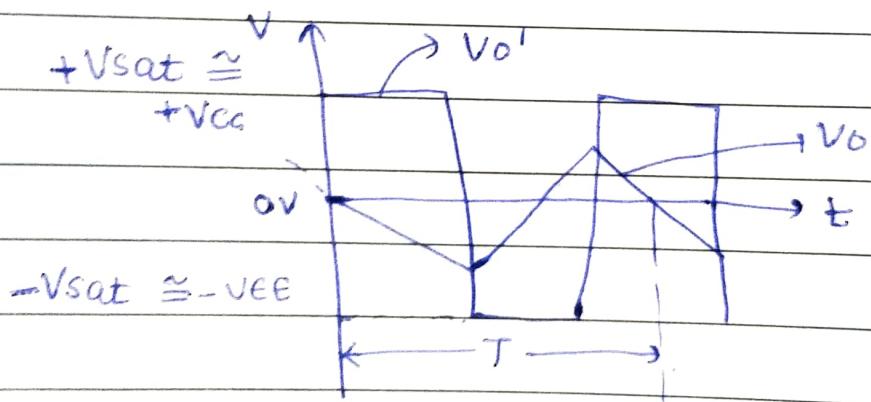
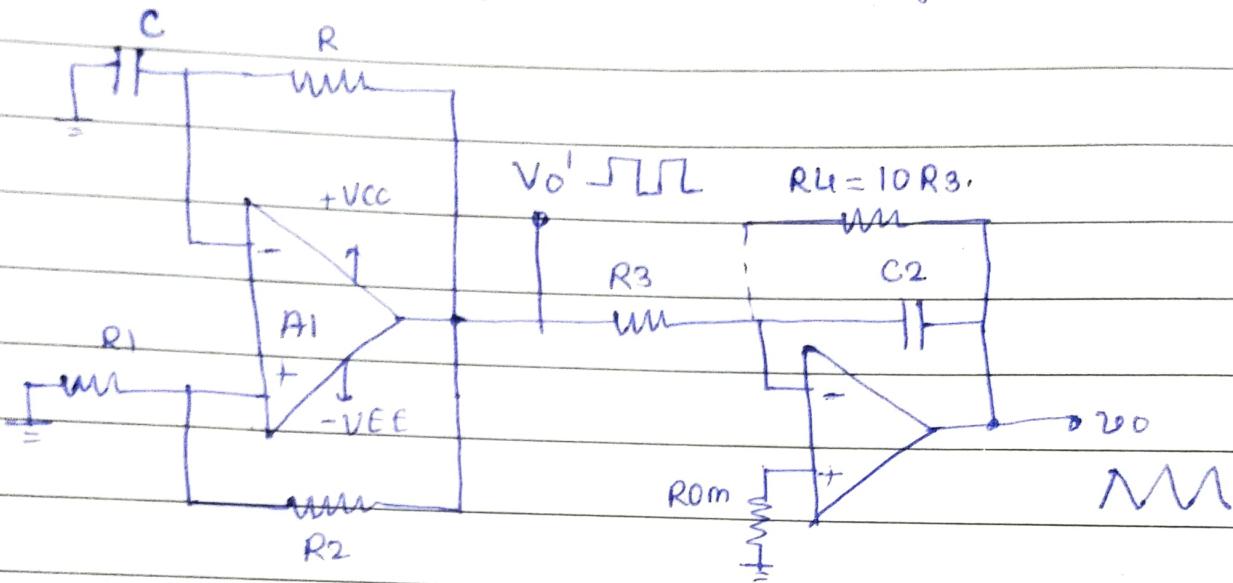


## \* Triangular Wave Generator :-

- we know that, if IIP of integrator is sq-wave, OIP will be triangular wave.
- i.e. we can design triangular wave gen. as.

sq-wave generator → Integrator



- freq<sup>n</sup> of sq-wave & triangular wave are same.  
f<sub>o</sub> of both waves depends on R.
- $R \propto \frac{1}{f_o}$ .
- amplitude of sq. wave is constant at  $\pm V_{sat}$ .
- amplitude of triangular wave will  $\downarrow$  or  $\uparrow$  with T or f in frequency.
- OIP of A1 is sq-wave, i.e. input to A2.
- To be the OIP of triangular wave A2,

$$5R_3C_2 > T/2$$

where  $T \rightarrow$  period of sq. wave

$$R_B C_2 = T$$

- freq<sup>n</sup> of triangular wave is limited by slew rate of op-amp.
- ∴ op-amp with high slew rate is used.

