

# 1. Introduction

Transmission lines are a fundamental component in electrical and communication engineering, characterized by their distributed parameters: resistance  $R$ , inductance  $L$ , conductance  $G$ , capacitance  $C$ , operating frequency  $f$ , and load impedance  $Z_L$ .

Accurate evaluation of transmission line performance requires the calculation of the **characteristic impedance** ( $Z_0$ ), **attenuation constant** ( $\alpha$ ), and **phase constant** ( $\beta$ ), from which all other quantities (reflection coefficient  $\Gamma$ , input impedance  $Z_{in}$ , VSWR, propagation velocity  $v_p$ , wavelength  $\lambda$ , and delay  $\tau$ ) are derived.

The objective of this work is to:

1. Develop a coded algorithm for transmission line analytics.
2. Train a machine learning model to predict fundamental parameters ( $Z_0$ ,  $\alpha$ ,  $\beta$ ) from physical inputs.
3. Reconstruct all derived parameters analytically.
4. Build an interactive Streamlit interface where users can input transmission line parameters and visualize standing waves of voltage and current.

Colab link:

[https://colab.research.google.com/drive/1EfIO\\_9nY8pNxJYzJW2WIkH8hNMhPbG4e#scrollTo=xkm-ULRIw9\\_N](https://colab.research.google.com/drive/1EfIO_9nY8pNxJYzJW2WIkH8hNMhPbG4e#scrollTo=xkm-ULRIw9_N)

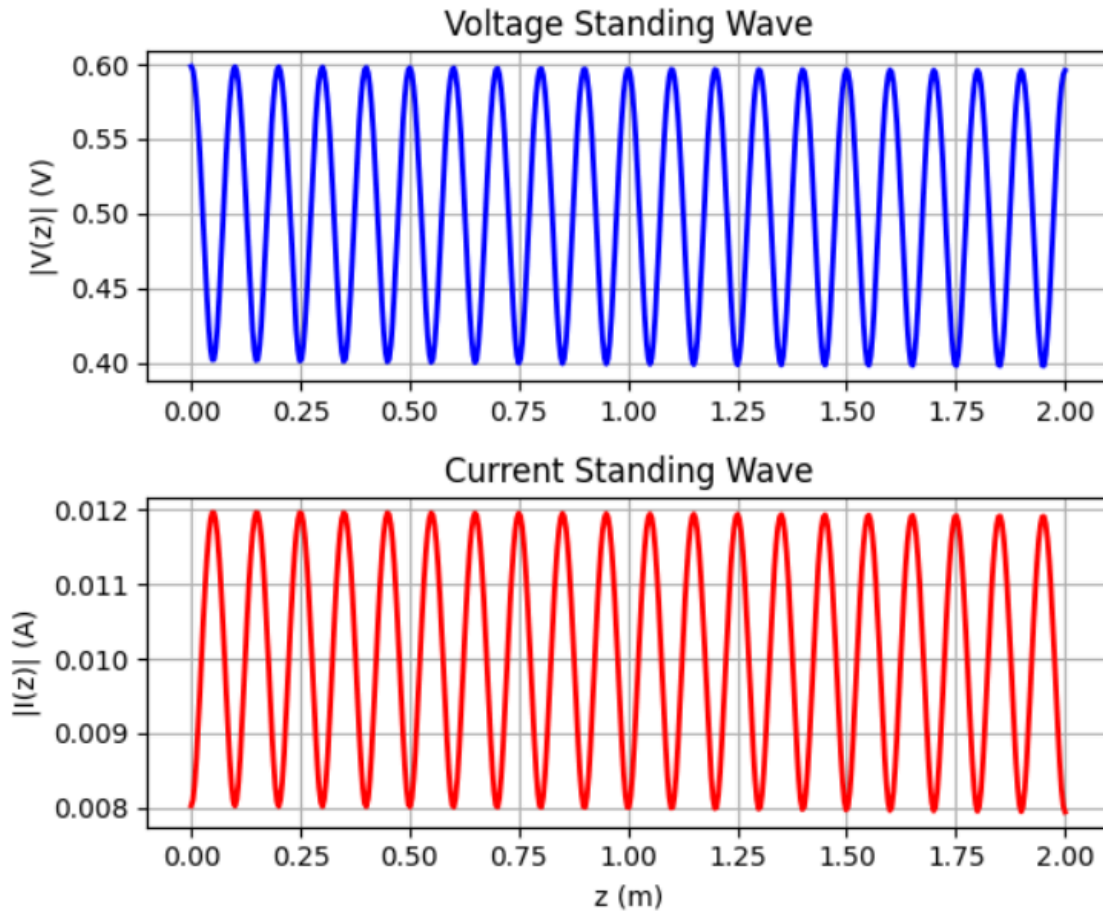
```
# Example: 2 m line, 1 GHz, load 75Ω, source 1V, 50Ω internal

plot_standing_waves(

    R=0.1, L=250e-9, G=1e-4, C=100e-12,

    f=1e9, l=2, ZL=75, Vs=1, Zs=50

)
```



## 2. Methodology

### 2.1 Dataset Generation

- Synthetic dataset created with 2000+ samples.
- Each sample defined by parameters:

$$[R, L, G, C, f, ZL_{real}, ZL_{imag}]$$

- Two cases were included:
  - *Lossy*: higher  $R, G$ .
  - *Lossless*: near-zero  $R, G$ .

### 2.2 Fundamental Parameter Calculations

- Characteristic impedance:

$$Z_0 = \sqrt{\frac{R + j\omega L}{G + j\omega C}}$$

- Propagation constant:

$$\gamma = \alpha + j\beta = \sqrt{(R + j\omega L)(G + j\omega C)}$$

## 2.3 Preprocessing

- Features normalized using **StandardScaler**.
- $Z0\_imag$  transformed using **signed-log scaling** to reduce variance.
- Weighted loss assigned higher importance to  $Z0\_imag$ .

## 2.4 Neural Network Model

- Architecture (PyTorch MLP):
  - Input: 7 features.
  - Hidden:  $[128 \rightarrow 256 \rightarrow 128]$ , ReLU activation.
  - Output: 4 values  $[Z0\_real, Z0\_imag, \alpha, \beta]$ .
- Optimizer: Adam ( $lr = 1e^{-4}$ ).
- Loss: Weighted MSE.
- Epochs: 3000.

## 2.5 Post-processing

Derived parameters reconstructed analytically:

- Reflection coefficient:

$$\Gamma = \frac{Z_L - Z_0}{Z_L + Z_0}$$

- Input impedance:

$$Z_{in} = Z_0 \frac{Z_L + Z_0 \tanh(\gamma l)}{Z_0 + Z_L \tanh(\gamma l)}$$

- VSWR:

$$\text{VSWR} = \frac{1 + |\Gamma|}{1 - |\Gamma|}$$

- Propagation velocity:

$$v_p = \frac{\omega}{\beta}$$

- Wavelength:

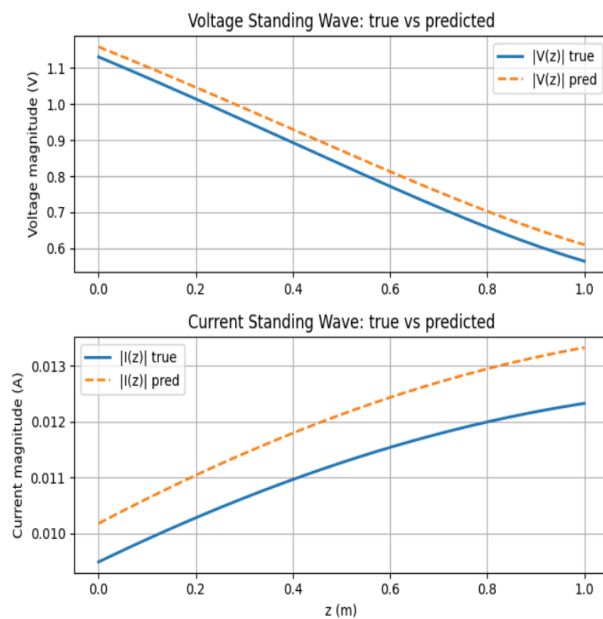
$$\lambda = \frac{2\pi}{\beta}$$

- Delay:

$$\tau = \frac{l}{v_p}$$

Epoch 0: test R2 = 0.0352  
Epoch 200: test R2 = 0.9223  
Epoch 400: test R2 = 0.9423  
Epoch 600: test R2 = 0.9484  
Epoch 800: test R2 = 0.9508  
Epoch 1000: test R2 = 0.9521  
Epoch 1200: test R2 = 0.9525  
Epoch 1400: test R2 = 0.9516  
Epoch 1600: test R2 = 0.9528  
Epoch 1800: test R2 = 0.9527  
Epoch 2000: test R2 = 0.9523  
Epoch 2200: test R2 = 0.9522  
Epoch 2400: test R2 = 0.9527  
Epoch 2600: test R2 = 0.9521  
Epoch 2800: test R2 = 0.9525  
Final test R<sup>2</sup> (all outputs): 0.9567  
Z0\_real: R2 = 0.966  
Z0\_imag: R2 = 0.898  
alpha: R2 = 0.970  
beta: R2 = 0.992

