assignment

June 19, 2025

0.1 Melio Data Classifiability Assignment

```
import os
import random

import pandas as pd
import numpy as np

from scipy.stats import f_oneway
import matplotlib.pyplot as plt

from statsmodels.stats.multicomp import pairwise_tukeyhsd
from itertools import combinations

from sklearn.model_selection import train_test_split
from sklearn.ensemble import RandomForestClassifier
from sklearn.metrics import accuracy_score, precision_score, recall_score,

of1_score, classification_report, confusion_matrix
import seaborn as sns
```

0.1.1 1) Loading and Preprocessing the data

```
[269]: # Path to the directory containing CSV files
    data_path = './data/melt-csv-sample'
    file_names = [f for f in os.listdir(data_path) if f.endswith('.csv')]
    print("File names found:", file_names)

dataframes = [pd.read_csv(os.path.join(data_path, file)) for file in file_names]

for i, df in enumerate(dataframes):
    print(f"Class {i+1} shape: {df.shape}")

File names found: ['EOAP4Q_C49A_WellDetails.csv', 'EOAGDE_C18A_WellDetails.csv',
    'EOA9Y6_C15B_WellDetails.csv', 'EOBFFI_C46A_WellDetails.csv',
    'EOALTB_C10A_WellDetails.csv']
Class 1 shape: (500, 2202)
Class 2 shape: (500, 802)
Class 3 shape: (500, 1586)
```

```
Class 5 shape: (500, 1202)
[270]: # check for missing values and drop columns with no values at all
       for df in dataframes:
           if df.isnull().values.any():
               print("Missing values found in DataFrame. Dropping columns with all NaN_{\sqcup}
        ⇔values.")
               df.dropna(axis=1, how='all', inplace=True)
           else:
               print("No missing values found in DataFrame.")
       print("\n")
       # check for missing values in each DataFrame
       for i, df in enumerate(dataframes):
           missing_values = df.isnull().sum()
           if missing_values.any():
               print(f"Class {i+1} has missing values:")
               print(missing_values[missing_values > 0])
               print(f"Class {i+1} has no missing values.")
       print("\n")
       for i, df in enumerate(dataframes):
           print(f"Class {i+1} shape: {df.shape}")
      Missing values found in DataFrame. Dropping columns with all NaN values.
      Missing values found in DataFrame. Dropping columns with all NaN values.
      Missing values found in DataFrame. Dropping columns with all NaN values.
      Missing values found in DataFrame. Dropping columns with all NaN values.
      Missing values found in DataFrame. Dropping columns with all NaN values.
      Class 1 has no missing values.
      Class 2 has no missing values.
      Class 3 has no missing values.
      Class 4 has no missing values.
      Class 5 has no missing values.
      Class 1 shape: (500, 1013)
      Class 2 shape: (500, 801)
      Class 3 shape: (500, 1585)
      Class 4 shape: (500, 1001)
      Class 5 shape: (500, 1001)
[271]: # check for unique column names in each DataFrame
       for i, df in enumerate(dataframes):
```

Class 4 shape: (500, 1002)

```
unique_cols = df.columns.nunique()
           total_cols = len(df.columns)
           if unique_cols < total_cols:</pre>
               print(f"Class {i+1} has duplicate column names.")
           else:
               print(f"Class {i+1} has all unique column names.")
      Class 1 has all unique column names.
      Class 2 has all unique column names.
      Class 3 has all unique column names.
      Class 4 has all unique column names.
      Class 5 has all unique column names.
[272]: # Change column series to row series for downstream processing
       for i, df in enumerate(dataframes):
           dataframes[i] = df.T
           dataframes[i].columns = dataframes[i].iloc[0] # Set the first row asu
        →the header
           dataframes[i] = dataframes[i][1:]
                                                             # Drop the first row from
        \rightarrow data
       print("\n")
       for i, df in enumerate(dataframes):
           print(f"Class {i+1} shape: {df.shape}")
      Class 1 shape: (1012, 500)
      Class 2 shape: (800, 500)
      Class 3 shape: (1584, 500)
      Class 4 shape: (1000, 500)
      Class 5 shape: (1000, 500)
      0.1.2 2) EDA and Visualization
[273]: class_names = []
       for df in dataframes:
           class_name = df.columns.name
           if class_name is not None:
               class_names.append(class_name)
           else:
               class_names.append("Unnamed Class")
```

Print class names

Print unique class names

print("\nClass names:", class_names)

unique_class_names = set(class_names)

```
print("\nUnique class names:", unique_class_names)
```

```
Class names: ['250328_E0ALTB_C10A_6e4_Classifiability-S-pneumoniae-2_0',
'250331_E0AGDE_C18A_6e3_Classifiability-Linearity-Abaumannii-cplx-Apittii_0',
'250331_E0A9Y6_C15B_6e4_Classifiability-Haemophilus-influenzae_0',
'250328_E0ALTB_C10A_6e4_Classifiability-S-pneumoniae-2_0',
'250328_E0ALTB_C10A_6e4_Classifiability-S-pneumoniae-2_0']

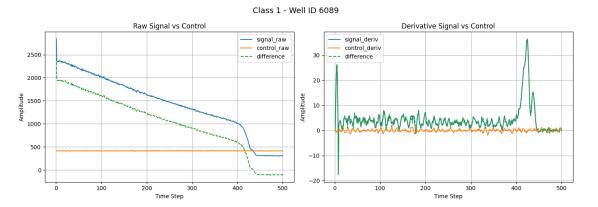
Unique class names: {'250331_E0AGDE_C18A_6e3_Classifiability-Linearity-Abaumannii-cplx-Apittii_0', '250331_E0A9Y6_C15B_6e4_Classifiability-Haemophilus-influenzae_0', '250328_E0ALTB_C10A_6e4_Classifiability-S-pneumoniae-2_0'}
```

