# Electrostatic role of the non-heme iron complex in bacterial photosynthetic reaction center

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Abstract To elucidate the role of the non-heme iron complex (Fe-complex) in the electron transfer (ET) events of bacterial photosynthetic reaction centers (bRC), we calculated redox potentials of primary/secondary quinones  $Q_{A/B}$  ( $E_m(Q_{A/B})$ ) in the Fe-depleted bRC. Removing the Fe-complex, the calculated  $E_m(Q_{A/B})$  are downshifted by  $\sim 220$  mV/ $\sim 80$  mV explaining both the 15-fold decrease in ET rate from bacteriopheophytin ( $H_A^-$ ) to  $Q_A$  and triplet state occurrence in Fe-depleted bRC. The larger downshift in  $E_m(Q_A)$  relative to  $E_m(Q_B)$  increases the driving-energy for ET from  $Q_A$  to  $Q_B$  by 140 meV, in agreement with  $\sim 100$  meV increase derived from kinetic studies.

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# 1. Introduction

The primary ET event in bRC is a charge-separation process, which occurs after electronic excitation at the bacteriochlorophyll a (BChla) dimer, the special pair (P). As a result, P becomes oxidized, while an electron is transferred along the A-branch cofactors from the accessory BChla B $_A$  via H $_A$  to Q $_A$  in the A-branch and subsequently to Q $_B$  in the B-branch. After the first ET process, Q $_B^-$  is protonated to Q $_B$ H and stabilized by a second ET and proton transfer (PT) event, which results in the formation of the doubly protonated dihydroquinone Q $_B$ H $_2$ .

The non-heme iron complex (Fe-complex; referring to center Fe and its ligands) is situated equidistantly from both  $Q_A$  and  $Q_B$  (Fig. 1). Two symmetrical pairs of His residues, His-L190/ His-M219 and His-L230/His-M266, and one acidic residue Glu-M234 are ligands of the Fe-complex. The two His residues of the former pair form an H bond with  $Q_B$  and  $Q_A$ , respectively. In spite of its unique position as being equidistant from  $Q_A$  and  $Q_B$ , a definite functional role of the Fe-complex is still an open question. The depletion of the Fe-complex (Fe-

\*Corresponding author. Fax: +49 30 83856921. E-mail addresses: hiro@chemie.fu-berlin.de (H. Ishikita), knapp@chemie.fu-berlin.de (E.-W. Knapp). depleted bRC) resulted in a dramatic decrease in the forward rate of ET from H<sub>A</sub> to Q<sub>A</sub> by a factor of at least 15 [1]. The decrease in the forward ET rate enhances simultaneously the competing backward ET process, resulting in charge recombination of the P+H<sub>A</sub> state, generation of triplet state and decrease in the yield of the final product P+Q<sub>R</sub> state. To explain the decrease in the forward ET rate contributions of (i) structural modulation, (ii)  $E_m(Q_A)$  shift, or (iii) change of vibronic coupling between HA and QA were proposed [1], but the issue remained undecided. On the other hand, upon Fe depletion the rate of the ET from  $Q_A^-$  to  $Q_B$   $(k_{AB}^1)$  decreases by only a factor of 2 [2]. Hence, the conformational gating and PT events of kinetic phase 1 are essentially not affected by Fe depletion, and the underlying ET process is still too fast to be rate limiting for kinetic phase 1. On the other hand, recent FTIR studies of Remy and Gerwert [3] suggested that O<sub>B</sub> is not reduced directly by  $Q_{\Lambda}^{-}$  such that another electron donor, which might be the Fe-complex, should be involved. To investigate the role of the Fe-complex in the ET proess from QA to  $Q_B$ , we calculated  $E_m(Q_{A/B})$  in the Fe-depleted bRC. By solving the linearized Poisson-Boltzmann (LPB) equation, we account for all amino acids, redox-active cofactors and their different charge states.

