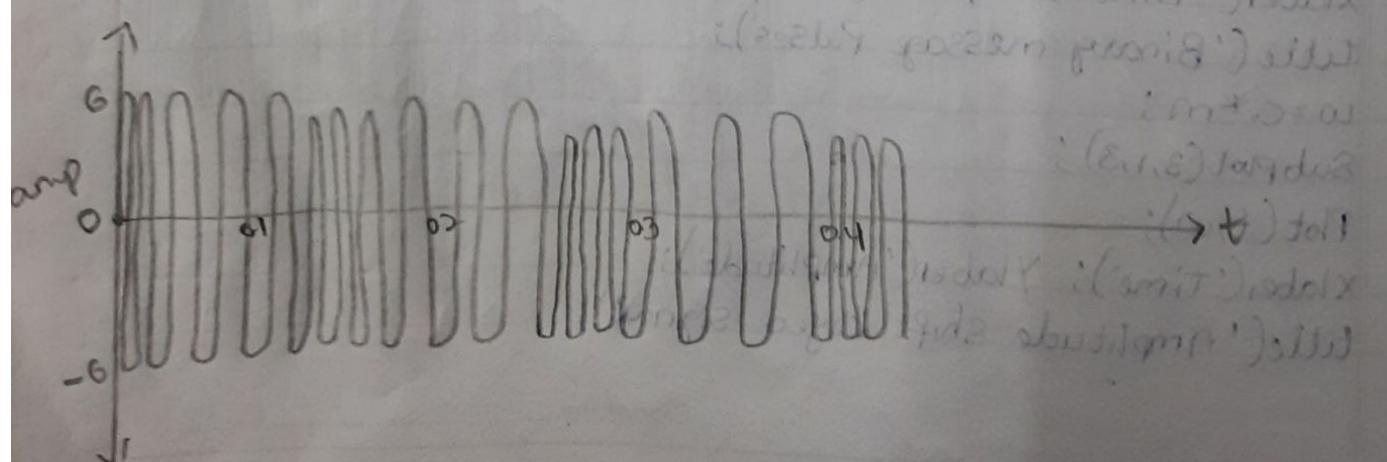
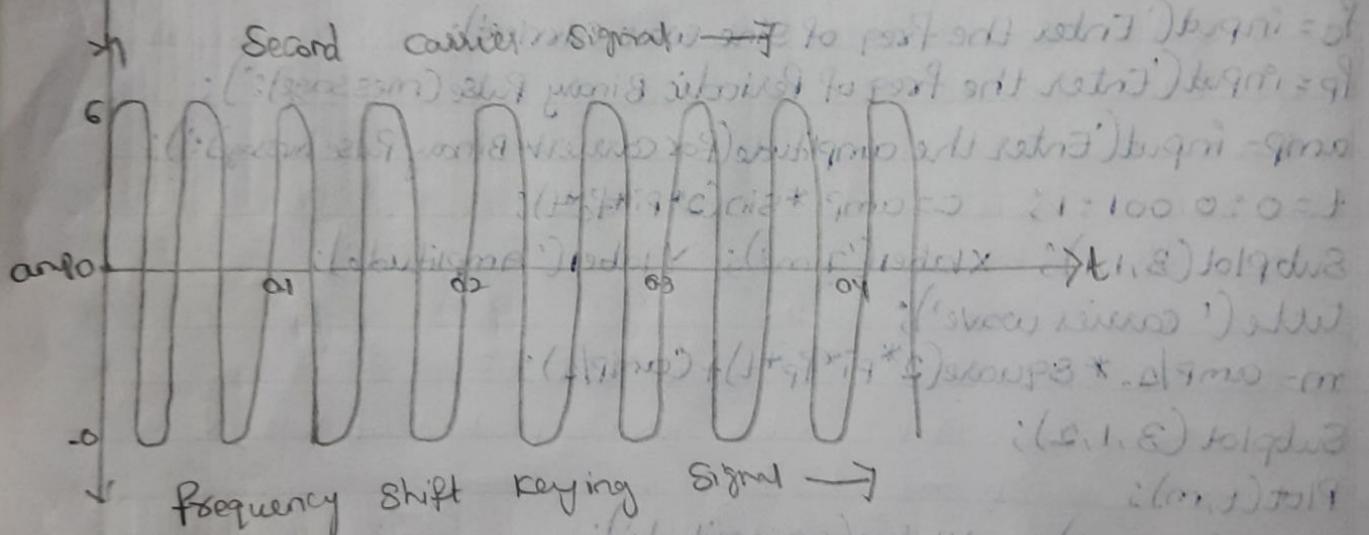