## II Triangular wave generator with fewer components :-

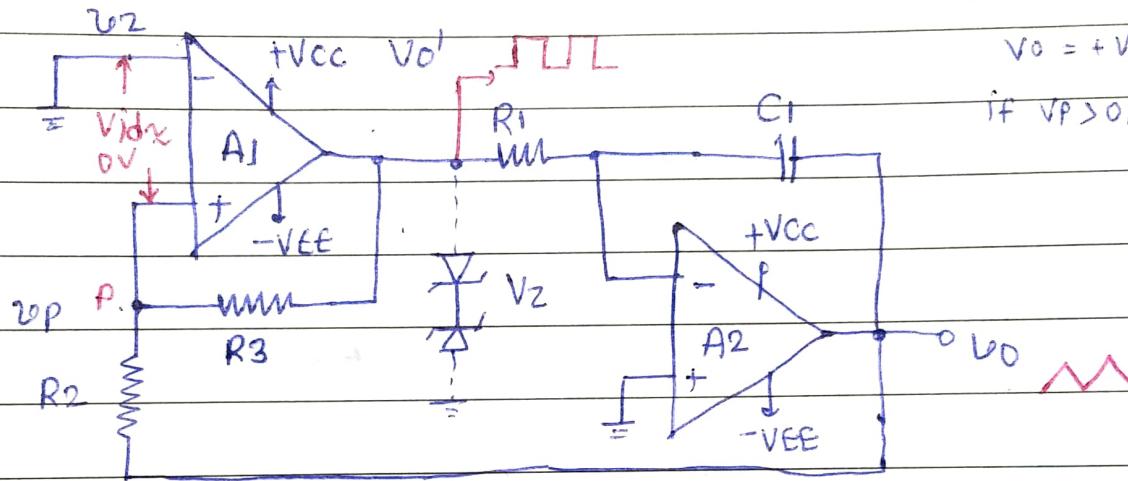
- Requires less no. of components
- Comparator + Integrator.

$$V_P' = +V_{sat}, V_O = -V_{ramp}$$

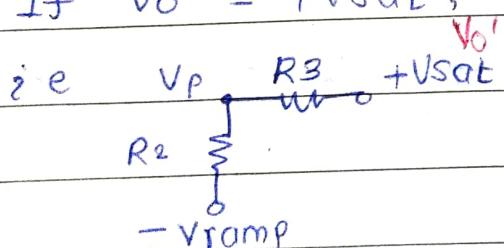
$$\text{if } V_P < 0, V_O' = -V_{sat},$$

$$V_O = +V_{ramp}.$$

$$\text{if } V_P > 0, V_O = +V_{sat}.$$



- A1 compares  $v_{tg}$  at pt. P continuously with inverting input i.e.  $v_2 = 0V$ . when  $v_p < 0, v_o' = -V_{sat}$  & if  $v_p > 0, v_o' = +V_{sat}$ .
- This sq. wave is I/P to integrator.
- If  $v_o' = +V_{sat}$ ,  $v_o$  will be -ve going ramp.



If  $v_o = -V_{ramp}, v_p < 0$ .

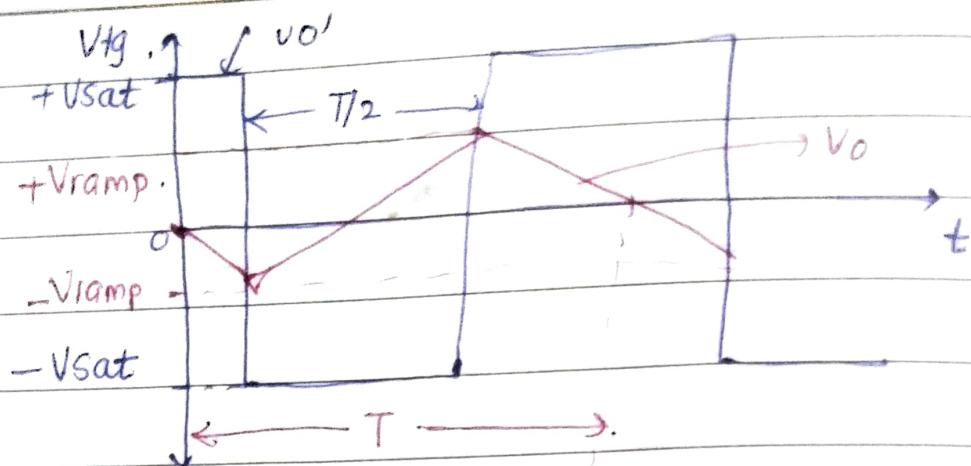
$$\therefore v_o' = -V_{sat}$$

$\therefore v_o \uparrow$  to  $+V_{ramp}$

If  $v_o = +V_{ramp}, v_p > 0$

$$\therefore v_o' = +V_{sat}$$

- sequence is repeated.



- freq<sup>n</sup> of triangular & square wave are same.
- amplitude of sq. wave is fun<sup>c</sup> of DC supply. we can obtain desired OIP by using diodes at OIP.
- from dia.  $-V_{ramp}$  developed a/c  $R_2$  &  $+V_{sat}$  a/c  $R_3$

$$\therefore \frac{-V_{ramp}}{R_2} = -\frac{+V_{sat}}{R_3}$$

$$\text{or. } -V_{ramp} = -\frac{R_2}{R_3} (+V_{sat}).$$

Similarly,

$$+V_{ramp} = -\frac{R_2}{R_3} (-V_{sat}).$$

$$\begin{aligned} \therefore V_{opp} &= +V_{ramp} - (-V_{ramp}) \\ &= -\frac{2R_2}{R_3} (-V_{sat}) \end{aligned}$$

$$\text{where } V_{sat} = |+V_{sat}| = |-V_{sat}|$$

i.e  $V_{opp} \downarrow$  with  $\uparrow R_3$ .

