

Bubble Sort, Selection Sort

CS110C

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sort

- Often we want to store an array in sorted order
 - List of names stored alphabetically
 - List of teams stored in order of wins
 - Any list we want to search with binary search!
- We'll look at some simple algorithms and then move to some more complex algorithms which are more efficient

bubble sort

- Sweep through elements of array, swap if out of order. Continue doing this until no more swapping needed.

7	2	3	8	1
7	2	3	8	1
2	7	3	8	1
2	7	3	8	1
2	3	7	8	1
2	3	7	8	1
2	3	7	8	1
2	3	7	8	1
2	3	7	1	8

bubble sort cont.

- Sweep through elements of array, swap if out of order. Continue until no more swapping needed.

2	3	7	1	8
2	3	7	1	8
2	3	7	1	8
2	3	7	1	8
2	3	7	1	8
2	3	7	1	8
2	3	7	1	8
2	3	1	7	8
2	3	1	7	8
2	3	1	7	8

bubble sort cont.

- Sweep through elements of array, swap if out of order. Continue until no more swapping needed.

2	3	1	7	8
2	3	1	7	8
2	3	1	7	8
2	3	1	7	8
2	1	3	7	8
2	1	3	7	8
2	1	3	7	8
2	1	3	7	8
2	1	3	7	8

bubble sort cont.

- Sweep through elements of array, swap if out of order. Continue until no more swapping needed.

[illegible]


```
//sorts array of length size using bubble sort algorithm
void sortArray(int array[], int size)
{
    bool swapped; //set swapped true if any swap occurs

    do
    {
        swapped = false;
        for (int i = 0; i < (size-1); i++)
        {
            if (array[i] > array[i+1])
            {
                swapper(array[i], array[i+1]);
                swapped = true;
            }
        }
    } while (swapped);
}
```

```
//swaps ints passed in by reference
void swapper(int& x, int& y)
{
    int temp;

    temp = x;
    x = y;
    y = temp;
}
```


bubble sort analysis

- Worst case, we need n passes through the array
- Worst case, each pass requires n-1 comparison/swaps.

Efficiency analysis:

$(n) * (n-1)$

$n^2 - n$

$O(n^2)$

selection sort

- Find the lowest element in array, swap with position zero
- Next, find the second lowest element, swap with position one
- Etc.

selection sort

7	8	3	2	1
7	8	3	2	1
1	8	3	2	7
1	8	3	2	7
1	2	3	8	7
1	2	3	8	7

1	2	3	8	7
1	2	3	7	8


```
//sorts array of length size using selection sort algorithm
void selectionSort(int array[], int size)
{
    int lowestValue, lowestPosition;
    for (int i=0; i<size-1; i++)
    {
        //first, find pos. of lowest element in pos. i through size-1
        lowestValue = array[i];
        lowestPosition = i;
        for (int j=i+1; j<size; j++)
        {
            if (array[j]<lowestValue)
            {
                lowestPosition = j;
                lowestValue = array[j];
            }
        }
        //now, swap lowest element we found with element at position i
        swapper(array[i],array[lowestPosition]);
    }
}
```


selection sort analysis

- Outer loop: i is iterated $n-1$ times (0 through $n-1$).
 - Inside each outer loop iteration is a swap and also an inner loop on j .
 - Inside each loop iteration, we have 1 swap
 - On the first iteration of outer loop, the inner loop compares $n-1$ times (1 through $n-1$). On the second iteration of the outer loop, it compares $n-2$ times (2 through $n-1$), etc.
- In total, we have $(n-1)$ swaps plus $(n-1) + (n-2) + \dots + 1$ compares

Efficiency analysis:

$$n-1 + (n-1) + (n-2) + \dots + 1$$

$$n-1 + n(n-1)/2$$

$$n-1 + (n^2 - n)/2$$

$$**O(n^2)**$$