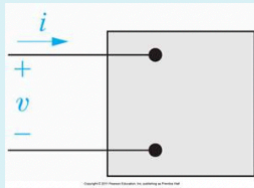


①



P10.01d_9ed

For the following set of values, calculate P, Q and state whether the circuit inside the box is absorbing or delivering (1) average power and (2) magnetizing vars.

$$v = 200 \sin(\omega t + 250^\circ) \text{ V} \quad i = 5 \cos(\omega t + 40^\circ) \text{ A}$$

$$P = -250 \text{ W} \quad \text{Delivering} \quad \text{Watts}$$

$$Q = 433.01 \text{ VAR} \quad \text{Absorbing} \quad \text{VARs}$$

$$\begin{aligned} v &= 200 \cos[90^\circ - (\omega t + 250^\circ)] \\ &= 200 \cos(-\omega t - 160^\circ) \\ &= 200 \cos(\omega t + 160^\circ) \end{aligned}$$

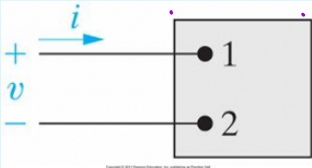
$$P_{\text{avg}} = \frac{V_m I_m}{2} \cos(\theta_v - \theta_i)$$

$$= \frac{(200)(5)}{2} \cos(160^\circ - 40^\circ) = -250 \text{ W (DELIVERING)}$$

$$Q = \frac{V_m I_m}{2} \sin(\theta_v - \theta_i)$$

$$= \frac{(200)(5)}{2} \sin(160^\circ - 40^\circ) = 433.01 \text{ VAR (ABSORBING)}$$

②



P10.01b_6ed

Calculate P and Q of the following voltage and current. State whether the element is absorbing or delivering average power and magnetizing VARs.

$$v = 75 \cos(\omega t - 15^\circ) \text{ V} \quad i = 16 \cos(\omega t + 60^\circ) \text{ A}$$

$$P = 155.29 \text{ W} \quad \text{Absorbing} \quad \text{Watts}$$

$$Q = -579.56 \text{ VAR} \quad \text{Delivering} \quad \text{VARs}$$

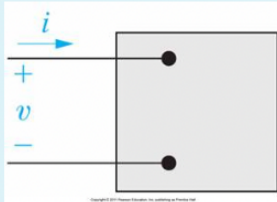
$$P_{\text{avg}} = \frac{V_m I_m}{2} \cos(\theta_v - \theta_i)$$

$$= \frac{(75)(16)}{2} \cos(-15^\circ - 60^\circ) = 155.29 \text{ W (ABSORBING)}$$

$$Q = \frac{V_m I_m}{2} \sin(\theta_v - \theta_i)$$

$$= \frac{(75)(16)}{2} \sin(-15^\circ - 60^\circ) = -579.56 \text{ VARs (DELIVERING)}$$

③



P10.01c_9ed

For the following set of values, calculate P, Q and state whether the circuit inside the box is absorbing or delivering (1) average power and (2) magnetizing vars.

$$v = 400 \cos(\omega t + 30^\circ) \text{ V} \quad i = 10 \sin(\omega t + 240^\circ) \text{ A}$$

$$P = -1000 \text{ W} \quad \text{Delivering} \quad \text{Watts}$$

$$Q = -1732.05 \text{ VAR} \quad \text{Delivering} \quad \text{VARs}$$

$$\begin{aligned} i &= 10 \sin(\omega t + 240^\circ) \\ &= 10 \cos[90^\circ - (\omega t + 240^\circ)] \\ &= 10 \cos(\omega t + 150^\circ) \end{aligned}$$

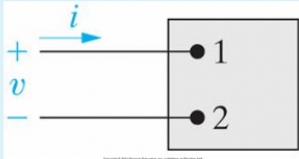
$$P_{\text{avg}} = \frac{V_m I_m}{2} \cos(\theta_v - \theta_i)$$

$$= \frac{(400)(10)}{2} \cos(30^\circ - 150^\circ) = -1000 \text{ (DELIVERING)}$$

$$Q = \frac{V_m I_m}{2} \sin(\theta_v - \theta_i)$$

$$= \frac{(400)(10)}{2} \sin(30^\circ - 150^\circ) = -1732.05 \text{ (DELIVERING)}$$