- Time taken by wif to swing from  $-V_{ramp}$  to  $+V_{ramp}$  is equal to  $T/2$

$\therefore$  substitute  $u_i = -V_{sat}$ ,  $V_o = V_{opp}$  &  $C = 0$

$$V_{O(PP)} = -\frac{1}{R_1 C_1} \int_0^{T/2} (-V_{sat}) \cdot dt$$

$$= \left( \frac{V_{sat}}{R_1 C_1} \right) \left( \frac{T}{2} \right).$$

$$\therefore \frac{T}{2} = \frac{V_{OPP}}{V_{sat}} (R_1 \cdot C_1)$$

$$\therefore T = \frac{2 R_1 C_1 (V_{OPP})}{V_{sat}}$$

$$V_{sat} = |+V_{sat}| = |-V_{sat}|$$

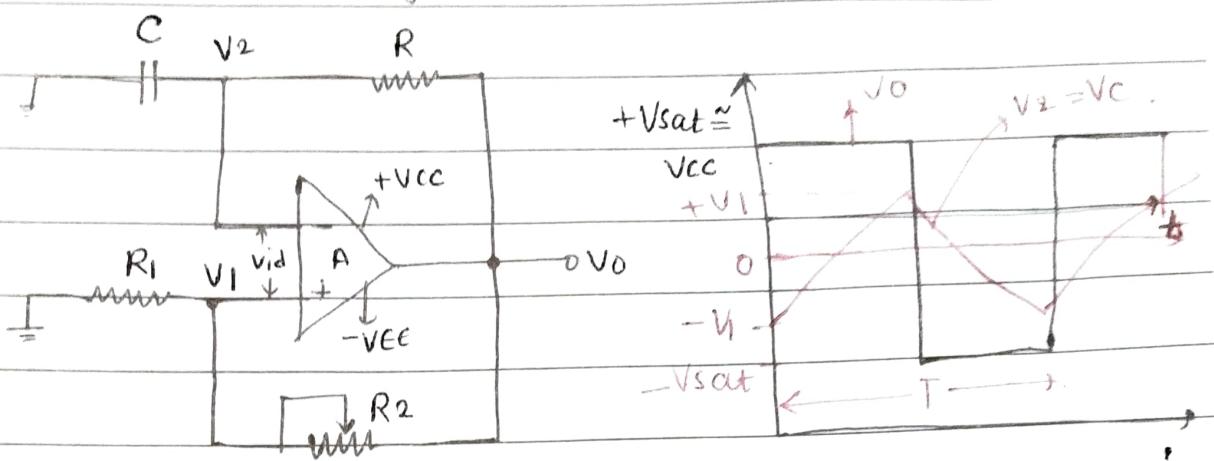
substitute value of  $V_{OPP}$

$$\therefore T = \frac{4 R_1 C_1 R_2}{R_3}$$

$$\therefore f_0 = \frac{R_3}{4 R_1 C_1 R_2}$$

## Square wave Generator :-

- OP-amp is forced to operate in saturation region, sq. wave generated.
- Also called as free-running or astable multivibrator.



$$|V_1| = \frac{R_1}{R_1 + R_2} \cdot |V_{sat}|$$

$$f_0 = \frac{1}{T} = \frac{1}{2RC} \text{ if } R_2 = 1.16 R_1$$

- Assume that  $V_c$  (vtg a/c C) is 0 when  $V_{CC}$  &  $V_{EE}$  are applied.  
i.e  $V_2 = 0$  initially.

but  $V_1$  = very small value due to  $V_{OVT}$  &  $R_1 - R_2$  now.

$\therefore V_{id} = V_1 \rightarrow$  starts driving op-amp into saturation.

e.g. Let  $V_{OVT}$  is +ve      As C acts as short ckt. the  
 $\therefore V_1$  is +ve.      gain of the op-amp is very large.

&  $V_1$  drives op-amp into saturation ( $+V_{sat}$ ).

with  $V_0 = +V_{sat}$ , C starts charging towards  $+V_{sat}$  thr' R.

As soon as,  $V_2 = V_c > V_1$ , the

$$V_{id} = -ve \Rightarrow V_0 = -V_{sat}$$

with  $V_0 = -V_{sat} - V_1$  a/c  $R_1$  is also -ve.

$$\text{as. } V_1 = \frac{R_1}{R_1 + R_2} (-V_{sat})$$

Thus the net diffn vtg,  $V_{id} = V_1 - V_2 = -ve \therefore V_0 = -V_{sat}$   
until C discharges & then recharge to a -ve voltage

slightly higher than  $-U_1$ .

- Now, when  $-U_C = U_2 > -U_1$ ,  $V_{ID} = +ve \Rightarrow V_O = +V_{sat}$

- This completes one cycle.

