

BSP tree

Our original idea regarding the implementation for the BSP code used a Node based approach, with each Node containing information on a **Bounding Box**. This bounding box kept track of partitionable space using limits. Before any tree is constructed the limits are infinite. Below is a basic implementation of this bounding box idea:

```
1 public class B_Box {
2
3     private double xmin;
4     private double xmax;
5     private double ymin;
6     private double ymax;
7
8     public B_Box() {
9         xmin = (-1)*Double.MAX_VALUE;
10        xmax = Double.MAX_VALUE;
11        ymin = (-1)*Double.MAX_VALUE;
12        ymax = Double.MAX_VALUE;
13    }
14
15    public B_Box(double xmin, double xmax, double ymin, double ymax) {
16        this.xmin = xmin;
17        this.xmax = xmax;
18        this.ymin = ymin;
19        this.ymax = ymax;
20    }
21
22    // public void B_Box_Bounds(double ) {
23    //
24    // }
25
26
27
28    public void set_xmin(double min) {
29        xmin = min;
30    }
31
32    public void set_xmax(double min) {
33        xmax = min;
34    }
35
36    public void set_ymin(double min) {
37        ymin = min;
38    }
39
40    public void set_ymax(double min) {
41        ymax = min;
42    }
43
44    public String toString() {
45        String output = "";
46        output = "Min x-limit: " + xmin + " Max x-limit: " + xmax + " Min y-limit: " + ymin + " Max y-limit: " + ymax;
47        return output;
48    }
49 }
50
```

Then we also wrote a class for the BSP tree itself, using a node based approach. Below is that basic implementation:

```

1
2 public class BSP {
3
4     private Node root;
5     private int depth;
6
7
8     private class Node{
9         private int x;
10        private int y;
11        private boolean direction;
12        private boolean partition_direction;
13        private B_Box remaining_space;
14
15        private Node left, right;
16
17        public Node(int x, int y, boolean direction, boolean partition_direction) {
18
19            this.x = x;
20            this.y = y;
21            this.direction = direction;
22            this.partition_direction = partition_direction;
23
24        }
25
26        public double get_x() {
27            return x;
28        }
29
30        public double get_y() {
31            return y;
32        }
33
34        public String toString() {
35            return "Node on level" + depth + "Attributes: " + x + " , " + y;
36        }
37    }
38
39    public BSP() {
40        root = null;
41        depth = 0;
42    }
43

```

Each node contains a link to the B_Box class, along with integers for the coordinates of the partition point, a direction boolean for a vertical or horizontal partition, a partition direction boolean variable which specifies which space in reference to the partition is still partitionable, and 2 Nodes for the left and right children. Below will be a basic walkthrough of how this implementation work:

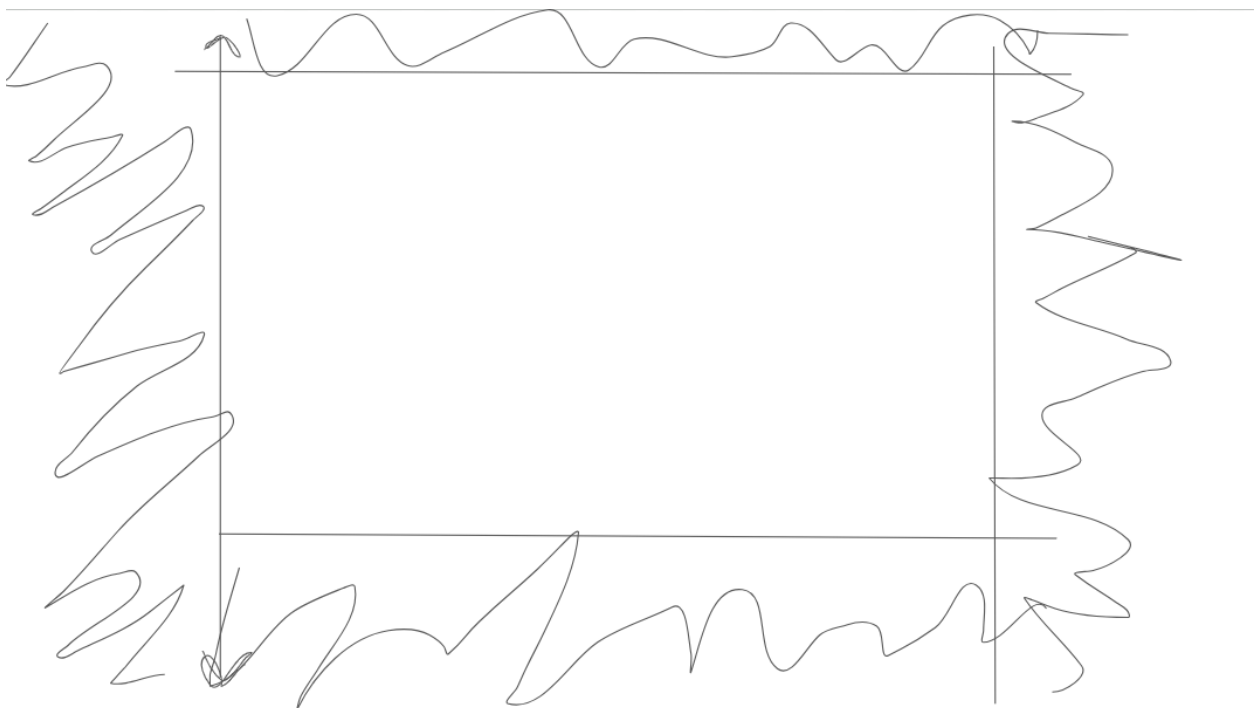
No Nodes: Bounding Box limits: $(-\infty, \infty) \cup (-\infty, \infty)$