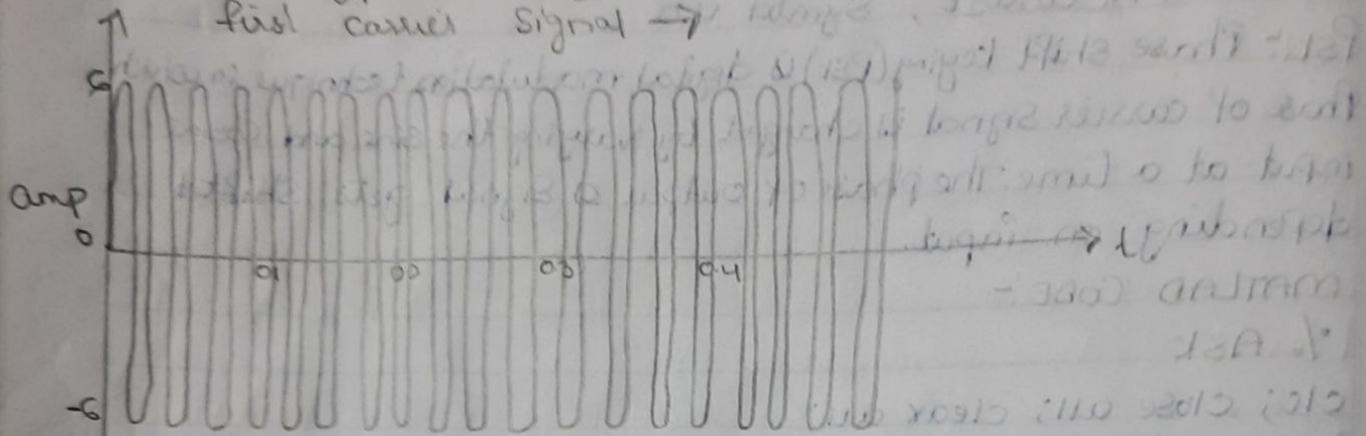
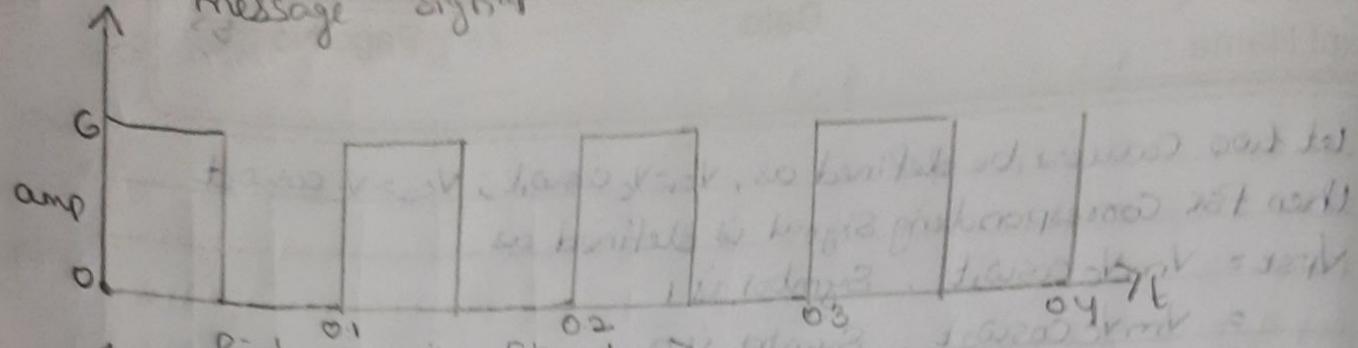
FSK