④



P10.01d_6ed

Calculate P and Q of the following voltage and current. State whether the element is absorbing or delivering average power and magnetizing VARs.

$$v = 180 \sin(\omega t + 220^\circ) \text{ V} \quad i = 10 \cos(\omega t + 20^\circ) \text{ A}$$

$$P = -307.82 \text{ W} \quad \text{Delivering} \quad \text{Watts}$$

$$Q = 845.72 \text{ VAR} \quad \text{Absorbing} \quad \text{VARs}$$

$$\begin{aligned} v &= 180 \sin(\omega t + 220^\circ) \text{ V} \\ &= 180 \cos[90^\circ - (\omega t + 220^\circ)] \\ &= 180 \cos(\omega t + 130^\circ) \end{aligned}$$

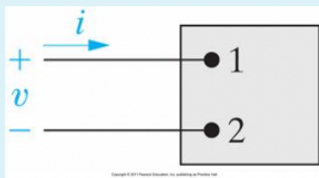
$$P_{\text{avg}} = \frac{V_m I_m}{2} \cos(\theta_v - \theta_i)$$

$$= \frac{(180)(10)}{2} \cos(130^\circ - 20^\circ) = -307.82 \text{ W (DELIVERS)}$$

$$Q = \frac{V_m I_m}{2} \sin(\theta_v - \theta_i)$$

$$= \frac{(180)(10)}{2} \sin(130^\circ - 20^\circ) = 845.72 \text{ W (ABSORB)}$$

5



P10.01a_6ed

Calculate P and Q of the following voltage and current. State whether the element is absorbing or delivering average power and magnetizing VARs.

$$v = 340 \cos(\omega t + 60^\circ) \text{ V} \quad i = 20 \cos(\omega t + 15^\circ) \text{ A}$$

P = W Absorbing ☒ Watts

Q = VAR Absorbing ☒ VARS

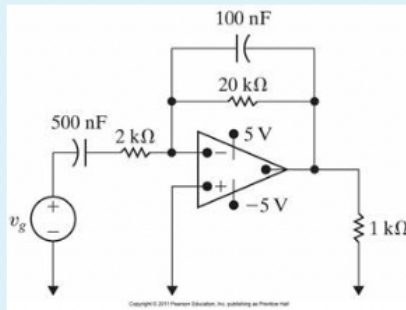
$$P_{avg} = \frac{V_m I_m}{2} \cos(\theta_v - \theta_i)$$

$$= \frac{(340)(20)}{2} \cos(60 - 15) = 2404.16 \text{ (ABSORB)}$$

$$Q = \frac{V_m I_m}{2} \sin(\theta_v - \theta_i)$$

$$= \frac{(340)(20)}{2} \sin(60 - 15) = 2404.16 \text{ (ABSORB)}$$

6



P10.07_9ed

The opamp is ideal. $v_g = \cos(1,000t) \text{ V}$

Calculate the average power dissipated by the 1 k Ω (kilo Ohm) resistor.

$P_{avg, 1k\Omega} =$ mW (milli Watt) ("+" = absorbed, "-" = delivered)

$$Z_{500nF} = \frac{-j}{\omega C} = \frac{-j}{(1000)(500 \times 10^{-9})} = -j2000j$$

$$Z_{100nF} = \frac{-j}{\omega C} = \frac{-j}{(1000)(100 \times 10^{-9})} = -j10000j$$

$$100nF \parallel 20k\Omega = \frac{(-j10000j)(20000)}{-j10000j + 20000} = \frac{-200 \times 10^6 j}{20000 - j10000j} \cdot \frac{20000 + j10000j}{20000 + j10000j}$$

$$= \frac{-4 \times 10^{12} j + 2 \times 10^{12}}{500 \times 10^6} = 4000 - j8000$$