- with O/P at  $+V_{sat}$ ,  $U_1$

$$U_1 = \frac{R_1}{R_1 + R_2} (+V_{sat}).$$

The time period  $T$  of the O/P waveform is given by

$$T = 2RC \ln \left( \frac{2R_1 + R_2}{R_2} \right).$$

$$\text{or } f_0 = \frac{1}{2RC \ln [(2R_1 + R_2)/R_2]}$$

i.e  $f_0$  depends on  $RC, R_1, R_2$ .

$$\text{if } R_2 = 1.16 R_1$$

$$f_0 = \frac{1}{2RC}$$

$RC \downarrow f_0 \uparrow$  & vice versa.

$f_{max} \rightarrow$  depends on slew rate of op-amp.

$\Downarrow f_0 T, V_O \rightarrow$  triangular.

Practically  $R_S$  at inv & non-inv terminal is required.

to prevent excessive differential current flow. (due to  $V_{ID}$ ).

$$R_S \geq 100k\Omega$$

Ques: Design the square-wave osc. so that  $f_0 = 1\text{kHz}$ . The supply voltage is  $\pm 15\text{V}$ .

Sol<sup>n</sup>: Use  $R_2 = 1.16 R_1$  so that,

1)  $f_0 = \frac{1}{RC}$

Let  $R_1 = 10\text{ k}\Omega$ . Then

$$R_2 = (1.16)(10 \times 10^3) = 11.6\text{ k}\Omega$$

Use  $R_2 = 20\text{ k}\Omega$  pot.

2) Let  $C = 0.05\text{ }\mu\text{F}$

$$\therefore R = \frac{1}{10 \times 10^{-8} \times 10^3} = 10\text{ k}\Omega$$

Thus,  $R_1 = 10\text{ k}\Omega$

$$R_2 = 11.6\text{ k}\Omega$$

$$R = 10\text{ k}\Omega$$

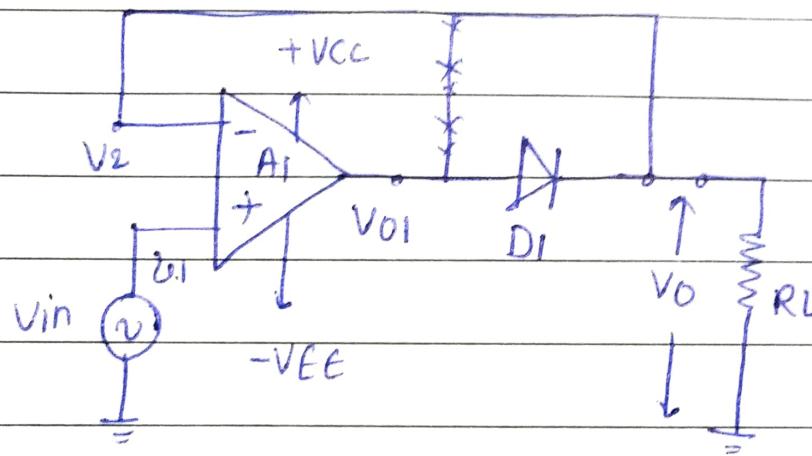
$$C = 0.05\text{ }\mu\text{F}$$



## Precision Rectifier :-

- Disadv → conventional / diode rectifier → can't rectify vtgs below  $V_{D(ON)} = 0.7V$ , the cut-in vtg. of the diode.
- To overcome this use op-amp with diodes → precision rectifiers.
- can rectify vtg. less than  $0.7V$ . Hence called small signal precision rectifiers.

### a) +ve Precision Half wave Rectifier :



-  $D_1$  is connected in f/b loop.

i) During +ve half cycle :

→  $D_1 \rightarrow ON \rightarrow$  f/b path is completed.

$$\therefore V_0 = V_{in}.$$

$$1 + \frac{R_F}{R_I} \rightarrow D_1 \text{ ON} \rightarrow R_F = 0$$

$$R_I = \infty.$$

$$1 + \frac{R_F}{C_o} = 1$$

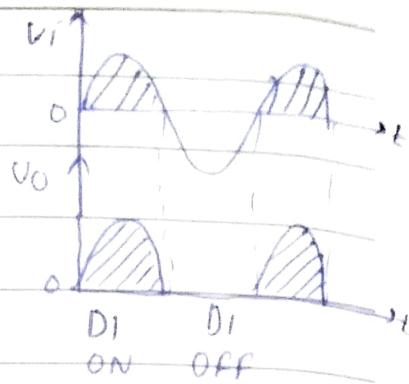
→ Due to very high gain  $D_1$  turns on immediately.

Hence +ve half cycle appears a/c load.