$$f_{C_1} = 80 \text{ Hz}, f_{C_2} = 10 \text{ Hz}$$

$$f_p = 5 \text{ Hz}, \quad g_2$$

$$\text{amp} = 6$$



Expt.No. :
Expt.Name :

Date :

Page No : 63

%.%.PSK

cic;

close all;

clear all;

Pc = input('Enter the freq of sine wave carrier');

Fp = input('Enter the freq of Periodic binary Pulse(message)');

amp = input('Enter amplitude (For carrier & binary Pulse message):');

t = 0:0.0001:1

c = amp.*sin(2*pi.*Pc.*t);

subplot(3,1,1);

plot(t,c);

xlabel('Time');

ylabel('Amplitude');

title('Carrier wave');

grid on;

m = square(2*pi.*Fp.*t);

subplot(3,1,2);

plot(t,m);

xlabel('Time');

ylabel('Amplitude');

title('Binary message Pulses');

w = c.*m

subplot(3,1,3);

plot(t,w);

xlabel('Time');

ylabel('Amplitude');

grid on;

Signature

S.K.B.W

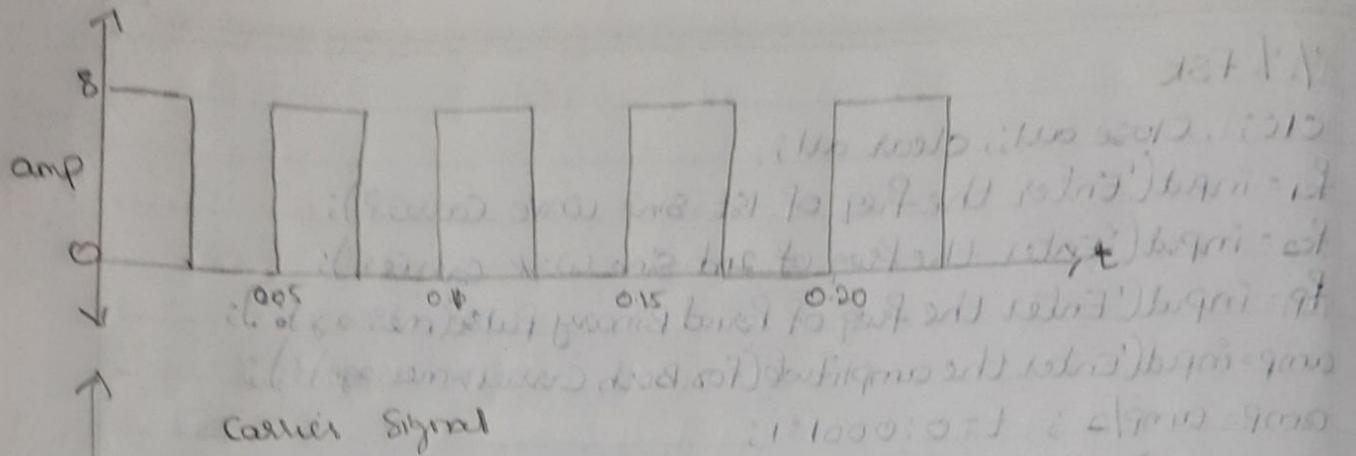
17

PSK

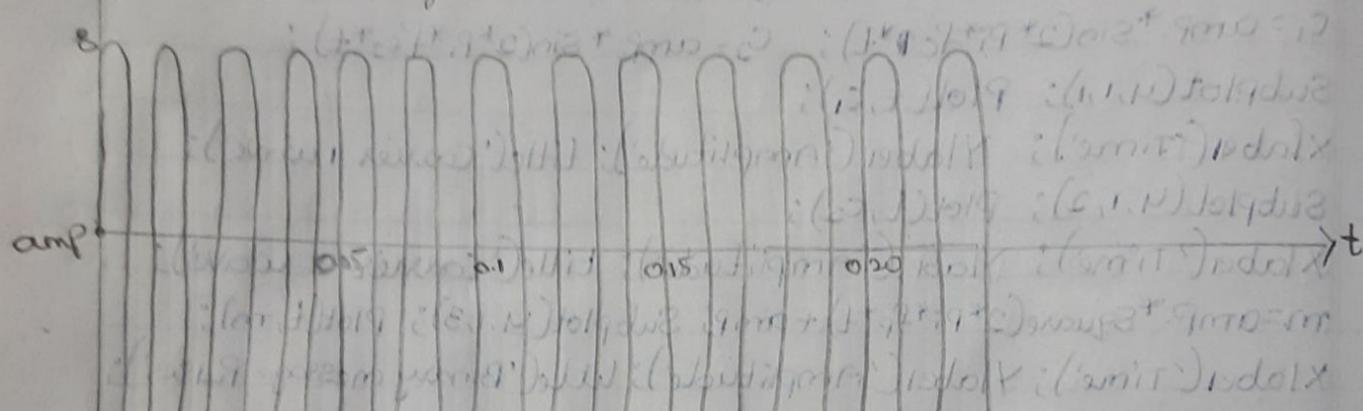
 $P_o = 154.7 \text{ dB}$
 $f_p = 5 \text{ MHz}$
 $\text{amp} = 8$

