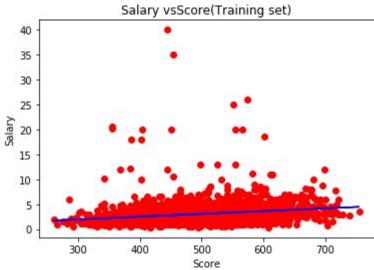
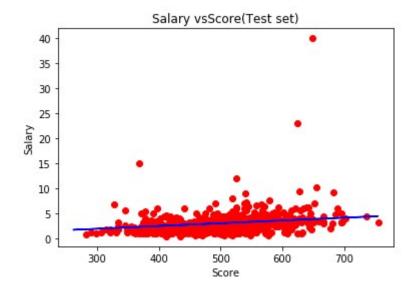
```
In [63]: import matplotlib.pyplot as plt
   ...: import pandas as pd
   ...: df=pd.read csv('G:\Data Analysis\output.csv')
   ...: df=df.dropna()
   ...: df["normalised score"]=(df.English+ df.Logical+df.Quant)/3
   \dots: X = df.iloc[:,[38]].values
   ...: y = df.iloc[:, 1].values
In [64]: from sklearn.model selection import train test split
   ...: X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.2,
random_state = 0)
   . . . :
   ...: from sklearn.linear model import LinearRegression
   ...: regressor = LinearRegression()
   ...: regressor.fit(X train, y train)
LinearRegression(copy X=True, fit intercept=True, n jobs=None,
       normalize=False)
In [65]: import statsmodels.api as sm
   ...: model1=sm.OLS(y_train,X_train)
   ...: result=model1.fit()
   ...: print(result.summary())
                     OLS Regression Results
______
                            y R-squared:
Dep. Variable:
                                                         0.690
Model:
                          OLS
                               Adj. R-squared:
                                                         0.690
Method:
                  Least Squares F-statistic:
                                                         5805.
Date:
                Sat, 06 Jul 2019 Prob (F-statistic):
                                                          0.00
                      19:13:19 Log-Likelihood:
                                                        -5609.2
Time:
No. Observations:
                          2604 AIC:
                                                      1.122e+04
Df Residuals:
                          2603
                               BIC:
                                                      1.123e+04
Df Model:
                           1
Covariance Type:
                     nonrobust
______
           coef std err t P>|t| [0.025 0.975]
______
          0.0061 7.99e-05 76.193 0.000 0.006
______
Omnibus:
                      3332.795 Durbin-Watson:
                                                         2.007
                         0.000 Jarque-Bera (JB):
Prob(Omnibus):
                                                     795802.112
                         6.820 Prob(JB):
Skew:
                                                          0.00
                        87.549 Cond. No.
                                                          1.00
______
Warnings:
[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.
In [66]: c=0
   ...: y_pred = regressor.predict(X_test)
   ...: for i in range(len(y_pred)):
          y_pred[i]=(y_pred[i]<=y_test[i]+2 and y_pred[i]>=y_test[i]-2)
          if(y pred[i]):
   . . . :
```

```
C+=1
    ...:
    ...: acc=float(c/len(y_test))
In [67]: plt.scatter(X_train, y_train, color = 'red')
    ...: plt.plot(X_train, regressor.predict(X_train), color = 'blue')
    ...: plt.title('Salary vsScore(Training set)')
    ...: plt.xlabel('Score')
    ...: plt.ylabel('Salary')
    ...: plt.show()
    ...:
    ...: plt.scatter(X_test, y_test, color = 'red')
    ...: plt.plot(X_train, regressor.predict(X_train), color = 'blue')
    ...: plt.title('Salary vsScore(Test set)')
    ...: plt.xlabel('Score')
    ...: plt.ylabel('Salary')
    ...: plt.show()
                  Salary vsScore(Training set)
   40
```





In [68]: acc

Out[68]: 0.8895705521472392

In [**69**]: