

## 5.158 gcd

	DESCRIPTION	LINKS
Origin	[137]	
Constraint	$\text{gcd}(X, Y, Z)$	
Arguments	$X$ : dvar $Y$ : dvar $Z$ : dvar	
Restrictions	$X > 0$ $Y > 0$ $Z > 0$	
Purpose	Enforce the fact that $Z$ is the greatest common divisor of $X$ and $Y$ .	
Example	<div>(24, 60, 12)</div> <p>The gcd constraint holds since 12 is the greatest common divisor of 24 and 60.</p>	
Typical	$X > 1$ $Y > 1$	
Symmetry	Arguments are <a href="#">permutable</a> w.r.t. permutation $(X, Y) (Z)$ .	
Arg. properties	<a href="#">Functional dependency</a> : $X$ determined by $Y$ and $Z$ .	
Algorithm	In [137] a filtering algorithm for the gcd constraint was automatically derived from the Euclidian algorithm by using constructive disjunction and <a href="#">abstract interpretation</a> in order to approximate the behaviour of the while loop of the Euclidian algorithm.	
See also	<b>common keyword:</b> <a href="#">power</a> ( <i>abstract interpretation</i> ).	
Keywords	<b>constraint arguments:</b> ternary constraint, pure functional dependency. <b>constraint type:</b> arithmetic constraint, predefined constraint. <b>filtering:</b> abstract interpretation. <b>modelling:</b> functional dependency.	

