#include <iostream> #include <string> #include <vector> using namespace std; int LongestPalindromicSubsequence(string int n = str.length(); //vector<vector<int>> dp(n, vector<int>(n,

```
0));
  int dp[n][n]=\{0\};
  for (int g = 0; g < n; g++) {
```

for (int i = 0, j = g; j < n; i++, j++) {

str) {

```
if (g == 0) {
           dp[i][j] = 1;
        else if (g == 1) {
           dp[i][j] = (str[i] == str[j]) ? 2 : 1;
        } else {
           if (str[i] == str[j]) {
              dp[i][j] = 2 + dp[i + 1][j - 1];
              dp[i][j] = max(dp[i][j - 1], dp[i +
1][j]);
```

int main() { string str = "abccba";

return dp[0][n-1];

int longestPalSubseqLen = LongestPalindromicSubsequence(str); cout << longestPalSubseqLen << endl;</pre>

```
return 0;
```

}

Longest Palindromic subseq In C++ Input:

```
str = "abccba", n = 6
```

Initialization:

- 1. Create a **DP table** (dp[i][j]) of size 6×66 \times 66×6 initialized to 0.
- **Base case**: Fill diagonal elements (g = 0)because every single character is a palindrome of length 1.

Initial DP Table (after g = 0):

```
i\j a b c c b a
```

- a 100000
- **b** 0 1 0 0 0 0
- 001000
- $\mathbf{c} \quad 0 \ 0 \ 0 \ 1 \ 0 \ 0$
- **b** 000010 a 000001

Iterate Over Gaps:

Gap =
$$1 (g = 1)$$
:

- Compare adjacent characters:
 - o If str[i] == str[j], then dp[i][j] = 2.
 - Else, dp[i][j] = 1.

i∖j	a	b	\mathbf{c}	\mathbf{c}	b	a
a	1	1	0	0	0	0
b	0	1	1	0	0	0
c	0	0	1	2	0	0
c	0	0	0	1	1	0
b	0	0	0	0	1	1
a	0	0	0	0	0	1

Gap =
$$2 (g = 2)$$
:

- For substrings of length 3 (str[i...j]):
 - If str[i] == str[j]: dp[i][j]=2+dp[i+1][j-1]dp[i][j] = 2 + dp[i+1][j-1]dp[i][j]=2+dp[i+1][j-1]

 $\begin{array}{ll} \circ & \text{Else: dp[i][j]=max(dp[i][j-1],dp[i+1]} \\ & \text{[j])dp[i][j] = \\ & \text{max(dp[i][j-1],dp[i+1]} \\ & \text{[j])dp[i][j]=max(dp[i][j-1],dp[i+1][j])} \end{array}$

i\j a b c c b a

- **a** 111000
- **b** 0 1 1 2 0 0
- **c** 0 0 1 2 2 0
- **c** 000112
- **b** 0 0 0 0 1 1
- **a** 000001

Gap = 3 (g = 3):

- For substrings of length 4:
 - o Use the same recurrence relation.

i\j a b c c b a

- $\mathbf{a} \quad 1 \; 1 \; 1 \; 2 \; 0 \; 0$
- **b** 0 1 1 2 4 0
- $\mathbf{c} \quad 0 \ 0 \ 1 \ 2 \ 2 \ 0$
- $\mathbf{c} \quad 0 \ 0 \ 0 \ 1 \ 1 \ 2$
- **b** 000011
- **a** 000001

Gap = 4 (g = 4):

i\j a b c c b a

- **a** 111240
- **b** 0 1 1 2 4 4
- \mathbf{c} 0 0 1 2 2 0
- $\mathbf{c} \quad 0 \ 0 \ 0 \ 1 \ 1 \ 2$
- **b** 000011
- a 000001

Gap = 5 (g = 5):

i\j a b c c b a

- a 111246
- **b** 0 1 1 2 4 4
- \mathbf{c} 0 0 1 2 2 0
- \mathbf{c} 000112
- $\bm{b} \quad 0 \ 0 \ 0 \ 0 \ 1 \ 1$
- a 000001

	Final Result: $ \bullet dp[0][n-1] = dp[0][5] = 6. $
Output:-	
6	