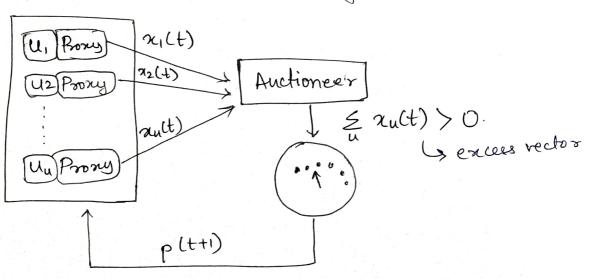
1. Describe using Schematics, the ASCA Combination Auction algo.

\* Ascending Clock Analion CASCA) - The current price for each resource is presented by a "clock" seen by all farticipants at the auction.

\* The algorithm involves user bidding in multiple rounds; to address this problem, the user provies automatically adjust their demands on behalf of the actual bidders.

\* schematice of ASCA algo; to allow for a single round auction users are represented by proxies which place the biols xu(t).

In that case, it raises the praire of the resources for which the demand exceeds the supply and requests new bide.

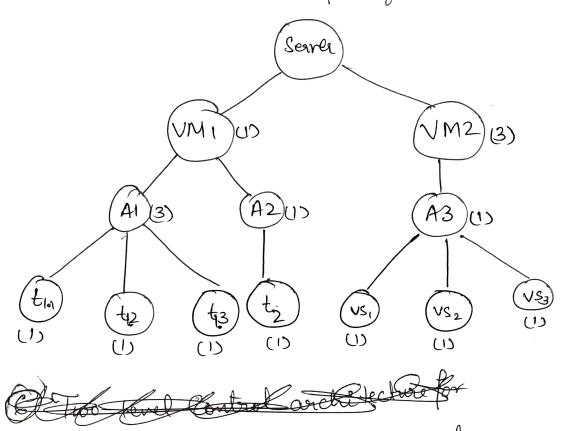


\* If all its components are -ve, the auction stops. \* - ve components mean demand doesn't enceed the offer.

Q I Mustrate how condition forby autonomic system can be utilized for cloud resource management. (3) Policies for Cloud Resource Management. -> Policies can be grouped into 5 classes. 1. Admission control 2. Capacity allocation 3. Load balancing 4. Energy optimization 5. Quality-of-Service (QoS) quarantees. -> Admission Control - prevent the eystem from accepting workload in violation of high-tevel system policies. -> Capacity allocation - allocate resources for individual activations of a service. -> Load balancing - distribute the workload evenly among the -> Energy optimization - minimization of energy consumption. → QoS Guarantees - ability to saliefy timing or other conditions specified by a Service Level Agreement (SLA). \* Mechanisms to implement CRM: 1. Control theory - uses the feedback to guarantee system.
Stability and predict transient behaviour.

& Machine Learning - doesn't need & a performance model of system. 3. Utility Based - sequire a performance model and a mechanism to correlate user-tevel performance with cost. 4. Market-oriented/economic-don't regime a model of the system, eg., combination al auctions for bundles of resources.

Conditions of pricing and allocation algorithms -> A poicing & allocation algorithm partitions the set of users in two disjoint sets, winners & losers. -> Conditions are as follows: 1. Be computationally tractable. 15 Traditional combinatorial auction (VLE) are not computationally 2. Scale well - given the scale of the system. & the no. of requests for service, scalability is a necessary cond. 3. Be objective - partitioning in winners & losere should only be based on the price of a user's bid; of the price exceeds the threshold, then the custer of winner, otherwise a Coster. 4. Be fair - make sure that the prices are uniform, all winners within a given resource pool pay the same price 5. Indicate clearly at the end of the auction the unit prices 6. Indicate clearly to all participants the relationship bywo the supply 84 the demand in the system. (5) Start-Time Fair Quering (Describe+ Humerica) -> Organize the consumers of the CPU bound width in a tree structure -> The good node is the processor & the leaves of this tree are the threads of each application. when a virtual machine is not active, its bandwidth is reallocated to the other VMs active at the time when one pof the appl's of a VM's not active, its allocation is transferred to the applie running on the same VM. \* If one of the threads of an appl" is not sunable, then its allocation is transferred to the other threads of the app \* Eg: SPQ tree for scheduling when two virtual machines VM. & VM2 gun on a ponerful server.



-> SFQ Scheduler follows some rules-

1. The threads are serviced in the order of their virtual startup time; tien are broken arbitrarily

2. The virtual startup time of the i-th activation of thread

$$x$$
 is:  $S_{\alpha}^{i}(t) = \max \left[ y(T^{i}).F_{\alpha}^{(i+)}(t) \right] \text{ and } S_{\alpha}^{i} = 0$ 

The cond for thread i to be started is that thread (i-1) has finished & that scheduler is active.

3. The virtual finish time of the ith activation of thread is in the condition of thread is in the condition of thread in the condition of thread is in the condition of thread in the condition of thread is in the condition of thread in the condition of thread is in the condition of thread in the condition of thread in the condition of thread is the condition of thread in the condition of thread in the condition of thread is active.