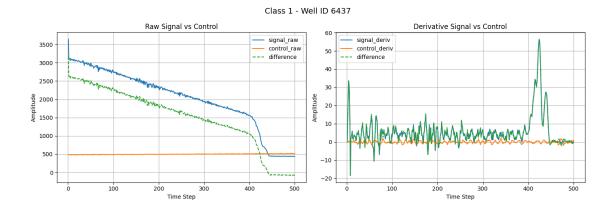
Do three classes denote the same disease i.e S-pneumoniae-2_0?

```
[274]: # Inspecting the difference between raw vs control signals
       random.seed(42) # For reproducibility
       for class_idx, df in enumerate(dataframes):
           print(f"Class {class_idx + 1}")
           well ids = set()
           for idx in df.index:
               if 'signal raw' in idx:
                   well_id = idx.split('_')[-1]
                   if f'control_raw_tseries_Well_Id_{well_id}' in df.index:
                       well_ids.add(well_id)
           if not well_ids:
               print("No matched signal/control wells found.")
               continue
           sampled_wells = random.sample(list(well_ids), min(2, len(well_ids)))
           for well_id in sampled_wells:
               # Build the index names
               sig_raw = f'signal_raw_tseries_Well_Id_{well_id}'
               ctrl_raw = f'control_raw_tseries_Well_Id_{well_id}'
               sig_deriv = f'signal_deriv_tseries_Well_Id_{well_id}'
               ctrl_deriv = f'control_deriv_tseries_Well_Id_{well_id}'
               fig, axes = plt.subplots(1, 2, figsize=(14, 5))
               fig.suptitle(f'Class {class_idx + 1} - Well ID {well_id}', fontsize=14)
               # Plot raw signals
               if sig_raw in df.index and ctrl_raw in df.index:
                   s_raw = df.loc[sig_raw]
                   c_raw = df.loc[ctrl_raw]
```

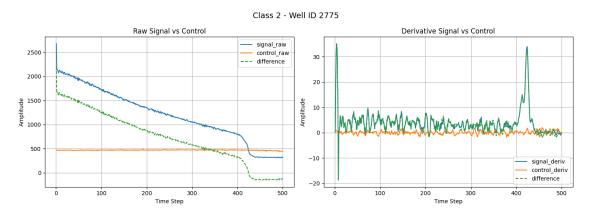
```
axes[0].plot(s_raw, label='signal_raw')
    axes[0].plot(c_raw, label='control_raw')
    axes[0].plot(s_raw - c_raw, label='difference', linestyle='--')
    axes[0].set_title("Raw Signal vs Control")
    axes[0].set_xlabel("Time Step")
    axes[0].set_ylabel("Amplitude")
    axes[0].legend()
    axes[0].grid(True)
# Plot derivatives
if sig_deriv in df.index and ctrl_deriv in df.index:
    s_deriv = df.loc[sig_deriv]
    c_deriv = df.loc[ctrl_deriv]
    axes[1].plot(s_deriv, label='signal_deriv')
    axes[1].plot(c_deriv, label='control_deriv')
    axes[1].plot(s_deriv - c_deriv, label='difference', linestyle='--')
    axes[1].set_title("Derivative Signal vs Control")
    axes[1].set_xlabel("Time Step")
    axes[1].set_ylabel("Amplitude")
    axes[1].legend()
    axes[1].grid(True)
plt.tight_layout()
plt.show()
```

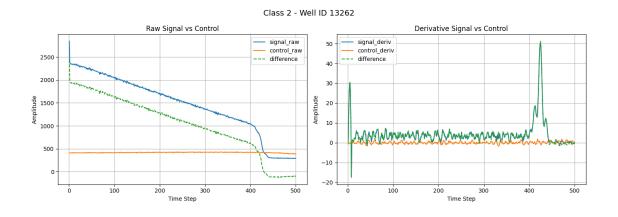
Class 1





Class 2





Class 3

Raw Signal vs Control

Signal raw control raw control deriv control deri

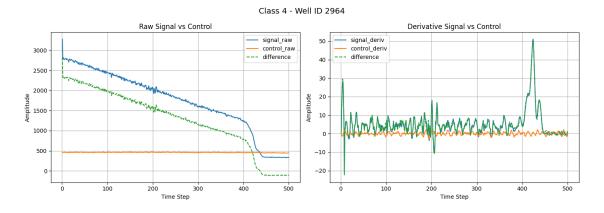
Time Step

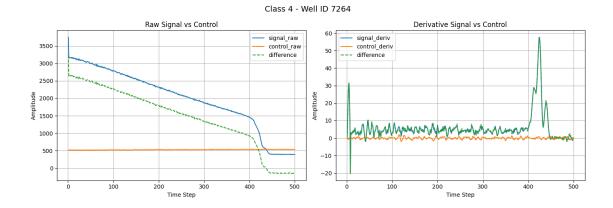
400

Time Step

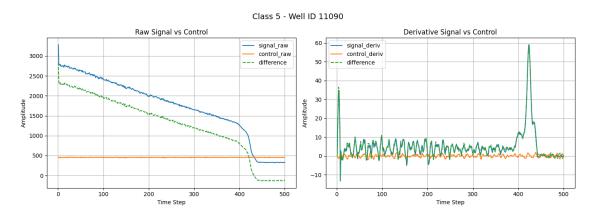
Class 3 - Well ID 2187 Raw Signal vs Control Derivative Signal vs Control signal_raw
control_raw
--- difference signal_deriv control_deriv --- difference 2500 -2000 20 10 500 -10 -20 200 Time Step 400 500 100 500 200 300 400 Time Step

