### Cycle detection in undirected graph using Breadth First Search in C++

```
#include <bits/stdc++.h>
using namespace std;
class Solution {
 private:
 bool detect(int src, vector<int> adj[], int vis[])
   vis[src] = 1;
   // store <source node, parent node>
   queue<pair<int,int>> q;
   q.push({src, -1});
   // traverse until queue is not empty
   while(!q.empty()) {
      int node = q.front().first;
      int parent = q.front().second;
      q.pop();
      // go to all adjacent nodes
      for(auto adjacentNode: adj[node]) {
         // if adjacent node is unvisited
         if(!vis[adjacentNode]) {
           vis[adjacentNode] = 1;
           q.push({adjacentNode, node});
         // if adjacent node is visited and is not
it's own parent node
         else if(parent != adjacentNode) {
           // yes it is a cycle
           return true;
   // there's no cycle
   return false;
 public:
  // Function to detect cycle in an undirected
  bool isCycle(int V, vector<int> adj[]) {
     // initialise them as unvisited
     int vis[V] = \{0\};
     for(int i = 0; i < V; i++) {
       if(!vis[i]) {
          if(detect(i, adj, vis)) return true;
     return false;
};
int main() {
  // V = 4, E = 2
  vector<int> adj[4] = {{}}, {2}, {1, 3}, {2}};
  Solution obj;
  bool ans = obj.isCycle(4, adj);
  if (ans)
     cout << "1\n";
  else
     cout << "0 n":
  return 0;
```

#### Graph Definition (Adjacency List)

Visual graph:

```
1 - 2 - 3
```

• It's a **linear graph**, no cycle expected.

#### Variables

- $vis[4] = \{0, 0, 0, 0\}$  (all unvisited initially)
- Queue for BFS: stores pairs {node, parent}

#### Step-by-Step Traversal Table

Iter	Queue	node	parent	Neighbours	Action
1	{1, -1}	1	-1	[2]	2 is unvisited → mark visited, enqueue {2, 1}
2	{2, 1}	2	1	[1, 3]	1 is parent $\rightarrow$ skip; 3 is unvisited $\rightarrow$ mark visited, enqueue $\{3, 2\}$
3	{3, 2}	3	2	[2]	2 is parent → skip
4	empty				Loop ends

Visited array after traversal: [0, 1, 1, 1]

No condition parent != adjacentNode && vis[adjacentNode] == 1 was met.

#### **∜** Final Output

0 // No cycle found

### **Summary Table**

Node	Parent	Visited	Notes
1	-1	$ \checkmark $	Starting node
2	1	$ \checkmark $	Connected from node 1

Node	Parent	Visited	Notes
3	2	$ \checkmark $	Connected from node 2
0	-	×	Isolated node (not connected)

# Conclusion

• No cycle detected — the output is 0.

# Output:-

0

No cycle was found in any component of the graph