

DIGITAL ASSIGNMENT 1

REGISTER NUMBER : 19BCE2074

QUESTION NUMBER : 2

Answer :

Entity sets :

① TOLL - PLAZA

To store highway number/lid, plazas
Present and company working ~~at~~ on plaza

② EMPLOYEE

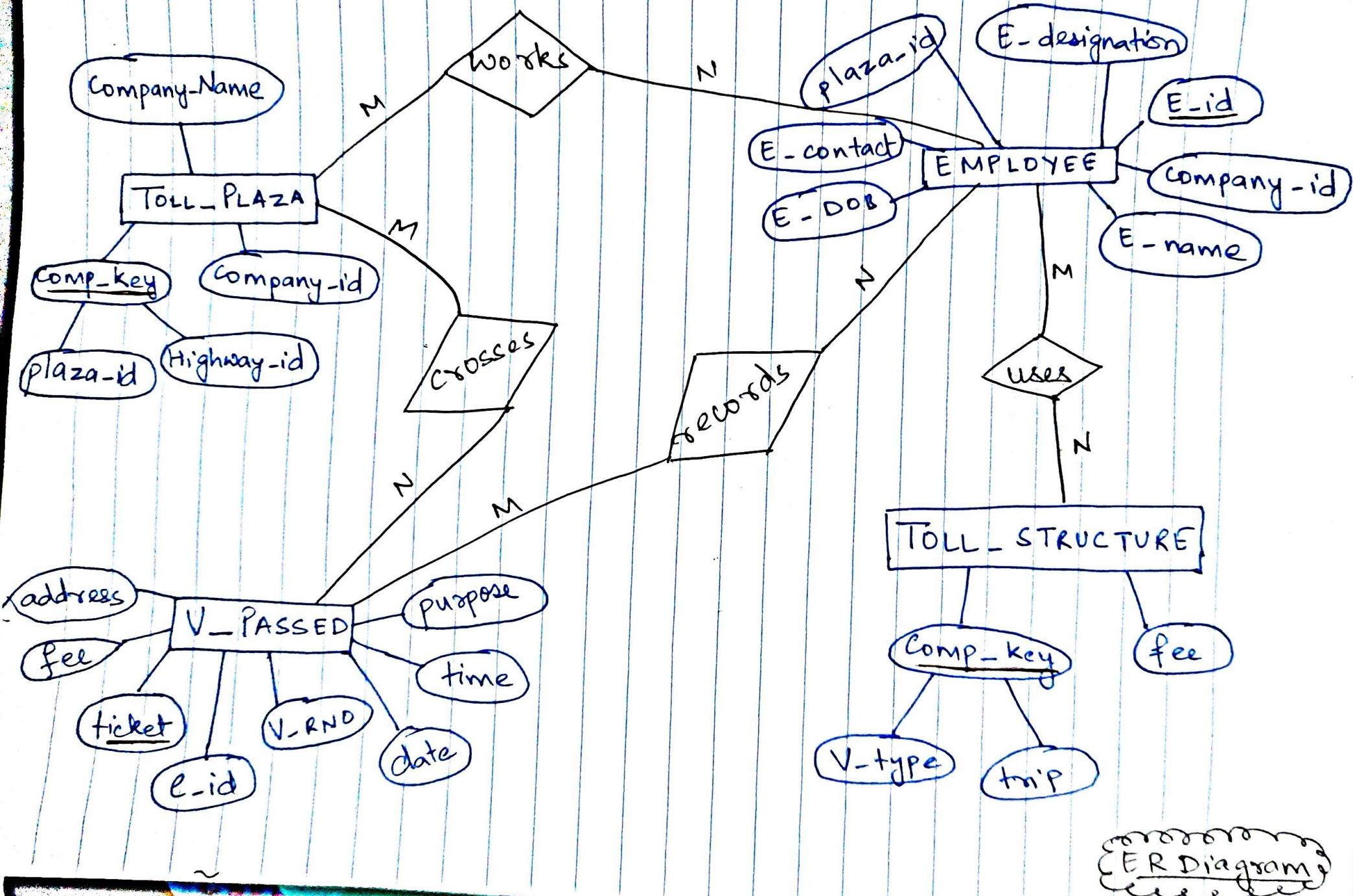
Details of employee, the company he/she
is working for and plaza duty allotted

③ V - PASSED

Details of vehicle passed during a
particular day/time and fee paid.

④ TOLL - STRUCTURE

Basis of fee to be deducted from
various types of vehicles.



Reduction of ER Diagram. [COMPOSITE KEYS PRESENT]

TOLL-PLAZA (plaza-id, highway-id, company-name,
company-id)

EMPLOYEE (E-id, company-id, E-name, E-DOB,
E-designation, E-contact, plaza-id)

Works (plaza-id, highway-id, E-id)

V-PASSED (ticket, e-id, V-RNO, date, time, purpose,
address, fee)

CROSSES (ticket, plaza-id, highway-id)

TOLL-STRUCTURE (V-type, trip, fee)

uses (E-id, V-type, trip)

records (ticket, e-id)

Normalisation.

① TOLL - ~~superstore~~ ^{PLAZA} (plaza-id, highway-id, company-id, company-name)

Let us assume the ~~relation~~ ^{schema} to be in the form $R(A, B, C, D)$

A = plaza-id

B = highway-id

C = company-id

D = company-name.

∴ Functional dependencies identified are :-

$AB \rightarrow CD$

$BC \rightarrow AD$

$C \rightarrow D$.

Normalisation :-

INF

All entries hold only ATOMIC values in all attributes, i.e., no multivalued attributes present.