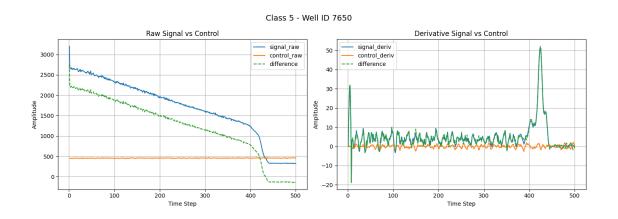
Class 4





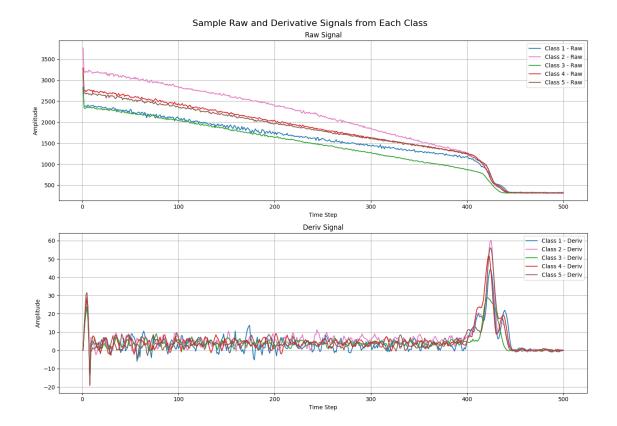
Class 5





Control signal are consistently flat across all classes and wells, which means they act as static baseline or background nose measurements and don't contribute discriminative information across classes. Hence, not useful as standalone features and can be ignored.

```
[275]: # Plotting the data for each class
       random.seed(42) # For reproducibility
       fig, axes = plt.subplots(2, 1, figsize=(14, 10))
       fig.suptitle('Sample Raw and Derivative Signals from Each Class', fontsize=16)
       axes[0].set_title("Raw Signal Samples")
       axes[1].set_title("Derivative Signal Samples")
       colors = ['tab:blue', 'tab:pink', 'tab:green', 'tab:red', 'tab:brown']
       # Randomly select 2 sample IDs from each DataFrame for plotting, one with
        ⇔signal_raw and one with signal_deriv in the index name
       for i, df in enumerate(dataframes):
           signal raw indices = df.index[df.index.str.contains('signal raw')].tolist()
           if signal_raw_indices:
               signal_raw_id = random.sample(signal_raw_indices, 1)[0]
           signal_deriv_id = f'signal_deriv_tseries_Well_Id_' + signal_raw_id.
        ⇔split('_')[-1]
           if signal_raw_id in df.index:
               axes[0].plot(df.loc[signal_raw_id], label=f'Class {i+1} - Raw',__
        →linestyle='-', color=colors[i])
               axes[0].set_title("Raw Signal")
               axes[0].set_xlabel("Time Step")
               axes[0].set_ylabel("Amplitude")
               axes[0].legend()
               axes[0].grid(True)
           if signal_deriv_id in df.index:
               axes[1].plot(df.loc[signal_deriv_id], label=f'Class {i+1} - Deriv', __
        ⇔linestyle='-', color=colors[i])
               axes[1].set_title("Deriv Signal")
               axes[1].set_xlabel("Time Step")
               axes[1].set_ylabel("Amplitude")
               axes[1].legend()
               axes[1].grid(True)
       plt.tight_layout()
       plt.show()
```



No visible differentiation between classes except for subtle amplitude differences of each signal, especially at timesteps 0-15 and 380-460. Let's verify if this is true for mean signals.

```
fig, axes = plt.subplots(2, 1, figsize=(14, 10))
fig.suptitle('Mean Raw and Derivative Signals from Each Class', fontsize=16)
axes[0].set_title("Mean Raw Signal")
axes[1].set_title("Mean Derivative Signal")

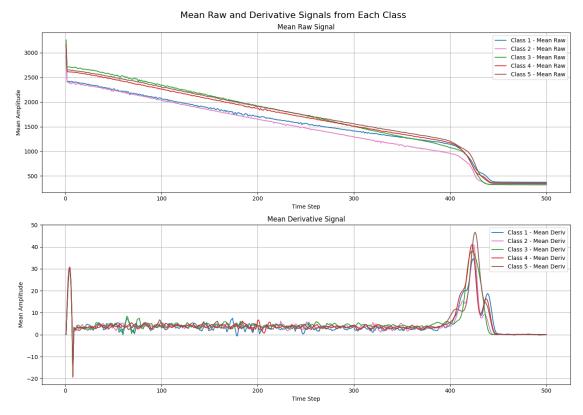
for class_idx, df in enumerate(dataframes):
    signal_raw_indices = df.index[df.index.str.contains('signal_raw')].tolist()
    signal_deriv_indices = df.index[df.index.str.contains('signal_deriv')].
4tolist()

if signal_raw_indices:
    mean_raw = df.loc[signal_raw_indices].mean(axis=0)
    axes[0].plot(mean_raw, label=f'Class {class_idx+1} - Mean Raw',
    4linestyle='-', color=colors[class_idx])
    axes[0].set_xlabel("Time Step")
    axes[0].set_ylabel("Mean Amplitude")
```

```
axes[0].legend()
    axes[0].grid(True)

if signal_deriv_indices:
    mean_deriv = df.loc[signal_deriv_indices].mean(axis=0)
    axes[1].plot(mean_deriv, label=f'Class {class_idx+1} - Mean Deriv', usel = '-', color=colors[class_idx])
    axes[1].set_xlabel("Time Step")
    axes[1].set_ylabel("Mean Amplitude")
    axes[1].legend()
    axes[1].grid(True)

plt.tight_layout()
plt.show()
```