69

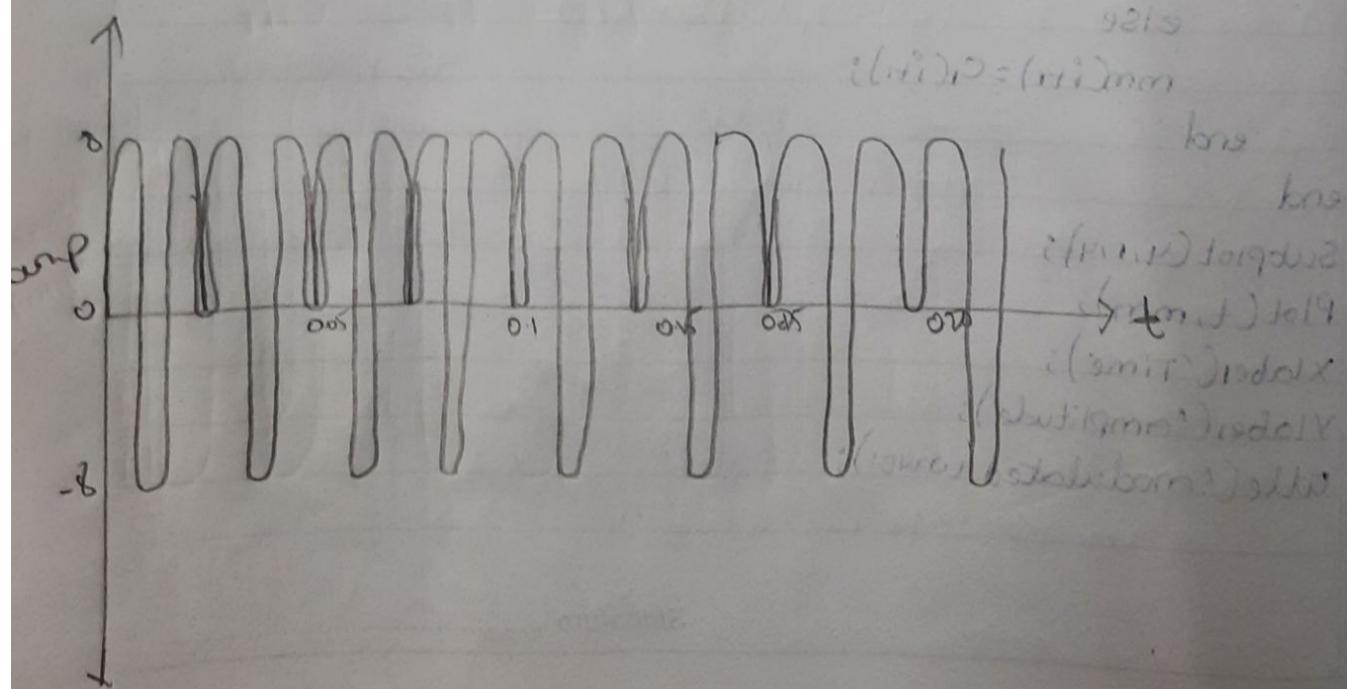
message Signal



carrier Signal



Phase shift keying Signal