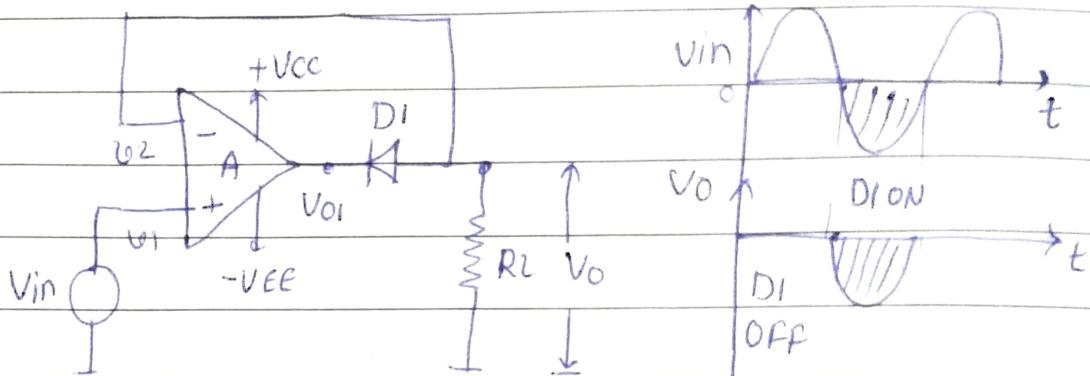
### a) During -ve half cycle:-

$D_1 \rightarrow R \cdot B$ ,  $\therefore$  no f/b is present  $\therefore V_o = 0$

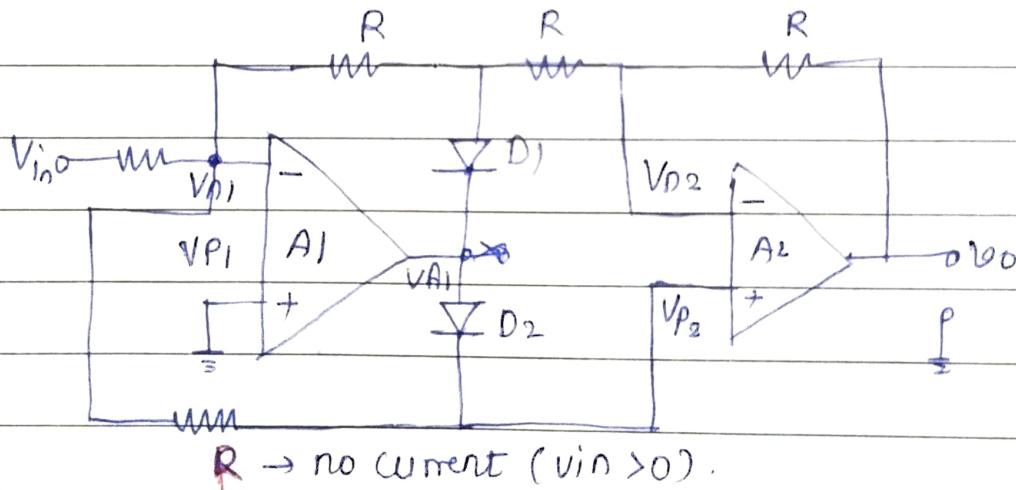
- can rectify very small utgs. (in mVs).



### b) -ve Precision Half Wave Rectifier :-



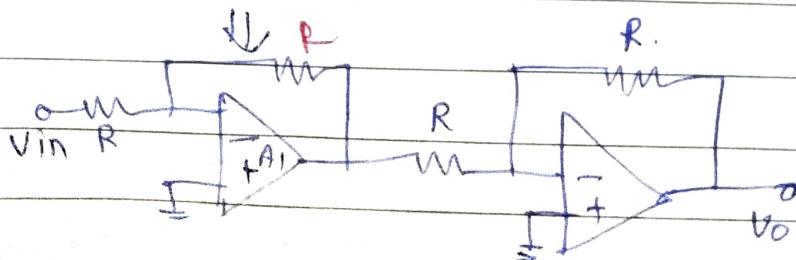
### \* Precision Full wave Rectifiers :-



case 1 :-  $V_{in} > 0$ ,  $V_{A1} = -ve$ ,  $D_1 \rightarrow FIB$ ,  $D_2 \rightarrow RIB$ .

no current thro' R betw<sup>n</sup>  $V_{D1}$  &  $V_{P2}$ .

$\therefore V_{D1} = V_{P2} = 0V$ .

