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Breadth First Search in C++
#include <iostream>
#include <vector>
#include <queue>
#include <deque>
using namespace std;
// Function to add an edge between two vertices u and v
void addEdge(vector<vector<int>>& adj, int u, int v) {
  adj[u].push_back(v);
  adj[v].push_back(u);
// Function to perform BFS traversal
void bfs(vector<vector<int>>& adj, int v, int s) {
  deque<int> q;
  vector<br/>bool> visited(v, false);
  q.push_back(s);
  visited[s] = true;
  while (!q.empty()) {
     int rem = q.front();
     q.pop_front();
     cout << rem << " ";
     for (int nbr : adj[rem]) {
       if (!visited[nbr]) {
          visited[nbr] = true;
          q.push_back(nbr);
  cout << endl; // Print newline after traversal
int main() {
  int V = 7;
  vector<vector<int>> adj(V);
  // Adding edges to the graph
  addEdge(adj, 0, 1);
  addEdge(adj, 0, 2);
  addEdge(adj, 2, 3);
  addEdge(adj, 1, 3);
  addEdge(adj, 1, 4);
  addEdge(adj, 3, 4);
  cout \le "Following is Breadth First Traversal: n";
  bfs(adj, V, 0);
  return 0;
```

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Graph looks like:-
0 - 1
1 1
2 - 3 - 4
Adjacency list looks like:-
0 \to 1, 2
1 \rightarrow 0, 3, 4
2 \rightarrow 0, 3
3 \rightarrow 2, 1, 4
4 \rightarrow 1, 3
5 -> (no neighbors)
6 -> (no neighbors)
```

Dry Run of BFS (Start Vertex = 0):

Initialization:

- deque<int> q: Initially contains $0 (q = \{0\})$.
- vector
bool> visited: All elements are false, except visited[0] = true.

Steps:

- **Process Vertex 0:**
 - \circ rem = q.front() \rightarrow rem = 0.
 - Print 0.
 - Add neighbors of 0 (1 and 2) to q:
 - Mark visited[1] = true andvisited[2] = true.
 - $q = \{1, 2\}.$
- 2. Process Vertex 1:
 - \circ rem = q.front() \rightarrow rem = 1.
 - Print 1. 0
 - Add unvisited neighbors of 1 (3 and 4) to q:
 - Mark visited[3] = true and visited[4] = true.
 - $q = \{2, 3, 4\}.$
- 3. Process Vertex 2:
 - \circ rem = q.front() \rightarrow rem = 2.
 - Print 2.
 - Add unvisited neighbors of 2 (none, as 3 is already visited).
 - $\mathbf{q} = \{3, 4\}.$
- 4. Process Vertex 3:
 - \circ rem = q.front() \rightarrow rem = 3.
 - Print 3.
 - Add unvisited neighbors of 3 (none, as 4 is already visited).
 - $q = \{4\}.$
- 5. Process Vertex 4:
 - $rem = q.front() \rightarrow rem = 4.$ 0
 - Print 4.
 - Add unvisited neighbors of 4 (none).
 - $q = \{\}$ (empty).