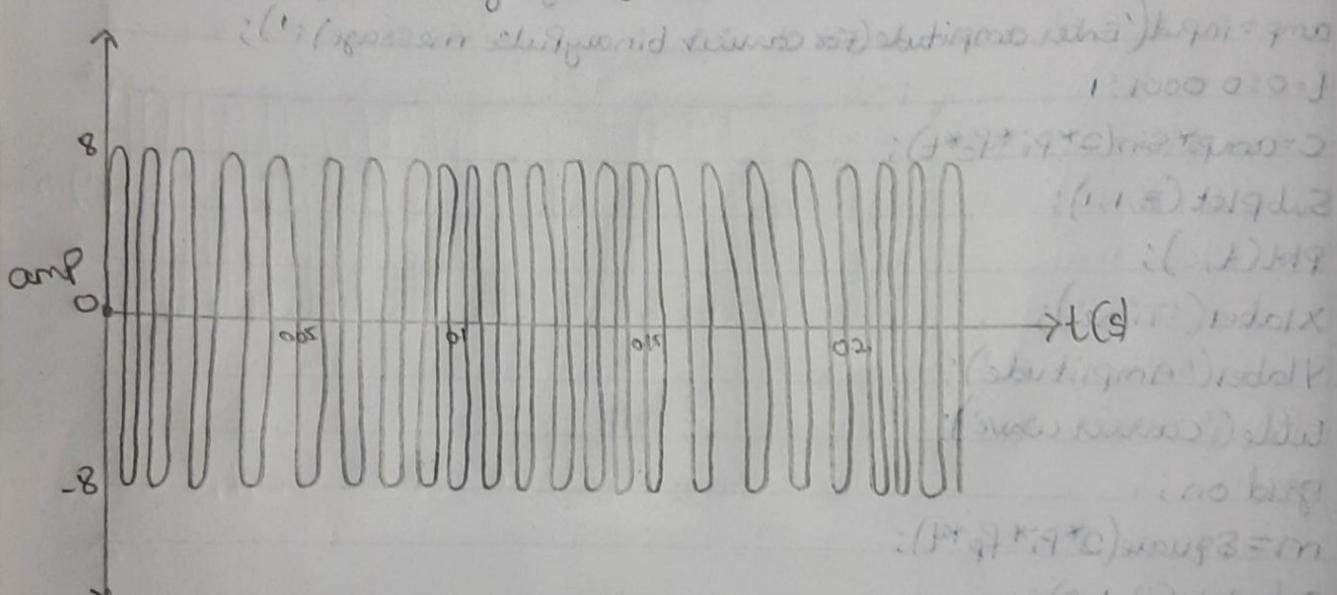
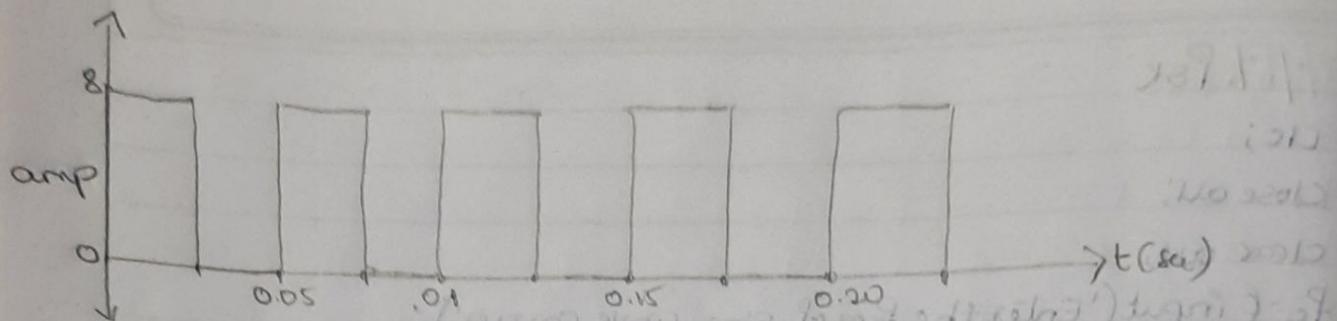
2) Pst