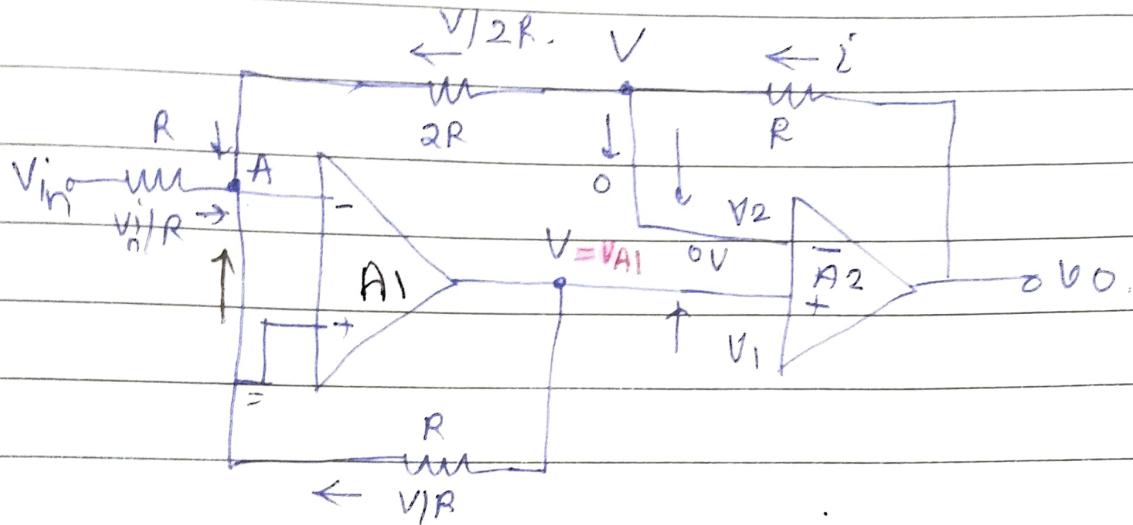


$$\therefore V_o = \left( -\frac{R}{R} \right) \times \left( -\frac{R}{R} \right) \cdot V_i = V_i$$

$\therefore [V_o = V_i] \rightarrow$  +ve half cycles will be present in the o/p.

CASE 2: IF  $V_{in} < 0$ ,  $V_{A1} \rightarrow +ve$ ,  $D_1 \rightarrow RIB$  &  $D_2 \rightarrow FIB$ .

NOW Ckt will be,



$\therefore$  As  $V_{id2} = 0V$ ,  $\therefore V_A = 0$

$\therefore$  Apply KCC at node A

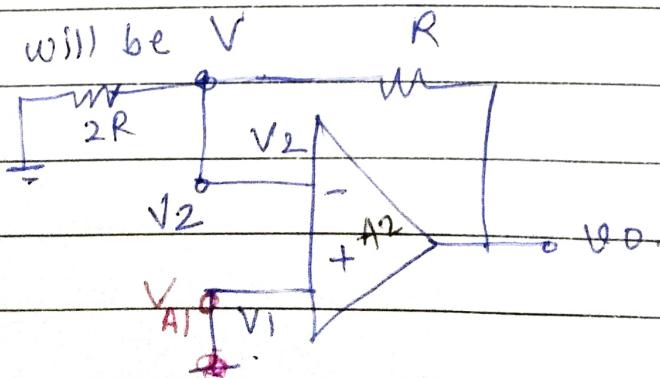
$$\frac{V_{in}}{R} + \frac{V}{2R} + \frac{V}{R} = 0 \quad \frac{V_{in}}{R} + \frac{R \cdot V + 2 \cdot R \cdot V}{2R^2} = 0$$

$$i.e \quad \frac{3V}{2R} = -\frac{V_{in}}{R}$$

$$\frac{V_{in}}{R} + \frac{R[3V]}{2R^2} = \frac{3V}{2R}$$

$$\therefore \boxed{V = -\frac{2}{3} V_{in}}$$

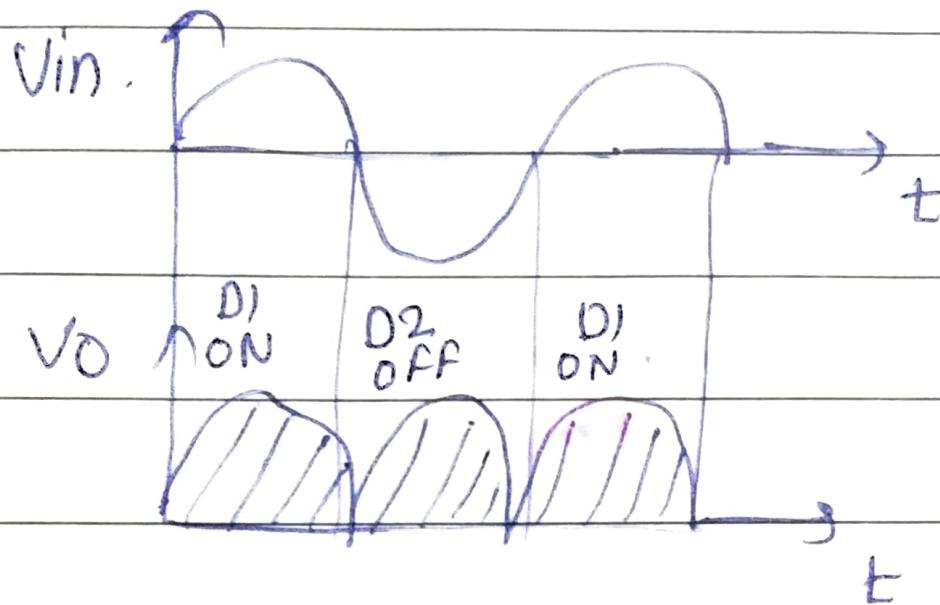
$\therefore A_2$  will be



$$\therefore V_o = \left( \frac{1+R}{2R} \right) V_{in} = \left( \frac{2R+R}{2R} \right) V_{in} = \frac{3}{2} V.$$

