5.284 not_in

DESCRIPTION LINKS GRAPH AUTOMATON

Origin Derived from in.

Constraint not_in(VAR, VALUES)

Arguments VAR : dvar

VALUES : collection(val-int)

Restrictions required(VALUES, val)

distinct(VALUES, val)

Purpose Enforce VAR to be assigned a value different from the values of the VALUES collection.

Example $(2,\langle 1,3\rangle)$

The constraint not_in holds since the value of its first argument VAR = 2 does not occur within the collection $\langle 1, 3 \rangle$.

Typical |VALUES| > 1

Symmetries • Items of VALUES are permutable.

 One and the same constant can be added to VAR as well as to the val attribute of all items of VALUES.

Arg. properties

Contractible wrt. VALUES.

Remark Entailment occurs immediately after posting this constraint and removing all values in

VALUES from VAR.

Systems not Member in Choco, rel in Gecode.

Used in group.

See also negation: in.

Keywords characteristic of a constraint: disequality, automaton, automaton without counters,

reified automaton constraint, derived collection.

constraint arguments: unary constraint.

constraint network structure: centered cyclic(1) constraint network(1).

constraint type: value constraint.filtering: arc-consistency, entailment.modelling: excluded, domain definition.

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 Derived Collection
 col(VARIABLES-collection(var-dvar), [item(var - VAR)])

 Arc input(s)
 VARIABLES VALUES

 Arc generator
 PRODUCT→collection(variables, values)

 Arc arity
 2

 Arc constraint(s)
 variables.var = values.val

 Graph property(ies)
 NARC= 0

Graph model

Figure 5.611 shows the initial graph associated with the **Example** slot. Since we use the NARC = 0 graph property the corresponding final graph is empty.

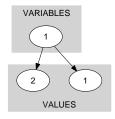


Figure 5.611: Initial graph of the not_in constraint (the final graph is empty)

Signature

Since 0 is the smallest number of arcs of the final graph we can rewrite $\mathbf{NARC} = 0$ to $\mathbf{NARC} \leq 0$. This leads to simplify $\overline{\mathbf{NARC}}$ to $\overline{\mathbf{NARC}}$.

Automaton

Figure 5.612 depicts the automaton associated with the not_in constraint. Let VAL_i be the val attribute of the i^{th} item of the VALUES collection. To each pair (VAR, VAL_i) corresponds a 0-1 signature variable S_i as well as the following signature constraint: $VAR = VAL_i \Leftrightarrow S_i$.



Figure 5.612: Automaton of the not_in constraint

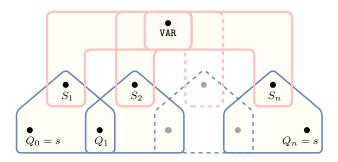


Figure 5.613: Hypergraph of the reformulation corresponding to the automaton of the not_in constraint

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