$$f_c = 25 \text{ Hz}, f_p = 5 \text{ Hz}$$

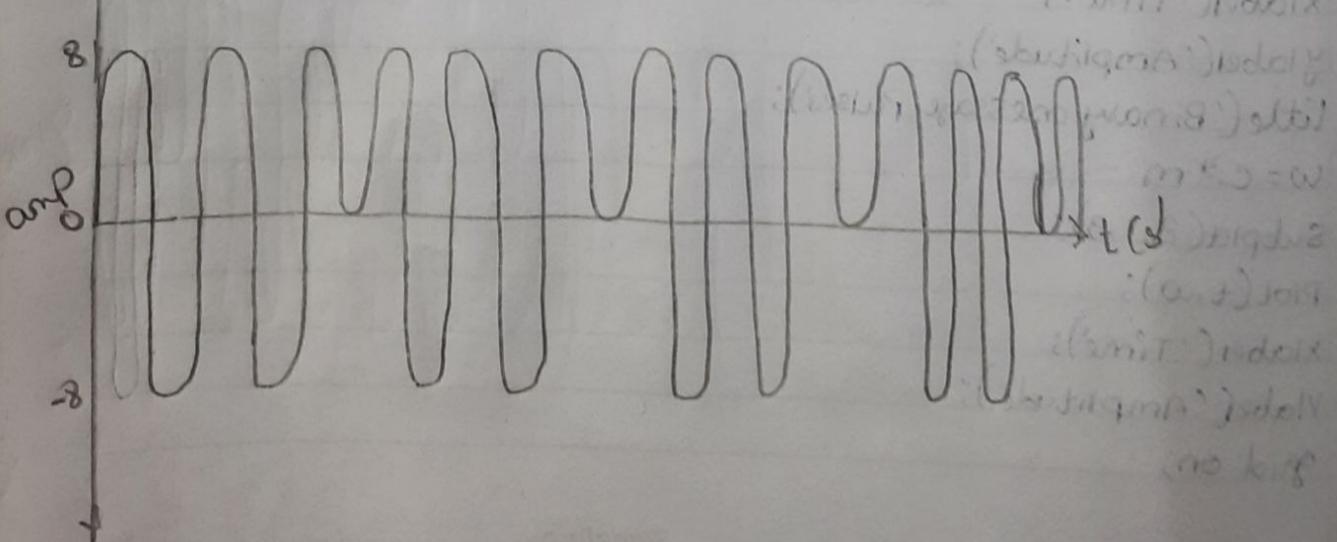
amp = 8

65

message signal -]