$$\therefore V_o = \frac{3}{2} \left[ -\frac{2}{3} V_{in} \right] = -V_{in}$$

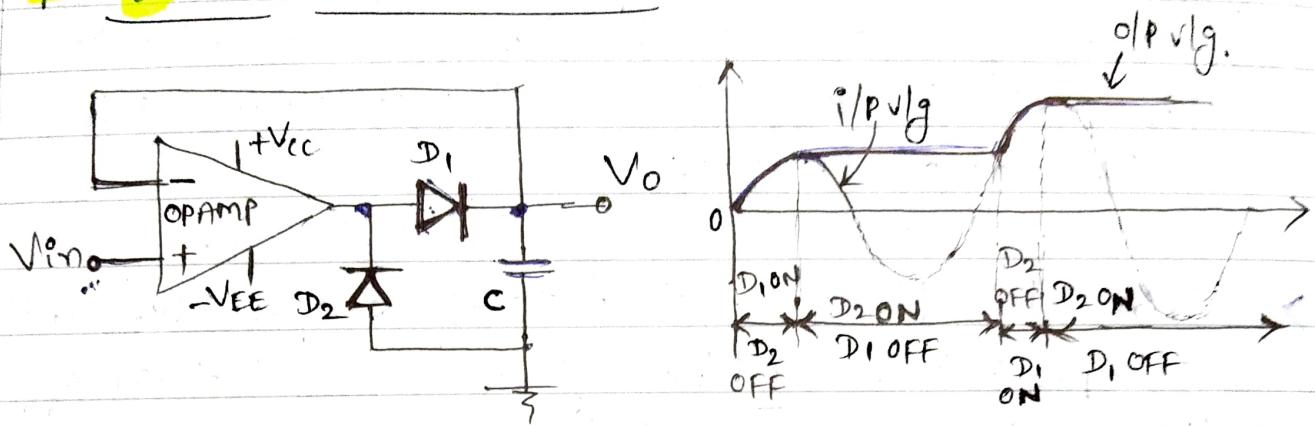
$\therefore V_o = -V_{in}$  -- +ve half cycle



## → Peak Detector Using Opamp

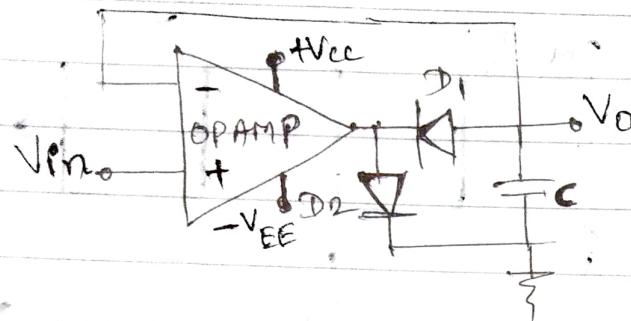
It is used to detect & hold the peak value of ilp sig. o/p of this ckt will follow the peak value of ilp sig. & store the maximum value infinitely.

## → Positive Peak detector



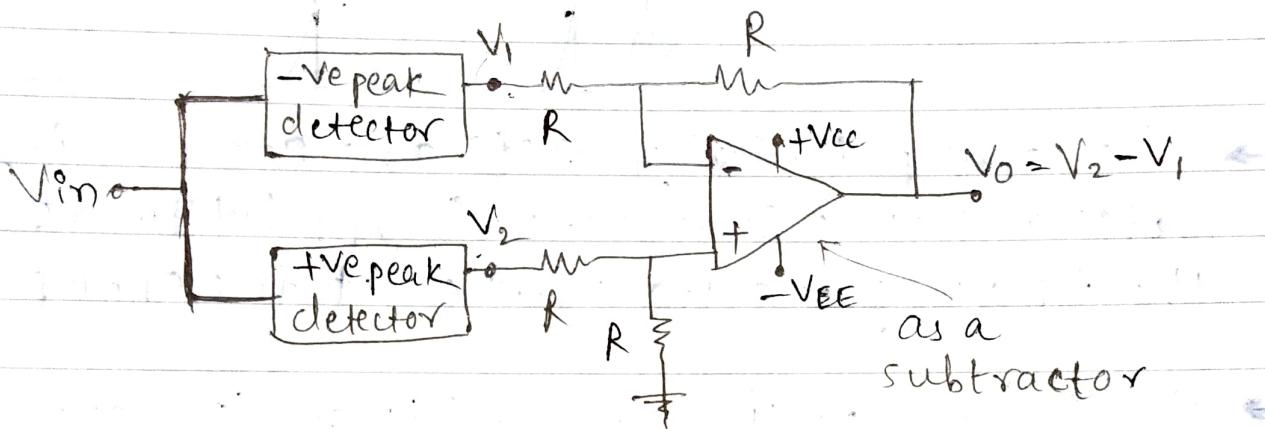
- The opamp is used as a vlg follower. ∴ the gain of this ckt is '1'. The diode  $D_1$  will be forward biased only in +ve half cycle of ilp, hence ckt is sensitive only to +ve ilp vlg's.  $D_2$  will not allow -ve vlg to go ahead.
- The diode  $D_1$  &  $D_2$  are assumed to be ideal & o/p vlg  $V_o$  is nothing but vlg across capacitor i.e.  $V_o = V_c$ .
- Track mode → Assuming initial vlg on the capacitor is 0v. Hence in the first +ve half cycle of ilp, the diode  $D_1$  is forward biased,  $D_2$  is reverse biased & capacitor charges to positive peak of ilp.
- Hold mode → Now as ilp vlg  $\downarrow$ ses, the diode  $D_1$  is reverse biased & stop conducting. The capacitor then maintains constant o/p vlg which is equal to peak value of ilp. It will hold till next +ve half cycle.