Node A: $x = 1, y = 1$, vert, right:

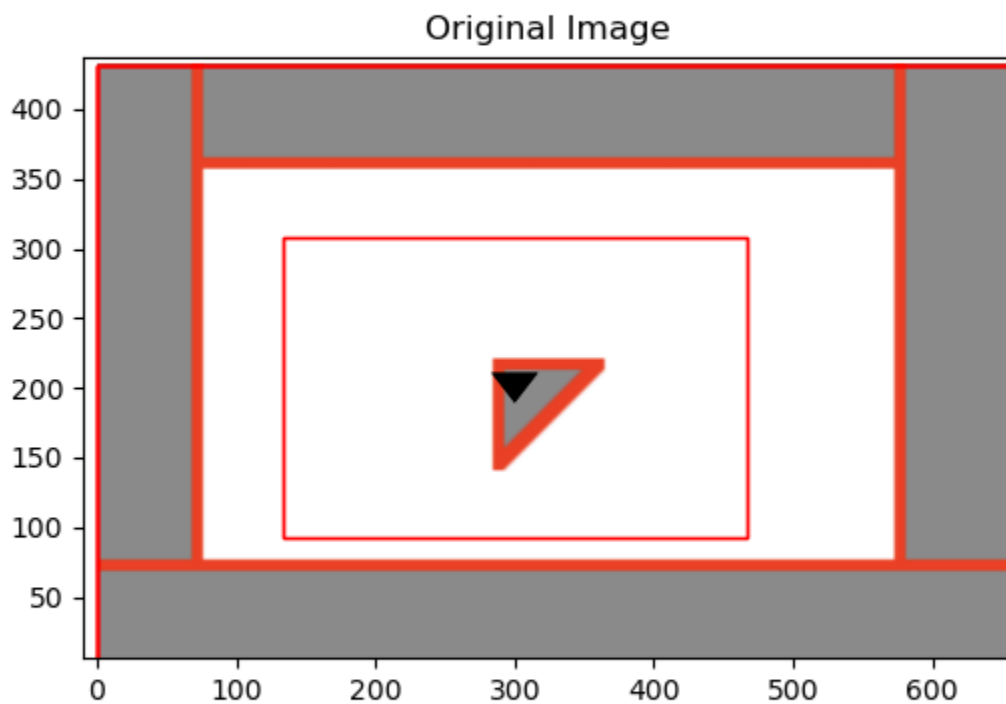


Node A: Bounding Box Limits: $(1, \infty) \cup (-\infty, \infty)$

This would continue until the following shape is achieved, with the squiggled sections being solid unpartitioned space:



This is where the issues arose with this approach for us. Because we were relying on a bounding box, we struggled to understand how to create bounds for a non-rectangular shape ie. the triangle in the center of the empty space. Through trial error we ended up switching our approach to python, getting the following visual shape and traversal:



```
Starting with the horizontal quadrant
Splitting horizontal into bottom-left and bottom-right
Splitting bottom-left into horizontal and vertical
Splitting horizontal into bottom-left and bottom-right
Splitting vertical into top-left and top-right
Splitting bottom-right into horizontal and vertical
Splitting horizontal into bottom-left and bottom-right
Splitting vertical into top-left and top-right
```

In-Order Traversal of BSP Tree:

```
Step 1: Quadrant: bottom-left
Step 2: Quadrant: horizontal
Step 3: Quadrant: bottom-right
Step 4: Quadrant: bottom-left
Step 5: Quadrant: top-left
Step 6: Quadrant: vertical
Step 7: Quadrant: top-right
Step 8: Quadrant: horizontal
Step 9: Quadrant: bottom-left
```

```
Step 10: Quadrant: horizontal
Step 11: Quadrant: bottom-right
Step 12: Quadrant: bottom-right
Step 13: Quadrant: top-left
Step 14: Quadrant: vertical
Step 15: Quadrant: top-right
```

Below is the Github repo for the updated python code:

<https://github.com/LukeSheldon19/Homework-2-Question-1/tree/main>