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A Denoising autoencoder is a modification of the oxiginal	Awoencoder in which inste	ad of
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giving the original input we give a corrupted or nou	inpul only	70.64
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It resembles the standard Muloencoder	E anapalex	,
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If DAE's are trained with partially noisy inp	ouls, they Garn to generalize well to
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