

Longest Consecutive Sub Sequence

128. Longest Consecutive Sequence

Medium

18.2K

817



Companies

Given an unsorted array of integers `nums`, return the length of the longest consecutive elements sequence.

You must write an algorithm that runs in $O(n)$ time.

Example 1:

Input: `nums = [100,4,200,1,3,2]`

Output: 4

Explanation: The longest consecutive elements sequence is `[1, 2, 3, 4]`. Therefore its length is 4.

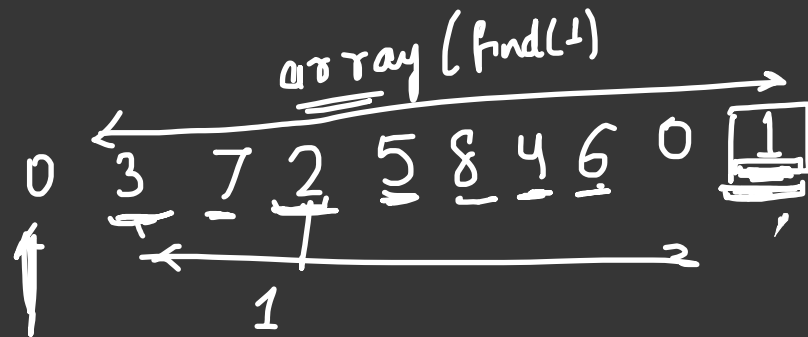
Example 2:

Input: `nums = [0,3,7,2,5,8,4,6,0,1]`

Output: 9

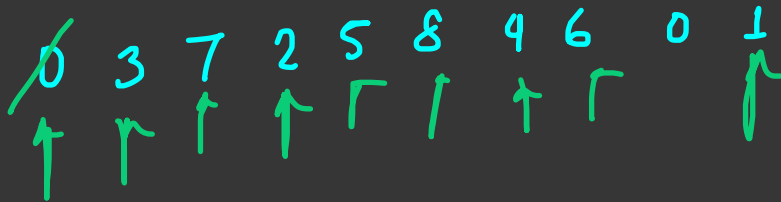
eg: arr = { 100, 4, 200, 1, 3, 2 }

1 2 3 4 } Consecutive
longest sequence



Brute force:

- Find the next Consecutive element in array and count it.



$$\left. \begin{array}{l} 0+1=1 \\ 1+1=2 \\ 2+1=3 \\ 3+1=4 \end{array} \right\}$$

$$\left. \begin{array}{l} 4+1=5 \\ 5+1=6 \\ 6+1=7 \\ 7+1=8 \end{array} \right\}$$

Better Approach

We have ask to the length of longest consecutive sequence.

Sort the array

0 0 1 2 3 4 5 6 7 8
↑ ↑ ↑ ↑ ↑ ↑
← ← ← ←

0 0 1 2 3 4 5 6 7 8
↑ ↑

check prev if
 $arr[i] - 1 = arr[i-1]$
count++;

else
count++;

if(arr[i])

1 2 3 4 100 200
 ↑ ↑ ↑ ↑ ↑

$$\frac{arr[i] - 1 == arr[i-1]}{2 - 1 = 1 == 1}$$

count = 4

ans = 4

Problem

100-1

99 = 4

count = 1

duplicates → 0 1 1 2 2
 ↑ ↑

count = 1

3 → 2

last prev

① 0

0 1 2
 ↑ ↑ ↑

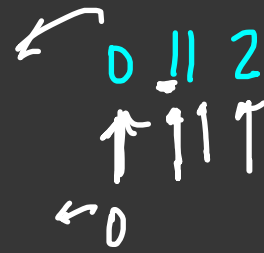
count

$$\frac{arr[i] - 1 == last_prev}{count++, last_prev = 1}$$

last number = 0

length = 1

count = ~~1~~ 2



• We need
to skip duplicates

for (i = 0, i < n, i++)

if (arr[i] - 1 == last) count++,
last = arr[i],

else (arr[i] != last) count++,
last = arr[i],

length = max(length, count)

Optimal Approach:

100 1 200 2 4 3

-1 2 -2 -4 -1 -3

0 1 2 0 1 2
3 4 4
5

↑ search kar next consecutive element present hai ki nahi

100
↑

hashmap <int, int>

while(i)

100	1
1	1
200	2
2	1
4	1
3	1

using set

1 2 3 4 100 200
↑ ↑ ↑ ↑

set → Store the distinct element in stored fashion.

1 2 3 4 100 200
↑ ↑

iterate over set

$$2-1=1$$

Set

→ Idea of using Set to find the element next of x is present or not is $O(1)$ time complexity (this is assumption)

→ So we push everything set and iterate over array and try to find starting point rather than finding next of every element

Starting point = if $(x \mapsto \text{prev} \overset{\text{doesn't exist}}{\wedge} (x-1))$
if $(\text{st.find}(x-1) == \text{st.end}())$

→ So, we start from starting point and find the length of consecutive sequence.

Pseudocode:

st.push(every element)

```
for (i=0; i < n; i++) pop(undo  
    x = arr[i],  
    if (st (x-1) == st.first end())  
        x = arr[i-1],  
        for
```