# 2. Computational procedures

# 2.1. Atomic coordinates and charges

We used the crystal structure of the bRC from *Rhodobacter sphaeroides* for WT-bRC (PDB 1AIG) [4]. Atomic coordinates were obtained in the same way as in previous applications [5]. The positions of hydrogen atoms were energetically optimized with CHARMM [6] using the CHARMM22 force field. During this procedure, the positions of all non-hydrogen atoms were fixed, and all titratable groups were kept in their standard charge state, i.e. basic groups including His were considered to be protonated and acidic groups to be ionized. The coordinates of all atoms available in the crystal structure were not optimized.

Atomic partial charges of the amino acids were adopted from the all-atom CHARMM22 [6] parameter set. For cofactors and residues whose charges are not available in CHARMM22, we used atomic partial charges from previous applications [5].

# 2.2. Structural model for the Fe-depleted bRC

The crystal structure for the Fe-depleted bRC is not available yet. Depletion of  $Fe^{2+}$  from the Fe-complex in WT-bRC may lead to structural changes nearby. However, the replacement of the  $Fe^{2+}$  by transition metals (including also

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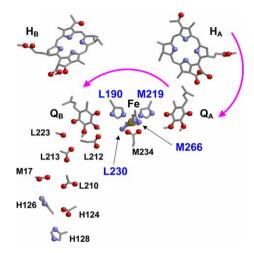


Fig. 1. Location of the Fe-complex in bRC. Pink arrows indicate the direction of the forward ET.

 $Fe^{2+}$ ), via depletion of the  $Fe^{2+}$ , did not essentially affect the ET rates from  $H_A$  to  $Q_A$  and  $Q_A$  to  $Q_B$  [2]. This reversibility of the Fe-depletion procedure implies that the structural change accompanied is also reversible and sufficiently small not to affect the ET rates of bRC. Thus, to model the structure for the Fe-depleted bRC, we removed the atomic coordinate of  $Fe^{2+}$  in the WT-bRC structure [4] and redefined the ligating residues, four His and one Glu that were originally non-titratable due to the ligation to the  $Fe^{2+}$ , as titratable residues. The atomic coordinates for these residues are the same as those in the WT-bRC structure.

Previous studies [5,7,8] suggested the existence of two conformers for Ser-L223 in terms of the hydroxyl group (for the location, see Fig. 1). In one conformer Ser-L223 forms an H bond with the  $Q_B$  carbonyl oxygen distant from the non-heme iron complex while in the other Ser-L223 forms an H bond with a carboxyl oxygen of Asp-L213. Since these two conformers resulted in an  $E_m(Q_B)$  difference of  $\sim 50$  mV, we investigated these two conformers independently in the present study [5].

# 2.3. Computation of protonation pattern and redox potential

The computation of the energetics of the protonation pattern is based on the electrostatic continuum model, in which the linearized Poisson N Boltzmann (LPB) equation is solved by the program MEAD from Bashford and Karplus [9]. To sample the ensemble of protonation patterns by a Monte Carlo method, we used our own program Karlsberg (Rabenstein, B. (1999) Karlsberg online manual, http://agknapp.chemie.fu-berlin.de/karlsberg/). The dielectric constant was set to  $\varepsilon_P = 4$  inside the protein and  $\varepsilon_W = 80$  for solvent and protein cavities corresponding to water (for further discussion about the dielectric constants, see supplementary material). All computations were performed at 300 K, pH 7.0 and an ionic strength of 100 mM, if not otherwise specified. The LPB equation was solved by a three-step grid-focusing procedure with a starting grid resolution of 2.5 Å, an intermediate grid resolution of 1.0 Å, and a final grid resolution of 0.3 Å. Monte Carlo sampling yielded probabilities [A<sub>ox</sub>] and [A<sub>red</sub>] of the redox states of A. An equal amount of both redox states ( $[A_{ox}] = [A_{red}]$ ) was obtained with a bias potential whose value yielded the midpoint redox potential

 $E_{\rm m}$ . Computed  $E_{\rm m}$  are given with milllivolts accuracy, without implying that the last digit is significant. To obtain the absolute value of  $E_{\rm m}$  for a redox-active group in the protein, we calculated the electrostatic energy difference between the two redox states of that group in protein and for a suitable reference model system. The shift of  $E_{\rm m}$  between protein and reference system based on electrostatic energy computations was then added to the measured  $E_{\rm m}$  value for the reference system.

