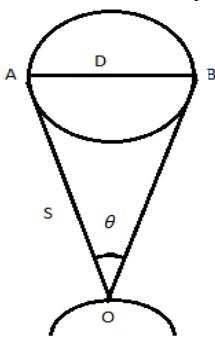
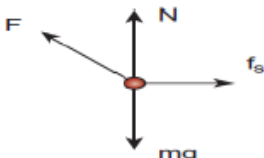
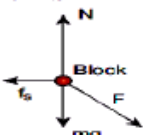
**SHRI VIDHYABHARATHI MATRIC HR.SEC.SCHOOL****SAKKARAMPALAYAM , AGARAM (PO) ELACHIPALAYAM****TIRUCHENGODE(TK), NAMAKKAL (DT) PIN-637202****Cell : 99655-31727, 94432-31727****QUARTERLY - SEPTEMBER - 2019****STD: XI****SUBJECT: PHYSICS****TENTATIVE ANSWER KEY****MARKS : 70**

Q.N	SECTION - I		MARKS
	OPTION	ANSWER	
1	d)	4	1
2	d)	$[ML^{-1}T^0]$	1
3	a)	increases	1
4	b)	10 %	1
5	c)	20 m	1
6	c)	2 : 1	1
7	c)	C	1
8	b)	Only in rotational frames	1
9	d)	1 : 2	1
10	d)	0.6 %	1
11	c)	$\sqrt{5gR}$	1
12	a)	increases	1
13	b)	$L/2$	1
14	c)	$\sqrt{2}v_0$	1
15	b)	work	1

16	$A = \pi r^2$ $= 3.14 \times 3.12 \times 3.12 = 30.566016$ According to the rule of significant figures $A = 30.6 \text{ m}^2$	$\frac{1}{2}$ $\frac{1}{2}$ 1
17	When an object is thrown in the air with some initial velocity (NOT just upwards), and then allowed to move under the action of gravity alone, the object is known as a projectile. 1. An object dropped from window of a moving train. 2. A bullet fired from a rifle.	1 1
18	Idealized mass is called “point mass”. It has no internal structure like shape and size. Mathematically a point mass has finite mass with zero dimension. To analyse the motion of Earth with respect to Sun, Earth can be treated as a point mass. If we throw an irregular object like a small stone in the air, to analyse its motion it is simpler to consider the stone as a point mass as it moves in space.	1 1
19	The coefficient of static friction between the tyre and the surface of the road determines what maximum speed, the car can have for safe turn. $\mu_s < \frac{v^2}{rg} \text{ (skid)}$ If the static friction is not able to provide enough centripetal force to turn, the vehicle will start to skid	2
20	$F = \frac{mv^2}{r} = \frac{60 \times 50 \times 50}{10} = 15,000 \text{ N}$	2
21	Correct Definition	2
22	Any Four Points Each Point Carries $\frac{1}{2}$ Marks	2
23	A point where the entire mass of the body appears to be concentrated. A point where the entire weight of the body appears to be concentrated.	1 1

24	<p>The required speed at the highest point</p> $v_2 = \sqrt{gr} = \sqrt{10 \times 0.5} = \sqrt{5} \text{ ms}^{-1}$ <p>The speed at lowest point $v_1 = \sqrt{5gr} = \sqrt{5} \times \sqrt{gr} = \sqrt{5} \times \sqrt{5} = 5 \text{ ms}^{-1}$</p>	2
Q.N	SECTION - III	MARKS
25	<p>Let AB=D be the diameter of the moon which is to be measured from the earth by an observer A.</p> <p>A telescope is focused on the moon and angle AOB is found.</p> $\text{Since } \theta = \frac{\text{Arc}}{\text{Radius}} = \frac{D}{S}$ $D = S \cdot \theta$ <p>i.e., Linear diameter = Distance x Angular diameter</p> 	3
26	<p>Definition</p> <p>Any four properties</p> <p>Each property carries 1/2 mark</p>	<p>1</p> <p>2</p>
27	$R = \frac{u^2 \sin 2\theta}{g}$ $\theta = \pi/4 \quad u = v_0 = 10 \text{ m s}^{-1}$ $\therefore R_{\text{earth}} = \frac{(10)^2 \sin \pi/2}{9.8} = 100 / 9.8$ $R_{\text{earth}} = 10.20 \text{ m (Approximately 10 m)}$ $g_{\text{moon}} = \frac{g}{6}$ $R_{\text{moon}} = \frac{u^2 \sin 2\theta}{g_{\text{moon}}} = \frac{v_0^2 \sin 2\theta}{g/6}$ $\therefore R_{\text{moon}} = 6R_{\text{earth}}$ $R_{\text{moon}} = 6 \times 10.20 = 61.20 \text{ m}$ <p>(Approximately 60 m)</p>	<p>1 1/2</p> <p>1 1/2</p>

