

Set Matrix Zero:

Brute Force Approach:

1	1	1	1
1	0	0	1
1	1	0	1
1	1	1	1

→ If for every zero
we have mark or
make it row and col
zero

Brute force:

- We mark ~~row~~ row and col when zero is with -1 in order to avoid zero conflict

- The we again iterate and mark -1 with zero

1	-1	-1	1
-1	<u>0</u>	<u>0</u>	-1
-1	-1	<u>0</u>	-1
1	-1	-1	1



1	0	0	1
0	0	0	0
0	0	0	0
1	0	0	1

~~Ans~~

T.C: $O(N*M) \neq O(N+M) + O(N*M) \rightarrow \approx \underline{O(N^3)}$

Better Approach:

0	1	1	0	row
1	1	1	1	0
1	0	0	1	1
1	1	0	1	1
1	1	1	1	0

col.

- In this approach we know that a ~~entire~~ row or col would be zero if their exist minimum 1 zero

- We reuse space row and col. arr. to keep track of zero

- We ~~must~~ traverse ~~and~~ the matrix and mark the row and col when we come across a zero

T.C. $O(2N \times M)$
S.C. $O(N) + O(M)$

Optimal Approach:

In better approach we were using ^{separate} row and col. to mark the row and col which index the matrix is zero

$(0,0)$ $(0,1)$ $(0,2)$ $(0,3)$ col.

$(0,0)$ 1 <u>1</u>	$(0,1)$ 1 <u>0</u>	$(0,2)$ 1 <u>0</u>	$(0,3)$ 1 <u>1</u>
$(1,0)$ 1 <u>0</u>	$(1,1)$ 0 <u>0</u>	$(1,2)$ 0 <u>0</u>	$(1,3)$ 1 <u>1</u>
$(2,0)$ 0 <u>1</u>	$(2,1)$ 1 <u>1</u>	$(2,2)$ 0 <u>1</u>	$(2,3)$ 1 <u>1</u>
$(3,0)$ 1 <u>1</u>	$(3,1)$ 1 <u>1</u>	$(3,2)$ 1 <u>1</u>	$(3,3)$ 1 <u>1</u>

$(0,0)$
 $(1,0)$
 $(2,0)$
 $(3,0)$
 row

In optimal approach to optimize the space we use matrix first row and col. as marking array

But here problem is for $row[0]$ and $col[0]$ we have same index $(0,0)$ which was not there in

$if (mat[i][j] == 0)$
 $mark row = mat[i]$
 $mark col = mat[j]$

separate array
 $row = mat[i][0]$
 $col = mat[0][j]$

After marking

We iterate matrix and avoiding 1 row and col to avoid wrongly setting

zero in matrix

for($i=1, i < n, i++$)

for($j=1, j < m, j++$)