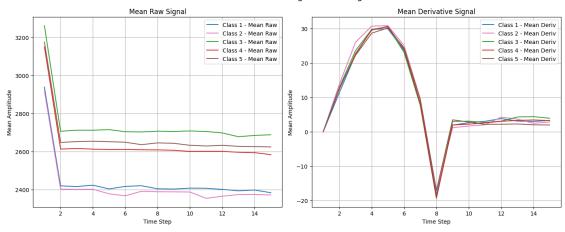
Looking at the mean signals, the major noticeable changes between the raw and derivative signals happen between time step 0-15 at the start and 380-460 towards the end.

```
[277]: # Inspecting the zoomed-in view of the signals
zoom_ranges = [(0, 15), (380, 460)]
for start, end in zoom_ranges:
```

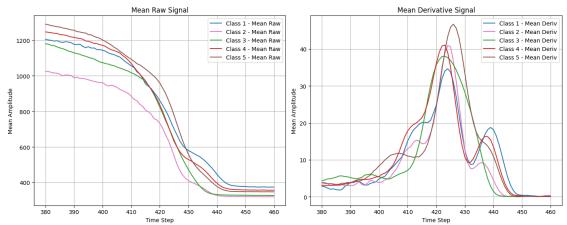
```
fig, axes = plt.subplots(1, 2, figsize=(14, 6))
  fig.suptitle(f"Mean Raw and Derivative Signals for Range {start} - {end}", __

¬fontsize=16)
  axes[0].set_title("Mean Raw Signal")
  axes[1].set_title("Mean Derivative Signal")
  for class_idx, df in enumerate(dataframes):
      cols_in_range = [col for col in df.columns if start <= int(col) <= end]</pre>
      signal_raw_indices = df.index[df.index.str.contains('signal_raw')].
→tolist()
      signal deriv indices = df.index[df.index.str.contains('signal deriv')].
→tolist()
      if signal_raw_indices:
          mean_raw = df.loc[signal_raw_indices, cols_in_range].mean(axis=0)
           axes[0].plot(mean_raw, label=f'Class {class_idx+1} - Mean Raw',__
⇔linestyle='-', color=colors[class_idx])
          axes[0].set_xlabel("Time Step")
          axes[0].set ylabel("Mean Amplitude")
          axes[0].legend()
          axes[0].grid(True)
      if signal_deriv_indices:
          mean_deriv = df.loc[signal_deriv_indices, cols_in_range].
→mean(axis=0)
           axes[1].plot(mean_deriv, label=f'Class {class_idx+1} - Mean Deriv', __
⇔linestyle='-', color=colors[class_idx])
          axes[1].set_xlabel("Time Step")
          axes[1].set_ylabel("Mean Amplitude")
          axes[1].legend()
          axes[1].grid(True)
  plt.tight_layout()
  plt.show()
```

Mean Raw and Derivative Signals for Range 0 - 15







Not much noticeable difference in the time range 0-15, apart from minor amplitude variation, which persists across all the time steps. Hence, this ranges doesn't offer much discriminative information. However, in the range 380-460, two peaks can be observed and the peaks differ noticely in amplitude across classes. Let's focus on this time window for the feature extraction and statistical analysis.