28	<div style="display: flex; justify-content: space-between;"> <div style="width: 48%;"> <p>Static friction</p> <p>It opposes the starting of motion</p> <p>Independent of surface of contact</p> <p>μ_s depends on the nature of materials in mutual contact</p> <p>Depends on the magnitude of applied force</p> <p>It can take values from zero to $\mu_s N$</p> $f_s^{max} > f_k$ $\mu_s > \mu_k$ </div> <div style="width: 48%;"> <p>Kinetic friction</p> <p>It opposes the relative motion of the object with respect to the surface</p> <p>Independent of surface of contact</p> <p>μ_k depends on nature of materials and temperature of the surface</p> <p>Independent of magnitude of applied force</p> <p>It can never be zero and always equals to $\mu_k N$ whatever be the speed (true $< 10 \text{ ms}^{-1}$)</p> <p>It is less than maximal value of static friction</p> <p>Coefficient of kinetic friction is less than coefficient of static friction</p> </div> </div>	3
29	<p>An object pushed at an angle θ :</p> <ul style="list-style-type: none"> $N_{push} = mg + F \cos \theta \dots\dots\dots(1)$ $f_s^{max} = \mu_s (mg + F \cos \theta)$ <p style="text-align: center;">Free body diagram</p>  <p>An object pulled at an angle θ :</p> <ul style="list-style-type: none"> $N_{pull} = mg - F \cos \theta \dots\dots\dots(2)$ $N_{pull} < N_{push}$ It is easier to pull an object than to push to make it move <p style="text-align: center;">விசைப் பூலிப்</p> 	1 ½ 1 ½
30	<p>Explanation</p> $KE = \frac{1}{2} mv^2 = \frac{1}{2} m(\vec{v} \cdot \vec{v})$ $KE = \frac{1}{2} \frac{m^2 (\vec{v} \cdot \vec{v})}{m}$ $= \frac{1}{2} \frac{(m\vec{v}) \cdot (m\vec{v})}{m} \quad [\vec{p} = m\vec{v}]$ $= \frac{1}{2} \frac{\vec{p} \cdot \vec{p}}{m}$ $= \frac{p^2}{2m}$ $ \vec{p} = p = \sqrt{2m (KE)}$ <div style="text-align: right; margin-top: 20px;"> $KE = \frac{p^2}{2m}$ </div>	½ 1 1 ½

$$[T^1] = [M^a] [L^b] [LT^{-2}]^c$$

$$[M^0 L^0 T^1] = [M^a L^{b+c} T^{-2c}]$$

Comparing the powers of M, L and T on both sides, $a=0$, $b+c=0$, $-2c=1$

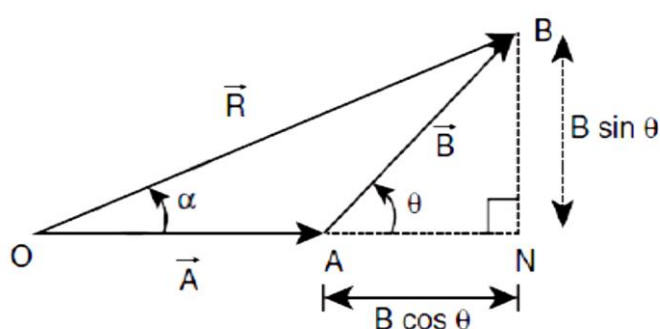
Solving for a,b and c $a = 0$, $b = 1/2$, and $c = -1/2$

From the above equation $T = k \cdot m^0 \ell^{1/2} g^{-1/2}$

$$T = k \left(\frac{\ell}{g} \right)^{1/2} = k \sqrt{\ell/g}$$

$$k = 2\pi, \text{ hence } T = 2\pi \sqrt{\ell/g}$$

34
(b)



Triangle law of vector addition:

Represent the vectors \vec{A} and \vec{B} by the two adjacent sides of a triangle taken in the same order, then the resultant is given by the third side of the triangle.

