

# Written + Programming Assignment

kshiti j

srivastava

M718099

## Theory

### Ques 1.

$$(a) \exists x \exists y [muffin(x) \wedge chocolate(x) \wedge muffin(y) \wedge chocolate(y) \wedge x \neq y] \wedge \forall z [muffin(z) \wedge chocolate(z) \rightarrow (z=x \vee z=y)]$$

$$(b) \rightarrow \exists x \forall y [cat(x) \wedge smart\ rat(y) \wedge likes(x, y)]$$

likes(x, y): x likes y

(c) E(x): class average in English  
M(x): class average in Maths.

$$\forall x [E(x) \wedge M(x) \rightarrow E(x) > M(x)]$$

$$(d) \forall x [Diamond(x) \vee platinum(x)] \rightarrow precious(x)$$

(e) submit(x): submit assignments in course x

pass(x): pass with good grades in course x

~~$$\forall x [\neg submit(x) \rightarrow (submit(x) \rightarrow pass(x))]$$~~

$$\forall x [\neg submit(x) \rightarrow (submit(x) \rightarrow pass(x))]$$

(f) angry(x): x is angry

shark(x): x is a shark

hungry(x): x is hungry

whale(x): x is a whale

$$\forall x [(shark(x) \vee whale(x)) \wedge (angry(x) \vee hungry(x)) \rightarrow attack(x)]$$

attack(x): x attacks.

$$(g) \forall x [fish(x) \rightarrow swim(x)]$$

~~$$(h) Eat(x, t): \text{Mary can eat } x \text{ at time } t.$$~~

~~$$\exists x \forall t (Eat(x, t) \wedge \forall u \exists t (Eat(x, t) \wedge \rightarrow \exists x \forall t$$~~

Mary(x): x is Mary

Eat(x, y, t): x can eat y at time t

~~$$\exists y \forall t (Eat(Mary, t))$$~~

(v) Eat(y, t) : Mary can eat <sup>Candy</sup> y. at time t

$\exists y \forall t \text{ Eat}(y, t) \wedge \forall y \exists t \text{ Eat}(y, t) \wedge \forall y \forall t \rightarrow \text{Eat}(y, t)$

(i) fan(x) : x is a fan  
superhero(x) : x is a superhero  
likes(x, y) : x likes y  
killer(x) : x is a killer.

$\exists x \text{ fan}(x) \wedge \forall y \text{ superhero}(y) \wedge \text{likes}(x, y) \rightarrow \neg \text{killer}(y)$

(j) shopkeeper(x) : x is a shopkeeper

customer(x) : x is a customer

member(x) : x is a member

sells(x, y) : x sells to y

$\exists y \text{ shopkeeper}(y) \wedge \forall x \text{ customer}(x) \wedge \text{member}(x) \rightarrow \text{sells}(y, x)$

## Que-2.

Init (Object(Q)  $\wedge$  Object(x)  $\wedge$  V-armAt(Top-left)  $\wedge$  H-armAt(Bottom-right))

Goal (Object(Q)  $\wedge$   $\neg$  Object(x))

### Actions:

① Action Move-V-arm-Vertical (V-arm, vertical)

precondition: V-arm-AtRow(r)  $\wedge$  Row(r)  $\wedge$  Arm(v)

effect:  $\rightarrow$  V-arm-AtRow(r)

② Action Move-H-arm-Horizontal (H-arm, horizontal)

① Action Move-Arm (arm, direction):

precondition: ArmAt(c, r)  $\wedge$  Row(r)  $\wedge$  Column(c)

effect:  $\rightarrow$  ArmAt(c, r)



② Action Move-V-arm-Horizontal (V-arm, horizontal):  
 precondition:  $AtColumn(c) \wedge NoOfObjectsInGoalPosition(i) \wedge$   
 $ObjectAtGoalPosition(o) \wedge Object(o)$   
 effect:  $\rightarrow AtColumn(c)$

③ Action V-arm-burst-object (V-arm, object):  
 precondition:  $ObjectAt(c, r) \wedge V-armAt(c, r) \wedge Empty(V-arm)$   
 effect:  $\rightarrow ObjectAt(c, r) \wedge V-armAt(c, r) \wedge Empty(V-arm)$

④ Action H-arm-move-vertical (H-arm, vertical):  
 precondition:  $V-arm-obstructedAt(c, r) \wedge Row(r)$   
 effect:  $\rightarrow V-arm-obstructedAt(c, r) \wedge H-armAt(c, r)$

⑤ Action pick-object (arm, object):  
 precondition:  $ObjectAt(c, r) \wedge ArmAt(c, r) \wedge Empty(arm) \wedge$   
 $Object(o)$   
 effect:  $ArmAt(c, r) \wedge \neg Empty(arm)$

