

# Unsupervised multispectral image classification with genetic algorithms

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## 1. Introduction

Multi-spectral image classification is important procedure in remote sensing. Supervised classification requires a human analyst to provide training data for algorithm in order to infer the classifier. On the other as amount of data we get from satellitar imaging devices grows, so grows need for unsupervised classification, which requires almost no human work. Main problem of this algorithms is that they need to know in advance how many different clusters (we can think of them as 'types of terrain', like water, forest, field etc.) will there be on the picture, and this value is usually not known a priori. In this paper we present results of applying some genetic algorithms to this problem.

To test our work we used Landsat 7 multispectral images, containing data for 5 bands - from visible green to mid infrared. All the software was developed using Scala programming language and is attached to this report.

## 2. Definition of the problem and proposed solution

### 2.1. Chromosome representation

Our chromosome should be set of potential cluster centroids in multi-spectral space. Set size (length of the chromosome) will be selected form range  $[K_{min}, K_{max}]$  where  $K_{min}$  should be usually equal 2 (unless some special case is considered) and  $K_{max}$  must be selected manually according to experience. Each gene in the set will represent centroid, so it will be point in  $[0, 255]^B$ , where B is number of bands in our image. In our implementation chromosomes are collection of such points and length  $K_{max}$ , but every gene can also be equal to  $-1$  and represent invalid (non-existent) centroid. So for example individual

$$[(100, 100, 100, 100), -1, (5, 25, 125, 255), (123, 234, 134, 124), -1]$$

represents 3 centroids in four-dimentional multi-spectral space .

## 2.2. Mutation, crossover and selection

We decided to use standard well-known operators of mutation, crossover and *roulette wheel* selection.

Mutation will be applied with certain low probability to some genes, producing completely new random centroid in place of the mutated one. So for example we can have individual

$$[(100, 100, 100, 100), -1, (5, 25, 125, 255), (123, 234, 134, 124), -1]$$

which after mutation of the second gene can become

$$[(100, 100, 100, 100), (50, 75, 125, 200), (5, 25, 125, 255), (123, 234, 134, 124), -1]$$

Crossover shall pick random natural number  $k$  between 0 and  $K_{max}$ , divide each of two chromosomes into two parts: first of length  $k$  and second of length  $K_{max} - k$  and finally switch the second part of the chromosomes. So for example

$$\begin{aligned} \text{parent 1 : } & [(100, 100, 100, 100), -1, (5, 25, 125, 255), (123, 234, 134, 124), -1] \\ \text{parent 2 : } & [(34, 97, 160, 20), (199, 12, 64, 70), (63, 0, 49, 50), -1, (1, 99, 18, 77)] \end{aligned}$$

$$\downarrow k = 3$$

$$\begin{aligned} \text{child 1 : } & [(100, 100, 100, 100), -1, (5, 25, 125, 255), -1, (1, 99, 18, 77)] \\ \text{child 2 : } & [(34, 97, 160, 20), (199, 12, 64, 70), (63, 0, 49, 50), (123, 234, 134, 124), -1] \end{aligned}$$

## 2.3. Fitness function

K-Means algorithm is one of deterministic algorithms, that given set of observation vectors (vectors of brightness of image pixels in our case) creates set of specified size containing centroids for those vectors. We can use it's way of 'rating' sets generated in each iteration as our fitness function.

In K-Means algorithm each pixel is assigned to the closest cluster centroid. Our fitness function - K-Means Index (KMI) - will represent total variation of those assignments. KMI is computed as follows:

$$KMI = 1 / \left( \sum_{k=1}^K \sum_{i=1}^N \mu_{ik} \| x_i - \nu_k \|^2 \right)$$

where

$K$  is the number of clusters in chromosome,

$N$  is number of pixels in the image,

$\mu_{ik}$  is membership function of pixel  $X_i$  belonging to the  $k^{th}$  cluster and

$$\nu_k = \frac{\sum_{i=1}^N \mu_{ik} x_i}{\sum_{i=1}^N \mu_{ik}}$$

is average value of pixels in  $k^{th}$  cluster.

Other fitness function we can use is Xie-Beni's Index (XBI) which is not very different from KMI. Again, each pixel is assigned to the nearest cluster centroid. Then, however, we take  $d_{min}$  to be minimum distance between any two of chromosome's centroids. Finally, XBI value is calculated:

$$XBI = N \cdot d_{min}^2 / KMI = N \cdot d_{min}^2 / \left( \sum_{k=1}^K \sum_{i=1}^N \mu_{ik} \|x_i - \nu_k\|^2 \right)$$

### 3. Results of experiments