0.1.3 3) Feature Extraction and Statistical Analysis

```
[278]: # Extract per sample features from the signals for each class for the (380, u 460) time window
# This includes peak amplitude, peak location, mean amplitude, area under curveu (AUC),
# # time window of interest
```

```
start, end = 380, 460
features_list = []
for class_idx, df in enumerate(dataframes):
    raw_indices = [idx for idx in df.index if 'signal_raw' in idx]
    deriv_indices = [idx for idx in df.index if 'signal_deriv' in idx]
    # Extract features for signal_raw
    for idx in raw_indices:
        cols in window = [col for col in df.columns if start <= int(col) <= end]</pre>
        window_values = df.loc[idx, cols_in_window].astype(float).values
        # Features
        peak_amp = window_values.max()
        peak_loc = window_values.argmax() + start # convert idx to actual_
 \hookrightarrow time step
        mean_amp = window_values.mean()
        auc = np.trapz(window_values) # area under curve
        std_amp = window_values.std()
        features_list.append({
            'class': class_idx + 1,
            'class_name': class_names[class_idx],
            'sample_id': idx,
            'signal_type': 'signal_raw',
            'peak_amplitude': peak_amp,
            'peak_location': peak_loc,
            'mean_amplitude': mean_amp,
            'auc': auc,
            'std_amplitude': std_amp
        })
    # Extract features for signal_deriv
    for idx in deriv_indices:
        cols_in_window = [col for col in df.columns if start <= int(col) <= end]</pre>
        window_values = df.loc[idx, cols_in_window].astype(float).values
        peak_amp = window_values.max()
        peak_loc = window_values.argmax() + start
        mean_amp = window_values.mean()
        auc = np.trapz(window_values)
        std_amp = window_values.std()
        features_list.append({
            'class': class_idx + 1,
            'class_name': class_names[class_idx],
```

```
'sample_id': idx,
                  'signal_type': 'signal_deriv',
                  'peak_amplitude': peak_amp,
                  'peak_location': peak_loc,
                  'mean_amplitude': mean_amp,
                  'auc': auc,
                  'std_amplitude': std_amp
              })
       # Convert to DataFrame
      features df = pd.DataFrame(features list)
      features_df.head()
[278]:
         class
                                                      class_name \
                250328_EOALTB_C10A_6e4_Classifiability-S-pneum...
             1 250328_EOALTB_C10A_6e4_Classifiability-S-pneum...
      1
      2
             1 250328_EOALTB_C10A_6e4_Classifiability-S-pneum...
      3
             1 250328_EOALTB_C10A_6e4_Classifiability-S-pneum...
      4
             1 250328_EOALTB_C10A_6e4_Classifiability-S-pneum...
                                sample_id signal_type peak_amplitude \
      O signal_raw_tseries_Well_Id_10365
                                          signal raw
                                                              1404.0
      1
          signal_raw_tseries_Well_Id_9299 signal_raw
                                                              1463.0
      2
          signal_raw_tseries_Well_Id_7137 signal_raw
                                                              1690.0
      3
          signal_raw_tseries_Well_Id_6477 signal_raw
                                                              1322.0
          signal_raw_tseries_Well_Id_9990 signal_raw
                                                               448.0
         peak_location mean_amplitude
                                           auc
                                                std_amplitude
      0
                   380
                            908.975309 72724.0
                                                   392.153818
      1
                   380
                           1102.22222 88307.5
                                                   346.031505
      2
                   380
                           1069.913580 85602.0
                                                   497.109005
      3
                   387
                            828.876543 66325.0
                                                   395.430360
      4
                   392
                            396.839506 31749.5
                                                    37.534332
[279]: # Statistical analysis: ANOVA test to compare means across classes
       I I I
      ANOVA, or Analysis of Variance, is a statistical method used to test whether \Box
       \hookrightarrowthree or more group means are significantly different from each other. It_{\sqcup}
       ⇔helps determine whether the variation in a dataset is
       due to actual differences between groups or just random noise.
      for signal_type in ['signal_raw', 'signal_deriv']:
          print(f"\nStatistical Test Results for {signal_type}:\n")
```

```
for feature in feature_names:

# Prepare data groups by class

groups = [features_df[(features_df['class'] == c) &_

(features_df['signal_type'] == signal_type)][feature].values for c in_

sorted(features_df['class'].unique())]

# Run ANOVA

f_stat, p_value = f_oneway(*groups)

print(f"Feature: {feature:15} | F-statistic: {f_stat:.3f} | p-value:_

(p_value:.4e}")
```

Statistical Test Results for signal_raw:

```
Feature: peak_amplitude | F-statistic: 24.561 | p-value: 1.2025e-19
Feature: peak location
                        | F-statistic: 24.980 | p-value: 5.5993e-20
Feature: mean_amplitude | F-statistic: 40.652 | p-value: 3.4270e-32
                        | F-statistic: 40.774 | p-value: 2.7627e-32
Feature: auc
Feature: std_amplitude
                        | F-statistic: 17.617 | p-value: 4.2041e-14
Statistical Test Results for signal_deriv:
Feature: peak_amplitude | F-statistic: 37.641 | p-value: 7.0365e-30
                        | F-statistic: 108.638 | p-value: 2.8672e-80
Feature: peak_location
Feature: mean_amplitude | F-statistic: 19.283 | p-value: 1.9388e-15
                        | F-statistic: 19.351 | p-value: 1.7105e-15
Feature: auc
                        | F-statistic: 22.383 | p-value: 6.4778e-18
Feature: std amplitude
```