$$V_g = 1 \angle 0^\circ = 1$$

$$\frac{V_n - V_g}{-j2000 + 2000} + \frac{V_n - V_o}{4000 - j8000} = 0$$

$$\left[\frac{-1}{2000(1-j)} + \frac{-V_o}{4000(1-j^2)} = 0 \right] (2000)$$

$$\frac{-1}{1-j} - \frac{V_o}{2(1-j^2)} = 0 \rightarrow \frac{-2(1+j)}{2} = \frac{V_o}{1-j^2} \rightarrow (1+j)(1-j^2) = V_o$$

$$V_o = 1 - j + 2 = 3 - j \approx \sqrt{10} \angle -18.43^\circ$$

$$V \cdot IR \rightarrow I = \frac{V}{R} = \frac{3-j}{1000} = 3 \times 10^{-3} - j1 \times 10^{-3} \approx 3.16 \times 10^{-3} \angle -18.43^\circ$$

$$P_{avg} = \frac{(\sqrt{10})(3.16 \times 10^{-3})}{2} \cos(0) = 5 \times 10^{-3} \text{ W} \approx 5 \text{ mW}$$

7

$$P_{max} = P_{avg} + \sqrt{P^2 + Q^2}$$

$$P_{min} = P_{avg} - \sqrt{P^2 + Q^2}$$

P10.04_9ed

A load consisting of a 480 W resistor in parallel with a (5/9) μF (micro Farad) capacitor is connected across the terminals of a sinusoidal voltage source $v_g = 240 \cos(5,000t) \text{ V}$.

a) What is the average power absorbed/delivered by the load?

$P_{avg} =$ W

b) What is the reactive power absorbed/delivered by the load?

Q = VAR

c) What is the peak value of the instantaneous power delivered by the source?

The figure shows the result of a derivation for P_{max} .

$P_{max} =$ W ("+" = absorbed, "-" = delivered)

d) What is the peak value of the instantaneous power absorbed by the source?

The figure shows the result of a derivation for P_{min} .

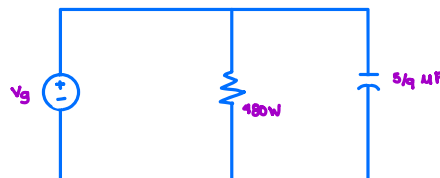
$P_{min} =$ W ("+" = absorbed, "-" = delivered)

e) What is the power factor of the load?

pf =

f) What is the reactive factor of the load?

rf = ("+" = inductive, "-" = capacitive)



$$V_g = 240 \angle 0^\circ \approx 240$$

$$X_C = \frac{1}{\omega C} = \frac{1}{(5000)(5/9 \times 10^{-6})}$$

$$= 360$$

$$P_{avg} = \frac{V_{rms}^2}{R} = \frac{(240/\sqrt{2})^2}{480} = 60 \text{ W}$$

$$Q = \frac{V_{rms}^2}{X_C} = \frac{(240/\sqrt{2})^2}{360} = 80 \text{ VAR}$$

Given: The period of the waveform is 50 ms (milli sec).

 $i_{\text{rms}} = 17.32 \quad \checkmark \quad A_{\text{rms}}$

$R = 80 \checkmark \Omega (\text{Ohm})$

$$\overline{AB} : i = \frac{30-0}{(40 \times 10^{-3})-0} t + b$$

$$i = 750t \quad 0 < t < 40 \text{ ms}$$

$$\overline{bc} : i = \frac{0-30}{50 \times 10^{-3} - 40 \times 10^{-3}} t + b$$

$$i = -3000t + b$$

$$30 = -3000(40 \times 10^{-9}) + b$$

$b = 150$

$$\dot{i} = -3600t + 150 \quad 40 < t < 50 \text{ ms}$$

$$i_{rms} = \frac{1}{T} \int_0^T i^2(t) dt$$

The graph shows the current i (A) as a function of time t (ms). The current starts at 0 A at $t = 0$ ms, increases linearly to 20 A at $t = 80$ ms, decreases linearly to 0 A at $t = 100$ ms, and then increases linearly again.

Given: The period of the waveform is 100 ms (milli sec).

 $I_{\text{rms}} = 11.55 \quad \checkmark \quad A_{\text{rms}}$

R = 9.6 Ω (Ohm)

The periodic triangular current has a peak value of 180 mA (milli Amp).

$P_{avg} = 54$ ✓ W