

Coin Change II

Problem Statement:

You are given an integer array `coins` representing coins of different denominations and an integer `amount` representing a total amount of money.

Return the number of combinations that make up that amount. If that amount of money cannot be made up by any combination of the coins, return 0.

You may assume that you have an infinite number of each kind of coin.

The answer is **guaranteed** to fit into a signed **32-bit** integer.

Example 1:

Input: amount = 5, coins = [1,2,5]

Output: 4

Explanation: there are four ways to make up the amount:

5=5

5=2+2+1

5=2+1+1+1

5=1+1+1+1+1

$\{1, 2, 3\}$
target = 4

$\{1, 1, 1, 1\} \rightarrow 4$
 $\{1, 1, 2\} \rightarrow 4$
 $\{2, 2\} \rightarrow 4$
 $\{1, 3\} \rightarrow 4$

} 4 ways

we have find no. of ways. : Try Out all ways
↓
Recursion

for Total ways base case return 1 if condition meet

Recursion :

1. Express \rightarrow index $f(\text{ind}, T)$
2. Explore all possibility :
 \rightarrow not take
 \rightarrow take
- 3 Sum all possibility ~~can~~ and return.

Recursion function

$f(\text{ind}, T)$

if ($\text{ind} == 0$)

~~if (target~~

return target / $a[0] == 0$,

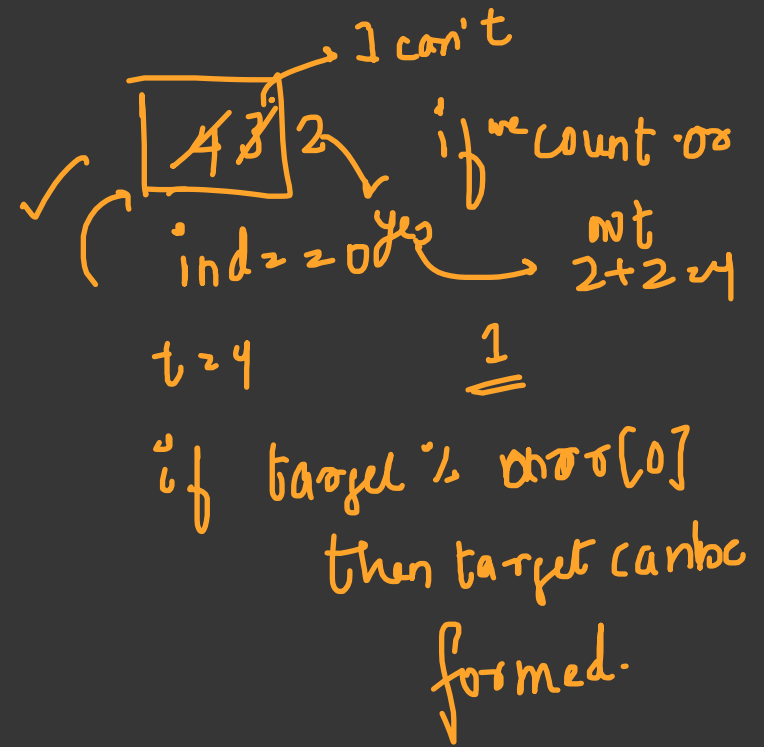
not take $\Rightarrow f(\text{ind}-1, T)$,

take = 0,

if ($\text{arr}[\text{ind}] <= T$)

take = $f(\text{ind}, T - \text{arr}[\text{ind}])$,

return take + not take;



T.C. : $O(2^N)$ exponent of

S.C. : $O(N)$ → auxiliary space

Memorization.

Tabulation:

Space Optimisation:

} Similar to Minimum Coin wt with little change