Magnitude of resultant vector:

- $AN = B \cos \theta$
- $BN = B \sin \theta$
- For $\triangle OBN$, $OB^2 = ON^2 + BN^2$
- $R^2 = (A + B \cos \theta)^2 + (B \sin \theta)^2$
- $R^2 = A^2 + B^2 \cos^2 \theta + 2AB \cos \theta + B^2 \sin^2 \theta$
- $R^2 = A^2 + B^2 (\cos^2 \theta + \sin^2 \theta) + 2AB \cos \theta$
- $R^2 = A^2 + B^2 + 2AB \cos \theta$
- $R = \sqrt{A^2 + B^2 + 2AB \cos \theta}$

Direction of resultant vector:

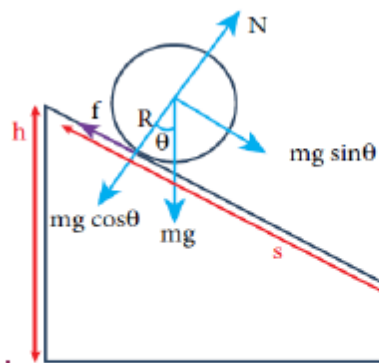
- $\tan \alpha = \frac{B \sin \theta}{A + B \cos \theta}$
- $\alpha = \tan^{-1} \left(\frac{B \sin \theta}{A + B \cos \theta} \right)$

35 (a)	Each error type with explanation carries one mark	5															
35 (b)	<p>The total initial kinetic energy of the bodies (before collision) is not equal to the total final kinetic energy of the bodies (after collision) then, it is called as inelastic collision. i.e., Total kinetic energy before collision \neq Total kinetic energy after collision</p> $KE_i = \frac{1}{2} m_1 u_1^2 + \frac{1}{2} m_2 u_2^2$ $KE_f = \frac{1}{2} (m_1 + m_2) v^2$ $\Delta Q = KE_i - KE_f$ $= \frac{1}{2} m_1 u_1^2 + \frac{1}{2} m_2 u_2^2 - \frac{1}{2} (m_1 + m_2) v^2$ $\text{Loss of KE, } \Delta Q = \frac{1}{2} \left(\frac{m_1 m_2}{m_1 + m_2} \right) (u_1 - u_2)^2$	<p>1</p> <p>1</p> <p>1</p> <p>1</p> <p>1</p>															
36 (a)	<table border="1"> <thead> <tr> <th>velocity - time</th><th>displacement - time</th><th>velocity - acceleration</th></tr> </thead> <tbody> <tr> <td>$a = \frac{dv}{dt}$</td><td>$v = \frac{ds}{dt}$</td><td>$a = \frac{dv}{ds} v$</td></tr> <tr> <td>$dv = a dt$</td><td>$ds = (u + at) dt$</td><td>$ds = \frac{1}{2a} d(v^2)$</td></tr> <tr> <td>$\int_u^v dv = \int_0^t a dt$</td><td> $\int_0^s ds$ $= u \int_0^t dt + a \int_0^t dt$ </td><td> $\int_0^s ds$ $= \frac{1}{2a} \int_u^v d(v^2)$ </td></tr> <tr> <td>$v = u + at$</td><td> $s = ut + \frac{1}{2} at^2$ $s = \frac{(u + v)t}{2}$ </td><td>$v^2 = u^2 + 2as$</td></tr> </tbody> </table>	velocity - time	displacement - time	velocity - acceleration	$a = \frac{dv}{dt}$	$v = \frac{ds}{dt}$	$a = \frac{dv}{ds} v$	$dv = a dt$	$ds = (u + at) dt$	$ds = \frac{1}{2a} d(v^2)$	$\int_u^v dv = \int_0^t a dt$	$\int_0^s ds$ $= u \int_0^t dt + a \int_0^t dt$	$\int_0^s ds$ $= \frac{1}{2a} \int_u^v d(v^2)$	$v = u + at$	$s = ut + \frac{1}{2} at^2$ $s = \frac{(u + v)t}{2}$	$v^2 = u^2 + 2as$	5
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36
(b)