Since p-values for each feature for both signal_raw and signal_deriv is significantly less than 0.05 (5%), there is overwhelming evidence that at least one class has a different mean from the others for each test features. However, this doesn't tell us which classes' means are significantly different from each other making them distinguishable. We need to figure out where the difference lies.

```
df_sub = features_df[features_df['signal_type'] == signal_type]
    # Loop over all class pairs
    for class1, class2 in combinations(classes_idx, 2):
        print(f"Class {class1} vs Class {class2}:")
        found_diff = False # flag to check if any feature is significant
        for feature in feature names:
            tukey = pairwise_tukeyhsd(endog=df_sub[feature],__
  ⇒groups=df sub['class'], alpha=0.05)
            # Convert summary to DataFrame for easier filtering
            summary_df = pd.DataFrame(data=tukey.summary().data[1:],__

¬columns=tukey.summary().data[0])
            # Filter for current pair
            row = summary_df[((summary_df['group1'] == class1) &__
  Gummary_df['group2'] == class2)) | ((summary_df['group1'] == class2) & ∪
  if row['reject'].values[0]: # if significant
                found diff = True
                print(f" - {feature:15} | mean diff: {row['meandiff'].
 \Rightarrowvalues[0]:.4f} | p = {row['p-adj'].values[0]:.4e}")
        if not found_diff:
            print(" No significant feature differences.")
        print()
--- Tukey HSD: signal raw ---
Class 1 vs Class 2:
 - peak_amplitude | mean diff: -180.3456 | p = 0.0000e+00
 - peak_location | mean diff: -0.9111 | p = 0.0000e+00
  - mean_amplitude | mean diff: -141.5500 | p = 0.0000e+00
                    \mid mean diff: -11348.3037 \mid p = 0.0000e+00
  std_amplitude
                   \mid mean diff: -40.7734 \mid p = 2.9000e-03
Class 1 vs Class 3:
  peak_location
                   | mean diff: -1.3262 | p = 0.0000e+00
 - mean amplitude | mean diff: -61.2372 | p = 0.0000e+00
                   \mid mean diff: -4924.5553 \mid p = 0.0000e+00
  - auc
Class 1 vs Class 4:
```

 \mid mean diff: -0.7351 \mid p = 0.0000e+00

- peak location

```
Class 1 vs Class 5:
  - peak_amplitude
                     \mid mean diff: 84.6374 \mid p = 1.3800e-02
  - peak_location
                      \mid mean diff: -1.1031 \mid p = 0.0000e+00
                      \mid mean diff: 48.6345 \mid p = 1.0000e-04
  - std amplitude
Class 2 vs Class 3:
  - peak_amplitude
                      \mid mean diff: 154.8672 \mid p = 0.0000e+00
  - peak location
                      \mid mean diff: -0.4151 \mid p = 4.1700e-02
                      \mid mean diff: 80.3128 \mid p = 0.0000e+00
  - mean_amplitude
                      \mid mean diff: 6423.7484 \mid p = 0.0000e+00
  - auc
                      \mid mean diff: 56.7820 \mid p = 0.0000e+00
  - std_amplitude
Class 2 vs Class 4:
                      \mid mean diff: 222.3950 \mid p = 0.0000e+00
  - peak_amplitude
                      \mid mean diff: 134.5631 \mid p = 0.0000e+00
  - mean_amplitude
                      | mean diff: 10769.7695 | p = 0.0000e+00

    auc

                      \mid mean diff: 69.1643 \mid p = 0.0000e+00
  - std_amplitude
Class 2 vs Class 5:
  - peak amplitude
                      \mid mean diff: 264.9830 \mid p = 0.0000e+00
                      \mid mean diff: 165.3763 \mid p = 0.0000e+00
  - mean amplitude
  - auc
                      \mid mean diff: 13248.6275 \mid p = 0.0000e+00
                      \mid mean diff: 89.4078 \mid p = 0.0000e+00
  - std_amplitude
Class 3 vs Class 4:
                     \mid mean diff: 67.5278 \mid p = 4.2900e-02
  - peak_amplitude
                      \mid mean diff: 0.5911 \mid p = 2.0000e-04
  - peak_location
                      \mid mean diff: 54.2504 \mid p = 2.0000e-04
  - mean_amplitude
  - auc
                      \mid mean diff: 4346.0211 \mid p = 2.0000e-04
Class 3 vs Class 5:
  - peak_amplitude
                      \mid mean diff: 110.1158 \mid p = 1.0000e-04
  - mean_amplitude
                      \mid mean diff: 85.0635 \mid p = 0.0000e+00
                      \mid mean diff: 6824.8791 \mid p = 0.0000e+00
  - auc
  - std amplitude
                      \mid mean diff: 32.6258 \mid p = 6.5000e-03
Class 4 vs Class 5:
  No significant feature differences.
--- Tukey HSD: signal_deriv ---
Class 1 vs Class 2:
  - peak_amplitude
                     \mid mean diff: 4.6778 \mid p = 5.5000e-03
  - mean_amplitude
                      \mid mean diff: -1.5143 \mid p = 1.0000e-04
                      \mid mean diff: -123.0908 \mid p = 1.0000e-04
  - auc
```

```
Class 1 vs Class 3:
                      \mid mean diff: -2.4133 \mid p = 0.0000e+00
  - peak_location
  - std_amplitude
                      \mid mean diff: 1.8853 \mid p = 0.0000e+00
Class 1 vs Class 4:
  - peak amplitude
                      \mid mean diff: 5.4610 \mid p = 2.0000e-04
  - peak_location
                      \mid mean diff: -1.4868 \mid p = 0.0000e+00
  - std_amplitude
                      \mid mean diff: 1.1526 \mid p = 9.5000e-03
Class 1 vs Class 5:
  - peak_amplitude
                      \mid mean diff: 13.6782 \mid p = 0.0000e+00
                      \mid mean diff: 1.4692 \mid p = 0.0000e+00
  - peak_location
                      \mid mean diff: 1.4053 \mid p = 2.0000e-04
  - mean_amplitude
                      \mid mean diff: 113.3239 \mid p = 2.0000e-04
  - auc
  - std_amplitude
                      \mid mean diff: 2.8156 \mid p = 0.0000e+00
Class 2 vs Class 3:
  - peak_amplitude
                     \mid mean diff: -3.6495 \mid p = 2.9000e-02
  - peak_location
                      \mid mean diff: -2.2565 \mid p = 0.0000e+00
  - mean amplitude
                     \mid mean diff: 1.8245 \mid p = 0.0000e+00
  - auc
                      \mid mean diff: 147.4501 \mid p = 0.0000e+00
                      \mid mean diff: 1.7017 \mid p = 0.0000e+00
  - std amplitude
Class 2 vs Class 4:
  - peak_location
                      \mid mean diff: -1.3300 \mid p = 0.0000e+00
                      | mean diff: 2.2805 | p = 0.0000e+00
  - mean_amplitude
                      \mid mean diff: 185.0484 \mid p = 0.0000e+00
  - auc
Class 2 vs Class 5:
  - peak_amplitude
                      \mid mean diff: 9.0004 \mid p = 0.0000e+00
                      \mid mean diff: 1.6260 \mid p = 0.0000e+00
  - peak_location
                      \mid mean diff: 2.9195 \mid p = 0.0000e+00
  - mean_amplitude
  - auc
                      \mid mean diff: 236.4147 \mid p = 0.0000e+00
                      \mid mean diff: 2.6321 \mid p = 0.0000e+00
  - std_amplitude
Class 3 vs Class 4:
  - peak_amplitude
                     \mid mean diff: 4.4326 \mid p = 1.4000e-03
  - peak_location
                      \mid mean diff: 0.9265 \mid p = 0.0000e+00
Class 3 vs Class 5:
                     \mid mean diff: 12.6499 \mid p = 0.0000e+00
  - peak_amplitude
                      \mid mean diff: 3.8825 \mid p = 0.0000e+00
  - peak_location
                      \mid mean diff: 1.0951 \mid p = 2.1000e-03
  - mean_amplitude
                      \mid mean diff: 88.9646 \mid p = 2.0000e-03
  - auc
  - std_amplitude
                      \mid mean diff: 0.9303 \mid p = 2.9200e-02
Class 4 vs Class 5:
  - peak_amplitude | mean diff: 8.2173 | p = 0.0000e+00
```

