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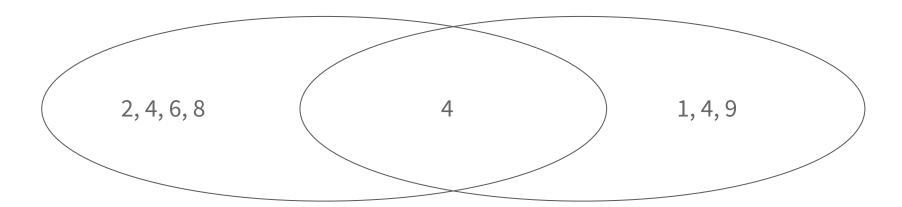
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#### What is a Set?

- In mathematics, a set is a well-defined collection of distinct objects
  - Set of even positive numbers less than 10: 2, 4, 6, 8
  - Set of perfect squares less than 10: 1, 4, 9
  - Intersection of these two sets: the number 4



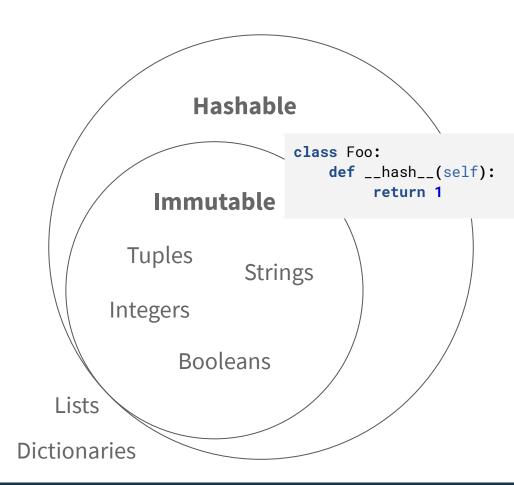
### What is a Set in Python?

- Python's built-in set type has the following characteristics:
  - Sets are unordered
  - Set elements are unique and duplicate elements are not allowed
  - A set itself may be modified, but the elements contained in the set must be hashable



#### Immutable vs Hashable

- Immutable A type of object that cannot be modified after it was created.
- Hashable A type of object that you can call hash() on.
- All immutable objects are hashable, but not all hashable objects are immutable.
- Python Sets can only include hashable objects.





# **Immutable vs Hashable - Live Coding**



# **Defining a Set in Python - Live Coding**



### **Operating on a Set - Length**

- len(x)
  - Computes the length of a set
  - Argument need to be an iterable (sets are iterables)

```
>>> a = {1, 1, 2}
>>> len(a)
2
>>> a
{1, 2}
>>> len(set())
>>> b = {(1, 2), 2}
>>> len(b)
2
```

#### **Operating on a Set - Membership**

- <elem> in x
  - Returns a boolean which indicates if an element exists in a set
  - x has to be an iterable (sets are iterables)

```
>>> x = {'foo', 'bar'}
>>> 'foo' in x
True
>>> 'baz' in x
False
>>> 'baz' not in x
True
>>> not 'baz' in x
True
```



#### **Operating on a Set - Iteration**

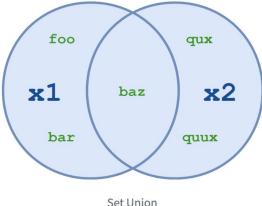
- You can iterate over a set using the same syntax as you would a list or tuple
  - Note you cannot slice or index sets (they're not ordered)

```
>>> x = {'foo', 'bar', 'baz'}
>>> for elem in x:
... print(elem)
baz
foo
bar
>>> x[0]
TypeError: 'set' object is not subscriptable
>>> x[1:]
TypeError: 'set' object is not subscriptable
```



### **Operating on a Set - Union**

- Union of multiple sets is the set of all the elements in all sets
  - o x1.union(x2[, x3 ...])
    - Arguments need to be iterables
    - This is called a method
  - o x1 | x2 [| x3 ...]
    - Operands need to be sets
    - This is called a operator