#### 3. Results and discussion

# 3.1. $E_m(Q_A)$ in Fe-depleted bRC

The calculated  $E_{\rm m}(Q_{\rm A})$  in Fe-depleted bRC is significantly lower, by ~210 mV, than that in the WT-bRC (Table 1, Fig. 2). In spectroscopic studies, Fe-depleted bRC showed a 20-fold increase in the life time of the  $P^+H_A^-$  state and a corresponding 50% decrease in the yield of the intermediate product state  $P^+Q_A^-$  [1]. For WT-bRC, it was reported that the yield of  $P^+Q_A^-$  is essentially 100%. Thus, formation of triplet state was observed specifically in the Fe-depleted bRC [1,2].

The correlation of the  $E_{\rm m}(Q_{\rm A})$  level with triplet yield was established in a number of studies in photosystem II (PSII). Note that the D1/D2 protein in PSII resembles considerably subunit L/M in bRC [10]. The downshift in  $E_{\rm m}(Q_{\rm A})$  decreases the  $E_{\rm m}$  difference between  $H_{\rm A}$  and  $Q_{\rm A}$ , reducing the driving-energy of the corresponding ET process and leading to the charge recombination of the  $P^+H_{\rm A}^-$  state and triplet formation in PSII

Table 1 Calculated  $E_{\rm m}({\rm Q}_{\rm A/B})$  for WT-bRC and Fe-depleted bRC in millivolt units

		$E_{\rm m}$ (Q <sub>A</sub> )	$E_{\rm m}$ (Q <sub>B</sub> )	$\Delta E_{ m m}$
bRC	Fe-depleted bRC	-386	-205	-181
	WT-bRC	-170	-129	-41
Ser-L223-HO···Asp-L213 <sup>b</sup>	Fe-depleted bRC	-378	-302	-76
	WT-bRC	-168	-237	+69

<sup>a</sup>The bRC conformer with an H bond between Ser-L223 and Q<sub>B</sub>. <sup>b</sup>The bRC conformer with an H bond between Ser-L223 and Asp-L213.

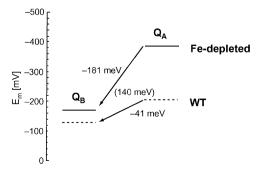


Fig. 2. Driving energy for the ET from  $Q_A^-$  to  $Q_B$  in WT- and Fedepleted bRC in [meV]. The value in the bracket refers to the driving-energy difference between WT and Fe-depleted bRC.

(reviewed in Ref. [11]). An upshift of  $E_{\rm m}(Q_{\rm A})$  by  $\sim$ 140 mV in PSII is known to be sufficient to minimize the triplet formation [12,13].

Fe depletion may downshift also  $E_{\rm m}({\rm H_A})$ . Based on the Fe depleted bRC model the computed downshift in  $E_{\rm m}({\rm H_A})$  is less than 40 mV. Even if we take this downshift in  $E_{\rm m}({\rm H_A})$  into account, the  $E_{\rm m}$  difference between  ${\rm H_A}$  and  ${\rm Q_A}$  in the Fe depleted bRC is by 170 mV smaller than that in WT-bRC. This considerably smaller  $E_{\rm m}$  difference between  ${\rm H_A}$  and  ${\rm Q_A}$  in Fe depleted bRC can enhance triplet yield significantly.