3. The virtual finish time of the interest of thread is active.

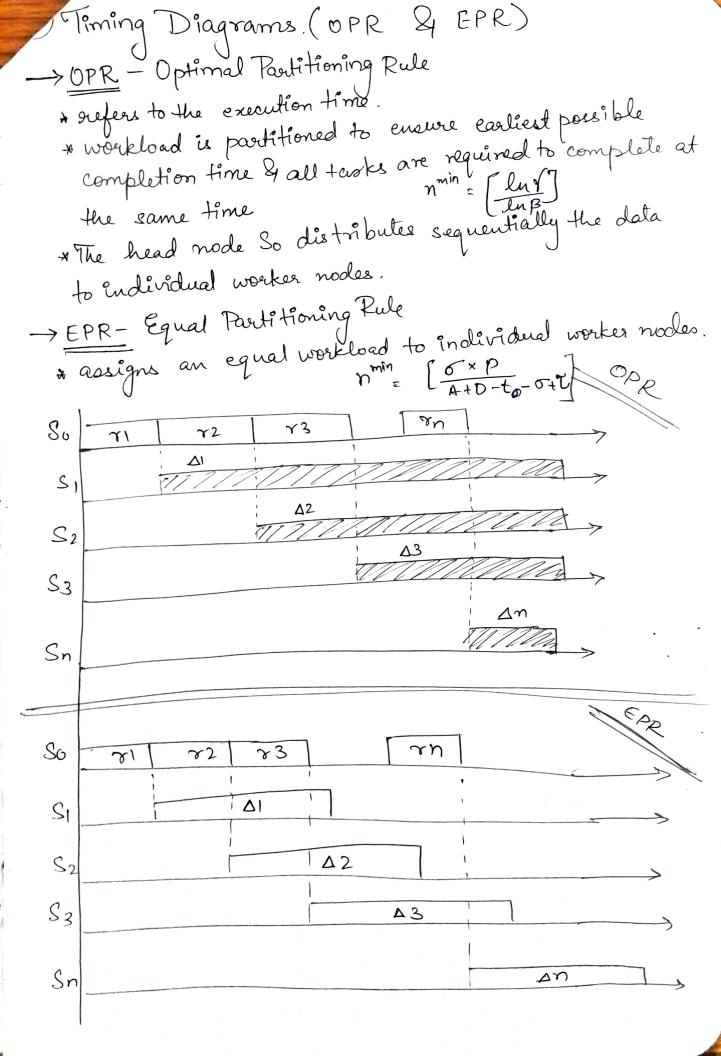
4. The cond for thread is active.

4. The virtual finish time of the interest of thread is active.

9. The virtual finish time of the interest of thread is active.

4. The vertual time of all threads is initially 0,  $v_n = 0$ V(t)= [ rirtual start time of thread inservice, if crois busy.

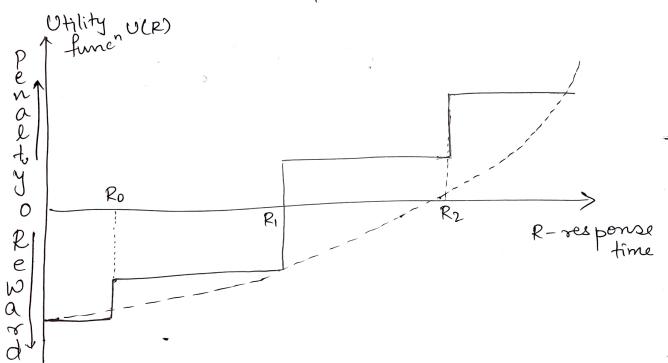
V(t)= [ max. finish virtual time of an time, if crois idle



(8) Illustrate utility func when the performance metric is response time.

-> Utility function Up(R,P) is a funct of the response termeR and the power P and it can be of the form:  $Upp(R,P) = U(R) - E \times P \otimes ...$ 

Upp (R,P) = UCR)
P.



\*The ultility function a series of step function with gumps corresponding to the response time,  $R = R_0 |R_1| R_2$ , when the resource  $R_1 = R_2 |R_1| R_2$ , according to the SLA.

\* Dotted time shows a quadratic approximation of the utility function

Illustrate how control theory principles could be used for optional resource allocation. -> Control Theory Principles for optimal resource allocation \* Optimal control generates a sequence of control inputs over a look ahead houizon while estimating changes in operating change conditions. \* A convex cost func has arguments n(k), the state at stepk, and u(k), the cord rel vector; this cost funct is minimized, subject to the constraints imposed by the system dynamics. \* The discrete-time optimal control problem is to determine the sequence of control variables u(i), u(i+1)...,u(n-1) to minimize the engression J(i)= \$ (n, x(n)) + \frac{mt}{E} \( \lambda (x(k). U(k)) \)  $\phi(n, x(n) \rightarrow cost func^n)$  of final step n. Lk(x(k).u(k)) -> time varying cost func' at intermediate stepts \* The maximization "is subject to the constraints. x(k+1)= fk(x(k),u(k)) x(k+1) -> system state at time k+1  $u(k) \rightarrow input at time k.$ x(k) → system state at timek fr -> time-varying function (thus superscript).

