5.203 inverse_within_range

DESCRIPTION LINKS GRAPH

Origin Derived from inverse.

Constraint $inverse_within_range(X, Y)$

Synonyms inverse_in_range, inverse_range.

Arguments X : collection(var-dvar) Y : collection(var-dvar)

Restrictions required(X, var) required(Y, var)

If the i^{th} variable of the collection X is assigned to j and if j is greater than or equal to 1 and less than or equal to the number of items of the collection Y then the j^{th} variable of the collection Y is assigned to i.

Conversely, if the j^{th} variable of the collection Y is assigned to i and if i is greater than or equal to 1 and less than or equal to the number of items of the collection X then the i^{th} variable of the collection X is assigned to j.

Example $(\langle 9,4,2\rangle, \langle 9,3,9,2\rangle)$

Since the second item of X is assigned to 4, the fourth item of Y is assigned to 2. Similarly, since the third item of X is assigned to 2, the second item of Y is assigned to 3. Figure 5.471 illustrates the correspondence between X and Y.

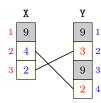


Figure 5.471: Correspondence between the items of $X = \langle 9,4,2 \rangle$ and the items of $Y = \langle 9,3,9,2 \rangle$: on the X side values between 1 and |Y| = 4 are shown in blue, on the Y side values between 1 and |X| = 3 are shown in red.

 $|\mathtt{X}| > 1$ $|\mathtt{range}(\mathtt{X}.\mathtt{var}) > 1$ $|\mathtt{Y}| > 1$ $|\mathtt{range}(\mathtt{Y}.\mathtt{var}) > 1$

Purpose

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Symmetry

Arguments are permutable w.r.t. permutation (X, Y).

Usage

Consider an integer value m and a sequence of n variables S from which you have to select a subsequence S^\prime such that:

- All variables of S' have to be assigned to distinct values from [1, m],
- All variables not in S' have to be assigned a value, not necessarily distinct, outside [1,m].

As for the **inverse** constraint we may want to create explicitly a *value variable* for each value in [1,m] in order to state some specific constraints on the *value variables* or to use a heuristics involving the original variables of S as well as the *value variables*. The purpose of the <code>inverse_within_range</code> constraint is to link the variables of S with the *value variables*.

See also

common keyword: inverse_set(channelling constraint).

specialisation: inverse (the 2 collections have not necessarly the same number of items).

Keywords

constraint type: graph constraint.

final graph structure: bipartite, no loop, symmetric.

heuristics: heuristics.

modelling: channelling constraint, dual model.

Arc input(s) X Y

Arc generator $SYMMETRIC_PRODUCT \mapsto collection(s1, s2)$

Arc arity 2

Arc constraint(s) s1.var = s2.key

Graph class • BIPARTITE

• NO_LOOP

• SYMMETRIC

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