In [1]: # Write an R-script to simulate the conditional probabilities of the distribut ions for winning a car vs. a goat for the # Monty Hall Problem. Include the cases of switching or not switching. In your report, compare these cases to determine the # best strategy. Show histograms and summary statistics (at least mean and var iance) of the results for winning the car or a goat for both strategies, switching or not switching. Be sure to state and support your recommended strategy. doors <- c("A", "B", "C") N = 10000changewin <- rep(0, N) staywin \leftarrow rep(0, N) for(i in 1:N) { prize <- sample(doors)[1] # the door with the prize/car hidden behind</pre> pick <- sample(doors)[1] # the door picked up by contestent</pre> open <- sample(doors[which(doors != pick & doors != prize)])[1] # the door opened by Monte switchyes <- doors[which(doors != pick & doors != open)]</pre> changewin[i] <- ifelse(switchyes == prize, 1, 0)</pre> staywin[i] <- ifelse(pick == prize, 1, 0)</pre> } ## Proportion of wins change perc <- mean(changewin)</pre> stay perc <- mean(staywin)</pre> ## To display the results with proper formatting d1 <- "\n Monty Hall Problem Simulation\n\n\"Don't Switch\"\n"</pre> d2 <- "\n Wins = " d3 <- "\n Number of Trials = " d4 <- "\n Mean of probability of observed Winning Proportion = " Variance of the probability of Winning Proportion = " d5 <- "\n Theoretical Winning Proportion = "</pre> d6 <- "\n\n\"Switch to Other Door\"\n" cat(d1, d2, sum(staywin), d3, N, d4, stay perc, d7, var(staywin), d5, 1/3, d6,

d2, sum(changewin), d3, N, d4, change_perc, d7, var(changewin), d5, 2/3)

Monty Hall Problem Simulation

"Don't Switch"

Wins = 3294

Number of Trials = 10000

Mean of probability of observed Winning Proportion = 0.3294 Variance of the probability of Winning Proportion = 0.2209177 Theoretical Winning Proportion = 0.3333333

"Switch to Other Door"

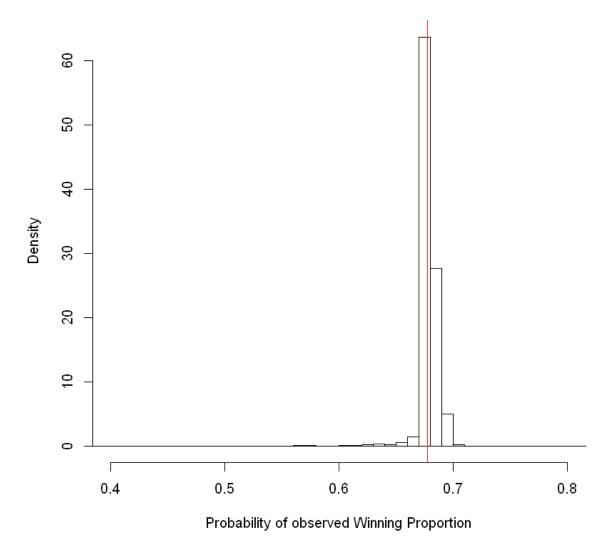
Wins = 6706

Number of Trials = 10000

Mean of probability of observed Winning Proportion = 0.6706 Variance of the probability of Winning Proportion = 0.2209177 Theoretical Winning Proportion = 0.6666667

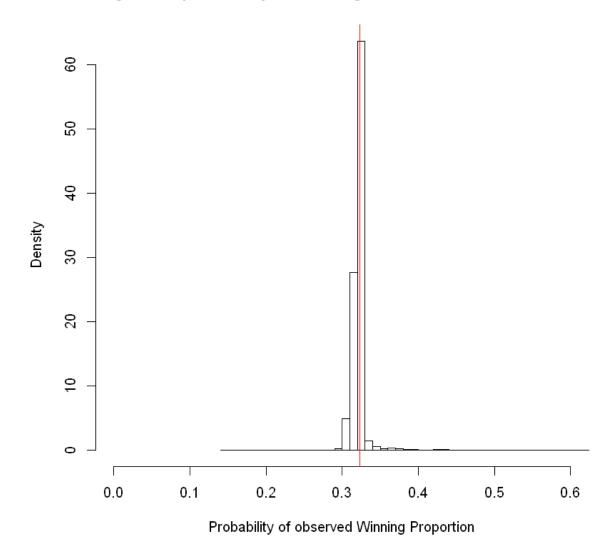
In [31]: changewinHist = cumsum(changewin)/c(1:N)
hist(changewinHist, breaks=100, freq=FALSE, xlab="Probability of observed Winn
ing Proportion", xlim=c(0.4,0.8),
 main="Histogram of probability of winning when door was switched")
abline(v=mean(changewinHist),col="red")

Histogram of probability of winning when door was switched



```
In [29]: staywinHist = cumsum(staywin)/c(1:N)
hist(staywinHist, breaks=100, freq=FALSE, xlab="Probability of observed Winnin
g Proportion", xlim=c(0,0.6),
    main="Histogram of probability of winning when door was NOT switched")
abline(v=mean(staywinHist),col="red")
```

Histogram of probability of winning when door was NOT switched



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In [106]: ## Plot 'convergence' to true winning proportions
## Blue is switching doors, red is staying
plot.new()
plot(cumsum(changewin) / c(1:N), main = "'Convergence' to True Winning Proport
ions",
    xlab = "Trial", ylab = "Winning Percentage", ylim = c(0, 1), col =
"blue")
abline(h = 2/3)
points(cumsum(staywin) / c(1:N), type = "p", col = "red")
abline(h = 1/3)
```

'Convergence' to True Winning Proportions

