

(11) \rightarrow Divide with Precision

Quiz

(1) \rightarrow Which of following ex the worst case for an insertion sort

(B) Sorted in reverse order

(14) \rightarrow Necessary Condⁿ for binary search
(A) Array sorted

(18) \rightarrow Complexity of Linear Search $\rightarrow O(n)$ (A)

(19) \rightarrow Complexity of Binary Search \rightarrow (B) $\rightarrow O(\log n)$

(20) \rightarrow Application of binary search
 \rightarrow find lower/upper bound, union of intervals
 \rightarrow Debugging
NOT \rightarrow To search in unsorted list

(21) \rightarrow Binary Search \rightarrow (B) Divide & Conquer

(22) \rightarrow arr = {56, 77, 88, 99}, key = 88 find iterations
(2) 2 (Binary Search)

(23) \rightarrow Mid values for first 2 iterations

key = 100, arr [45 | 77 | 89 | 90 | 94 | 99 | 100]
(A) \rightarrow 90 & 99

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(24) → Complexity of Insertion sort where position of data to be inserted is calculated using binary search?

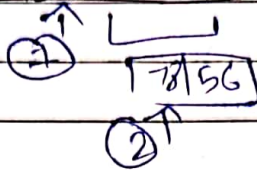
(A) → $O(N^2)$ → ~~$O(N)$~~ → $O(\log n)$ → BS

Step (1) → Calculate the position

(S-2) → create gap where data will be inserted

(25) → arr = [12 | 13 | 35 | 78 | 56], key = 78, iterations?

(B) → 2



(26) → Binary Search Algorithm :-

(1) Put element in order, compare with the middle value, split the list in order & repeat.

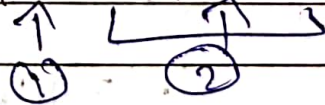
(27) → Time complexity of BS → (D) $O(1)$

(28) → [3 | 5 | 7 | 10 | 23], iteration to find 7

(A) → 0-1

(29) → Mid value, [23 | 45 | 67 | 89 | 90 | 46], key = 90?

(C) → 67 & 90



(30) → Recurrence for worst case of Binary Search?

(C) $T(n) = T\left(\frac{n}{2}\right) + O(1)$ & $T(1) = T(0) = O(1)$

(15) → sorted / identical element

	Best	Avg	Worst Case... 3/30/23
Bubble sort	$O(n)$	$O(n^2)$	$O(n)$
Selection sort	$O(n^2)$	$O(n^2)$	$O(n^2)$
Insertion sort	$O(n)$	$O(n^2)$	$O(n^2)$

⇒ Sorted Array Iteration

Bubble sort	1
Selection sort	4
Insertion sort	1

(4) → arr = [3 | 4 | 5 | 2 | 1]

Insertion sort

bubble sort (i) 3 | 4 | 5 | 2 | 1

(i) 3 | 4 | 5 | 2 | 1

after 1st (ii) 3 | 4 | 2 | 1 | 5

after 1st 3 | 4 | 5 | 2 | 1

2nd (iii) 3 | 2 | 1 | 4 | 5

2nd 3 | 4 | 5 | 2 | 1

3rd (iv) 2 | 1 | 3 | 4 | 5

3rd 2 | 3 | 4 | 5 | 1

4th (v) 1 | 2 | 3 | 4 | 5

4th 1 | 2 | 3 | 4 | 5

(7) → After second pass Insertion sort

arr = [3 | 4 | 8 | 6 | 5 | 2 | 1]

(1) → 1st Pass 3 | 4 | 8 | 6 | 5 | 2 | 1

2nd → 8 | 3 | 4 | 6 | 5 | 2 | 1

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(8) → Insertion sort pass 14 | 12 | 16 | 6 | 3 | 10

1st 12 | 14 | 16 | 6 | 3 | 10
 2nd 12 | 14 | 16 | 6 | 3 | 10
 3rd 6 | 12 | 14 | 16 | 3 | 10
 4th 3 | 6 | 12 | 14 | 16 | 10
 5th 3 | 6 | 10 | 12 | 14 | 16

(11) → Passes → Insertion sort algo
 (B) $n-1$

(12) → Insertion sort take space $O(1)$ → what does it mean?

(B) → It means amount of extra memory Insertion sort consumes doesn't depend on the input. The algo should use the same amount of memory for all inputs.

(13) → arr = [6 | 4 | 8 | 1 | 3] → Insertion sort (Place element)
 → 1 | 6 | 8 | 4 | 3 → 1 | 4 | 6 | 8 | 3
 → 1 | 3 | 4 | 6 | 8
 25 + 50

(14) → Insertion sort step
 5 | 4 | 3 | 2 | 1 → 4 | 5 | 3 | 2 | 1 → 3 | 4 | 5 | 2 | 1 → 2 | 3 | 4 | 5 | 1

(15) → Identical to bubble sort
 Best form (A) Insertion sort

(b) Heap sort
 (c) Merge sort

(16) sorted or almost sorted (d) Selection sort