⑥ Action drop-object (arm, object):  
 precondition:  $ArmAt(c, r) \wedge EmptyAt(c, r) \wedge Object(o)$   
 $\wedge Arm(arm)$   
 effect:  $ArmAt(c, r) \wedge \neg EmptyAt(c, r)$



### Ques-3

Init ( Organising-Head (Kehiti)  $\wedge$  SeminarDate (date)  $\wedge$   
Organising Committee (committee)  $\wedge$  Lecturer (Professor X)  $\wedge$   
Venue (C102) )

### Actions:

① Action : Take-permission (department, for):

precondition: No Permission (department, for)  $\wedge$  Department (department)

effect:  $\rightarrow$  No Permission (department, for)

② Action : Invite (professor X):

precondition: professor Available At (date)

effect: professor Invited At (date)

③ Action : arrange funds (funds, from):

precondition: Need (funds)  $\wedge$  department (Accounts)

effect:  $\rightarrow$  Need (funds)

④ Action : make-announcement (about, by, to):

precondition: professor Invited (Professor X)  $\wedge$  Venue (C102)  $\wedge$   
funds Arranged (funds)

effect: made-announcement (seminar, mail, students)

⑤ Action : Lunch (professors):

precondition: professor Present (professors)  $\wedge$  professor hungry (prof)  
 $\wedge$  food Available (food)

effect:  $\rightarrow$  professor hungry (prof)

⑥ Action  $\text{getInternet}(\text{venue}, \text{IT})$ :

precondition:  $\text{checkInternet}(\text{venue}) \wedge \text{venue}(\text{C-102}) \wedge \text{department}(\text{IT})$

effect:  $\text{checkInternet}(\text{YES})$

⑦ Action  $\text{getEquipments}(\text{venue}, \text{fms})$ :

precondition:  $\text{department}(\text{fms}) \wedge \text{NoEquipmentsAt}(\text{venue})$

effect:  $\rightarrow \text{NoEquipmentsAt}(\text{venue})$

⑧ Action  $\text{cleanVenue}(\text{venue}, \text{fms})$ :

precondition:  $\text{NoCleanVenue}(\text{venue}) \wedge \text{department}(\text{fms})$

effect:  $\rightarrow \text{NoCleanVenue}(\text{venue})$

⑨ Action  $\text{fixTiming}(\text{date}, \text{Academics})$

precondition:  $\text{NoScheduleSeminar}(\text{date}) \wedge \text{department}(\text{Academics})$

effect:  $\rightarrow \text{NoScheduleSeminar}(\text{date})$

modul	submit	mark
modul	X v 9	1
modul	1 v 9	2
modul	2 v 9	3
modul	3 v 9	4
modul	4 v 9	5
modul	5 v 9	6
modul	6 v 9	7
modul	7 v 9	8
modul	8 v 9	9
modul	9 v 9	10



Query

①  $P(x) : x$  is a paratha

$C(x) : x$  is Chenopodium

$R(x) : x$  is Radish

$Eat(x) : I$  eat  $x$

$like(x) : I$  like  $x$

$hungry(x) : I$  sleep hungry

①  ~~$P(x) \rightarrow (C(x) \leftrightarrow R(x))$~~

①  $\forall x [P(x) \rightarrow (C(x) \leftrightarrow \neg R(x))]$

②  $\forall x [P(x) \wedge like(x) \rightarrow eat(x)]$

③ (a)  $\forall x [C(x) \leftrightarrow \neg R(x) \rightarrow \neg like(x)]$

(b)  $\neg like(x) \rightarrow \neg eat(x)$

④  $\neg eat(x)$

⑤  $\neg eat(x) \rightarrow hungry(x)$

Assuming, all predicates have been universally instantiated.

$[(C(x) \leftrightarrow \neg R(x))] \text{ as } X.$

steps	Formula	Derivation
1.	$\neg P \vee X$	given
2.	$\neg [P \wedge like] \vee E$	given
3.	$X \rightarrow \neg like$	given
4.	$\neg like \rightarrow \neg E$	given
5.	$eat$	negated conclusion
6.	$\neg P \vee \neg like$	1, 3 (Resolution)
7.	$\neg P$	2, 4 [Resolution: $\neg [P \wedge like] \vee E \rightarrow \neg P \vee \neg like$ ] ⑦ $like \vee \neg E$
8.	$\neg like$	6, 7
9.	$\neg E$	4, 8
10.	empty clause.	5, 9 Indicates Contradiction.

- The empty clause contradicts our assumption, i.e.,  $\neg$  ~~did~~ didn't cost anything.
- Hence, I will sleep hungry. (from ⑤)