For the mechanism of the decrease in the ET rate upon Fe depletion, (i) structural modulation, (ii) shift of  $E_m(Q_A)$ , or (iii) change of vibronic coupling between H<sub>A</sub> and Q<sub>A</sub> were formerly proposed [1]. The present study strongly suggests that the shift of the  $E_m(Q_A)$  is the most plausible reason for the decrease in the ET rate upon depletion of the Fe. The fact that the Fe is not on the ET pathway between H<sub>A</sub> and Q<sub>A</sub> also supports the predominant role of the Fe electrostatics above the other mechanisms on the ET kinetics. We conclude that the existence of the Fe-complex in bRC and PSII is necessary for efficient forward ET from H<sub>A</sub> to Q<sub>A</sub> and suppression of triplet formation by upshifting the  $E_{\rm m}(Q_{\rm A})$  with respect to  $E_{\rm m}(H_{\rm A})$  to generate a significant energy barrier for the backward ET from Q<sub>A</sub> to H<sub>A</sub>. Under strong illumination, triplet state suppression is particularly important as photoprotection.

## 3.2. $E_m(Q_B)$ in Fe-depleted bRC

The calculated  $E_{\rm m}(Q_{\rm B})$  in the Fe-depleted bRC is by  $\sim$ 70 mV lower than that in WT-bRC. Together with the downshift of  $\sim 210 \text{ mV}$  in  $E_{\rm m}(Q_{\rm A})$ , this results in an increased driving-energy for the ET from  $Q_A^-$  to  $Q_B$  by  ${\sim}140$  meV relative to the WT-bRC (Table 1, Fig. 2). The significantly larger ET driving energy in the Fe-depleted bRC indicates that Fe<sup>2+</sup> is not necessary to yield a large E<sub>m</sub> difference between Q<sub>A</sub> and Q<sub>B</sub> for exergonic ET. In turn,  $Fe^{2+}$  constrains the  $E_{\rm m}$  difference to a smaller E<sub>m</sub> range in WT-bRC. Based on ET rates for charge recombination between  $Q_A^-/Q_B^-$  and  $P^+$ , Debus et al. [2] estimated an increase of up to 100 meV in ET driving-energy upon depletion of Fe<sup>2+</sup>, which is essentially consistent with our value of ~140 meV. From the empirical equation of Page et al. [14], we estimate the characteristic time for the ET from  $Q_A^-$  to  $Q_B$  in Fe depleted bRC to be 2 µs (with reorganization energy  $\lambda = 0.85 \text{ eV}$  [15]), which is sufficiently small relative to 350 µs for kinetic phase 1 in the Fe depleted bRC [2], i.e. the rate-limiting step is not the ET but the conformational gating step as in WT-bRC [16]. From this estimate we conclude that the first ET in Fe depleted bRC is also independent of the ET driving energy (i.e. E<sub>m</sub> difference between Q<sub>A</sub> and  $Q_{\rm B}$ ).

The question arises why the calculated downshift in  $E_{\rm m}(Q_{\rm A})$  is by  $\sim$ 140 mV larger than that in  $E_{\rm m}(Q_{\rm B})$  in spite of the pseudo- $C_2$  symmetry in the  $Q_{\rm A/B}$  positions with respect to the Fecomplex (see Fig. 1). As expected from the structural symmetry, the direct influences of the Fe<sup>2+</sup> charge in WT-bRC on  $E_{\rm m}$  ( $Q_{\rm A}$ ) and  $E_{\rm m}(Q_{\rm B})$  that is computed for a fixed protonation pattern are essentially the same, yielding upshifts of +186 and +169 mV for  $E_{\rm m}(Q_{\rm A})$  and  $E_{\rm m}(Q_{\rm B})$ , respectively (Table 2). In turn, this indicates that changes in protonation pattern of titratable residues in the Fe-depleted bRC are the main factors that increase the  $E_{\rm m}$  difference between  $Q_{\rm A}$  and  $Q_{\rm B}$  with respect

Table 2 Contributions to  $E_{\rm m}({\rm Q}_{\rm A/B})$  for WT-bRC<sup>a</sup> and Fe depleted bRC<sup>a</sup> in millipolt units

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	$E_{\rm m}({ m Q_A})$	$E_{\rm m}({ m Q_B})$	$\Delta G^{ m b}$
E <sub>m</sub> in Fe-depleted <sup>a</sup> (influence of protonation shift from native)	-386 (-30)	-205 (+93)	-181 (-123)
$E_{\rm m}$ in Fe-depleted <sup>a</sup> without protonation	-356	-298	-58
change from native (direct influence of Fe <sup>2+</sup> in native)	(+186)	(+169)	(+17)
E <sub>m</sub> in native <sup>a</sup>	-170	-129	-41

<sup>&</sup>lt;sup>a</sup>The bRC conformer with an H bond between Ser-L223 and  $Q_B$ .  ${}^b\Delta G = E_m(Q_A) - E_m(Q_B)$ .

to the WT-bRC. Especially, contributions of protonation pattern changes upon Fe depletion to  $E_{\rm m}$  (Q<sub>B</sub>) are significant, resulting in an upshift of 94 mV for  $E_{\rm m}(Q_{\rm B})$  (Table 2). Hence, if the protonation pattern of titratable residues did not change upon Fe depletion, the calculated  $E_{\rm m}(Q_{\rm B})$  of -205 mV in Fedepleted bRC would be 94 mV lower. Indeed, in the Fe depleted bRC, we observed changes in the protonation pattern of His residues. His-L230, His-M219 and His-M266 become protonated by  $\sim$ 0.4 H<sup>+</sup> upon formation of  $Q_{\rm A}^-$  while His-L190, His-L230 and His-M266 protonate by  $\sim$ 0.3–0.5 H<sup>+</sup> upon formation of  $Q_{\rm B}^-$ . In WT-bRC, all four His are ligands to the Fe-complex and therefore not allowed to change their protonation states.

In the absence of these protonation pattern changes, the  $E_{\rm m}$  difference between  $Q_{\rm A}$  and  $Q_{\rm B}$  is 58 mV, which is almost the same difference as that for the WT-bRC (Table 2). The much larger  $E_{\rm m}$  modulation of  $Q_{\rm B}$  with protonation pattern changes is obviously due to the existence of the cluster of titratable residues in the  $Q_{\rm B}$  side (for these residues, see the review [17]). Thus, we conclude that the computed increase of the  $E_{\rm m}$  difference between  $Q_{\rm A}$  and  $Q_{\rm B}$ , which was also suggested from kinetic studies [2], is due to significant contributions of the accompanied protonation pattern changes near  $Q_{\rm B}$ , upshifting  $E_{\rm m}(Q_{\rm B})$ .

To compensate for the change in the net charge of bRC arising with Fe release the titratable residues may change their protonation states. Hereby, the direct influence of the originally induced net charge is weakened by protonation pattern changes (i.e. indirect influence). A similar important contribution of the indirect electrostatic influence was observed also upon mutations. In bRC, proton transfer to Q<sub>B</sub> was inhibited upon the E(L212)A/D(L213)A double mutant but could be recovered by an additional single mutation, either R(M231)L or N(M43)D, being 9-15 Å away from Q<sub>B</sub> [18]. The altered pH-dependence of the equilibrium constant for the ET  $Q_A^-Q_B \leftrightarrow Q_AQ_B^-$  implies such a change of protonation states. As a result, changes of protonation pattern altered the  $E_{\rm m}(Q_{\rm B})$  by 24-45 mV, even though the mutational site is at a considerably distance from Q<sub>B</sub> [18]. Hence, the protonation pattern change play an important role in determining the energetics of redox-active protein cofactors especially if the protein possesses a large number of titratable residues.

#### 4. Conclusion

The presence of  $\mathrm{Fe^{2^+}}$  or other divalent metal ions upshift  $E_m(Q_A)$  considerably, which plays a significant role in both facilitating ET from  $\mathrm{H_A^-}$  to  $\mathrm{Q_A}$  and reducing triplet formation. The  $E_m$  difference between  $\mathrm{Q_A}$  and  $\mathrm{Q_B}$  is much larger in Fe-depleted bRC than in WT-bRC, indicating that  $\mathrm{Fe^{2^+}}$  is not necessary to render the ET processes between  $\mathrm{Q_A^-}$  and  $\mathrm{Q_B}$  sufficiently exergonic.

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## Appendix A. Supplementary data

Supplementary data associated with this article can be found, in the online version, at doi:10.1016/j.febslet.2006.07.

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