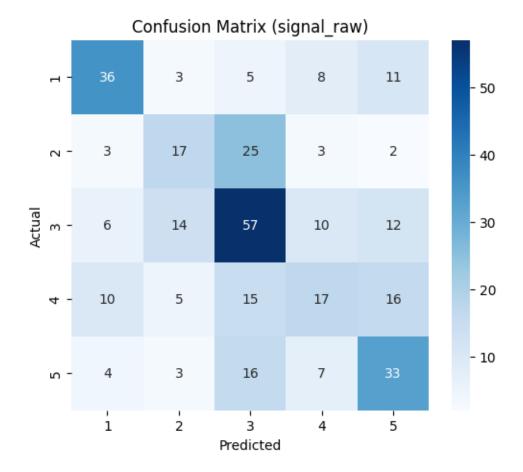
```
- peak_location | mean diff: 2.9560 | p = 0.0000e+00
- std_amplitude | mean diff: 1.6630 | p = 0.0000e+00
```

Comparing the Tukey's HSD, for the raw signal, we can use almost all five features to somewhat distinguish between classes 1, 2, and 3, and some subsets of features to differentiate between other classes. For deriv signal, we can use almost all five features to somewhat disinguish between 2, 3, and 5, and some subsets of features to differentiate between other classes. Also, the distinguishability between classes 1, 4, and 5 is weak based on the above feature set. Since classes 1, 4, 5 have the same class name, either they are subclasses or replicates of the same ground truth.

Signal Type	Strongly Separable Classes	Weakly Separable Classes
signal_raw signal_deriv	Classes 1, 2, 3 Classes 2, 3, 5	Classes 1 vs 4 vs 5 Classes 1 vs 4 vs 5

0.1.4 4) Modeling

```
# Train-test split
  X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.25,__
→random_state=42, stratify=y)
  print(f"Training samples: {len(X_train)}, Testing samples: {len(X_test)}")
  # Train Random Forest
  clf = RandomForestClassifier(n_estimators=100, random_state=42)
  clf.fit(X_train, y_train)
  models[signal_type] = clf
  # Predict and evaluate
  y_pred = clf.predict(X_test)
  acc = accuracy_score(y_test, y_pred)
  prec = precision_score(y_test, y_pred, average='weighted')
  rec = recall_score(y_test, y_pred, average='weighted')
  f1 = f1_score(y_test, y_pred, average='weighted')
                         : {acc:.4f}")
  print(f"Accuracy
  print(f"Weighted Precision: {prec:.4f}")
  print(f"Weighted Recall : {rec:.4f}")
  print(f"Weighted F1 Score : {f1:.4f}\n")
  # Confusion Matrix
  cm = confusion_matrix(y_test, y_pred)
  plt.figure(figsize=(6, 5))
  sns.heatmap(cm, annot=True, fmt='d', cmap='Blues',
              xticklabels=sorted(df_sub['class'].unique()),
              yticklabels=sorted(df_sub['class'].unique()))
  plt.title(f'Confusion Matrix ({signal_type})')
  plt.xlabel("Predicted")
  plt.ylabel("Actual")
  plt.show()
  print("Classification Report:")
  print(classification_report(y_test, y_pred))
```



	precision	recall	f1-score	support
1	0.61	0.57	0.59	63
2	0.40	0.34	0.37	50
3	0.48	0.58	0.53	99
4	0.38	0.27	0.31	63
5	0.45	0.52	0.48	63
accuracy			0.47	338