#### **Operating on a Set - Union**

```
>>> x1 = {'foo', 'bar', 'baz'}
>>> x2 = {'baz', 'qux', 'quux'}
>>> x1 | x2
{'bar', 'baz', 'foo', 'quux', 'qux'}
>>> x1.union(x2)
{'bar', 'baz', 'foo', 'quux', 'qux'}
>>> x1.union(('baz', 'qux', 'quux'))
{'bar', 'baz', 'foo', 'quux', 'qux'}
>>> x1 | ('baz', 'qux', 'quux')
TypeError: unsupported operand type(s) for |: 'set' and 'tuple'
```

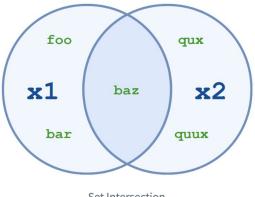


### **Operating on a Set - Union**

```
>>> a = {1, 2, 3, 4}
>>> b = {2, 3, 4, 5}
>>> c = \{3, 4, 5, 6\}
>>> d = {4, 5, 6, 7}
>>> a.union(b, c, d)
{1, 2, 3, 4, 5, 6, 7}
>>> a | b | c | d
{1, 2, 3, 4, 5, 6, 7}
```

#### **Operating on a Set - Intersection**

- The intersection of multiple sets is the set of only the elements that exist in all sets
  - x1.intersection(x2[, x3 ...])
    - Arguments need to be iterables
  - o x1 & x2 [& x3 ...]
    - Operands need to be sets



#### **Operating on a Set - Intersection**

```
>>> x1 = {'foo', 'bar', 'baz'}
>>> x2 = {'baz', 'qux', 'quux'}

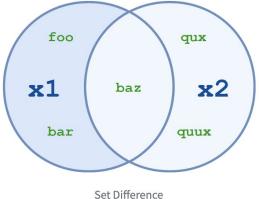
>>> x1.intersection(x2)
{'baz'}

>>> x1 & x2
{'baz'}
```

#### **Operating on a Set - Intersection**

```
>>> a = {1, 2, 3, 4}
>>> b = {2, 3, 4, 5}
>>> c = \{3, 4, 5, 6\}
>>> d = {4, 5, 6, 7}
>>> a.intersection(b, c, d)
{4}
>>> a & b & c & d
{4}
```

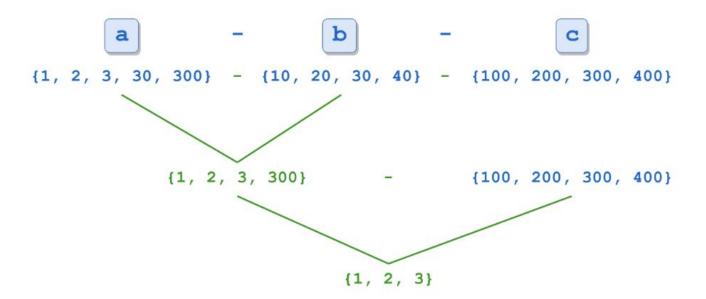
- The difference of multiple sets is the set of only the elements that exist in the first set but not in any of the rest
  - x1.difference(x2[, x3 ...])
    - Arguments need to be iterables
  - o x1 x2 [- x3 ...]
    - Operands need to be sets



```
>>> x1 = {'foo', 'bar', 'baz'}
>>> x2 = {'baz', 'qux', 'quux'}
>>> x1.difference(x2)
{'foo', 'bar'}
>>> x1 - x2
{'foo', 'bar'}
```

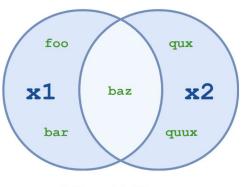
```
>>> a = {1, 2, 3, 30, 300}
>>> b = {10, 20, 30, 40}
>>> c = {100, 200, 300, 400}
>>> a.difference(b, c)
{1, 2, 3}
>>> a - b - c
{1, 2, 3}
```