All F.D(s) are in INF

2NF

Candidate Keys: AB and ~~BC~~ BC

$$\text{as } (AB)^+ = ABCD$$

$$(BC)^+ = ABCD$$

∴ Prime Attributes : A, B, C

Non-prime Attribute : D.

∴ PARTIAL DEPENDENCY present :

$$C \rightarrow D.$$

Removing partial dependency.

we get:

$$R_1 (\subseteq D)$$

$$R_2 (\underline{BC} \nsubseteq AD)$$

The resultant R_1 and R_2 are in BCNF form as super key is present in all. \Rightarrow FD(s)

$$R_1 \cup R_2 \Rightarrow \{ABC\} = R$$

$$R_1 \cap R_2 \Rightarrow \{CD\}$$

$$\{CD\}^+ = \{CD\} = R_2.$$

∴ Lossless. decomposition.

From R_1 , we get $C \rightarrow D$, R_2 we get $BC \rightarrow AD$

∴ Dependency Preserving

(2) . EMPLOYEE (E-id, company-id, E-name, E-DOB,
E-designation, E-contact, plaza-id)

Let us assume the schema to be in the form.

~~R(A,B,C,D,E,F,G)~~

R (ABCDEF G)

A = E-id, B = company-id, C = E-name, D = E-DOB,
E = E-designation, F = E-contact, G = plaza-id.

∴ The functional dependencies identified are :-

$$AF \longrightarrow BCDEG$$

$$A \longrightarrow BCDEG$$

$$F \longrightarrow ABCDEFG.$$

Candidate Key. Calculation :

From the dependencies, candidate keys

are A and F

as $(A)^+ = ABCDEFG$

$$(F)^+ = ABCDEFG.$$

Normalisation :-

All dependencies are already in BCNF as
all ~~dependencies~~ dependencies are containing
the SUPER KEY. $AF \longrightarrow BCDEG$, $A \longrightarrow BCDEFG$,
 $F \longrightarrow ABCDEG$

Hence no further normalisation required

③ V-PASSED (ticket, e-id, V-RNO, date, time, purpose, address, fee)

Let us assume the schema to be in the form

R (ABCDEF GH)

A = ticket, B = e-id, C = V-RNO, D = date, E = time, F = purpose
G = address, H = fee.

∴ The functional dependencies identified are :-

$A \rightarrow BCDEF GH$

$CF \rightarrow G$

$CF \rightarrow H$.

Normalisation :

INF

All entries hold ~~at~~ ATOMIC values in all attributes, i.e., no multivalued attribute present.

All FD(s) are in INF

Candidate Key:

A is the candidate key as

$$(A)^+ = ABCDEFGH$$

2NF

Prime Attributes : A

Non-Prime Attributes : BCDEFGH

$$A \rightarrow BCDEFGH$$

↳ (Not Partially dependent as A is SUPER KEY)

$$\begin{cases} CF \rightarrow G \\ CF \rightarrow H \end{cases}$$

↳ (Both dependencies of the form
Non-Prime \rightarrow Non-Prime)

∴ No partial dependency.)

∴ None of the dependencies are partially dependent

∴ R is already in 2NF

3NF

$A \rightarrow BCDEFGH$

(Not transitively dependent as A is SUPER KEY)

∴ TRANSITIVE DEPENDENCIES present are :-

$CF \rightarrow G$ (Non-prime \rightarrow Non-prime)

$CF \rightarrow H$ (Non-prime \rightarrow Non-prime)

$R_1 (CFG)$

$R_2 (CFH)$

$R_3 (ABCDEF GH)$

The resultant R_1, R_2, R_3 are in BCNF

as SUPER KEY is present in all FD(s) ~~one~~ of R_1, R_2, R_3 .

$$R_1 \cup R_2 \cup R_3 = \{ABCDEF GH\} = R$$

$$R_1 \cap R_2 \cap R_3 \Rightarrow \{CF\}$$

$$(CF)^+ = CFG \text{ and } CFH$$

$$= R_2 \text{ and } R_3.$$

Hence Lossless decomposition.

From R_1 , we get $CF \rightarrow G$, R_2 we get $CF \rightarrow H$,
 R_3 we get $A \rightarrow BCDEF GH$.

∴ Dependency is preserved.

④ TOLL-STRUCTURE (V-Type, Trip, fee)

Let the schema be in the form
 $R(A B C)$

$A = V\text{-Type}$, $B = \text{Trip}$, $C = \text{fee}$.

i - The functional dependencies identified are

$$AB \rightarrow C$$

$$B \rightarrow C$$

Candidate Key Calculation :

$$(AB)^+ = ABC.$$

∴ Candidate key = AB.

Normalisation :

INF

All entries hold ATOMIC values in all attributes, i.e., no multivalued attributes present.

2NF

Candidate Key = AB

Prime Attributes = A B

Non-Prime Attributes = C

$$\rightarrow AB \rightarrow C$$

No partial dependency as AB is SUPER KEY.

$$\rightarrow B \rightarrow C$$

Partial Dependency as Prime \rightarrow Non-Prime

Removing partial dependency we get.

$$R_1 (B \underline{C})$$

$$R_2 (A \underline{B})$$

The resultant R_1, R_2 are in BCNF as
SUPER KEY is present in all $\overline{FD}(c)$ of
 R_1, R_2 .

$$R_1 \cup R_2 = \{ABC\}$$

$$R_1 \cap R_2 = \{B\}$$

$$(B)^+ = \{BC\} \Rightarrow R_2$$

\therefore Lossless decomposition.

From $\overline{R_1}$ we get $B \rightarrow C$, R_2 we get $AB \rightarrow^{AB}$
(trivial)

\therefore dependency is preserved.