## → -ve peak detector



By reversing the direction of diode 'D1' the same circuit will be used as -ve peak detector.

## → Peak to peak detector



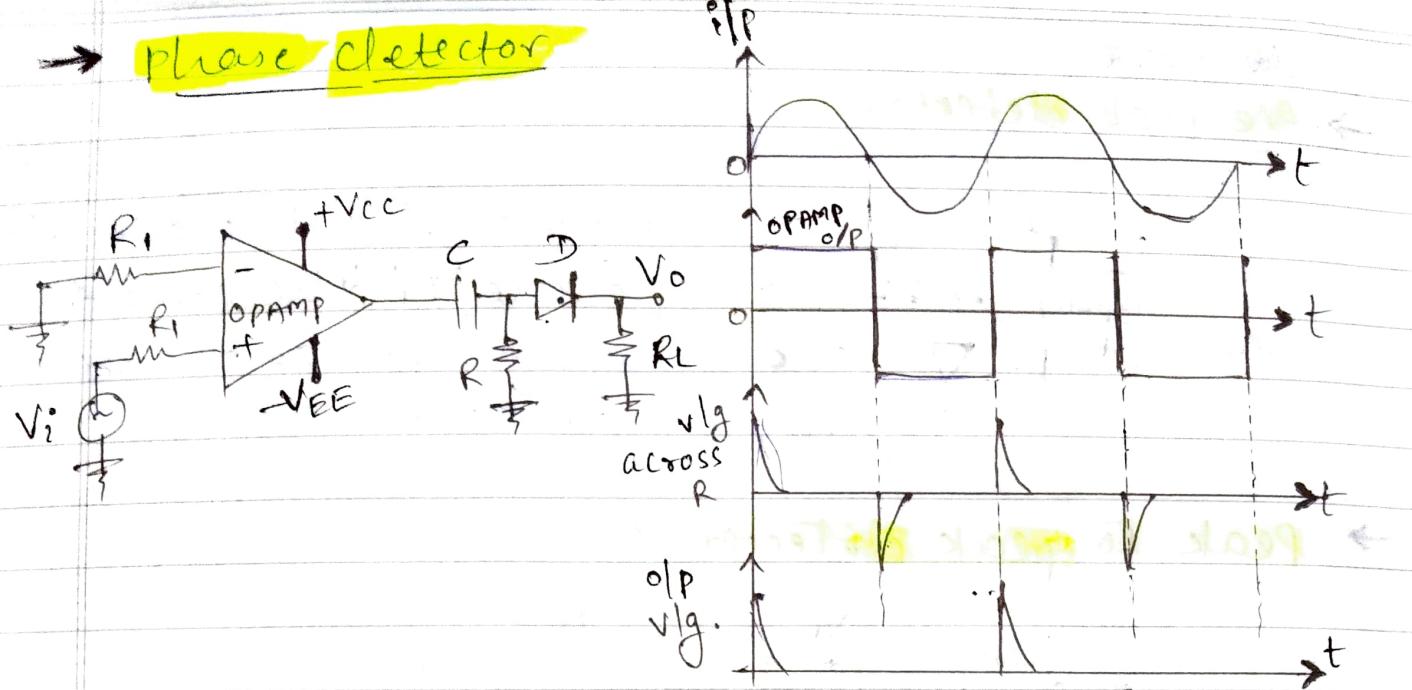
If consist of tive peak detector, -ve peak detector, & subtractor.

- The tive peak detector responds only to tive half cycles of i/p vlg Vin, Thus vlg V2 at its o/p corresponds to peak positive vlg.
- The -ve peak detector will respond only to -ve half cycles of i/p vlg Vin, Thus 'V1' at its o/p corresponds to peak -ve vlg.
- The o/p of these peak detector are applied to subtractor & thus the o/p vlg is given by,  

$$V_o = V_2 - V_1 = \text{'tive' peak vlg} - \text{'-ve' peak vlg.}$$

i.e.  $V_o = \text{peak to peak vlg.}$

## → Phase detector



- The opamp basically acts as zero crossing detector hence sine wave is applied to it at the i/p we get square wave at the opamp o/p.
- $C$  &  $R$  form passive differentiator, so across 'R' we get +ve & -ve pulses.
- The diode will allow only positive pulses to pass through the load & blocks -ve pulses. Thus at the o/p we get the +ve spikes because during +ve spike diode will be forward bias & in -ve spike diode will be reverse bias.
- We can use pulse generator ckt to measure phase angle. The vlg's under the phase measurement are applied to two different pulse generator. These vlg's are then converted into +ve trigger pulses. These pulses are applied to two channels of CRO. The time duration of between the pulses corresponding to two vlg's represents phase shift between them.