--- Percent errors (this sample) ---  
|Z0|: 8.06%  
alpha: 7.32%    beta: 0.19%  
|r|: 5.23%    VSWR: 7.56%  
vp: 0.19%    λ: 0.19%    τ: 0.19%



### 3.1 Case Study: True vs Predicted

```

--- True vs Predicted fundamentals (first 5 samples) ---
Sample  Z0_real_true  Z0_real_pred  Z0_imag_true  Z0_imag_pred  alpha_true  \
0       0          132.1952    121.539101    1.6330        0.6254      0.0428
1       1          636.1651    610.214417    2.6801        2.6372      0.1287
2       2          431.5455    423.983002    0.2465        0.2931      0.0296
3       3          719.1318    733.507202    2.6431        2.6311      0.2350
4       4          551.0056    547.567383    1.7617        1.8817      0.1959

alpha_pred  beta_true  beta_pred
0    0.0396    0.5313  0.532300
1    0.1237    6.3819  4.782500
2    0.0322   35.7539  35.583698
3    0.2387   14.3982  14.377900
4    0.2019   23.8728  23.775801

```

## 3.2. Standing Wave Comparison

- Predicted and true **Voltage/Current standing waves** plotted on the same axes.
- Excellent agreement observed, validating physical consistency of ML predictions.

## 4. Streamlit Interface

An interactive tool was developed using **Streamlit**:

- **Inputs:** R,L,G,C,f,ZL\_real,ZL\_imag,L.
- **Outputs:** Predicted fundamentals, analytically derived parameters, and Voltage/Current standing waves.
- Provides a practical demonstration of ML-based transmission line analytics.

R ( $\Omega/\text{m}$ )

0.10

-

+

L (H/m)

2.5e-7

-

+

G (S/m)

1.0e-4

-

+

C (F/m)

1.0e-10

-

+

Frequency (Hz)

1.0e+9

-

+

Load Resistance ( $\Omega$ )

75.00

-

+

Load Reactance ( $\Omega$ )

0.00

-

+

Line length (m)

2.00

-

+

Predict & Plot

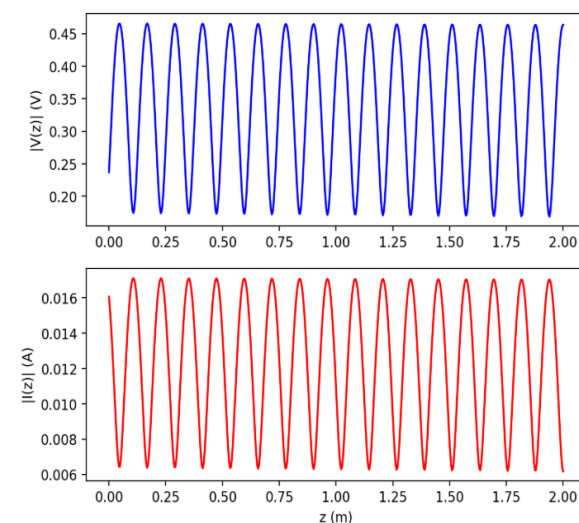
### Transmission Line Predictor

$Z_0 = 27.221 + j0.018$

$\alpha = 6.453\text{e-}03$ ,  $\beta = 2.573\text{e+}01$

$|\Gamma_{\text{max}}| = 0.4674$ ,  $\text{VSWR} = 2.755$

$v_p = 2.442\text{e+}08$  m/s,  $\lambda = 2.442\text{e-}01$  m,  $\tau = 8.189\text{e-}09$  s



## 5. Discussion

- Fundamentals predicted with  **$\geq 97\%$  accuracy** for  $\alpha$  and  $\beta$ , and  $>90\%$  for  $Z0\_real$  and  $Z0\_imag$ .
- Derived values reconstructed analytically are consistent and physically meaningful.
- Slightly lower performance in  $Z0\_imag$  arises due to its small magnitude and sensitivity to noise.
- The Streamlit interface makes the solution interactive and user-friendly.

## 6. Conclusion

- A coded algorithm and ML model were successfully implemented for transmission line analysis.
- Fundamentals were predicted with high accuracy.
- Derived values ( $\Gamma$ , VSWR,  $v_p$ ,  $\lambda$ ,  $\tau$ ) were computed consistently.
- The Streamlit app provides an easy-to-use interface for real-time analysis and visualization.

## 7. Future Work

- Increase dataset size for better generalization.
- Add physics-informed constraints to improve  $Z0\_imag$  stability.
- Extend Streamlit app with CSV/PDF export options.