This operation is evaluated left to right



### **Operating on a Set - Symmetric Difference**

- The symmetric difference of multiple sets is the set of only the elements that exist in a single set, but not in multiple
  - o x1.symmetric\_difference(x2)
    - Argument need to be iterable
    - Only works with one argument
  - o x1 ^ x2 [^ x3 ...]
    - Operands need to be sets
    - Works with multiple sets



Set Symmetric Difference



#### **Operating on a Set - Symmetric Difference**

```
>>> x1 = {'foo', 'bar', 'baz'}
>>> x2 = {'baz', 'qux', 'quux'}
>>> x1.symmetric_difference(x2)
{'foo', 'qux', 'quux', 'bar'}
>>> x1 ^ x2
{'foo', 'qux', 'quux', 'bar'}
>>> x3 = {'bar', 'baz'}
>>> x1.symmetric_difference(x2, x3)
TypeError: symmetric_difference() takes exactly one argument (2 given)
```



#### **Operating on a Set - Symmetric Difference**

```
>>> a = {1, 2, 3, 4, 5}

>>> b = {10, 2, 3, 4, 50}

>>> c = {1, 50, 100}

>>> a ^ b ^ c

{100, 5, 10}
```

## **Operating on a Set - Is Disjoint**

- Determines whether or not two sets have any elements in common.
  - o x1.isdisjoint(x2)
    - Only works with one argument (comparing two sets)
      - Argument needs to be iterable
  - No corresponding operator



### **Operating on a Set - Is Disjoint**

```
>>> x1 = {'foo', 'bar', 'baz'}
>>> x2 = {'baz', 'qux', 'quux'}
>>> x1.isdisjoint(x2)
False
>>> x2 - {'baz'}
{'quux', 'qux'}
>>> x1.isdisjoint(x2 - {'baz'})
True
```

### **Operating on a Set - Is Disjoint**

```
>>> x1 = {1, 3, 5}
>>> x2 = {2, 4, 6}
>>> x1.isdisjoint(x2)
True
>>> x1 & x2 # if x1 and x2 are disjoint, intersection is empty set
set()
```

#### **Operating on a Set - Is Subset**

- A set is considered a subset of another set if every element of the first set is in the second
  - o x1.issubset(x2)
    - Argument need to be an iterable
  - o x1 <= x2 [<= x3 ...]
    - Operands need to be sets
    - Works with multiple sets and compares if each set is a subset of all the rest of the sets to the right

## **Operating on a Set - Is Subset**

```
>>> x = {'foo', 'bar'}
>>> x.issubset({'foo', 'bar', 'baz'})
True
>>> x.issubset(x)
True
```

#### **Operating on a Set - Is Subset**

```
>>> a = {1}
>>> b = \{1, 2\}
>>> c = \{1, 2, 3\}
>>> d = {1, 2, 4}
>>> a <= b
True
>>> b <= c
True
>>> a <= b <= c
True
>>> a <= b <= d
True
>>> a <= c <= d
False
```



### **Operating on a Set - Is Proper Subset**

- Proper subset is the same as subset except sets can't be identical
  - No corresponding method
  - $\circ$  x1 < x2 [< x3 ...]
    - Operands need to be sets
    - Works with multiple sets and compares if each set is a proper subset of all the rest of the sets to the right
  - x1 < x1 would return False while x1 <= x1 would return True.</li>



#### **Operating on a Set - Is Superset**

- A set is considered a superset of another set if the first set contains every element of the second set
  - o x1.issuperset(x2)
    - Argument need to be an iterable
  - $\circ$  x1 >= x2 [>= x3 ...]
    - Operands need to be sets
    - Works with multiple sets and compares if each set is a superset of all the rest of the sets to the right

#### **Operating on a Set - Is Superset**

```
>>> x = {'foo', 'bar', 'baz'}
>>> x.issuperset({'foo', 'bar'})
True
>>> x.issuperset(x)
True
```



