

# Principle of Component Analysis (PCA)

\* Curse of dimensionality  
 $\Downarrow$   
 features.

To predict price of house  
 $f_1 \ f_2 \ \dots \ f_{100} \mid y$



$Acc_{Rsquare} < Acc_{Rsquare} \uparrow < Acc_{Rsq} \uparrow < Acc_{Rsq} \uparrow \approx Acc_{Rsq} \approx Acc_{Rsq} \approx Acc_{Rsq}$

\* With increase in no of features,  
 after one point of time the  
 $Acc(Rsquare)$  will not increase  
 in the proportion.

$\Downarrow$   
 why?

→ Few of features will be multicollinear

( $f_1, f_2, f_3 \approx f_4$ )  
 → few of features might be exactly  
 same

$f_1 = 1, 1, 1, 1, 1, 1, 1, 1$   
 $f_2 = 1, 1, 1, 1, 1, 1, 1, 1$

→ No variance / information in feature.

→ lots of duplicate entries

$f_1$   
 $1.01$   
 $1.02$   
 $1$

\* With increase in no of feature performance of model degrades.

Analogy

\* you want to buy a house.

$\boxed{\text{Brokers}}$

$\boxed{2 \text{ BHK}} \rightarrow 60 \text{ Lakhs}$

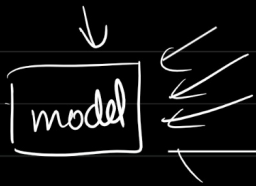
$\boxed{3 \text{ BHK}} \rightarrow 80 \text{ Lakhs}$

$\boxed{\text{beach}} \rightarrow \uparrow \uparrow$

$\boxed{\text{Airport}} \rightarrow \uparrow \uparrow$

Execution time

Evaluation metrics



near celebrity  
Grocery  
Shopping  
User needs

\* Curse of dimensionality → With increase in no of feature the performance of model degrades.

To remove COD :-

① Feature selection

② Feature Extraction

↓  
PCA (Dimensionality reduction technique)