Phase Shift Keying Signal →



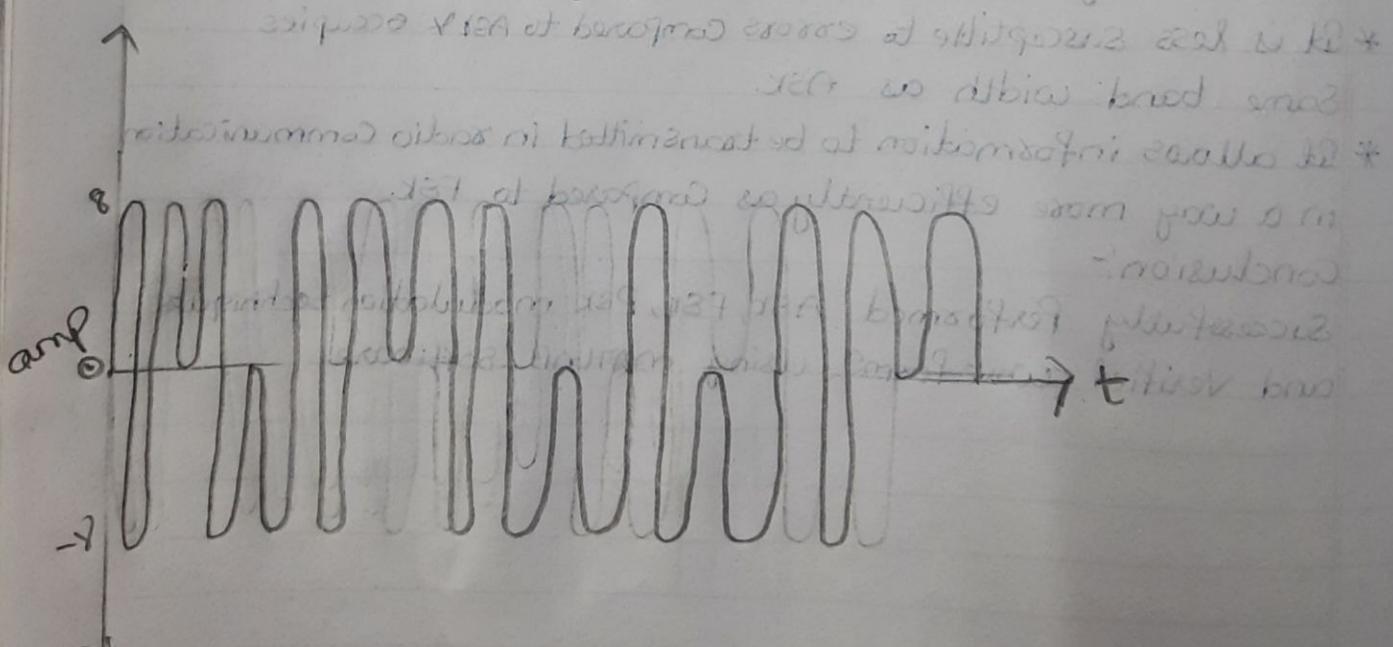
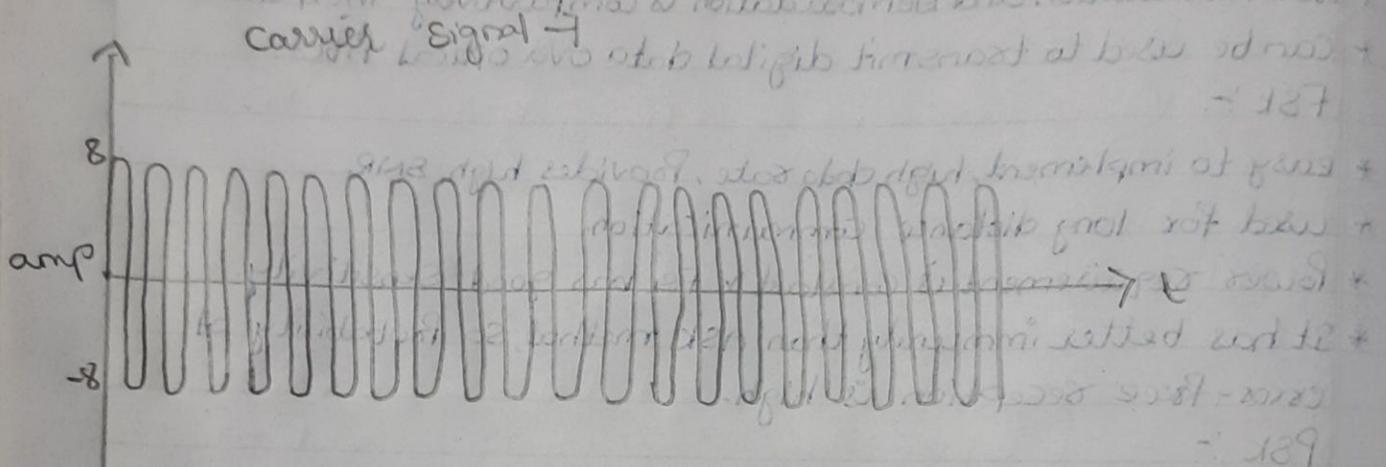
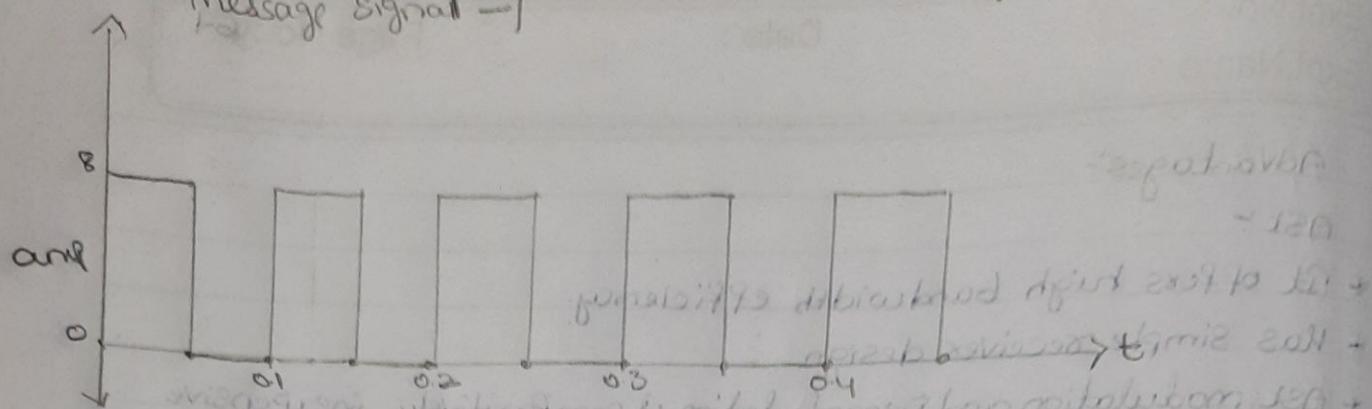
31

PSV

Message Signal \rightarrow

$$P_c = 40 \text{ mW} \quad P_p = 10 \text{ mW} \\ \text{amp} = 8$$

66



Advantages:-

ASK :-

- * It offers high bandwidth efficiency.
- * Has simple receiver design.
- * ASK modulation and Demodulation is comparatively inexpensive.
- * Can be used to transmit digital data over optical fibres.

FSK :-

- * easy to implement, high data rate, Provides high SNR.
- * used for long distance communication.
- * Power requirement is constant & FSK has good sensitivity.
- * It has better immunity than ASK method, So Probability of error-free reception is high.

PSK :-

- * It carries data over RF Signal more efficiently compared to other modulation types. Hence it is more efficient than ASK & FSK.
- * It is less susceptible to errors compared to ASK & occupies same band width as ASK.
- * It allows information to be transmitted in radio communication in a way more efficiently as compared to FSK.

Conclusion:-

Successfully Performed ASK, FSK, PSK modulation techniques and Verified waveforms using MATLAB Software.

Signature