#### **Operating on a Set - Is Superset**

```
>>> a = {1}
>>> b = {1, 2}
>>> c = \{1, 2, 3\}
>>> d = {1, 2, 4}
>>> b >= a
True
>>> c >= b
True
>>> c >= b >= a
True
>>> d >= b >= a
True
>>> d >= c >= a
False
```

#### **Operating on a Set - Is Proper Superset**

- Proper superset is the same as superset except sets can't be identical
  - No corresponding method
  - $\circ$  x1 > x2 [> x3 ...]
    - Operands need to be sets
    - Works with multiple sets and compares if each set is a proper superset of all the rest of the sets to the right
  - $\circ$  x1 > x1 would return False while x1 >= x1 would return True.



### **Modifying a Set - Add**

- x.add(<elem>)
  - Adds an element to a set.
  - <elem> must be hashable or else throws error

```
>>> x = {'foo', 'bar', 'baz'}
>>> x.add('qux')
>>> x
{'bar', 'baz', 'foo', 'qux'}
>>> x.add({'quix'})
TypeError: unhashable type: 'set'
```



#### **Modifying a Set - Remove**

- Removes an element to a set.
  - o x.remove(<elem>)
    - <elem> must exist in set or else throws error

```
>>> x = {'foo', 'bar', 'baz'}
>>> x.remove('baz')
>>> x
{'bar', 'foo'}
>>> x.remove('qux')
KeyError: 'qux'
```

### **Modifying a Set - Discard**

- Removes an element to a set.
  - o x.discard(<elem>)
    - Removes <elem> from set. If <elem> does not exist, do nothing.

```
>>> x = {'foo', 'bar', 'baz'}
>>> x.discard('baz')
>>> x
{'bar', 'foo'}
>>> x.discard('qux')
>>> x
{'bar', 'foo'}
```

# **Modifying a Set - Pop**

- Removes and returns a random element from a set.
  - x.pop() if x is empty,raise an exception

```
>>> x = {'foo', 'bar', 'baz'}
>>> x.pop()
'bar'
>>> x
{'baz', 'foo'}
>>> x.pop()
'baz'
```

# **Modifying a Set - Pop**

```
>>> X
{'foo'}
>>> x.pop()
'foo'
>>> X
set()
>>> x.pop()
KeyError: 'pop from an empty set'
```

### **Modifying a Set - Clear**

Removes all elements from a setx.clear()

```
>>> x = {'foo', 'bar', 'baz'}
>>> X
{'foo', 'bar', 'baz'}
>>> x.clear()
>>> X
set()
>>> x.clear()
>>> X
set()
```

# **Modifying a Set - Update**

- Modify a set by adding any elements that do not already exist. Similar to union
  - o x1.update(x2[, x3...])
    - Arguments need to be iterables
    - This is called a method (uses dot notation)
  - $\circ$  x1 |= x2 [| x3 ...]
    - Operands need to be sets
    - This is called augmented assignment



### **Modifying a Set - Update**

```
>>> x1 = {'foo', 'bar', 'baz'}
>>> x2 = {'foo', 'baz', 'qux'}
>>> x1 |= x2
>>> x1
{'qux', 'foo', 'bar', 'baz'}
>>> x1.update(['corge', 'garply'])
>>> x1
{'qux', 'corge', 'garply', 'foo', 'bar', 'baz'}
```

### **Modifying a Set - Intersection Update**

- Modify a set by retaining only elements found in both sets
  - o x1.intersection\_update(x2[, x3...])
    - Arguments need to be iterables
  - o x1 &= x2 [& x3 ...]
    - Operands need to be sets

#### **Modifying a Set - Intersection Update**

```
>>> x1 = {'foo', 'bar', 'baz'}
>>> x2 = {'foo', 'baz', 'qux'}
>>> x1 &= x2
>>> x1
{'foo', 'baz'}
>>> x1.intersection_update(['baz', 'qux'])
>>> x1
{ 'baz ' }
```

#### **Modifying a Set - Difference Update**

 Modify a set by keeping only elements that exist in the first set, not any of the rest

```
o x1.difference_update(x2[, x3...])
```

- Arguments need to be iterables
- $\circ$  x1 -= x2 [| x3 ...]
  - Operands need to be sets
  - Note how there is a | between multiple operands. This will mutate x1 by checking union-ing all sets x2, x3..., and removing any elements from x1 that exist in the union.
  - $\blacksquare$  x1 -= x2 [- x3 ...], won't do this...



#### **Modifying a Set - Difference Update**

```
>>> a = {1, 2, 3}
                                       >>> a = {1, 2, 3} # reset a
>>> b = \{2\}
                                       >>> a -= b | c # need union
>>> c = \{3\}
                                       >>> a
                                       {1}
>>> a.difference_update(b, c)
                                       >>> a = {1, 2, 3} # reset a
>>> a
{1}
                                       >>> a -= b - c
                                       >>> a
                                       {1, 3}
```

### **Modifying a Set - Symmetric Difference Update**

- Modify a set by keeping only the elements that exist in a single set, but not in multiple
  - x1.symmetric\_difference\_update(x2)
    - Argument needs to be an iterable
    - Only takes in one argument
  - o x1 ^= x2 [^ x3 ...]
    - Operands need to be sets
    - Works on multiple sets and will mutate x1 to include all elements found in either any of the sets but not in multiple sets



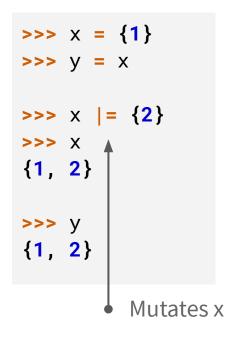
#### **Modifying a Set - Symmetric Difference Update**

```
>>> a = {1, 2, 3}
>>> b = \{3, 4, 5\}
>>> c = \{1, 5, 6\}
>>> a.symmetric_difference_update(b)
>>> a
{1, 2, 4, 5}
>>> a = {1, 2, 3} # reset a
>>> a ^= b ^ c
>>> a
{2, 4, 6}
```

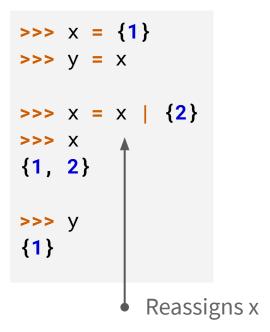
# **Modifying a Set - Augmented Assignment**

- Many of the modifying set methods have a corresponding augmented assignment
  - &= or -= or ^= for example
  - These are **not** the same as their expanded out counterparts
  - $\circ$  Ex.
    - $\times$  &= {1} is **not** the same as  $x = x & {1}$

### **Modifying a Set - Augmented Assignment**



VS





# **Frozen Sets - Live Coding**

#### **Frozen Sets - Augmented Assignment**

- Augmented assignment works differently for normal sets and frozen sets
  - &= or -= or ^= for example
  - For frozen sets these are the same as their expanded out counterparts
  - o Ex.
    - $x \&= \{1\}$  is the same as  $x = x \& \{1\}$



#### **Frozen Sets - Augmented Assignment**

```
>>> x = frozenset({1})
>>> y = X
>>> x |= {2}
>>> X
                             VS
frozenset({1, 2})
>>> y
frozenset({1})
```

```
Reassigns x
```

```
>>> x = frozenset({1})
>>> y = X
>>> x = x | \{2\}
>>> X
frozenset({1, 2})
>>> Y
frozenset({1})
```

Reassigns x



### **Conclusion - Why Sets?**

- Sometimes you only care about unique values and don't need your data structure to be ordered
- You can do some cool operations very easily (union, symmetric difference, add, difference update)
- Sets are also very fast
  - You can check for membership almost instantly! Let's see how it compares with lists and tuples.



# **Speed Test - Live Coding**