Explanation

1



1

$$* \quad mg \sin \theta - f = ma$$

$$* \quad Rf = I\alpha$$

$$* \quad I = MK^2$$

$$* \quad \alpha = \frac{a}{R}$$

$$* \quad f = ma \left(\frac{K^2}{R^2} \right)$$

$$* \quad a = \frac{g \sin \theta}{\left(1 + \frac{K^2}{R^2} \right)}$$

$$* \quad v = \sqrt{\frac{2gh}{\left(1 + \frac{K^2}{R^2} \right)}}$$

3

$$* \quad t = \sqrt{\frac{2h \left(1 + \frac{K^2}{R^2} \right)}{g \sin^2 \theta}}$$

37
(a)

If there are no external forces acting on the system, then the total linear momentum of the system is always a constant vector.

1

Explanation

1

$$\bullet \quad \vec{F}_{12} = -\vec{F}_{21}$$

$$\bullet \quad \vec{F}_{12} = \frac{d\vec{p}_1}{dt}, \vec{F}_{21} = \frac{d\vec{p}_2}{dt}$$

$$\bullet \quad \frac{d\vec{p}_1}{dt} = -\frac{d\vec{p}_2}{dt}$$

3

$$\bullet \quad \frac{d\vec{p}_1}{dt} + \frac{d\vec{p}_2}{dt} = 0$$

$$\bullet \quad \frac{d}{dt}(\vec{p}_1 + \vec{p}_2) = 0$$

$$\bullet \quad \vec{p}_{tot} = \vec{p}_1 + \vec{p}_2$$

<p>37 (b)</p>	<p>Diagram</p> <p>Explanation</p> $dI = (dm)r^2$ $\sigma = \frac{\text{mass}}{\text{area}} = \frac{M}{\pi R^2}$ $dm = \sigma 2\pi r dr = \frac{M}{\pi R^2} 2\pi r dr$ $dI = \frac{2M}{R^2} r^3 dr$ <p>Upto</p> $I = \int dI$ $I = \int_0^R \frac{2M}{R^2} r^3 dr = \frac{2M}{R^2} \int_0^R r^3 dr$ $I = \frac{2M}{R^2} \left[\frac{r^4}{4} \right]_0^R = \frac{2M}{R^2} \left[\frac{R^4}{4} - 0 \right]$ $I = \frac{1}{2} MR^2$	<p>1</p> <p>1</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p> <p>3</p>
<p>38 (a)</p>	<p>The potential energy possessed by a spring due to a deforming force which stretches or compresses the spring is termed as elastic potential energy.</p> <p>Explanation</p> <p>Diagram</p> $\vec{F}_a = -\vec{F}_s$ $\vec{F}_s = -k \vec{x}$ $U = \int \vec{F}_a \cdot d\vec{r} = \int_0^x \vec{F}_a d\vec{r} \cos \theta$ $= \int_0^x F_a dx \cos \theta$ $U = \int_0^x kx dx$ $U = k \left[\frac{x^2}{2} \right]_0^x$ $U = \frac{1}{2} kx^2$	<p>1</p> <p>1</p> <p>1</p> <p>2</p>

	$U = \frac{1}{2}k(x_f^2 - x_i^2)$ upto	
38 (b)	<p>Diagram</p> <p>Explanation</p> $KE_i = \frac{1}{2}m_i v_i^2$ $KE_i = \frac{1}{2}m_i (r_i \omega)^2 = \frac{1}{2}(m_i r_i^2) \omega^2$ $KE = \frac{1}{2}(\sum m_i r_i^2) \omega^2$ $I = \sum m_i r_i^2$ $KE = \frac{1}{2}I \omega^2$	<p>1</p> <p>1</p> <p>3</p>

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