0.46

0.47

0.46

0.47

Random Forest Results for SIGNAL_DERIV

Training samples: 1011, Testing samples: 338

Accuracy : 0.7959

macro avg

weighted avg

Classification Report:

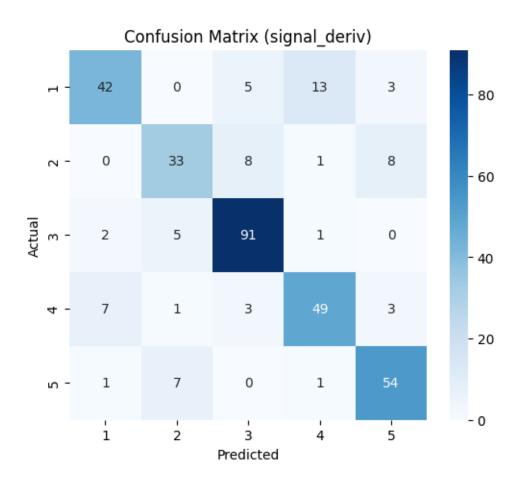
0.46

0.47

338

338

Weighted Precision: 0.7943 Weighted Recall : 0.7959 Weighted F1 Score : 0.7930



Classification Report:							
	precision	recall	f1-score	support			
1	0.81	0.67	0.73	63			
2	0.72	0.66	0.69	50			
3	0.85	0.92	0.88	99			
4	0.75	0.78	0.77	63			
5	0.79	0.86	0.82	63			
accuracy			0.80	338			
macro avg	0.78	0.78	0.78	338			
weighted avg	0.79	0.80	0.79	338			

 ${\bf Interretation\ of\ Above\ Results\ from\ Random\ Forest\quad signal_raw}$

• Accuracy and recall are around 47%, which is quite low. This means your model is struggling to correctly identify samples and raw signal features alone don't separate classes well.

signal_deriv

- Much better results here: accuracy and recall near 80%.
- Recall is above 65% for all classes, with class 3 close to 92% recall. The model struggles with predicting classes 1 and 2 based on this feature set.
- This shows derivative features in the chosen time frame (380-460) are much more discriminative, likely capturing subtle differences in signal changes.
- Classes are generally being identified with good sensitivity.

Key Takeaway: Derivative features are stronger predictors of the classes than raw signals.

```
# post training analysis

# 1) Feature importance analysis

clf_deriv = models['signal_deriv']

importances = clf_deriv.feature_importances_
for fname, importance in zip(feature_names, importances):
    print(f"{fname}: {importance:.4f}")

# Optional: plot feature importances
import matplotlib.pyplot as plt

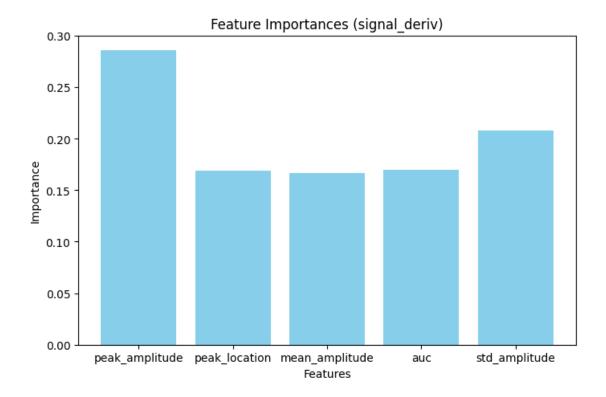
plt.figure(figsize=(8, 5))
plt.bar(feature_names, importances, color='skyblue')
plt.title(f'Feature Importances ({signal_type})')
plt.ylabel('Importance')
plt.xlabel('Features')
plt.show()

peak amplitude: 0.2861
```

peak_amplitude: 0.2861
peak_location: 0.1694
mean_amplitude: 0.1667

auc: 0.1701

std_amplitude: 0.2077



All 5 features contribute nearly equal and thus important

0.1.5 5) Summary and Conclusion

- Approach & Justification: Combination of visual, statistical, and ML methods provides a multi-angle assessment of class separability.
- Separation of classes: The five classes show some overlap in raw signals but better separation in derivative signals, confirmed by classification recall. Based on the derivative signals with the above 5 feature set, the classes are significantly distinguishable as we get a recall of 79%.
- Consistent patterns: Differences in amplitude and peak characteristics, especially in derivative signals between the time window towards the end.

• Limitation:

- Visual overlap obscures subtle differences: For the above data, signal plots across classes were visually similar, making it difficult to detect meaning distinctions (even in the selected time from of 380-460) without quantitative analysis. Visual exploratory analysis is necessary to get an idea about the shape and trend of the signals but not sufficien to render classifiability decisions solely based on it.
- Descriptive statistics ignored feature interactions: We used summary metrics like mean, standard deivation and peak amplitude as our features, however, treating them independently may miss complex features that only emerge when features are combined. The

use of a Random Forest significantly improved classification, which confirms interaction between the feature matters.

— Descriptinve Analysis doesn't guarantee classifiability: Even thon statistical analysis like ANOVA/Tukey showed statistically significant differences in feature means, classification on raw signals features performed poorly (recall ~47%). This shows that just because classes differ statistically doesn't means those differences are strong or consistent enough to allow a model to reliably seprate them.

[]: