

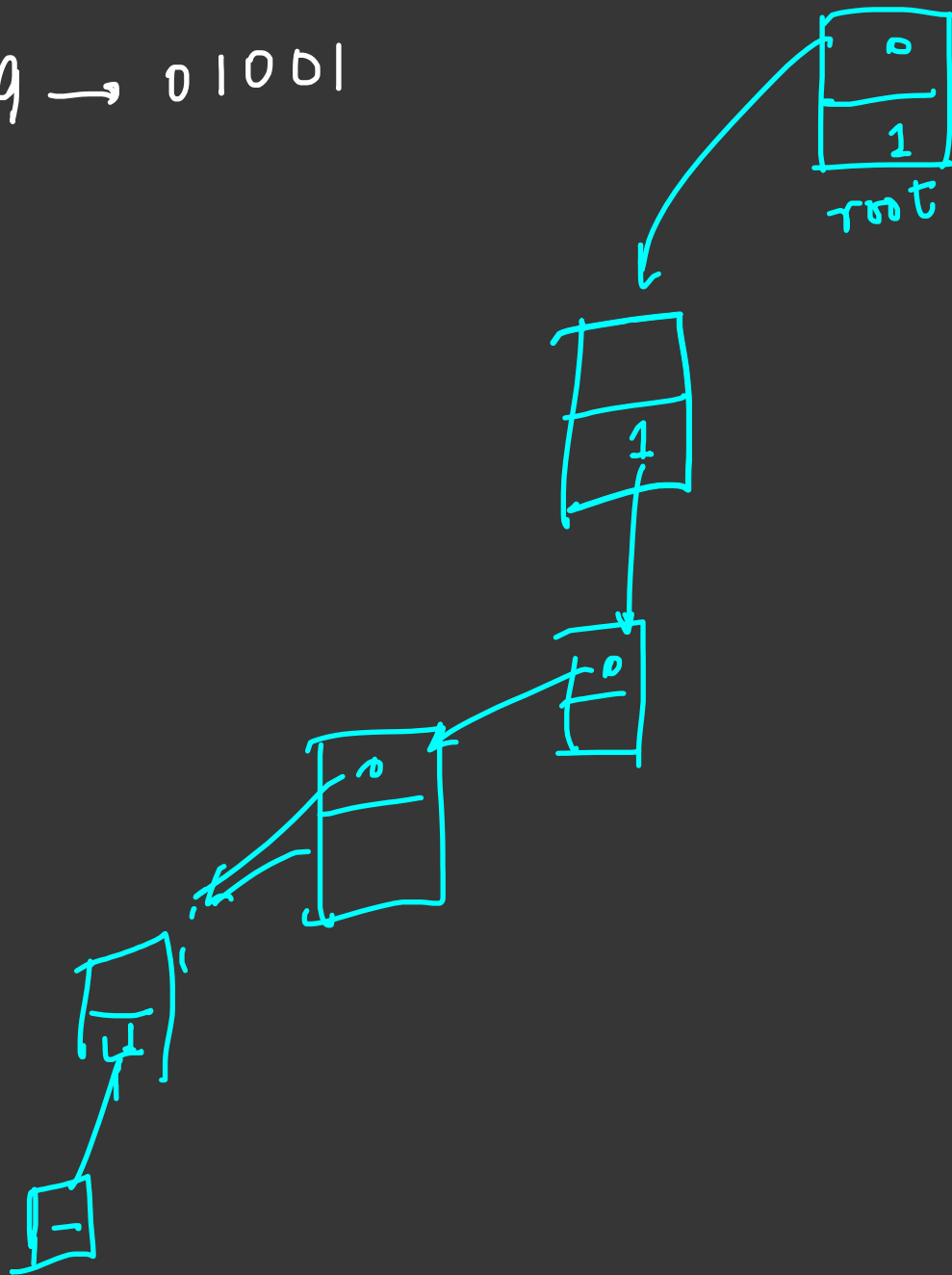
Given an array of no. & x
find the max. value of $no \oplus x$.

→ Insert all the no. into the trie
Binary bits

→ Take x & find the max no. from array ~~not~~ where
(no \sim x) $\uparrow \uparrow$

Storing the no.

9 \rightarrow 01001



Node {

link [32]

}

{9, 8, 7, 5, 4}

✓

9 \rightarrow 01001
11111

Problem Statement

[Suggest Edit](#)

You are given an array/list 'ARR' consisting of 'N' non-negative integers. You are also given a list 'QUERIES' consisting of 'M' queries, where the 'i-th' query is a list/array of two non-negative integers 'Xi', 'Ai', i.e 'QUERIES[i]' = ['Xi', 'Ai'].

The answer to the ith query, i.e 'QUERIES[i]' is the maximum bitwise xor value of 'Xi' with any integer less than or equal to 'Ai' in 'ARR'.

You should return an array/list consisting of 'N' integers where the 'i-th' integer is the answer of 'QUERIES[i]'.

$$\text{arr}_1 = \{6, 8\}$$

$$\text{arr}_2 = \{7, 8, 2\}$$

$$\begin{array}{l} 6 \wedge 7 \\ 6 \wedge 8 \\ 6 \wedge 2 \\ 8 \wedge 8 \\ 8 \wedge 2 \end{array} \quad \begin{array}{c} \textcircled{8 \wedge 8} \rightarrow \textcircled{15} \\ \text{find} \end{array}$$

Brute force:

$O(N^2M)$

$\{6, 8\}$
↑ ↑

$\{7, 8, 2\}$
↑ ↑ ↑

\wedge

$O(N \times M)$

XOR = $\begin{cases} 1 \wedge 1 = 0 \\ 1 \wedge 0 = 1 \end{cases}$

Maximum
1 0 0 0 0 0 1 0
32 bit
1 0

$\{7, 4\} \wedge = 8$

Tric



5 bit

8

וְעַתָּה

$$\begin{array}{r} \text{L}^2 \\ \text{Z}^2 \\ \text{Z}^2 \end{array}$$

7

0 0 1 1
j f v g z

6 8 4 4 0

400150

8 → 0 1 0 0 0

↑
↑
0 0 1 1 1

$$\begin{array}{ccccc} & & & & \\ \hline 0 & 1 & 1 & 1 & 1 \\ & 3 & 4 & 2 & 1 \end{array}$$

- Insert the all the no. in array in binary form.

15

- Take one element and try to maximise it with the

trie.

Structure of Node Tree

Node {
link [2];

	Ans	OK
10	1	1
01	0	1
10	0	1
00	0	0

Check Bit →

$$\begin{array}{c} \downarrow \downarrow \\ 0 \ 1 \ 0 \ 0 \ 0 \end{array}$$

Set bit

num 8 > 2

$$\begin{array}{r} 8 > 7 > 3 \\ \hline 00001 \\ 2^0 \end{array} \quad \textcircled{1}$$

$$\begin{array}{r} 01000 \\ 00100 \\ 00010 \\ \hline 00110 \end{array}$$

$$\begin{array}{r} 00110 \\ 00110 \\ \hline 00000 \end{array}$$

$$\begin{array}{r} 10020 \\ \hline 10020 \end{array}$$

$$\begin{array}{r} 10020 \\ \hline 10020 \end{array}$$

Set bit

00100
↑
10010

000010

$1 \ll i$

$\cdot 10$

$num \gg 1 \& 1$

$1 \ll i \& num$

