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#include <bits/stdc++.h>
using namespace std;
class Solution {
 public:
  // Function to return Breadth First Traversal of given
  vector<int> bfsOfGraph(int V, vector<int> adj[]) {
     int vis[V] = \{0\};
     vis[0] = 1;
     queue<int> a:
     // push the initial starting node
     q.push(0);
     vector<int> bfs:
    // iterate till the queue is empty
     while(!q.empty()) {
       // get the topmost element in the queue
       int node = q.front();
       q.pop();
       bfs.push_back(node);
       // traverse for all its neighbours
       for(auto it : adj[node]) {
          // if the neighbour has previously not been
visited.
          // store in Q and mark as visited
          if(!vis[it]) {
             vis[it] = 1;
             q.push(it);
     return bfs;
};
void addEdge(vector<int> adj[], int u, int v) {
  adj[u].push_back(v);
  adj[v].push_back(u);
}
void printAns(vector <int> &ans) {
  for (int i = 0; i < ans.size(); i++) {
     cout << ans[i] << " ";
}
int main()
  vector<int> adj[6];
  addEdge(adj, 0, 1);
  addEdge(adj, 1, 2);
  addEdge(adj, 1, 3);
  addEdge(adj, 0, 4);
  Solution obj;
  vector <int> ans = obj.bfsOfGraph(5, adj);
  printAns(ans);
  return 0;
```

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Depth First Search in C++
                     Graph looks like: -
                        0
                       /\
                      1 4
                      /\
                     2 3
                     Adjacency list looks like:-
                     adj[0] = \{1, 4\}
                     adj[1] = \{0, 2, 3\}
                     adj[2] = \{1\}
                     adj[3] = \{1\}
                     adj[4] = \{0\}
                     Step-by-Step Execution
                         1. Start BFS from Node 0:
                                     Mark 0 as visited: vis[0] = 1.
                                      Enqueue 0: q = \{0\}.
                         2. Process Node 0:
                                     Dequeue 0: q = {}
                                      Add 0 to BFS result: bfs = \{0\}.
                                      Neighbors of 0: {1, 4}.
                                              1 is unvisited, mark as
                                              visited and enqueue:
                                              vis[1] = 1, q = \{1\}.
                                              4 is unvisited, mark as
                                              visited and enqueue:
                                              vis[4] = 1, q = \{1, 4\}.
                         3. Process Node 1:
                                      Dequeue 1: q = \{4\}.
                                      Add 1 to BFS result: bfs = \{0, 1\}.
                                      Neighbors of 1: {0, 2, 3}.
                                              0 is already visited,
                                              skip.
                                              2 is unvisited, mark as
                                              visited and enqueue:
                                              vis[2] = 1, q = {4, 2}.
                                              3 is unvisited, mark as
                                              visited and enqueue:
                                              vis[3] = 1, q = \{4, 2, 3\}.
                         4. Process Node 4:
                                     Dequeue 4: q = \{2, 3\}.
                                      Add 4 to BFS result: bfs = \{0, 1, 1, 1\}
                                      Neighbors of 4: {0}.
                                              0 is already visited,
                                              skip.
                         5. Process Node 2:
                                     Dequeue 2: q = \{3\}.
                                     Add 2 to BFS result: bfs = \{0, 1, 1, 1\}
                                      4, 2}.
                                      Neighbors of 2: {1}.
                                              1 is already visited,
                         6. Process Node 3:
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 \circ Dequeue 3: $q = {}$.

Add 3 to BFS result: bfs = $\{0, 1,$

	4, 2, 3}. Neighbors of 3: {1}. 1 is already visited, skip. Queue is Empty: End BFS traversal.
Output:-	
0 1 4 2 3	